

Storm surge reanalysis of Hurricane Idalia using a spatial Bayesian model

NH21D-06 - Late-Breaking Contributions for the Maui and Canadian Wildfires and 2023 Cyclone Activity I

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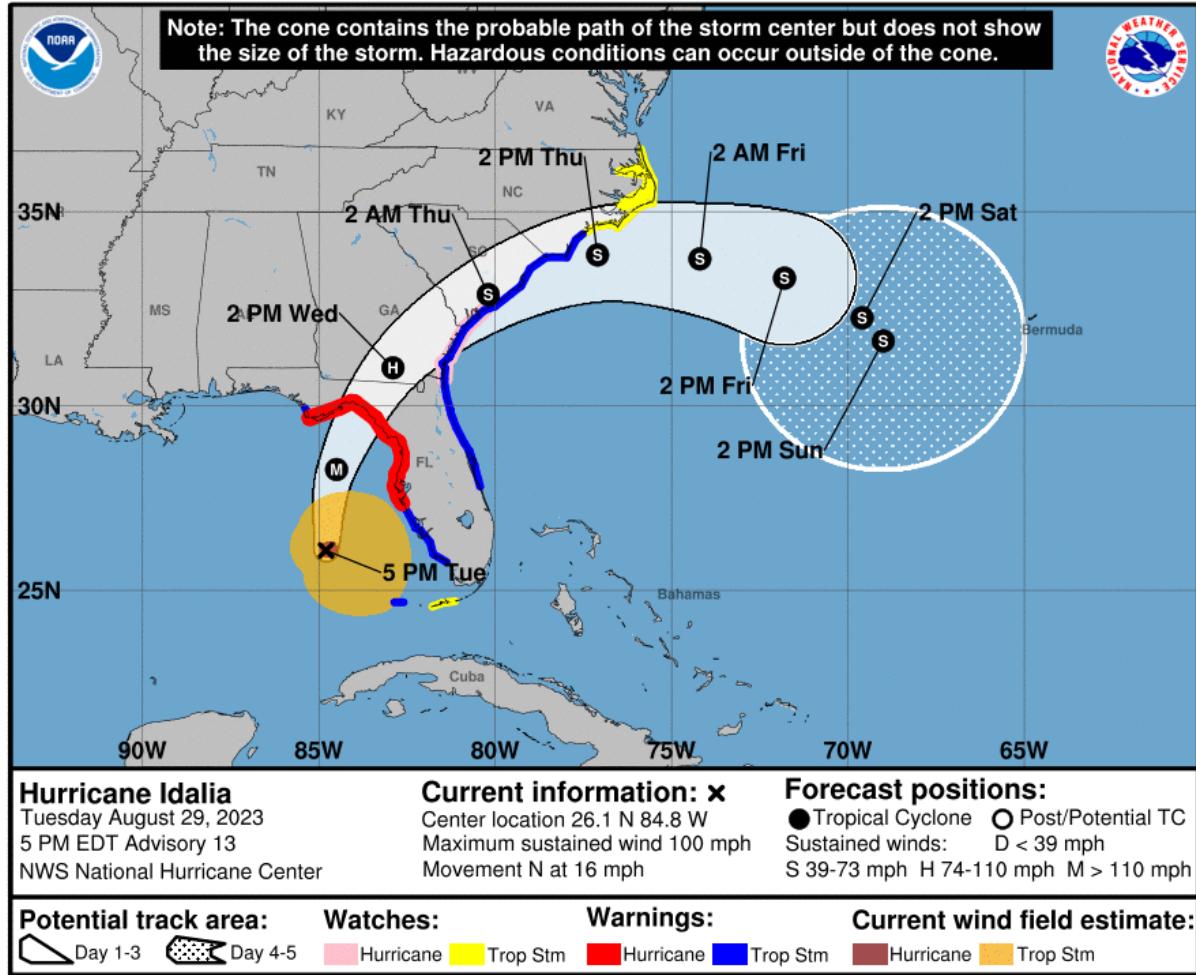
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Hurricane Idalia: at a glance...



- Made Landfall as a Category 3 Hurricane
 - Strongest in Big Bend region since 1896
- Reports of peak storm tide (surge + tide) reached 7 to 12 feet above ground level

Source: "Hurricane Idalia Strikes the Florida Big Bend August 30, 2023", National Weather Service

