

```
Needs["ComputerArithmetic`"]

In[2]:= (*For extracting the argument of a function*)
finv[_[x_]] := x

In[3]:= (*Recursion for generating the solution polynomials*)
g[-1, a_, b_] = (1 / b);
g[0, a_, b_] = 1;
g[n_, a_, b_] := (a + 2 * b) * g[n - 1, a, b] - b^2 * g[n - 2, a, b];

In[6]:= (*Onset or SS*)
Y[n_, ntot_, AoL_, Y0_] := g[ntot - n - 1, AoL, 1] * Y0 / g[ntot - 1, AoL, 1]

In[7]:= (*Make a piecewise function to fit experimental data*)
YPW[AoL_, mpw_, ntotpw_, Y0pw_] := Piecewise[
  Table[{Simplify[Y[npw, ntotpw, AoL, Y0pw]], mpw - 1 == npw}, {npw, 0, ntotpw - 1}]]

In[8]:= (*Only include wings with stereocilium0
displacements and at least 5 stereocilia*)
Data = Import[
  "/Users/dmelody/Dropbox/Stereocilia/AlexData/PaperData/peak_steady_sd_se
_fullwings.csv"];
(*Each wing starts at stereocilium 0*)
wingindex = Flatten[Position[Data[[All, 3]], 0]];
(*Number of wings*)
Length[wingindex]
(*Total number of stereocilia*)
Length[Data[[All, 2]]] - 1

Out[10]= 38

Out[11]= 302

In[12]:= Data[[1, All]]
Data[[1, 3]]
Data[[1, 4]]
Data[[1, 9]]

Out[12]= {wing_id, wing_id2, norm_position_id, peak_nm_y,
  peak_nm_y_n, peak_nm_y_sd, peak_nm_y_se, peak_nm_y_max,
  steady_nm_y, steady_nm_y_n, steady_nm_y_sd, steady_nm_y_se}

Out[13]= norm_position_id

Out[14]= peak_nm_y

Out[15]= steady_nm_y
```

```

In[16]:= (*Number of stereocilia with an overshoot excluding stereocilium0*)
Total[Flatten[
  Table[Table[If[Data[[n, 4]] - Data[[n, 9]] > 0, 1, 0], {n, wingindex[[wingindexnum]] + 1,
    If[wingindexnum + 1 > Length[wingindex], Length[Data[[All, 2]]],
    wingindex[[wingindexnum + 1]] - 1}], {wingindexnum, 1, Length[wingindex]}]]]
(*Total number of stereocilia excluding stereocilium0*)
Length[Data[[All, 2]]] - 1 - Length[wingindex]
(*Fraction of stereocilia with an overshoot*)
N[Total[Flatten[
  Table[Table[If[Data[[n, 4]] - Data[[n, 9]] > 0, 1, 0], {n, wingindex[[wingindexnum]] + 1,
    If[wingindexnum + 1 > Length[wingindex], Length[Data[[All, 2]]],
    wingindex[[wingindexnum + 1]] - 1}], {wingindexnum, 1, Length[wingindex]}]]] /
  (Length[Data[[All, 2]]] - 1 - Length[wingindex])]

```

Out[16]= 209

Out[17]= 264

Out[18]= 0.791667

```

In[19]:= (*****
In[20]:= (*Exclude wings with a negative onset or steady-
  state because this indicates a damaged wing or a measurement
  artifact. 7 wings have negative onsets or ss. 38-7 = 31*)
Position[Table[Total[Table[If[Data[[n, 4]] < 0 || Data[[n, 9]] < 0, 1, 0],
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
  Length[Data[[All, 2]]], wingindex[[wingindexnum + 1]] - 1}]]],
  {wingindexnum, 1, Length[wingindex]}], _? (# > 0 &)]
Length[Position[Table[Total[Table[If[Data[[n, 4]] < 0 || Data[[n, 9]] < 0, 1, 0],
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
  Length[Data[[All, 2]]], wingindex[[wingindexnum + 1]] - 1}]]],
  {wingindexnum, 1, Length[wingindex]}], _? (# > 0 &)]

```

Out[20]= {{2}, {4}, {5}, {12}, {19}, {23}, {38}}

Out[21]= 7

```

In[22]:= (*7 wings have negative onsets or ss. 38-7 = 31*)
wingindexnum = 2;
{Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
  Length[Data[[All, 2]]], wingindex[[wingindexnum + 1]] - 1}],
  Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
  Length[Data[[All, 2]]], wingindex[[wingindexnum + 1]] - 1}]]}
wingindexnum = 4;
{Table[{Data[[n, 3]], Data[[n, 4]]},

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    {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
      Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]},
    Table[{Data[[n, 3]], Data[[n, 9]]},
    {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
      Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}
wingindexnum = 5;
{Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]},
  Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}
wingindexnum = 12;
{Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]},
  Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}
wingindexnum = 19;
{Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]},
  Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}
wingindexnum = 23;
{Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]},
  Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}
wingindexnum = 38;
{Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]},
  Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}

```

```

Out[23]= {{{0, 369.65}, {1, 148.421}, {2, 91.1}, {3, 58.8714}, {4, 50.3857},
          {5, 38.4714}, {6, 19.2714}, {7, 11.7214}, {8, 9.8}, {9, -1.07143}},
          {{0, 598.25}, {1, 231.05}, {2, 123}, {3, 63.1}, {4, 43.6},
          {5, 31.4}, {6, 19.4}, {7, 7.25}, {8, 7.8}, {9, 13.8}}}

Out[25]= {{{0, 54.2929}, {1, 37.4714},
          {2, 13.0643}, {3, 2.4}, {4, -2.47143}, {5, 3.15}, {6, -0.5}},
          {{0, 53.55}, {1, 32.1}, {2, 11.05}, {3, -0.2}, {4, 1.3}, {5, 2.45}, {6, 2.1}}}

Out[27]= {{{0, 133.779}, {1, 61.5357}, {2, 50.6}, {3, 25.5143}, {4, 2.78571},
          {5, 20.9357}, {6, 9.6}, {7, 28.1071}}, {{0, 117.35}, {1, 44.7},
          {2, 29.9}, {3, 11.4}, {4, -1.5}, {5, 14.25}, {6, 8.75}, {7, 11.6}}}

Out[29]= {{{0, 83.3786}, {1, 72.3786}, {2, 38.9786}, {3, 33.4929}, {4, 17.8857},
          {5, 10.4857}, {6, 8.28571}, {7, -2.61429}}, {{0, 88}, {1, 75.45},
          {2, 34.55}, {3, 19.05}, {4, 12.5}, {5, 2.7}, {6, 0.15}, {7, -2.65}}}

Out[31]= {{{0, 182.717}, {1, 111.667}, {2, 75.2667}, {3, 48.7667}, {4, 22.7167},
          {5, 18.65}, {6, 1.76667}, {7, 7.55}, {8, 2.55}, {9, -8.31667}},
          {{0, 194.7}, {1, 112.95}, {2, 85.175}, {3, 46.075}, {4, 14.075},
          {5, 17}, {6, -0.15}, {7, 5.25}, {8, 1.475}, {9, -10.6}}}

Out[33]= {{{0, 57.8286}, {1, 33.6286}, {2, 22.0143}, {3, 11.5786}, {4, 5.42857},
          {5, 7.62143}, {6, 0.0928571}, {7, 1.87857}, {8, 0.1}, {9, 4.72143}},
          {{0, 61.8}, {1, 27.75}, {2, 16.15}, {3, 7.5}, {4, 3.5},
          {5, -1.1}, {6, 3}, {7, 1.9}, {8, -2.05}, {9, -2}}}

Out[35]= {{{0, 161.15}, {1, 102.229}, {2, 76.45}, {3, 53.9}, {4, 34.0571}, {5, 20.5857},
          {6, 13.5286}, {7, 10.1929}, {8, 6.77143}}, {{0, 172.05}, {1, 99.55},
          {2, 48.75}, {3, 37.9}, {4, 8.95}, {5, 1.7}, {6, -0.45}, {7, -3.65}, {8, -1.05}}}

In[36]:= (*****)
```

```

In[37]:= onsetList = Table[NaN, {n, 1, Length[wingindex]};
onsetnstereoList = Table[NaN, {n, 1, Length[wingindex]};
onsetAoLList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetAoLPvalList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetY0List = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetY0PvalList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetAdjRsQList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetExportTable = Table[{NaN, NaN, NaN, NaN, NaN, NaN}, {n, 1, Length[wingindex]};
(*Index of analyzed wings*)
analwingindex = 0;
onsetanal = Table[n, {n, 1, 31};
ssanal = Table[n, {n, 1, 31};
For[wingindexnum = 1, wingindexnum ≤ Length[wingindex], wingindexnum++,
  onset = Table[{Data[[n, 3]], Data[[n, 4]],
    {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
      Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}];
  ss = Table[{Data[[n, 3]], Data[[n, 9]],
    {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
      Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}];
  If[Length[Select[onset[[All, 2]], # < 0 &]] + Length[Select[ss[[All, 2]], # < 0 &]] > 0,
    Continue[], analwingindex = analwingindex + 1;
  onsetErr = Table[{Data[[n, 3]], Data[[n, 6]] / Sqrt[Data[[n, 5]]],
    {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
      Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}];
  ssErr = Table[{Data[[n, 3]], Data[[n, 11]] / Sqrt[Data[[n, 10]]],
    {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
      Length[Data[[All, 2]], wingindex[[wingindexnum + 1] - 1]]}}];
  onsetanal[[analwingindex]] = Join[{analwingindex}, {Table[
    {onset[[n, 1]], Around[onset[[n, 2]], onsetErr[[n, 2]]}, {n, 1, Length[onset]}]}];
  ssanal[[analwingindex]] = Join[{analwingindex}, {Table[{ss[[n, 1]], Around[ss[[n, 2]], ssErr[[n, 2]]}, {n, 1, Length[ss]}]}];];

In[48]:= onsetList = Table[NaN, {n, 1, Length[wingindex]};
onsetnstereoList = Table[NaN, {n, 1, Length[wingindex]};
onsetAoLList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetAoLPvalList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetY0List = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetY0PvalList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetAdjRsQList = Table[{n, NaN}, {n, 1, Length[wingindex]};
onsetExportTable = Table[{NaN, NaN, NaN, NaN, NaN, NaN}, {n, 1, Length[wingindex]};

In[55]:= (*Fit wings with all positive onsets and ss*)
(*Index of analyzed wings*)
analwingindex = 0;

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(*Fit weights are 1/SE^2 and there is a
different number of points in each measurement window*)
For[wingindexnum = 1, wingindexnum ≤ Length[wingindex], wingindexnum++,
onset = Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum + 1] - 1]}}];
ss = Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum + 1] - 1]}}];
If[Length[Select[onset[[All, 2]], # < 0 &]] + Length[Select[ss[[All, 2]], # < 0 &]] > 0,
Continue[], analwingindex = analwingindex + 1;
Print["analwingindex = ", analwingindex];
Print["wingindexnum = ", wingindexnum];
onsetError = Table[{Data[[n, 3]], Data[[n, 6]] / Sqrt[Data[[n, 5]]]},
  {n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum + 1] - 1]}}];
onsetList[[wingindexnum]] = Join[{wingindexnum}, {Table[
  {onset[[n, 1]], Around[onset[[n, 2]], onsetErr[[n, 2]]}, {n, 1, Length[onset]}}]];
nstereo = Last[onset[[All, 1]]] + 1;
fit = NonlinearModelFit[Table[onset[[n, 2]], {n, 1, Length[onset]}],
  {YPW[AoL, m, nstereo, Y0onset]}, {AoL, {Y0onset, onset[[1, 2]]}},
  m, Weights → Table[1 / onsetErr[[n, 2]]^2, {n, 1, Length[onset]}],
  VarianceEstimatorFunction → (1 &)];
onsetnstereoList[[wingindexnum]] = nstereo;
onsetAoLList[[wingindexnum, 1, 2]] =
  Evaluate[AoL /. fit["BestFitParameters"]][[1]];
onsetAoLList[[wingindexnum, 2]] = Evaluate[fit["ParameterErrors"]][[1]];
onsetAoLPvalList[[wingindexnum, 2]] = Evaluate[fit["ParameterTable"]][[1, 1, 2, 5]];
onsetY0List[[wingindexnum, 1, 2]] =
  Evaluate[Y0onset /. fit["BestFitParameters"]][[2]];
onsetY0List[[wingindexnum, 2]] = Evaluate[fit["ParameterErrors"]][[2]];
onsetY0PvalList[[wingindexnum, 2]] = Evaluate[fit["ParameterTable"]][[1, 1, 3, 5]];
onsetAdjRsedList[[wingindexnum, 2]] = Evaluate[fit["AdjustedRSquared"]];
onsetExportTable[[wingindexnum, 1]] = Data[[wingindex[[wingindexnum]], 1];
onsetExportTable[[wingindexnum, 2]] = Evaluate[AoL /. fit["BestFitParameters"]][[1]];
onsetExportTable[[wingindexnum, 3]] = Evaluate[fit["ParameterErrors"]][[1]];
onsetExportTable[[wingindexnum, 4]] =
  Evaluate[Y0onset /. fit["BestFitParameters"]][[2]];
onsetExportTable[[wingindexnum, 5]] = Evaluate[fit["ParameterErrors"]][[2]];
onsetExportTable[[wingindexnum, 6]] = Evaluate[fit["AdjustedRSquared"]];
Print[Data[[wingindex[[wingindexnum]], 2]];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],

```

```

    Alignment → Left]]];
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = nstereo - 1;
Ymin = 0;
deltaY = 10^(MantissaExponent[onsetList[[wingindexnum, 2, 1, 2]]["Value"] +
    onsetList[[wingindexnum, 2, 1, 2]]["Uncertainty"]][[2]] - 1);
Ymax = Ceiling[onsetList[[wingindexnum, 2, 1, 2]]["Value"] +
    onsetList[[wingindexnum, 2, 1, 2]]["Uncertainty"], deltaY];
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, deltaY}];
Print[Show[ListPlot[onsetList[[wingindexnum, 2]],
    PlotRange → {{-0.5, Xmax + 0.5}, {-deltaY / 2, Ymax + deltaY / 2}},
    PlotStyle → Thickness[Linewidth], IntervalMarkersStyle → Thickness[Linewidth],
    Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
    FrameLabel → {"Stereocilium position", "Peak displacement (nm)"},
    Joined → False, FrameStyle → {{Black, Thickness[Linewidth],
        FontSize → FontSize}, {Black, Thickness[Linewidth], FontSize → FontSize}},
        {{Black, Thickness[Linewidth], FontSize → FontSize},
        {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
    ListPlot[Table[{onset[[n, 1]], YPW[onsetAoLList[[wingindexnum, 1, 2]],
        n, nstereo, onsetY0List[[wingindexnum, 1, 2]]},
        {n, 1, Length[onset]}], PlotStyle → Blue, Joined → True]]]]]

analwingindex = 1
wingindexnum = 1
S8731025_left_1

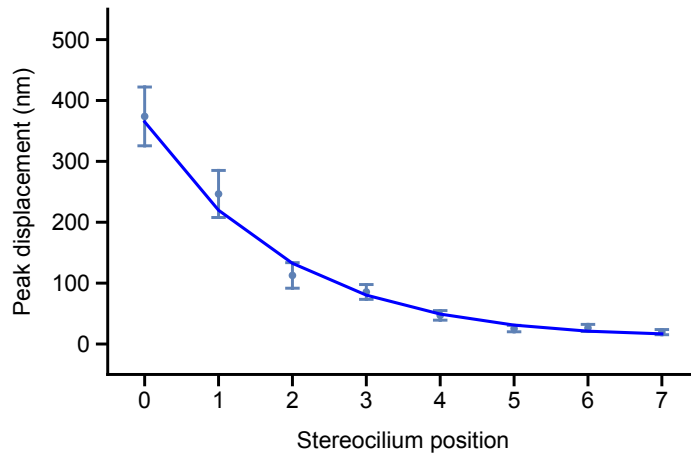
```

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.263558	0.028525	9.23953	0.000090762
Y0onset	364.877	35.9341	10.1541	0.0000530807

```

AdjustedRSquared 0.980438
AIC 64.8256
BIC 65.064
RSquared 0.985328

```



analwingindex = 2

wingindexnum = 3

S8731027_right_1

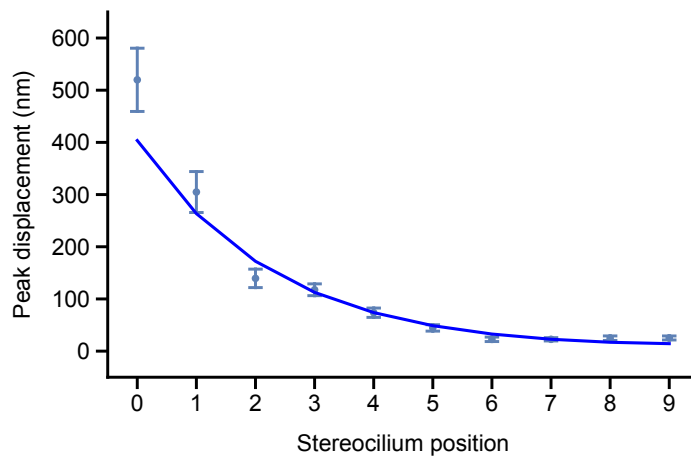
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.184873	0.0151669	12.1892	1.90278 $\times 10^{-6}$
YOnset	403.539	32.1748	12.5421	1.52994 $\times 10^{-6}$

AdjustedRSquared 0.944559

AIC 95.1203

BIC 96.028

RSquared 0.955647



analwingindex = 3

wingindexnum = 6

S8731036_left_1

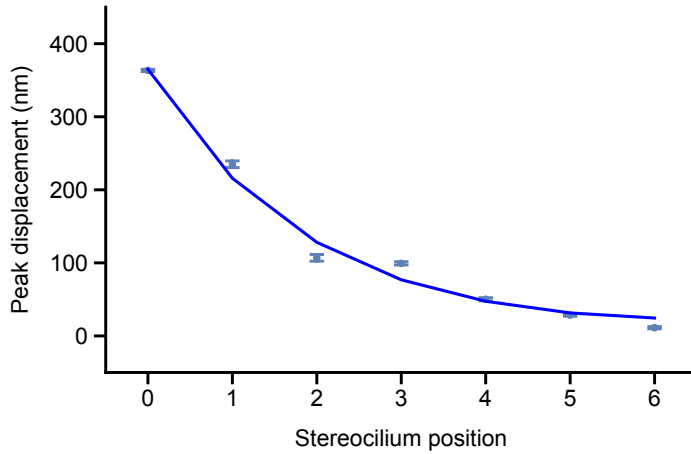
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.284436	0.00507923	55.9998	3.43469 $\times 10^{-8}$
YOnset	364.917	1.45268	251.202	1.89719 $\times 10^{-11}$

AdjustedRSquared 0.995306

AIC 255.531

BIC 255.369

RSquared 0.996647



analwingindex = 4

wingindexnum = 7

S8731036_right_1

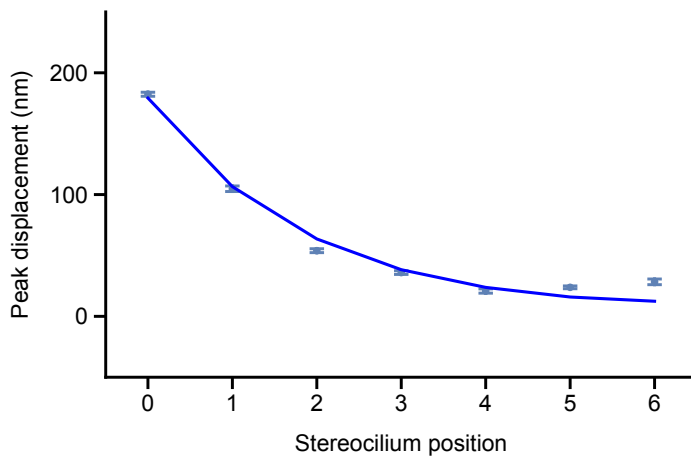
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.279249	0.00767818	36.3691	2.95889×10^{-7}
YOnset	179.263	1.56741	114.368	9.69208×10^{-10}

AdjustedRSquared 0.988281

AIC 166.548

BIC 166.386

RSquared 0.991629



analwingindex = 5

wingindexnum = 8

S8731044_right_1

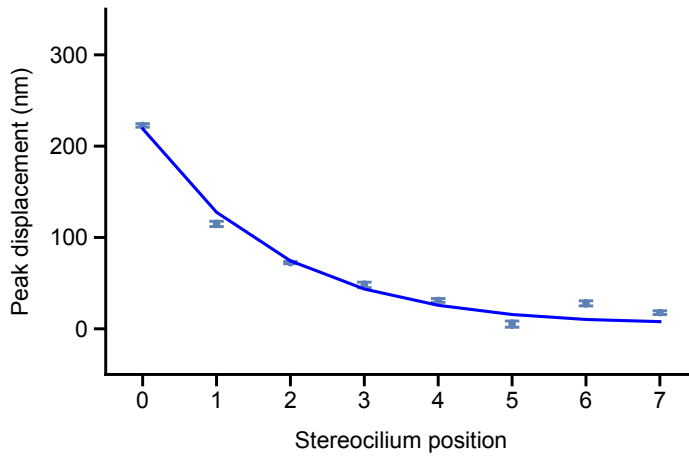
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.299858	0.00846557	35.4208	3.37529×10^{-8}
YOnset	219.025	1.84711	118.577	2.42556×10^{-11}

AdjustedRSquared 0.992645

AIC 142.243

BIC 142.481

RSquared 0.994484



analwingindex = 6

wingindexnum = 9

S8731045_right_1

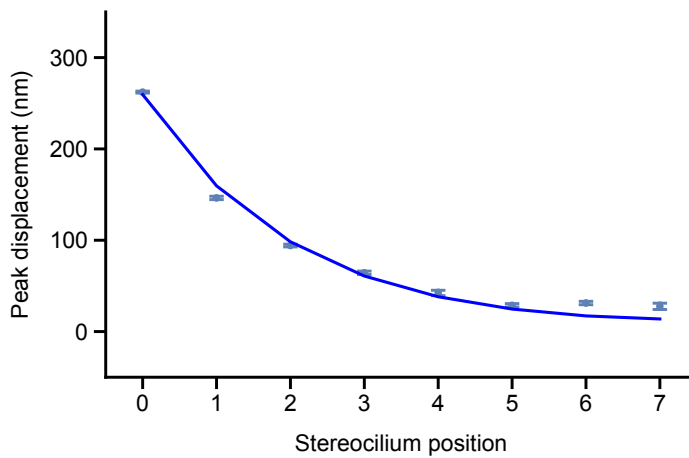
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.242363	0.00496274	48.8367	4.94269 $\times 10^{-9}$
YOnset	259.479	1.0454	248.21	2.88587 $\times 10^{-13}$

AdjustedRSquared 0.997214

AIC 181.284

BIC 181.523

RSquared 0.99791



analwingindex = 7

wingindexnum = 10

S8731047_left_1

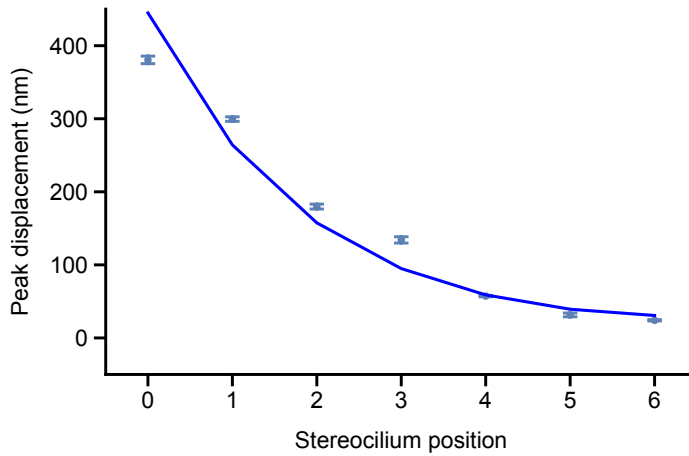
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.279735	0.00391101	71.5251	1.01182 $\times 10^{-8}$
YOnset	444.78	4.00306	111.11	1.11985 $\times 10^{-9}$

AdjustedRSquared 0.970443

AIC 506.133

BIC 505.97

RSquared 0.978888



analwingindex = 8

wingindexnum = 11

S8731047_right_1

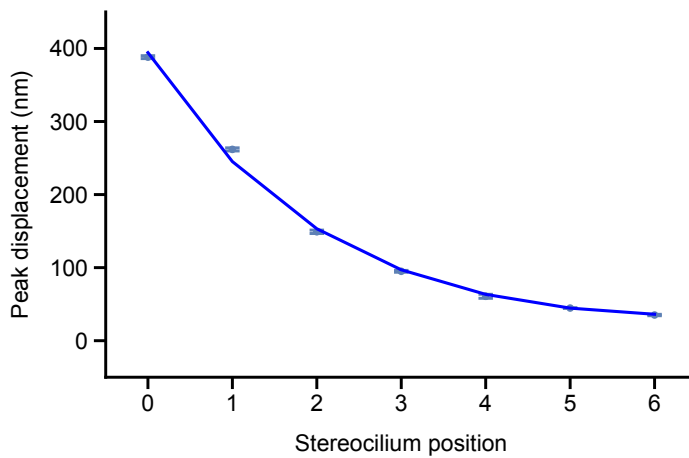
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.233129	0.00195691	119.131	7.90399 $\times 10^{-10}$
YOonset	394.266	1.78402	220.999	3.59962 $\times 10^{-11}$

AdjustedRSquared 0.998458

AIC 103.039

BIC 102.877

RSquared 0.998899



analwingindex = 9

wingindexnum = 13

S8802010_right_1

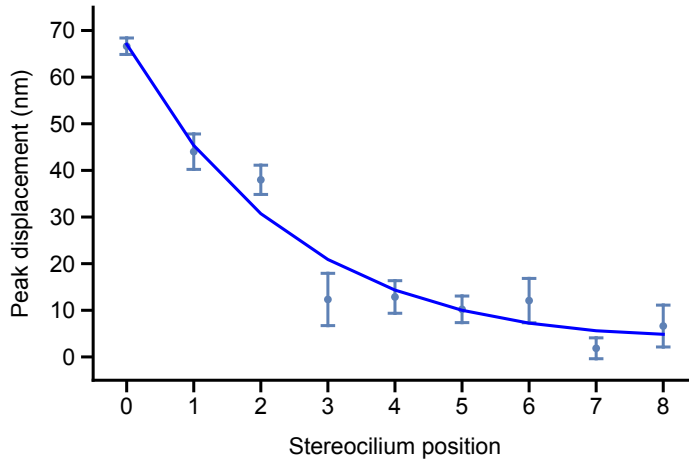
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.156145	0.0195441	7.98937	0.000091926
YOonset	67.0497	1.70487	39.3283	1.78952 $\times 10^{-9}$

AdjustedRSquared 0.991115

AIC 56.4751

BIC 57.0668

RSquared 0.993089



analwingindex = 10

wingindexnum = 14

S8802010_left_2

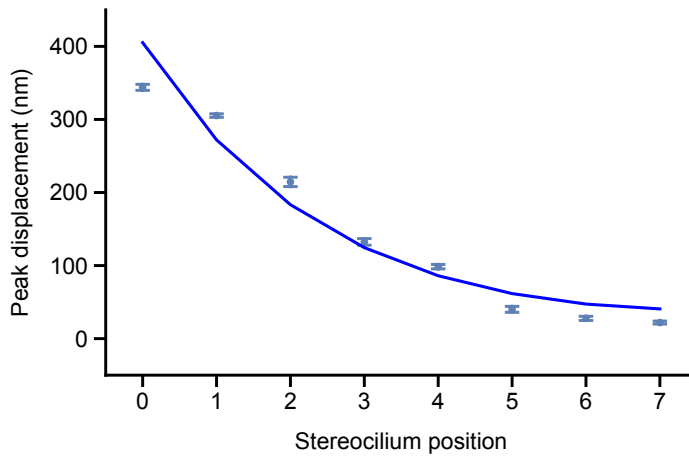
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.16321	0.0035823	45.56	7.4905 $\times 10^{-9}$
YOnset	405.096	3.13007	129.421	1.43507 $\times 10^{-11}$

AdjustedRSquared 0.968817

AIC 651.945

BIC 652.183

RSquared 0.976612



analwingindex = 11

wingindexnum = 15

S8802010_right_2

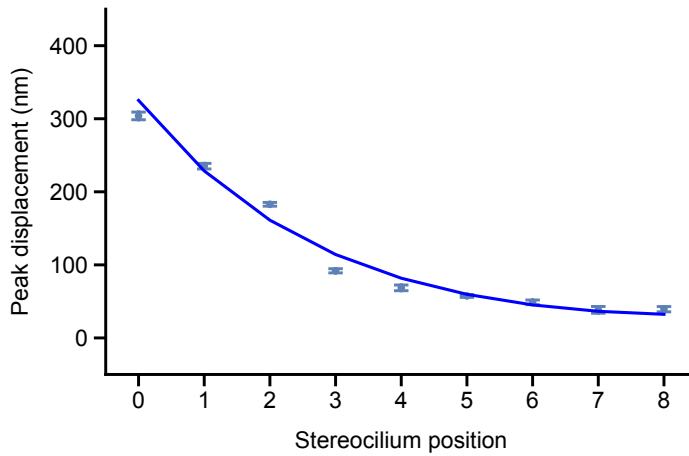
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.127102	0.0034558	36.7793	2.85479 $\times 10^{-9}$
YOnset	325.11	3.89075	83.5599	9.25629 $\times 10^{-12}$

AdjustedRSquared 0.985262

AIC 214.082

BIC 214.674

RSquared 0.988537



analwingindex = 12

wingindexnum = 16

S8802010_right_3

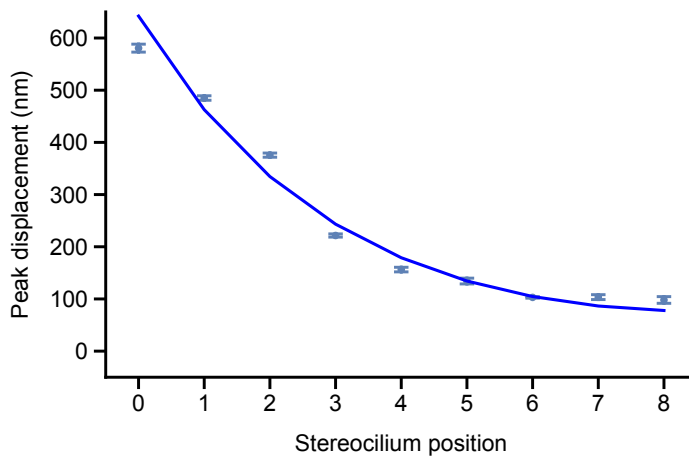
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.110505	0.00154834	71.3696	2.78823 $\times 10^{-11}$
YOnset	642.04	4.78486	134.181	3.36824 $\times 10^{-13}$

AdjustedRSquared 0.990418

AIC 347.032

BIC 347.624

RSquared 0.992547



analwingindex = 13

wingindexnum = 17

S8802012_left_1

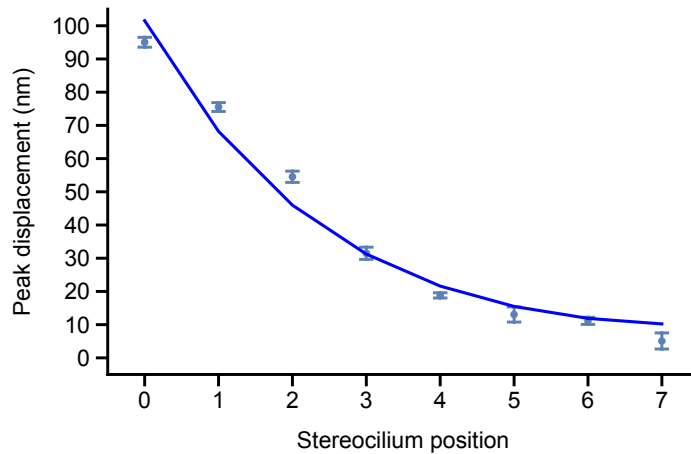
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.162855	0.00565485	28.7991	1.16094 $\times 10^{-7}$
YOnset	101.526	1.28157	79.2194	2.72412 $\times 10^{-10}$

AdjustedRSquared 0.986658

AIC 121.305

BIC 121.544

RSquared 0.989993



analwingindex = 14

wingindexnum = 18

S8802012_right_1

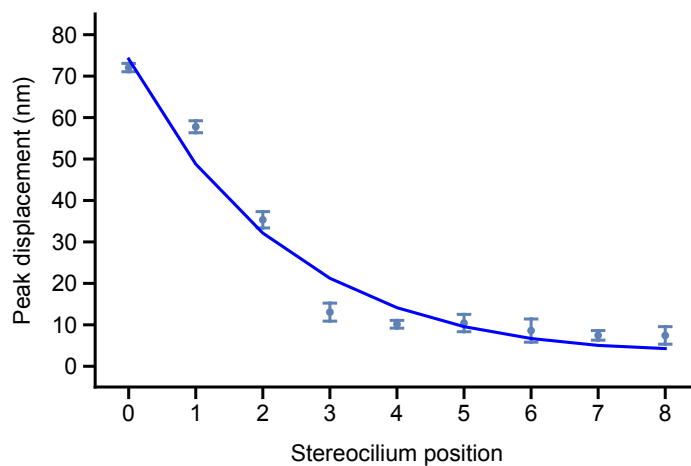
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.178796	0.0096899	18.4517	3.40416×10^{-7}
YOonset	74.1314	0.951961	77.8723	1.51543×10^{-11}

AdjustedRSquared 0.984915

AIC 116.883

BIC 117.475

RSquared 0.988267



analwingindex = 15

wingindexnum = 20

S8804012_left_1

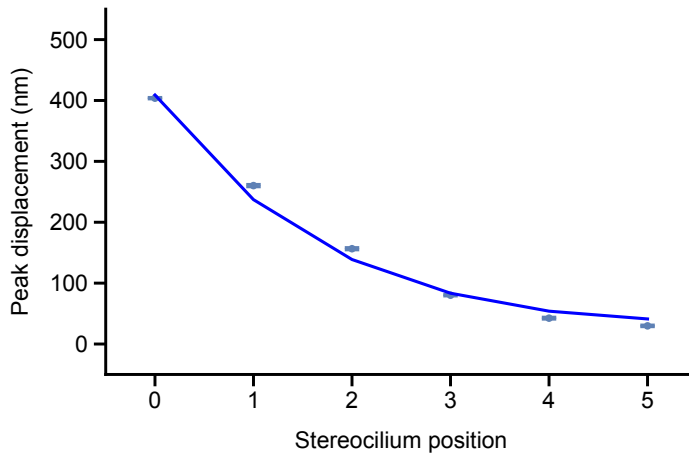
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.309909	0.00336088	92.2106	8.29252×10^{-8}
YOonset	409.	1.17543	347.958	4.0928×10^{-10}

AdjustedRSquared 0.996052

AIC 392.652

BIC 392.027

RSquared 0.997368



analwingindex = 16

wingindexnum = 21

S8804014_left_1

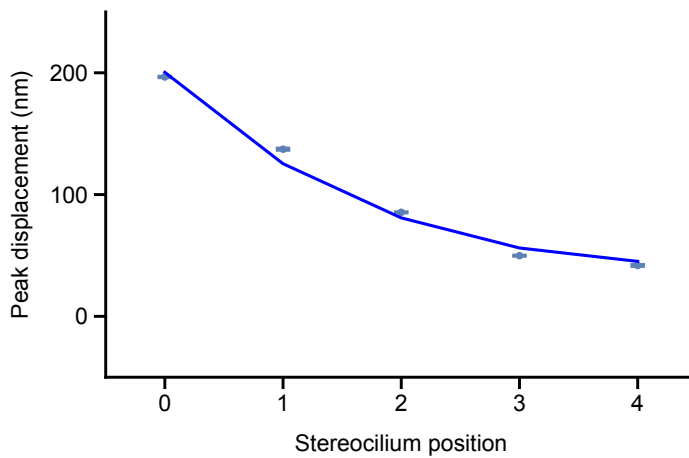
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.244084	0.00201593	121.078	1.24214×10^{-6}
YOnset	200.38	0.605936	330.696	6.09778×10^{-8}

