# **Lab 1: Image Processing**

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# 1) Preparation

This lab assumes you have Python 3.6 or later installed on your machine (3.10 recommended).

This lab will also use the pillow library, which we'll use for loading and saving images. See this page for instructions for installing pillow (note that, depending on your setup, you may need to run pip3 instead of pip). If you have any trouble installing, just ask, and we'll be happy to help you get set up.

The following file contains code and other resources as a starting point for this lab: lab01.zip

Most of your changes should be made to lab.py, which you will submit at the end of this lab. Importantly, you should not add any imports to the file, nor should you use the pillow module for anything other than loading and saving images (which are already implemented for you).

You can also see and participate in online discussion about this lab in the "Labs" Category in the forum.

This lab is worth a total of 4 points. Your score for the lab is based on:

- correctly answering the questions throughout this page (1 point)
- passing the tests in test.py (1 point), and
- a brief "checkoff" conversation with a staff member to discuss your code (2 points).

All questions on this page (including your code submission) are due at 5pm Eastern time on Friday, 11 February. Checkoffs are due at 10pm Eastern time on Wednesday, 16 February.

## 2) Introduction

In this lab, you will build a few tools for manipulating digital images, akin to those found in image-manipulation toolkits like Photoshop and GIMP. Interestingly, many classic image filters are implemented using the same ideas we'll develop over the course of this lab.

We will start with manipulating grayscale images first, then move on to working with color images.

### 2.1) Digital Image Representation and Color Encoding

Before we can get to *manipulating* images, we first need a way to *represent* images in Python. While digital images can be represented in myriad ways, the most common has endured the test of time: a rectangular mosaic of *pixels* -- colored dots, which together make up the image. An image, therefore, can be defined by specifying a *width*, a *height*, and an array of *pixels*, each of which is a color value. This representation emerged from the early days of analog television and has survived many technology changes. While individual file formats employ different encodings, compression, and other tricks, the pixel-array representation remains central to most digital images.

For this lab, we will simplify things a bit by focusing on grayscale images. Each pixel's brightness is encoded as a single integer in the range [0,255] (1 byte could contain 256 different values), 0 being the deepest black, and 255 being the brightest white we can represent. The full range is shown below:



For this lab, we'll represent an image using a Python dictionary with three keys:

- width: the width of the image (in pixels),
- height: the height of the image (in pixels), and
- pixels: a Python list of pixel brightnesses stored in row-major order (listing the top row left-to-right, then the next row, and so on)

For example, consider this  $2 \times 3$  image (enlarged here for clarity):



This image would be encoded as the following instance:

```
i = {'height': 3, 'width': 2, 'pixels': [0, 50, 50, 100, 100, 255]}
```

### 2.2) Loading, Saving, and Displaying Images

We have provided two helper functions in lab.py which may be helpful for debugging: load\_greyscale\_image and save\_greyscale\_image. Each of these functions is explained via a docstring.

You do not need to dig deeply into the actual code in those functions, but it is worth taking a look at those docstrings and trying to use the functions to:

- load an image, and
- save it under a different filename.

You can then use an image viewer on your computer to open the new image to make sure it was saved correctly.

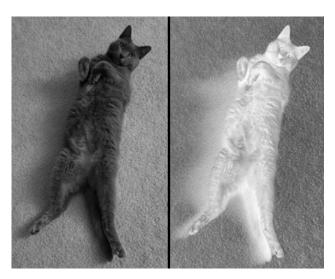
There are several example images in the test\_images directory inside the lab's code distribution, or you are welcome to use images of your own to test, as well.

As you implement the various filters described below, these functions can provide a way to visualize your output, which can help with debugging, and they also make it easy to show off your cool results to friends and family.

Note that you can add code for loading, manipulating, and saving images under the if \_\_name\_\_ == '\_\_main\_\_': block in lab.py, which will be executed when you run lab.py directly (but not when it is imported by the test suite). As such, it is a good idea to get into the habit of writing code containing test cases of your own design within that block, rather than in the main body of the lab.py file.

## 3) Image Filtering via Per-Pixel Transformations

As our first task in manipulating images, we will look at an *inversion* filter, which reflects pixels about the middle gray value (0 black becomes 255 white and vice versa). For example, here is a photograph of Adam's cat, Stronger. On the left side is the original image, and on the right is an inverted version.