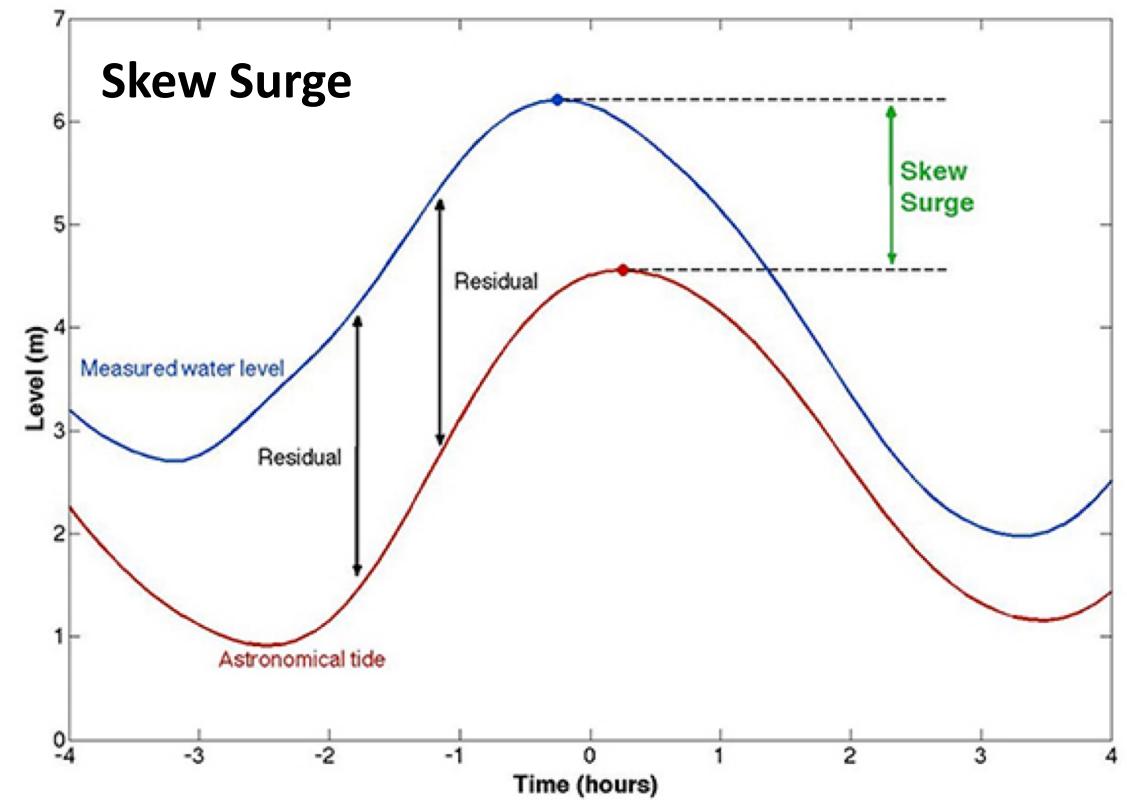


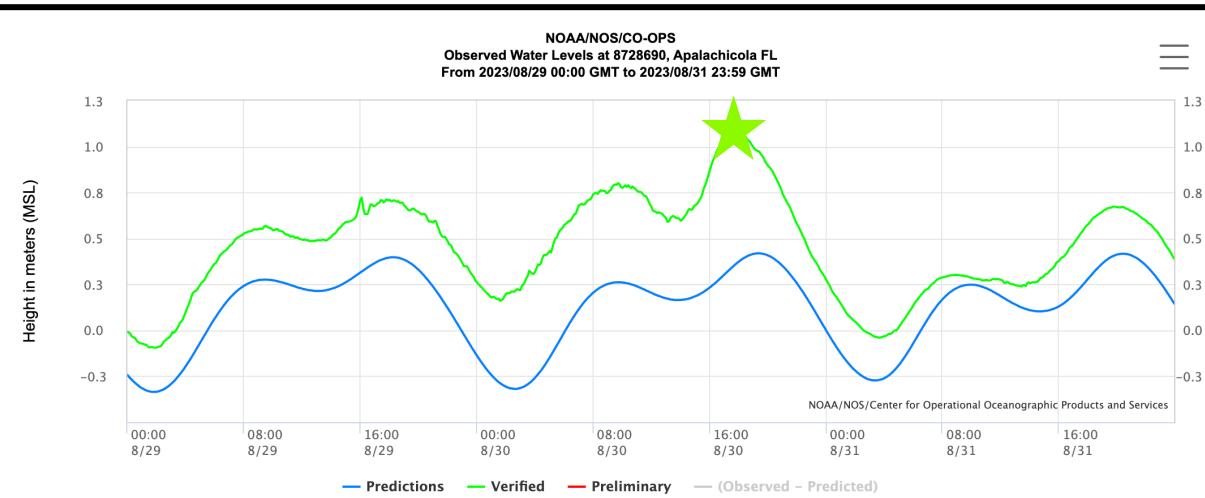
Hurricane Idalia's storm surge in historical context

Hurricane Idalia storm surge amounts rivaled those from the 1993 “Storm of the Century”

	Date	Skew Surge	Storm Name
1	8/30/2023	1.96 m (6.4 ft)	Hurricane Idalia
2	3/13/1993	1.88 m (6.2 ft)	“Storm of the Century”
3	9/2/2016	1.51 m (5.0 ft)	Hurricane Hermine
4	6/9/1966	1.42 m (4.7 ft)	Hurricane Alma
5	8/31/1985	1.37 m (4.5 ft)	Hurricane Elena

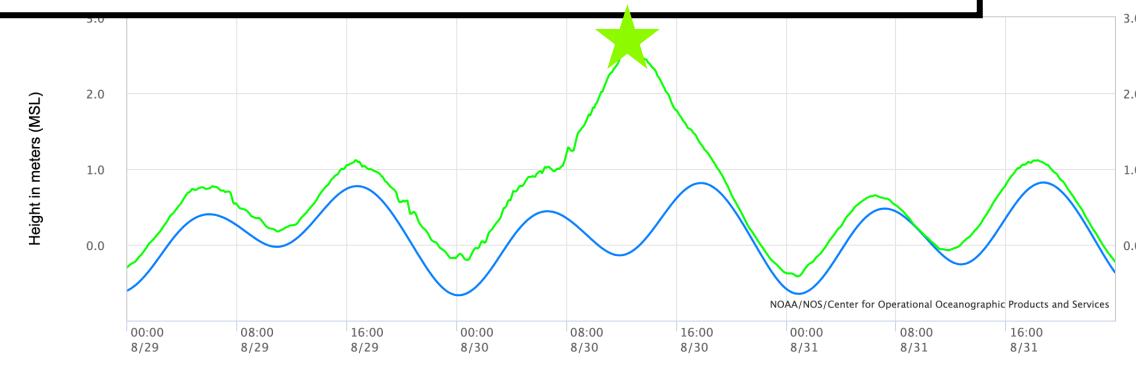
Cedar Key Tide Gauge (1950 to present); NOAA Tides and Currents





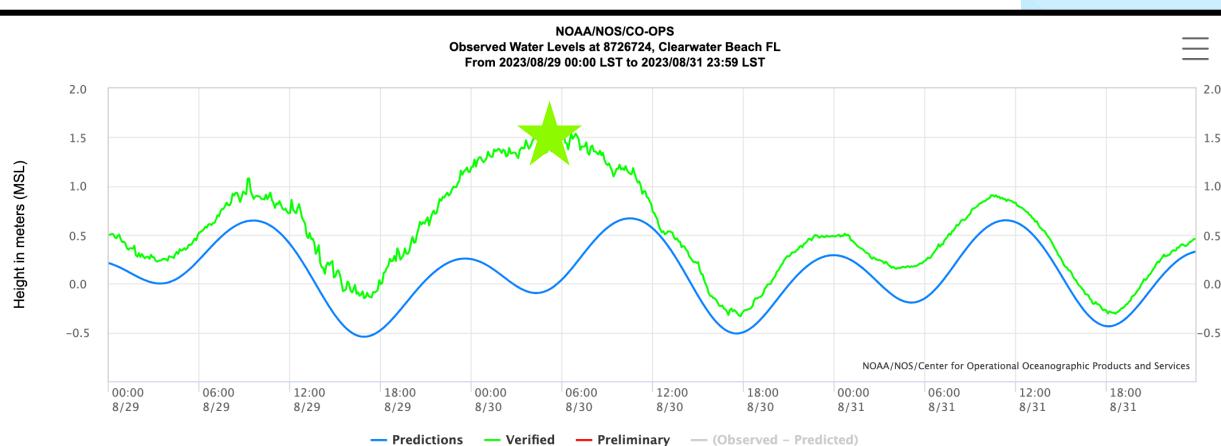
Cedar Key Tide Gauge

Peak Storm Tide: 2.63 m (8.6 ft) above Mean Sea Level
Skew Surge: 1.96 m (6.4 ft)



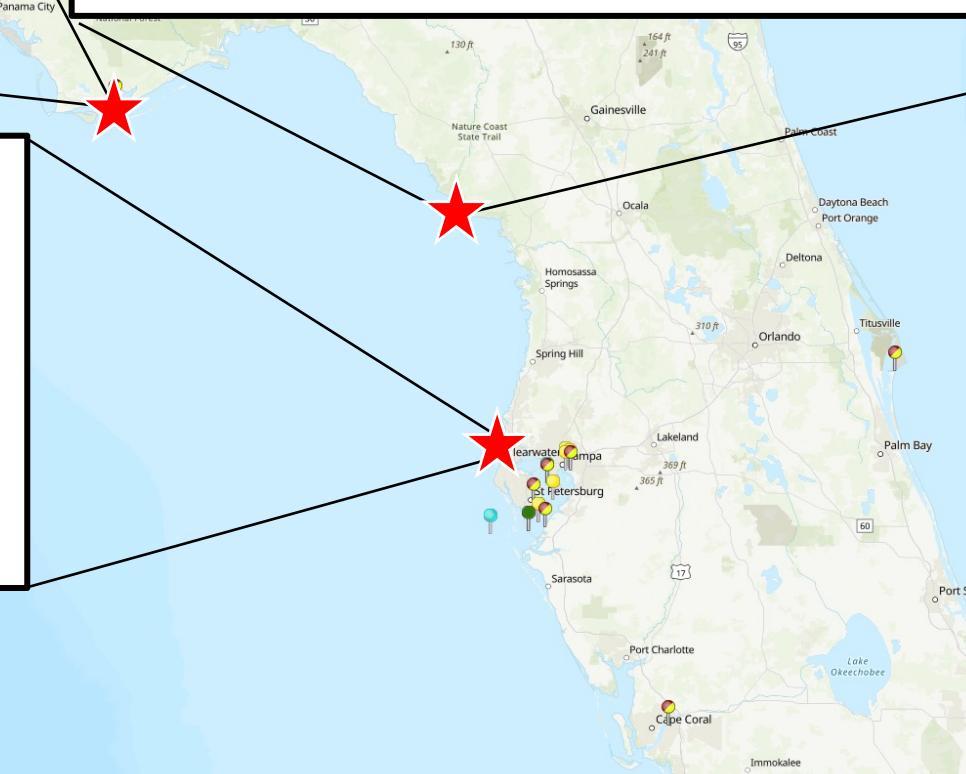
Apalachicola Tide Gauge

Peak Storm Tide: 1.08 m (3.5 ft) above Mean Sea Level
Skew Surge: 0.5 m (1.6 ft)



