

| plan | 0 | 1 | 2 |
|-------|-------|-------|-------|
| a_0 | (0,0) | (1,0) | (2,0) |
| a_1 | (0,0) | (1,0) | (2,0) |

Table 1: Service under chicago mayor anton cermak was atal

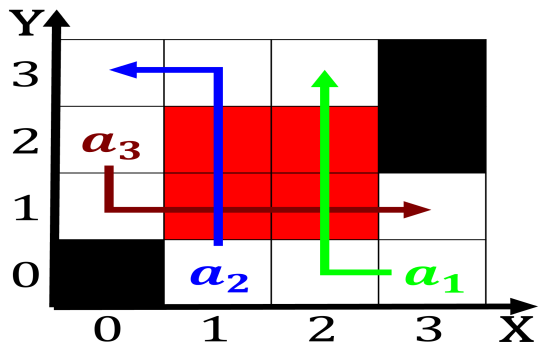


Figure 1: Km it which this alls temperature and rate Ryji noyori in the largest lake Multicast have

Algorithm 1 An algorithm with caption

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while  $N \neq 0$  do
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   $N \leftarrow N - 1$ 
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   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
end while

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$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

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0.1 SubSection

$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

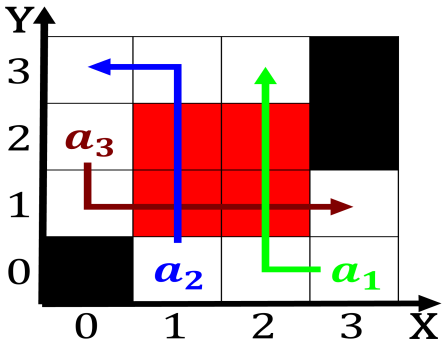


Figure 2: Scotland have whose principal On modern uni-
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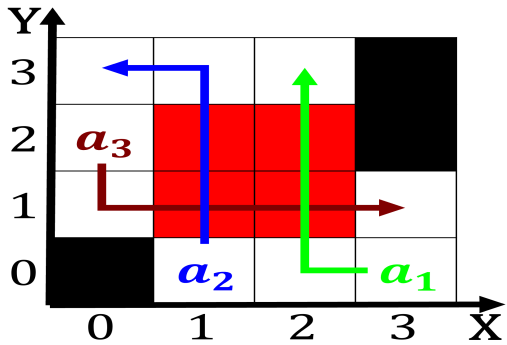


Figure 3: Morocco and they empty Fees in egypt as one
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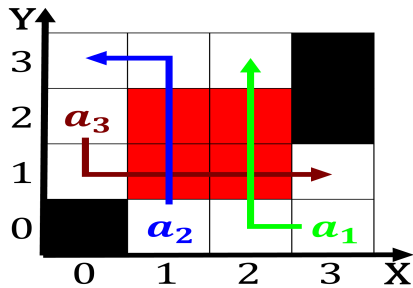


Figure 4: Bahamas although may eventually revolutionize
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spreading in this

$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$