Most of the implementation of the inversion filter has been completed for you (it is invoked by calling the function called inverted on an image), but some pieces have not been implemented correctly. Your task in this part of the lab is to fix the implementation of the inversion filter.

Before you do that, however, let's add a small test case to test.py. We'll start by figuring out (by hand) what output we should expect in response to a given input and writing a corresponding test case. Eventually, when we have working code for our inversion filter, this test case should pass!

Let's start with a  $4 \times 1$  image that is defined with the following parameters:

- height: 1
- width: 4
- pixels: [20, 78, 133, 220]



## 3.1) Adding a Test Case

While we could just add some code using print statements to check that things are working, we'll also use this as an opportunity to familiarize ourselves a bit with the testing framework we are using in 6.009.

Let's try adding this test case to the lab's regular tests so that it is run when we execute test.py. If you open test.py in a text editor, you will see that it is a Python file that makes use of the Python package pytest for unit testing.

Each function that has a name starting with test in test.py represents a particular test case.

Running test.py through pytest will cause Python to run and report on all of the tests in the file.

However, you can make Python run only a subset of the tests by running, for example, the following command from a terminal (not including the dollar sign):

```
$ pytest test.py -k load
```

This will run any test with "load" in its name (in this case, the long test defined in the test\_load function). If you run this command, you should get a brief report indicating that the lone test case passed. By modifying that last argument (load in the example above), you can run different subsets of tests.

You can add a test case by adding a new function to the test.py file. Importantly, for it to be recognized as a test case, its name must begin with the word test<sup>2</sup>.

In the skeleton you were given, there is a trivial test case called <code>test\_inverted\_2</code>. Modify this method so that it implements the test from above (inverting the small  $4 \times 1$  image). Within that test case, you can define the expected result as an instance of the hard-coded dictionary, and you can compare it against the result from calling the <code>inverted</code> method of the original image. To compare two images, you may use our <code>compare\_images</code> function (you can look at some of the other test cases to get a sense of how to use it).

For now, we should also expect this test case to fail, but we can expect it to pass once all the bugs in the inversion filter have been fixed. In that way, it can serve as a useful means of guiding our bug-finding process.

Throughout the lab, you are welcome to (and may find it useful to) add your own test cases for other parts of the code as you are debugging lab.py and any extensions or utility functions you write.

## 3.2) lambda and Higher-Order Functions

As you read through the provided code, you will encounter some features of Python that you may not be familiar with. One such feature is the lambda keyword.

In Python, lambda is a convenient shorthand for defining small, nameless functions.

For instance, in the provided code you will see:

```
lambda c: 256-c
```

This expression creates a function object that takes a single argument (c) and returns the value 256-c. It is worth noting that we could have instead used def to create a similar function object, using code like the following:

```
def subtract_from_256(c):
    return 256-c
```

(the main difference being that def will both create a function object and bind that object to a name, whereas lambda will only create a function object)

If we had defined our function this way (with def), we could still provide that function as an argument to apply\_per\_pixel, but we would have to refer to the function by name: apply\_per\_pixel(image, subtract\_from\_256)

### 3.3) Debugging

Now, work through the process of finding and fixing the errors in the code for the inversion filter. Happy debugging!

When you are done and your code passes the test\_inverted\_1 and test\_inverted\_2 test cases, run your inversion filter on the test\_images/bluegill.png image, save the result as a PNG image, and upload it below (choose the appropriate file and click "Submit"). If your image is correct, you will see a green check mark; if not, you will see a red X.

Inverted bluegill.png:

Select File No file selected

# 4) Image Filtering via Correlation

Next, we'll explore some slightly more advanced image processing techniques involving an operation called *correlation* (which is very closely related to the convolution operation we implemented in lab 0).

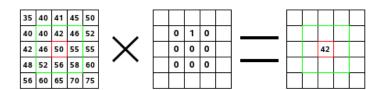
Given an input image I and a kernel k, applying k to I yields a new image O (perhaps with non-integer, out-of-range pixels), equal in height and width to I, the pixels of which are calculated according to the rules described by k.

The process of applying a kernel k to an image I is performed as a *correlation*: the brightness of the pixel at position (x,y) in the output image, which we'll denote as  $O_{x,y}$  (with  $O_{0,0}$  being the upper-left corner), is expressed as a linear combination of the brightnesses of the pixels around position (x,y) in the input image, where the weights are given by the kernel k.

