$O(1)$

$O(\log n)$

$O(n)$

$O(n \log n)$

$O(n^2)$

$\vdots$

$O(\log n) + O(n)$

$\rightarrow$

$O(n)$

Prove n^2 is not $O(1)$

Try it. If n^2 was $O(1)$, that means I could find a C so that

$$n^2 \leq C \cdot 1$$ (at least for $n \geq N$)

Can I find a C where

$$n^2 \leq C \quad ?$$

No, because any C I pick will eventually be smaller than n^2 for some n big enough

---

Show that

$$10n^3 + 6n + 9 \text{ is } O(n^3)$$

Find C so that

$$10n^3 + 6n + 9 \leq Cn^3 \quad / n^3$$

$$10 + \frac{6}{n^2} + \frac{9}{n^3} \leq C$$

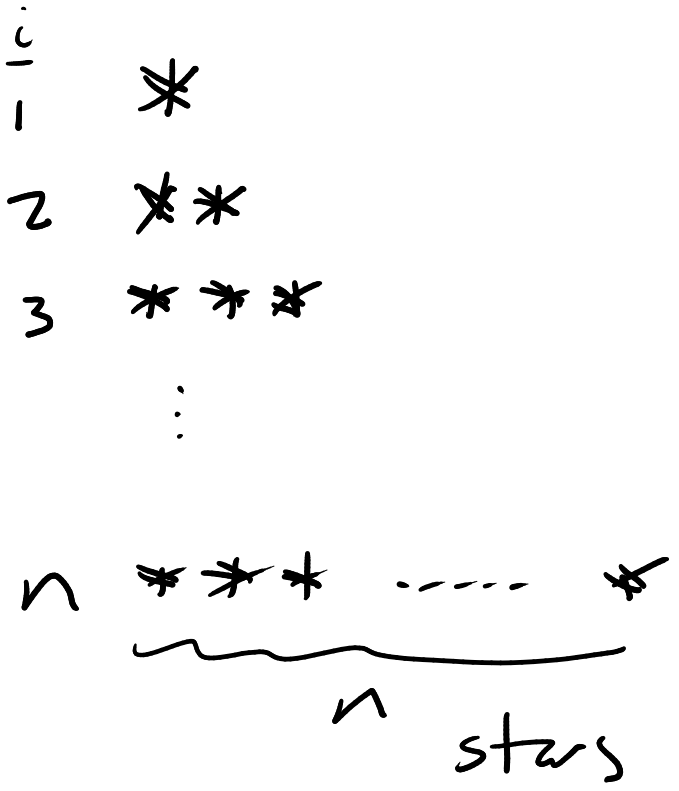
When $=1$, the left side is

$$10 + \frac{6}{1^2} + \frac{9}{1^3} = 25$$

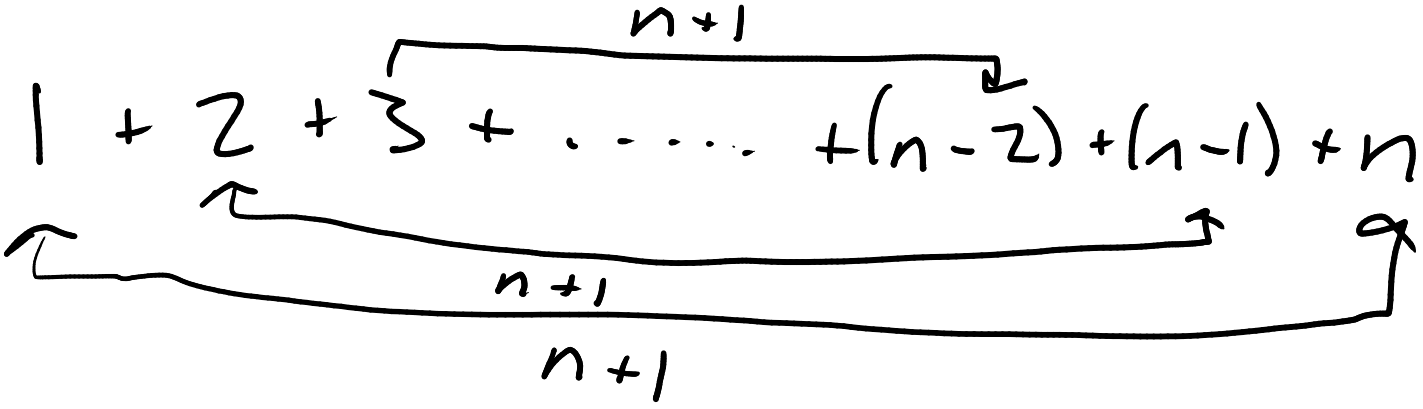
If $N=3$, then try $n=3$

$10 + 6$

```
fun printTriangle(int n) {
    for (i in 1..n) {
        for (j in 1..i) {
            print("*")
        }
        println()
    }
}
```

