

ECE 438 Lab 1 Report
David Dang & Benedict Lee

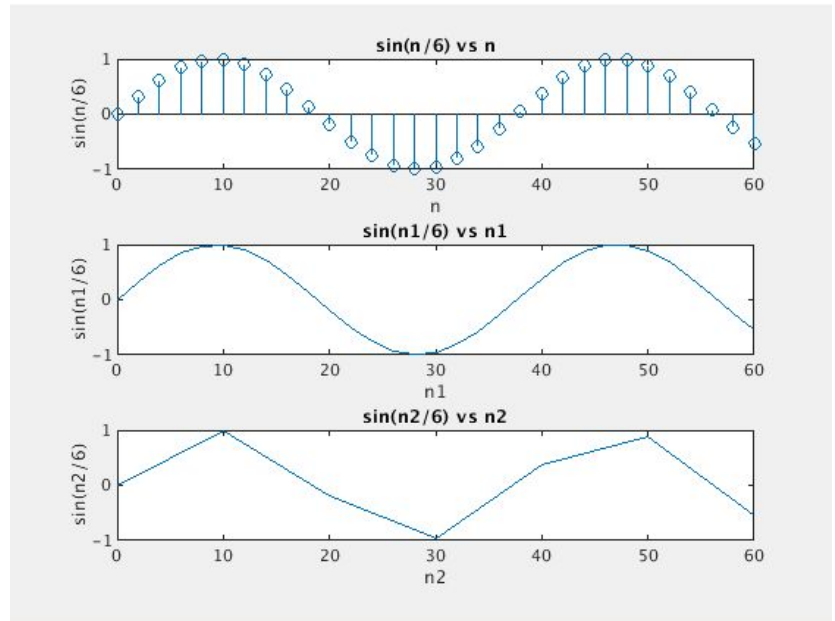
2 Laboratory Ethics

INLAB REPORT: Each student on the team must write by hand the following statement in the lab report, sign and date. "I have read and understood the Laboratory Ethics section (Section 2) of Laboratory 1. I pledge to behave ethically and with honesty in ECE438 this semester. The reports I will hand in will be the product of original work by myself and my teammate, and no one else. I will not look at other people's laboratory. I will not use other people's code. I will not make my labs available to other students beyond my teammates, even after the semester is over. In particular, I will not post my labs on the Internet or make my files available to other people. I will not be a cheater. " Name, Signature, Date.

4.1 Displaying Continuous-Time and Discrete-Time Signals in Matlab

INLAB REPORT: Submit a hard copy of the plots of the discrete-time function and two continuous-time “looking” functions. Label them with the title command, and include your names. Comment on the accuracy of each of the continuous time plots.

- The plot of $\sin(n1/6)$ vs $n1$ is more accurate than the plot of $\sin(n2/6)$ vs $n2$ because we use a smaller step size in $\sin(n1/6)$ vs $n1$.

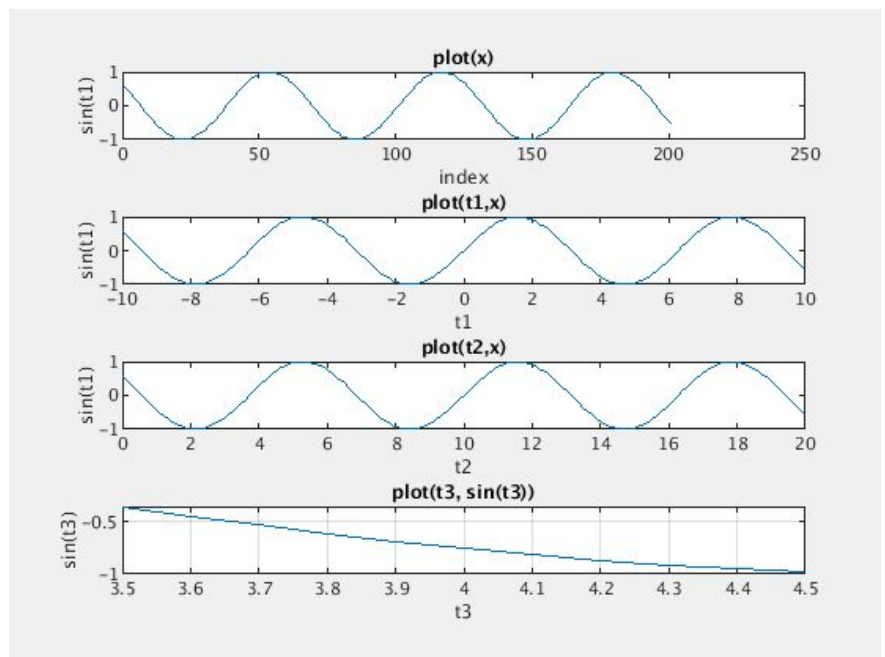


4.2 Vector Index versus Time

INLAB REPORT: Print the three subplots and explain the difference between the three signals represented. Write Matlab command(s) that would print the graph of $\sin(t)$ for the values of t on the interval $[3.5, 4.5]$. (Pick a suitable increment for t .)

