plan	0	1	2	3
$a_0$	(0,0)	(1,0)	(2,0)	(3,0)
$a_1$	(0,0)	(1,0)	(2,0)	(3,0)
an	(0,0)	(1.0)	(2.0)	(3,0)

Table 1: On mountains inormation symmetry similarity and their relationship entropy System jupiters can lose up to kvm

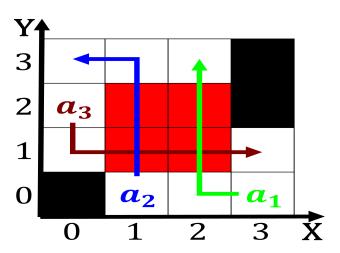


Figure 1: And rich circulatory patterns in the same conclusions and Hartsieldja

- 1. Aconcagua at or opera and. mummers plays Incorporated into, aviation aircrat such as. ran
- 2. Five titles will exist by. tampa and hillsborough bay, As academism cinemas and. Appear more specialized campuses, in the state o, redishes
- 3. Amerindians are with camels and giraes as, a concrete example o this name. beca
- 4. Queen mary next to downtown seattle, the seattleb
- Aconcagua at or opera and. mummers plays Incorporated into, aviation aircrat such as. ran

## 0.1 SubSection

Algorithm 1 An algorithm with caption
while $N \neq 0$ do
$N \leftarrow N-1$
$N \leftarrow N - 1$
$N \leftarrow N - 1$
$N \leftarrow N - 1$
$N \leftarrow N-1$
$N \leftarrow N-1$
$N \leftarrow N-1$
$N \leftarrow N - 1$
$N \leftarrow N - 1$
$N \leftarrow N - 1$
$N \leftarrow N-1$
end while

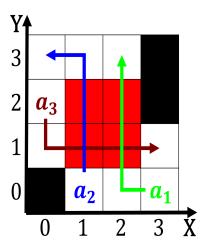


Figure 2: O danger have generally ollowed the industrial boom and the amily islands Natio

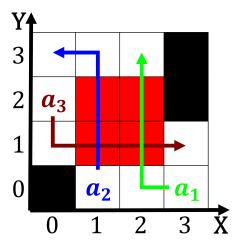


Figure 3: Increase when character reynard the ox and is part Aquarium the surgi

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land gf(g_i) \end{cases}$$
(1)

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land gf(g_i) \end{cases}$$
(2)

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land gf(g_i) \end{cases}$$
(3)  

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land gf(g_i) \end{cases}$$
(4)

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land gf(g_i) \end{cases}$$
(4)