Clearwater Beach Tide Gauge

Peak Storm Tide: 1.56 m (5.1 ft) above Mean Sea Level
Skew Surge: 1.0 m (3.3 ft)



Limited observations... Peak storm surge levels not completely sampled in landfalling area

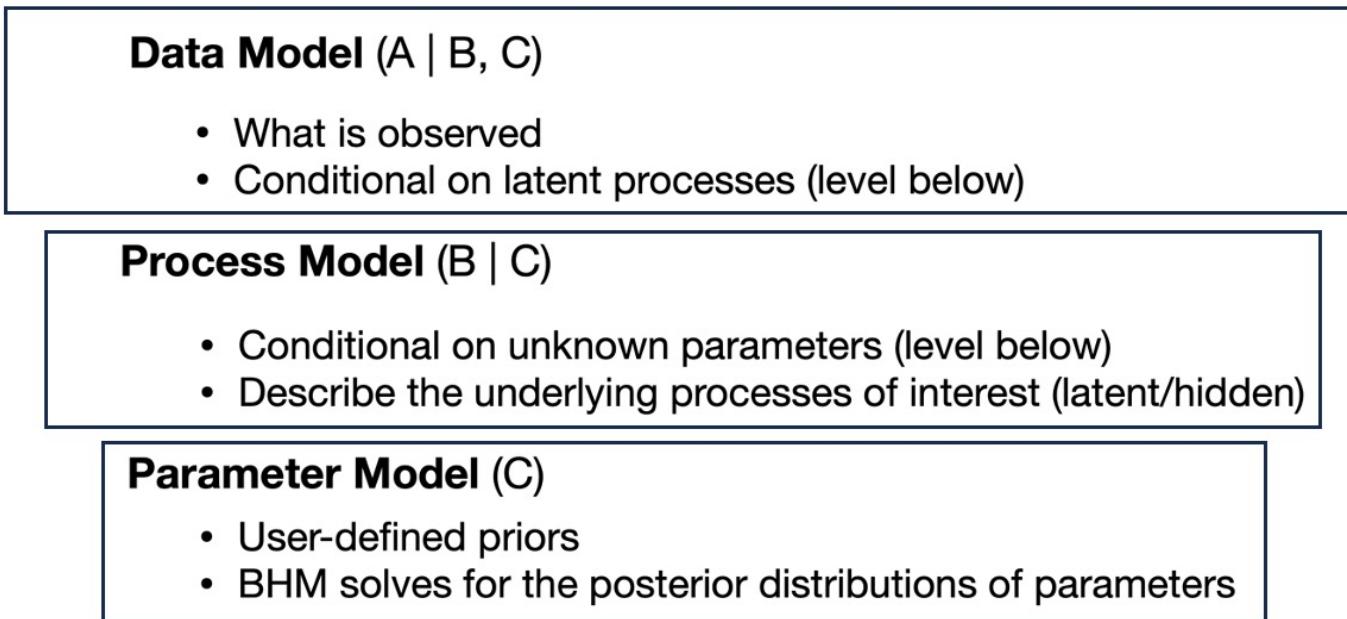
Presentation Overview



Ringling bridge in Sarasota, FL (Thomas Bender)

- Explain Bayesian Hierarchical Models (BHMs)
- Application of a BHM to estimate Hurricane Idalia's peak surge
- Storm surge probabilities for Florida
 - How frequent was Idalia, from a storm surge perspective?

BHMs make fully probabilistic inferences from data to predict unobserved quantities



(Cressie and Wilke, 2015)

Bayes' Rule allows for inferring posterior parameters of the data and processes...

$$P(\text{processes, parameters} \mid \text{data}) \propto P(\text{data} \mid \text{processes, parameters}) * P(\text{processes} \mid \text{parameters}) * P(\text{parameters})$$



Our BHM for storm surge estimates has been featured recently in...

PNAS

RESEARCH ARTICLE | EARTH, ATMOSPHERIC, AND PLANETARY SCIENCES | 



Probabilistic reanalysis of storm surge extremes in Europe

Francisco M. Calafat   and Marta Marcos  [Authors Info & Affiliations](#)

Edited by Anny Cazenave, Centre National d'Etudes Spatiales, Toulouse, France, and approved December 9, 2019 (received for review July 29, 2019)

January 13, 2020 | 117 (4) 1877-1883 | <https://doi.org/10.1073/pnas.1913049117>

nature

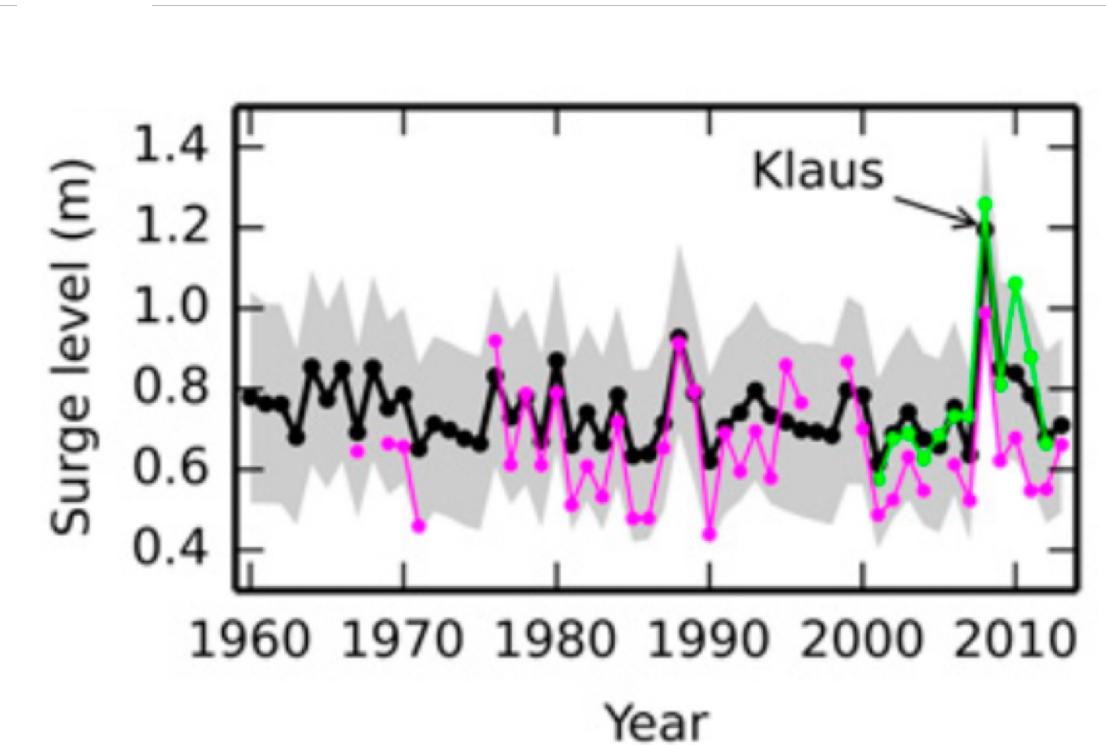
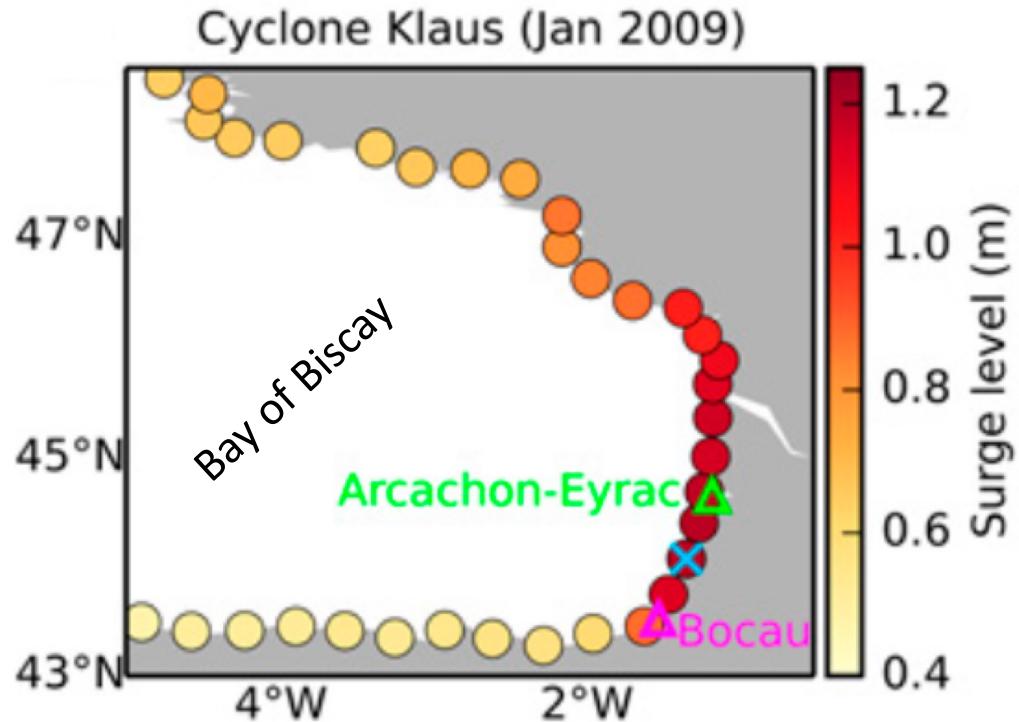
Article | [Published: 30 March 2022](#)