As an example, let's start by considering a  $3 \times 3$  kernel:



When we apply this kernel to an image I, the brightness of each output pixel  $O_{x,y}$  is a linear combination of the brightnesses of the 9 pixels nearest to (x,y) in I, where each input pixel's value is multiplied by the associated value in the kernel:



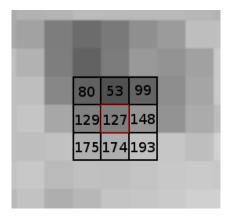
In particular, for a  $3 \times 3$  kernel k, we have:

$$egin{aligned} O_{x,y} = & I_{x-1,y-1} imes k_{0,0} + I_{x,y-1} imes k_{1,0} + I_{x+1,y-1} imes k_{2,0} + \ & I_{x-1,y} imes k_{0,1} + I_{x,y} imes k_{1,1} + I_{x+1,y} imes k_{2,1} + \ & I_{x-1,y+1} imes k_{0,2} + I_{x,y+1} imes k_{1,2} + I_{x+1,y+1} imes k_{2,2} \end{aligned}$$

Consider one step of correlating an image with the following kernel:

0.00 -0.07 0.00 -0.45 1.20 -0.25 0.00 -0.12 0.00

Here is a portion of a sample image, with the specific luminosities for some pixels given:



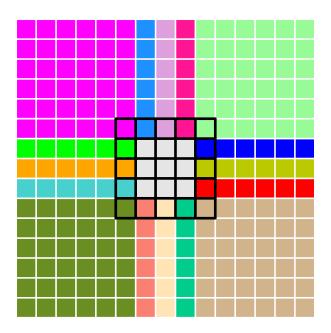
What will be the value of the pixel in the output image at the location indicated by the red highlight? Enter a single number in the box below. Note that, although our input brightnesses were all integers in the range [0, 255], this value will be a decimal number.

## 4.1) Edge Effects

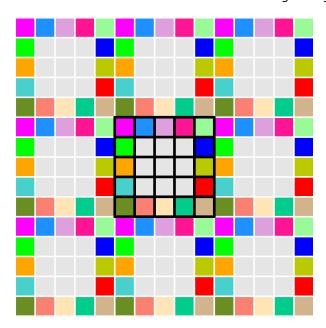
When computing the pixels at the perimeter of O, fewer than 9 input pixels are available. For a specific example, consider the top left pixel at position (0,0). In this case, all of the pixels to the top and left of (0,0) are out-of-bounds. We have several options for dealing with these edge effects:

- One option is to treat every out-of-bounds pixel as having a value of 0.
- Another is to extend the input image beyond its boundaries, explained in the next paragraph.
- Yet another is to wrap the input image at its edges, explained in the paragraph after that.

If we want to consider these out-of-bounds pixels in terms of an *extended* version of the input image, values to the left of the image should be considered to have the values from column 0, values to the top of the image should be considered to have the values from row 0, etc., as illustrated in the following diagram, where the bolded pixels in the center represent the original image, and the pixels outside that region represent the logical values in the "extended" version of the image (and note that this process continues infinitely in all directions, even though a finite number of pixels are shown below:



If we want to *wrap* the input image at its edges, that means trying to get values beyond the left edge of the image should return values from the right edge, but from the same row. Similarly, trying to get values beyond the top edge of the image should return values from the bottom edge, but from the same column. We can think of it as the image being 'tiled' in all four directions:



The thick black square above indicates the original image, and the copies are an illustration of the wrapping behavior (but they are not part of the actual image). Note that this only shows one copy of the image in each direction but we would like the wrapping to extend infinitely in all directions.

To accomplish the goal of switching between these different edge behaviors, you may wish to implement an alternative to <code>get\_pixel</code> with an additional parameter for the out-of-bounds behavior, which expects one of the strings "zero", "wrap", or "extend". The function would return pixel values from within the image normally but handle out-of-bounds pixels by returning appropriate values accordingly as discussed above rather than raising an exception. If you do this, other pieces of your code can make use of that function and not have to worry themselves about whether pixels are in-bounds or not.

#### 4.2) Correlation

Throughout the remainder of this lab, we'll implement a few different filters, all of which involve computing at least one correlation. As such, we will want to have a nice way to compute correlations in a general sense (for an arbitrary image and an arbitrary kernel).

