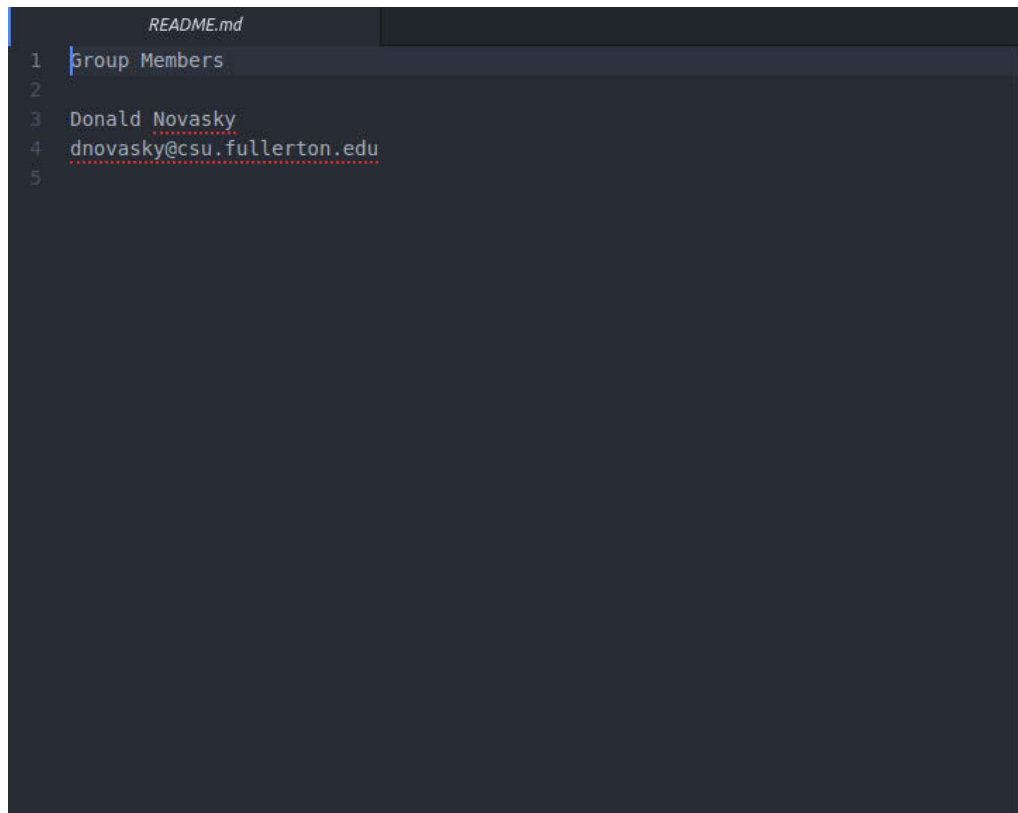
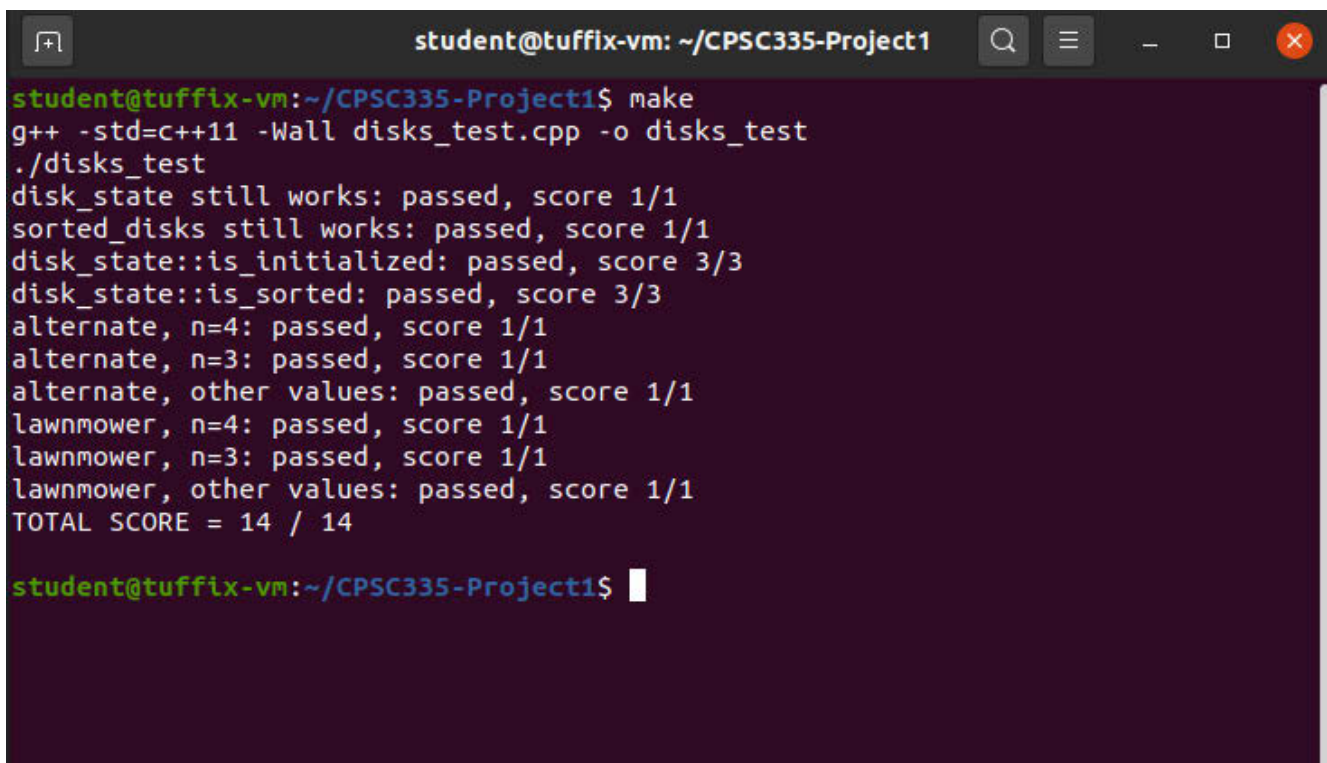


