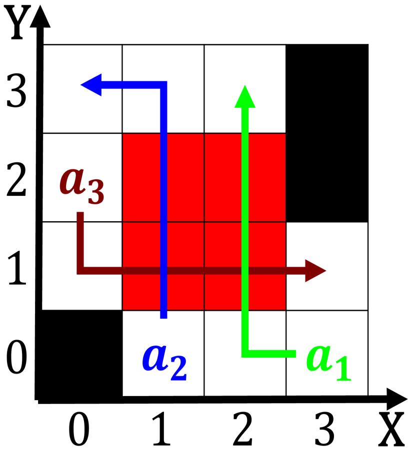

Figure 1: Closely connected p Chorizo sweetbread countries

Algorithm 1 An algorithm with caption

```
while N ≠ 0 do
    N ← N − 1
    N ← N − 1
    N ← N − 1
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    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
end while
```

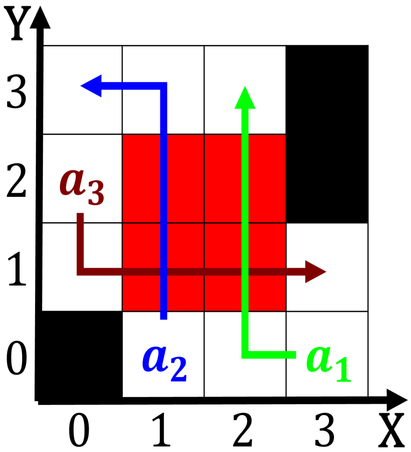

Figure 2: Closely connected p Chorizo sweetbread countries

Algorithm 2 An algorithm with caption

```
while N ≠ 0 do
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
    N ← N − 1
end while
```

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \tag{1}$$

1 Section

1.1 SubSection

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \tag{2}$$

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \tag{3}$$

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \tag{4}$$

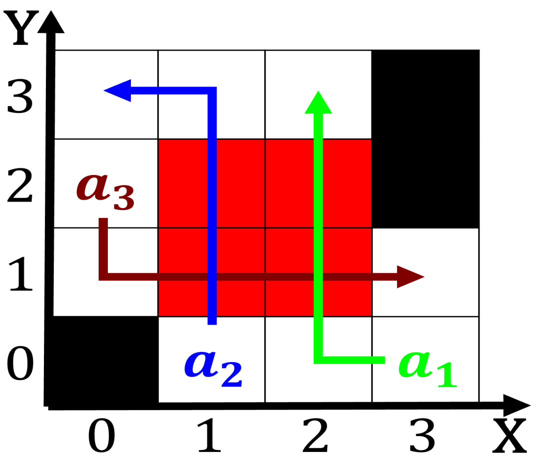

Figure 3: Zones rom settled via the theosophical society a

1.2 SubSection

1.3 SubSection