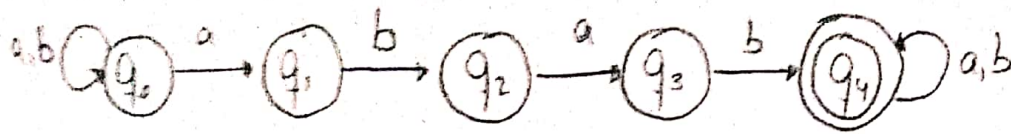


29)

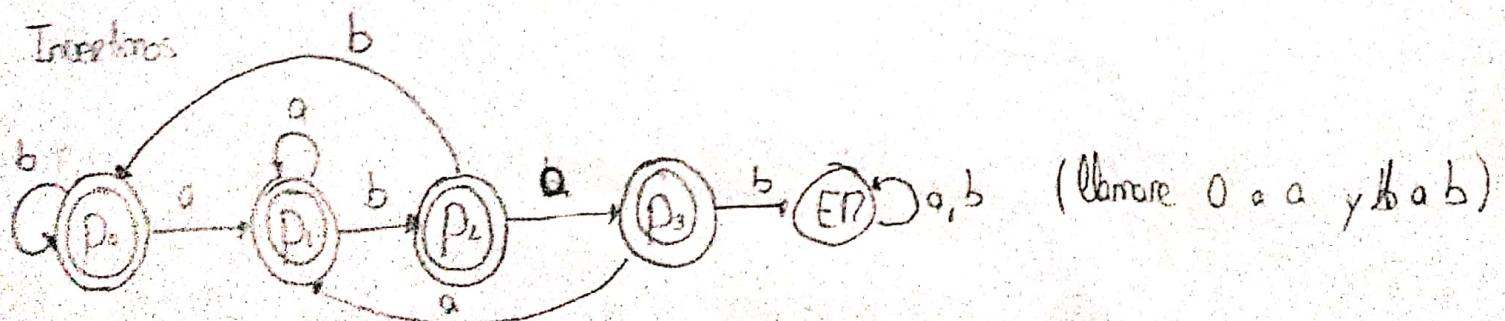
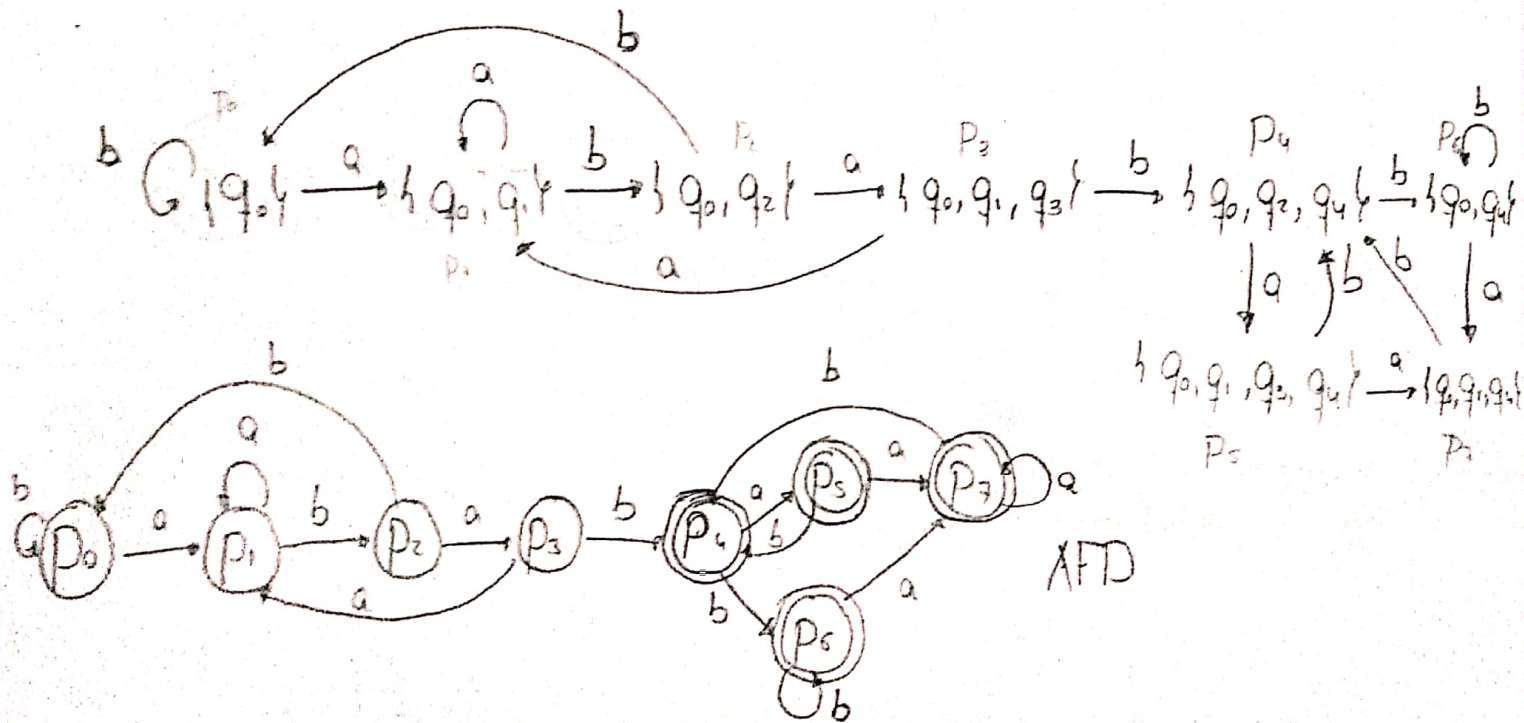
$L = \{u \in \{0,1\}^* : u \text{ no contiene la subcadena 'abab'}\}$