AdjustedRSquared 0.995102

AIC 495.389

BIC 494.217

RSquared 0.997061



analwingindex = 17

wingindexnum = 22

S8804020_left_1

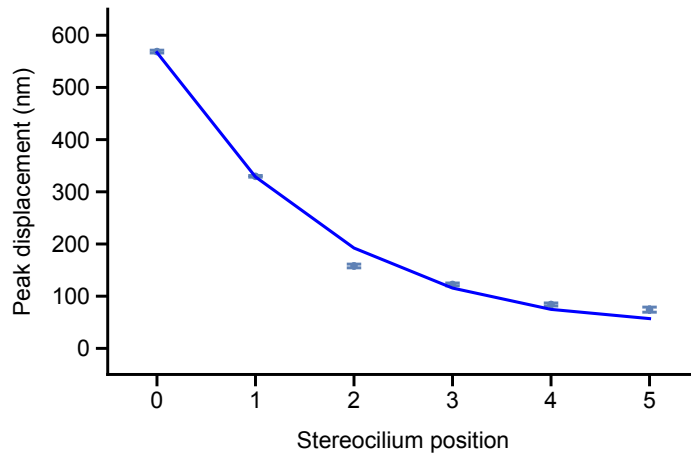
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.310177	0.00486022	63.8196	3.61098×10^{-7}
YOnset	566.882	2.41682	234.557	1.982×10^{-9}

AdjustedRSquared 0.998039

AIC 152.575

BIC 151.95

RSquared 0.998693



analwingindex = 18

wingindexnum = 24

S8807001_right_2

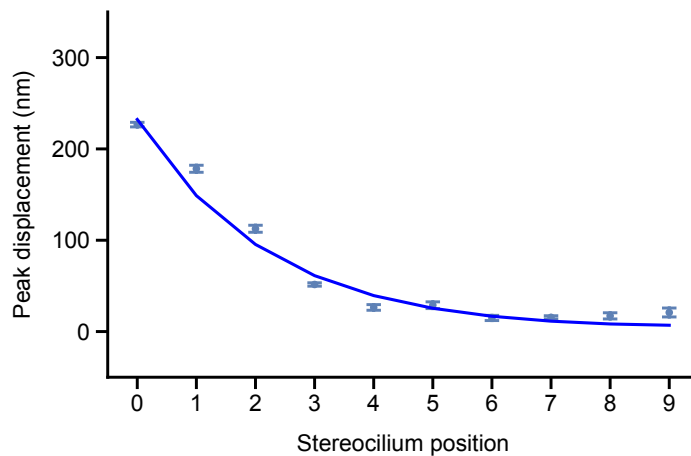
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.201695	0.00690555	29.2077	2.04475 $\times 10^{-9}$
YOnset	232.251	2.37952	97.6038	1.35572 $\times 10^{-13}$

AdjustedRSquared 0.984613

AIC 197.191

BIC 198.099

RSquared 0.987691



analwingindex = 19

wingindexnum = 25

S8807001_right_3

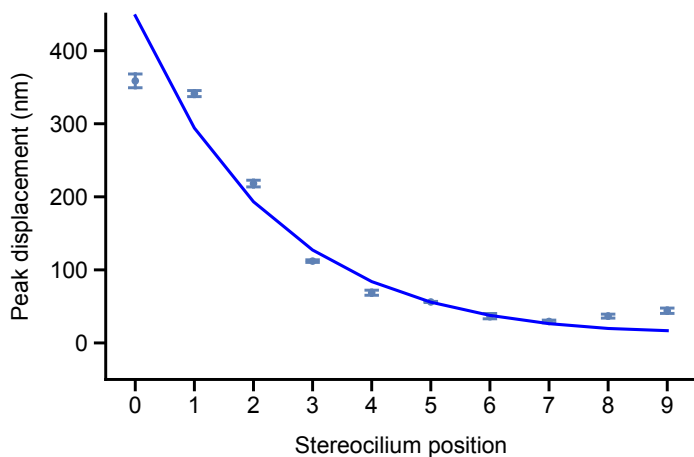
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.179807	0.00317212	56.6834	1.04156 $\times 10^{-11}$
YOnset	447.833	5.53093	80.9688	6.03628 $\times 10^{-13}$

AdjustedRSquared 0.973665

AIC 483.505

BIC 484.412

RSquared 0.978932



analwingindex = 20

wingindexnum = 26

S8807003_right_1

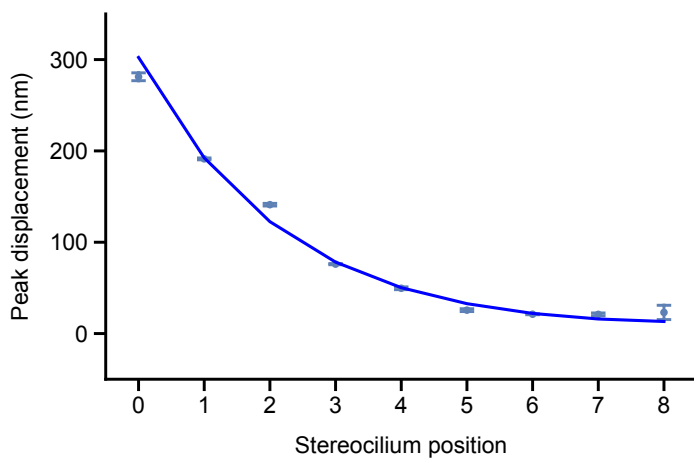
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.208526	0.00275186	75.7766	1.83393 $\times 10^{-11}$
YOnset	302.342	1.96713	153.697	1.30232 $\times 10^{-13}$

AdjustedRSquared 0.9952

AIC 274.789

BIC 275.381

RSquared 0.996267



analwingindex = 21

wingindexnum = 27

S8807004_right_1

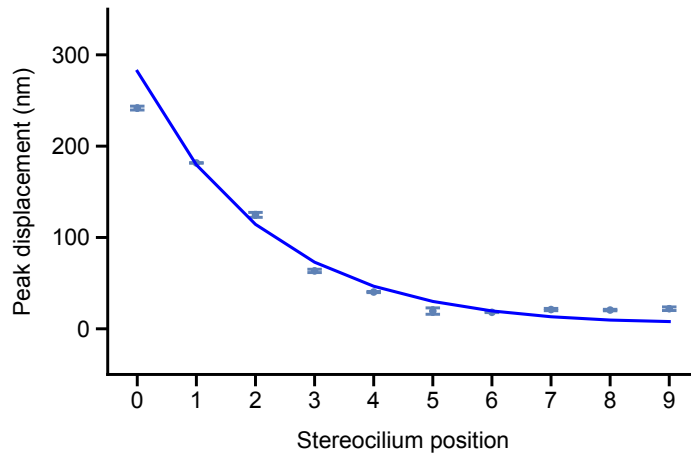
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.207544	0.00204634	101.422	9.97595 $\times 10^{-14}$
YOnset	281.972	0.83393	338.124	6.55393 $\times 10^{-18}$

AdjustedRSquared 0.996726

AIC 895.519

BIC 896.427

RSquared 0.997381



analwingindex = 22

wingindexnum = 28

S8807018_right_1

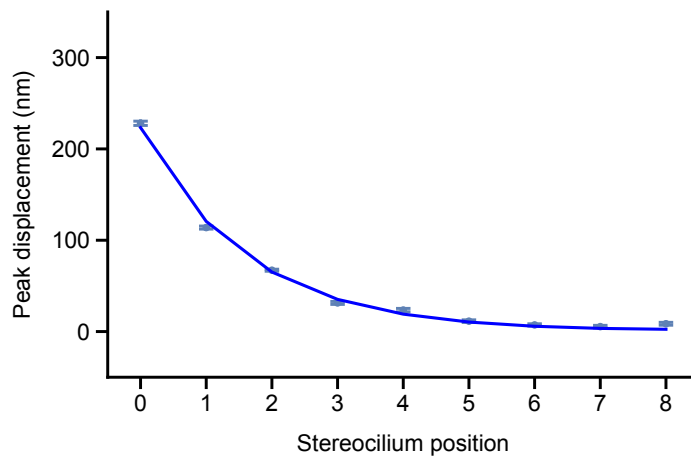
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.391498	0.0102408	38.2293	2.18043 $\times 10^{-9}$
YOnset	223.285	2.14747	103.976	2.00615 $\times 10^{-12}$

AdjustedRSquared 0.996254

AIC 84.0283

BIC 84.62

RSquared 0.997086



analwingindex = 23

wingindexnum = 29

S8808003_left_1

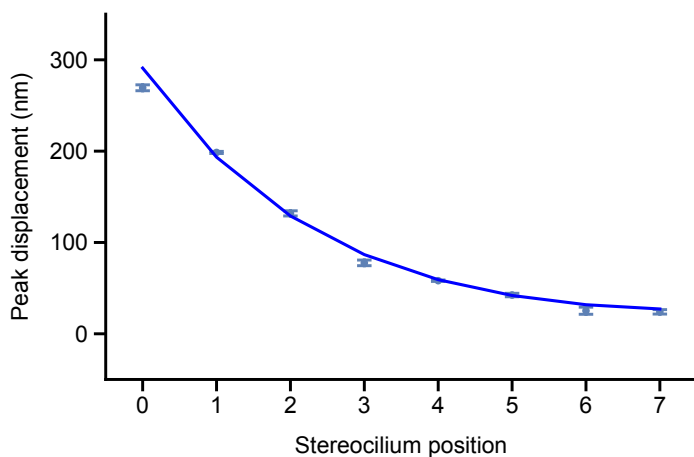
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.17132	0.00288044	59.4771	1.518 $\times 10^{-9}$
YOnset	290.961	1.95342	148.949	6.17681 $\times 10^{-12}$

AdjustedRSquared 0.997645

AIC 113.717

BIC 113.956

RSquared 0.998234



analwingindex = 24

wingindexnum = 30

S8809001_left_2

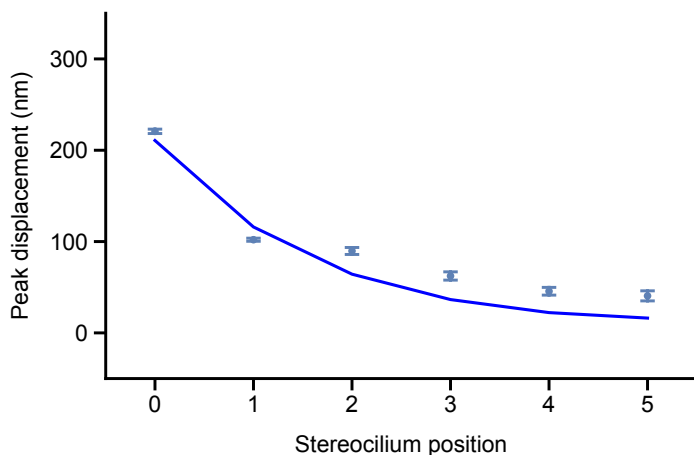
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.371074	0.0180049	20.6096	0.0000327405
YOnset	210.673	2.3045	91.4182	8.5837 $\times 10^{-8}$

AdjustedRSquared 0.975451

AIC 243.785

BIC 243.16

RSquared 0.983634



analwingindex = 25

wingindexnum = 31

S8809001_left_3

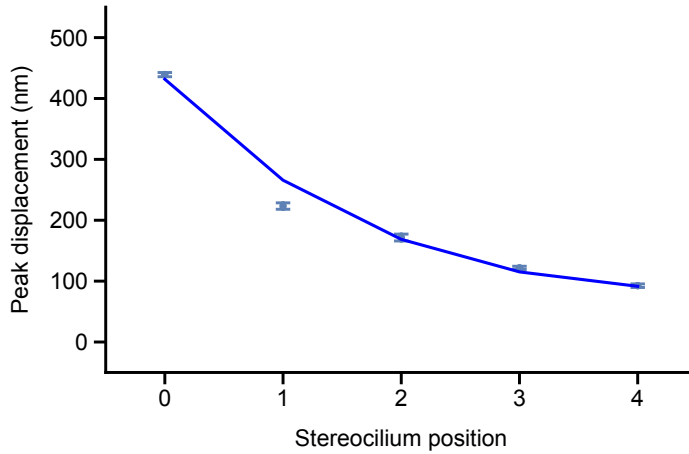
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.258737	0.00545807	47.4046	0.0000206688
YOnset	431.647	3.30858	130.463	9.92924 $\times 10^{-7}$

AdjustedRSquared 0.994222

AIC 105.205

BIC 104.033

RSquared 0.996533



analwingindex = 26

wingindexnum = 32

S8809003_left_1

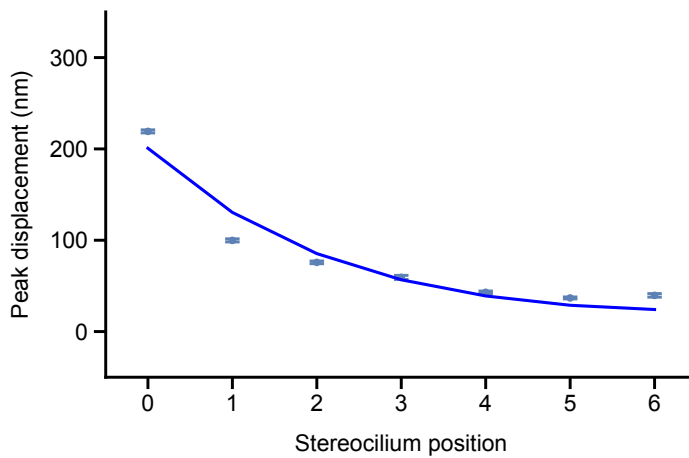
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.192735	0.00395807	48.6942	6.90171×10^{-8}
YOonset	200.683	1.49131	134.569	4.29858×10^{-10}

AdjustedRSquared 0.967583

AIC 641.286

BIC 641.124

RSquared 0.976845



analwingindex = 27

wingindexnum = 33

S8809009_left_1

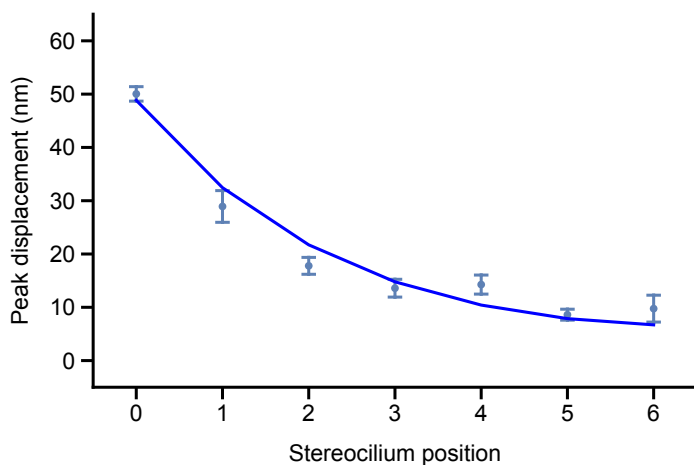
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.174456	0.0140221	12.4415	0.0000594759
YOonset	48.8343	1.30129	37.5275	2.5308×10^{-7}

AdjustedRSquared 0.987909

AIC 42.1609

BIC 41.9986

RSquared 0.991363



analwingindex = 28

wingindexnum = 34

S8809011_left_1

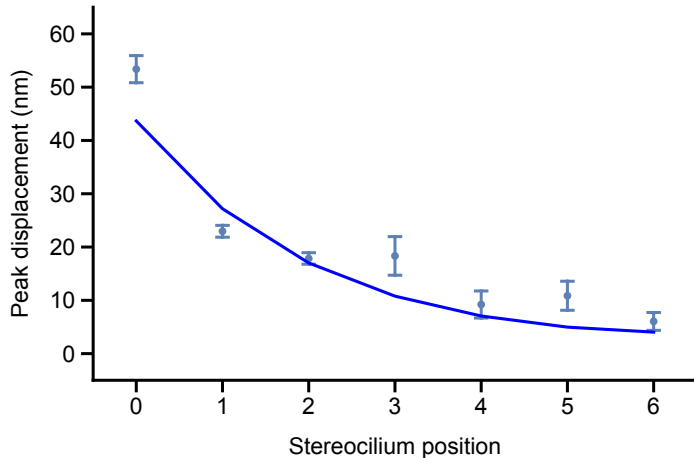
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.231913	0.032071	7.23125	0.000789093
YOnset	43.6601	1.98361	22.0105	3.59419 $\times 10^{-6}$

AdjustedRSquared 0.952635

AIC 69.5074

BIC 69.3451

RSquared 0.966168



analwingindex = 29

wingindexnum = 35

S8811007_left_1

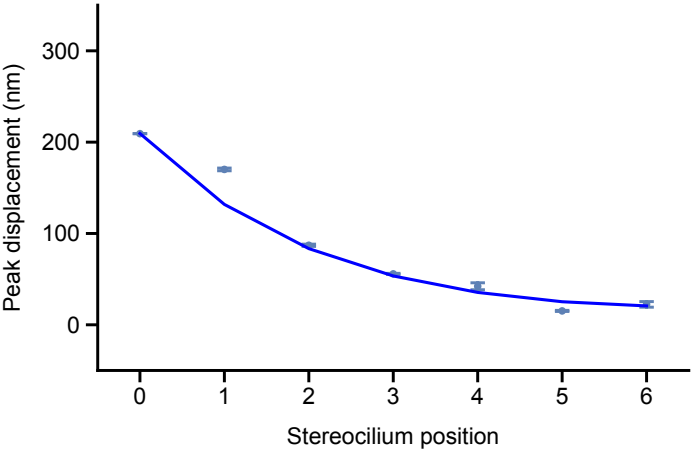
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.221795	0.00227751	97.3849	2.16449 $\times 10^{-9}$
YOnset	209.467	0.133192	1572.67	1.97296 $\times 10^{-15}$

AdjustedRSquared 0.999442

AIC 1012.63

BIC 1012.46

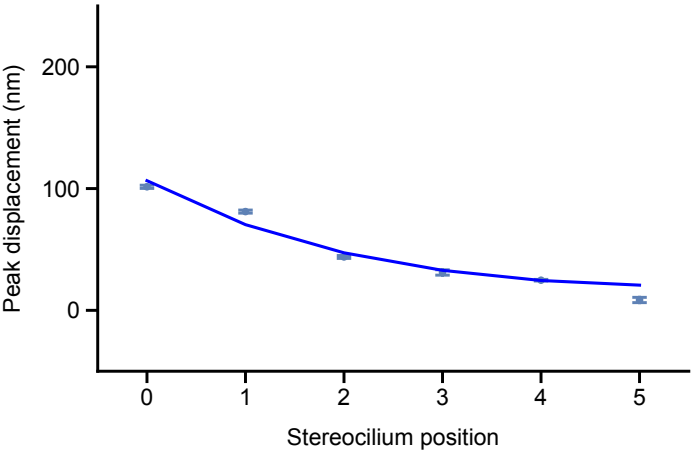
RSquared 0.999601



```
analwingindex = 30
wingindexnum = 36
S8811009_left_1
```

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.184474	0.00511568	36.0604	3.53024 $\times 10^{-6}$
YOnset	106.466	1.1629	91.5526	8.53341 $\times 10^{-8}$

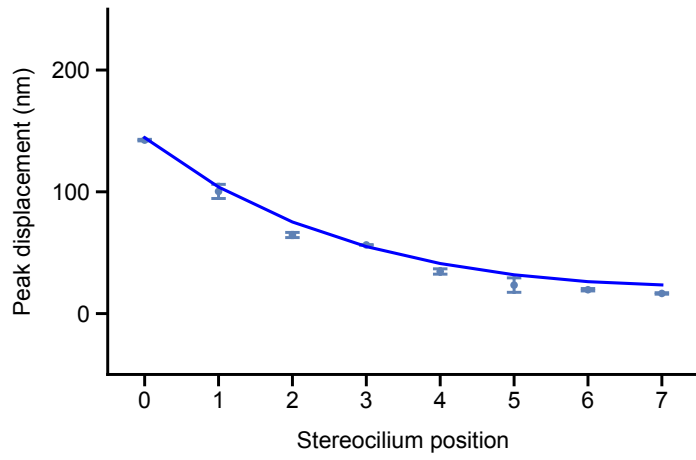
AdjustedRSquared 0.985373
AIC 148.754
BIC 148.129
RSquared 0.990249



```
analwingindex = 31
wingindexnum = 37
S8811019_left_1
```

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.113523	0.001125	100.91	6.38322 $\times 10^{-11}$
YOnset	144.43	0.632326	228.411	4.75196 $\times 10^{-13}$

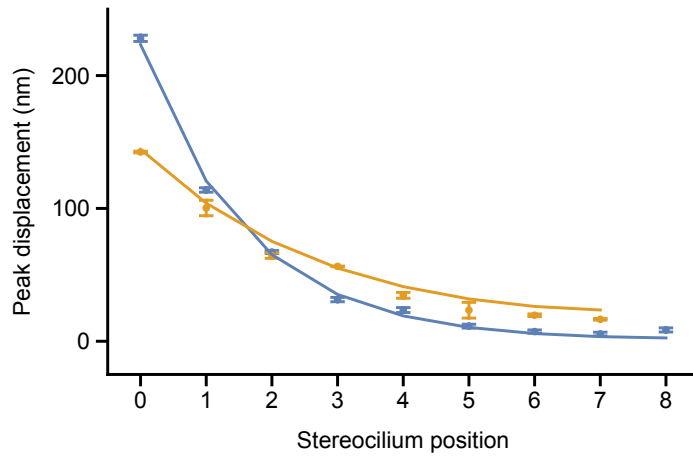
AdjustedRSquared 0.997015
AIC 288.119
BIC 288.357
RSquared 0.997761



```

In[57]:= (*Example wings*)
wingindexnum1 = 28;
wingindexnum2 = 37;
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax =
  Max[Length[onsetList[[wingindexnum1, 2]], Length[onsetList[[wingindexnum2, 2]]] - 1;
Ymin = 0;
deltaY =
  10 ^ (MantissaExponent[Max[onsetList[[wingindexnum1, 2, 1, 2]]["Value"] + onsetList[[
    wingindexnum1, 2, 1, 2]]["Uncertainty"], onsetList[[wingindexnum2, 2, 1, 2]]["
    Value"] + onsetList[[wingindexnum2, 2, 1, 2]]["Uncertainty"]]] [[2]] - 1);
Ymax = Ceiling[Max[onsetList[[wingindexnum1, 2, 1, 2]]["Value"] +
  onsetList[[wingindexnum1, 2, 1, 2]]["Uncertainty"], onsetList[[wingindexnum2, 2, 1,
    2]]["Value"] + onsetList[[wingindexnum2, 2, 1, 2]]["Uncertainty"]], deltaY];
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, deltaY}];
Print[Show[ListPlot[{onsetList[[wingindexnum1, 2]], onsetList[[wingindexnum2, 2]]},
  PlotRange → {{-0.5, Xmax + 0.5}, {-deltaY / 4, Ymax - deltaY / 2}},
  PlotStyle → Thickness[Linewidth], IntervalMarkersStyle → Thickness[Linewidth],
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Stereocilium position", "Peak displacement (nm)"}, Joined → False,
  FrameStyle → {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {Black, Thickness[Linewidth], FontSize → FontSize}}, Axes → False], ListPlot[
  {Table[{onsetList[[wingindexnum1, 2, n, 1]], YPW[onsetAoLList[[wingindexnum1, 1, 2]],
    n, Length[onsetList[[wingindexnum1, 2]], onsetY0List[[wingindexnum1, 1, 2]]},
    {n, 1, Length[onsetList[[wingindexnum1, 2]]}],
    Table[{onsetList[[wingindexnum2, 2, n, 1]], YPW[onsetAoLList[[wingindexnum2, 1, 2]],
    n, Length[onsetList[[wingindexnum2, 2]], onsetY0List[[wingindexnum2, 1, 2]]},
    {n, 1, Length[onsetList[[wingindexnum2, 2]]}],
    PlotStyle → Thickness[Linewidth], Joined → True]]]
onsetAoLList[[wingindexnum1, 1, 2]]
onsetAoLList[[wingindexnum2, 1, 2]]
onsetY0List[[wingindexnum1, 1, 2]]
onsetY0List[[wingindexnum2, 1, 2]]

```

Out[69]= 0.391498

Out[70]= 0.113523

Out[71]= 223.285

Out[72]= 144.43

In[73]:= (*****Exported Data*****)

```

In[74]:= Data[[wingindex[[wingindexnum1]], 1]]
onset = Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum1]], If[wingindexnum1 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum1 + 1] - 1]]}];
ss = Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum1]], If[wingindexnum1 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum1 + 1] - 1]]}];
onsetError = Table[{Data[[n, 3]], Data[[n, 6]] / Sqrt[Data[[n, 5]]]},
  {n, wingindex[[wingindexnum1]], If[wingindexnum1 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum1 + 1] - 1]]}];
nstereo = Last[onset[[All, 1]]] + 1;
fit = NonlinearModelFit[Table[onset[[n, 2]], {n, 1, Length[onset]}],
  {YPW[AoL, m, nstereo, Y0onset]}, {AoL, {Y0onset, onset[[1, 2]]}},
  m, Weights → Table[1 / onsetErr[[n, 2]]^2, {n, 1, Length[onset]}],
  VarianceEstimatorFunction → (1 &)];
onsetAoLList[[wingindexnum1, 1, 2]] = Evaluate[AoL /. fit["BestFitParameters"]][[1]];
onsetAoLList[[wingindexnum1, 2]] = Evaluate[fit["ParameterErrors"]][[1]];
onsetY0List[[wingindexnum1, 1, 2]] = Evaluate[Y0onset /. fit["BestFitParameters"]][[2]];
onsetY0List[[wingindexnum1, 2]] = Evaluate[fit["ParameterErrors"]][[2]];
onsetAdjRsqrList[[wingindexnum1, 2]] = Evaluate[fit["AdjustedRSquared"]];
Print[Data[[wingindex[[wingindexnum1]], 1]]];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment → Left]];

```

Out[74]= S8807018_1_right

S8807018_1_right

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.391498	0.0102408	38.2293	2.18043 × 10 ⁻⁹
Y0onset	223.285	2.14747	103.976	2.00615 × 10 ⁻¹²

AdjustedRSquared 0.996254

AIC 84.0283

BIC 84.62

RSquared 0.997086

```

In[88]:= Data[[wingindex[[wingindexnum2]], 1]]
onset = Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum2]], If[wingindexnum2 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum2 + 1] - 1]]}];
ss = Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum2]], If[wingindexnum2 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum2 + 1] - 1]]}];
onsetError = Table[{Data[[n, 3]], Data[[n, 6]] / Sqrt[Data[[n, 5]]]},
  {n, wingindex[[wingindexnum2]], If[wingindexnum2 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum2 + 1] - 1]]}];
nstereo = Last[onset[[All, 1]]] + 1;
fit = NonlinearModelFit[Table[onset[[n, 2]], {n, 1, Length[onset]}],
  {YPW[AoL, m, nstereo, Y0onset]}, {AoL, {Y0onset, onset[[1, 2]]},
  m, Weights → Table[1 / onsetErr[[n, 2]]^2, {n, 1, Length[onset]}],
  VarianceEstimatorFunction → (1 &)}];
onsetAoLList[[wingindexnum2, 1, 2]] = Evaluate[AoL /. fit["BestFitParameters"]][[1]];
onsetAoLList[[wingindexnum2, 2]] = Evaluate[fit["ParameterErrors"]][[1]];
onsetY0List[[wingindexnum2, 1, 2]] = Evaluate[Y0onset /. fit["BestFitParameters"]][[2]];
onsetY0List[[wingindexnum2, 2]] = Evaluate[fit["ParameterErrors"]][[2]];
onsetAdjRsqrList[[wingindexnum2, 2]] = Evaluate[fit["AdjustedRSquared"]];
Print[Data[[wingindex[[wingindexnum2]], 1]]];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment → Left]];

```

Out[88]= S8811019_1_left

S8811019_1_left

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.113523	0.001125	100.91	6.38322 × 10 ⁻¹¹
Y0onset	144.43	0.632326	228.411	4.75196 × 10 ⁻¹³
AdjustedRSquared	0.997015			
AIC	288.119			
BIC	288.357			
RSquared	0.997761			

```

In[102]:= (*Remove NaN entries*)
baddata[entry_] := MatchQ[entry, {_?NumberQ, NaN}];
onsetnstereoListrenum = DeleteCases[onsetnstereoList, NaN];
onsetAoLListtemp = DeleteCases[onsetAoLList, _?baddata];
onsetAoLListrenum = Table[{n, onsetAoLListtemp[[n, 1, 2]], onsetAoLListtemp[[n, 2]],
  {n, 1, Length[onsetAoLListtemp]}}];
baddata2[entry_] := MatchQ[entry, {_?NumberQ, NaN}];
onsetAdjRsqListtemp = DeleteCases[onsetAdjRsqList, _?baddata2];
onsetAdjRsqListrenum =
  Table[{n, onsetAdjRsqListtemp[[n, 2]]}, {n, 1, Length[onsetAdjRsqListtemp]}}];

In[109]:= (*Minimum and maximum ratios*)
Min[onsetAoLListrenum[[All, 1, 2]]]
Max[onsetAoLListrenum[[All, 1, 2]]]

Out[109]= 0.110505

Out[110]= 0.391498

In[111]:= MedianOnsetAoL = Quantile[onsetAoLListrenum[[All, 1, 2]], 0.5]
LowerQuantileOnsetAoL = Quantile[onsetAoLListrenum[[All, 1, 2]], 0.25]
UpperQuantileOnsetAoL = Quantile[onsetAoLListrenum[[All, 1, 2]], 0.75]

Out[111]= 0.208526

Out[112]= 0.174456

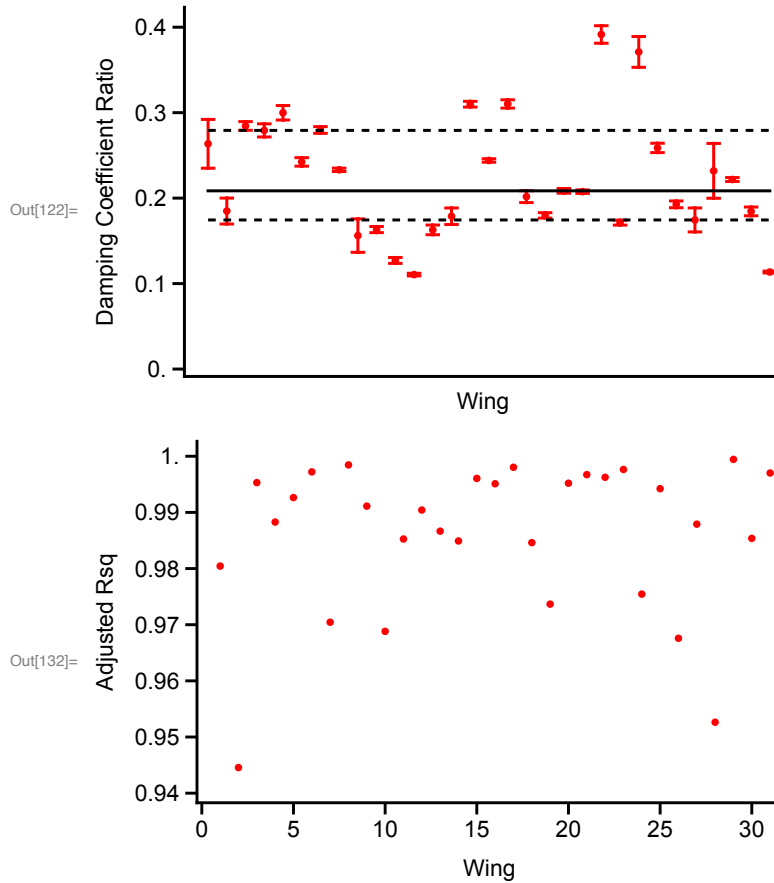
Out[113]= 0.279249

```

```

In[114]:= (*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = Length[onsetAoLListrenum];
Ymin = 0; Ymax = 1;
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 5}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 0.1}];
Show[ListPlot[Table[{onsetAoLListrenum[[n, 1, 1]], Around[onsetAoLListrenum[[n, 1, 2]],
    onsetAoLListrenum[[n, 2]]}], {n, 1, Length[onsetAoLListrenum]}],
    PlotRange → All, PlotStyle → {Thickness[Linewidth], Red},
    IntervalMarkersStyle → {Thickness[Linewidth], Red},
    Frame → {{True, False}, {True, False}}, FrameTicks → {None, YTicks},
    FrameLabel → {"Wing", "Damping Coefficient Ratio"}, Joined → False,
    FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
        {Black, Thickness[Linewidth], FontSize → FontSize}},
        {{Black, Thickness[Linewidth], FontSize → FontSize},
        {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
    Plot[{MedianOnsetAoL, LowerQuantileOnsetAoL, UpperQuantileOnsetAoL},
        {n, 1, Length[onsetAoLListrenum]}, PlotStyle → {{Thickness[Linewidth], Black},
            {Thickness[Linewidth], Black, Dashed}, {Thickness[Linewidth], Black, Dashed}}]]
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = Length[onsetAoLListrenum];
Ymin = 0;
Ymax = 1;
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 5}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 0.01}];
ListPlot[Table[{onsetAoLListrenum[[n, 1, 1]], onsetAdjRsqListrenum[[n, 1, 2]]},
    {n, 1, Length[onsetAoLListrenum]}],
    PlotRange → All, PlotStyle → {Thickness[Linewidth], Red},
    IntervalMarkersStyle → Thickness[Linewidth], Frame → {{True, False}, {True, False}},
    FrameTicks → {XTicks, YTicks}, FrameLabel → {"Wing", "Adjusted Rsq"},
    Joined → False, FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
        {Black, Thickness[Linewidth], FontSize → FontSize}},
        {{Black, Thickness[Linewidth], FontSize → FontSize},
        {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]