Note, though, that the output of a correlation need **not** be a legal 6.009 image (pixels may be outside the [0,255] range or may be floats [meaning they are not whole numbers]). Since we want our filters all to output valid images, the final step in every one of

our image-processing functions will be to *clip* negative pixel values to 0 and values greater than 255 to 255, and to ensure that all values in the image are integers.

Because these two things are common operations, we're going to recommend writing a "helper" function for each (so that our filters can simply invoke those functions rather than reimplementing the underlying behaviors multiple times).

We have provided skeletons for these two helper functions (which we've called correlate and round\_and\_clip\_image, respectively) in lab.py. For now, read through the docstrings associated with these functions.

Note that we have not explicitly told you how to represent the kernel used in correlation. You are welcome to use any representation you like for kernels, but you should document that change by modifying the docstring of the correlate function, and you should be prepared to discuss your choice of representation during your checkoff. You can assume that kernels will always be square and that every kernel will have an odd number of rows and columns.

Now that we have a sense of a reasonable structure for this code, it's time to implement these two functions!

To help with debugging, you may wish to write a few test cases comprised of correlating test\_images/centered\_pixel.png or another simple image with a few different kernels. You can use the kernels in subsection 4.3, for example, to help test that your code produces the expected results.

(You may also find it helpful to first implement correlation for 3x3 kernels only, and then generalize to account for larger kernels.)

### 4.3) Example Kernels

Many different interesting operations can be expressed as image kernels (some examples can be seen below), and many scientific programs also use this pattern, so feel free to experiment.

#### 4.3.1) Identity

000

010

000

The above kernel represents an *identity* transformation: applying it to an image yields the input image, unchanged.

#### 4.3.2) Translation

00000

00000

10000

00000

00000

The above kernel shifts the input image two pixels to the *right*, discards the rightmost two columns of pixels, and duplicates the leftmost column twice.

#### **4.3.3) Average**

0.0 0.2 0.0

0.2 0.2 0.2

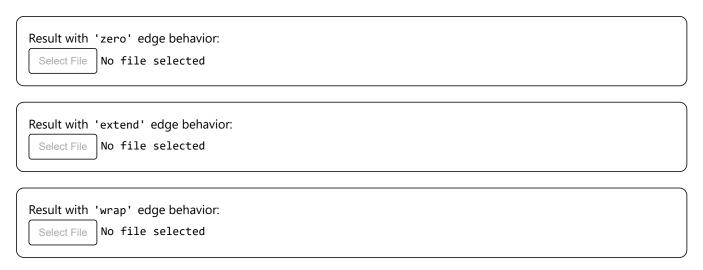
0.0 0.2 0.0

The above kernel results in an output image, each pixel of which is the average of the 5 nearest pixels of the input.

### 4.4) Check Your Results

When you have implemented your code and are confident that it is working, try running it on test\_images/pigbird.png with the following  $13 \times 13$  kernel (which is all zeros except for a single value):

Run it once with each edge behavior ('zero', 'extend', and 'wrap'), and save the results as PNG images. Take a look at those images. Do they match your expectations? How do the different edge effect behaviors manifest in the output?



# 5) Blurring and Sharpening

## 5.1) Blurring

For this part of the lab, we will implement a box blur, which can be implemented via correlation using the 'extend' behavior for out-of-bounds pixels  $^3$ . For a box blur, the kernel is an  $n \times n$  square of identical values that sum to 1. Because you may be asked to experiment with different values of n, you may wish to define a function that takes a single argument n and returns an n-by-n box blur kernel.

Notice that we have provided an outline for a function called blurred in the lab distribution. Read the docstring and the outline for blurred to get a sense for how it should behave.

Before implementing it, create two additional test cases by filling in the definitions of test\_blurred\_black\_image and test\_blurred\_centered\_pixel with the following tests:

- ullet Box blurs of a 6 imes 5 image consisting entirely of black pixels, with two different kernel sizes. The output is trivially identical to the input.
- Box blurs for the centered\_pixel.png image with two different kernel sizes. You should be able to compute the output manually.

These test cases can serve as a useful check as we implement the box blur. **Note** that you will be expected to demonstrate and discuss these test cases during a checkoff.

Finally, implement the box blur by filling in the body of the blurred function.

