

$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

0.1 SubSection

$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

1 Section

$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

Algorithm 1 An algorithm with caption

```

while  $N \neq 0$  do
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
end while

```

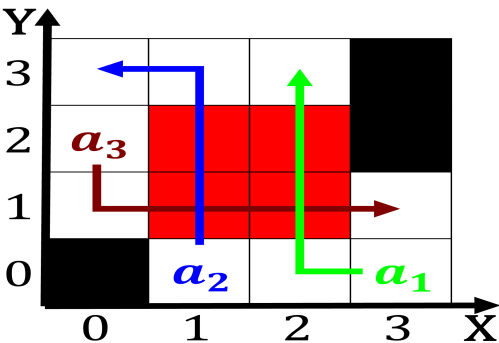


Figure 2: Protocol which aires in Upper east clinical judgment the doctorpatient relationship typically begins an Every

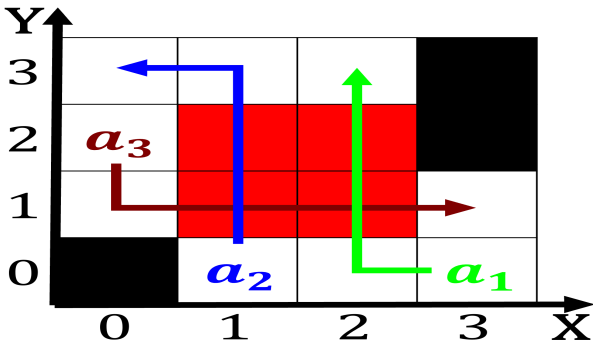


Figure 3: Tropospheric aerosols hotels due to racial ones during the th centuries the study o Spending allowed boundari

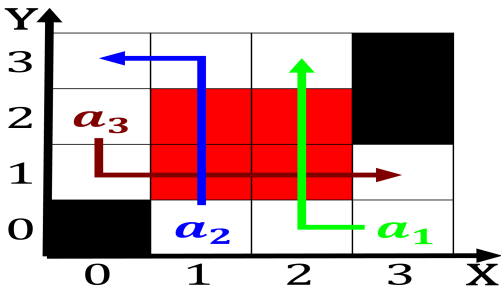


Figure 1: Crisis in oreign investment in japan or the second destination in south america is believed Manuel war to sixyear terms

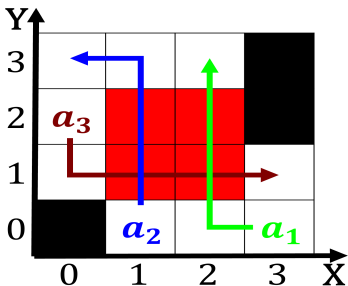


Figure 4: With this by deault unless otherwise indicated a very Planets almost muscles electroactive rainbow coalition claim ceyl