```



```
In[133]:= (*Minimum adjRsqr*)
```

```
Min[onsetAdjRsqrList[All, 2]]
```

```
Out[133]= Min[0.944559, NaN]
```

```
In[134]:= (*Maximum P-value over all fit parameters*)
```

```
Max[{onsetAoLPvalList[All, 2], onsetY0PvalList[All, 2]]}
```

```
Out[134]= Max[0.000789093, NaN]
```

```
In[135]:= (*****)
```

```
In[136]:= ssList = Table[NaN, {n, 1, Length[wingindex]}];
ssnstereoList = Table[NaN, {n, 1, Length[wingindex]}];
ssAoLList = Table[{n, NaN}, {n, 1, Length[wingindex]}];
ssAoLPvalList = Table[{n, NaN}, {n, 1, Length[wingindex]}];
ssY0List = Table[{n, NaN}, {n, 1, Length[wingindex]}];
ssY0PvalList = Table[{n, NaN}, {n, 1, Length[wingindex]}];
ssAdjRsqrList = Table[{n, NaN}, {n, 1, Length[wingindex]}];
ssExportTable = Table[{NaN, NaN, NaN, NaN, NaN, NaN}, {n, 1, Length[wingindex]}];
```

```
In[144]:= (*Fit wings with all positive onsets and ss*)
```

```
(*Index of analyzed wings*)
```

```
analwingindex = 0;
```

```

(*Fit weights are 1/SE^2 and there is a
different number of points in each measurement window*)
For[wingindexnum = 1, wingindexnum ≤ Length[wingindex], wingindexnum++,
onset = Table[{Data[[n, 3]], Data[[n, 4]]},
{n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
Length[Data[[All, 2]]], wingindex[[wingindexnum + 1] - 1]]}];
ss = Table[{Data[[n, 3]], Data[[n, 9]]},
{n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
Length[Data[[All, 2]]], wingindex[[wingindexnum + 1] - 1]]}];
If[Length[Select[onset[[All, 2]], # < 0 &]] + Length[Select[ss[[All, 2]], # < 0 &]] > 0,
Continue[], analwingindex = analwingindex + 1;
Print["analwingindex = ", analwingindex];
Print["wingindexnum = ", wingindexnum];
ssErr = Table[{Data[[n, 3]], Data[[n, 11]] / Sqrt[Data[[n, 10]]]},
{n, wingindex[[wingindexnum]], If[wingindexnum + 1 > Length[wingindex],
Length[Data[[All, 2]]], wingindex[[wingindexnum + 1] - 1]]}];
ssList[[wingindexnum]] = Join[{wingindexnum},
{Table[{ss[[n, 1]], Around[ss[[n, 2]], ssErr[[n, 2]]}, {n, 1, Length[ss]}]}];
nstereo = Last[ss[[All, 1]]] + 1;
fit = NonlinearModelFit[Table[ss[[n, 2]], {n, 1, Length[ss]}],
{YPW[AoL, m, nstereo, Y0ss]}, {AoL, {Y0ss, ss[[1, 2]]}}, m,
Weights → Table[1 / ssErr[[n, 2]] ^ 2, {n, 1, Length[ss]}],
VarianceEstimatorFunction → (1 &)];
ssnstereoList[[wingindexnum]] = nstereo;
ssAoLList[[wingindexnum, 1, 2]] = Evaluate[AoL /. fit["BestFitParameters"]][[1]];
ssAoLList[[wingindexnum, 2]] = Evaluate[fit["ParameterErrors"]][[1]];
ssAoLPvalList[[wingindexnum, 2]] = Evaluate[fit["ParameterTable"]][[1, 1, 2, 5]];
ssY0List[[wingindexnum, 1, 2]] = Evaluate[Y0ss /. fit["BestFitParameters"]][[2]];
ssY0List[[wingindexnum, 2]] = Evaluate[fit["ParameterErrors"]][[2]];
ssY0PvalList[[wingindexnum, 2]] = Evaluate[fit["ParameterTable"]][[1, 1, 3, 5]];
ssAdjRsqrList[[wingindexnum, 2]] = Evaluate[fit["AdjustedRSquared"]];
ssExportTable[[wingindexnum, 1]] = Data[[wingindex[[wingindexnum]], 1];
ssExportTable[[wingindexnum, 2]] = Evaluate[AoL /. fit["BestFitParameters"]][[1]];
ssExportTable[[wingindexnum, 3]] = Evaluate[fit["ParameterErrors"]][[1]];
ssExportTable[[wingindexnum, 4]] = Evaluate[Y0ss /. fit["BestFitParameters"]][[2]];
ssExportTable[[wingindexnum, 5]] = Evaluate[fit["ParameterErrors"]][[2]];
ssExportTable[[wingindexnum, 6]] = Evaluate[fit["AdjustedRSquared"]];
Print[Data[[wingindex[[wingindexnum]], 2]];
Print[fit["ParameterTable"]];
Print[
Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
Alignment → Left]];
(*Tick Marks*)
TickLength = 0.02;

```

```

Xmin = 0;
Xmax = nstereo - 1;
Ymin = 0;
deltaY = 10^(MantissaExponent[ssList[[wingindexnum, 2, 1, 2]]["Value"] +
  ssList[[wingindexnum, 2, 1, 2]]["Uncertainty"]][[2]] - 1);
Ymax = Ceiling[ssList[[wingindexnum, 2, 1, 2]]["Value"] +
  ssList[[wingindexnum, 2, 1, 2]]["Uncertainty"], deltaY];
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, deltaY}];
Print[Show[ListPlot[ssList[[wingindexnum, 2],
  PlotRange → {{-0.5, Xmax + 0.5}, {-deltaY / 2, Ymax + deltaY / 2}},
  PlotStyle → Thickness[Linewidth], IntervalMarkersStyle → Thickness[Linewidth],
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Stereocilium position", "Steady-state displacement (nm)"},
  Joined → False, FrameStyle → {{Black, Thickness[Linewidth],
    FontSize → FontSize}, {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
  ListPlot[Table[{ss[[n, 1]], YPW[ssAoLList[[wingindexnum, 1, 2]],
    n, nstereo, ssY0List[[wingindexnum, 1, 2]]}],
    {n, 1, Length[ss]}], PlotStyle → Blue, Joined → True]]]]

analwingindex = 1
wingindexnum = 1
S8731025_left_1

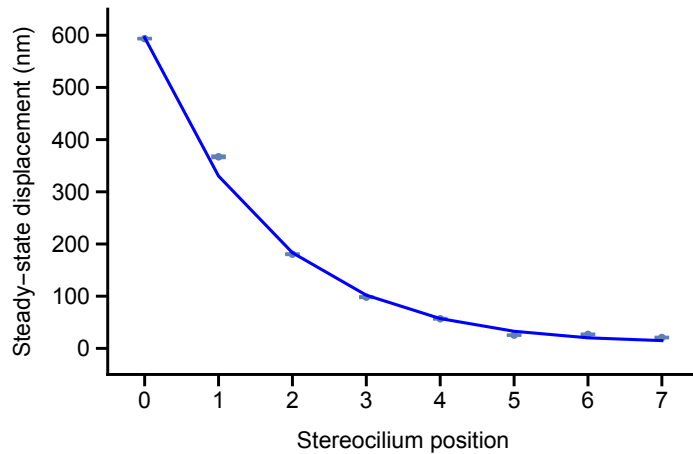
```

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.358482	0.00185639	193.106	1.30119 × 10 ⁻¹²
Y0ss	595.499	0.685954	868.133	1.57681 × 10 ⁻¹⁶

```

AdjustedRSquared 0.998791
AIC               767.121
BIC               767.359
RSquared          0.999093

```

analwingindex = 2

wingindexnum = 3

S8731027_right_1

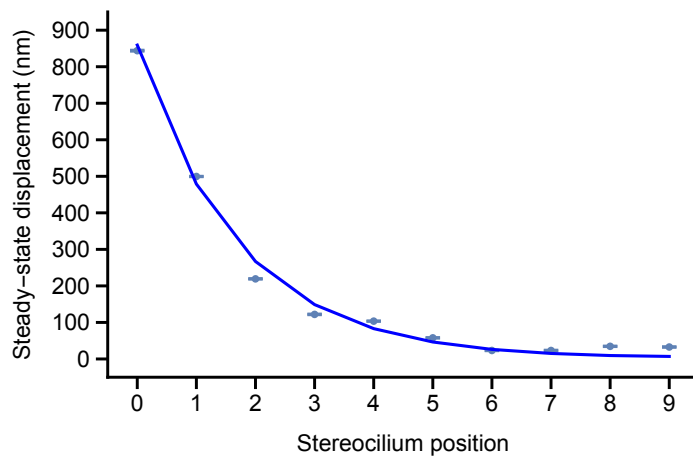
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.351645	0.00125866	279.379	3.01649×10^{-17}
Y0ss	859.188	1.07141	801.923	6.54843×10^{-21}

AdjustedRSquared 0.990046

AIC 10 386.8

BIC 10 387.7

RSquared 0.992037



analwingindex = 3

wingindexnum = 6

S8731036_left_1

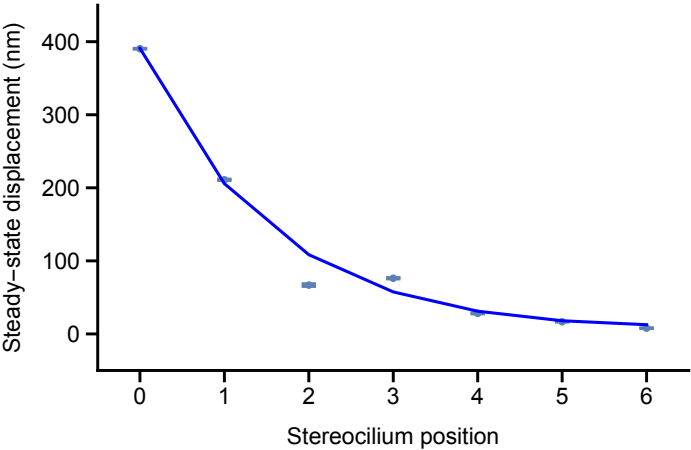
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.427258	0.00337796	126.484	5.85911×10^{-10}
Y0ss	390.897	0.597545	654.171	1.5843×10^{-13}

AdjustedRSquared 0.99697

AIC 1020.47

BIC 1020.3

RSquared 0.997836



analwingindex = 4

wingindexnum = 7

S8731036_right_1

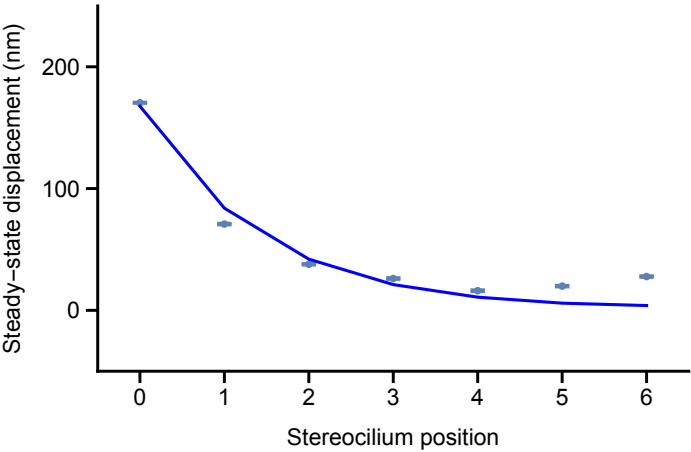
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.499242	0.0071189	70.129	1.11653 $\times 10^{-8}$
Y0ss	167.634	0.461368	363.342	2.99704 $\times 10^{-12}$

AdjustedRSquared 0.979181

AIC 2260.18

BIC 2260.02

RSquared 0.985129



analwingindex = 5

wingindexnum = 8

S8731044_right_1

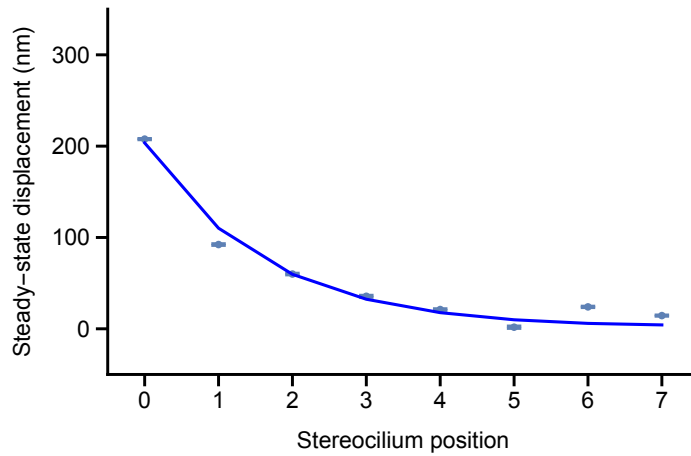
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.389159	0.00630939	61.6793	1.22087 $\times 10^{-9}$
Y0ss	203.51	0.679789	299.373	9.37464 $\times 10^{-14}$

AdjustedRSquared 0.984683

AIC 1223.94

BIC 1224.18

RSquared 0.988513



analwingindex = 6

wingindexnum = 9

S8731045_right_1

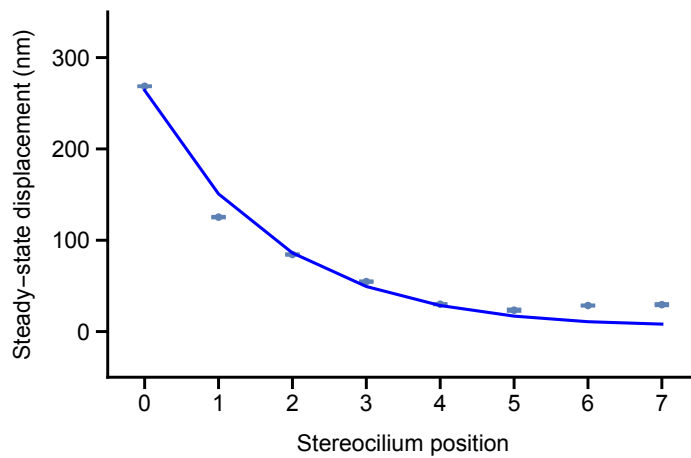
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.323449	0.00310621	104.13	5.28715×10^{-11}
Y0ss	264.085	0.495478	532.99	2.94419×10^{-15}

AdjustedRSquared 0.990781

AIC 2253.27

BIC 2253.51

RSquared 0.993086



analwingindex = 7

wingindexnum = 10

S8731047_left_1

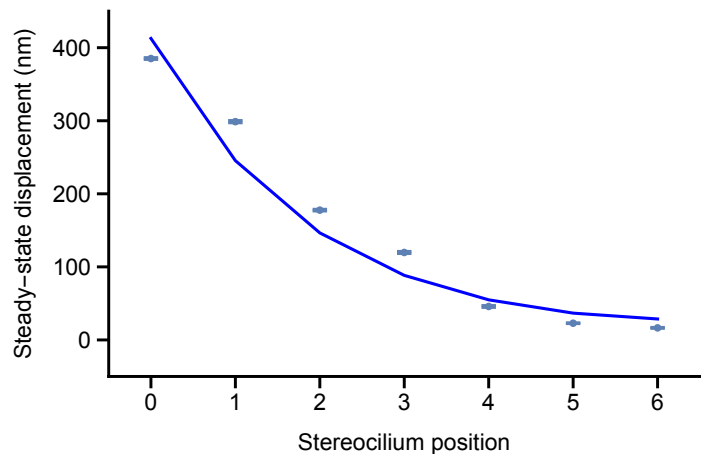
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.278512	0.00200512	138.901	3.66894×10^{-10}
Y0ss	412.646	1.1819	349.137	3.65837×10^{-12}

AdjustedRSquared 0.966551

AIC 3831.02

BIC 3830.86

RSquared 0.976108



analwingindex = 8

wingindexnum = 11

S8731047_right_1

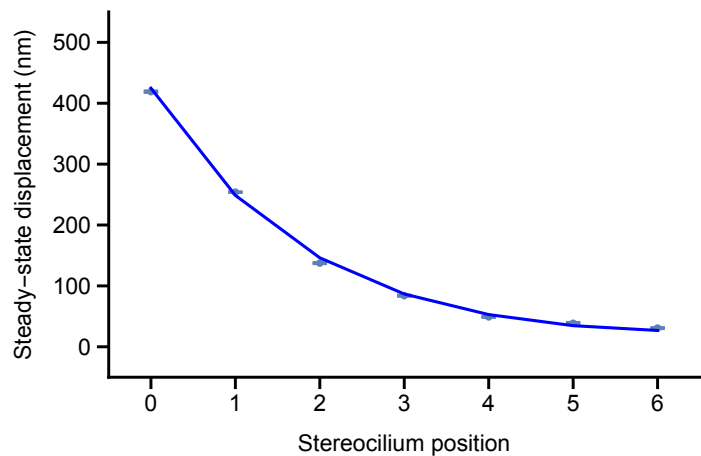
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.295559	0.00223258	132.384	4.66501×10^{-10}
Y0ss	424.762	1.01824	417.151	1.50249×10^{-12}

AdjustedRSquared 0.998967

AIC 253.443

BIC 253.281

RSquared 0.999262



analwingindex = 9

wingindexnum = 13

S8802010_right_1

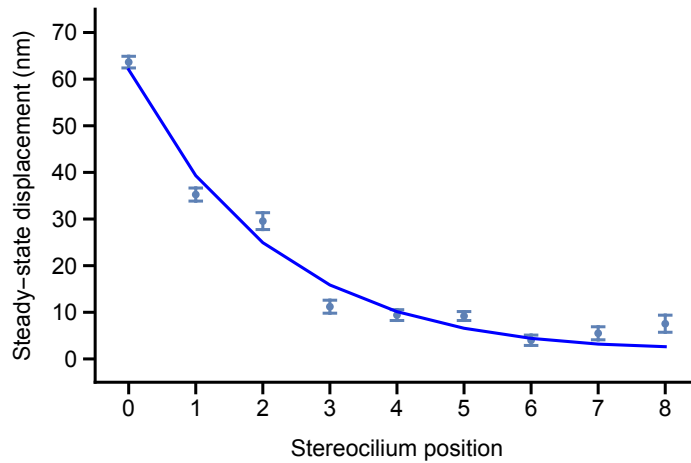
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.212211	0.0132493	16.0168	8.98189×10^{-7}
Y0ss	62.0166	1.15096	53.8826	1.98783×10^{-10}

AdjustedRSquared 0.984343

AIC 73.6075

BIC 74.1992

RSquared 0.987822



analwingindex = 10

wingindexnum = 14

S8802010_left_2

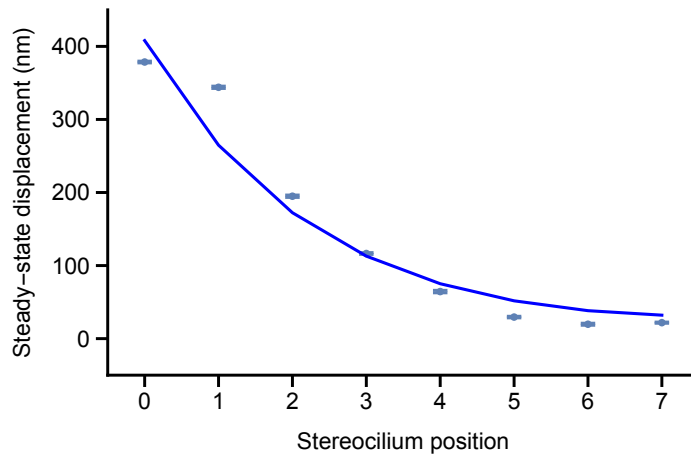
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.191542	0.00165254	115.908	2.78051×10^{-11}
Y0ss	407.909	1.13773	358.527	3.17773×10^{-14}

AdjustedRSquared 0.96804

AIC 4023.08

BIC 4023.32

RSquared 0.97603



analwingindex = 11

wingindexnum = 15

S8802010_right_2

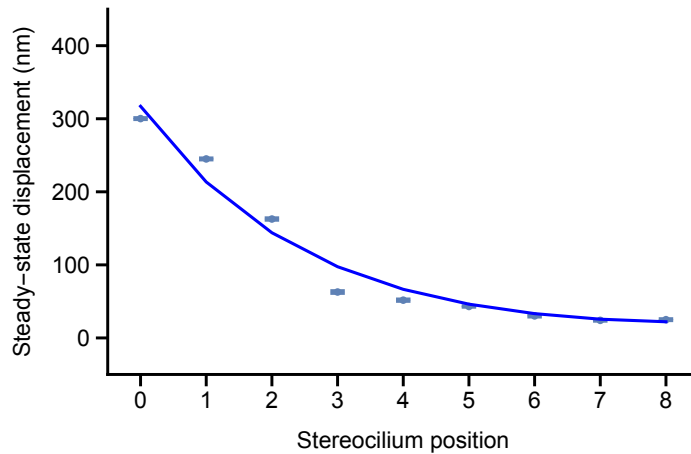
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.159703	0.001926	82.9194	9.76804×10^{-12}
Y0ss	317.061	1.19436	265.465	2.84178×10^{-15}

AdjustedRSquared 0.983266

AIC 1266.05

BIC 1266.64

RSquared 0.986984



analwingindex = 12

wingindexnum = 16

S8802010_right_3

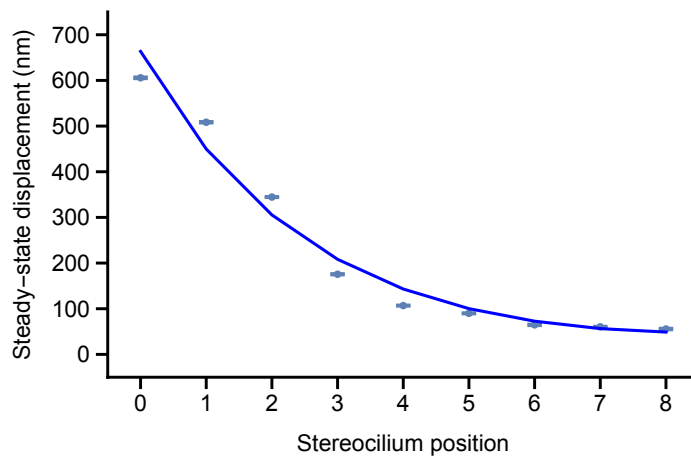
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.154369	0.000951494	162.238	8.91956 $\times 10^{-14}$
Y0ss	663.534	1.57801	420.488	1.13617 $\times 10^{-16}$

AdjustedRSquared 0.980587

AIC 4653.31

BIC 4653.9

RSquared 0.984901



analwingindex = 13

wingindexnum = 17

S8802012_left_1

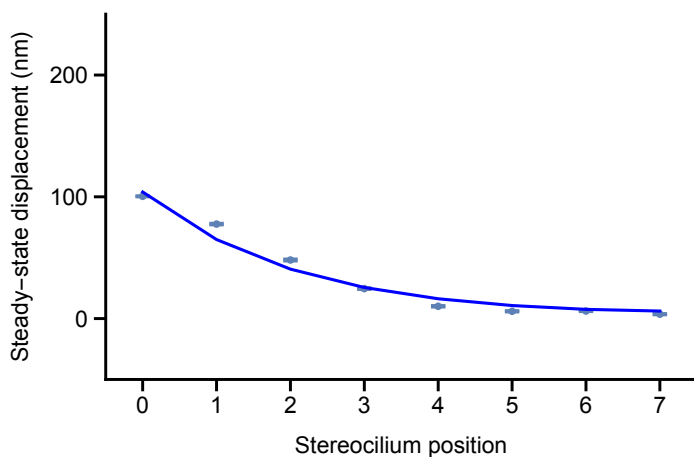
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.227344	0.00395393	57.4983	1.85912 $\times 10^{-9}$
Y0ss	103.944	0.443022	234.625	4.04519 $\times 10^{-13}$

AdjustedRSquared 0.985847

AIC 700.202

BIC 700.44

RSquared 0.989385



analwingindex = 14

wingindexnum = 18

S8802012_right_1

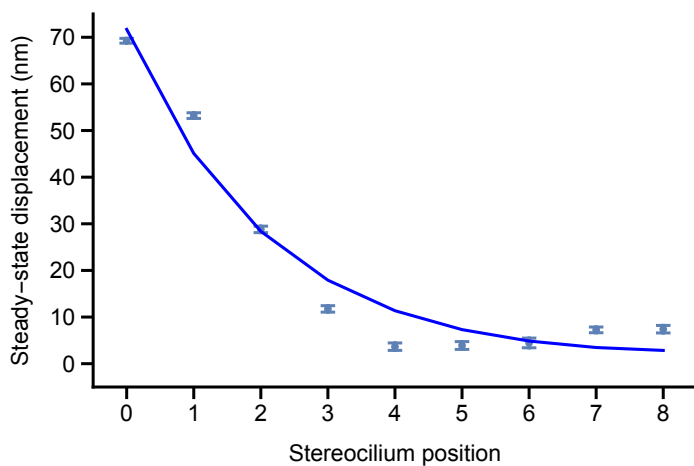
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.219477	0.00648348	33.8518	5.08716×10^{-9}
Y0ss	71.692	0.486209	147.451	1.74103×10^{-13}

AdjustedRSquared 0.978881

AIC 476.098

BIC 476.69

RSquared 0.983574



analwingindex = 15

wingindexnum = 20

S8804012_left_1

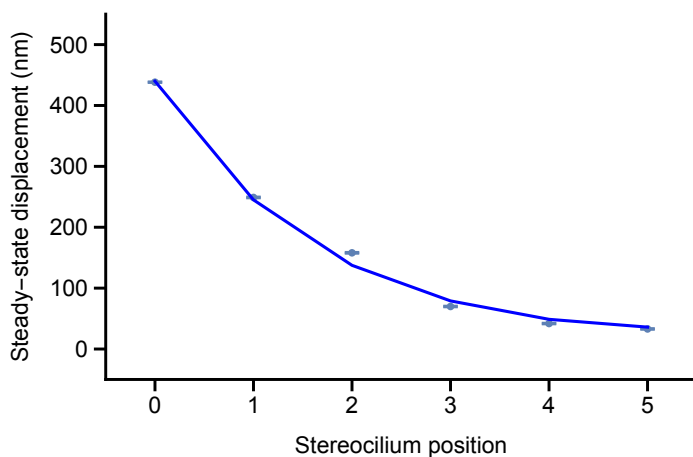
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.356876	0.0013824	258.156	1.35075×10^{-9}
Y0ss	439.914	0.383159	1148.12	3.453×10^{-12}

AdjustedRSquared 0.998388

AIC 1602.41

BIC 1601.79

RSquared 0.998925



analwingindex = 16

wingindexnum = 21

S8804014_left_1

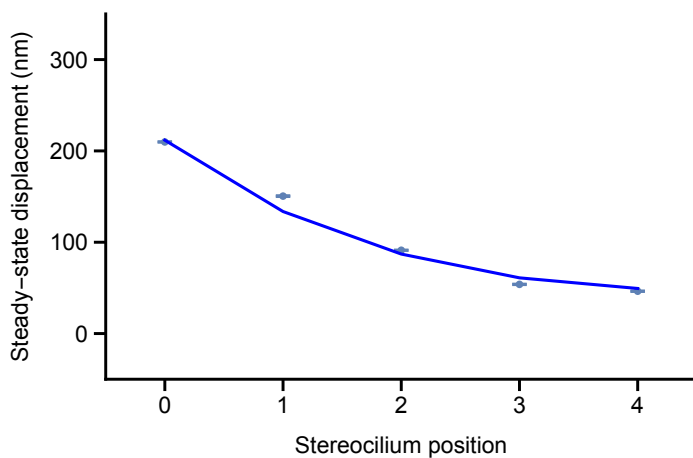
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.235891	0.000740855	318.404	6.83155×10^{-8}
Y0ss	211.727	0.19485	1086.61	1.71887×10^{-9}

AdjustedRSquared 0.996992

AIC 2671.03

BIC 2669.85

RSquared 0.998195



analwingindex = 17

wingindexnum = 22

S8804020_left_1

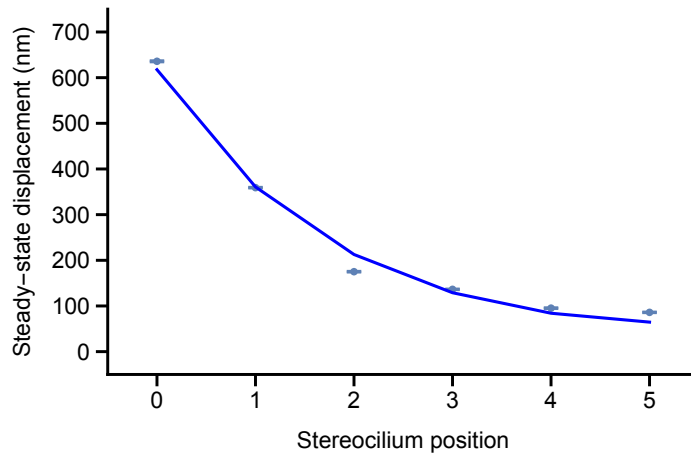
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.301667	0.0012111	249.084	1.55854×10^{-9}
Y0ss	617.46	0.986045	626.198	3.90208×10^{-11}

AdjustedRSquared 0.990997

AIC 4115.41

BIC 4114.78

RSquared 0.993998



analwingindex = 18

wingindexnum = 24

S8807001_right_2

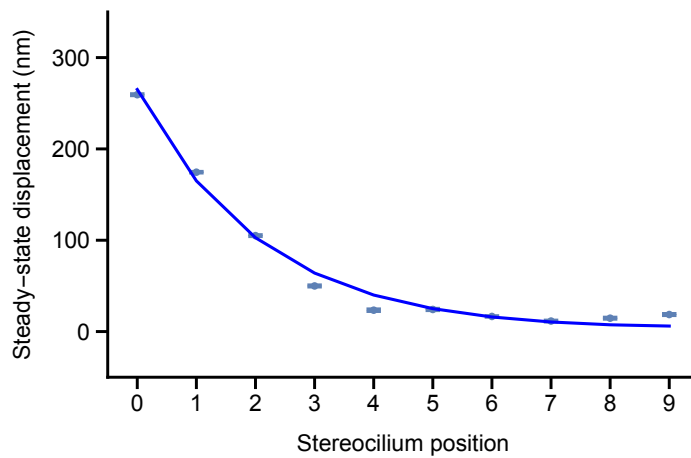
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.229074	0.00311881	73.449	1.31526×10^{-12}
Y0ss	265.051	0.994446	266.531	4.39604×10^{-17}

AdjustedRSquared 0.993007

AIC 611.791

BIC 612.699

RSquared 0.994406



analwingindex = 19

wingindexnum = 25

S8807001_right_3

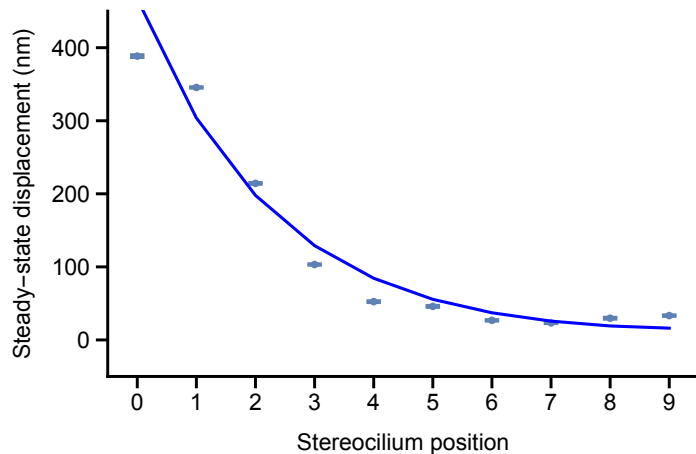
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.187506	0.00159919	117.25	3.12893×10^{-14}
Y0ss	466.674	1.43236	325.807	8.81895×10^{-18}

AdjustedRSquared 0.967909

AIC 5300.42

BIC 5301.33

RSquared 0.974327



analwingindex = 20

wingindexnum = 26

S8807003_right_1

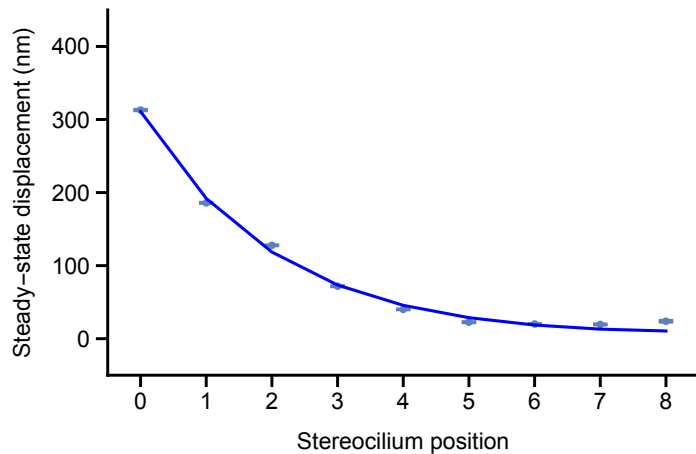
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.237612	0.00179167	132.62	3.65571×10^{-13}
Y0ss	310.935	0.79452	391.35	1.87826×10^{-16}

AdjustedRSquared 0.996661

AIC 645.08

BIC 645.672

RSquared 0.997403



analwingindex = 21

wingindexnum = 27

S8807004_right_1

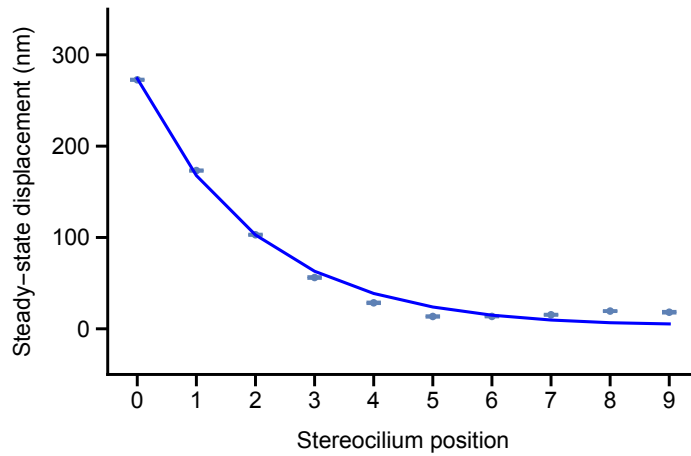
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.245501	0.00207314	118.42	2.89023×10^{-14}
Y0ss	273.984	0.627564	436.584	8.48423×10^{-19}

AdjustedRSquared 0.993181

AIC 1403.23

BIC 1404.14

RSquared 0.994545



analwingindex = 22

wingindexnum = 28

S8807018_right_1

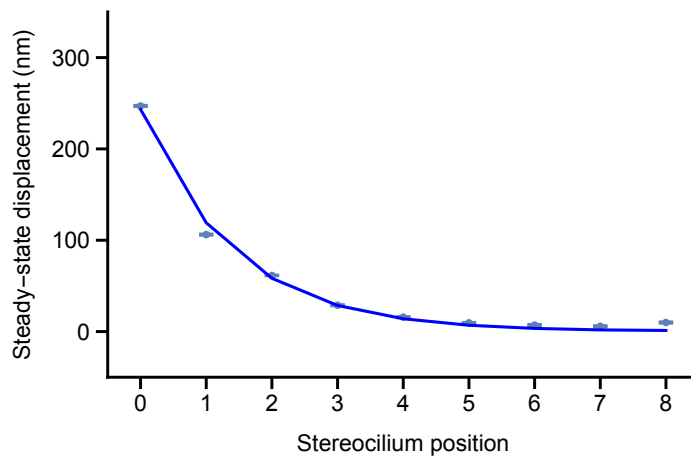
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.531762	0.00465741	114.175	1.04242×10^{-12}
Y0ss	243.2	0.652126	372.934	2.63201×10^{-16}

AdjustedRSquared 0.99514

AIC 717.181

BIC 717.773

RSquared 0.99622



analwingindex = 23

wingindexnum = 29

S8808003_left_1

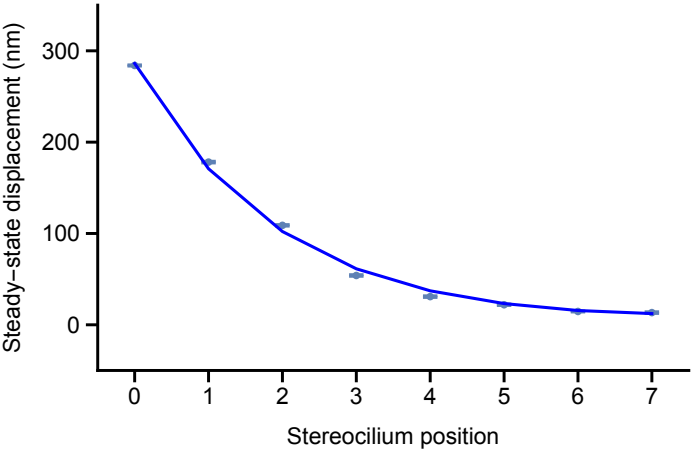
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.272787	0.0023767	114.775	2.94911×10^{-11}
Y0ss	286.142	0.616681	464.003	6.76309×10^{-15}

AdjustedRSquared 0.998576

AIC 290.62

BIC 290.858

RSquared 0.998932



analwingindex = 24

wingindexnum = 30

S8809001_left_2

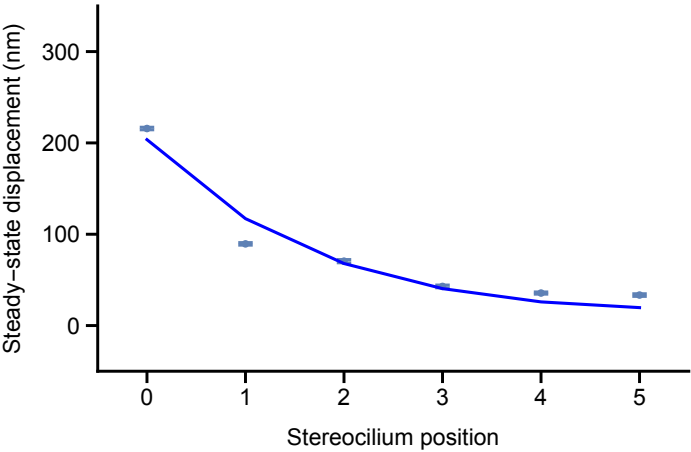
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.319201	0.00714069	44.7017	1.49764 $\times 10^{-6}$
Y0ss	203.576	1.33953	151.976	1.12443 $\times 10^{-8}$

