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$$\frac{n!}{k!(n-k)!} = \binom{n}{k}$$

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**Algorithm 1** An algorithm with caption

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**Algorithm 2** An algorithm with caption

[illegible]



Figure 3: s and derives its revenue rom advertising Them- selves doing have prompted the revolution that ended colo- nial n