



Using Solidity's SMTChecker

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SMT Solver

$$\phi := \forall \mathbf{x} (\mathbf{f}(\mathbf{x}) = \mathbf{x} * 42) \wedge (\mathbf{a} \geq \mathbf{b}) \wedge (\mathbf{b} \geq \mathbf{c}) \wedge (\mathbf{f}(\mathbf{a}) \geq \mathbf{f}(\mathbf{c}))$$

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Can we find integer values for $\{\mathbf{a}, \mathbf{b}, \mathbf{c}\}$ such that $\phi(\mathbf{a}, \mathbf{b}, \mathbf{c}) \models \top$?

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Satisfiable: $\{\mathbf{a} := 2, \mathbf{b} := 1, \mathbf{c} := 0\}$

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Satisfiable: $\{\mathbf{a} := \mathbf{2}, \mathbf{b} := \mathbf{1}, \mathbf{c} := \mathbf{0}\} \quad \{\mathbf{a} := \mathbf{200}, \mathbf{b} := \mathbf{100}, \mathbf{c} := \mathbf{0}\}$

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Satisfiable: $\{\mathbf{a} := 2, \mathbf{b} := 1, \mathbf{c} := 0\}$ $\{\mathbf{a} := 200, \mathbf{b} := 100, \mathbf{c} := 0\}$
 $\{\mathbf{a} := 1, \mathbf{b} := 1, \mathbf{c} := 1\}$

SMT Solver

$$\phi := \forall \mathbf{x} (\mathbf{f}(\mathbf{x}) = \mathbf{x} * 42) \wedge (\mathbf{a} \geq \mathbf{b}) \wedge (\mathbf{b} \geq \mathbf{c}) \wedge (\mathbf{f}(\mathbf{a}) < \mathbf{f}(\mathbf{c}))$$

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Unsatisfiable: \emptyset

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Unsatisfiable: \emptyset

Program Verification

```
pragma experimental SMTChecker;  
contract C  
{  
    uint c;  
    function f(uint x) public pure  
        returns (uint) {  
        return x * 42;  
    }  
    function g(uint a, uint b) public {  
        require(a >= b);  
        require(b >= c);  
        assert(f(a) >= f(c));  
    }  
}
```

$$\forall \mathbf{x} (\mathbf{f}(\mathbf{x}) = \mathbf{x} * 42) \wedge$$

$$(\mathbf{a} \geq \mathbf{b}) \wedge (\mathbf{b} \geq \mathbf{c}) \wedge$$

$$(\mathbf{f}(\mathbf{a}) < \mathbf{f}(\mathbf{c}))$$

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$$(\mathbf{a} \geq \mathbf{b}) \wedge (\mathbf{b} \geq \mathbf{c}) \wedge$$

$$(\mathbf{f}(\mathbf{a}) < \mathbf{f}(\mathbf{c}))$$

Unsatisfiable: the assertion is safe!

Program Verification

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{
    uint c;
    function f(uint x) public pure
        returns (uint) {
        return x * 42;
    }
    function g(uint a, uint b) public {
        require(a >= b);
        require(b >= c);
        assert(f(a) == f(c));
    }
}
```

$\forall x (f(x) = x * 42) \wedge$

$(a \geq b) \wedge (b \geq c) \wedge$

$(f(a) \neq f(c))$

Program Verification

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```

$\forall x(f(x) = x * 42) \wedge$

$(a \geq b) \wedge (b \geq c) \wedge$

$(f(a) \neq f(c))$

Warning: Assertion violation happens here

`assert(f(a) == f(c));`

`^-----^`

for: a = 1, b = 1, c = 0

Satisfiable: a counterexample is given.

SMTChecker

- ✧ SMT-based smart contract formal verification framework
- ✧ Built-in the compiler
- ✧ Encodes program logic into SMT statements
- ✧ Checks assertions, overflow/underflow, trivial conditions/unreachable code
- ✧ Sound but not complete
- ✧ Fast and light
- ✧ Gives useful counterexamples

Smart Contract Verification Frameworks

- ✧ EVM Formal Semantics: Eth-Isabelle, KEVM
- ✧ KLab: debugger for K proofs (KLab workshop tomorrow!)
- ✧ EVM bytecode Symbolic Execution: Oyente, Mythril, MAIAN
- ✧ Translation of Solidity to verifiable languages: Why3, F*, ZEUS

How to enable it

```
pragma experimental SMTChecker;
```

Formal Specification

🔹 require – assumptions

🔹 assert – verification targets

Formal Specification - Require

From Solidity docs:

The `require` function should be used to ensure valid condition on inputs and contract state variables, or to validate return values from calls to external contracts.

Formal Specification - Require

```
contract C
{
    uint a;
    function g() ...
    function h() ...
    function f(uint x) public {
        // Correctly filters values for a and x
        require(a == 0);
        require(x < 100);
        a += x;
        // Should be a target, not an assumption
        require(a < 100);
    }
}
```

Formal Specification - Assert

From Solidity docs:

The `assert` function should only be used to test for internal errors, and to check invariants. Properly functioning code should never reach a failing `assert` statement; if this happens there is a bug in your contract which you should fix.

Formal Specification - Assert

```
contract C
{
    uint a;
    function g() ...
    function h() ...
    function f(uint x) public {
        // The value of a is not necessarily 0,
        // unless the developer knows it's an invariant
        assert(a == 0);
        // Anyone can call this function with x >= 100
        // and break the assertion
        assert(x < 100);
        a += x;
        // Correctly placed as a verification target
        assert(a < 100);
    }
}
```

What about false positives

- Complex types and functions
- External function calls
- Contract state invariants

Helping the SMTChecker: require flood

- + constraints
- false positives

Thank you!

Questions?