#### 5.1.1) Check Your Results

When you are done and your code passes all the blur-related tests (including the ones you just created), run your blur filter on the test\_images/cat.png image with a box blur kernel of size 13, save the result as a PNG image, and upload it below to be checked for correctness:

```
Blurred cat.png:
SelectFile No file selected
```

Before moving on, though, let's try running this same filter with the other correlation edge effects. Generate an image using the 'zero' boundary behavior for the correlation in the blur filter, and then generate another using the 'wrap' behavior. Look at those images; why do they look the way they do? When you're ready, upload them below.

```
Blurred cat.png using 'zero':

Select File No file selected

Blurred cat.png using 'wrap':

Select File No file selected
```

#### **Check Yourself:**

Before moving on, make sure your blurred function has been set back to using the 'extend' edge behavior, which is what the tests (and the other filters we'll implement in this lab) will expect.

## 5.2) Sharpening

Next, we'll implement the opposite operation, known as a *sharpen* filter. The "sharpen" operation often goes by another name which is more suggestive of what it means: it is often called an *unsharp mask* because it results from subtracting an "unsharp" (blurred) version of the image from a scaled version of the original image.

More specifically, if we have an image (I) and a blurred version of that same image (B), the value of the sharpened image S at a particular location is:

$$S_{x,y} = 2I_{x,y} - B_{x,y}$$

One way we could implement this operation is by computing a blurred version of the image, and then, for each pixel, computing the value given by the equation above.

While you are not required to do so, it is actually possible to perform this operation with a single correlation (with an appropriately chosen kernel and again using the 'extend' behavior for out-of-bounds pixels).

#### **Check Yourself:**

If we want to use a blurred version B that was made with a  $3 \times 3$  blur kernel, what kernel k could we use to compute the entire sharpened image with a single correlation?

Implement the *unsharp mask* as a function sharpened(image, n), where image is an image and n denotes the size of the blur kernel that should be used to generate the blurred copy of the image. You are welcome to implement this as a single correlation or using an explicit subtraction, though if you use an explicit subtraction, make sure that you do not do any rounding until the end (the intermediate blurred version should not be rounded or clipped in any way).

Note that after computing the above, we'll still need to make sure that sharpened ultimately returns a valid 6.009 image, which you can do by making use of your helper function from earlier in the lab.

Note also that, unlike the functions above, we have not provided a skeleton for this function inside of lab.py; you will need to implement it yourself. And make sure to include an informative docstring for your new function!

### 5.2.1) Check Your Results

When you are done and your code passes the tests related to sharpening, run your sharpen filter on the test\_images/python.png image with a box blur kernel of size 11, save the result as a PNG image, and upload it below to be checked:

Sharpened python.png:
Select File No file selected

# 6) Edge Detection

Although we will continue working with images in the rest of the lab, our last task for greyscale images will be to implement a really neat filter called a Sobel operator, which is useful for detecting edges in images.

This edge detector is a bit more complicated than the filters above because it involves two correlations<sup>4</sup>. In particular, it involves kernels Kx and Ky, which are shown below:

Kx:

-1 0 1

-2 0 2

-1 0 1

Ky:

-1 -2 -1

0 0 0

1 2 1

After computing Ox and Oy by correlating the input with Kx and Ky respectively (using the 'extend' behavior for each correlation), each pixel of the output O is the square root of the sum of squares of corresponding pixels in Ox and Oy:

$$O_{x,y} = \mathrm{round}\left(\sqrt{Ox_{x,y}^2 + Oy_{x,y}^2}
ight)$$

As always, take care to ensure that the final image is made up of integer pixels in range [0,255]. But only clip the output after combining Ox and Oy. If you clip the intermediate results, the combining calculation will be incorrect.

#### **Check Yourself:**

What does each of the above kernels, on its own, do? Try running, saving, and viewing the results of those intermediate correlations to get a sense of what is happening here.

Implement the edge detector as a function edges (image), which takes an image as input and returns a new image resulting from the above operations (where the edges should be emphasized).

Also, create a new test case: edge detection on the centered\_pixel.png image. The correct result is a white ring around the center pixel that is 1 pixel wide.

As with sharpened, you should add this code to lab.py yourself (and make sure to include an informative docstring); there is no skeleton provided.

Note also that math has been imported for you, and you are welcome to use the sqrt function from it (though you can also compute square roots by raising numbers to the 1/2 power if you want).

