

## Module 8: Hazen Williams Equation and Equivalent Pipes (CIVL 318)

### Hazen-Williams Equations

$$Q = \frac{C D^{2.63} \left(\frac{h_L}{L}\right)^{0.54}}{279000}, \quad h_L = L \left(\frac{279000 Q}{C D^{2.63}}\right)^{1.852}, \quad D = \left(\frac{279000 Q}{C \left(\frac{h_L}{L}\right)^{0.54}}\right)^{0.3802}$$

### Equivalent-Length Ratios for Fittings

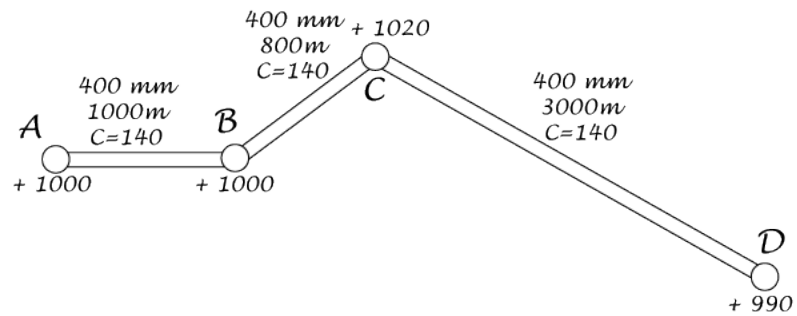
Type	$L_e/D$
Globe valve — fully open	340
Angle valve — fully open	150
Gate valve — fully open	8
— 3/4 open	35
— 1/2 open	160
— 1/4 open	900
Check valve — swing type	100
Check valve — ball type	150
Butterfly valve — fully open — 2-8"	45
— 10-14"	35
— 16-24"	25
Foot valve — poppet disc type	420
Foot valve — hinged disc type	75
90° standard elbow	30
90° long radius elbow	20
90° street elbow	50
45° standard elbow	16
45° street elbow	26
Close return bend	50
Standard tee — flow through run	20
Standard tee — flow through branch	60
Gradual enlargement — 15° cone angle	8
Gradual enlargement — 20° cone angle	15
Gradual enlargement — 30° cone angle	23
Gradual reduction — 15° to 40° cone angle	2
Pipe entrance — inward projecting	50
Pipe entrance — square	25
Pipe entrance — rounded	10
Venturi meter	100

### Example 1

For the pipeline shown, calculate the pressure at  $B$ , given that the pressure at  $A$  is 700 kPa.

The pipes are cement-lined Hyprescon with a diameter of 400 mm and a roughness coefficient of  $C = 140$ . Flow through the system is 200 L/s.

Elevations are as indicated.

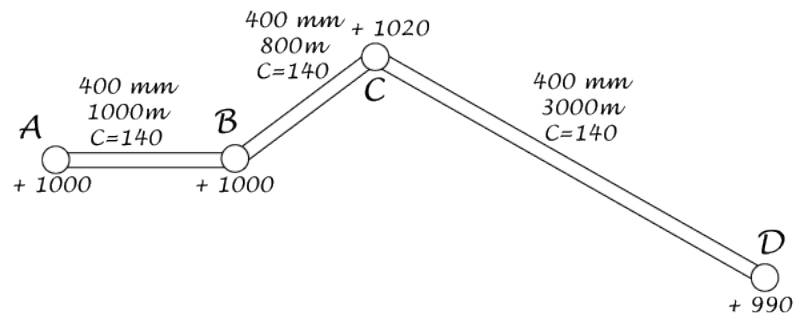


### Exercise 1

For the pipeline shown, calculate the pressure at  $C$  and  $D$ , given that the pressure at  $A$  is 700 kPa.

The pipes are cement-lined Hyprescon with a diameter of 400 mm and a roughness coefficient of  $C = 140$ . Flow through the system is 200 L/s.

Elevations are as indicated.