- The first signal titled `plot(x)` shows $\sin(x)$ plotted against its vector indices. The second signal titled `plot(t1, x)` shows $\sin(x)$ plotted from -10 to 10 with a stepsize of 0.1. The third signal titled `plot(t2, x)` shows $\sin(x)$ plotted from 0 to 20 with a stepsize of 0.1.

```
t3 = 3.5:0.1:4.5;  
plot(t3, sin(t3));  
title('plot(t3, sin(t3))')  
xlabel('t3')  
ylabel('sin(t3)')  
grid on
```



4.3 Analytical Calculation

INLAB REPORT: Hand in your calculations of these two integrals. Show all work.

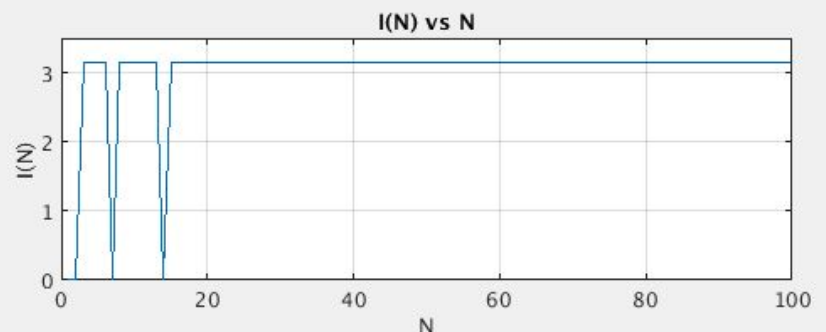
4.4 Numerical Computation of Continuous-Time Signals

INLAB REPORT: Submit plots of $I(N)$ and $J(N)$ versus N . Use the subplot command to put both plots on a single sheet of paper. Also submit your Matlab code for each function. Compare your results to the analytical solutions from Section 4.3. Explain why $I(7) = I(14) = 0$.

```
function [ I ] = integ1( N )
%UNTITLED5 Summary of this function goes here
% Detailed explanation goes here

x = linspace(0, (2*pi), N+1);
y = ((sin(7 .* x).^2));
deltax = ((2*pi) - 0) / N;
I = deltax * sum(y);

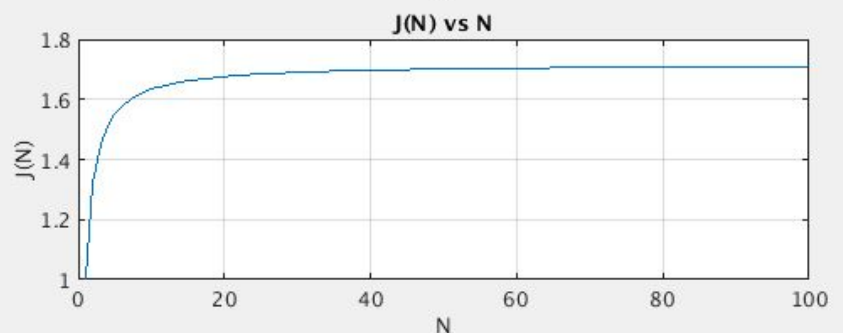
end
```



```
function [ J ] = integ2( N )
%UNTITLED9 Summary of this function goes here
% Detailed explanation goes here

x = linspace(0, 1, N+1);
x=x(1:N);
y = exp(x);
deltax = ((1) - 0) / N;
J = deltax * sum(y);

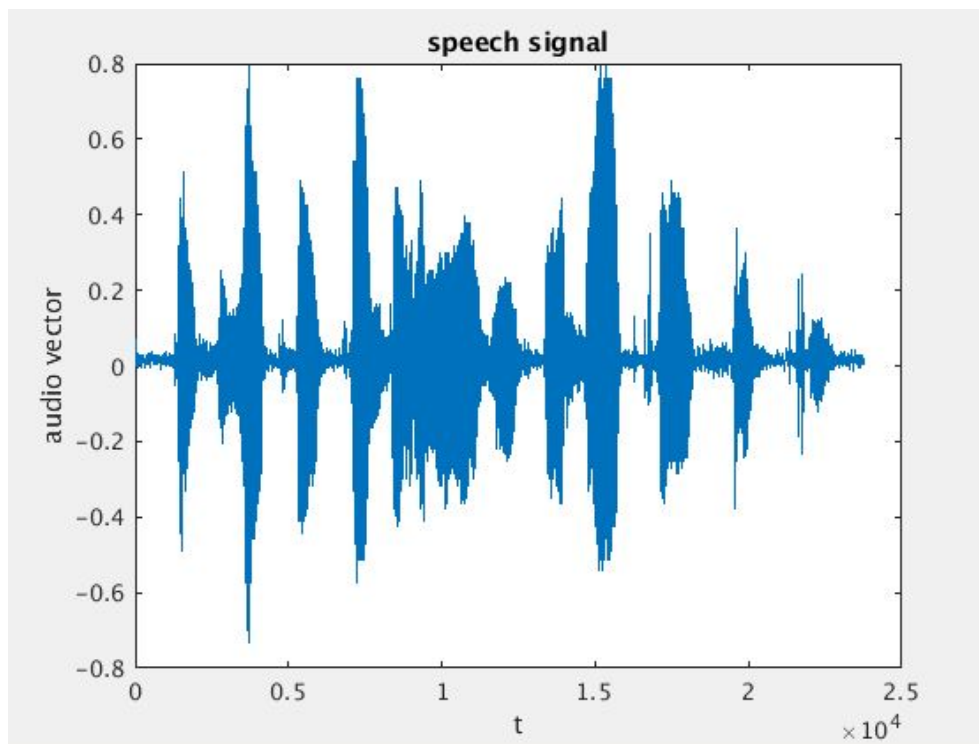
end
```