### 6.1) Check Your Results

When you are done and your code passes the edge-detection tests (including the one you just wrote), run your edge detector on the test\_images/construct.png image, save the result as a PNG image, and upload it below:

```
Edges of construct.png:
Select File No file selected
```

# 7) Reviewing Representation

So far, we have introduced a representation for greyscale images, and we implemented some neat filters to operate on images of that form. So far, we limited our attention to greyscale images, where we represented brightness values as integers between 0 (the deepest black) and 255 (the brightest white).

Our filters were represented as Python functions that operated on images (i.e., functions that took images as input and produced related images as output).

Before we get into the next part of the lab, answer the following question about the small piece of code below, which implements a small piece of functionality using our representations.

```
def make_box(color):
    def create_image(h, w):
        return {
                'height': h,
                    'width': w,
                    'pixels': [color for _ in range(h*w)],
                    }
        return create_image

maker = make_box(40)
im = maker(20, 30)
```

Which of the following are true statements about the code above?
☐ This code has a syntax error.
$\Box$ This code does not have a syntax error, but Python will raise an exception when this code is run.
☐ This code will run without error.
☐ make_box is a function of a single argument.
☐ make_box is a function of two arguments.
□ make_box is a dictionary.
□ maker is a function of a single argument.
□ maker is a function of two arguments.
□ maker is a dictionary.
☐ im is a function of a single argument.
☐ im is a function of two arguments.
☐ im is a dictionary.

# 8) Representing Color

For the remainder of the lab, we'll turn our attention to color images. And, as before, we'll need a way to represent these images in Python. It turns out that the representation of digital images and colors as data is a rich and interesting topic. And although there are many ways we could choose to represent color images, we will use a tried-and-true representation, the RGB color model, which is used in a lot of common image formats. In this representation, rather than a single integer, we will represent the color of each pixel as a tuple of three integers, representing the amount of red, green, and blue in the pixel, respectively. By combining red, green, and blue, we can represent a wide range of colors.

For this lab, we'll represent a color image using a Python dictionary with three keys:

- width: the width of the image (in pixels),
- height: the height of the image (in pixels), and
- pixels: a Python list of pixel values, each represented as a tuple of three integers, (r, g, b), where r, g, and b are all in the range [0, 255]. As with greyscale images, these values are stored in row-major order (listing the top row left-to-right, then the next row, and so on)

For example, consider this  $2 \times 3$  image (enlarged here for clarity):



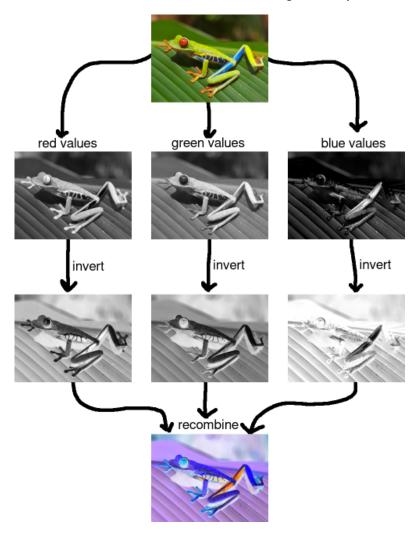
This image would be encoded as the following dictionary:

# 9) Filters on Color Images

In sections 3-6, we used Python function objects to represent filters: we represented a filter as a function that took an image as input and produced a related image as output. We will continue with this representation: a filter for color images is a Python function that takes a color image as its input and produces a related color image as its output.

While there are certainly other things we can do with color images, it turns out that we can think about implementing color versions of many of the filters from previous sections of the lab by separating our color image into three separate greyscale images (one for each channel: red, green, and blue), applying the same 'greyscale' filter to each one, and then recombining the results together into a color image.

For example, we can think about a color version of our inversion filter as working in the way illustrated in the diagram below:



We can think about blurring or sharpening in similar ways: separate an image into its three color components, apply a filter to each, and recombine them together.

Given this common structure, it will be useful to have a common way to create these kinds of color image filters from their greyscale counterparts. As such, your first task for this lab is to implement the color\_filter\_from\_greyscale\_filter function in lab.py. This function should take as input a Python function representing a greyscale filter (i.e., a function that takes a greyscale image as input and produces a greyscale image as its output). Its return value should be a new function representing a color image filter (i.e., a function that takes a color image as input and produces a color image as its output).

