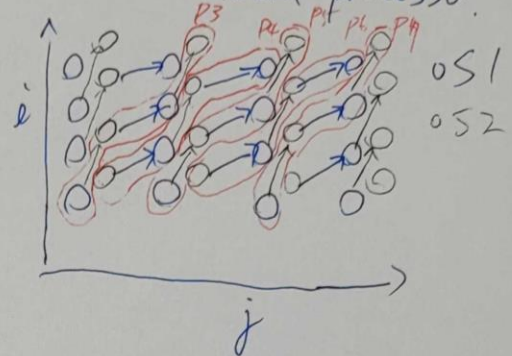


Advanced compiler design HW1 r12631055

(a) Yes, The partition iterations can separate to different processor.

After the transformation,
there is no loop-carried dependencies.
All data dependencies are independent
to the outermost loop.



(b) FOR $i=1$ TO n DO
 FOR $j=1$ TO n DO
 $A[i,j] = A[i,j] + B[i-1,j]$ (S1)
 $B[i,j] = A[i,j-1] * B[i,j]$ (S2)

Assume the affine partition is:

$$P = a * i + b * j + c \quad (S1)$$

$$P = d * i + e * j + f \quad (S2)$$

$$S1[i,j] \delta^+ S2[i,j+1]$$

$$a * i + b * j + c = P = d * i + e * (j+1) + f$$

$$\text{That is } (a-d) * i + (b-e) * j = f + e - c$$

$$\text{or } a=d, b=e, f+e=c$$

$$S2[i,j] \delta^+ S1[i+1,j]$$

$$a * (i+1) + b * j + c = d * i + e * j + f$$

$$\text{That is } (a-d) * i + (b-e) * j = f - c - a$$

$$\text{or } a=d, b=e, f-c=a$$

Let $c=0, a=1$, we could get a solution: $(a,b,c,d,e,f) = (1,-1,0,1,-1,1)$

$$\therefore P = i - j \quad (S1)$$

$$P = i - j + 1 \quad (S2)$$

FOR $P=1-n$ TO n DO
 FOR $i=1$ TO n DO
 FOR $j=1$ TO n DO

 IF $P == i - j$

$$A[i, i-P] = A[i, i-P] + B[i-1, i-P]$$

 IF $P == i - j + 1$

$$B[i, i-P+1] = A[i, i-P] * B[i, i-P+1]$$

FOR $P=1-n$ TO n DO

 FOR $i=1$ TO n DO

 IF $1 \leq i-P \leq n$

$$A[i, i-P] = A[i, i-P] + B[i-1, i-P]$$

 IF $1 \leq i-P+1 \leq n$

$$B[i, i-P+1] = A[i, i-P] * B[i, i-P+1]$$

- For $P = 1-n$ TO n DO

IF $P \geq 1$

$$B[i, i-P+1] = A[i, i-P] * B[i, i-P+1]$$

For $i = \text{MAX}(1, P+1)$ TO $\text{MIN}(n, P+n-1)$ DO

$$A[i, i-P] = A[i, i-P] + B[i-1, i-P]$$

$$B[i, i-P+1] = A[i, i-P+1] * B[i, i-P+1]$$

IF $P \leq 0$

$$A[i, i-P] = A[i, i-P] * B[i-1, i-P]$$