- $I(7) = I(14) = 0$ because when you sum up the left corner value of $((\sin 7t)^2)$ when using 7 or 14 rectangles, some values cancel each other out and you end up with $I(N)$ being 0.

5 Processing of Speech Signals

INLAB REPORT: Submit your plot of the speech signal.

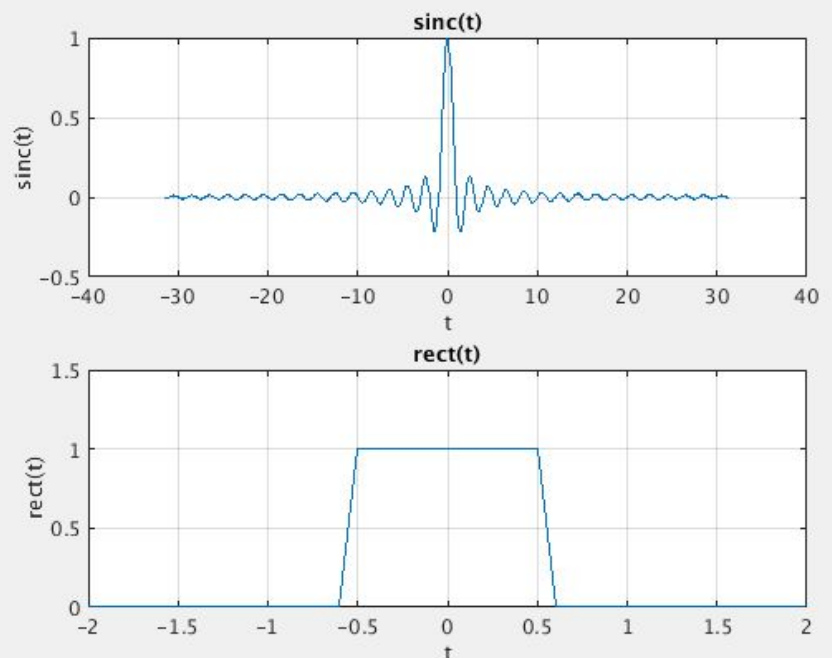


6 Special Functions

INLAB REPORT: Submit all three figures, for a total of 8 plots. Also submit the printouts of your Matlab .m-files.

```
subplot(2,1,1)
x = -10*pi:0.1:10*pi;
y = sin(pi*x) ./ (pi*x);
y(x==0) = 1;
plot(x,y)
title('sinc(t)')
xlabel('t')
ylabel('sinc(t)')
grid on
```

```
subplot(2,1,2)
x = -2:0.1:2;
y = (abs(x)<=0.5);
plot(x,y)
ylim([0, 1.5])
title('rect(t)')
xlabel('t')
ylabel('rect(t)')
grid on
```



```

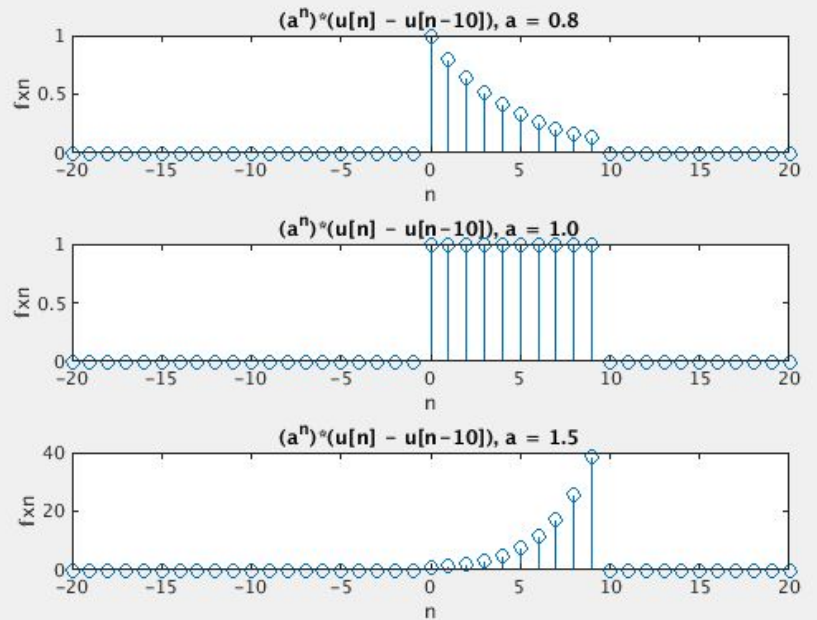
subplot(3,1,1)
n = -20:1:20;
u1 = (n>=0);
u2 = (n>=10);
a = 0.8;