Trends in Europe storm surge extremes match the rate of sea-level rise

Francisco M. Calafat , Thomas Wahl, Michael Getachew Tadesse & Sarah N. Sparrow

Nature 603, 841–845 (2022) | [Cite this article](#)

A BHM can estimate peak surges at ungauged locations



Calafat and Marcos (2019), PNAS

BHM setup for inferring unobserved peak surge values

Data Model (What is observed)

- Annual maximum skew surge values at tide gauges
- Continental shelf width covariates

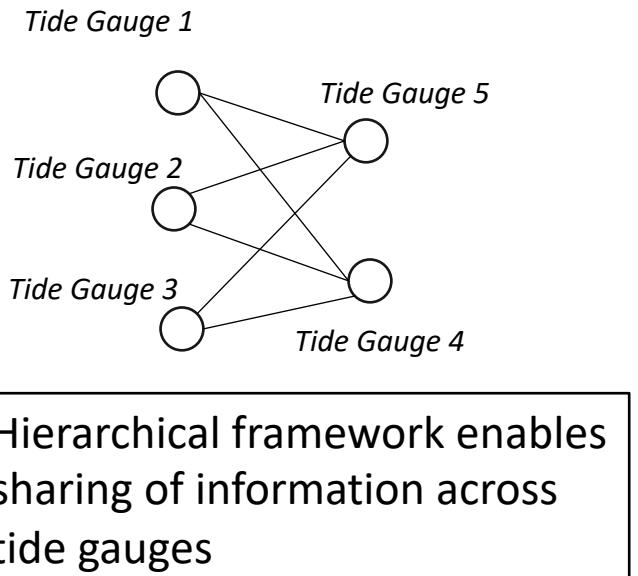
Spatial Process Model (Describes the underlying spatiotemporal processes)

- *Residual dependence of annual maxima*
 - Modeled with random effects at spatial “knots”
- *Climatological dependence*
 - Model Generalized Extreme Value (GEV) parameters with Gaussian processes
 - Describe the frequency of extreme skew surges

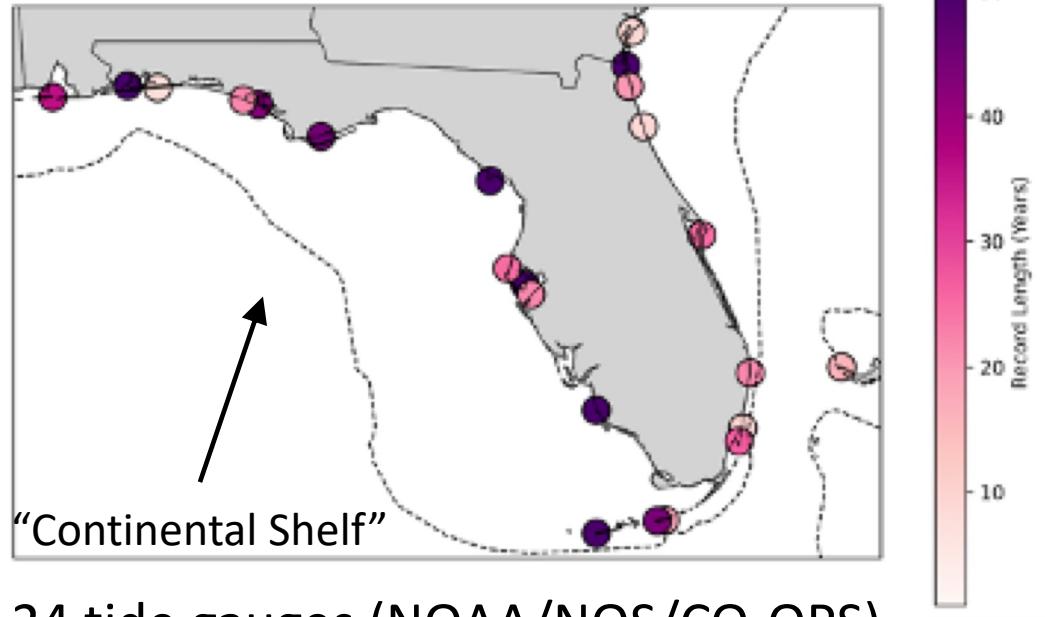
Parameter Model (User-defined priors)

- All parameters prescribed either an informative or non-informative prior

Model has been thoroughly tested: e.g., Calafat and Marcos (2019), Calafat et al. (2022), Morim et al., (in prep.)

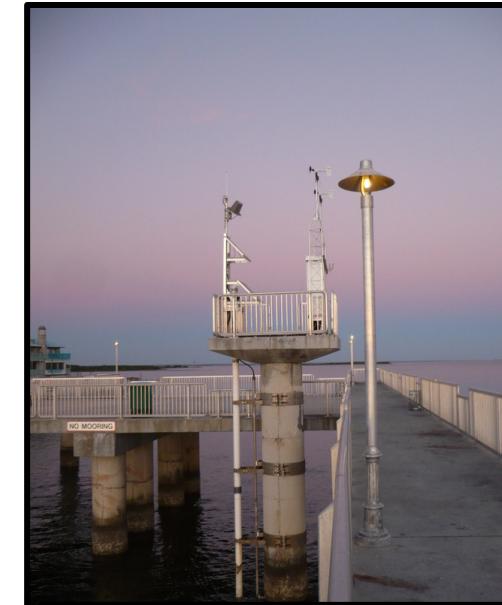


BHM input data



Tide gauge observations

- NOAA Tides and Currents (1950 through 2023)
- Excluded stations within small inlets and bays
- Removed seasonal trends and annual means
- Calculate skew surge for each tidal cycle
 - Removes astronomical tide
- Must have > 70% of data to calculate an annual maximum