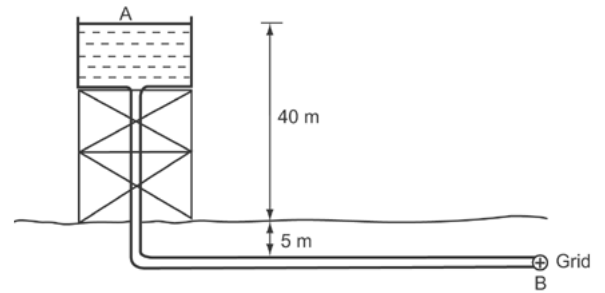


### Example 2

Water flows from a storage tank through a welded steel pipe that is 1200 m long and 350 mm in diameter, entering a distribution grid at point 'B'. Assume  $C=100$ . Determine:

- (1) The pressure at 'B' when the flow is 150 L/s
- (2) The maximum flow rate into the grid when the minimum allowable pressure at 'B' is 400 kPa.

Minor losses are negligible compared to friction losses.





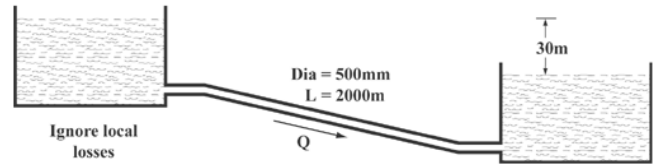
### Exercise 2

Water flows from one reservoir down to another, through a 500 mm diameter pipe that is 2000 m in length. The difference in elevation between the surfaces of the two reservoirs is 30 m.

Determine:

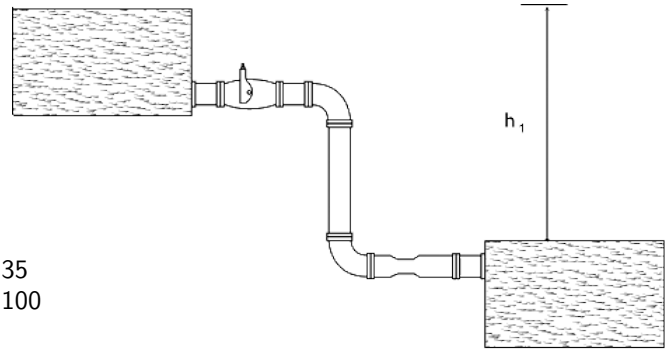
- (1) The flow with high density polyethylene pipe (HDPE) with  $C = 140$
- (2) The flow with welded steel with  $C = 100$
- (3) The diameter of HDPE pipe required for a flow of 1200 L/s

Disregard minor losses.



### Example 3

In a water treatment plant, water flows from a filter down to a clear well through the pipe system shown. The pipe is welded steel with a diameter of 300 mm and roughness coefficient  $C = 130$ . The total length of pipe is 50 m. Elevation difference  $h_1$  between the tanks is 5 m.

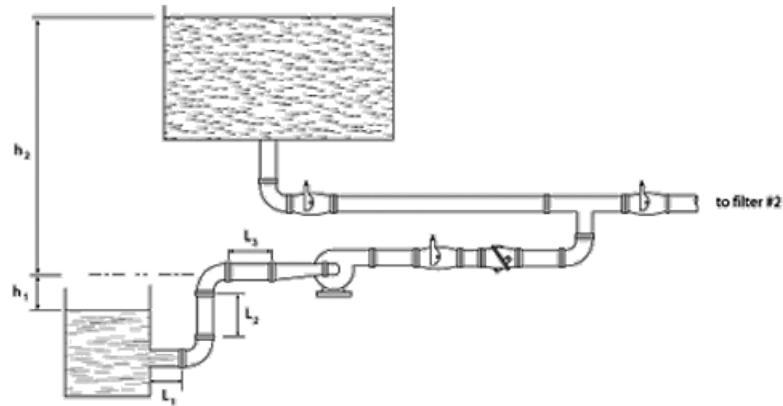


Equivalent length ratios,  $L_e/D$ , are:

Entrance and exit losses:	50	Butterfly valve:	35
Large radius elbows:	25	Venturi meter:	100

Determine the flow through the system.

#### Example 4



In a water treatment plant, backwash water is pumped from the clear well through the pipe system shown to the filter. The required backwash flow is 10 L/s per square meter of filter area (the filter dimensions are 10 m by 15 m). The inlet pipe is made of welded steel ( $C = 130$ ), has a diameter of 1000 mm and a total length ( $L_1 + L_2 + L_3$ ) of 10 m. The outlet pipe, from the pump to the filter, is also welded steel, has a diameter of 700 mm and a length of 70 m.