fxn = (a.^n).*(u1 - u2);
stem(n, fxn)
title('(a^n)*(u[n] - u[n-10]), a = 0.8')
xlabel('n')
ylabel('fxn')

subplot(3,1,2)
n = -20:1:20;
u1 = (n>=0);
u2 = (n>=10);
a = 1.0;
fxn = (a.^n).*(u1 - u2);
stem(n, fxn)
title('(a^n)*(u[n] - u[n-10]), a = 1.0')
xlabel('n')
ylabel('fxn')

subplot(3,1,3)
n = -20:1:20;
u1 = (n>=0);
u2 = (n>=10);
a = 1.5;
fxn = (a.^n).*(u1 - u2);
stem(n, fxn)
title('(a^n)*(u[n] - u[n-10]), a = 1.5')
xlabel('n')
ylabel('fxn')

orient('tall')

```



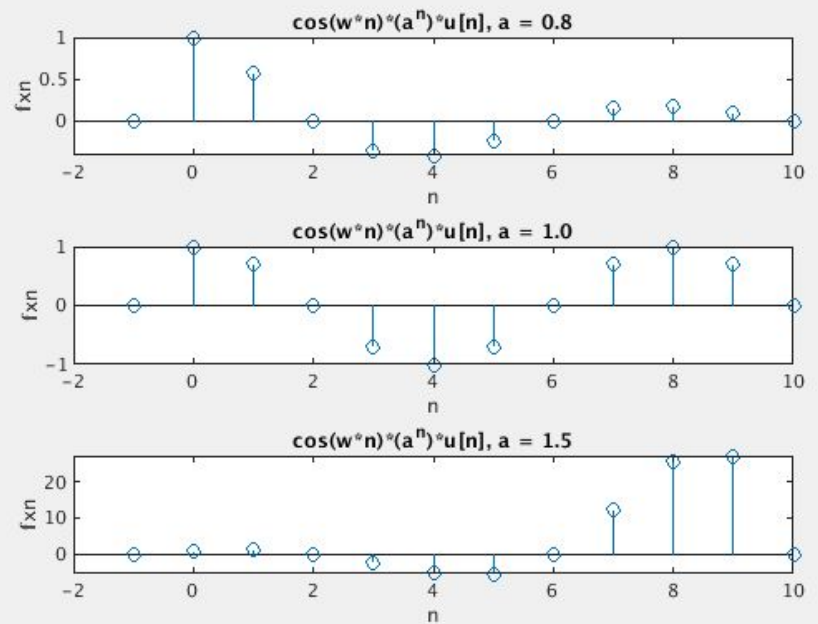
```
w = pi/4;
```

```
subplot(3,1,1)
n = -1:1:10;
u1 = (n>=0);
a = 0.8;
fxn = cos(w.*n) .* (a.^n) .* u1;
stem(n, fxn)
title('cos(w*n)*(a^n)*u[n], a = 0.8')
xlabel('n')
ylabel('fxn')
```

```
subplot(3,1,2)
n = -1:1:10;
u1 = (n>=0);
a = 1.0;
fxn = cos(w.*n) .* (a.^n) .* u1;
stem(n, fxn)
title('cos(w*n)*(a^n)*u[n], a = 1.0')
xlabel('n')
ylabel('fxn')
```