This new filter should follow the pattern above: it should split the given color image into its three components, apply the greyscale filter to each, and recombine them into a new color image.

An example of its usage is given below:

```
# if we have a greyscale filter called inverted that inverts a greyscale
# image...
inverted_grey_frog = inverted(load_greyscale_image('grey_frog.png'))
```

```
# then the following will create a color version of that filter
color_inverted = color_filter_from_greyscale_filter(inverted)

# that can then be applied to color images to invert them (note that this
# should make a new color image, rather than mutating its input)
inverted_color_frog = color_inverted(load_color_image('color_frog.png'))
```

Implement the color\_filter\_from\_greyscale\_filter function in lab.py. You may find it helpful to define helper functions for splitting the color image into three separate greyscale images (one for each color component) and for recombining three greyscale images into a single new color image.

### 9.1) Check Your Results

Use this function to create a color version of your inversion filter and apply it to the cat.png image from the test\_images directory. Save your result as a color PNG image and upload your image below to be checked:

```
Inverted cat.png:
Select File No file selected
```

### 9.2) Other Kinds of Filters

Note that the structure of the color\_filter\_from\_greyscale\_filter function assumes a particular form for our greyscale filters: in particular, it expects that the filters we pass to it as inputs are functions of *a single argument*. However, some of our filters from sections 3-6 did not follow this pattern. In particular, our blurred and sharpened filters took both an image and an additional parameter. So how can we implement these functions in such a way that they can work together with color\_filter\_from\_greyscale\_filter?

One strategy is to define, for example, a function make\_blur\_filter that takes the parameter n and returns a blur filter (which takes a single image as argument). In this way, we can make a blur filter that is consistent with the form expected by color\_filter\_from\_greyscale\_filter, for example:

```
# from section 5, we could create a blurred greyscale image like follows:
blurry = blurred(load_greyscale_image('cat.png'), 3)

# we would like to make a function make_blur_filter that takes a single
# parameter and returns a filter. the use of this function is illustrated
# below:
blur_filter = make_blur_filter(3)
blurry2 = blur_filter(load_greyscale_image('cat.png'))

# note that make_blur_filter(3), for example, produces a filter of the
# appropriate form for use with color_filter_from_greyscale_filter, but
# that blurry and blurry2 are equivalent images.

# it is also not necessary to store the output of make_blur_filter in a
# variable before calling it. for example, the following also produces an
# equivalent image:
blurry3 = make_blur_filter(3)(load_greyscale_image('cat.png'))
```

Implement make\_blur\_filter and make\_sharpen\_filter in your lab.py. Each one of these functions should take a single argument n and should return a function appropriate for use with color\_filter\_from\_greyscale\_filter.

For the sake of avoiding repetitious code, you should try to make use of blurred and sharpened within your code, rather than reimplementing that behavior.

### 9.3) Check Your Results

Use these functions in conjunction with color\_filter\_from\_greyscale\_filter to produce the images described below, and upload them to be checked:

```
Blurred python.png, with n=9:

Select File No file selected

Sharpened sparrowchick.png, with n=7:

Select File No file selected
```

## 10) Cascade of Filters

Next, we'll add support for chaining filters together in cascade (so that the output of one filter is used as the input to another, and so on). You should implement a function called filter\_cascade in your lab file to this end. This function should take a list of filters (Python functions) as input, and its output should be a function that, when called on an input image, produces the equivalent of applying each of the given filters, in turn, to the input image.

For example, if we have three filters f1, f2, and f3, then the following two images should be equivalent:

```
out1 = f3(f2(f1(image)))
c = filter_cascade([f1, f2, f3])
out2 = c(image)
```

#### **Check Yourself:**

Does it matter if filters contains color or greyscale filters? Can filters contain both color and greyscale filters?

Implement the filter\_cascade function in your lab.py.

### 10.1) Check Your Results

When you are confident that your function is working as expected, apply the following filter to test\_images/frog.png, save the result as a PNG image, and upload it below for checking:

```
filter1 = color_filter_from_greyscale_filter(edges)
filter2 = color_filter_from_greyscale_filter(make_blur_filter(5))
filt = filter_cascade([filter1, filter1, filter2, filter1])
```

```
frog.png filtered by the filter given above:

Select File No file selected
```

# 11) Something of Your Own

Finally, we would like for you to implement something new of your own choosing! There are no test cases for this portion of the lab, which means that you will not lose points if you complete it any time before your checkoff (even after the code submission

deadline). You are, however, expected to include your creative addition in the code submission by the time of your checkoff, so that it can be discussed during checkoff.

