

# The Decoupling of Demography and Destiny: A Zero-Loss Decomposition of the 2024 U.S. Electorate

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# Outline

- 1 The Analytical Problem
- 2 The RCVD Framework
- 3 Application: 2024 U.S. Electorate
- 4 Takeaways

# A Core Challenge in Electoral Analysis

- Electoral analysis frequently conflates two distinct forces:
  - Shifts in Voter Preference (Group Loyalty / Rate)
  - Changes in Demographics (Group Size / Composition)
- This conflation leads to **significant interpretive errors**, misattributing millions of votes.
- Example: Is a party's vote change due to a group getting larger, or the group becoming more loyal? Standard models can't cleanly separate them.
- Recent Work (Marble et al., 2024; Fraga et al., 2024; Hill et al., 2021) has attempted to tackle this question, but methodological challenges remain

# The "Demographics are Destiny" Argument

- This narrative predicts that demographic shifts (increasing non-White populations) will inevitably lead to long-term partisan advantages (e.g., for the Democratic Party).
- This paper examines this core assumption by providing a tool that **isolates the demographic effect** from the loyalty effect.

# Introducing the RCVD Framework

The **Rate, Composition, and Volume Decomposition (RCVD)** is a novel, zero-loss methodology that precisely partitions the total vote change ( $\Delta Z$ ) into three analytically distinct components.

- **1. Rate Effect ( $\Delta R$ ):**  
Change in **Group Loyalty** (preference/vote rate).
- **2. Composition Effect ( $\Delta C$ ):**  
Change in **Group Proportion** (demographic shifts).
- **3. Volume Effect ( $\Delta V$ ):**  
Change in **Overall Participation** (turnout/total electorate size).

# The Core Specification

The underlying dynamics of an election are a non-linear combination of the Rate, Composition, and Volume for a given election at time  $t$ . For any group,  $i$ , the total contribution to the election result is given by:

$$Z_i(t) = R_i(t) \times C_i(t) \times V(t)$$

Therefore, any attempt to analyze these components needs to account for the non-linear relationship between them. The total vote change ( $\Delta Z_i$ ), is the difference between an election at time  $t_0$  and a second election at time  $t_1$ :

$$\Delta Z_i = Z_i(t_1) - Z_i(t_0)$$

# The Zero-Loss Principle

- **Zero-Loss:** The RCVD ensures that the sum of the changes within the three components **exactly equals** the total observed vote change ( $\Delta Z$ ).

$$\Delta Z = \Delta R + \Delta C + \Delta V$$

- **Mathematical Definition:**

The decomposition is based on sequential differencing and marginal analysis.

- **Formula (Simplified):**

$$\Delta R = \text{Base Size} \times (\text{New Rate} - \text{Old Rate}) \times \text{Base Volume}$$

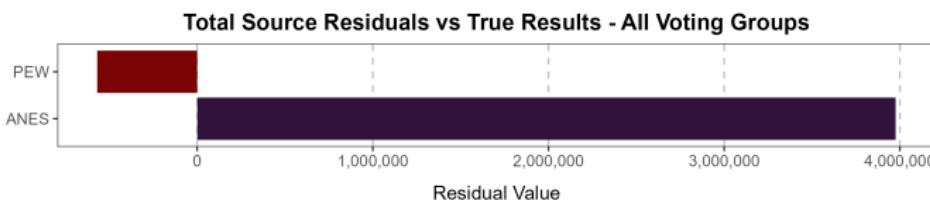
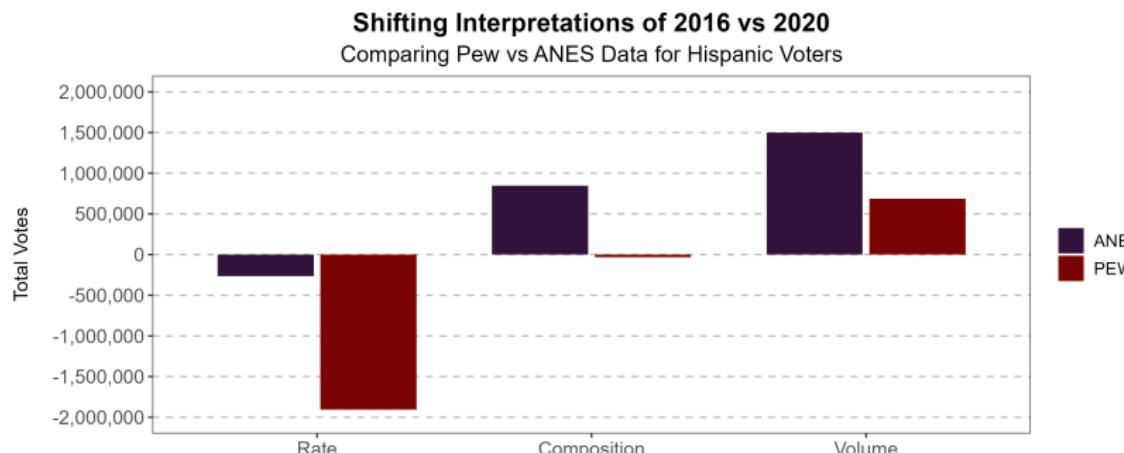
$$\Delta C = \text{New Rate} \times (\text{New Proportion} - \text{Old Proportion}) \times \text{Base Volume}$$

$$\Delta V = \text{New Rate} \times \text{New Proportion} \times (\text{New Volume} - \text{Old Volume})$$