The two elevation differences are  $h_1 = 2$  m and  $h_2 = 10$  m.

Equivalent length ratios,  $L_e/D$ , are:

Entrance:	10	Elbow (inlet):	25
Eccentric Reducer:	2	Butterfly Valve:	40
Check Valve:	120	Elbow (outlet):	35
Tee Connection:	60		

Neglect exit losses into the filter.

Determine:

- (1) The head losses on the inlet side (clear well to pump)
- (2) The head losses on the outlet side (pump to filter)



### Exercise 3

This exercise is a continuation of the previous example. Determine:

- (3) The head added by the pump
- (4) The pressure at the pump outlet

### Example 5

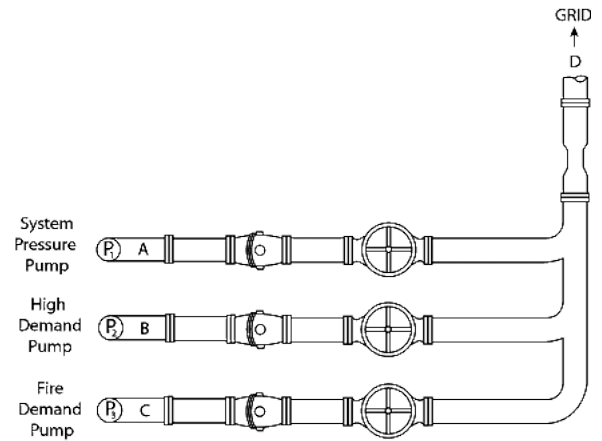
The pumps and piping system are used to supply a municipal grid. Pump  $P_1$  runs continuously and maintains the basic pressure in the distribution grid beyond point  $D$ . There is no flow from pumps  $P_2$  and  $P_3$ . (Pump  $P_2$  is, in addition to  $P_1$ , used during periods of high demand and all pumps are used during fire flow demands.)

The elevations are the same at the pump and the discharge point  $D$ . The outlet pipe, from the pump to point  $D$ , is welded steel ( $C = 130$ ) with a diameter of 200 mm and a total length between fittings of 10 m.

The minimum pressure required at  $D$  is 500 kPa for a design flow of 150 L/s.

Equivalent length ratios,  $L_e/D$ , are:

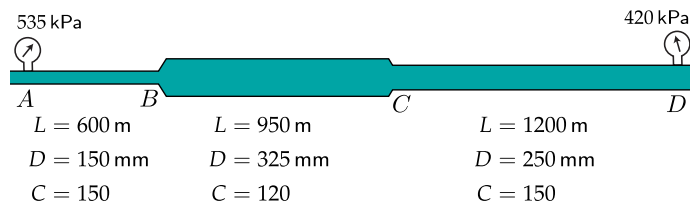
Check Valve:	120	Gate Valve:	15
Tee Connection:	60	Venturi Meter:	100



Determine:

- (1) the head losses between  $A$  and  $D$
- (2) the pressure at  $A$  required for the required pressure and flow at  $D$

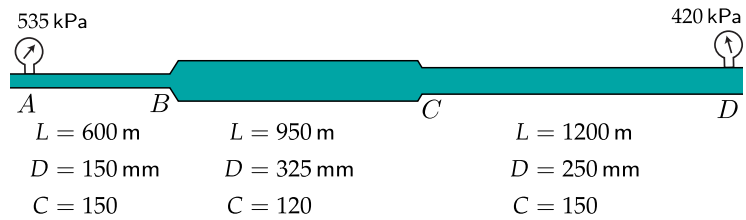
### Example 6



Determine  $Q$ , the volume flow rate from  $A$  to  $D$ , through the system shown. Ignore minor losses and assume that  $A$  and  $D$  are at the same elevation.