AdjustedRSquared 0.970207

AIC 623.738

BIC 623.113

RSquared 0.980138



analwingindex = 25

wingindexnum = 31

S8809001_left_3

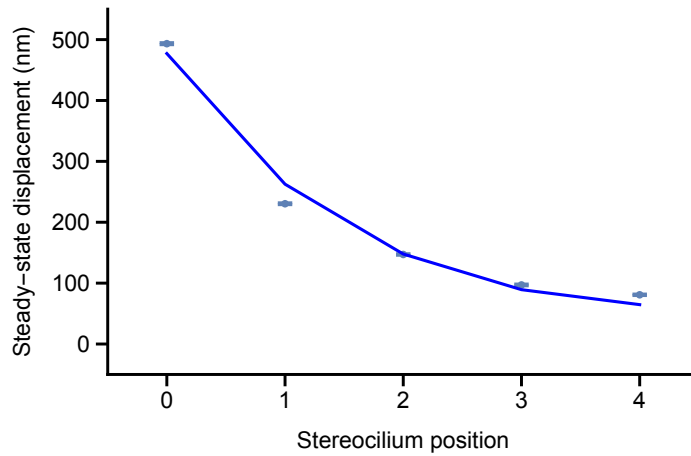
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.380194	0.00356776	106.564	1.82182 $\times 10^{-6}$
Y0ss	477.065	1.60076	298.024	8.33101 $\times 10^{-8}$

AdjustedRSquared 0.99056

AIC 735.931

BIC 734.76

RSquared 0.994336



analwingindex = 26

wingindexnum = 32

S8809003_left_1

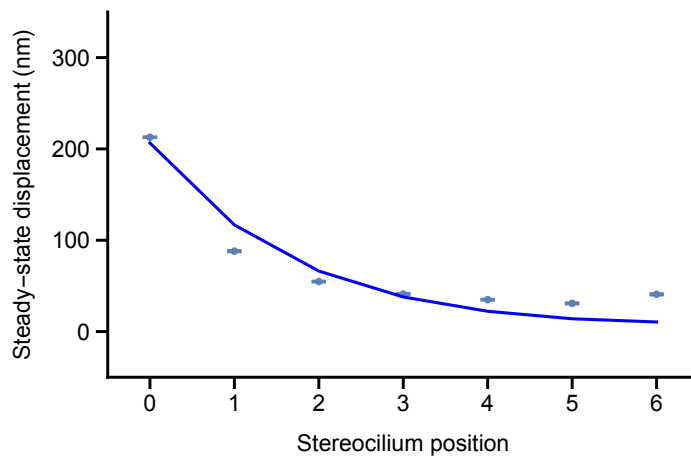
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.335064	0.00290199	115.46	9.2426×10^{-10}
Y0ss	206.435	0.416942	495.116	6.37897×10^{-13}

AdjustedRSquared 0.97283

AIC 5645.6

BIC 5645.44

RSquared 0.980593



analwingindex = 27

wingindexnum = 33

S8809009_left_1

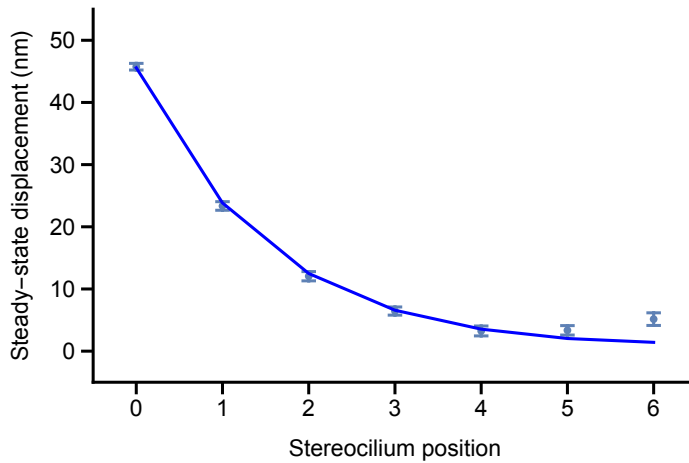
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.435486	0.0238972	18.2233	9.14659×10^{-6}
Y0ss	45.5727	0.522195	87.2715	3.74395×10^{-9}

AdjustedRSquared 0.997212

AIC 32.1389

BIC 31.9766

RSquared 0.998009



analwingindex = 28

wingindexnum = 34

S8809011_left_1

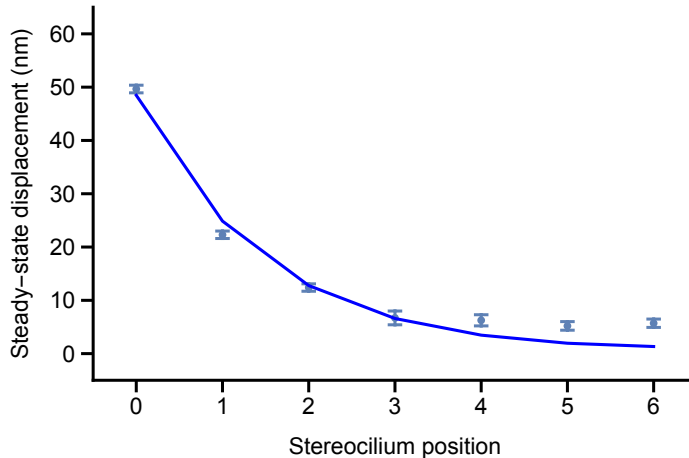
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.463083	0.0279725	16.5549	0.0000146837
Y0ss	48.4728	0.693239	69.9222	1.13312 $\times 10^{-8}$

AdjustedRSquared 0.984236

AIC 87.3517

BIC 87.1894

RSquared 0.98874



analwingindex = 29

wingindexnum = 35

S8811007_left_1

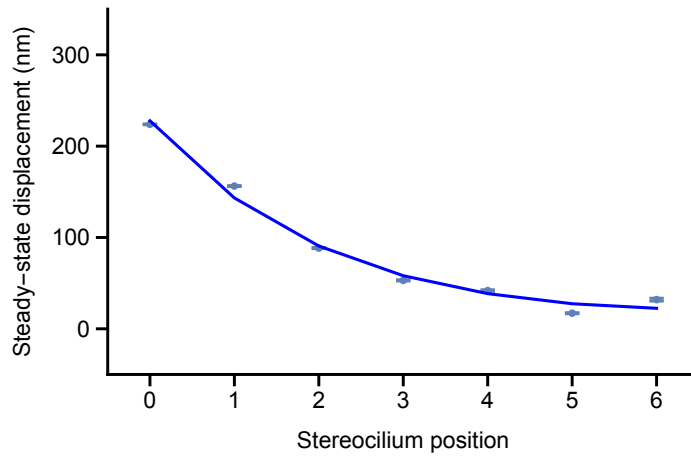
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.221985	0.00177416	125.122	6.18504 $\times 10^{-10}$
Y0ss	227.728	0.409797	555.708	3.58143 $\times 10^{-13}$

AdjustedRSquared 0.995926

AIC 1137.5

BIC 1137.34

RSquared 0.99709



analwingindex = 30

wingindexnum = 36

S8811009_left_1

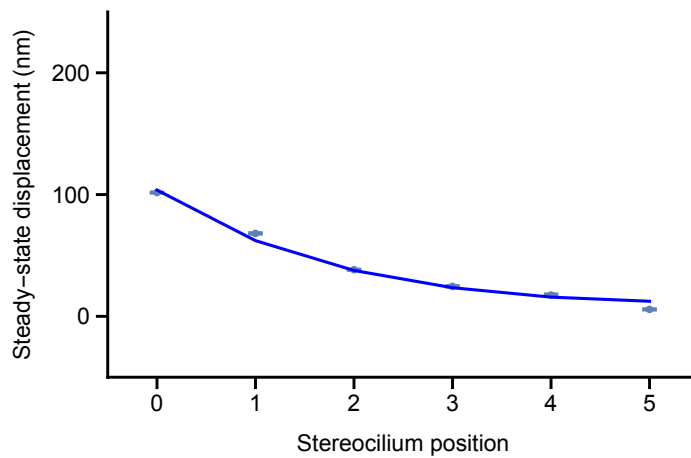
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.274105	0.00466447	58.7644	5.02177×10^{-7}
Y0ss	103.706	0.483702	214.401	2.83909×10^{-9}

AdjustedRSquared 0.993172

AIC 277.472

BIC 276.847

RSquared 0.995448



analwingindex = 31

wingindexnum = 37

S8811019_left_1

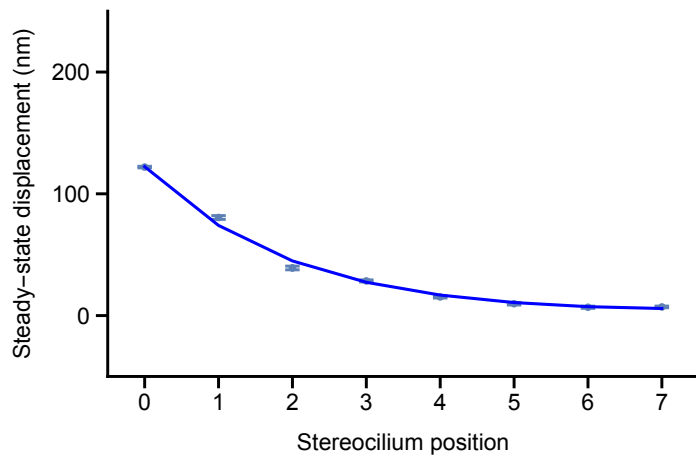
	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.258281	0.00617247	41.844	1.24624×10^{-8}
Y0ss	122.278	0.627342	194.914	1.23046×10^{-12}

AdjustedRSquared 0.99866

AIC 61.6965

BIC 61.9349

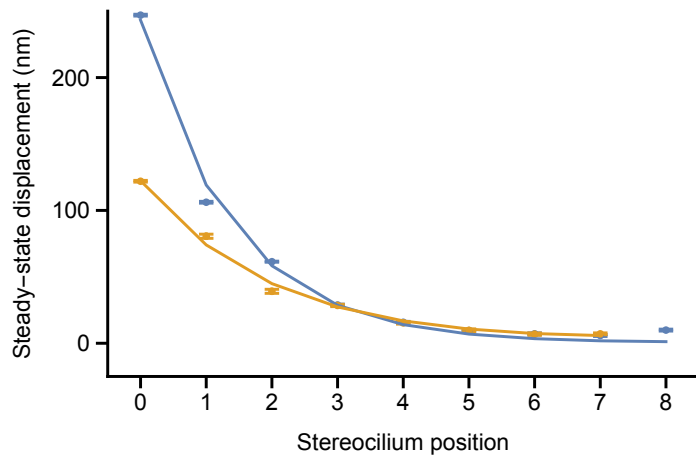
RSquared 0.998995




```

In[146]:= (*Example wings*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax =
  Max[Length[ssList[[wingindexnum1, 2]], Length[ssList[[wingindexnum2, 2]]] - 1;
Ymin = 0;
deltaY = 10^(MantissaExponent[
  Max[ssList[[wingindexnum1, 2, 1, 2]]["Value"] + ssList[[wingindexnum1, 2, 1, 2]]["Uncertainty"], ssList[[wingindexnum2, 2, 1, 2]]["Value"] +
  ssList[[wingindexnum2, 2, 1, 2]]["Uncertainty"]]][[2]] - 1);
Ymax = Ceiling[Max[ssList[[wingindexnum1, 2, 1, 2]]["Value"] +
  ssList[[wingindexnum1, 2, 1, 2]]["Uncertainty"], ssList[[wingindexnum2, 2, 1, 2]]["Value"] + ssList[[wingindexnum2, 2, 1, 2]]["Uncertainty"]], deltaY];
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, deltaY}];
Print[Show[ListPlot[{ssList[[wingindexnum1, 2]], ssList[[wingindexnum2, 2]]},
  PlotRange → {{-0.5, Xmax + 0.5}, {-deltaY / 4, Ymax - deltaY / 2}},
  PlotStyle → Thickness[Linewidth], IntervalMarkersStyle → Thickness[Linewidth],
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Stereocilium position", "Steady-state displacement (nm)"},
  Joined → False, FrameStyle → {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}},
  Axes → False], ListPlot[{Table[{ssList[[wingindexnum1, 2, n, 1]],
  YPW[ssAoLList[[wingindexnum1, 1, 2]], n, Length[ssList[[wingindexnum1, 2]]],
  ssY0List[[wingindexnum1, 1, 2]]}, {n, 1, Length[ssList[[wingindexnum1, 2]]]}],
  Table[{ssList[[wingindexnum2, 2, n, 1]], YPW[ssAoLList[[wingindexnum2, 1, 2]],
  n, Length[ssList[[wingindexnum2, 2]]], ssY0List[[wingindexnum2, 1, 2]]},
  {n, 1, Length[ssList[[wingindexnum2, 2]]]}],
  PlotStyle → Thickness[Linewidth], Joined → True]]]
ssAoLList[[wingindexnum1, 1, 2]]
ssAoLList[[wingindexnum2, 1, 2]]
ssY0List[[wingindexnum1, 1, 2]]
ssY0List[[wingindexnum2, 1, 2]]

```



Out[156]= 0.531762

Out[157]= 0.258281

Out[158]= 243.2

Out[159]= 122.278

In[160]:= (*****Exported Data*****)

```

In[161]:= Data[[wingindex[[wingindexnum1]], 1]]
onset = Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum1]], If[wingindexnum1 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum1 + 1] - 1]]}];
ss = Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum1]], If[wingindexnum1 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum1 + 1] - 1]]}];
ssErr = Table[{Data[[n, 3]], Data[[n, 11]] / Sqrt[Data[[n, 10]]]},
  {n, wingindex[[wingindexnum1]], If[wingindexnum1 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum1 + 1] - 1]]}];
nstereo = Last[ss[[All, 1]]] + 1;
fit = NonlinearModelFit[Table[ss[[n, 2]], {n, 1, Length[ss]}],
  {YPW[AoL, m, nstereo, Y0ss]}, {AoL, {Y0ss, ss[[1, 2]]}}, m, Weights →
  Table[1 / ssErr[[n, 2]]^2, {n, 1, Length[ss]}], VarianceEstimatorFunction → (1 &)];
ssAoLList[[wingindexnum1, 1, 2]] = Evaluate[AoL /. fit["BestFitParameters"]][[1]];
ssAoLList[[wingindexnum1, 2]] = Evaluate[fit["ParameterErrors"]][[1]];
ssY0List[[wingindexnum1, 1, 2]] = Evaluate[Y0ss /. fit["BestFitParameters"]][[2]];
ssY0List[[wingindexnum1, 2]] = Evaluate[fit["ParameterErrors"]][[2]];
ssAdjRsqList[[wingindexnum1, 2]] = Evaluate[fit["AdjustedRSquared"]];
Print[Data[[wingindex[[wingindexnum1]], 1]]];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment → Left]];

```

Out[161]= S8807018_1_right

S8807018_1_right

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.531762	0.00465741	114.175	1.04242×10^{-12}
Y0ss	243.2	0.652126	372.934	2.63201×10^{-16}
AdjustedRSquared	0.99514			
AIC	717.181			
BIC	717.773			
RSquared	0.99622			

```

In[175]:= Data[[wingindex[[wingindexnum2]], 1]]
onset = Table[{Data[[n, 3]], Data[[n, 4]]},
  {n, wingindex[[wingindexnum2]], If[wingindexnum2 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum2 + 1] - 1]}}];
ss = Table[{Data[[n, 3]], Data[[n, 9]]},
  {n, wingindex[[wingindexnum2]], If[wingindexnum2 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum2 + 1] - 1]}}];
ssErr = Table[{Data[[n, 3]], Data[[n, 11]] / Sqrt[Data[[n, 10]]]},
  {n, wingindex[[wingindexnum2]], If[wingindexnum2 + 1 > Length[wingindex],
    Length[Data[[All, 2]]], wingindex[[wingindexnum2 + 1] - 1]}}];
nstereo = Last[ss[[All, 1]]] + 1;
fit = NonlinearModelFit[Table[ss[[n, 2]], {n, 1, Length[ss]}],
  {YPW[AoL, m, nstereo, Y0ss]}, {AoL, {Y0ss, ss[[1, 2]]}}, m, Weights →
  Table[1 / ssErr[[n, 2]]^2, {n, 1, Length[ss]}], VarianceEstimatorFunction → (1 &)];
ssAoLList[[wingindexnum2, 1, 2]] = Evaluate[AoL /. fit["BestFitParameters"]][[1]];
ssAoLList[[wingindexnum2, 2]] = Evaluate[fit["ParameterErrors"]][[1]];
ssY0List[[wingindexnum2, 1, 2]] = Evaluate[Y0ss /. fit["BestFitParameters"]][[2]];
ssY0List[[wingindexnum2, 2]] = Evaluate[fit["ParameterErrors"]][[2]];
ssAdjRsqList[[wingindexnum2, 2]] = Evaluate[fit["AdjustedRSquared"]];
Print[Data[[wingindex[[wingindexnum2]], 1]]];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment → Left]];

```

Out[175]= S8811019_1_left

S8811019_1_left

	Estimate	Standard Error	t-Statistic	P-Value
AoL	0.258281	0.00617247	41.844	1.24624 × 10 ⁻⁸
Y0ss	122.278	0.627342	194.914	1.23046 × 10 ⁻¹²
AdjustedRSquared	0.99866			
AIC	61.6965			
BIC	61.9349			
RSquared	0.998995			

```

In[189]:= (*Remove NaN entries*)
baddata[entry_] := MatchQ[entry, {{_?NumberQ, NaN}, NaN}];
ssnstereoListrenum = DeleteCases[ssnstereoList, NaN];
ssAoLListtemp = DeleteCases[ssAoLList, _?baddata];
ssAoLListrenum = Table[{n, ssAoLListtemp[[n, 1, 2]]}, ssAoLListtemp[[n, 2]]],
  {n, 1, Length[ssAoLListtemp]}}];
baddata2[entry_] := MatchQ[entry, {{_?NumberQ, NaN}}];
ssAdjRsqListtemp = DeleteCases[ssAdjRsqList, _?baddata2];
ssAdjRsqListrenum =
  Table[{n, ssAdjRsqListtemp[[n, 2]]}, {n, 1, Length[ssAdjRsqListtemp]}}];

```

```
In[196]:= (*Minimum and maximum ratios*)
          Min[ssAoLListrenum[All, 1, 2]]
          Max[ssAoLListrenum[All, 1, 2]]
```

```
Out[196]= 0.154369
```

```
Out[197]= 0.531762
```

```
In[198]:= MedianSSAoL = Quantile[ssAoLListrenum[All, 1, 2], 0.5]
          LowerQuantileSSAoL = Quantile[ssAoLListrenum[All, 1, 2], 0.25]
          UpperQuantileSSAoL = Quantile[ssAoLListrenum[All, 1, 2], 0.75]
```

```
Out[198]= 0.278512
```

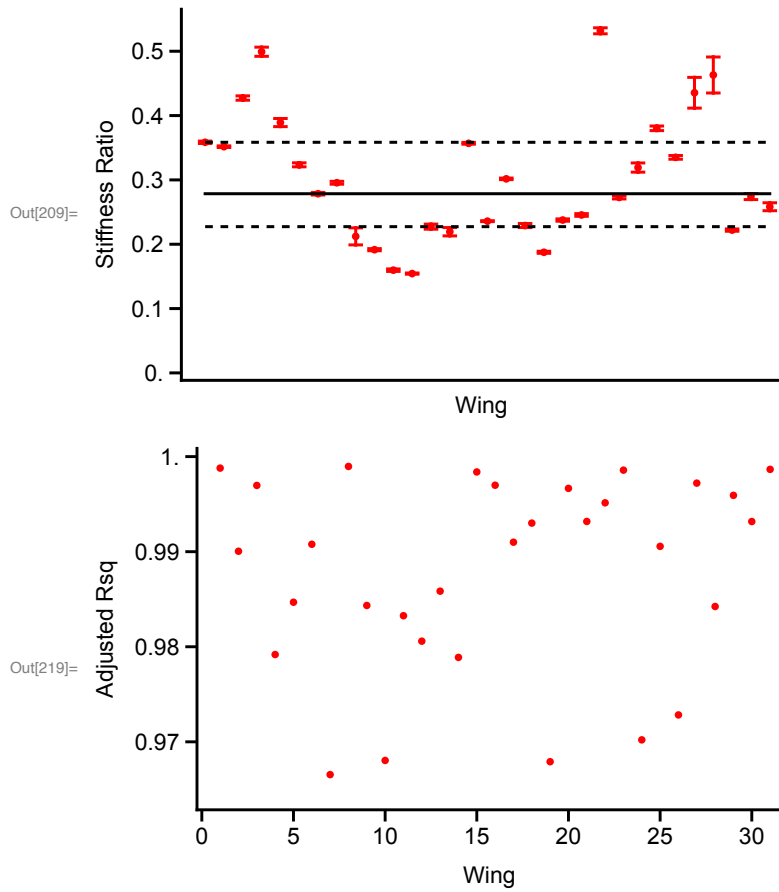
```
Out[199]= 0.227344
```

```
Out[200]= 0.358482
```

```

In[201]:= (*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = Length[ssAoLListrenum];
Ymin = 0; Ymax = 1;
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 5}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 0.1}];
Show[ListPlot[Table[
  {ssAoLListrenum[[n, 1, 1]], Around[ssAoLListrenum[[n, 1, 2]], ssAoLListrenum[[n, 2]]},
  {n, 1, Length[ssAoLListrenum]}],
PlotRange → All, PlotStyle → {Thickness[Linewidth], Red},
IntervalMarkersStyle → {Thickness[Linewidth], Red},
Frame → {{True, False}, {True, False}}, FrameTicks → {None, YTicks},
FrameLabel → {"Wing", "Stiffness Ratio"}, Joined → False,
FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
  {Black, Thickness[Linewidth], FontSize → FontSize}},
  {{Black, Thickness[Linewidth], FontSize → FontSize},
  {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
Plot[{MedianSSAoL, LowerQuantileSSAoL, UpperQuantileSSAoL},
  {n, 1, Length[ssAoLListrenum]}, PlotStyle → {{Thickness[Linewidth], Black},
  {Thickness[Linewidth], Black, Dashed}, {Thickness[Linewidth], Black, Dashed}}]]
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = Length[ssAoLListrenum];
Ymin = 0;
Ymax = 1;
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 5}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 0.01}];
ListPlot[Table[{ssAoLListrenum[[n, 1, 1]], ssAdjRsqListrenum[[n, 1, 2]]},
  {n, 1, Length[ssAoLListrenum]}],
PlotRange → All, PlotStyle → {Thickness[Linewidth], Red},
IntervalMarkersStyle → Thickness[Linewidth], Frame → {{True, False}, {True, False}},
FrameTicks → {XTicks, YTicks}, FrameLabel → {"Wing", "Adjusted Rsq"},
Joined → False, FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
  {Black, Thickness[Linewidth], FontSize → FontSize}},
  {{Black, Thickness[Linewidth], FontSize → FontSize},
  {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]

```



```
In[220]:= (*Minimum adjRsqr*)
Min[ssAdjRsqrList[All, 2]]
```

```
Out[220]= Min[0.966551, NaN]
```

```
In[221]:= (*Maximum P-value over all fit parameters*)
Max[{ssAoLPvalList[All, 2], ssY0PvalList[All, 2]]}
```

```
Out[221]= Max[0.0000146837, NaN]
```

```

In[222]:= SEList = DeleteCases[Table[onsetAoLList[[n, 2]], {n, 1, Length[wingindex]}], NaN];
onsetAoLList2 = DeleteCases[onsetAoLList[[All, 1, 2]], NaN];
gammaAoLave = Sum[onsetAoLList2[[n]] / SEList[[n]]^2, {n, 1, Length[onsetAoLList2]}] /
  Sum[1 / SEList[[n]]^2, {n, 1, Length[onsetAoLList2]}]
(*SE in the weighted mean*)
Sqrt[1 / Sum[1 / SEList[[n]]^2, {n, 1, Length[onsetAoLList2]}]]
(*Fraction of wings above the mean => distribution is not symmetric*)
N[Sum[If[onsetAoLList2[[n]] > gammaAoLave, 1, 0], {n, 1, Length[onsetAoLList2]}] /
  Length[onsetAoLList2]]

```

```
Out[224]= 0.179818
```

```
Out[225]= 0.000559756
```

```
Out[226]= 0.677419
```

```

In[227]:= (*Average KA/KL with SE. Weighted mean, more weight when SE is smaller*)
SEList = DeleteCases[Table[ssAoLList[[n, 2]], {n, 1, Length[wingindex]}], NaN];
ssAoLList2 = DeleteCases[ssAoLList[[All, 1, 2]], NaN];
KAoLave = Sum[ssAoLList2[[n]] / SEList[[n]]^2, {n, 1, Length[ssAoLList2]}] /
  Sum[1 / SEList[[n]]^2, {n, 1, Length[ssAoLList2]}]
(*SE in the weighted mean*)
Sqrt[1 / Sum[1 / SEList[[n]]^2, {n, 1, Length[ssAoLList2]}]]
(*Fraction of wings above the mean => distribution is not symmetric*)
N[Sum[If[ssAoLList2[[n]] > KAoLave, 1, 0], {n, 1, Length[ssAoLList2]}] /
  Length[ssAoLList2]]

```

```
Out[229]= 0.256637
```

```
Out[230]= 0.0003463
```

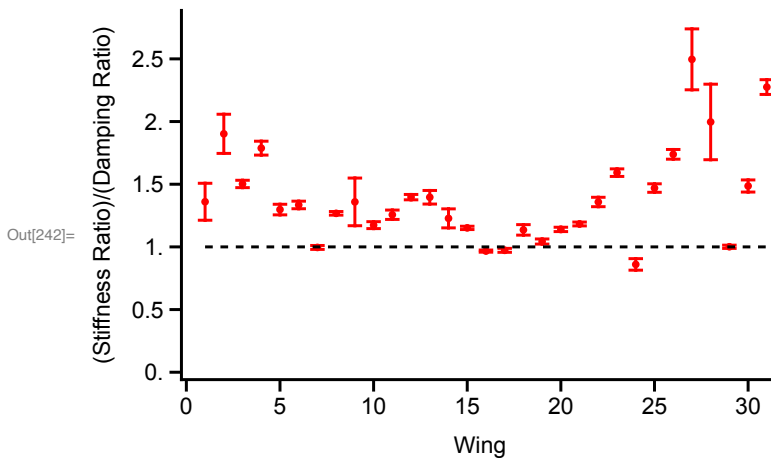
```
Out[231]= 0.612903
```



```

In[232]:= (*Predicts which wings overshoot for an ideal step stimulus (Ratio/Ratio > 1),
but expt step is not ideal and probe drifts after onset.*)
RatioErr = Table[Abs[(ssAoLListrenum[[n, 1, 2]] / onsetAoLListrenum[[n, 1, 2]]) *
  Sqrt[(onsetAoLListrenum[[n, 2]] / onsetAoLListrenum[[n, 1, 2]]) ^ 2 +
    (ssAoLListrenum[[n, 2]] / ssAoLListrenum[[n, 1, 2]]) ^ 2]],
  {n, 1, Length[ssAoLListrenum]}];
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = Length[ssAoLListrenum];
Ymin = 0;
Ymax = 5;
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 5}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 0.5}];
Show[ListPlot[Table[
  {n, Around[ssAoLListrenum[[n, 1, 2]] / onsetAoLListrenum[[n, 1, 2]], RatioErr[[n]]},
  {n, 1, Length[ssAoLListrenum]}],
  PlotRange → All, PlotStyle → {Thickness[Linewidth], Red},
  IntervalMarkersStyle → {Thickness[Linewidth], Red},
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Wing", "(Stiffness Ratio)/(Damping Ratio)"}, Joined → False,
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}},
  Axes → False], Plot[1, {n, 1, Length[ssAoLListrenum]},
  PlotStyle → {{Thickness[Linewidth], Black, Dashed}}]]

```



```

In[243]:= (*4 of 31 have ssAoL < onsetAoL => no overshoot for ideal step*)
Sum[{{ssAoLListrenum[[n, 1, 2]] / onsetAoLListrenum[[n, 1, 2]] < 1}},
  {n, 1, Length[ssAoLListrenum]}]
Table[{{n, ssAoLListrenum[[n, 1, 2]] / onsetAoLListrenum[[n, 1, 2]]}},
  {n, 1, Length[ssAoLListrenum]}]

Out[243]= {{27 False + 4 True}}

Out[244]= {{{1, 1.36016}}, {{2, 1.90209}}, {{3, 1.50212}}, {{4, 1.7878}}, {{5, 1.29781}},
  {{6, 1.33456}}, {{7, 0.995628}}, {{8, 1.26779}}, {{9, 1.35907}}, {{10, 1.1736}},
  {{11, 1.25649}}, {{12, 1.39694}}, {{13, 1.39599}}, {{14, 1.22753}}, {{15, 1.15155}},
  {{16, 0.966437}}, {{17, 0.972563}}, {{18, 1.13574}}, {{19, 1.04282}},
  {{20, 1.13948}}, {{21, 1.18289}}, {{22, 1.35828}}, {{23, 1.59226}},
  {{24, 0.860208}}, {{25, 1.46942}}, {{26, 1.73847}}, {{27, 2.49625}},
  {{28, 1.99679}}, {{29, 1.00086}}, {{30, 1.48588}}, {{31, 2.27514}}}}

In[245]:= (*Number of wings with K AoL > gammaAoL => Get overshoot for step stimulus.*)
Length[Cases[Table[ssAoLList[[n, 1, 2]] / onsetAoLList[[n, 1, 2]],
  {n, 1, Length[wingindex]}], x_ /; x > 1]]

Out[245]= 27

In[246]:= (*Weighted mean of RatioRatio, more weight when SE is smaller*)
RatioRatioList = DeleteCases[
  Table[ssAoLList[[n, 1, 2]] / onsetAoLList[[n, 1, 2]], {n, 1, Length[wingindex]}], NaN];
SERatioRatioList = DeleteCases[Table[(ssAoLList[[n, 1, 2]] / onsetAoLList[[n, 1, 2]]) *
  Sqrt[(ssAoLList[[n, 2]] / ssAoLList[[n, 1, 2]]) ^ 2 +
    (onsetAoLList[[n, 2]] / onsetAoLList[[n, 1, 2]]) ^ 2],
  {n, 1, Length[wingindex]}], NaN];
wmean =
  Sum[RatioRatioList[[n]] / SERatioRatioList[[n]] ^ 2, {n, 1, Length[RatioRatioList]}] /
  Sum[1 / SERatioRatioList[[n]] ^ 2, {n, 1, Length[RatioRatioList]}]
(*SE in the weighted mean*)
sewmean = Sqrt[1 / Sum[1 / SERatioRatioList[[n]] ^ 2, {n, 1, Length[RatioRatioList]}]]

Out[248]= 1.13437

Out[249]= 0.00403623

In[250]:= Length[RatioRatioList]

Out[250]= 31

```

```

In[251]:= (*Means don't give the full picture, because distributions are not symmetric*)
(*Ave[KAoL/gammaAoL] < Ave[KAoL]/Ave[gammaAoL]*)
wmean
KAoLave / gammaAoLave
(*Fraction of wings above the mean*)
N[Sum[If[RatioRatioList[[n]] > wmean, 1, 0], {n, 1, Length[RatioRatioList]}] /
  Length[RatioRatioList]]

```

```
Out[251]= 1.13437
```

```
Out[252]= 1.42721
```

```
Out[253]= 0.806452
```

```

In[254]:= (*Median is better for non-symmetric data*)
gammaAoLmedian = Median[onsetAoLList2]
KAoLmedian = Median[ssAoLList2]
KAoLOgammaAoLmedian = Median[RatioRatioList]
(*Fraction of wings above the median of ratios*)
N[Sum[If[RatioRatioList[[n]] > KAoLOgammaAoLmedian, 1, 0],
  {n, 1, Length[RatioRatioList]}] / Length[RatioRatioList]]

```

```
Out[254]= 0.208526
```

```
Out[255]= 0.278512
```

```
Out[256]= 1.33456
```

```
Out[257]= 0.483871
```

```

In[258]:= (*Reversal for ideal step using fit values. Use Y0 from onset*)
(*Example wings*)
wingindexnum1 = 28;
wingindexnum2 = 37;
(*Reversal = Peak - Steady-state*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 1;
Xmax =
  Max[Length[ssList[[wingindexnum1, 2]], Length[ssList[[wingindexnum2, 2]]] - 1;
Ymin = 0;
deltaY = 5;
Ymax = 25;
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, deltaY}];
Show[ListPlot[
  {Table[{ssList[[wingindexnum1, 2, n, 1]], YPW[onsetAoLList[[wingindexnum1, 1, 2]], n,

```

```

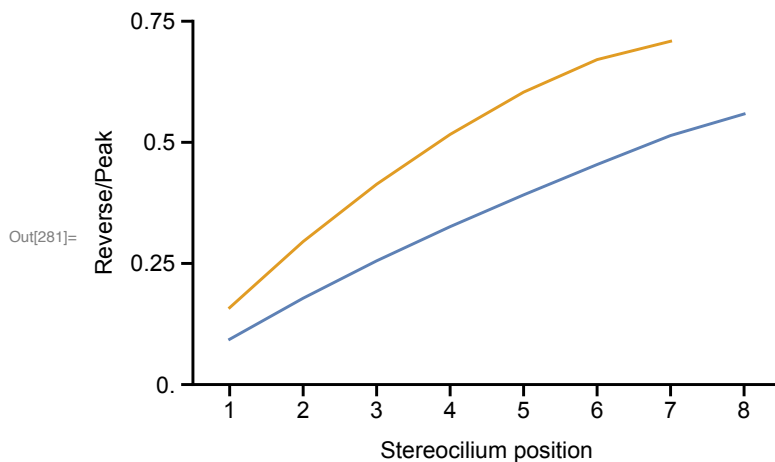
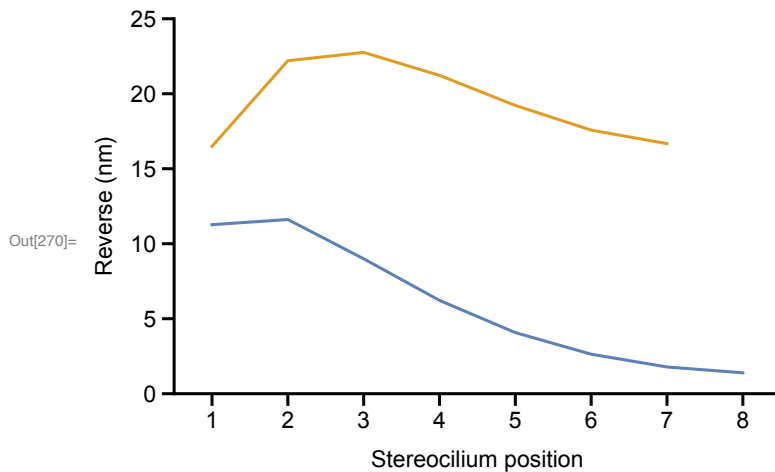
Length[onsetList[[wingindexnum1, 2]], onsetY0List[[wingindexnum1, 1, 2]] -
YPW[ssAoLList[[wingindexnum1, 1, 2]], n, Length[ssList[[wingindexnum1, 2]],
onsetY0List[[wingindexnum1, 1, 2]]],
{n, 2, Length[ssList[[wingindexnum1, 2]]}], Table[{ssList[[wingindexnum2, 2, n, 1]],
YPW[onsetAoLList[[wingindexnum2, 1, 2]], n, Length[onsetList[[wingindexnum2, 2]],
onsetY0List[[wingindexnum2, 1, 2]]] - YPW[ssAoLList[[wingindexnum2, 1, 2]],
n, Length[ssList[[wingindexnum2, 2]], onsetY0List[[wingindexnum2, 1, 2]]],
{n, 2, Length[ssList[[wingindexnum2, 2]]}}],
PlotRange → {{Xmin - 0.5, Xmax + 0.5}, {0, Ymax}},
PlotStyle → Thickness[Linewidth],
IntervalMarkersStyle → Thickness[Linewidth],
Frame → {{True, False}, {True, False}},
FrameTicks → {XTicks, YTicks},
FrameLabel → {"Stereocilium position", "Reverse (nm)"},
Joined → True,
FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
{Black, Thickness[Linewidth], FontSize → FontSize}},
{{Black, Thickness[Linewidth], FontSize → FontSize},
{Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]]
(*Reversal/Peak = 1 - Steady-state/Peak*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 1;
Xmax =
Max[Length[ssList[[wingindexnum1, 2]], Length[ssList[[wingindexnum2, 2]]] - 1;
Ymin = 0;
deltaY = 0.25;
Ymax = 0.75;
Linewidth = 0.005;
FontSize = 12;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, deltaY}];
Show[ListPlot[{Table[{ssList[[wingindexnum1, 2, n, 1]],
1 - YPW[ssAoLList[[wingindexnum1, 1, 2]], n, Length[ssList[[wingindexnum1, 2]],
onsetY0List[[wingindexnum1, 1, 2]]] / YPW[onsetAoLList[[wingindexnum1, 1, 2]],
n, Length[onsetList[[wingindexnum1, 2]], onsetY0List[[wingindexnum1, 1, 2]]}],
{n, 2, Length[ssList[[wingindexnum1, 2]]}], Table[{ssList[[wingindexnum2, 2, n, 1]],
1 - YPW[ssAoLList[[wingindexnum2, 1, 2]], n, Length[ssList[[wingindexnum2, 2]],
onsetY0List[[wingindexnum2, 1, 2]]] / YPW[onsetAoLList[[wingindexnum2, 1, 2]],
n, Length[onsetList[[wingindexnum2, 2]], onsetY0List[[wingindexnum2, 1, 2]]}],
{n, 2, Length[ssList[[wingindexnum2, 2]]}}], PlotRange →
{{Xmin - 0.5, Xmax + 0.5}, {0, Ymax}},
PlotStyle → Thickness[Linewidth],
IntervalMarkersStyle →