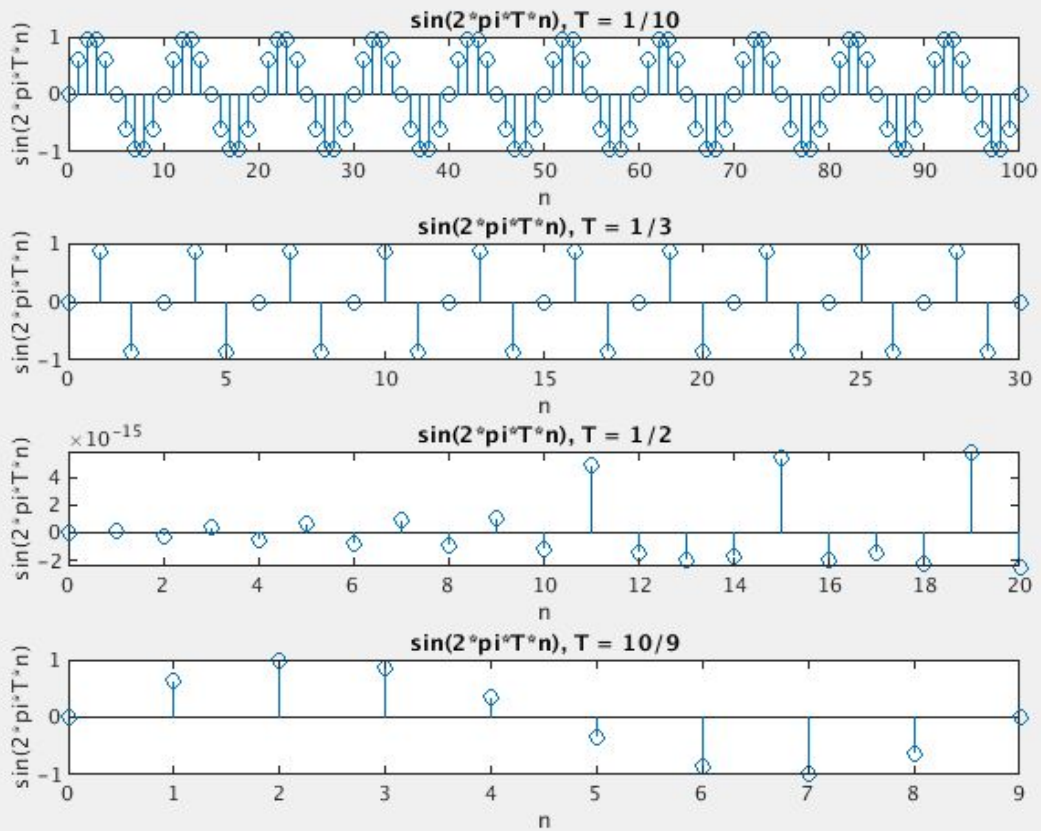
```
subplot(3,1,3)
n = -1:1:10;
u1 = (n>=0);
a = 1.5;
fxn = cos(w.*n) .* (a.^n) .* u1;
stem(n, fxn)
title('cos(w*n)*(a^n)*u[n], a = 1.5')
xlabel('n')
ylabel('fxn')
```

```
orient('tall')
```