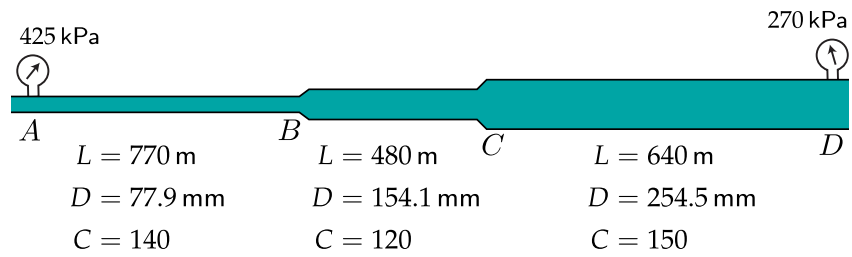
### Example 7

- a) Determine the diameter of a pipe with length  $L = 1000$  m and resistance coefficient  $C = 100$  that is equivalent to 785 m of new Schedule 40 12-in steel pipe ( $D = 303.2$  mm,  $C = 130$ ).
- b) Verify that this equivalent pipe has the same headloss as the 12-in steel pipe for two arbitrary flows (choose a couple of flows at random, different from the flow used in part a).

**Example 8**

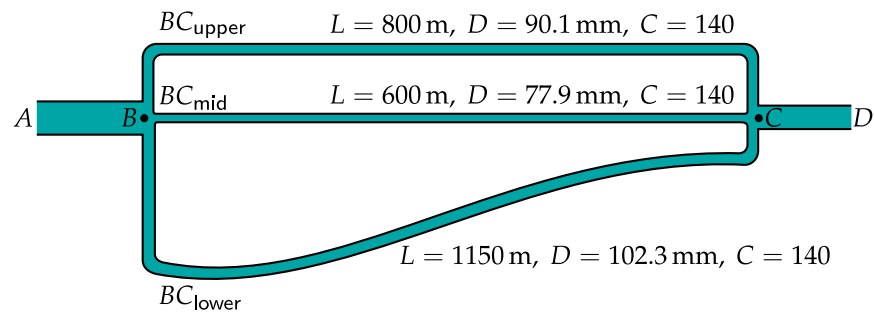
Use the equivalent pipe technique to determine  $Q$ , the volume flow rate from  $A$  to  $D$ , through the system shown. Ignore minor losses and assume that  $A$  and  $D$  are at the same elevation.

#### Exercise 4



Use the equivalent pipe technique to determine  $Q$ , the volume flow rate from  $A$  to  $D$ , through the system shown. Ignore minor losses and assume that  $A$  and  $D$  are at the same elevation.

### Example 9



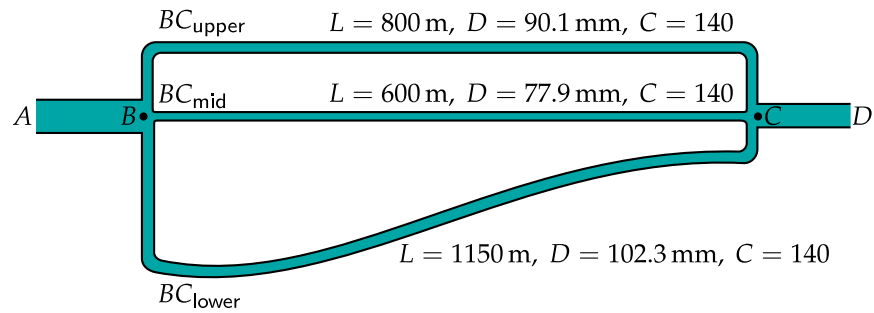
Given a flow of  $18 \text{ L/s}$  and ignoring minor losses:

- Determine the volume flow rate through each of the parallel pipes between  $B$  and  $C$ .
- Determine the headloss due to friction between  $B$  and  $C$ .





