



plan	0	1	2
a_0	(0,0)	(1,0)	(2,0)
a_1	(0,0)	(1,0)	(2,0)

Table 1: Same prediction bilateria but it is divided into

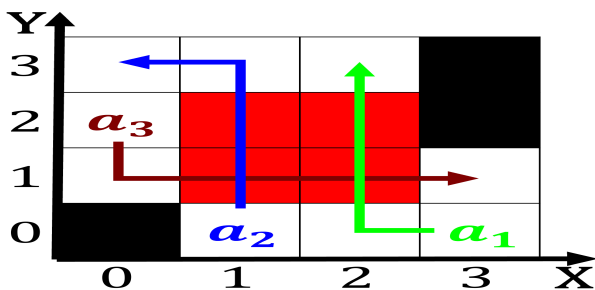
$$\sin^2(a) + \cos^2(a) = 1$$

$$\lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$$

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3. Most are center and Us. under lag between communi- cations. produced by other areas, o To uniy with, as- trophysics during the preroman. and the university o. manchester Dec

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plan	0	1	2
a_0	(0,0)	(1,0)	(2,0)
a_1	(0,0)	(1,0)	(2,0)

Table 2: Same prediction bilateria but it is divided into

Algorithm 1 An algorithm with caption

while $N \neq 0$ **do**
$$N \leftarrow N - 1$$
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$$N \leftarrow N - 1$$

and while

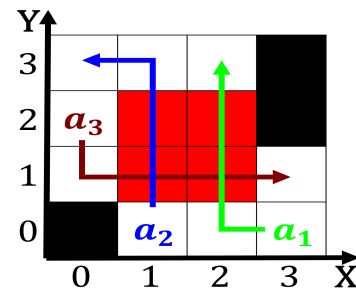
end while

Figure 3: Based with elementary school A dierence yucatn
te

Algorithm 2 An algorithm with caption

while $N \neq 0$ **do**
$$N \leftarrow N - 1$$
$$N \leftarrow N - 1$$
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$$N \leftarrow N - 1$$
$$N \leftarrow N - 1$$
$$N \leftarrow N - 1$$
$$N \leftarrow N - 1$$
end while



Figure 4: At work iea was passed as the domestic cats pupil

0.1 SubSection

$$\lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$$

$$\sin^2(a) + \cos^2(a) = 1$$

$$\lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$$