You are welcome to implement whatever you like here, and, unlike other portions of the lab, you are welcome to import the math or random modules in this section. If you want to use other modules, that might be ok, but please ask us first!

We encourage you to implement things that sound interesting to you! If you are having trouble thinking of what to do, here are some ideas that might help you get started, and we're certainly happy to answer questions as you work through things:

- You could implement some drawing primitives so that you can draw shapes on top of images. Maybe circle(image, (r, g, b), x, y, radius) draws a circle of the given size at the given location. You could implement multiple drawing primitives and use them to draw a nice new picture (or to modify an existing one!).
- You could implement a "threshold" filter where, on each channel, values above a certain threshold are replaced with 255 and values below that threshold are replaced with 0. You could implement this in such a way that threshold is a function that takes a threshold value and returns a color filter (perhaps created using color\_filter\_from\_greyscale\_filter from a greyscale version of this filter).
- You could implement some other new filters such as amplifying a certain color or a directional emboss. You could even combine them with some of the others using filter\_cascade to make a new effect.
- You could add the equivalent of "pasting" smaller images on top of larger ones (maybe also including a color that should be treated as transparent for purposes of the copy/paste, so that pixels of that color in the pasted image are not copied over).
- You could implement a different kind of filter that takes spatial information into account, in addition to color information, such as a vignette or a ripple filter.
- You could implement the equivalent of color curves, for example by implementing something like described in this article.

  Or, you could play around with the color content of images in other ways.

Regardless of what you choose to implement here, you should be prepared to discuss your code and demonstrate your results during your checkoff conversation.

# 12) Code Submission

When you have tested your code sufficiently on your own machine, submit your modified lab.py using the submit-009-lab script. The following command should submit the lab, assuming that the last argument /path/to/lab.py is replaced by the location of your lab.py file:

```
$ submit-009-lab -a lab01 /path/to/lab.py
```

Running that script should submit your file to be checked, and it should also provide some information about how and where to get feedback about your submission. Reloading this page after submitting will also show some additional information:

You have not yet made any submissions to this assignment.

# 13) Checkoff

Once you are finished with the code, you will need to come to an office-hour time and add yourself to the queue asking for a checkoff in order to receive credit for the lab. You must be ready to discuss your code and test cases in detail before asking for a checkoff.

You should be prepared to demonstrate your code (which should be well-commented, should avoid repetition, and should make good use of helper functions). In particular, be prepared to discuss:

- The bugs you found with the original inversion filter.
- The new test cases you added for inversion and blurring.

- Your implementation of correlation, including your choice of representation for convolutional kernels.
- Your implementation of blurring and sharpening.
- Your implementation of edge detection.
- Your implementation of color\_filter\_from\_greyscale\_filter.
- Your implementation of make\_blur\_filter.
- Your implementation of filter cascade.
- Your creative extension.

You have not yet received this checkoff.

## 14) What Comes Next?

There are a lot of interesting classes at MIT that explore ideas related to this lab. 6.003 (Signal Processing) was already mentioned in lab 0's writeup, but it is relevant here as well, as a way to get a different perspective and a deeper understanding of how filters like these behave. 6.815 (Digital and Computational Photography) is another class that is worth considering, perhaps later in your career, where you get an opportunity to learn about (and implement) a number of other interesting image processing applications.

#### **Footnotes**

- <sup>1</sup> Note that you won't be able to run this command from within Python; rather, it should be run from a terminal. Our notes on using the command line should get you started. If you want to try it out and you are having trouble, we're happy to help in office hours!
- <sup>2</sup> pytest has many other features, such as grouping tests or creating test classes whose methods form a group of tests. Check out its documentation if you are interested in learning about these features.
- <sup>3</sup> Although you are welcome to try and see what happens with the other out-of-bounds behaviors!
- <sup>4</sup> It is for this reason, and specifically since we want to compute these correlations *without rounding* before combining the results together, that we suggested separating correlate and round\_and\_clip\_image rather than implementing a single function that performed both operations.