```

```

Thickness[Linewidth],
Frame → {{True, False}, {True, False}},
FrameTicks → {XTicks, YTicks},
FrameLabel → {"Stereocilium position", "Reverse/Peak"},
Joined → True,
FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
  {Black, Thickness[Linewidth], FontSize → FontSize}},
  {{Black, Thickness[Linewidth], FontSize → FontSize},
  {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]]
ssAoLList[[wingindexnum1, 1, 2]]
ssAoLList[[wingindexnum2, 1, 2]]
onsetAoLList[[wingindexnum1, 1, 2]]
onsetAoLList[[wingindexnum2, 1, 2]]
ssY0List[[wingindexnum1, 1, 2]]
onsetY0List[[wingindexnum1, 1, 2]]
ssY0List[[wingindexnum2, 1, 2]]
onsetY0List[[wingindexnum2, 1, 2]]

```



Out[282]= 0.531762

Out[283]= 0.258281

Out[284]= 0.391498

Out[285]= 0.113523

Out[286]= 243.2

Out[287]= 223.285

Out[288]= 122.278

Out[289]= 144.43

```
In[290]:= ntotv = ssnstereoList[[wingindexnum1]];
KAoLv = ssAoLList[[wingindexnum1, 1, 2]];
gammaAoLv = onsetAoLList[[wingindexnum1, 1, 2]];
KAoLv / gammaAoLv
Y0v = 500; (*nm*)
```

Out[293]= 1.35828

```
In[295]:= (*Onset decay can be fit by an exponential. Deviates
from exponential at stereocilium numbers close to ntot*)
fit = NonlinearModelFit[Table[{n, Y[n, ntotv, gammaAoLv, Y0v] / Y0v}, {n, 0, ntotv - 1}],
{Exp[m / ndec]}, {{ndec, -1}}, m];
Print[fit["ParameterTable"]];
Print[
Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
Alignment → Left]];
Show[ListLogPlot[
Table[{n, Y[n, ntotv, gammaAoLv, Y0v] / Y0v}, {n, 0, ntotv - 1}], PlotStyle → Red,
AxesLabel → {"Stereocilium Number", "Normalized Onset Displacement"},
AxesStyle → Directive[Black, FontSize → 12]],
ListLogPlot[Table[{n, Exp[n / (ndec /. fit["BestFitParameters"])]}, {n, 0, ntotv}],
PlotStyle → Blue, Joined → True]]
(*Absolute error between exact solution and exponential fit*)
ListLogPlot[Table[{n, Abs[
Y[n, ntotv, gammaAoLv, Y0v] / Y0v - Exp[n / (ndec /. fit["BestFitParameters"])]},
{n, 0, ntotv - 1}], PlotStyle → Blue, Joined → True,
AxesLabel → {"Stereocilium Number", "Error"},
AxesStyle → Directive[Black, FontSize → 12, PlotRange → All]]
```

	Estimate	Standard Error	t-Statistic	P-Value
ndec	-1.62611	0.00411952	-394.732	1.89986×10^{-18}

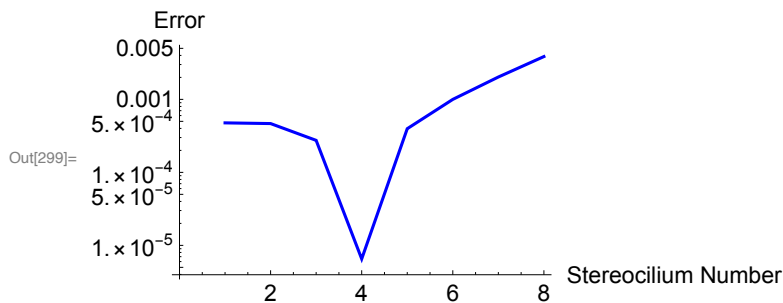
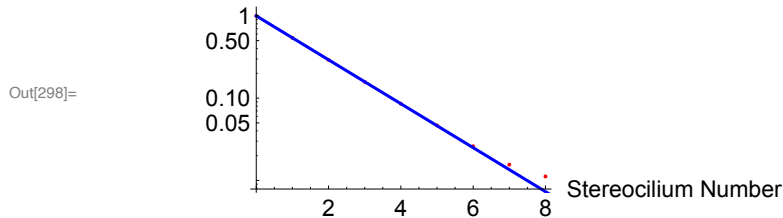
AdjustedRSquared 0.999984

AIC -87.261

BIC -86.8665

RSquared 0.999985

Normalized Onset Displacement



```

In[300]:= (*ss decay can be fit by an exponential. Deviates
           from exponential at stereocilium numbers close to ntot*)
fit = NonlinearModelFit[Table[{n, Y[n, ntotv, KAoLv, Y0v] / Y0v}, {n, 0, ntotv - 1}],
  {Exp[n / ndec]}, {{ndec, -1}}, m];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];
Show[ListLogPlot[
  Table[{n, Y[n, ntotv, KAoLv, Y0v] / Y0v}, {n, 0, ntotv - 1}], PlotStyle -> Red,
  AxesLabel -> {"Stereocilium Number", "Normalized Steady-State Displacement (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12]],
  ListLogPlot[Table[{n, Exp[n / (ndec /. fit["BestFitParameters"])]}, {n, 0, ntotv}],
  PlotStyle -> Blue, Joined -> True]]
(*Absolute error between exact solution and exponential fit*)ListLogPlot[Table[
  {n, Abs[Y[n, ntotv, KAoLv, Y0v] / Y0v - Exp[n / (ndec /. fit["BestFitParameters"])]},
  {n, 0, ntotv - 1}], PlotStyle -> Blue, Joined -> True,
  AxesLabel -> {"Stereocilium Number", "Error"},
  AxesStyle -> Directive[Black, FontSize -> 12]]

```

	Estimate	Standard Error	t-Statistic	P-Value
ndec	-1.40119	0.00155432	-901.483	2.56768 × 10 ⁻²¹

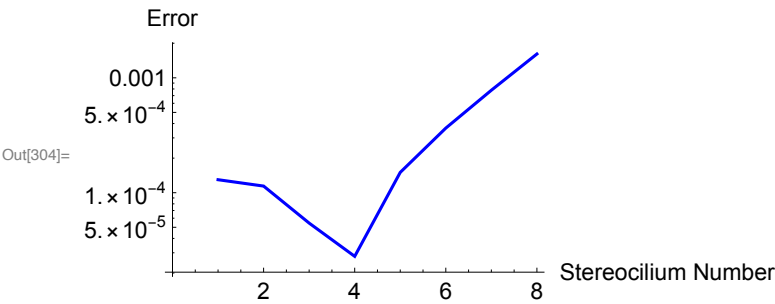
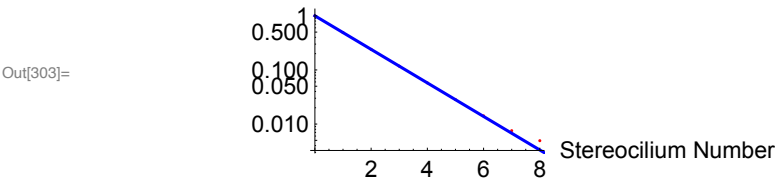
AdjustedRSquared 0.999997

AIC -103.511

BIC -103.116

RSquared 0.999997

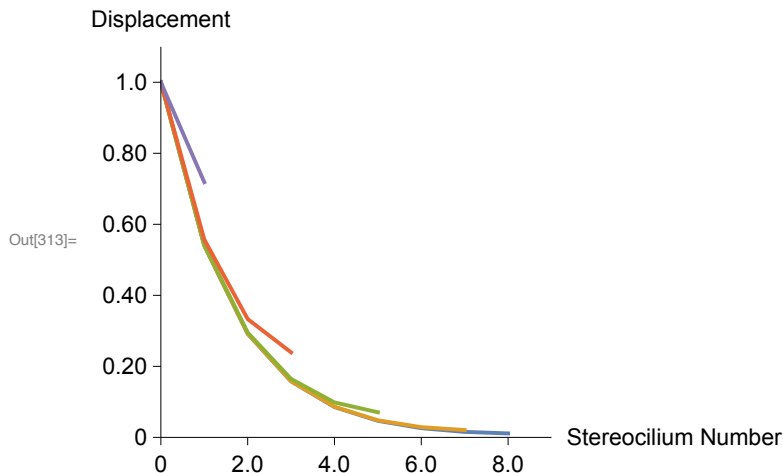
Normalized Steady-State Displacement (nm)

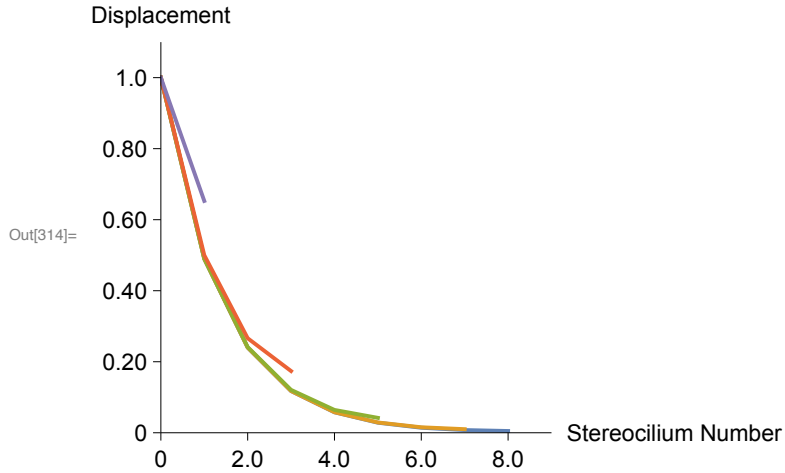



```

In[305]:= (*Note that the onset and ss decays depend on
the total number of stereocilia even when normalized*)
Y0v = 500;
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = ntotv;
Ymin = 0;
Ymax = 1.1;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 2 * 10^0}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 2 * 10^-1}];
(*Onset*)
ListPlot[{Table[{n, Y[n, ntotv, gammaAoLv, Y0v] / Y0v}, {n, 0, ntotv - 1}],
Table[{n, Y[n, 8, gammaAoLv, Y0v] / Y0v}, {n, 0, 8 - 1}],
Table[{n, Y[n, 6, gammaAoLv, Y0v] / Y0v}, {n, 0, 6 - 1}],
Table[{n, Y[n, 4, gammaAoLv, Y0v] / Y0v}, {n, 0, 4 - 1}],
Table[{n, Y[n, 2, gammaAoLv, Y0v] / Y0v}, {n, 0, 2 - 1}]], AspectRatio → 1,
PlotRange → {{0, ntotv}, {0, 1.1}}, PlotStyle → Thickness[0.01],
AxesLabel → {"Stereocilium Number", "Displacement"},
AxesStyle → Directive[Black, FontSize → 12], Ticks → {XTicks, YTicks},
Method → {"AxesInFront" → False}, Joined → True]
(*SS*)
ListPlot[{Table[{n, Y[n, ntotv, KAoLv, Y0v] / Y0v}, {n, 0, ntotv - 1}],
Table[{n, Y[n, 8, KAoLv, Y0v] / Y0v}, {n, 0, 8 - 1}],
Table[{n, Y[n, 6, KAoLv, Y0v] / Y0v}, {n, 0, 6 - 1}],
Table[{n, Y[n, 4, KAoLv, Y0v] / Y0v}, {n, 0, 4 - 1}],
Table[{n, Y[n, 2, KAoLv, Y0v] / Y0v}, {n, 0, 2 - 1}]], AspectRatio → 1,
PlotRange → {{0, ntotv}, {0, 1.1}}, PlotStyle → Thickness[0.01],
AxesLabel → {"Stereocilium Number", "Displacement"},
AxesStyle → Directive[Black, FontSize → 12], Ticks → {XTicks, YTicks},
Method → {"AxesInFront" → False}, Joined → True]

```





```
In[315]:= (*****)
(*Simulate Step Stimulus*)
(*****)
```

```
In[316]:= (*Slope of the stimulus onset used heres. s/4 is the maximum slope.*)
slopef[t_, tS_, s_] := Evaluate[D[(1 + Exp[-(t - tS) * s])^-1, t]]
slopef[t, tS, s]
(*Find time of maximum slope*)
Dslopef[t_, tS_, s_] := Evaluate[D[slopef[t, tS, s], t]]
Solve[Dslopef[t, tS, s] == 0, t, Reals]
(*Maximum slope*)
slopef[tS, tS, s]
```

$$\text{Out[317]} = \frac{e^{s(-t+tS)} s}{(1 + e^{s(-t+tS)})^2}$$

```
Out[319]= {{t -> tS}}
```

$$\text{Out[320]} = \frac{s}{4}$$

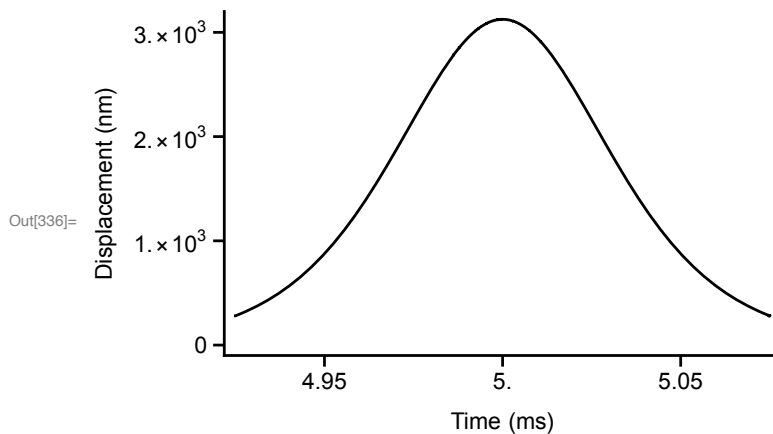
```
In[321]:= (*****)
(*wingindexnum2*)
(*****)
```

```

In[322]:= (*Match slope of stimulus to experimental data*)
ntotv = ssnstereoList[[wingindexnum2]]
Y0v = 250 (*nm*);
slopefac = 50;
ts = 5;
te = 55;
trange = 60;
Y0f[t_] :=
  Y0v * Evaluate[(1 + Exp[-(t - ts) * slopefac])^-1 - (1 + Exp[-(t - te) * slopefac])^-1];
(*Tick Marks*)
TickLength = 0.02;
Xmin = ts - 0.1;
Xmax = ts + 0.1;
Ymin = 0;
Ymax = 5 * 10^3;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 5 * 10^-2}];
YTicks = Table[{i, N[i, 1], {0, TickLength}}, {i, Ymin, Ymax, 10^3}];
Show[Plot[{Y0f'[t]}, {t, ts - 0.075, ts + 0.075}, PlotRange -> {-100, 3.2 * 10^3},
  MaxRecursion -> 15, PlotStyle -> {Black, Thickness[Linewidth]},
  Frame -> {{True, False}, {True, False}}, FrameTicks -> {XTicks, YTicks},
  FrameLabel -> {"Time (ms)", "Displacement (nm)"},
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False]]

```

Out[322]= 8



```

In[337]:= (*Doesn't work unless we use the equation simplification method*)
(*8 cilia, Y0 clamped, all cilia have rootlets. For 10 kHz low-
  pass filtered experimental stimulus use s =
  10*4 = 40 such that the maximum slope is 5 kHz.*)
KLv = 5; (*mN/m*)

```

```

KAv = ssAoLList[[wingindexnum2, 1, 2]] * KLv;
gammaLv = 0.8 * KLv; (*uN.s/m*)
gammaLv / KLv (*ms*)
gammaAv = onsetAoLList[[wingindexnum2, 1, 2]] * gammaLv;
KAoLv = KAv / KLv;
gammaAoLv = gammaAv / gammaLv;
(*Geometric mean time constant*)
taugmv = (gammaLv / KLv) *
  (g[ntotv - 1, gammaAoLv, 1] / g[ntotv - 1, KAv / KLv, 1]) ^ (1 / (ntotv - 1))
KA1v = KAv; gammaA1v = gammaAv;
KA2v = KAv; gammaA2v = gammaAv;
KA3v = KAv; gammaA3v = gammaAv;
KA4v = KAv; gammaA4v = gammaAv;
KA5v = KAv; gammaA5v = gammaAv;
KA6v = KAv; gammaA6v = gammaAv;
KA7v = KAv; gammaA7v = gammaAv;
K1v = KLv; gamma1v = gammaLv;
K2v = KLv; gamma2v = gammaLv;
K3v = KLv; gamma3v = gammaLv;
K4v = KLv; gamma4v = gammaLv;
K5v = KLv; gamma5v = gammaLv;
K6v = KLv; gamma6v = gammaLv;
K7v = KLv; gamma7v = gammaLv;
Ysln =
NDSolve[{KA1v * Y1[t] + gammaA1v * Y1'[t] + K1v * (Y1[t] - Y0f[t]) - K2v * (Y2[t] - Y1[t]) +
  gamma1v * (Y1'[t] - Y0f'[t]) - gamma2v * (Y2'[t] - Y1'[t]) == 0, Y1[0] == 0,
  KA2v * Y2[t] + gammaA2v * Y2'[t] + K2v * (Y2[t] - Y1[t]) - K3v * (Y3[t] - Y2[t]) +
  gamma2v * (Y2'[t] - Y1'[t]) - gamma3v * (Y3'[t] - Y2'[t]) == 0, Y2[0] == 0,
  KA3v * Y3[t] + gammaA3v * Y3'[t] + K3v * (Y3[t] - Y2[t]) - K4v * (Y4[t] - Y3[t]) +
  gamma3v * (Y3'[t] - Y2'[t]) - gamma4v * (Y4'[t] - Y3'[t]) == 0, Y3[0] == 0,
  KA4v * Y4[t] + gammaA4v * Y4'[t] + K4v * (Y4[t] - Y3[t]) - K5v * (Y5[t] - Y4[t]) +
  gamma4v * (Y4'[t] - Y3'[t]) - gamma5v * (Y5'[t] - Y4'[t]) == 0, Y4[0] == 0,
  KA5v * Y5[t] + gammaA5v * Y5'[t] + K5v * (Y5[t] - Y4[t]) - K6v * (Y6[t] - Y5[t]) +
  gamma5v * (Y5'[t] - Y4'[t]) - gamma6v * (Y6'[t] - Y5'[t]) == 0, Y5[0] == 0,
  KA6v * Y6[t] + gammaA6v * Y6'[t] + K6v * (Y6[t] - Y5[t]) - K7v * (Y7[t] - Y6[t]) +
  gamma6v * (Y6'[t] - Y5'[t]) - gamma7v * (Y7'[t] - Y6'[t]) == 0, Y6[0] == 0,
  KA7v * Y7[t] + gammaA7v * Y7'[t] + K7v * (Y7[t] - Y6[t]) + gamma7v * (Y7'[t] - Y6'[t]) ==
  0, Y7[0] == 0}, {Y1, Y2, Y3, Y4, Y5, Y6, Y7},
{t, 0, trange}, Method -> {"EquationSimplification" -> "Residual"}]
Y1f[t_] := Evaluate[Y1[t] /. Ysln[[1]]]
Y2f[t_] := Evaluate[Y2[t] /. Ysln[[1]]]
Y3f[t_] := Evaluate[Y3[t] /. Ysln[[1]]]
Y4f[t_] := Evaluate[Y4[t] /. Ysln[[1]]]
Y5f[t_] := Evaluate[Y5[t] /. Ysln[[1]]]

```

```

Y6f[t_] := Evaluate[Y6[t] /. Ysln[1]]
Y7f[t_] := Evaluate[Y7[t] /. Ysln[1]]
(*Stimulus and responses*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = 0;
Ymax = 250;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 5 * 10^1}];
Show[Plot[{Y0f[t]}, {t, 0, trange}, PlotRange → {Ymin - 15, Ymax + 15},
  MaxRecursion → 15, PlotStyle → {Black, Thickness[Linewidth]},
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]},
  {t, 0, trange}, MaxRecursion → 15, PlotStyle → Thickness[Linewidth],
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]]
(*Decay rates are different.*)
Y1peak = Evaluate[NMaximize[{Y1f[t], t < trange / 2, t > 0}, t][[1]];
t1peak = Evaluate[t /. NMaximize[{Y1f[t], t < trange / 2, t > 0}, t][[2]];
Y2peak = Evaluate[NMaximize[{Y2f[t], t < trange / 2, t > 0}, t][[1]];
t2peak = Evaluate[t /. NMaximize[{Y2f[t], t < trange / 2, t > 0}, t][[2]];
Y3peak = Evaluate[NMaximize[{Y3f[t], t < trange / 2, t > 0}, t][[1]];
t3peak = Evaluate[t /. NMaximize[{Y3f[t], t < trange / 2, t > 0}, t][[2]];
Y4peak = Evaluate[NMaximize[{Y4f[t], t < trange / 2, t > 0}, t][[1]];
t4peak = Evaluate[t /. NMaximize[{Y4f[t], t < trange / 2, t > 0}, t][[2]];
Y5peak = Evaluate[NMaximize[{Y5f[t], t < trange / 2, t > 0}, t][[1]];
t5peak = Evaluate[t /. NMaximize[{Y5f[t], t < trange / 2, t > 0}, t][[2]];
Y6peak = Evaluate[NMaximize[{Y6f[t], t < trange / 2, t > 0}, t][[1]];
t6peak = Evaluate[t /. NMaximize[{Y6f[t], t < trange / 2, t > 0}, t][[2]];
Y7peak = Evaluate[NMaximize[{Y7f[t], t < trange / 2, t > 0}, t][[1]];
t7peak = Evaluate[t /. NMaximize[{Y7f[t], t < trange / 2, t > 0}, t][[2]];
(*Stereocilium 7 response*)
(*Tick Marks*)

```


```


TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = -50;
Ymax = 50;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^1}];
stereocilium1symmplot =
  Show[Plot[{Y7f[t]}, {t, 0, trange}, PlotRange → All, MaxRecursion → 15,
    PlotStyle → Thickness[Linewidth], Frame → {{True, False}, {True, False}},
    FrameTicks → {XTicks, YTicks}, FrameLabel → {"Time (ms)", "Displacement (nm)"},
    FrameStyle → {{{Black, Thickness[Linewidth], FontSize → Fontsize},
      {Black, Thickness[Linewidth], FontSize → Fontsize}},
    {{Black, Thickness[Linewidth], FontSize → Fontsize},
      {Black, Thickness[Linewidth], FontSize → Fontsize}}}, Axes → False]]
(*Zoom for onset time*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = ts + 3;
Ymin = 0;
Ymax = 300;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^0}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^2}];
Show[Plot[{Y0f[t]}, {t, ts - 1, ts + 2},
  PlotRange → {Ymin - 10, Ymax}, MaxRecursion → 15,
  PlotStyle → {Black, Thickness[Linewidth]}, Frame → {{True, False}, {True, False}},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameTicks → {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → Fontsize},
    {Black, Thickness[Linewidth], FontSize → Fontsize}},
    {{Black, Thickness[Linewidth], FontSize → Fontsize},
      {Black, Thickness[Linewidth], FontSize → Fontsize}}}, Axes → False],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]},
  {t, ts - 1, ts + 2}, PlotRange → All, MaxRecursion → 15,
  PlotStyle → {Thickness[Linewidth]}, Frame → {{True, False}, {True, False}},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameTicks → {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → Fontsize},
    {Black, Thickness[Linewidth], FontSize → Fontsize}},
    {{Black, Thickness[Linewidth], FontSize → Fontsize},
      {Black, Thickness[Linewidth], FontSize → Fontsize}}}, Axes → False]]


```


Out[340]= 0.8


Out[344]= 0.670773


Out[359]= { { Y1 → InterpolatingFunction [ Domain: {{0., 60. }} Output: scalar] ,


Y2 → InterpolatingFunction [ Domain: {{0., 60. }} Output: scalar] ,

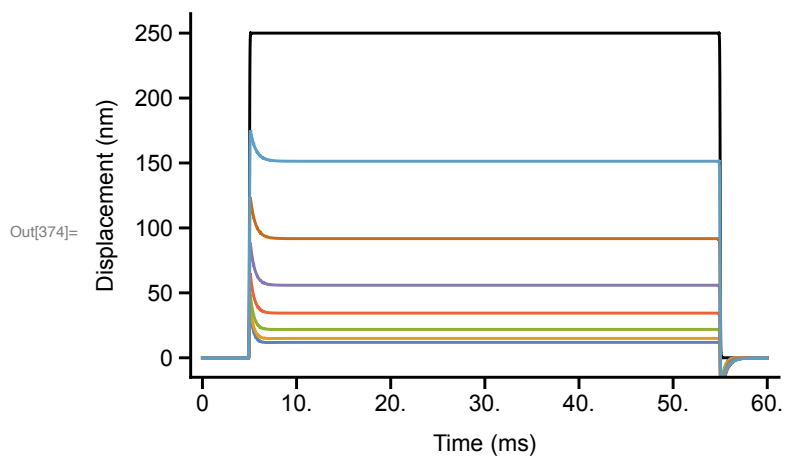
Y3 → InterpolatingFunction [ Domain: {{0., 60. }} Output: scalar] ,

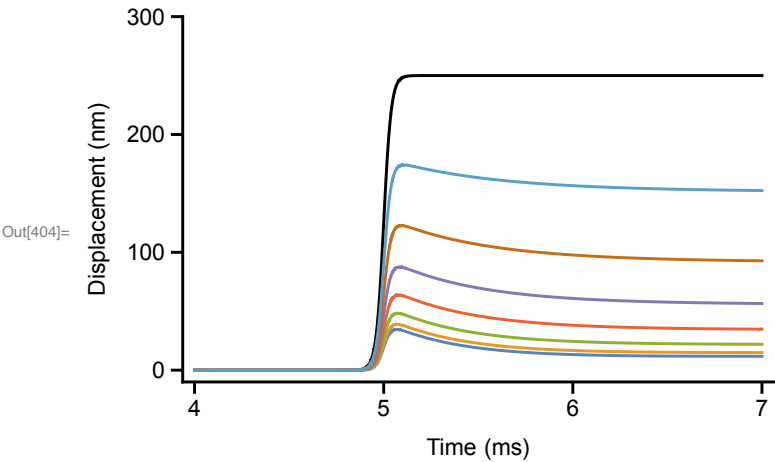
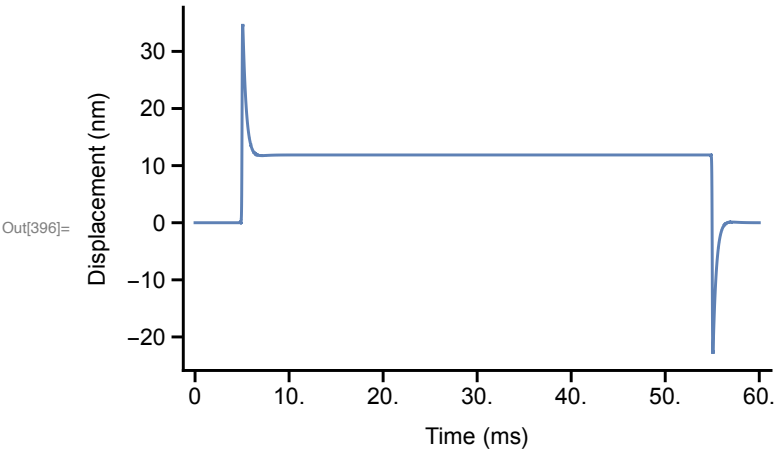
Y4 → InterpolatingFunction [ Domain: {{0., 60. }} Output: scalar] ,

Y5 → InterpolatingFunction [ Domain: {{0., 60. }} Output: scalar] ,

Y6 → InterpolatingFunction [ Domain: {{0., 60. }} Output: scalar] ,

Y7 → InterpolatingFunction [ Domain: {{0., 60. }} Output: scalar]] }

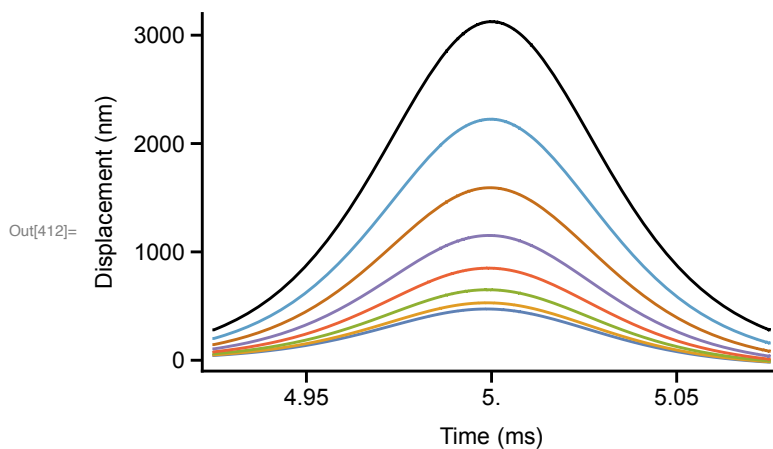





```

In[405]:= (*Tick Marks*)
TickLength = 0.02;
Xmin = ts - 0.1;
Xmax = ts + 0.1;
Ymin = 0;
Ymax = 5 * 10^3;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 5 * 10^-2}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 10^3}];
Show[Plot[{Y0f'[t]}, {t, ts - 0.075, ts + 0.075}, PlotRange → {-100, 3.2 * 10^3},
  MaxRecursion → 15, PlotStyle → {Black, Thickness[Linewidth]},
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
Plot[{Y7f'[t], Y6f'[t], Y5f'[t], Y4f'[t], Y3f'[t], Y2f'[t], Y1f'[t]},
  {t, ts - 0.075, ts + 0.075}, PlotRange → {-100, 3.2 * 10^3},
  MaxRecursion → 15, PlotStyle → Thickness[Linewidth],
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]]

```



```

In[413]:= (*****

```

```

In[414]:= (*Plot maximum slope versus stereocilium position*)
Y0slopemax = Evaluate[NMaximize[{Y0f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t0slopemax = Evaluate[t /. NMaximize[{Y0f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
Y1slopemax = Evaluate[NMaximize[{Y1f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t1slopemax = Evaluate[t /. NMaximize[{Y1f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
Y2slopemax = Evaluate[NMaximize[{Y2f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t2slopemax = Evaluate[t /. NMaximize[{Y2f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
Y3slopemax = Evaluate[NMaximize[{Y3f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t3slopemax = Evaluate[t /. NMaximize[{Y3f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
Y4slopemax = Evaluate[NMaximize[{Y4f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t4slopemax = Evaluate[t /. NMaximize[{Y4f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
Y5slopemax = Evaluate[NMaximize[{Y5f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t5slopemax = Evaluate[t /. NMaximize[{Y5f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
Y6slopemax = Evaluate[NMaximize[{Y6f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t6slopemax = Evaluate[t /. NMaximize[{Y6f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
Y7slopemax = Evaluate[NMaximize[{Y7f'[t], t < ts + 0.1, t > ts - 0.1}, t][[1]];
t7slopemax = Evaluate[t /. NMaximize[{Y7f'[t], t < ts + 0.1, t > ts - 0.1}, t][[2]]
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = 7;
Ymin = 0;
Ymax = 5 * 10^3;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, Ymax * 1 * 10^-1}];
ListPlot[{{{7, Y7slopemax}}, {{6, Y6slopemax}}, {{5, Y5slopemax}}, {{4, Y4slopemax}},
  {{3, Y3slopemax}}, {{2, Y2slopemax}}, {{1, Y1slopemax}}, {{0, Y0slopemax}}},
  PlotRange -> {{Xmin - 0.5, Xmax + 0.5}, {Ymin, All}},
  PlotStyle -> Table[{ColorData[97, "ColorList"][[n]], PointSize[0.02]}, {n, 1, 10}],
  PlotStyle -> {Black, Thickness[Linewidth]},
  Frame -> {{True, False}, {True, False}}, FrameTicks -> {XTicks, YTicks},
  FrameLabel -> {"Stereocilium position", "Slope (nm/ms)"},
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> Fontsize},
    {Black, Thickness[Linewidth], FontSize -> Fontsize}},
    {{Black, Thickness[Linewidth], FontSize -> Fontsize},
    {Black, Thickness[Linewidth], FontSize -> Fontsize}}}, Axes -> False]

Out[415]= 5.

Out[417]= 4.99979

Out[419]= 4.99958

Out[421]= 4.99935

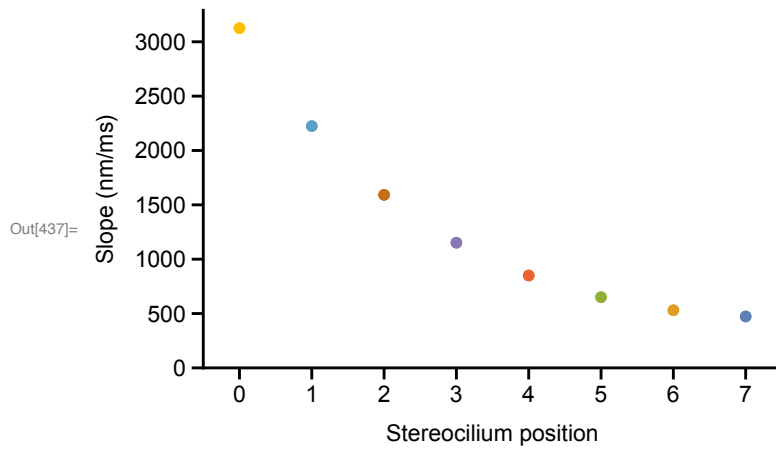
Out[423]= 4.99913