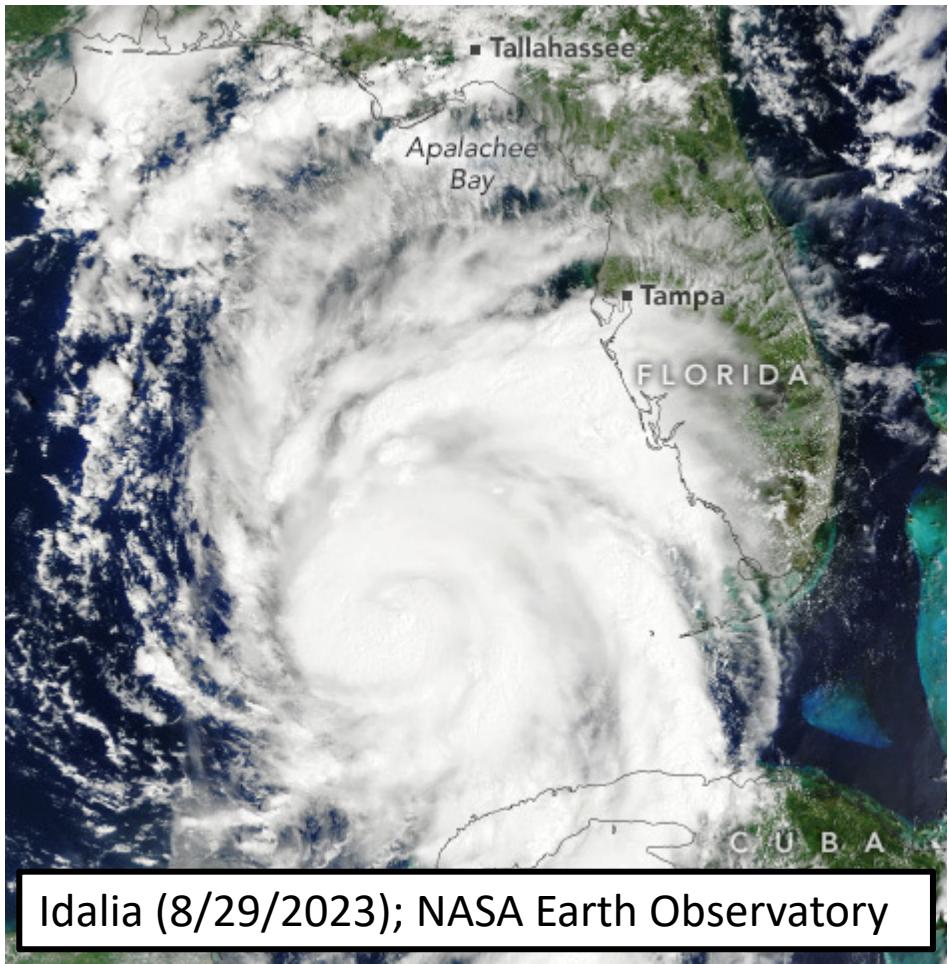


Cedar Key Tide Gauge

Width of “continental shelf” used as model covariate

- 200 m depth contour from Natural Earth bathymetry

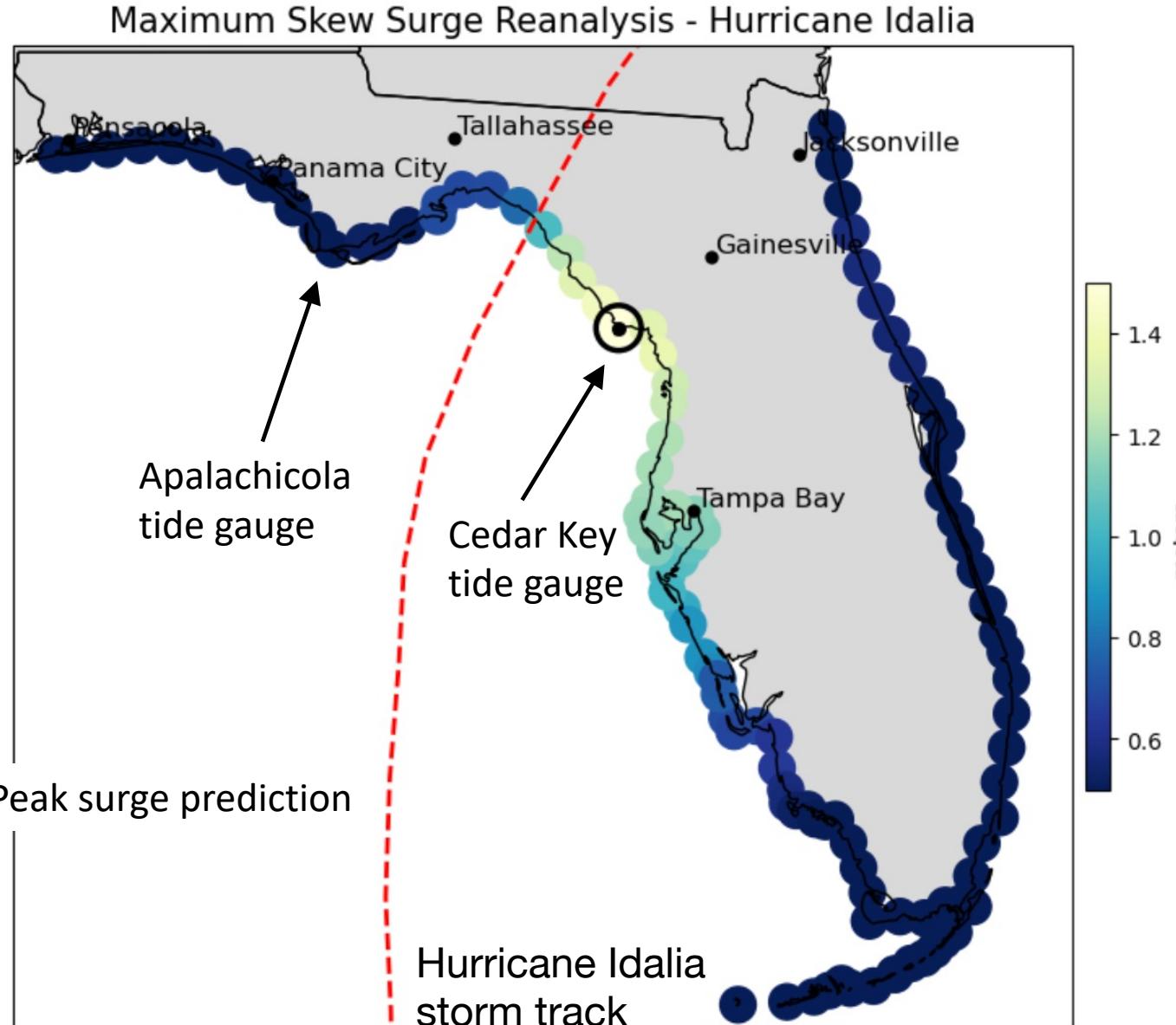
BHM inference



- BHM integration performed with Markov Chain Monte Carlo (MCMC) with No U-Turn Sampler (NUTS), as implemented by the Stan probabilistic programming language
- Run sampler with four MCMC chains of 2,000 iterations each
- All runs converged and had good mixing

