Daniel Harricio Mesia Hoyos X(4) = 1 Asen (21/6+) 12 + E [- 1/20, 1/20] A, FO E RT  $T = \frac{1}{2F_0} - \left(-\frac{1}{2F_0}\right) = \frac{2}{2F_0} = \frac{1}{F_0} = - > T = T_0$ +€ [- To , To] x(+) = A2 sen2(211Fo+) = A2 [ 1 - 1 (0s(212Fo+)] X(+)= 42 - A2 (05 [47Fot] x(+) = ao + E an cos(nwot) + bn Sen (nwot)  $X(+) = \sum_{n=1}^{N} c_n e^{in\omega_0 +} \qquad c_n = \alpha_n - ib_n$ A - A (0s(zwo+) = Qo + Qz (0s(zwo+)  $\omega_0 = 2 \Pi F_0$   $\omega_0 = 1 \omega_0$   $\omega_0 = 2 \omega_0$   $n \omega_0 = 2 \omega_0$  n = 2 $a_0 = (0 - A^2)$   $a_2 = -A^2$   $a_2 = -A^2$   $a_3 = (2 - A^2)$ C=0 + n 7 {0,-2,2} a=0 + n = {0,2} b=0 Señal par x(t) = -x(t)  $6_n = 0$  x(t) = -x(t) x(t) = -x(t)= 9 (To/2 AZ Senz (ZTI Fo+) cos (nwo+) d+ = 4 A2 [ 1 5 To/2 cos (nwo+)d+ - 1 5 To/2 cos (2 wo + cos (nwo+)d+ (os (2wo+) cos (nwo+) = 1 [ (os (2 wo+ + nwo+) + (os (2wo+ - nwo+)]

3. 
$$c(f) = A_c sen (2\pi F_c +) A_c F_c E R$$
;  $ence) \in R$ 

$$y(h) = (1 + \frac{m(h)}{A_c}) c(h)$$

$$y(w) = F \{ y(h) \} = F \{ (1 + \frac{m(h)}{A_c}) c(h) \} = F_c(h) \} + \frac{1}{A_c}$$

$$F \{ c(h) = (1w) = F \{ A_c sen(2HF_c +) \} = A_c F \{ e^{\frac{1}{2}2\pi F_c + \frac{1}{2}\pi F_c} \} + \frac{1}{A_c}$$

$$F \{ x(h) = (1w) = F \{ A_c sen(2HF_c +) \} = A_c F \{ e^{\frac{1}{2}2\pi F_c + \frac{1}{2}\pi F_c} \} + \frac{1}{2} \{ x(w + w_0) \} = x(h) e^{\frac{1}{2}3w_0 +}$$

$$F \{ x(h) = e^{\frac{1}{2}3w_0 +} \} = x(w) e^{\frac{1}{2}3w_0 +}$$

$$\Rightarrow F \{ x(h) = e^{\frac{1}{2}3w_0 +} \} = x(w) e^{\frac{1}{2}3w_0 +}$$

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$$(w) = \frac{A_c}{2^3} [ x(w - 2\pi F_c) - x(w + 2\pi F_c) ]$$

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$$= \frac{A_c}{2^3} [ x(w - 2\pi F_c) - x(w +$$