# Diagnostic Application: Data Resolution

- Applying RCVD to different data sources (e.g., ANES vs. Pew) reveals systemic differences in measurement.
- **Key Finding:** Data sources often disagree significantly on the size of the  $\Delta C$  and  $\Delta R$  components, even when the total  $\Delta V$  is similar.
- This indicates: RCVD is a crucial diagnostic tool for quantifying the **data resolution problem** in existing electoral surveys.

# Diagnostic Application: ANES vs PEW



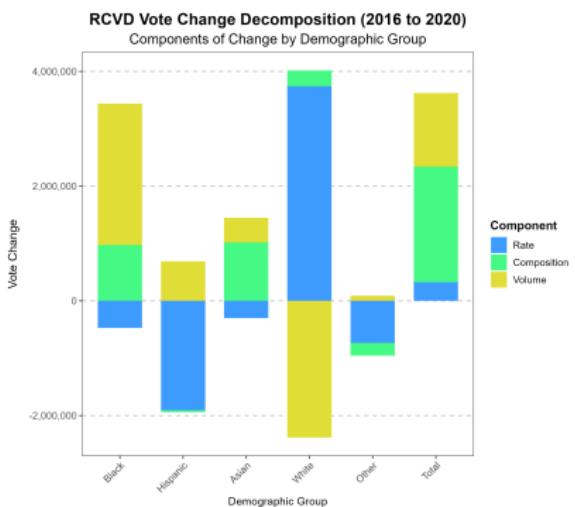
# Analysis of the 2016–2024 Cycles

- The framework was applied to U.S. Presidential Election cycles: 2016 → 2020 → 2024.
- **Context (2016-2020):** Initial evidence of a dampening effect, where  $\Delta R$  and  $\Delta C$  worked against each other.
- **Focus: The 2024 Election Result**  
The 2024 cycle revealed a decisive and total decoupling of these effects.

# The Initial Hints: Weakening Support in 2020

- In the 2016-2020 cycle, the effects were more aligned with the demographics hypothesis, but still complex.
- $\Delta C$  (Composition) was positive for Democrats
  - Driven by a strong shift out of White Voters and into Black and Hispanic Voters
- Weakness in  $\Delta R$  (Rate) for Democrats
  - Rate was slightly positive for Democrats
  - However, this was driven by significant increases in Rate amongst White voters
  - $\Delta R$  (Rate) effects however were already showing weakness amongst non-White voting groups.

# RCVD Decomposition: 2020 Summary

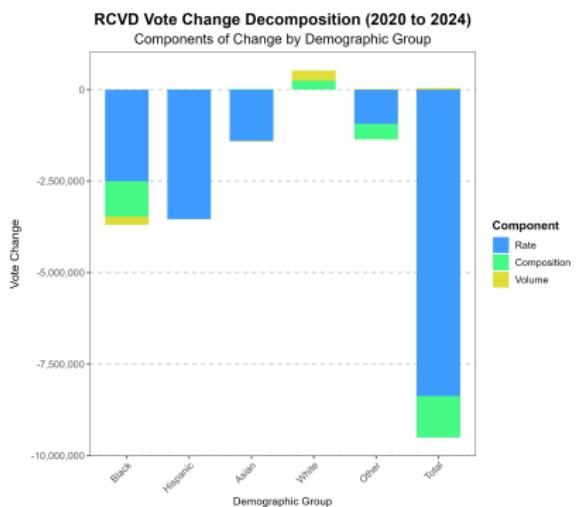


- The total net change ( $\Delta V$ ) was positive for Democrats, reflecting higher turnout levels.
- The small **positive Rate effect** ( $\approx .3M$ ) was dwarfed by the large positive Composition effect ( $\approx 2M$ )

# The Main Finding: Decoupling in 2024

- The long-predicted Democratic **Compositional Advantage** ( $\Delta C$ ):
  - Substantial growth in non-White groups (Hispanic, Black, All Others).
  - This was expected to create a net positive vote gain for Democrats purely based on group size.
- The **Neutralizing Negative Rate Swing** ( $\Delta R$ ):
  - Significant erosion of partisan loyalty among **non-White electorates**, particularly Hispanic voters.
  - This resulted in a net negative vote loss for Democrats based on preference shifts.