Busco el autómata que asegura que abab pertenezca al menos 1 vez



Este autómata solo acepta palabras $uababw$ con $u, w \in \{a,b\}^*$, luego toda palabra aceptada por el autómata contiene abab al menos una vez

Convierto este a determinista (añadiendo un estado de error y lo invento)



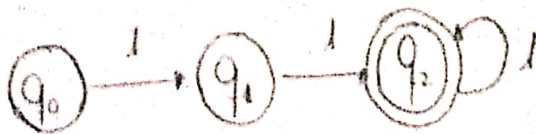
Seo el ~~lenguaje~~ autómata que acepta L

$$L_2 = \{0^i 1^j 0^k : (i, k \geq 0, \text{ unpar, } k \text{ m\u00f6glichst } \geq 3 \wedge j \geq 2i)$$

La Automata

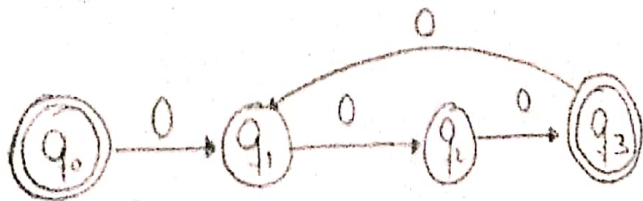


En Automata

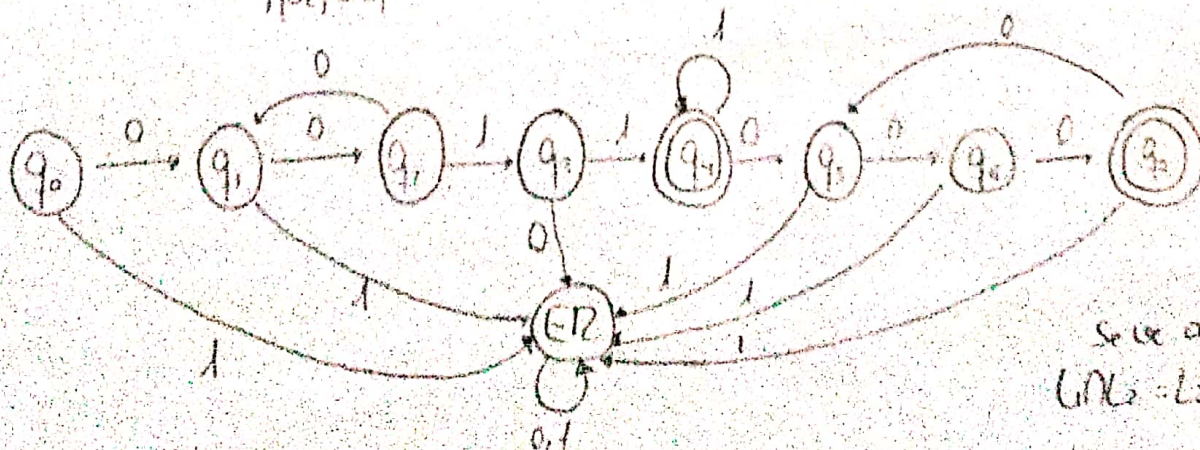
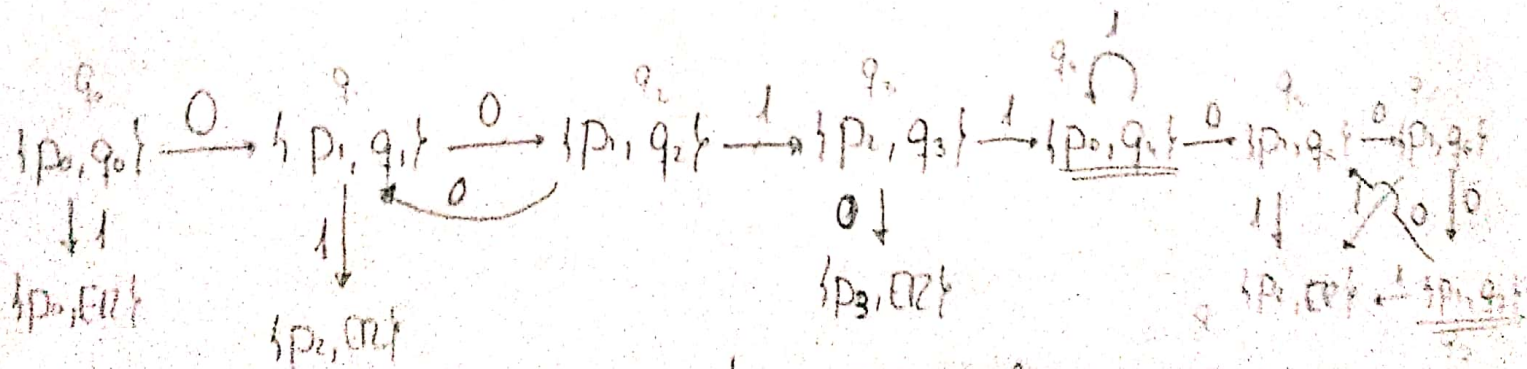
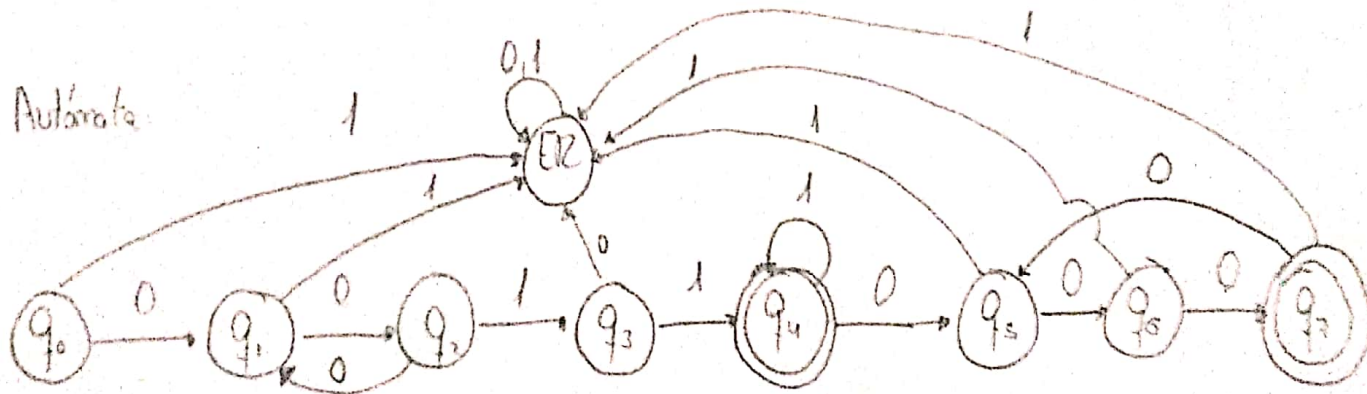


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L₁ Autarkie



Se ve a simple vista que
 $L_1 \cap L_2 = L_2$

| | | | | | | | | | |