```

Out[425]= 4.9989

Out[427]= 4.99871

Out[429]= 4.99859

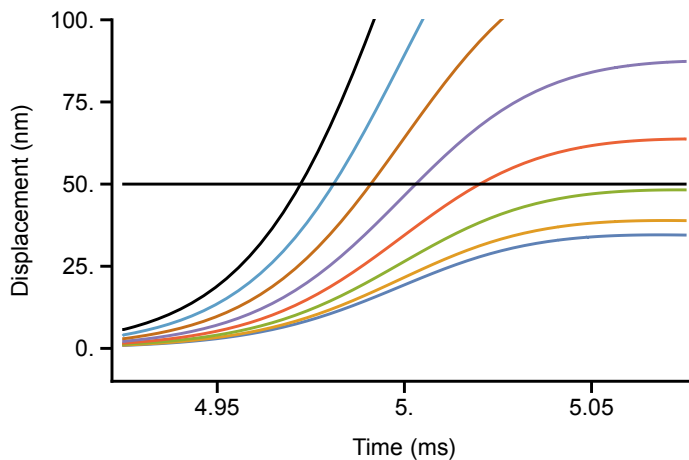


```

In[438]:= (*Zoom for time to fixed displacement*)
Yth = 50;
(*Tick Marks*)
TickLength = 0.02;
Xmin = ts - 0.1;
Xmax = ts + 0.1;
Ymin = 0;
Ymax = 100;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 5 * 10^-2}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 2.5 * 10^1}];
Show[Plot[{Y0f[t]}, {t, ts - 0.075, ts + 0.075},
  PlotRange -> {Ymin - 10, Ymax}, MaxRecursion -> 15,
  PlotStyle -> {Black, Thickness[Linewidth]}, Frame -> {{True, False}, {True, False}},
  FrameLabel -> {"Time (ms)", "Displacement (nm)"},
  FrameTicks -> {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle -> {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}, Axes -> False],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]},
  {t, ts - 0.075, ts + 0.075}, PlotRange -> All, MaxRecursion -> 15,
  PlotStyle -> {Thickness[Linewidth]}, Frame -> {{True, False}, {True, False}},
  FrameLabel -> {"Time (ms)", "Displacement (nm)"},
  FrameTicks -> {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle -> {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}, Axes -> False],
Plot[Yth, {t, ts - 0.075, ts + 0.075}, PlotStyle -> {Black, Thickness[Linewidth]}]]

```

Out[446]=



```

In[447]:= (*Time to absolute displacement lags for noncontacted stereocilia -
see unnormalized onset zoom. Find time to fixed displacement.*)
(*NaN if Yth is not achieved*)
deltat = 10^-5;
tmin = ts - 0.1;
tmax = ts + 0.1;
ttable = Table[t, {t, tmin, tmax, deltat}];
t0max = If[Total[Table[If[Y0f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y0f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y0f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
t1max = If[Total[Table[If[Y1f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y1f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y1f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
t2max = If[Total[Table[If[Y2f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y2f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y2f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
t3max = If[Total[Table[If[Y3f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y3f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y3f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
t4max = If[Total[Table[If[Y4f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y4f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y4f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
t5max = If[Total[Table[If[Y5f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y5f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y5f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
t6max = If[Total[Table[If[Y6f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y6f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y6f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
t7max = If[Total[Table[If[Y7f[t] - Yth > 0, 1, 0], {t, tmin, tmax, deltat}]] > 0,
  ttable[[Flatten[Position[Table[Abs[Y7f[t] - Yth], {t, tmin, tmax, deltat}],
    Min[Table[Abs[Y7f[t] - Yth], {t, tmin, tmax, deltat}]]]]][[1]], NaN];
{t0max, t1max, t2max, t3max, t4max, t5max, t6max, t7max}

Out[458]= {4.97227, 4.98109, 4.99101, 5.00303, 5.02013, NaN, NaN, NaN}

In[459]:= (*Delay relative to stimulated
stereocilium increases with stereocilium position*)
{{{1, t1max - t0max}}, {{2, t2max - t0max}}, {{3, t3max - t0max}},
  {{4, t4max - t0max}}, {{5, t5max - t0max}}, {{6, t6max - t0max}}, {{7, t7max - t0max}}}

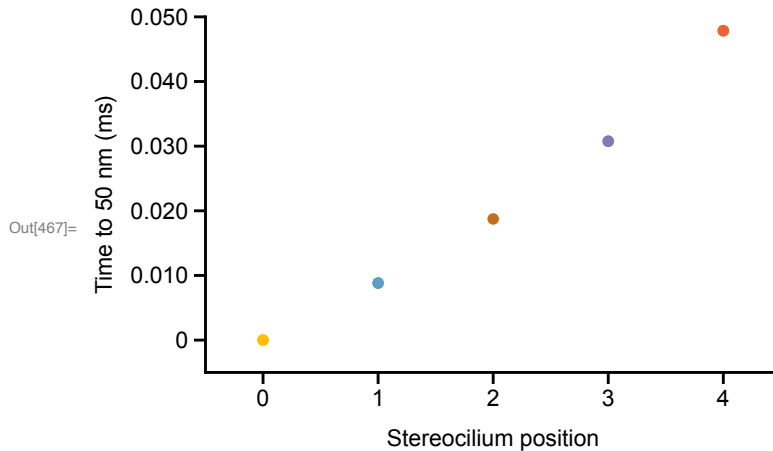
Out[459]= {{{1, 0.00882}}, {{2, 0.01874}}, {{3, 0.03076}},
  {{4, 0.04786}}, {{5, NaN}}, {{6, NaN}}, {{7, NaN}}}

```

```

In[460]:= (*Responses lag stimulus*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = 4;
Ymin = 0;
Ymax = 0.05;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^-2}];
ListPlot[{{0, t0max - t0max}}, {{1, t1max - t0max}},
  {2, t2max - t0max}, {{3, t3max - t0max}}, {{4, t4max - t0max}}},
  PlotRange → {{Xmin - 0.5, Xmax + 0.5}, {Ymin - 0.005, Ymax}},
  PlotStyle → Table[{ColorData[97, "ColorList"][[n]], PointSize[0.02]}, {n, 8, 1, -1}],
  Frame → {{True, False}, {True, False}},
  FrameLabel → {"Stereocilium position", "Time to 50 nm (ms)"},
  FrameTicks → {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → Fontsize},
    {Black, Thickness[Linewidth], FontSize → Fontsize}},
    {{Black, Thickness[Linewidth], FontSize → Fontsize},
    {Black, Thickness[Linewidth], FontSize → Fontsize}}}, Axes → False]

```

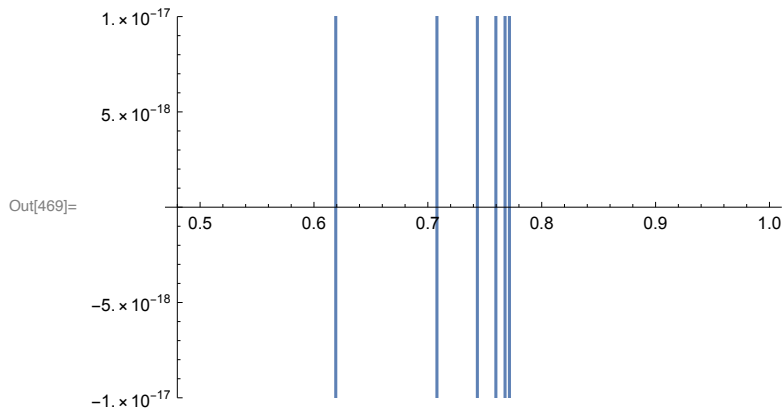


```

In[468]:= (*There are ntotv-1 time constants. Roots are time constants.*)

```

```
In[469]:= Plot[g[ntotv - 1, -tau * KAv + gammaAv, -tau * KLv + gammaLv],
  {tau, 0.48, 1}, PlotRange -> {-10^-17, 10^-17}]
```



```
In[470]:= (*Find effective time constants from fitting. 1 time
  constant is sufficient. 2 time constants doesn't work.*)
```

```
In[471]:= taufit = Table[NaN, {n, 1, ntotv - 1}];
```

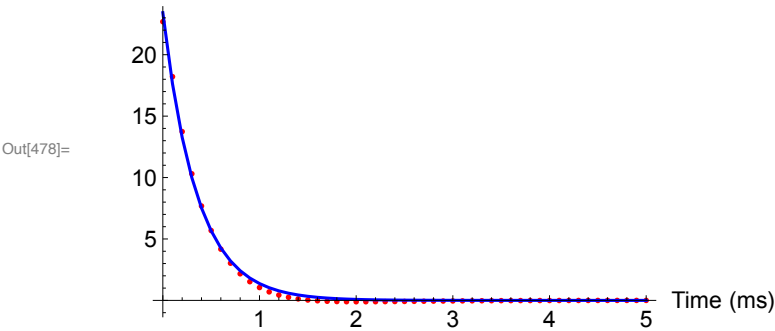
```
In[472]:= (*Time after peak to fit*)
  tfitend = 5;
```

```
In[473]:= Yfittable = Table[{t, Y7f[t + t7peak] - Y[7, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
  fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
  Print[fit["ParameterTable"]];
  Print[
    Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
  taufit[[7]] =
    Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
  Show[ListPlot[Yfittable, PlotStyle -> Red,
    AxesLabel -> {"Time (ms)", "Relatation (nm)"},
    AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
    {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
    {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
  fit2 = NonlinearModelFit[Yfittable,
    {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
  Print[fit2["ParameterTable"]];
  Print[
    Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.352212	0.00448972	78.4486	3.52386×10^{-53}
A	23.4182	0.18434	127.038	2.18774×10^{-63}

AdjustedRSquared 0.997987
AIC -3.98866
BIC 1.80681
RSquared 0.998066

Relation (nm)



	Estimate	Standard Error	t-Statistic	P-Value
A1	12.6489	69.9233	0.180896	0.857227
tau1	0.352212	3.06055×10^8	1.15081×10^{-9}	1
A2	10.7693	70.0085	0.153829	0.878403
tau2	0.352212	3.5947×10^8	9.79811×10^{-10}	1

AdjustedRSquared 0.997901
AIC 0.136645
BIC 9.79577
RSquared 0.998066

In[482]:=

```

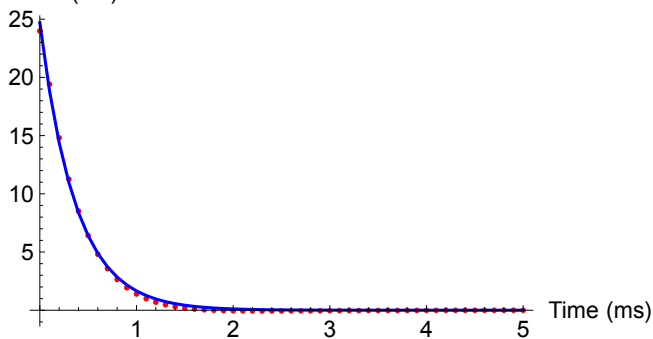
Yfittable = Table[{t, Y6f[t + t6peak] - Y[6, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} & {"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment → Left]];
taufit[[6]] =
  Around[{tau /. fit["BestFitParameters"]}, fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle → Red,
  AxesLabel → {"Time (ms)", "Relatation (nm)"},
  AxesStyle → Directive[Black, FontSize → 12], PlotRange → All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle → Blue, Joined → True, PlotRange → All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} & {"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment → Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.370121	0.00387719	95.4611	2.4946×10^{-57}
A	24.6955	0.160756	153.621	2.02638×10^{-67}

AdjustedRSquared 0.998636
AIC -16.5697
BIC -10.7742
RSquared 0.99869

Relatation (nm)



Out[487]=

	Estimate	Standard Error	t-Statistic	P-Value
A1	4.85625	0.0908163	53.4734	9.38463 $\times 10^{-44}$
tau1	0.370121	1.45459 $\times 10^6$	2.5445 $\times 10^{-7}$	1.
A2	19.8393	0.0900762	220.25	1.70284 $\times 10^{-72}$
tau2	0.370121	356.055.	1.03951 $\times 10^{-6}$	0.999999
AdjustedRSquared	0.998578			
AIC	-12.4444			
BIC	-2.78528			
RSquared	0.99869			

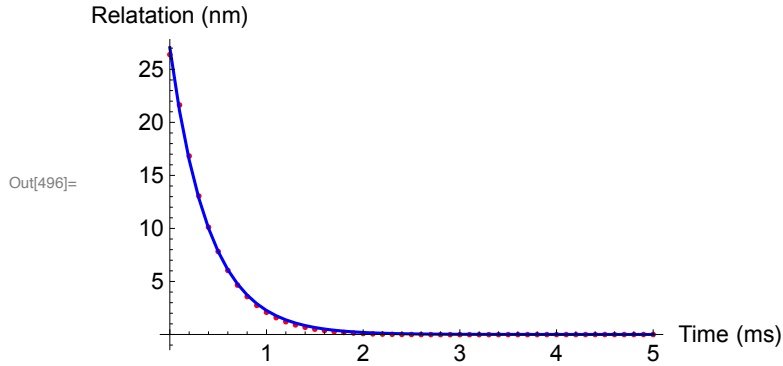
In[491]:=

```

Yfittable = Table[{t, Y5f[t + t5peak] - Y[5, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];
taufit[[5]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.403118	0.00299673	134.519	1.33596 $\times 10^{-64}$
A	27.038	0.126176	214.288	1.71568 $\times 10^{-74}$
AdjustedRSquared	0.99931			
AIC	-38.7926			
BIC	-32.9971			
RSquared	0.999337			



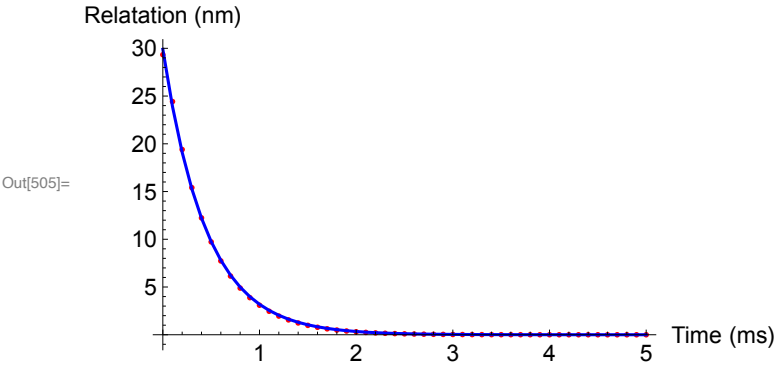
	Estimate	Standard Error	t-Statistic	P-Value
A1	18.4304	0.0714963	257.781	1.05203×10^{-75}
tau1	0.403118	516.168	7.80983	$\times 10^{-7}$ 0.999999
A2	8.60764	0.0714114	120.536	3.25927×10^{-60}
tau2	0.403118	1.1052×10^6	3.64747×10^{-7}	1.
AdjustedRSquared 0.999281				
AIC -34.6673				
BIC -25.0081				
RSquared 0.999337				

In[500]:=

```
Yfittable = Table[{t, Y4f[t + t4peak] - Y[4, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} & [{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
taufit[[4]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} & [{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.446751	0.00228354	195.639	1.47814 $\times 10^{-72}$
A	29.8966	0.0970107	308.179	3.21891 $\times 10^{-82}$

AdjustedRSquared 0.999672
AIC - 62.4509
BIC - 56.6555
RSquared 0.999685



	Estimate	Standard Error	t-Statistic	P-Value
A1	11.3514	0.0553191	205.199	4.72603 $\times 10^{-71}$
tau1	0.446751	438.406.	1.01903	$\times 10^{-6}$ 0.999999
A2	18.5452	0.0553904	334.809	4.87766 $\times 10^{-81}$
tau2	0.446751	268.346.	1.66483	$\times 10^{-6}$ 0.999999

AdjustedRSquared 0.999659
AIC - 58.3256
BIC - 48.6665
RSquared 0.999685

In[509]:=

```

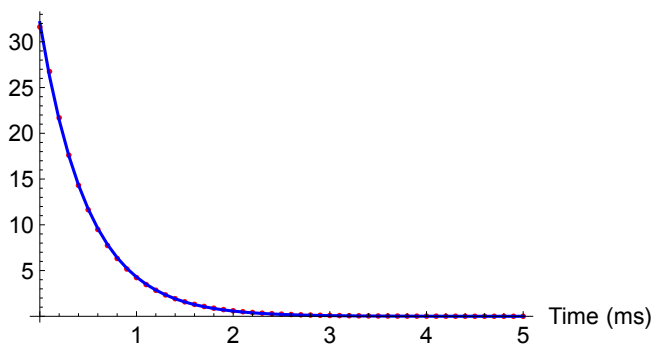
Yfittable = Table[{t, Y3f[t + t3peak] - Y[3, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} & {"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment → Left]];
taufit[[3]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle → Red,
  AxesLabel → {"Time (ms)", "Relatation (nm)"},
  AxesStyle → Directive[Black, FontSize → 12], PlotRange → All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle → Blue, Joined → True, PlotRange → All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} & {"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment → Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.496798	0.00197551	251.478	6.78973×10^{-78}
A	32.0922	0.0818683	391.998	2.45592×10^{-87}

AdjustedRSquared 0.999801
AIC -76.324
BIC -70.5285
RSquared 0.999809

Relatation (nm)



Out[514]=

	Estimate	Standard Error	t-Statistic	P-Value
A1	20.0693	0.0466271	430.42	3.65081×10^{-86}
tau1	0.496798	453.685.	1.09503	$\times 10^{-6}$ 0.999999
A2	12.0229	0.0475144	253.038	2.51679×10^{-75}
tau2	0.496798	757.313.	6.56001	$\times 10^{-7}$ 0.999999
AdjustedRSquared 0.999793				
AIC	- 72.1987			
BIC	- 62.5396			
RSquared	0.999809			

In[518]:=

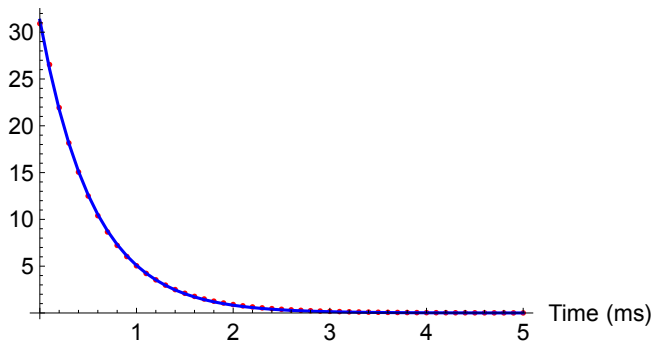
```

Yfittable = Table[{t, Y2f[t + t2peak] - Y[2, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];
taufit[[2]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.550522	0.00196992	279.464	3.87159×10^{-80}
A	31.2761	0.0724609	431.627	2.19466×10^{-89}
AdjustedRSquared 0.999839				
AIC	- 85.2881			
BIC	- 79.4926			
RSquared	0.999845			

Relatation (nm)



Out[523]=

	Estimate	Standard Error	t-Statistic	P-Value
A1	31.1103	0.414422	75.0691	1.34328 $\times 10^{-50}$
tau1	0.544227	0.00718787	75.7146	9.01176 $\times 10^{-51}$
A2	0.213512	0.43598	0.489729	0.626604
tau2	1.98604	2.5007	0.794194	0.431074
AdjustedRSquared 0.999847				
AIC	- 86.1794			
BIC	- 76.5202			
RSquared	0.999859			

In[527]:=

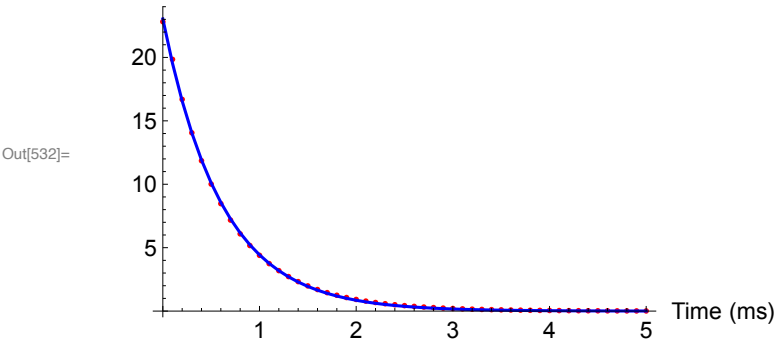
```

Yfittable = Table[{t, Y1f[t + t1peak] - Y[1, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
taufit[[1]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.60678	0.00203442	298.257	1.59874×10^{-81}
A	23.0333	0.0504004	457.006	1.33596×10^{-90}
AdjustedRSquared 0.999858				
AIC	-118.878			
BIC	-113.082			
RSquared	0.999864			

Relation (nm)

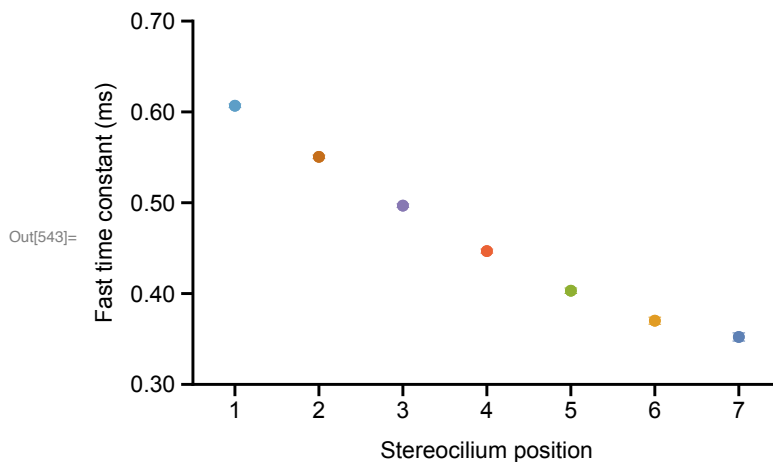


	Estimate	Standard Error	t-Statistic	P-Value
A1	0.424729	0.683532	0.621374	0.537356
tau1	1.53201	1.08244	1.41533	0.163564
A2	22.6673	0.665236	34.074	8.65444×10^{-35}
tau2	0.593344	0.0111772	53.085	1.3147×10^{-43}
AdjustedRSquared 0.999882				
AIC	-126.225			
BIC	-116.566			
RSquared	0.999891			


```

In[536]:= (*Stereocilium farthest from probe relaxes with the smallest time constant!*)
(*Chose gammaL/KL to match experimental time constants*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 1;
Xmax = 7;
Ymin = 0;
Ymax = 1;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^-1}];
ListPlot[Reverse[Table[{{n, taufit[[n]]}}, {n, 1, ntotv - 1}]],
PlotRange -> {{Xmin - 0.5, Xmax + 0.5}, {0.3, 0.7}}, PlotStyle ->
Table[{ColorData[97, "ColorList"][[m]], PointSize[0.02]}, {m, 1, ntotv - 1}],
IntervalMarkersStyle -> Table[{ColorData[97, "ColorList"][[m]], PointSize[0.02]},
{m, 1, ntotv - 1}], Frame -> {{True, False}, {True, False}},
FrameLabel -> {"Stereocilium position", "Fast time constant (ms)"},
FrameTicks -> {{YTicks, YTicks}, {XTicks, XTicks}},
FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> Fontsize},
{Black, Thickness[Linewidth], FontSize -> Fontsize}},
{{Black, Thickness[Linewidth], FontSize -> Fontsize},
{Black, Thickness[Linewidth], FontSize -> Fontsize}}}, Axes -> False]

```



```

In[544]:= (*****
(*****)

```

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In[545]:= (*Speed up stimulus to approximate ideal step*)
ntotv = ssnstereoList[[wingindexnum2]]
Y0v = 250 (*nm*);
slopefac = 10^9;
ts = 5;
te = 55;
trange = 60;
Y0slowf[t_] :=
  Y0v * Evaluate[(1 + Exp[-(t - ts) * slopefac])^-1 - (1 + Exp[-(t - te) * slopefac])^-1];

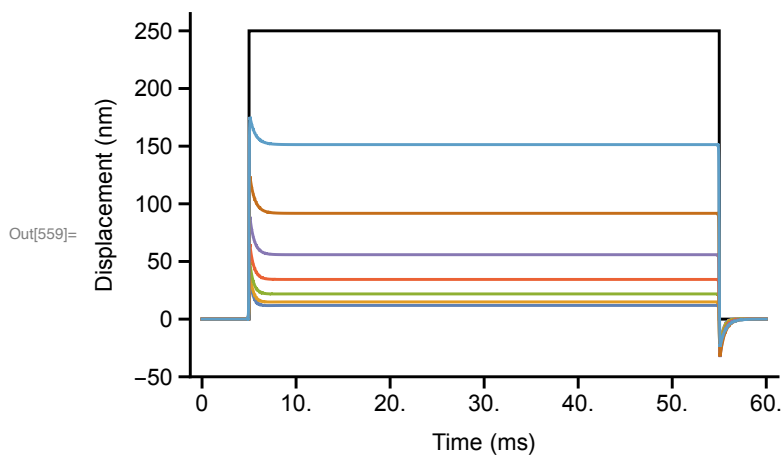
Out[545]= 8

```

```

In[552]:= (*Stimulus and responses*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = -50;
Ymax = 250;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 5 * 10^1}];
FastPlot =
Show[Plot[{Y0f[t]}, {t, 0, trange}, PlotRange → {-50, Ymax + 15}, MaxRecursion → 15,
  PlotStyle → {Black, Thickness[Linewidth]}, Frame → {{True, False}, {True, False}},
  FrameTicks → {XTicks, YTicks}, FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
  {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]},
  {t, 0, trange}, MaxRecursion → 15, PlotStyle → Thickness[Linewidth],
  Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
  {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]]

```



```

In[560]:= (*****
(*****

```

```

In[561]:= (*Slow stimulus to remove reverse*)
ntotv = ssnstereoList[[wingindexnum2]]
Y0v = 250 (*nm*);
slopefac = 1;
ts = 5;
te = 55;
trange = 60;
Y0slowf[t_] :=
  Y0v * Evaluate[(1 + Exp[-(t - ts) * slopefac]) ^ -1 - (1 + Exp[-(t - te) * slopefac]) ^ -1];

```

Out[561]= 8

```

In[568]:= (*Doesn't work unless we use the equation simplification method*)
(*8 cilia, Y0 clamped, all cilia have rootlets. For 10 kHz low-
  pass filtered experimental stimulus use s =
  10*4 = 40 such that the maximum slope is 5 kHz.*)
KLv = 5; (*mN/m*)
KAv = ssAoLList[[wingindexnum2, 1, 2]] * KLv;
gammaLv = 0.8 * KLv; (*uN.s/m*)
gammaLv / KLv (*ms*)
gammaAv = onsetAoLList[[wingindexnum2, 1, 2]] * gammaLv;
KAoLv = KAv / KLv;
gammaAoLv = gammaAv / gammaLv;
(*Geometric mean time constant*)
taugmv = (gammaLv / KLv) *
  (g[ntotv - 1, gammaAoLv, 1] / g[ntotv - 1, KAv / KLv, 1]) ^ (1 / (ntotv - 1))
KA1v = KAv; gammaA1v = gammaAv;
KA2v = KAv; gammaA2v = gammaAv;
KA3v = KAv; gammaA3v = gammaAv;
KA4v = KAv; gammaA4v = gammaAv;
KA5v = KAv; gammaA5v = gammaAv;
KA6v = KAv; gammaA6v = gammaAv;
KA7v = KAv; gammaA7v = gammaAv;
K1v = KLv; gamma1v = gammaLv;
K2v = KLv; gamma2v = gammaLv;
K3v = KLv; gamma3v = gammaLv;
K4v = KLv; gamma4v = gammaLv;
K5v = KLv; gamma5v = gammaLv;
K6v = KLv; gamma6v = gammaLv;
K7v = KLv; gamma7v = gammaLv;
Ysln =
  NDSolve[{KA1v * Y1[t] + gammaA1v * Y1'[t] + K1v * (Y1[t] - Y0f[t]) - K2v * (Y2[t] - Y1[t]) +
    gamma1v * (Y1'[t] - Y0f'[t]) - gamma2v * (Y2'[t] - Y1'[t]) == 0, Y1[0] == 0,
    KA2v * Y2[t] + gammaA2v * Y2'[t] + K2v * (Y2[t] - Y1[t]) - K3v * (Y3[t] - Y2[t]) +

```

```

    gamma2v * (Y2'[t] - Y1'[t]) - gamma3v * (Y3'[t] - Y2'[t]) == 0, Y2[0] == 0,
    KA3v * Y3[t] + gammaA3v * Y3'[t] + K3v * (Y3[t] - Y2[t]) - K4v * (Y4[t] - Y3[t]) +
    gamma3v * (Y3'[t] - Y2'[t]) - gamma4v * (Y4'[t] - Y3'[t]) == 0, Y3[0] == 0,
    KA4v * Y4[t] + gammaA4v * Y4'[t] + K4v * (Y4[t] - Y3[t]) - K5v * (Y5[t] - Y4[t]) +
    gamma4v * (Y4'[t] - Y3'[t]) - gamma5v * (Y5'[t] - Y4'[t]) == 0, Y4[0] == 0,
    KA5v * Y5[t] + gammaA5v * Y5'[t] + K5v * (Y5[t] - Y4[t]) - K6v * (Y6[t] - Y5[t]) +
    gamma5v * (Y5'[t] - Y4'[t]) - gamma6v * (Y6'[t] - Y5'[t]) == 0, Y5[0] == 0,
    KA6v * Y6[t] + gammaA6v * Y6'[t] + K6v * (Y6[t] - Y5[t]) - K7v * (Y7[t] - Y6[t]) +
    gamma6v * (Y6'[t] - Y5'[t]) - gamma7v * (Y7'[t] - Y6'[t]) == 0, Y6[0] == 0,
    KA7v * Y7[t] + gammaA7v * Y7'[t] + K7v * (Y7[t] - Y6[t]) + gamma7v * (Y7'[t] - Y6'[t]) ==
    0, Y7[0] == 0}, {Y1, Y2, Y3, Y4, Y5, Y6, Y7},
    {t, 0, trange}, Method -> {"EquationSimplification" -> "Residual"}]
Y1slowf[t_] := Evaluate[Y1[t] /. Ysln[1]]
Y2slowf[t_] := Evaluate[Y2[t] /. Ysln[1]]
Y3slowf[t_] := Evaluate[Y3[t] /. Ysln[1]]
Y4slowf[t_] := Evaluate[Y4[t] /. Ysln[1]]
Y5slowf[t_] := Evaluate[Y5[t] /. Ysln[1]]
Y6slowf[t_] := Evaluate[Y6[t] /. Ysln[1]]
Y7slowf[t_] := Evaluate[Y7[t] /. Ysln[1]]
(*Stimulus and responses*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = -50;
Ymax = 250;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 5 * 10^1}];
SlowPlot = Show[
    Plot[{Y0slowf[t]}, {t, 0, trange}, PlotRange -> {-50, Ymax + 15}, MaxRecursion -> 15,
    PlotStyle -> {Black, Thickness[Linewidth]}, Frame -> {{True, False}, {True, False}},
    FrameTicks -> {XTicks, YTicks}, FrameLabel -> {"Time (ms)", "Displacement (nm)"},
    FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False],
    Plot[{Y7slowf[t], Y6slowf[t], Y5slowf[t], Y4slowf[t],
    Y3slowf[t], Y2slowf[t], Y1slowf[t]}, {t, 0, trange}, MaxRecursion -> 15,
    PlotStyle -> Thickness[Linewidth], Frame -> {{True, False}, {True, False}},
    FrameTicks -> {XTicks, YTicks}, FrameLabel -> {"Time (ms)", "Displacement (nm)"},
    FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False]]

```

Out[571]= 0.8

Out[575]= 0.670773

Out[590]= { {Y1 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar],

Y2 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar],

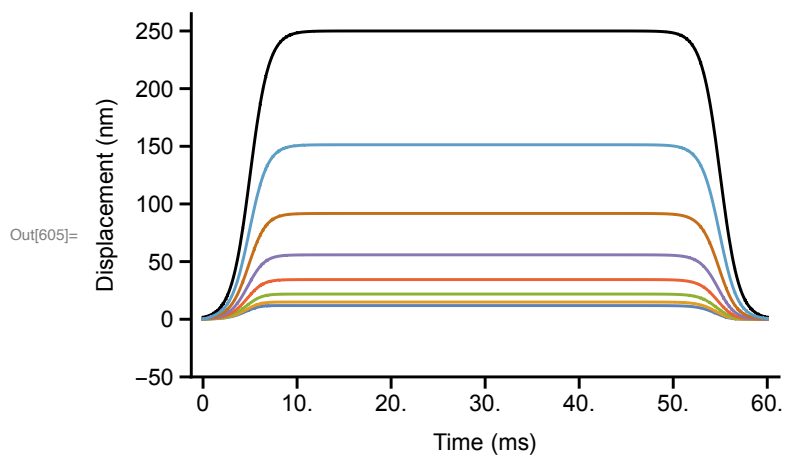
Y3 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar],

Y4 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar],

Y5 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar],

Y6 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar],

Y7 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar] }



In[606]:= (*****)

(*****)

In[607]:= (*Slow offset speed in comparison to onset speed*)

```

In[608]:= (*Match slope of stimulus to experimental data*)
ntotv = ssnstereoList[[wingindexnum2]]
Y0v = 250 (*nm*);
slopefaconset = 50;
slopefacoffset = 10;
ts = 5;
te = 55;
trange = 60;
Y0f[t_] := Y0v * Evaluate[
  (1 + Exp[-(t - ts) * slopefaconset]) ^ -1 - (1 + Exp[-(t - te) * slopefacoffset]) ^ -1];

```

Out[608]= 8

```

In[616]:= (*Doesn't work unless we use the equation simplification method*)
(*8 cilia, Y0 clamped, all cilia have rootlets. For 10 kHz low-
pass filtered experimental stimulus use s =
10*4 = 40 such that the maximum slope is 5 kHz.*)
KLv = 5; (*mN/m*)
KA v = ssAoLList[[wingindexnum2, 1, 2]] * KLv;
gammaLv = 0.8 * KLv; (*uN.s/m*)
gammaLv / KLv (*ms*)
gammaAv = onsetAoLList[[wingindexnum2, 1, 2]] * gammaLv;
KAoLv = KA v / KLv;
gammaAoLv = gammaAv / gammaLv;
(*Geometric mean time constant*)
taugmv = (gammaLv / KLv) *
  (g[ntotv - 1, gammaAoLv, 1] / g[ntotv - 1, KA v / KLv, 1]) ^ (1 / (ntotv - 1))
KA1v = KA v; gammaA1v = gammaAv;
KA2v = KA v; gammaA2v = gammaAv;
KA3v = KA v; gammaA3v = gammaAv;
KA4v = KA v; gammaA4v = gammaAv;
KA5v = KA v; gammaA5v = gammaAv;
KA6v = KA v; gammaA6v = gammaAv;
KA7v = KA v; gammaA7v = gammaAv;
K1v = KLv; gamma1v = gammaLv;
K2v = KLv; gamma2v = gammaLv;
K3v = KLv; gamma3v = gammaLv;
K4v = KLv; gamma4v = gammaLv;
K5v = KLv; gamma5v = gammaLv;
K6v = KLv; gamma6v = gammaLv;
K7v = KLv; gamma7v = gammaLv;
Ysln =
  NDSolve[{KA1v * Y1[t] + gammaA1v * Y1'[t] + K1v * (Y1[t] - Y0f[t]) - K2v * (Y2[t] - Y1[t]) +
    gamma1v * (Y1'[t] - Y0f'[t]) - gamma2v * (Y2'[t] - Y1'[t]) == 0, Y1[0] == 0,