# CPSC 335 Project 1

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CPSC335  
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```
README.md
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```



```
student@tuffix-vm: ~/CPSC335-Project1
student@tuffix-vm:~/CPSC335-Project1$ make
g++ -std=c++11 -Wall disks_test.cpp -o disks_test
./disks_test
disk_state still works: passed, score 1/1
sorted_disks still works: passed, score 1/1
disk_state::is_initialized: passed, score 3/3
disk_state::is_sorted: passed, score 3/3
alternate, n=4: passed, score 1/1
alternate, n=3: passed, score 1/1
alternate, other values: passed, score 1/1
lawnmower, n=4: passed, score 1/1
lawnmower, n=3: passed, score 1/1
lawnmower, other values: passed, score 1/1
TOTAL SCORE = 14 / 14
student@tuffix-vm:~/CPSC335-Project1$
```

# Alternate Algorithm

Pseudocode w/ step count and Big-O proof

---

## ALTERNATE ALGORITHM PSEUDOCODE

```
swaps = 0
for i = 0 to n do
    for j = 0 to 2n-1 do
        if disk[i] > disk[j+1]
            swap[i]
            swaps++
```

## STEP COUNT

SWAPS = 0	→ 1 tu
for i = 0 to n	→ n+1 tu
for j = 0 to 2n-1	→ 2n tu
if disk[i] > disk[j+1]	→ 3 tu
swap[i]	→ 1 tu
swaps++	→ 1 tu

$$2n \cdot 5 \cdot (n+1) + 1 = 10n^2 + 10n + 1$$

IN THE ORDER OF  $O(n^2)$

# Lawnmower Algorithm

Pseudocode w/ step count and Big-O proof

## LAWN MOWER ALGORITHM PSEUDOCODE

```
swaps = 0
for i = 0 to n/2
    ind = 0
    while ind < n-1
        if disk[ind] > disk[ind+1]
            swap disks[ind]
            swaps++
            ind++
    while ind > 0
        if disk[ind] < disk[ind-1]
            swap disks[ind-1]
            swaps++
            ind--
```

## STEP COUNT

swaps = 0	→ 1 tv
for i = 0 to n/2	→ n/2 + 1 tv
ind = 0	→ 1 tv
while ind < n-1	→ n tv
if disk[ind] > disk[ind+1]	→ 3 tv
swap disk[ind]	→ 1 tv
swaps++	→ 1 tv
ind++	→ 1 tv
while ind > 0	→ n+1 tv
if disk[ind] < disk[ind-1]	→ 3 tv
swap disk[ind-1]	→ 1 tv
swaps++	→ 1 tv
ind--	→ 1 tv

$$((n+1) \cdot 6 + 6 \cdot n) \cdot \frac{n}{2} + 2$$

$$(12n + 6) \left( \frac{n}{2} + 2 \right) = 6n^2 + 27n + 12$$

IN THE ORDER OF  $O(n^2)$