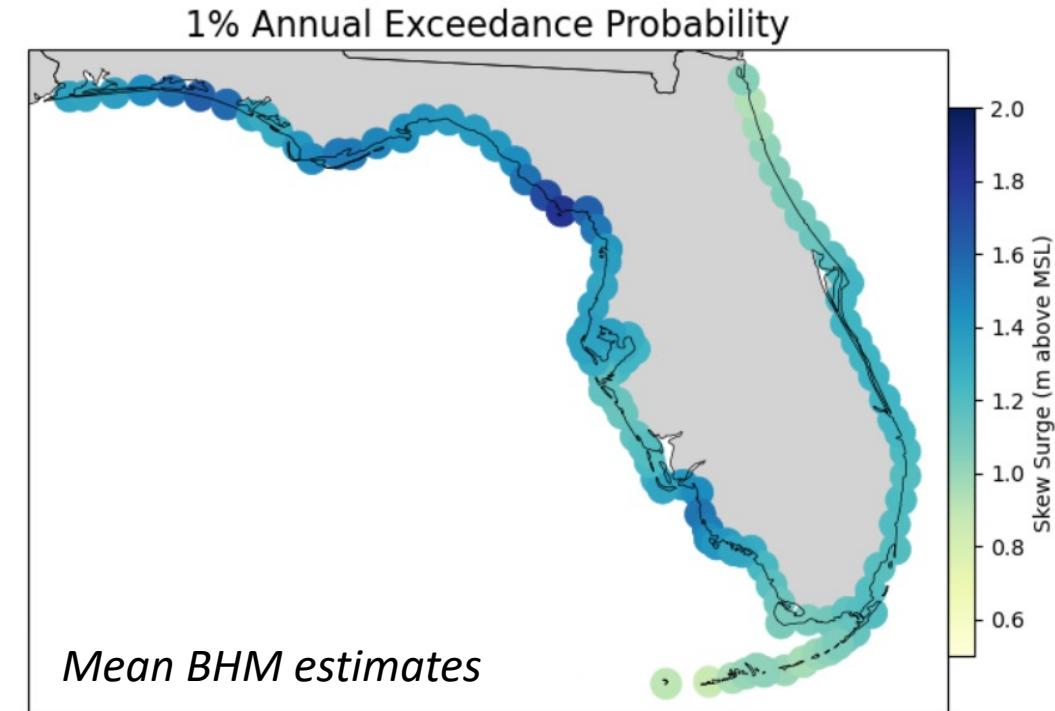
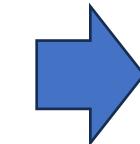
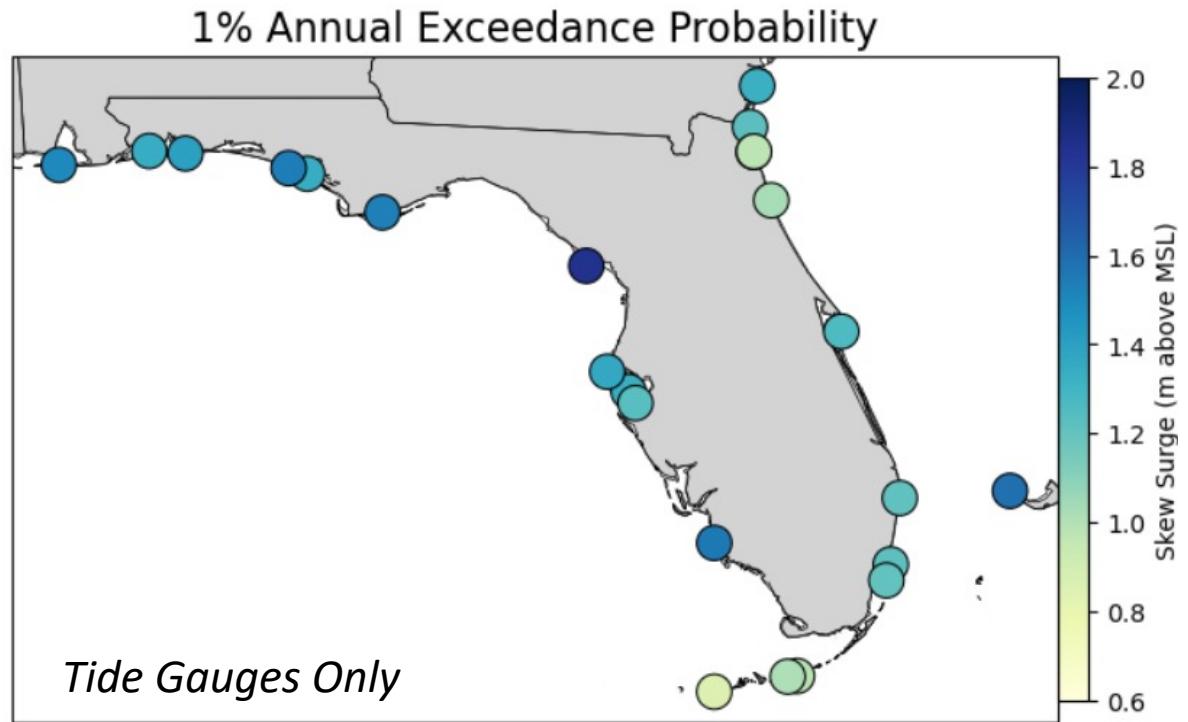


BHM captures Idalia's peak surge “footprint”, but values underpredicted



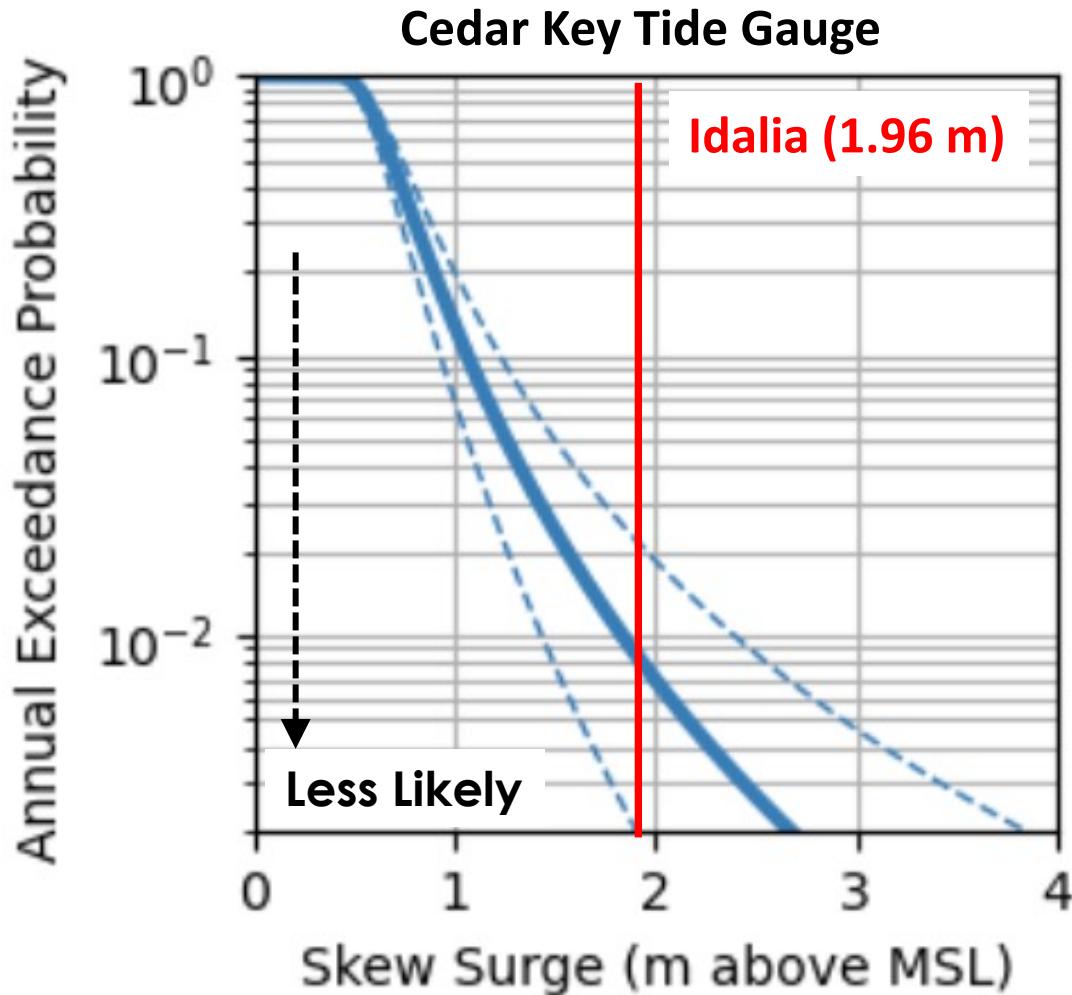
- Surge occurs to the right of Idalia's track
- Peak surge from BHM is around 1.45 m
- Peak skew surge is underpredicted by ~0.5 meters at Cedar Key tide gauge (1.96 m)
- Surge tapers off quickly up and along Big Bend coastline