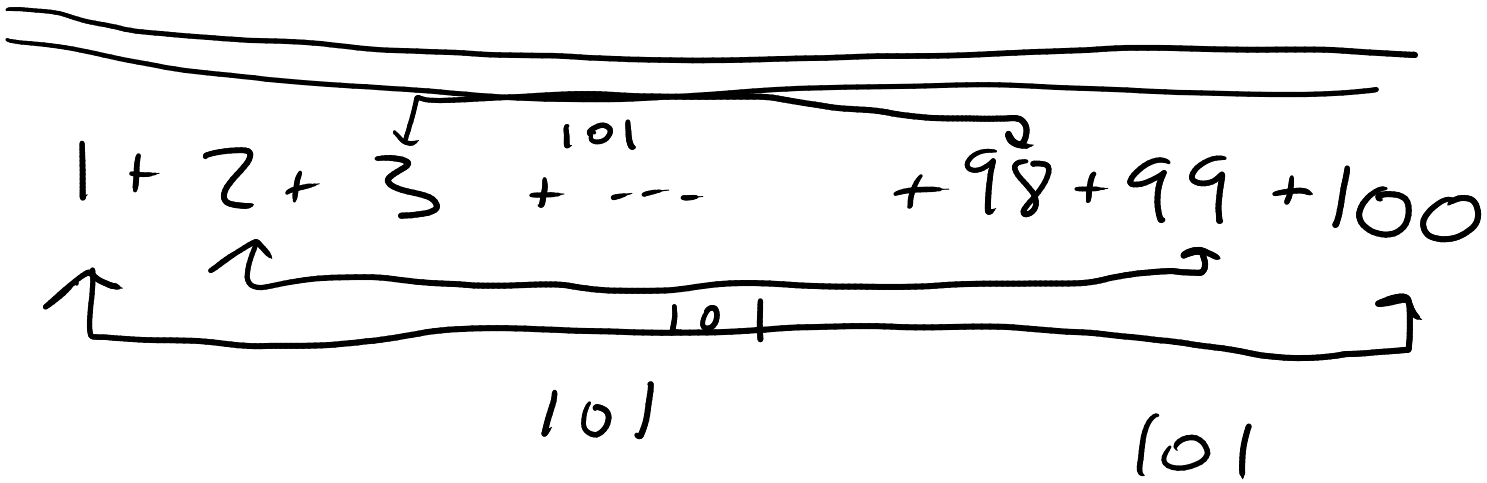


How many *s get printed?
How many times does the inner print happen?



$= \underbrace{(n+1)}_{\text{common sum}} \underbrace{\frac{n}{2}}_{\#\text{ of pairs}}$

$= \frac{n^2}{2} + \frac{n}{2} \rightarrow O(n^2)$



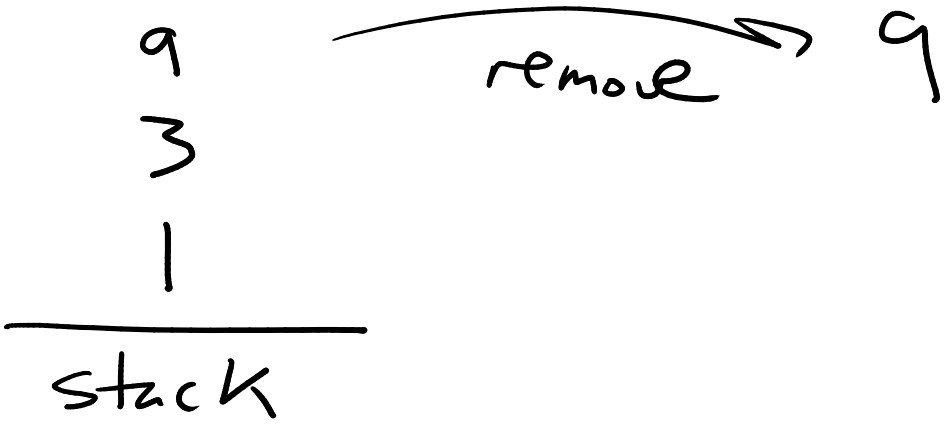
$= 101(50)$

101

50

5050

Stacks



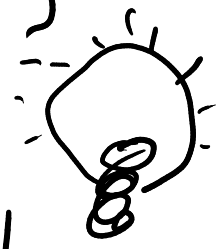
ADT ✓

Stack

push - add onto stack
pop - remove from stack
peek - look at what is on top
isEmpty - true/false

A stack is an example of an Abstract Data Type (ADT)

↳ a description of a way of storing and manipulating data, but w/o the details of



how you implement it

There are lots of ways to implement a stack.

1. List
2. Linked List (coming)
3. Array

Two most common approaches I would try in Kotlin

↑ less helpful but it's a nice example

Today I am going to code a Stack w/ an array

In Kotlin, an array is a lot like a list, but its size is fixed. Can't be changed.
(So if array fills, you need to make a new bigger array and copy everything from the old array in.)
- inside, all lists really use arrays (Python, Kotlin, ...)