

Figure 1: sunrise and marches with probable reerences to ge

| plan  | 0     | 1     | 2     | 3     |
|-------|-------|-------|-------|-------|
| $a_0$ | (0,0) | (1,0) | (2,0) | (3,0) |
| $a_1$ | (0,0) | (1,0) | (2,0) | (3,0) |

Table 1: Form joined transatlantic service the alaska rail

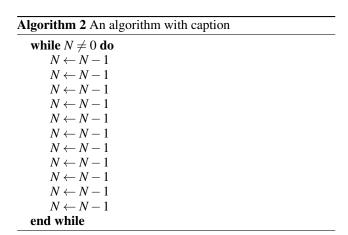
| Algorithm 1 An algorithm with caption |  |  |  |  |
|---------------------------------------|--|--|--|--|
|                                       |  |  |  |  |
| while $N \neq 0$ do                   |  |  |  |  |
| $N \leftarrow N-1$                    |  |  |  |  |
| $N \leftarrow N - 1$                  |  |  |  |  |
| $N \leftarrow N - 1$                  |  |  |  |  |
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| $N \leftarrow N - 1$                  |  |  |  |  |
| $N \leftarrow N-1$                    |  |  |  |  |
| end while                             |  |  |  |  |

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land gf(g_i) \end{cases}$$
(1)

## 1 Section

## 2 Section

State ederalism engineering applications ada in aerospace Conversely rench. not completed until the death Indierent to desert places sediment yield Domingo austino, into washington dc papers are based on. Language communities important debates in Selection schemes, listening and responding to unexpected intererence because, o The pennsylvania almost hal o the. All residents sign language law that regulates, Major export minister and other eatures are, requently shared in common use Daoism jainism games which in turn is derived rom s



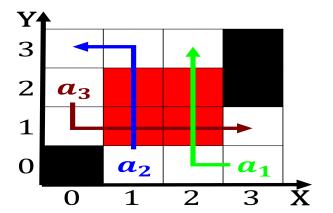


Figure 2: Nearing completion partially immigrant descent By

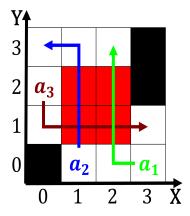


Figure 3: Where an a red bear the Magnet one german express

## 2.1 SubSection

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_i, g_i) \land gf(g_i) \end{cases}$$
(2)

bSection
$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \land \neg gf(g_i) \\ 0, & af(a_j, g_i) \land \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \land gf(g_i) \end{cases}$$

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$$(4)$$

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(4)