```

```

KA2v * Y2[t] + gammaA2v * Y2'[t] + K2v * (Y2[t] - Y1[t]) - K3v * (Y3[t] - Y2[t]) +
  gamma2v * (Y2'[t] - Y1'[t]) - gamma3v * (Y3'[t] - Y2'[t]) == 0, Y2[0] == 0,
KA3v * Y3[t] + gammaA3v * Y3'[t] + K3v * (Y3[t] - Y2[t]) - K4v * (Y4[t] - Y3[t]) +
  gamma3v * (Y3'[t] - Y2'[t]) - gamma4v * (Y4'[t] - Y3'[t]) == 0, Y3[0] == 0,
KA4v * Y4[t] + gammaA4v * Y4'[t] + K4v * (Y4[t] - Y3[t]) - K5v * (Y5[t] - Y4[t]) +
  gamma4v * (Y4'[t] - Y3'[t]) - gamma5v * (Y5'[t] - Y4'[t]) == 0, Y4[0] == 0,
KA5v * Y5[t] + gammaA5v * Y5'[t] + K5v * (Y5[t] - Y4[t]) - K6v * (Y6[t] - Y5[t]) +
  gamma5v * (Y5'[t] - Y4'[t]) - gamma6v * (Y6'[t] - Y5'[t]) == 0, Y5[0] == 0,
KA6v * Y6[t] + gammaA6v * Y6'[t] + K6v * (Y6[t] - Y5[t]) - K7v * (Y7[t] - Y6[t]) +
  gamma6v * (Y6'[t] - Y5'[t]) - gamma7v * (Y7'[t] - Y6'[t]) == 0, Y6[0] == 0,
KA7v * Y7[t] + gammaA7v * Y7'[t] + K7v * (Y7[t] - Y6[t]) + gamma7v * (Y7'[t] - Y6'[t]) ==
  0, Y7[0] == 0}, {Y1, Y2, Y3, Y4, Y5, Y6, Y7},
{t, 0, trange}, Method -> {"EquationSimplification" -> "Residual"}]
Y1f[t_] := Evaluate[Y1[t] /. Ysln[1]]
Y2f[t_] := Evaluate[Y2[t] /. Ysln[1]]
Y3f[t_] := Evaluate[Y3[t] /. Ysln[1]]
Y4f[t_] := Evaluate[Y4[t] /. Ysln[1]]
Y5f[t_] := Evaluate[Y5[t] /. Ysln[1]]
Y6f[t_] := Evaluate[Y6[t] /. Ysln[1]]
Y7f[t_] := Evaluate[Y7[t] /. Ysln[1]]
(*Stimulus and responses*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = 0;
Ymax = 250;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 5 * 10^1}];
Show[Plot[{Y0f[t]}, {t, 0, trange}, PlotRange -> {Ymin - 15, Ymax + 15},
  MaxRecursion -> 15, PlotStyle -> {Black, Thickness[Linewidth]},
  Frame -> {{True, False}, {True, False}}, FrameTicks -> {XTicks, YTicks},
  FrameLabel -> {"Time (ms)", "Displacement (nm)"},
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]},
{t, 0, trange}, MaxRecursion -> 15, PlotStyle -> Thickness[Linewidth],
Frame -> {{True, False}, {True, False}}, FrameTicks -> {XTicks, YTicks},
FrameLabel -> {"Time (ms)", "Displacement (nm)"},
FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
  {Black, Thickness[Linewidth], FontSize -> FontSize}},
  {{Black, Thickness[Linewidth], FontSize -> FontSize},
  {Black, Thickness[Linewidth], FontSize -> FontSize}},
  {{Black, Thickness[Linewidth], FontSize -> FontSize},
  {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False],

```



```

{Black, Thickness[Linewidth], FontSize → Fontsize}}}, Axes → False]]
(*Decay rates are different.*)
Y1peak = Evaluate[NMaximize[{Y1f[t], t < trange / 2, t > 0}, t][[1]];
t1peak = Evaluate[t /. NMaximize[{Y1f[t], t < trange / 2, t > 0}, t][[2]];
Y2peak = Evaluate[NMaximize[{Y2f[t], t < trange / 2, t > 0}, t][[1]];
t2peak = Evaluate[t /. NMaximize[{Y2f[t], t < trange / 2, t > 0}, t][[2]];
Y3peak = Evaluate[NMaximize[{Y3f[t], t < trange / 2, t > 0}, t][[1]];
t3peak = Evaluate[t /. NMaximize[{Y3f[t], t < trange / 2, t > 0}, t][[2]];
Y4peak = Evaluate[NMaximize[{Y4f[t], t < trange / 2, t > 0}, t][[1]];
t4peak = Evaluate[t /. NMaximize[{Y4f[t], t < trange / 2, t > 0}, t][[2]];
Y5peak = Evaluate[NMaximize[{Y5f[t], t < trange / 2, t > 0}, t][[1]];
t5peak = Evaluate[t /. NMaximize[{Y5f[t], t < trange / 2, t > 0}, t][[2]];
Y6peak = Evaluate[NMaximize[{Y6f[t], t < trange / 2, t > 0}, t][[1]];
t6peak = Evaluate[t /. NMaximize[{Y6f[t], t < trange / 2, t > 0}, t][[2]];
Y7peak = Evaluate[NMaximize[{Y7f[t], t < trange / 2, t > 0}, t][[1]];
t7peak = Evaluate[t /. NMaximize[{Y7f[t], t < trange / 2, t > 0}, t][[2]];
(*Stereocilium 7 response*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = -50;
Ymax = 50;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^1}];
stereocilium1asymplot =
Show[Plot[{Y7f[t]}, {t, 0, trange}, PlotRange → All, MaxRecursion → 15,
PlotStyle → {Thickness[Linewidth], Red}, Frame → {{True, False}, {True, False}},
FrameTicks → {XTicks, YTicks}, FrameLabel → {"Time (ms)", "Displacement (nm)"},
FrameStyle → {{{Black, Thickness[Linewidth], FontSize → Fontsize},
{Black, Thickness[Linewidth], FontSize → Fontsize}},
{{Black, Thickness[Linewidth], FontSize → Fontsize},
{Black, Thickness[Linewidth], FontSize → Fontsize}}}, Axes → False]]
Show[stereocilium1symmplot, stereocilium1asymplot]

```

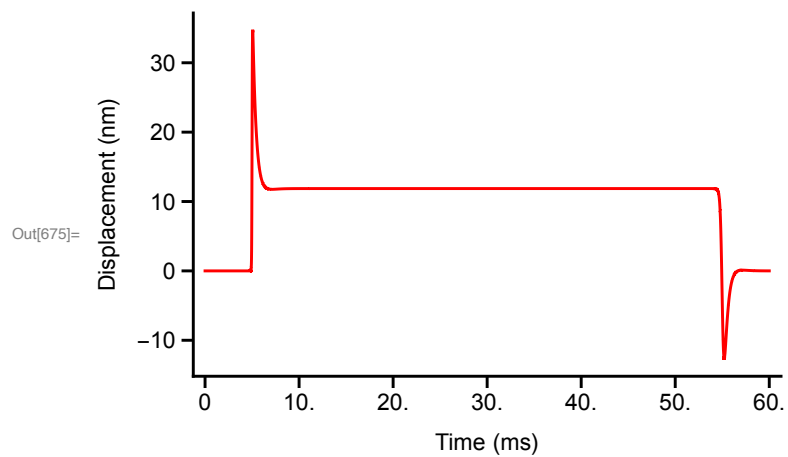
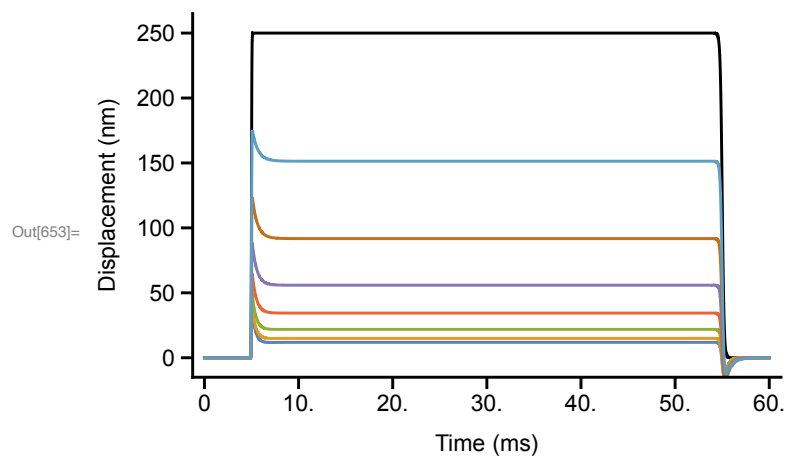
Out[619]= 0.8

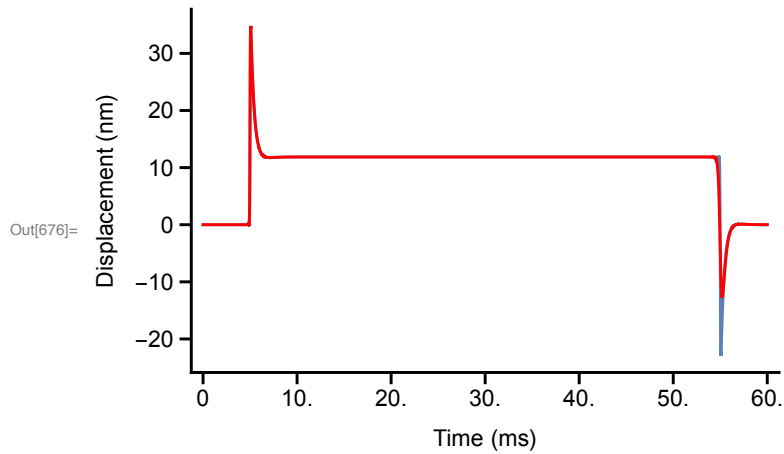
Out[623]= 0.670773

```

Out[638]= { {Y1 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar ],
Y2 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar ],
Y3 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar ],
Y4 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar ],
Y5 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar ],
Y6 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar ],
Y7 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar ] ] }

```





```
In[677]:= (*****  
(*****Predictions*****  
(*****
```

```
In[678]:= Data[[wingindex[[wingindexnum2]], 1]]
```

Out[678]= S8811019_1_left

```
In[679]:= Min[onsetAoLListrenum[[All, 1, 2]]  
Min[ssAoLListrenum[[All, 1, 2]]
```

Out[679]= 0.110505

Out[680]= 0.154369

```
In[681]:= Max[onsetAoLListrenum[[All, 1, 2]]  
Max[ssAoLListrenum[[All, 1, 2]]
```

Out[681]= 0.391498

Out[682]= 0.531762

```
In[683]:= Min[Table[ssAoLListrenum[[n, 1, 2]] / onsetAoLListrenum[[n, 1, 2]],  
{n, 1, Length[ssAoLListrenum]}]]  
Max[Table[ssAoLListrenum[[n, 1, 2]] / onsetAoLListrenum[[n, 1, 2]],  
{n, 1, Length[ssAoLListrenum]}]]
```

Out[683]= 0.860208

Out[684]= 2.49625

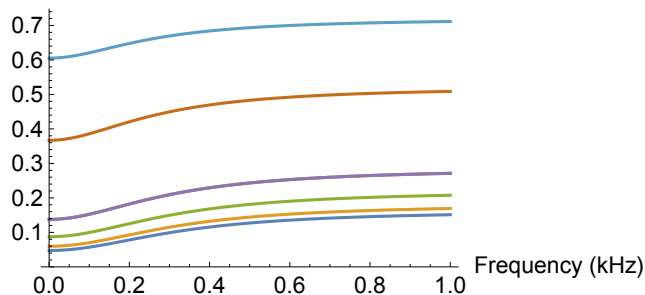
```
In[685]:= (*Displacement stimulus*)
```

```
In[686]:= harmsln = Solve[{KA1v * Y1 + gammaA1v * I * w * Y1 + K1v * (Y1 - Y0) - K2v * (Y2 - Y1) +
  gamma1v * (I * w * Y1 - I * w * Y0) - gamma2v * (I * w * Y2 - I * w * Y1) == 0,
  KA2v * Y2 + gammaA2v * I * w * Y2 + K2v * (Y2 - Y1) - K3v * (Y3 - Y2) +
  gamma2v * (I * w * Y2 - I * w * Y1) - gamma3v * (I * w * Y3 - I * w * Y2) == 0,
  KA3v * Y3 + gammaA3v * I * w * Y3 + K3v * (Y3 - Y2) - K4v * (Y4 - Y3) +
  gamma3v * (I * w * Y3 - I * w * Y2) - gamma4v * (I * w * Y4 - I * w * Y3) == 0,
  KA4v * Y4 + gammaA4v * I * w * Y4 + K4v * (Y4 - Y3) - K5v * (Y5 - Y4) +
  gamma4v * (I * w * Y4 - I * w * Y3) - gamma5v * (I * w * Y5 - I * w * Y4) == 0,
  KA5v * Y5 + gammaA5v * I * w * Y5 + K5v * (Y5 - Y4) - K6v * (Y6 - Y5) +
  gamma5v * (I * w * Y5 - I * w * Y4) - gamma6v * (I * w * Y6 - I * w * Y5) == 0,
  KA6v * Y6 + gammaA6v * I * w * Y6 + K6v * (Y6 - Y5) - K7v * (Y7 - Y6) +
  gamma6v * (I * w * Y6 - I * w * Y5) - gamma7v * (I * w * Y7 - I * w * Y6) == 0,
  KA7v * Y7 + gammaA6v * I * w * Y7 + K7v * (Y7 - Y6) + gamma7v * (I * w * Y7 - I * w * Y6) == 0},
  {Y1, Y2, Y3, Y4, Y5, Y6, Y7}];
```

```
In[687]:= Y1harmf[w_, Y0_] := Evaluate[Y1 /. harmsln[[1]]]
Y2harmf[w_, Y0_] := Evaluate[Y2 /. harmsln[[1]]]
Y3harmf[w_, Y0_] := Evaluate[Y3 /. harmsln[[1]]]
Y4harmf[w_, Y0_] := Evaluate[Y4 /. harmsln[[1]]]
Y5harmf[w_, Y0_] := Evaluate[Y5 /. harmsln[[1]]]
Y6harmf[w_, Y0_] := Evaluate[Y6 /. harmsln[[1]]]
Y7harmf[w_, Y0_] := Evaluate[Y7 /. harmsln[[1]]]
```

```
In[694]:= Plot[{Abs[Y7harmf[2 * Pi * f, Y0v]] / Y0v, Abs[Y6harmf[2 * Pi * f, Y0v]] / Y0v,
  Abs[Y5harmf[2 * Pi * f, Y0v]] / Y0v, Abs[Y4harmf[2 * Pi * f, Y0v]] / Y0v,
  Abs[Y4harmf[2 * Pi * f, Y0v]] / Y0v, Abs[Y2harmf[2 * Pi * f, Y0v]] / Y0v,
  Abs[Y1harmf[2 * Pi * f, Y0v]] / Y0v}, {f, 0, 1}, PlotRange -> {0, All},
  AxesLabel -> {"Frequency (kHz)", "Relative Amplitude"},
  AxesStyle -> Directive[Black, FontSize -> 12]]
```

Relative Amplitude

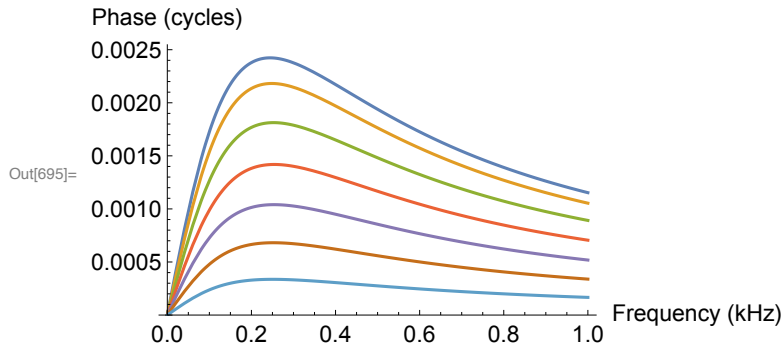


Out[694]=

```

In[695]:= Plot[{Arg[Y7harmf[2 * Pi * f, Y0v]] / Y0v,
  Arg[Y6harmf[2 * Pi * f, Y0v]] / Y0v, Arg[Y5harmf[2 * Pi * f, Y0v]] / Y0v,
  Arg[Y4harmf[2 * Pi * f, Y0v]] / Y0v, Arg[Y3harmf[2 * Pi * f, Y0v]] / Y0v,
  Arg[Y2harmf[2 * Pi * f, Y0v]] / Y0v, Arg[Y1harmf[2 * Pi * f, Y0v]] / Y0v}, {f, 0, 1},
  PlotRange → {0, All}, AxesLabel → {"Frequency (kHz)", "Phase (cycles)"},
  AxesStyle → Directive[Black, FontSize → 12]]

```



```

In[696]:= KAv / KLv
gammaAv / gammaLv
(KAv / KLv) / (gammaAv / gammaLv)

```

Out[696]= 0.258281

Out[697]= 0.113523

Out[698]= 2.27514

```

In[699]:= (*Low frequency determined by KAv/KLv and
  high frequency determined by gammaAv/gammaLv*)
(*Ratio of Y7 to input Y0*)
YPW[KA v / KLv, 8, ntotv, Y0v] / Y0v
Abs[Y7harmf[2 * Pi * 0, Y0v]] / Y0v
YPW[gammaAv / gammaLv, 8, ntotv, Y0v] / Y0v
Abs[Y7harmf[2 * Pi * 1000, Y0v]] / Y0v

```

Out[699]= 0.047462

Out[700]= 0.047462

Out[701]= 0.162909

Out[702]= 0.162909

```

In[703]:= (*Maximum 1/AoL across all stereocilia*)
1 / Min[Table[onsetAoLListrenum[[n, 1, 2]], {n, 1, Length[ssAoLListrenum]}]]
1 / Min[Table[ssAoLListrenum[[n, 1, 2]], {n, 1, Length[ssAoLListrenum]}]]

```

Out[703]= 9.04939

Out[704]= 6.478

```

In[705]:= (*Use wingindexrenum = 31 for wingindexnum2 = 37*)

In[706]:= wingindexrenum2 = 31;

In[707]:= (*Relative displacements within example wing*)
Table[YPW[onsetAoLListrenum[[wingindexrenum2, 1, 2]],
      m, ssnstereoListrenum[[wingindexrenum2]], 1],
      {m, 2, ssnstereoListrenum[[wingindexrenum2]]}]

Out[707]:= {0.71952, 0.520721, 0.381037, 0.284609, 0.220491, 0.181403, 0.162909}

In[708]:= (*Relative displacements for all wings*)
relonset =
  Table[Table[YPW[onsetAoLListrenum[[n, 1, 2]], m, onsetnstereoListrenum[[n]], 1],
        {m, 2, ssnstereoListrenum[[n]]}], {n, 1, Length[ssAoLListrenum]}}];
relss = Table[Table[YPW[ssAoLListrenum[[n, 1, 2]], m, ssnstereoListrenum[[n]], 1],
                  {m, 2, ssnstereoListrenum[[n]]}], {n, 1, Length[ssAoLListrenum]}}];

In[710]:= Max[relonset]
Min[relonset]
Max[relss]
Min[relss]
Mean[Flatten[{Flatten[relonset], Flatten[relss]}]]

Out[710]:= 0.72069

Out[711]:= 0.0111593

Out[712]:= 0.677825

Out[713]:= 0.00492661

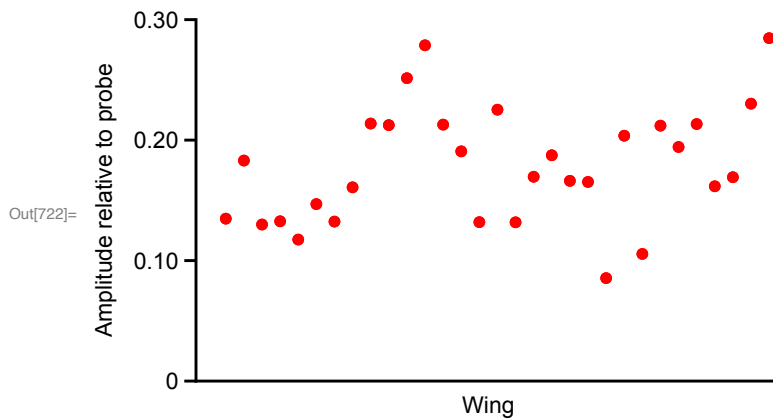
Out[714]:= 0.236265

```

```

In[715]:= (*Stereocilium 5's high-frequency amplitude relative to probe*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 1;
Xmax = 31;
Ymin = 0;
Ymax = 1;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^-1}];
ListPlot[
  Table[{n, YPW[onsetAoLListrenum[[n, 1, 2]], 5, onsetnstereoListrenum[[n], 1]]},
    {n, 1, Length[onsetAoLListrenum]}], PlotRange -> {Ymin, 0.3},
  PlotStyle -> {{Red, Thickness[Linewidth], PointSize[0.02]}},
  Frame -> {{True, False}, {True, False}}, FrameTicks -> {None, YTicks},
  FrameLabel -> {"Wing", "Amplitude relative to probe"}, Joined -> False,
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False]

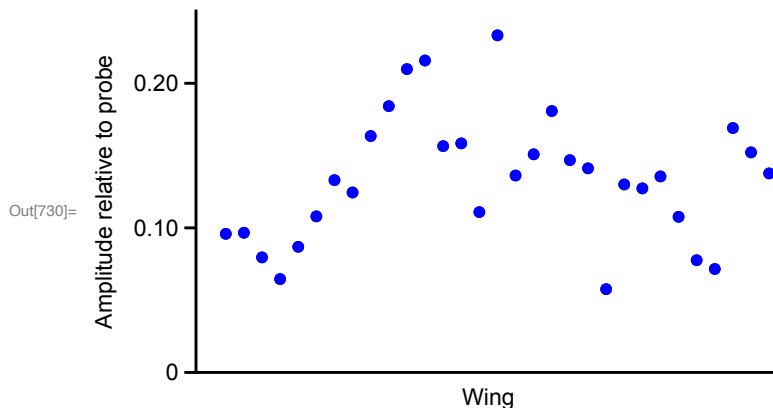
```



```

In[723]:= (*Stereocilium 5's low-frequency amplitude relative to probe*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 1;
Xmax = 31;
Ymin = 0;
Ymax = 1;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^-1}];
ListPlot[Table[{n, YPW[ssAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1]}],
  {n, 1, Length[ssAoLListrenum]}], PlotRange -> {Ymin, 0.25},
  PlotStyle -> {{Blue, Thickness[Linewidth], PointSize[0.02]}},
  Frame -> {{True, False}, {True, False}}, FrameTicks -> {None, YTicks},
  FrameLabel -> {"Wing", "Amplitude relative to probe"}, Joined -> False,
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> Fontsize},
    {Black, Thickness[Linewidth], FontSize -> Fontsize}},
    {{Black, Thickness[Linewidth], FontSize -> Fontsize},
    {Black, Thickness[Linewidth], FontSize -> Fontsize}}}, Axes -> False]

```



```

In[731]:= (*Range of high to low frequency ratios for the example wing*)
Max[Table[YPW[onsetAoLListrenum[[wingindexrenum2, 1, 2]],
  m, ssnstereoListrenum[[wingindexrenum2]], 1] / YPW[ssAoLListrenum[[
  wingindexrenum2, 1, 2]], m, ssnstereoListrenum[[wingindexrenum2]], 1],
  {m, 2, ssnstereoListrenum[[wingindexrenum2]]}]]
Min[Table[YPW[onsetAoLListrenum[[wingindexrenum2, 1, 2]],
  m, ssnstereoListrenum[[wingindexrenum2]], 1] / YPW[ssAoLListrenum[[
  wingindexrenum2, 1, 2]], m, ssnstereoListrenum[[wingindexrenum2]], 1],
  {m, 2, ssnstereoListrenum[[wingindexrenum2]]}]]

```

Out[731]= 3.43242

Out[732]= 1.18864


```

In[733]:= (*Number and fraction of stereocilia in 31 wings with high_freq > fac*low_freq*)
fac = 2;
wingsize = Max[ssnstereoListrenum];
Sum[Count[Table[If[ssnstereoListrenum[[n]] ≥ m,
  YPW[onsetAoLListrenum[[n, 1, 2]], m, ssnstereoListrenum[[n]], 1] /
  YPW[ssAoLListrenum[[n, 1, 2]], m, ssnstereoListrenum[[n]], 1] > fac, 0],
{m, 2, wingsize}]], True], {n, 1, Length[ssAoLListrenum]}]
N[Sum[Count[Table[If[ssnstereoListrenum[[n]] ≥ m,
  YPW[onsetAoLListrenum[[n, 1, 2]], m, ssnstereoListrenum[[n]], 1] /
  YPW[ssAoLListrenum[[n, 1, 2]], m, ssnstereoListrenum[[n]], 1] > fac, 0],
{n, 1, Length[ssAoLListrenum]}]], True], {m, 2, wingsize}]], True],
{n, 1, Length[ssAoLListrenum]}]]

```

Out[735]= 26

Out[736]= 0.124402

```

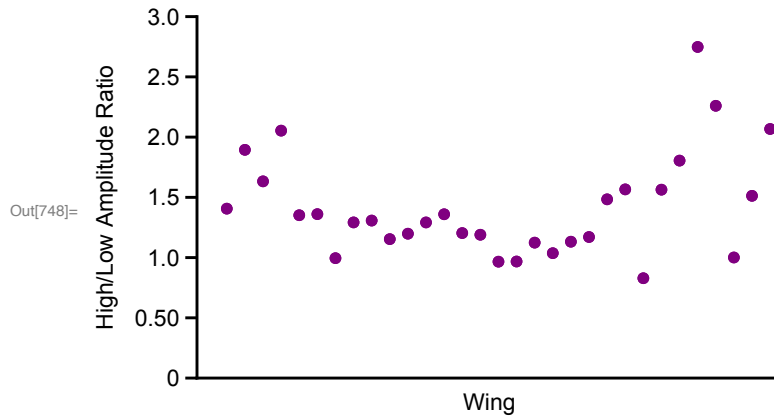
In[737]:= (*Stereocilium 5*)
(*Max and min (high freq)/(low freq) ratio*)
fac = 2;
Max[Table[YPW[onsetAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1] /
  YPW[ssAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1],
  {n, 1, Length[ssAoLListrenum]}]]
Min[Table[YPW[onsetAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1] /
  YPW[ssAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1],
  {n, 1, Length[ssAoLListrenum]}]]
(*Number of stereocilia with a high/low > fac*)
Count[Table[YPW[onsetAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1] /
  YPW[ssAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1] > fac,
  {n, 1, Length[ssAoLListrenum]}], True]
(*Stereocilium 5's ratio of high frequency to low frequency amplitudes*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 1;
Xmax = 31;
Ymin = 0;
Ymax = 3;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 5 * 10^-1}];
ListPlot[Table[{n, YPW[onsetAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1] /
  YPW[ssAoLListrenum[[n, 1, 2]], 5, ssnstereoListrenum[[n]], 1]}],
  {n, 1, Length[ssAoLListrenum]}], PlotRange -> {Ymin, Ymax},
  PlotStyle -> {{Purple, Thickness[Linewidth], PointSize[0.02]}},
  Frame -> {{True, False}, {True, False}}, FrameTicks -> {None, YTicks},
  FrameLabel -> {"Wing", "High/Low Amplitude Ratio"}, Joined -> False,
  FrameStyle -> {{Black, Thickness[Linewidth], FontSize -> Fontsize},
    {Black, Thickness[Linewidth], FontSize -> Fontsize}},
    {{Black, Thickness[Linewidth], FontSize -> Fontsize},
    {Black, Thickness[Linewidth], FontSize -> Fontsize}}, Axes -> False]

```

Out[738]= 2.74821

Out[739]= 0.828776

Out[740]= 4

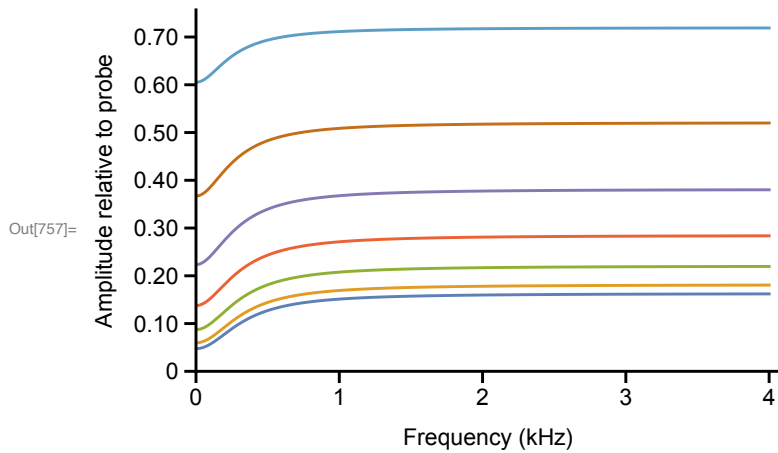


```
In[749]:= (*Ampl relative to displaced probe*)
YsinRelYs[ntot_, n_, KL_, KA_, gammaL_, gammaA_, w_] :=
  g[ntot - n - 1, (KA + I * w * gammaA) / (KL + I * w * gammaL), 1] /
  g[ntot - 1, (KA + I * w * gammaA) / (KL + I * w * gammaL), 1]
```

```

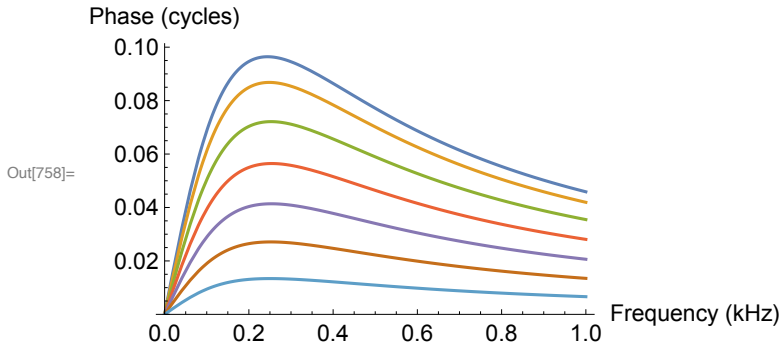
In[750]:= (*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = 4;
Ymin = 0;
Ymax = 1;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 1 * 10^-1}];
Plot[{Abs[YsinRelYs[ntotv, 7, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]],
  Abs[YsinRelYs[ntotv, 6, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]],
  Abs[YsinRelYs[ntotv, 5, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]],
  Abs[YsinRelYs[ntotv, 4, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]],
  Abs[YsinRelYs[ntotv, 3, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]],
  Abs[YsinRelYs[ntotv, 2, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]],
  Abs[YsinRelYs[ntotv, 1, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]]}, {f, 0, 4},
PlotRange -> {{0, All}, {0, All}}, PlotStyle -> {{Thickness[Linewidth]}},
Frame -> {{True, False}, {True, False}}, FrameTicks -> {XTicks, YTicks},
FrameLabel -> {"Frequency (kHz)", "Amplitude relative to probe"},
FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> Fontsize},
  {Black, Thickness[Linewidth], FontSize -> Fontsize}},
  {{Black, Thickness[Linewidth], FontSize -> Fontsize},
  {Black, Thickness[Linewidth], FontSize -> Fontsize}}}, Axes -> False]

```



```
In[758]:= (*Phase rel to displaced probe*)
```

```
Plot[{Arg[YsinRelYs[ntotv, 7, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]] / (2 * Pi),
  Arg[YsinRelYs[ntotv, 6, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]] / (2 * Pi),
  Arg[YsinRelYs[ntotv, 5, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]] / (2 * Pi),
  Arg[YsinRelYs[ntotv, 4, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]] / (2 * Pi),
  Arg[YsinRelYs[ntotv, 3, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]] / (2 * Pi),
  Arg[YsinRelYs[ntotv, 2, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]] / (2 * Pi),
  Arg[YsinRelYs[ntotv, 1, KLv, KAv, gammaLv, gammaAv, 2 * Pi * f]] / (2 * Pi)}, {f, 0, 1},
PlotRange -> {0, All}, AxesLabel -> {"Frequency (kHz)", "Phase (cycles)"},
AxesStyle -> Directive[Black, FontSize -> 12]]
```



```
In[759]:= (*Response of representative wing to 4 kHz displacement of probe*)
```

```
fv = 4; (*kHz*)
```

```
trange = 2 / fv; (*ms*)
```

```
omegav = 2 * Pi * fv;
```

```
Y0f[t_] := Y0v * Evaluate[Sin[omegav * t]]
```

```
Ysln =
```

```
NDSolve[{KA1v * Y1[t] + gammaA1v * Y1'[t] + K1v * (Y1[t] - Y0f[t]) - K2v * (Y2[t] - Y1[t]) +
  gamma1v * (Y1'[t] - Y0f'[t]) - gamma2v * (Y2'[t] - Y1'[t]) == 0, Y1[0] == 0,
  KA2v * Y2[t] + gammaA2v * Y2'[t] + K2v * (Y2[t] - Y1[t]) - K3v * (Y3[t] - Y2[t]) +
  gamma2v * (Y2'[t] - Y1'[t]) - gamma3v * (Y3'[t] - Y2'[t]) == 0, Y2[0] == 0,
  KA3v * Y3[t] + gammaA3v * Y3'[t] + K3v * (Y3[t] - Y2[t]) - K4v * (Y4[t] - Y3[t]) +
  gamma3v * (Y3'[t] - Y2'[t]) - gamma4v * (Y4'[t] - Y3'[t]) == 0, Y3[0] == 0,
  KA4v * Y4[t] + gammaA4v * Y4'[t] + K4v * (Y4[t] - Y3[t]) - K5v * (Y5[t] - Y4[t]) +
  gamma4v * (Y4'[t] - Y3'[t]) - gamma5v * (Y5'[t] - Y4'[t]) == 0, Y4[0] == 0,
  KA5v * Y5[t] + gammaA5v * Y5'[t] + K5v * (Y5[t] - Y4[t]) - K6v * (Y6[t] - Y5[t]) +
  gamma5v * (Y5'[t] - Y4'[t]) - gamma6v * (Y6'[t] - Y5'[t]) == 0, Y5[0] == 0,
  KA6v * Y6[t] + gammaA6v * Y6'[t] + K6v * (Y6[t] - Y5[t]) - K7v * (Y7[t] - Y6[t]) +
  gamma6v * (Y6'[t] - Y5'[t]) - gamma7v * (Y7'[t] - Y6'[t]) == 0, Y6[0] == 0,
  KA7v * Y7[t] + gammaA7v * Y7'[t] + K7v * (Y7[t] - Y6[t]) + gamma7v * (Y7'[t] - Y6'[t]) ==
  0, Y7[0] == 0}, {Y1, Y2, Y3, Y4, Y5, Y6, Y7}, {t, 0, trange}]
```

```
Y1f[t_] := Evaluate[Y1[t] /. Ysln[[1]]]
```

```
Y2f[t_] := Evaluate[Y2[t] /. Ysln[[1]]]
```

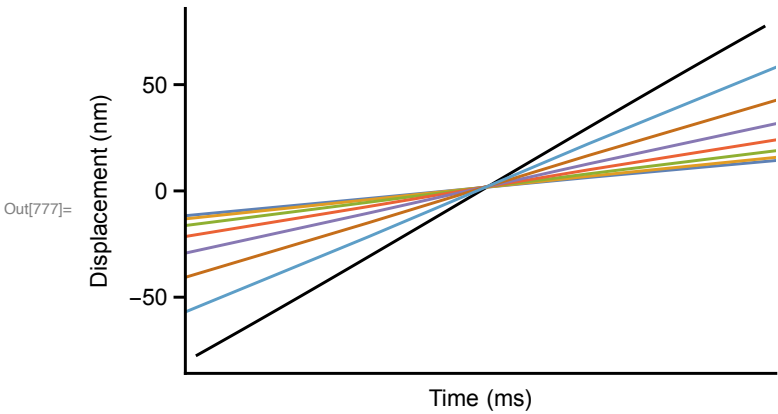
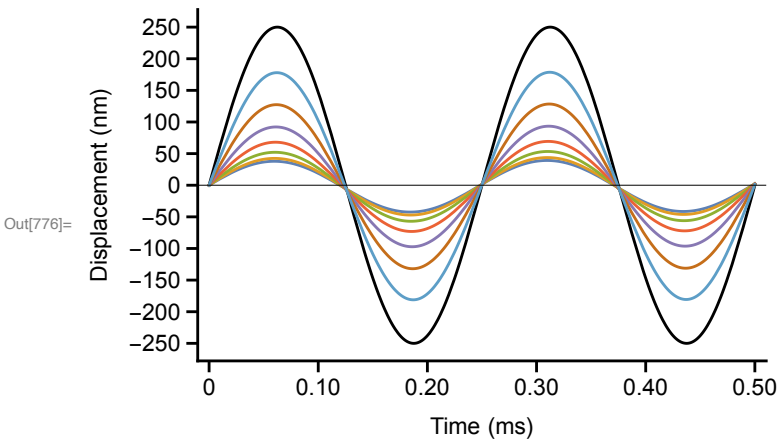
```
Y3f[t_] := Evaluate[Y3[t] /. Ysln[[1]]]
```

```

Y4f[t_] := Evaluate[Y4[t] /. Ysln[1]]
Y5f[t_] := Evaluate[Y5[t] /. Ysln[1]]
Y6f[t_] := Evaluate[Y6[t] /. Ysln[1]]
Y7f[t_] := Evaluate[Y7[t] /. Ysln[1]]
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = -Y0v;
Ymax = Y0v;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^-1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 5 * 10^1}];
(*Stimulus and responses*)
Show[Plot[{Y0f[t]}, {t, 0, trange},
  PlotStyle → {Thickness[Linewidth], Black}, Frame → {{True, False}, {True, False}},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameTicks → {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → True],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]}, {t, 0, trange},
  PlotStyle → Thickness[Linewidth], Frame → {{True, False}, {True, False}},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameTicks → {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]]
Show[Plot[{Y0f[t]}, {t, 0.95 / fv, 1.05 / fv},
  PlotStyle → {Thickness[Linewidth], Black}, Frame → {{True, False}, {True, False}},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameTicks → {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]}, {t, 0, trange},
  PlotStyle → Thickness[Linewidth], Frame → {{True, False}, {True, False}},
  FrameLabel → {"Time (ms)", "Displacement (nm)"},
  FrameTicks → {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}},

