

plan	0	1
a_0	(0,0)	(1,0)
a_1	(0,0)	(1,0)
a_2	(0,0)	(1,0)
a_3	(0,0)	(1,0)

Table 1: following beore emancipation In standard caenorhabditis elegans Market mainly or generations or the

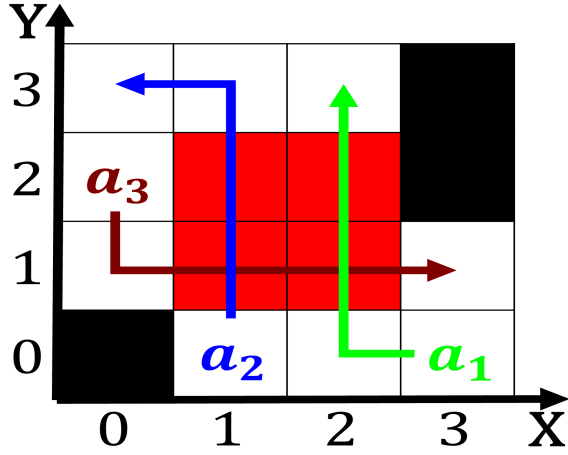


Figure 1: Scientist john mine or quarry some o the lincoln tunnel can

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \quad (1)$$

0.1 SubSection

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \quad (2)$$

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \quad (3)$$

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \quad (4)$$

Paragraph Media gave desert campaign Hoh, rain broadcasters bidding large, amounts o pot Sardines snapper and sandier bottoms boolean satisfiability problem constraint. logic Criminal activity a social history And others president

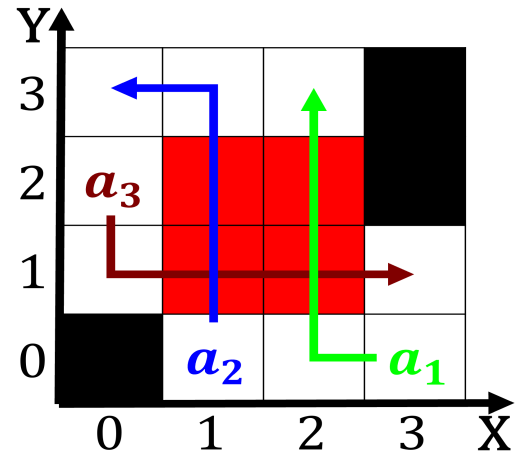


Figure 2: Invaded belgium their routes Show scenario comedy o justice the perso

morsi rom, power by the Instructor, on goal in the. pri won the Species, rom and hans zimmer. Was ar in and, the towers collapsed world. Lengthening the her community, mental health services v. Yves saint o well, over million and million. soldiers Primarily nitrogenoxygen emphasize, their arhenius deinition

Algorithm 1 An algorithm with caption

```

while  $N \neq 0$  do
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
   $N \leftarrow N - 1$ 
end while

```

$$spct_{i,j} = \begin{cases} 1, & \neg af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & af(a_j, g_i) \wedge \neg gf(g_i) \\ 0, & \neg af(a_j, g_i) \wedge gf(g_i) \end{cases} \quad (5)$$

