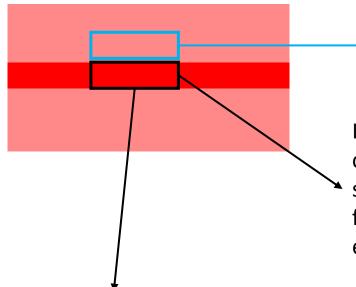
#### **Previous Versions:**



The mean value of the background regions: **a** 

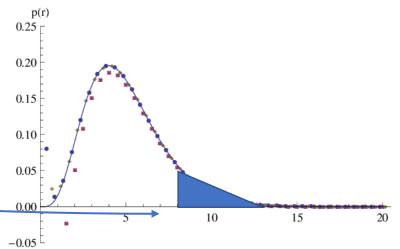
If we don't know anything about the central region, we would estimate it is similar with the background, which follows a Poisson distribution with expected value = **a**.

But we observed a larger value **b**.

The prob. of observing a value larger than **b** from Poisson(**a**) is:

$$p = 1 - cdf(b)$$

(which is a common method in loop callers.) Calculating this is slow!



\* Let  $x^{Poission}(a)$  and  $f(a,b) = -\log_{10}[P(x > b)] = -\log_{10}[1 - cdf(b)]$ .

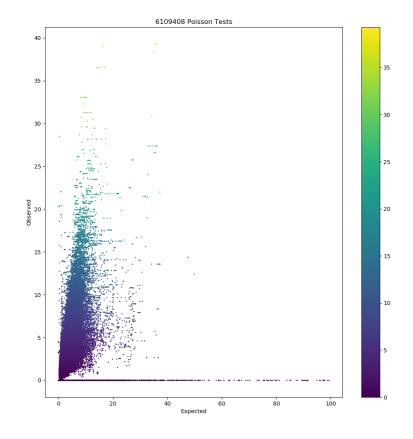
### GM12878 chr1 25Kb resolution

- 257,088 calculations of f(a, b)
- Time: 219s (the entire program)
- 8 stripes

# 257088 Poisson Tests b

#### HFF chr1 1Kb resolution

- 6,109,408 calculations
- 3960s
- 207 stripes



# Strategy:

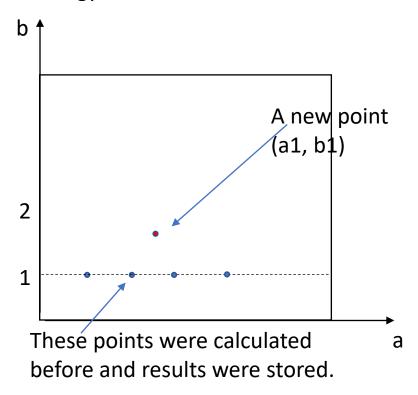
- Record the "expected-observed" pair and their p value results for each calculation
- If a new pair (e.g., 4.99-9.05) is similar to a calculated pair (e.g., 5.00-9.00), we direct use the p value from the previous pair
- There should be a "tolerance level"

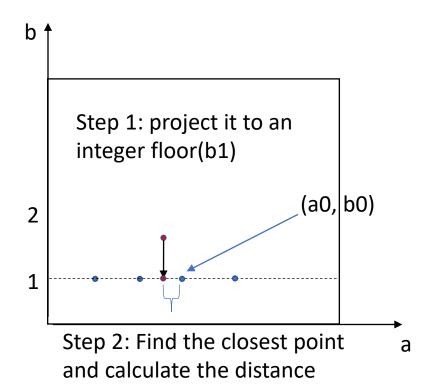
Let  $x^{\text{Poission}}(a)$  and  $f(a,b) = -\log_{10}[P(x > b)] = -\log_{10}[1 - cdf(b)]$ .

Based on the definition of Poisson dist.

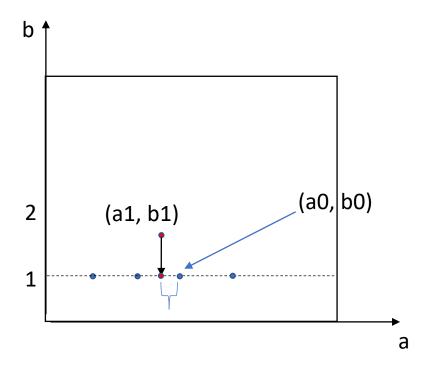
- f(a, b) = f(a, floor(b)). E.g., f(5, 10) = f(5, 10.5) = f(5, 10.99) = 1.863
- $f(a, b) \approx f(a+\Delta a, b)$  when  $\Delta a$  is small. E.g., f(5, 10) = 1.863, f(5.05, 10) = 1.835, f(5.1, 10) = 1.807

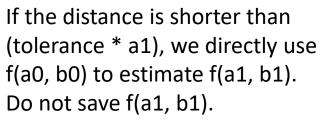
Strategy:

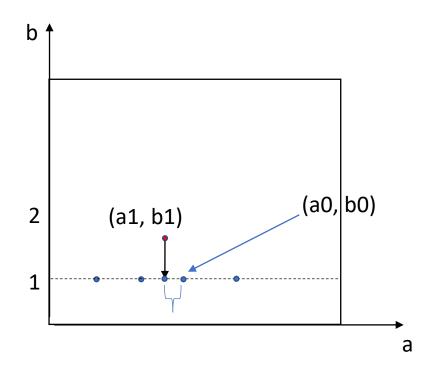




# Strategy:







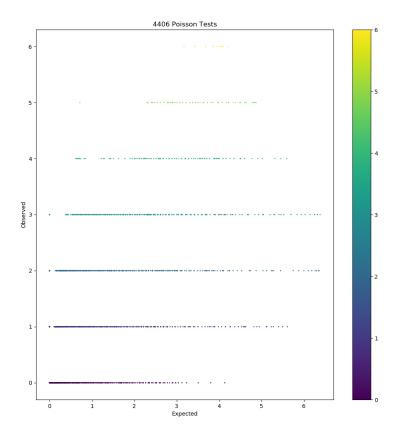
If the distance is longer than (tolerance \* a1), we calculate the accurate value of f(a1, b1), i.e., f(a1, b0), and save this result for future use.

\* The searching-inserting operation can be further accelerated by balanced binary tree.

# Result (tolerance = 0.02):

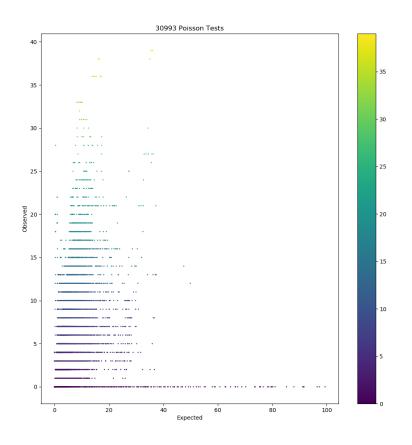
#### GM12878 chr1 25Kb resolution

- 4,406 calculations
- 87s
- 9 stripes



## HFF chr1 1Kb resolution

- 30,993 calculations
- 843s
- 201 stripes



The stripes also match quite well.