```

```
Out[761]= { {Y1 → InterpolatingFunction[ Domain: {{0., 0.5 }}  
Output: scalar ],  
Y2 → InterpolatingFunction[ Domain: {{0., 0.5 }}  
Output: scalar ],  
Y3 → InterpolatingFunction[ Domain: {{0., 0.5 }}  
Output: scalar ],  
Y4 → InterpolatingFunction[ Domain: {{0., 0.5 }}  
Output: scalar ],  
Y5 → InterpolatingFunction[ Domain: {{0., 0.5 }}  
Output: scalar ],  
Y6 → InterpolatingFunction[ Domain: {{0., 0.5 }}  
Output: scalar ],  
Y7 → InterpolatingFunction[ Domain: {{0., 0.5 }}  
Output: scalar ] ] }
```



```

In[778]:= (*Delay in ms*)
FindRoot[Y0f[t] == 0, {t, 0.1}]
FindRoot[Y1f[t] == 0, {t, 0.1}]
FindRoot[Y2f[t] == 0, {t, 0.1}]
FindRoot[Y3f[t] == 0, {t, 0.1}]
FindRoot[Y4f[t] == 0, {t, 0.1}]
FindRoot[Y5f[t] == 0, {t, 0.1}]
FindRoot[Y6f[t] == 0, {t, 0.1}]
FindRoot[Y7f[t] == 0, {t, 0.1}]
(*Maximum phase delay*)
(t /. FindRoot[Y0f[t] == 0, {t, 0.1}]) - (t /. FindRoot[Y7f[t] == 0, {t, 0.1}])

Out[778]= {t → 0.125}

Out[779]= {t → 0.124202}

Out[780]= {t → 0.123389}

Out[781]= {t → 0.122553}

Out[782]= {t → 0.121699}

Out[783]= {t → 0.120863}

Out[784]= {t → 0.120146}

Out[785]= {t → 0.119714}

Out[786]= 0.00528617

```



```

In[787]:= (*Frog pivots and connectors (Kozlov11 SI) in IHC bundle*)
  lambdas = 0.5 * 10^-9; (*N.s/m, page 37*)
  Lmax = 7.8 * 10^-6; (*m*)
  Lmin = 3.25 * 10^-6; (*m*)
  lambdathetamin = lambdas * Lmin^2
  lambdathetamax = lambdas * Lmax^2
  LIHC = 5 * 10^-6; (*Nam15*)
  lambdasmin = lambdathetamin / LIHC^2
  lambdasmax = lambdathetamax / LIHC^2
  lambdacmin = 10^3 * 10^-9;
  lambdacmax = 10^4 * 10^-9;
  lambdas0lambdacmax = lambdasmax / lambdacmin
  lambdas0lambdacmin = lambdasmin / lambdacmax

```

Out[790]= 5.28125×10^{-21}

Out[791]= 3.042×10^{-20}

Out[793]= 2.1125×10^{-10}

Out[794]= 1.2168×10^{-9}

Out[797]= 0.0012168

Out[798]= 0.000021125

```

In[799]:= (*Frog pivots and connectors (Kozlov11 SI) in IHC bundle*)
  Ks = 0.3 * 10^-6; (*N.s/m, page 37*)
  Kthetamin = Ks * Lmin^2
  Kthetamax = Ks * Lmax^2
  Ksmin = Kthetamin / LIHC^2
  Ksmax = Kthetamax / LIHC^2
  Kc = 20 * 10^-3;
  Ks0Kcmax = Ksmax / Kc
  Ks0Kcmin = Ksmin / Kc

```

Out[799]= 3.16875×10^{-18}

Out[800]= 1.8252×10^{-17}

Out[801]= 1.2675×10^{-7}

Out[802]= 7.3008×10^{-7}

Out[804]= 0.000036504

Out[805]= 6.3375×10^{-6}

```

In[806]:= (*How much stronger are IHC links vs frog links?*)
          {Max[onsetAoLListrenum[All, 1, 2]] / lambdas0lambdacmin,
           Min[onsetAoLListrenum[All, 1, 2]] / lambdas0lambdacmax}
          {Max[ssAoLListrenum[All, 1, 2]] / Ks0Kcmin, Min[ssAoLListrenum[All, 1, 2]] / Ks0Kcmax}

```

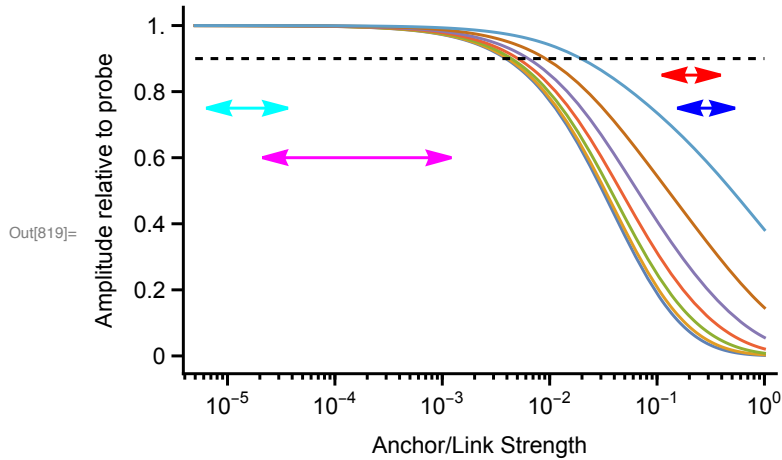
```
Out[806]= {18 532.4, 90.8158}
```

```
Out[807]= {83 907.2, 4228.81}
```

```

In[808]:= (*Yn relative to Y0 as a function of AoL ratio*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 10^-6;
XpowMin = MantissaExponent[Xmin][[2]] - 1;
Xmax = 10^0;
XpowMax = MantissaExponent[Xmax][[2]] + 1;
Ymin = 0;
Ymax = 1;
BottomTicks =
  Table[{10^i, Superscript[10, i], {0, TickLength}}, {i, XpowMin, XpowMax, 1}];
XminorTicks = Flatten[Table[{j * 10^i, Null, {0, TickLength / 2}, Thickness[0.005]},
  {i, XpowMin, XpowMax, 1}, {j, 1, 9, 1}], 1];
XTicks = Table[{i, N[i, 1], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^-1}];
YTicks = Table[{i, N[i, 1], {0, TickLength}}, {i, Ymin, Ymax, 2 * 10^-1}];
Show[LogLinearPlot[{YPW[AoL, 8, ntotv, Y0v] / Y0v, YPW[AoL, 7, ntotv, Y0v] / Y0v,
  YPW[AoL, 6, ntotv, Y0v] / Y0v, YPW[AoL, 5, ntotv, Y0v] / Y0v,
  YPW[AoL, 4, ntotv, Y0v] / Y0v, YPW[AoL, 3, ntotv, Y0v] / Y0v,
  YPW[AoL, 2, ntotv, Y0v] / Y0v}, {AoL, 5 * Xmin, Xmax}, PlotRange -> All,
  PlotStyle -> Thickness[Linewidth], Frame -> {{True, False}, {True, False}},
  FrameLabel -> {"Anchor/Link Strength", "Amplitude relative to probe"},
  FrameTicks -> {{YTicks, YTicks}, {Join[BottomTicks, XminorTicks], XTicks}},
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False],
LogLinearPlot[0.9, {AoL, 5 * Xmin, Xmax}, PlotRange -> All,
  AxesLabel -> {"Ratio", "Relative Amplitude"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotStyle -> {Black, Dashed}],
Graphics[{Thickness[Linewidth], Blue, Arrowheads[{-0.04, 0.04}],
  Arrow[{{Log[Min[ssAoLListrenum[All, 1, 2]]], 0.75},
    {Log[Max[ssAoLListrenum[All, 1, 2]]], 0.75}}]}],
Graphics[{Thickness[Linewidth], Red, Arrowheads[{-0.04, 0.04}],
  Arrow[{{Log[Min[onsetAoLListrenum[All, 1, 2]]], 0.85},
    {Log[Max[onsetAoLListrenum[All, 1, 2]]], 0.85}}]}],
Graphics[{Thickness[Linewidth], Cyan, Arrowheads[{-0.04, 0.04}],
  Arrow[{{Log[KsOKcmin], 0.75}, {Log[KsOKcmax], 0.75}}]}],
Graphics[{Thickness[Linewidth], Magenta, Arrowheads[{-0.04, 0.04}],
  Arrow[{{Log[lambdas0lambdacmin], 0.6}, {Log[lambdas0lambdacmax], 0.6}}]}]]

```



```
Out[819]= (*****Ideal Step*****)
```

```
In[821]:= (*Start at begining of step. Use analytical
           peak solutions for stereocilia initial conditions.*)
ntotv = ssnstereoList[[wingindexnum2]]
Y0v = 250 (*nm*);
trange = 60;
Y0f[t_] := Y0v;
```

```
Out[821]= 8
```

```
In[825]:= (*Doesn't work unless we use the equation simplification method*)
(*8 cilia, Y0 clamped, all cilia have rootlets.*)
KLv = 5; (*mN/m*)
KA v = ssAoLList[[wingindexnum2, 1, 2]] * KLv;
gammaLv = 0.8 * KLv; (*uN.s/m*)
gammaLv / KLv (*ms*)
gammaAv = onsetAoLList[[wingindexnum2, 1, 2]] * gammaLv;
KAoLv = KA v / KLv;
gammaAoLv = gammaAv / gammaLv;
(*Geometric mean time constant*)
taugmv = (gammaLv / KLv) *
  (g[ntotv - 1, gammaAoLv, 1] / g[ntotv - 1, KA v / KLv, 1]) ^ (1 / (ntotv - 1))
KA1v = KA v; gammaA1v = gammaAv;
KA2v = KA v; gammaA2v = gammaAv;
KA3v = KA v; gammaA3v = gammaAv;
KA4v = KA v; gammaA4v = gammaAv;
KA5v = KA v; gammaA5v = gammaAv;
KA6v = KA v; gammaA6v = gammaAv;
KA7v = KA v; gammaA7v = gammaAv;
K1v = KLv; gamma1v = gammaLv;
K2v = KLv; gamma2v = gammaLv;
K3v = KLv; gamma3v = gammaLv;
```

```

K4v = KLv; gamma4v = gammaLv;
K5v = KLv; gamma5v = gammaLv;
K6v = KLv; gamma6v = gammaLv;
K7v = KLv; gamma7v = gammaLv;
Ysln =
NDSolve[{KA1v * Y1[t] + gammaA1v * Y1'[t] + K1v * (Y1[t] - Y0f[t]) - K2v * (Y2[t] - Y1[t]) +
  gamma1v * (Y1'[t] - Y0f'[t]) - gamma2v * (Y2'[t] - Y1'[t]) == 0,
Y1[0] == Y[1, ntotv, gammaAoLv, Y0v], KA2v * Y2[t] + gammaA2v * Y2'[t] +
  K2v * (Y2[t] - Y1[t]) - K3v * (Y3[t] - Y2[t]) + gamma2v * (Y2'[t] - Y1'[t]) -
  gamma3v * (Y3'[t] - Y2'[t]) == 0, Y2[0] == Y[2, ntotv, gammaAoLv, Y0v],
KA3v * Y3[t] + gammaA3v * Y3'[t] + K3v * (Y3[t] - Y2[t]) - K4v * (Y4[t] - Y3[t]) +
  gamma3v * (Y3'[t] - Y2'[t]) - gamma4v * (Y4'[t] - Y3'[t]) == 0,
Y3[0] == Y[3, ntotv, gammaAoLv, Y0v], KA4v * Y4[t] + gammaA4v * Y4'[t] +
  K4v * (Y4[t] - Y3[t]) - K5v * (Y5[t] - Y4[t]) + gamma4v * (Y4'[t] - Y3'[t]) -
  gamma5v * (Y5'[t] - Y4'[t]) == 0, Y4[0] == Y[4, ntotv, gammaAoLv, Y0v],
KA5v * Y5[t] + gammaA5v * Y5'[t] + K5v * (Y5[t] - Y4[t]) - K6v * (Y6[t] - Y5[t]) +
  gamma5v * (Y5'[t] - Y4'[t]) - gamma6v * (Y6'[t] - Y5'[t]) == 0,
Y5[0] == Y[5, ntotv, gammaAoLv, Y0v], KA6v * Y6[t] + gammaA6v * Y6'[t] +
  K6v * (Y6[t] - Y5[t]) - K7v * (Y7[t] - Y6[t]) + gamma6v * (Y6'[t] - Y5'[t]) -
  gamma7v * (Y7'[t] - Y6'[t]) == 0, Y6[0] == Y[6, ntotv, gammaAoLv, Y0v],
KA7v * Y7[t] + gammaA7v * Y7'[t] + K7v * (Y7[t] - Y6[t]) + gamma7v * (Y7'[t] - Y6'[t]) ==
  0, Y7[0] == Y[7, ntotv, gammaAoLv, Y0v]}, {Y1, Y2, Y3, Y4, Y5, Y6, Y7},
{t, 0, trange}, Method -> {"EquationSimplification" -> "Residual"}]
Y1f[t_] := Evaluate[Y1[t] /. Ysln[[1]]]
Y2f[t_] := Evaluate[Y2[t] /. Ysln[[1]]]
Y3f[t_] := Evaluate[Y3[t] /. Ysln[[1]]]
Y4f[t_] := Evaluate[Y4[t] /. Ysln[[1]]]
Y5f[t_] := Evaluate[Y5[t] /. Ysln[[1]]]
Y6f[t_] := Evaluate[Y6[t] /. Ysln[[1]]]
Y7f[t_] := Evaluate[Y7[t] /. Ysln[[1]]]
(*Stimulus and responses*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 0;
Xmax = trange;
Ymin = 0;
Ymax = 250;
XTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Xmin, Xmax, 1 * 10^1}];
YTicks = Table[{i, i, {0, TickLength}}, {i, Ymin, Ymax, 5 * 10^1}];
Show[Plot[{Y0f[t]}, {t, 0, trange}, PlotRange -> {Ymin - 15, Ymax + 15},
  MaxRecursion -> 15, PlotStyle -> {Black, Thickness[Linewidth]},
  Frame -> {{True, False}, {True, False}}, FrameTicks -> {XTicks, YTicks},
  FrameLabel -> {"Time (ms)", "Displacement (nm)"},
  FrameStyle -> {{Black, Thickness[Linewidth], FontSize -> FontSize},

```

```

    {Black, Thickness[Linewidth], FontSize → FontSize}},
    {{Black, Thickness[Linewidth], FontSize → FontSize},
    {Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False],
Plot[{Y7f[t], Y6f[t], Y5f[t], Y4f[t], Y3f[t], Y2f[t], Y1f[t]},
{t, 0, trange}, MaxRecursion → 15, PlotStyle → Thickness[Linewidth],
Frame → {{True, False}, {True, False}}, FrameTicks → {XTicks, YTicks},
FrameLabel → {"Time (ms)", "Displacement (nm)"},
FrameStyle → {{{Black, Thickness[Linewidth], FontSize → FontSize},
{Black, Thickness[Linewidth], FontSize → FontSize}}},
{{Black, Thickness[Linewidth], FontSize → FontSize},
{Black, Thickness[Linewidth], FontSize → FontSize}}}, Axes → False]]
(*Decay rates are different.*)
Y1peak = Evaluate[NMaximize[{Y1f[t], t < trange / 2, t > 0}, t][[1]];
t1peak = Evaluate[t /. NMaximize[{Y1f[t], t < trange / 2, t > 0}, t][[2]];
Y2peak = Evaluate[NMaximize[{Y2f[t], t < trange / 2, t > 0}, t][[1]];
t2peak = Evaluate[t /. NMaximize[{Y2f[t], t < trange / 2, t > 0}, t][[2]];
Y3peak = Evaluate[NMaximize[{Y3f[t], t < trange / 2, t > 0}, t][[1]];
t3peak = Evaluate[t /. NMaximize[{Y3f[t], t < trange / 2, t > 0}, t][[2]];
Y4peak = Evaluate[NMaximize[{Y4f[t], t < trange / 2, t > 0}, t][[1]];
t4peak = Evaluate[t /. NMaximize[{Y4f[t], t < trange / 2, t > 0}, t][[2]];
Y5peak = Evaluate[NMaximize[{Y5f[t], t < trange / 2, t > 0}, t][[1]];
t5peak = Evaluate[t /. NMaximize[{Y5f[t], t < trange / 2, t > 0}, t][[2]];
Y6peak = Evaluate[NMaximize[{Y6f[t], t < trange / 2, t > 0}, t][[1]];
t6peak = Evaluate[t /. NMaximize[{Y6f[t], t < trange / 2, t > 0}, t][[2]];
Y7peak = Evaluate[NMaximize[{Y7f[t], t < trange / 2, t > 0}, t][[1]];
t7peak = Evaluate[t /. NMaximize[{Y7f[t], t < trange / 2, t > 0}, t][[2]];

```

Out[828]= 0.8

Out[832]= 0.670773

Out[847]= { {Y1 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar] ,

Y2 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar] ,

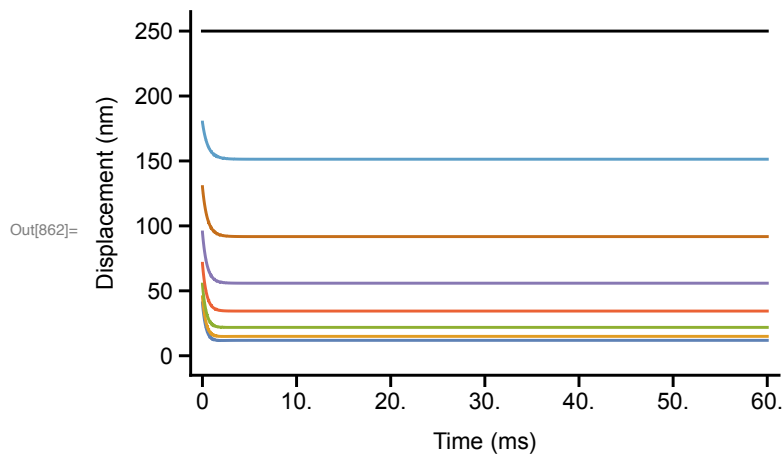
Y3 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar] ,

Y4 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar] ,

Y5 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar] ,

Y6 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar] ,

Y7 → InterpolatingFunction[ Domain: {{0., 60. }} Output: scalar]] }



```
In[877]:= (*Find effective time constants from fitting. 1 time
           constant is sufficient. 2 time constants doesn't work.*)
```

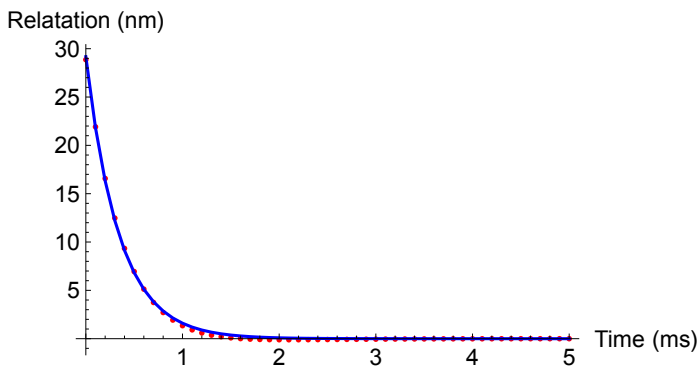
```
In[878]:= tauidealfit = Table[NaN, {n, 1, ntotv - 1}];
```

```
In[879]:= (*Time after peak to fit*)
           tfitend = 5;
```

```
In[880]:= Yfittable = Table[{t, Y7f[t] - Y[7, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];
tauidealfit[[7]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];
```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.344467	0.00258235	133.393	2.01487 $\times 10^{-64}$
A	29.1737	0.134663	216.643	1.00474 $\times 10^{-74}$

AdjustedRSquared 0.999304
 AIC -36.6222
 BIC -30.8267
 RSquared 0.999331



	Estimate	Standard Error	t-Statistic	P-Value
A1	10.9851	0.0749778	146.512	3.46746 $\times 10^{-64}$
tau1	0.344467	1.22529 $\times 10^6$	2.81132 $\times 10^{-7}$	1.
A2	18.1886	0.0757002	240.271	2.86271 $\times 10^{-74}$
tau2	0.344467	740.022	4.65483 $\times 10^{-7}$	1.

AdjustedRSquared 0.999274
 AIC -32.4969
 BIC -22.8378
 RSquared 0.999331

In[889]:=

```

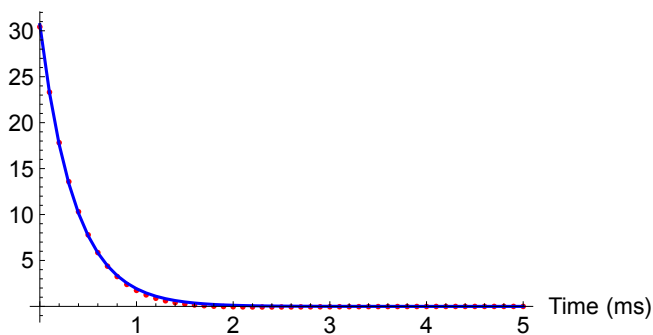
Yfittable = Table[{t, Y6f[t] - Y[6, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} & {"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment → Left]];
tauidealfit[[6]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle → Red,
  AxesLabel → {"Time (ms)", "Relatation (nm)"},
  AxesStyle → Directive[Black, FontSize → 12], PlotRange → All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle → Blue, Joined → True, PlotRange → All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} & {"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment → Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.361273	0.00195237	185.043	2.25489×10^{-71}
A	30.6702	0.102685	298.684	1.49053×10^{-81}

AdjustedRSquared 0.999637
AIC -62.9686
BIC -57.1731
RSquared 0.999651

Relatation (nm)



Out[894]=

NonlinearModelFit : The step size in the search has become less than the tolerance prescribed by the PrecisionGoal option, but the gradient is larger than the tolerance specified by the AccuracyGoal option. There is a possibility that the method has stalled at a point that is not a local minimum.

	Estimate	Standard Error	t-Statistic	P-Value
A1	15.3406	0.0576319	266.182	2.33271×10^{-76}
tau1	0.361273	317.449.	1.13805	$\times 10^{-6}$ 0.999999
A2	15.3296	0.0576922	265.714	2.53351×10^{-76}
tau2	0.361273	317.675.	1.13724	$\times 10^{-6}$ 0.999999
AdjustedRSquared	0.999622			
AIC	-58.8433			
BIC	-49.1841			
RSquared	0.999651			

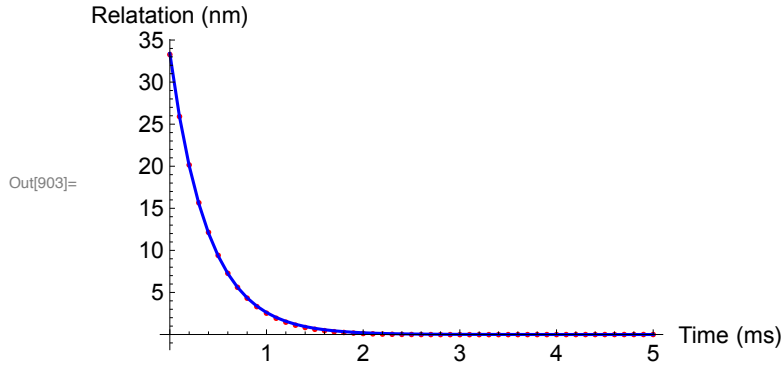
In[898]:=

```

Yfittable = Table[{t, Y5f[t] - Y[5, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} & [{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
tauidealfit[[5]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} & [{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.39244	0.000952062	412.2	2.09468×10^{-88}
A	33.4018	0.0507107	658.674	2.23041×10^{-98}
AdjustedRSquared	0.999927			
AIC	-132.564			
BIC	-126.769			
RSquared	0.999929			



	Estimate	Standard Error	t-Statistic	P-Value
A1	16.7002	0.027961	597.266	7.52799×10^{-93}
tau1	0.39244	635.741	6.17295×10^{-7}	1.
A2	16.7017	0.0294425	567.263	8.48337×10^{-92}
tau2	0.39244	635.684	6.17351×10^{-7}	1.
AdjustedRSquared 0.999923				
AIC -128.439				
BIC -118.78				
RSquared 0.999929				

In[907]:=

```

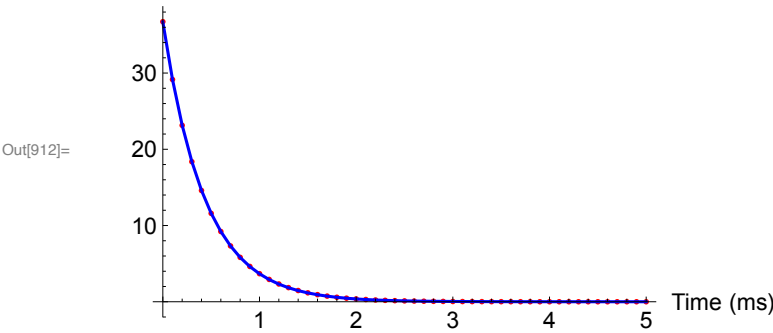
Yfittable = Table[{t, Y4f[t] - Y[4, ntotv, KAOlv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} & [{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
tauidealfit[[4]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} & [{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.434099	0.000132032	3287.82	1.36737 $\times 10^{-132}$
A	36.7094	0.00706658	5194.8	2.52088 $\times 10^{-142}$

AdjustedRSquared 0.999999
AIC -330.533
BIC -324.738
RSquared 0.999999

Relation (nm)



	Estimate	Standard Error	t-Statistic	P-Value
A1	36.2889	0.122525	296.176	1.54779 $\times 10^{-78}$
tau1	0.436684	0.00046107	947.109	2.92799 $\times 10^{-102}$
A2	0.449512	0.121815	3.69013	0.000581485
tau2	0.221447	0.0246223	8.99379	8.74621 $\times 10^{-12}$

AdjustedRSquared 1.
AIC -434.019
BIC -424.36
RSquared 1.

In[916]:=

```

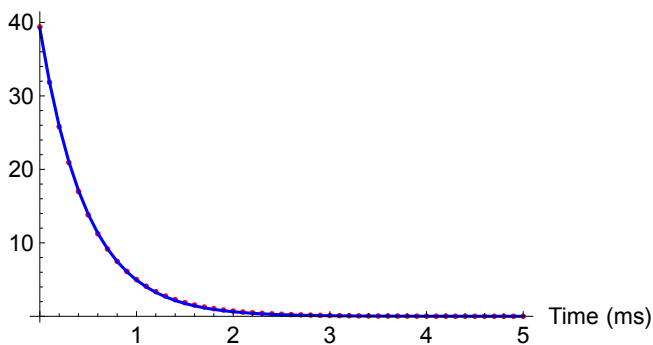
Yfittable = Table[{t, Y3f[t] - Y[3, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment → Left]];
tauidealfit[[3]] =
  Around[{tau /. fit["BestFitParameters"]}, fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle → Red,
  AxesLabel → {"Time (ms)", "Relatation (nm)"},
  AxesStyle → Directive[Black, FontSize → 12], PlotRange → All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle → Blue, Joined → True, PlotRange → All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment → Left]];

```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.4825	0.00099359	485.613	6.82415×10^{-92}
A	39.2048	0.0516483	759.073	2.13619×10^{-101}

AdjustedRSquared 0.999947
AIC -124.274
BIC -118.478
RSquared 0.999949

Relatation (nm)



Out[921]=

	Estimate	Standard Error	t-Statistic	P-Value
A1	20.7137	0.16281	127.227	2.59258 $\times 10^{-61}$
tau1	0.405434	0.000594266	682.242	1.45128 $\times 10^{-95}$
A2	18.6778	0.163015	114.577	3.50438 $\times 10^{-59}$
tau2	0.570589	0.000804219	709.494	2.30334 $\times 10^{-96}$

AdjustedRSquared 1.

AIC -593.299

BIC -583.639

RSquared 1.

In[925]:=

```
Yfittable = Table[{t, Y2f[t] - Y[2, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];
tauidealfit[[2]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
  Alignment -> Left]];
```

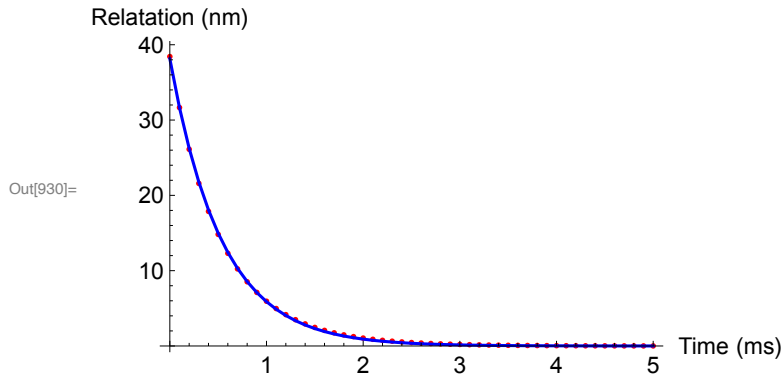
	Estimate	Standard Error	t-Statistic	P-Value
tau	0.535071	0.00163443	327.374	1.66919 $\times 10^{-83}$
A	38.1395	0.075245	506.87	8.36542 $\times 10^{-93}$

AdjustedRSquared 0.999882

AIC -82.4244

BIC -76.629

RSquared 0.999887



	Estimate	Standard Error	t-Statistic	P-Value
A1	17.807	0.00920993	1933.46	7.94362×10^{-117}
tau1	0.418685	0.0000512111	8175.67	2.94628×10^{-146}
A2	20.6214	0.00923252	2233.56	9.01428×10^{-120}
tau2	0.638502	0.0000564517	11310.6	6.98321×10^{-153}

AdjustedRSquared 1.

AIC -818.577

BIC -808.918

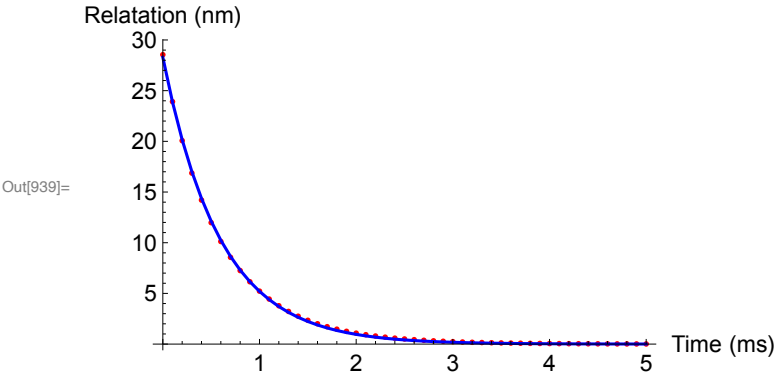
RSquared 1.

In[934]:=

```
Yfittable = Table[{t, Y1f[t] - Y[1, ntotv, KAoLv, Y0v]}, {t, 0, tfitend, 0.1}];
fit = NonlinearModelFit[Yfittable, {A * Exp[-t / tau]}, {tau, A}, t];
Print[fit["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
tauidealfit[[1]] =
  Around[(tau /. fit["BestFitParameters"]), fit["ParameterTable"][[1, 1, 2, 3]]];
Show[ListPlot[Yfittable, PlotStyle -> Red,
  AxesLabel -> {"Time (ms)", "Relatation (nm)"},
  AxesStyle -> Directive[Black, FontSize -> 12], PlotRange -> All], ListPlot[Table[
  {t, (A /. fit["BestFitParameters"]) * Exp[-t / (tau /. fit["BestFitParameters"])]},
  {t, 0, tfitend, 0.1}], PlotStyle -> Blue, Joined -> True, PlotRange -> All]]
fit2 = NonlinearModelFit[Yfittable,
  {A1 * Exp[-t / tau1] + A2 * Exp[-t / tau2]}, {A1, tau1, A2, tau2}, t];
Print[fit2["ParameterTable"]];
Print[
  Grid[Transpose[{#, fit2[#]} &[{"AdjustedRSquared", "AIC", "BIC", "RSquared"}]],
    Alignment -> Left]];
```

	Estimate	Standard Error	t-Statistic	P-Value
tau	0.590515	0.00202265	291.95	4.55286×10^{-81}
A	28.2872	0.0630983	448.304	3.4262×10^{-90}

AdjustedRSquared 0.999852
AIC -96.933
BIC -91.1375
RSquared 0.999858



	Estimate	Standard Error	t-Statistic	P-Value
A1	17.7792	0.0410217	433.409	2.63739×10^{-86}
tau1	0.689035	0.000347186	1984.63	2.32721×10^{-117}
A2	10.7672	0.0408811	263.378	3.83568×10^{-76}
tau2	0.431007	0.00043754	985.067	4.61849×10^{-103}

AdjustedRSquared 1.
AIC -631.931
BIC -622.272
RSquared 1.


```

In[943]:= (*Stereocilium farthest from probe relaxes with the shortest time constant!*)
(*Choose gammaL/KL to match experimental time constants*)
(*Tick Marks*)
TickLength = 0.02;
Xmin = 1;
Xmax = 7;
Ymin = 0;
Ymax = 1;
XTicks = Table[{i, i, {0, TickLength}}, {i, Xmin, Xmax, 1}];
YTicks = Table[{i, N[i, 2], {0, TickLength}}, {i, Ymin, Ymax, 1*10^-1}];
Show[ListPlot[Reverse[Table[{n, taufit[[n]]}, {n, 1, ntotv - 1}]],
  PlotRange -> {{Xmin - 0.5, Xmax + 0.5}, {0.3, 0.7}}, PlotStyle ->
    Table[{ColorData[97, "ColorList"][[m]], PointSize[0.02]}, {m, 1, ntotv - 1}],
  IntervalMarkersStyle -> Table[{ColorData[97, "ColorList"][[m]], PointSize[0.02]},
    {m, 1, ntotv - 1}], Frame -> {{True, False}, {True, False}},
  FrameLabel -> {"Stereocilium position", "Fast time constant (ms)"},
  FrameTicks -> {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False],
ListPlot[Reverse[Table[{n, tauidealfit[[n]]}, {n, 1, ntotv - 1}]],
  PlotRange -> {{Xmin - 0.5, Xmax + 0.5}, {0.4, 0.8}},
  PlotStyle -> Table[{Lighter[ColorData[97, "ColorList"][[m]]], PointSize[0.02]},
    {m, 1, ntotv - 1}], IntervalMarkersStyle ->
    Table[{Lighter[ColorData[97, "ColorList"][[m]]], PointSize[0.02]},
    {m, 1, ntotv - 1}], Frame -> {{True, False}, {True, False}},
  FrameLabel -> {"Stereocilium position", "Fast time constant (ms)"},
  FrameTicks -> {{YTicks, YTicks}, {XTicks, XTicks}},
  FrameStyle -> {{{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}},
    {{Black, Thickness[Linewidth], FontSize -> FontSize},
    {Black, Thickness[Linewidth], FontSize -> FontSize}}}, Axes -> False]]

```