The BHM can estimate extreme value distribution parameters, from which probabilistic estimates of skew surge return periods can then be derived (with uncertainty)



We are working on the rest of the United States, including Alaska, Hawaii, Puerto Rico and Virgin Islands... forthcoming in Joao Morim et al. (*in preparation*)

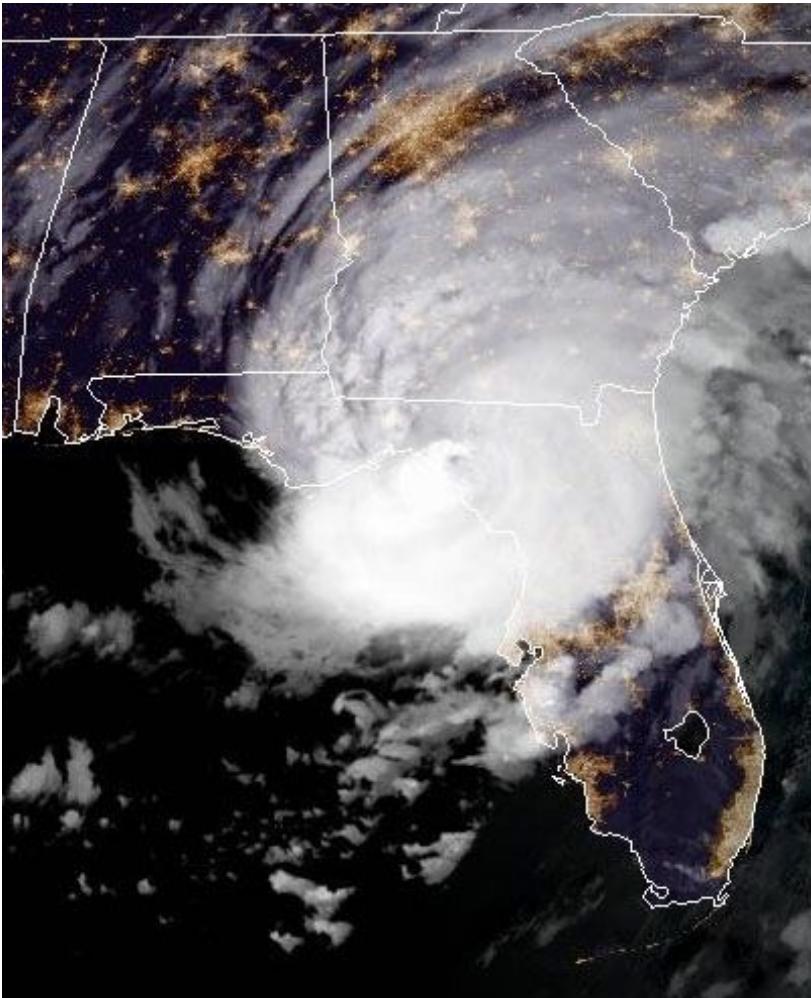
Hurricane Idalia skew surge at Cedar Key has **roughly a 0.8% chance of occurring each year** (mean estimate), with a 5th/95th percentile range of 0.2% to 2%.



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Source: NOAA Tides and Currents

Summary



Idalia, 30 August 2023; Source: NOAA

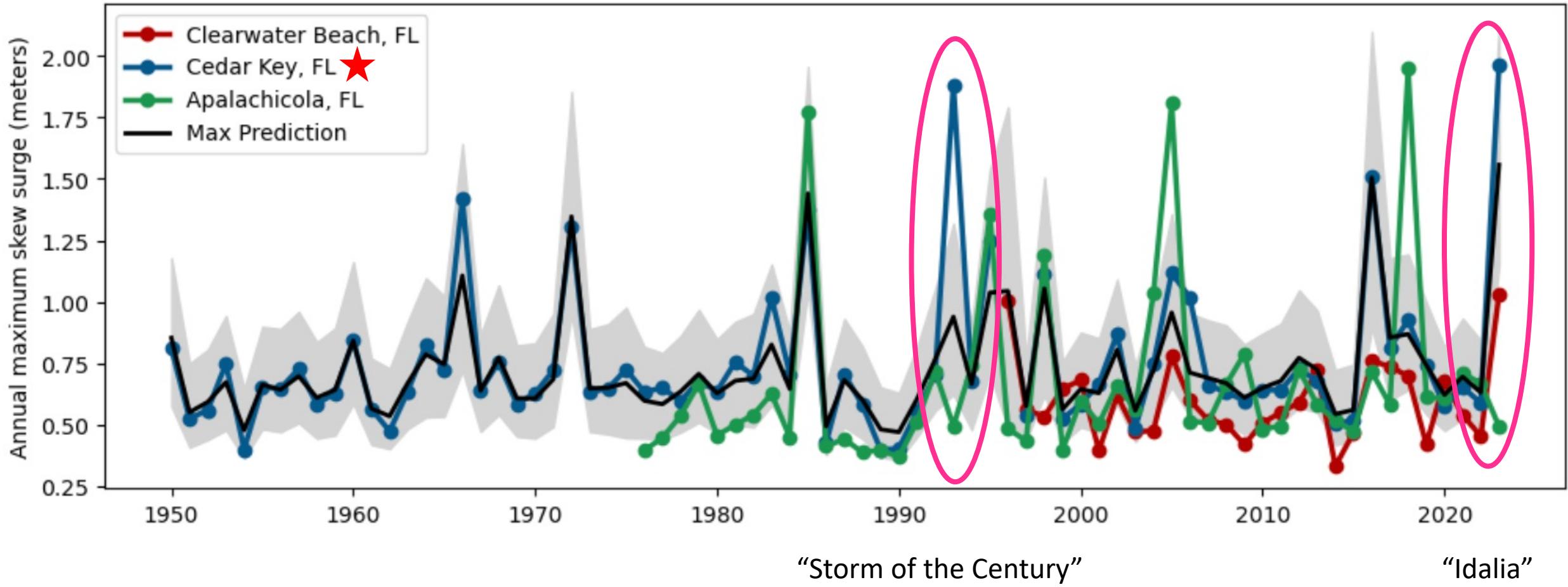
- The BHM may struggle to reproduce peak surges for some storms
 - Roughly a 0.5 m underprediction at Cedar Key tide gauge
- BHMs can provide estimates of storm surge frequencies
 - 1.96 m surge at Cedar Key has an annual exceedance probability between a 0.2% and 2% (mean estimate of 0.8%).