# RCVD Decomposition: 2024 Summary



- The total net change ( $\Delta V$ ) was marginal.
- The large **negative Rate effect** ( $\approx -8.4M$ ) was so dramatic that the net Composition effect ( $\approx -1.1M$ ) was actually also negative.

# The Decoupling: Key Takeaway

- **What Happened:** The predicted demographic tailwind for one party ( $\Delta C > 0$ ) was entirely flipped, driven by a simultaneous, unprecedented shift in group loyalty ( $\Delta R < 0$ ).
- **Conclusion:** The RCVD framework allows researchers to examine the "demographics are destiny" narrative, fundamentally challenging the underlying assumptions
- **Core Takeaway:** Electoral success for Democrats depends less on passive demographic growth and more on active loyalty maintenance (Rate) within growing groups.

# Takeaways and Future Work

- **RCVD is a superior diagnostic tool** that resolves long-standing interpretive ambiguity in vote change analysis.
- The **2024 Decoupling** is a critical empirical finding: Compositional growth can be entirely offset, or even reversed, by Rate erosion.
- **Future Work:**
  - Applying the RCVD to state-level and local elections.
  - Integrating the RCVD framework into standard public polling methodologies.

# Thank You.

## Questions?

- Bernard L. Fraga, Yamil R. Velez, and Emily A. West. Reversion to the Mean, or Their Version of the Dream? Latino Voting in an Age of Populism. *American Political Science Review*, pages 1–9, May 2024. ISSN 0003-0554, 1537-5943. doi: 10.1017/S0003055424000406. URL [https://www.cambridge.org/core/product/identifier/S0003055424000406/type/journal\\_article](https://www.cambridge.org/core/product/identifier/S0003055424000406/type/journal_article).
- Seth J. Hill, Daniel J. Hopkins, and Gregory A. Huber. Not by turnout alone: Measuring the sources of electoral change, 2012 to 2016. *Science Advances*, 7(17): eabe3272, April 2021. ISSN 2375-2548. doi: 10.1126/sciadv.abe3272. URL <https://www.science.org/doi/10.1126/sciadv.abe3272>.
- William Marble, Justin Grimmer, and Cole Tanigawa-Lau. Measuring the Contribution of Voting Blocs to Election Outcomes. *The Journal of Politics*, page 732964, September 2024. ISSN 0022-3816, 1468-2508. doi: 10.1086/732964. URL <https://www.journals.uchicago.edu/doi/10.1086/732964>.

# Appendix A: Mathematical Details

- **RCVD Approach**

- Total vote change for party  $P$  between  $t_0$  and  $t_1$ :

$$\Delta Z = Z(t_1) - Z(t_0)$$

- The decomposition is defined as:

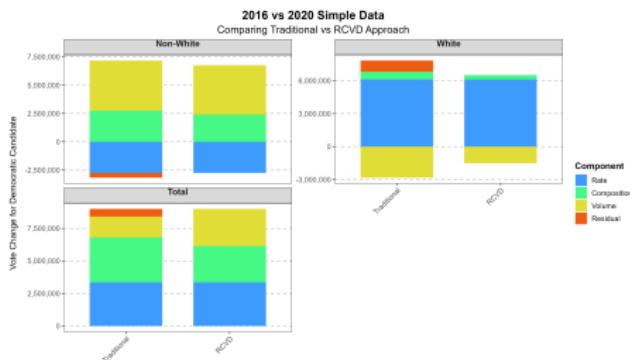
$$\Delta Z = \Delta R + \Delta C + \Delta V$$

# Appendix A: Mathematical Details

## Final RCVD Specification for Group $i$

$$\begin{aligned}\Delta Z_i = & \Delta R_i * C_i(t_1) * V(t_1) + \\ & R_i(t_2) * \Delta C_i * V(t_1) + \\ & R_i(t_2) * C_i(t_2) * \Delta V\end{aligned}$$

## Appendix B: Comparison to Traditional Methods



- The RCVD method achieves zero-loss compared to older decomposition methods (like the simplified derivative-based approach (DBA)).
- Interpretation: Older methods can introduce significant, systematic errors in the estimation of group-level components ( $\Delta R$  and  $\Delta C$ ).

## Appendix C: Data Caveats

- **Data Dependence:** RCVD is highly dependent on the initial quality and consistency of the underlying exit-poll or survey data (e.g., ANES, Pew).
- **Solution:** The paper proposes that the RCVD output itself (specifically the residuals when comparing different data sources) should be used as a measure of data reliability.
- **Limitation:** While RCVD accounts for all observed change, it cannot correct for initial mismeasurement of the underlying group sizes or vote rates.