|-------|-------|---|---|---|-------|-------|---|-------|-----|
| | | | | | | | | | |
| q_1 | X | | | | | | | | |
| q_2 | X | X | | | | | | | |
| q_3 | X | X | X | | | | | | |
| q_4 | X | X | X | X | | | | | |
| q_5 | X | X | X | X | X | | | | |
| q_6 | X | X | X | X | X | X | | | |
| q_7 | X | X | X | X | X | X | X | | |
| q_E | X | $\begin{smallmatrix} (0,E) \\ \times \end{smallmatrix}$ | $\begin{smallmatrix} (1,E) \\ \times \end{smallmatrix}$ | $\begin{smallmatrix} (2,E) \\ \times \end{smallmatrix}$ | X | X | $\begin{smallmatrix} (5,E) \\ \times \end{smallmatrix}$ | X | |
| | q_0 | q_1 | q_2 | q_3 | q_4 | q_5 | q_6 | q_7 | q |

| | | |
|-------|-------|-------|
| | 0 | 1 |
| q_0 | q_1 | q_E |
| q_1 | q_2 | q_E |
| q_2 | q_1 | q_3 |
| q_3 | q_E | q_4 |
| q_4 | q_5 | q_4 |
| q_5 | q_6 | q_E |
| q_6 | q_7 | q_E |
| q_7 | q_5 | q_E |

El autómata es minimal.