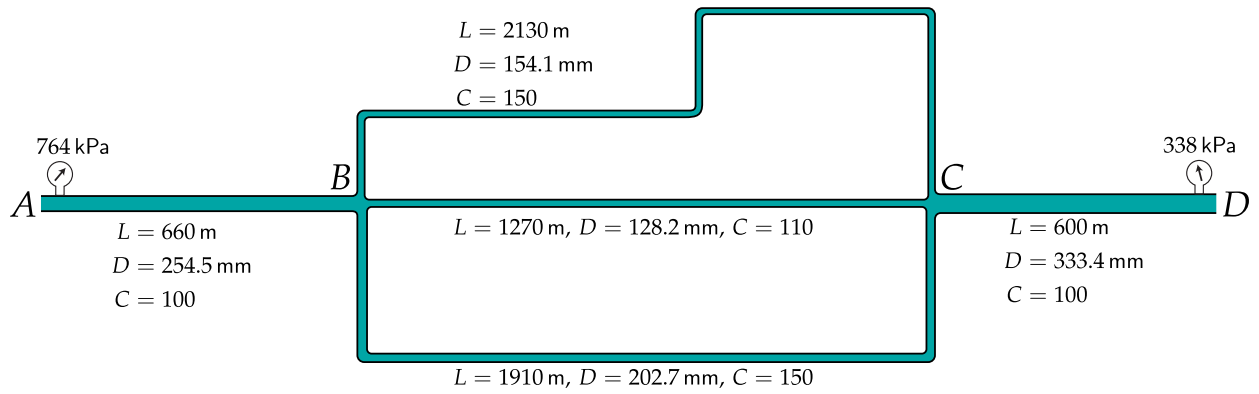
Example 10: (Alternate - easier! - than previous method)



Given a flow of 18 L/s and ignoring minor losses:

- Determine the percentage of the flow that goes through each parallel pipe by choosing a convenient headloss between B and C.
- Determine the volume flow rate through each of the parallel pipes.

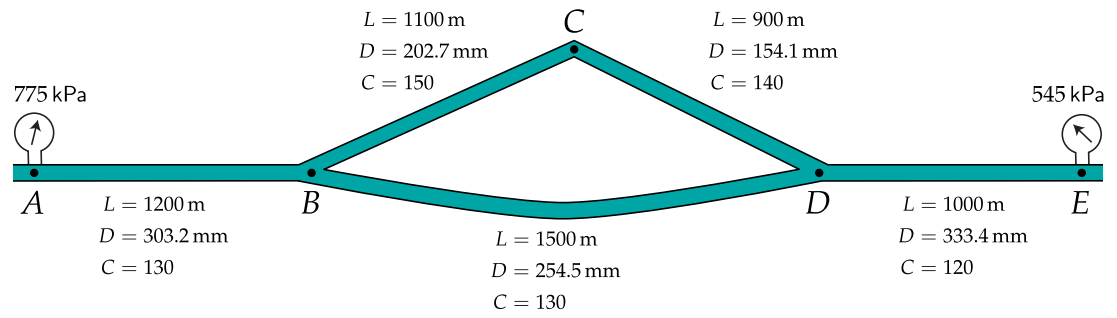
### Example 11



A, B, C and D are at the same elevation. Determine the flow through the system from A to D. (Ignore minor losses.)



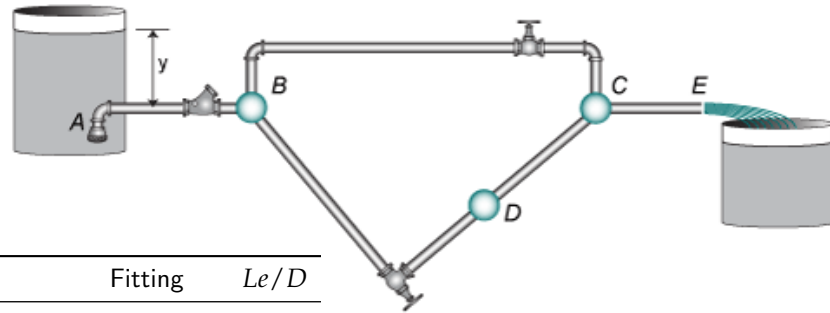
### Exercise 5








Determine  $Q$ . All pipes have the same elevation. Disregard minor losses.



### Exercise 6



Fitting	$Le/D$
 Angle Valve	150
 Check Valve	100
 Elbow	50
 Foot Valve	75
 Gate Valve	35

Pipe	Length (m)	diam (mm)	C
AB	10	500	125
BC	2000	275	150
BD	1500	250	100
DC	1000	300	100
CE	10	500	125

Given that  $y = 6.7$  m, determine the flow through the system.  
(Nodes  $B$  and  $E$  are at the same elevation. Disregard exit losses.)