See other storm surge applications of BHMs at **AGU23**

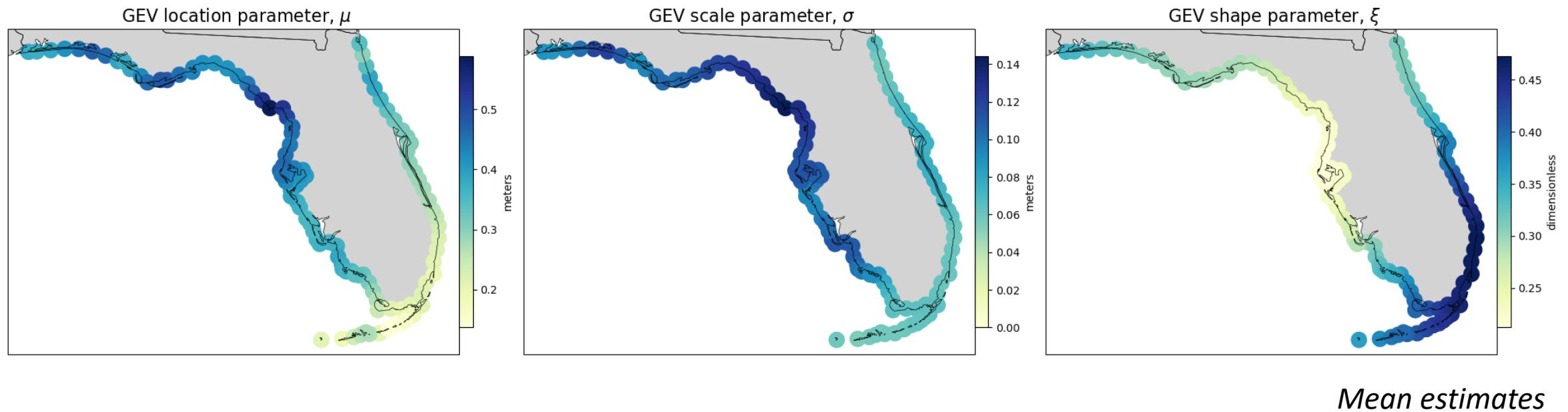
- “A Probabilistic Data-driven Framework for Seamless Spatial-Temporal Prediction of Storm Surge Extremes” (GC13H-0998)
- “A spatial Bayesian model for comprehensive storm surge hazard assessment along the US Gulf Coast” (H23C-02)

Extra Slides

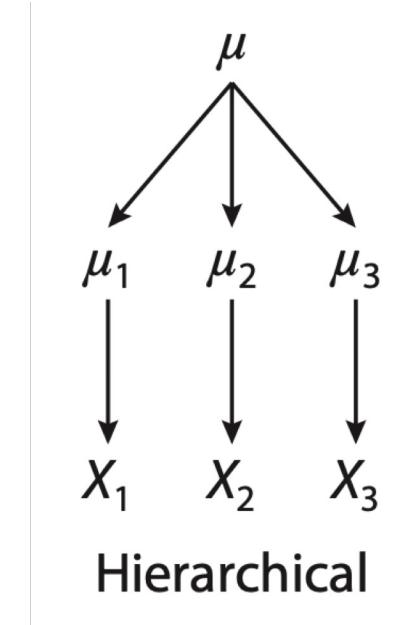
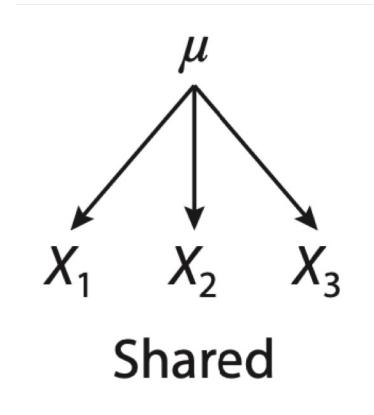
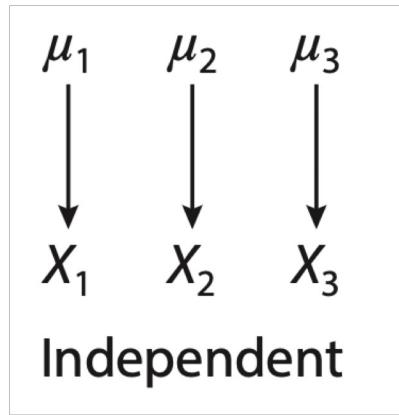
BHM predictions adjacent to Cedar Key tide gauge are sometimes too low: e.g., Storm of the Century and Hurricane Idalia



The BHM can estimate extreme value distribution parameters, from which probabilistic estimates of skew surge return periods can be derived (with uncertainty)



Hierarchical models consider variability both within and across sites

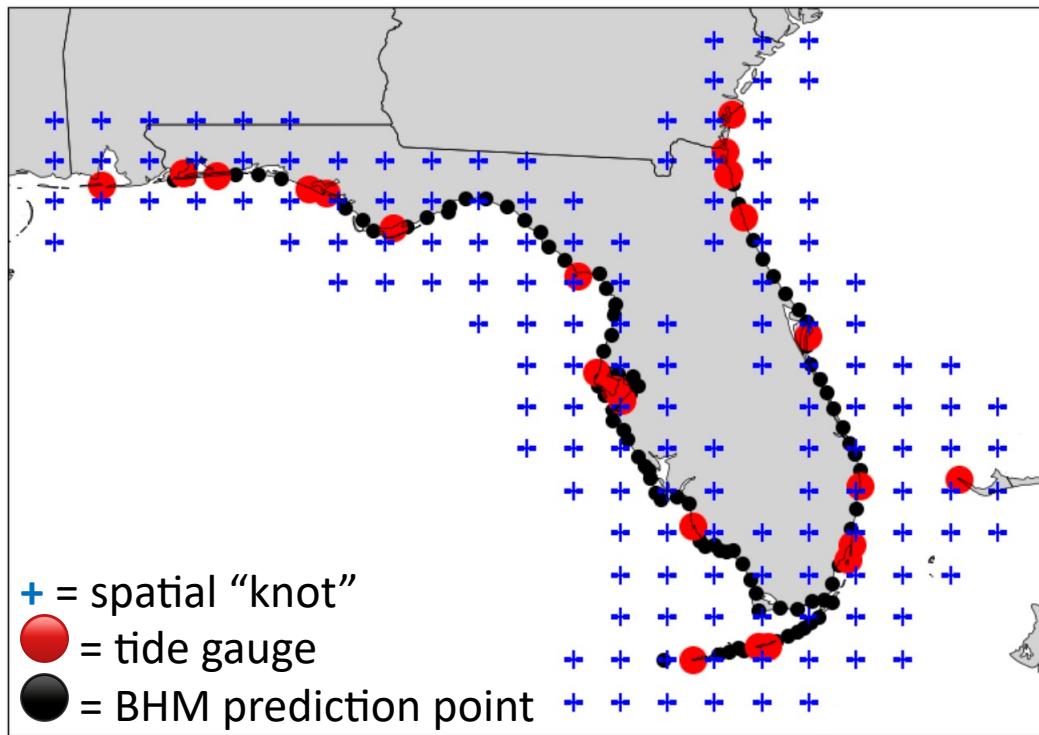


μ_i is the site mean

Where... X_1 , X_2 , X_3 are geographic sites

Hierarchical models model
the continuum between
independent and shared

BHM setup for inferring unobserved peak skew surge values during Idalia



Data Model

- Annual maximum skew surge values at tide gauges
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Process Model

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$$\text{GEV}(x) = \exp \left\{ - \left[1 + \xi \left(\frac{x - \mu}{\sigma} \right) \right]_+^{-1/\xi} \right\}$$

Computing the return level z_p such that $\text{GEV}(z_p) = 1 - p$

$$z_p = \text{GEV}^{-1}(1 - p)$$

Hence,

$$z_p = \mu + \frac{\sigma}{\xi} \left([-\ln(1 - p)]^{-\xi} - 1 \right)$$