7 Sampling

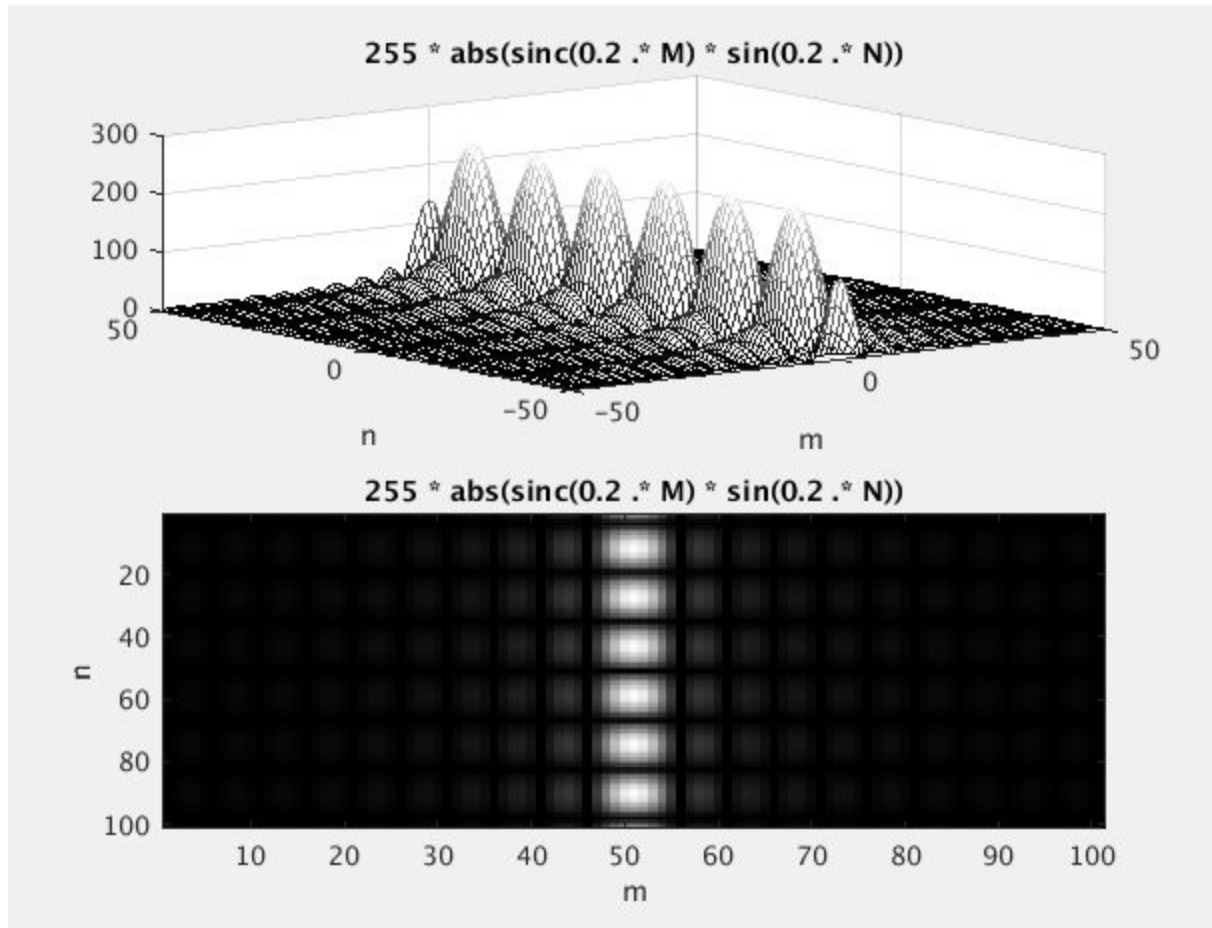
INLAB REPORT: Submit a hardcopy of the figure containing all four subplots. Discuss your results. How does the sampled version of the signal with $T_s = 1/10$ compare to those with $T_s = 1/3$, $T_s = 1/2$ and $T_s = 10/9$?



- When $T_s = 1/10$, the plot closely resembles a sine wave we sample the sine wave at a small interval. As T_s increases to $1/3$, we sample the value of the sine wave at multiples of $(2\pi) / 3$. As T_s increases to $1/2$, we sample the value of the sine wave at multiples of π , resulting in the plotted values of 0. When $T_s = 10/9$, we make a whole trip around the unit circle plus a little bit more and then the value of the sine wave is sampled at that point.

8 2-D Signals

INLAB REPORT: Hand in hardcopies of your mesh plot and image. For which applications do you think the surface plot works better? When would you prefer the image?



- The surface plot is best suited for viewing the signal in three dimensions (amplitude, sin, sinc) while the image is suited for viewing the signal in two dimensions (sin & sinc).