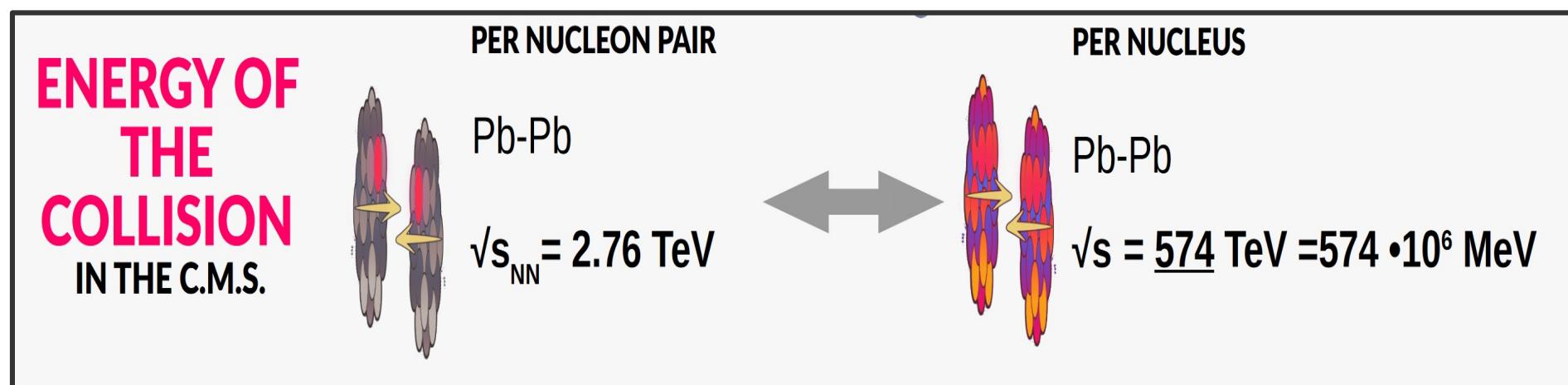
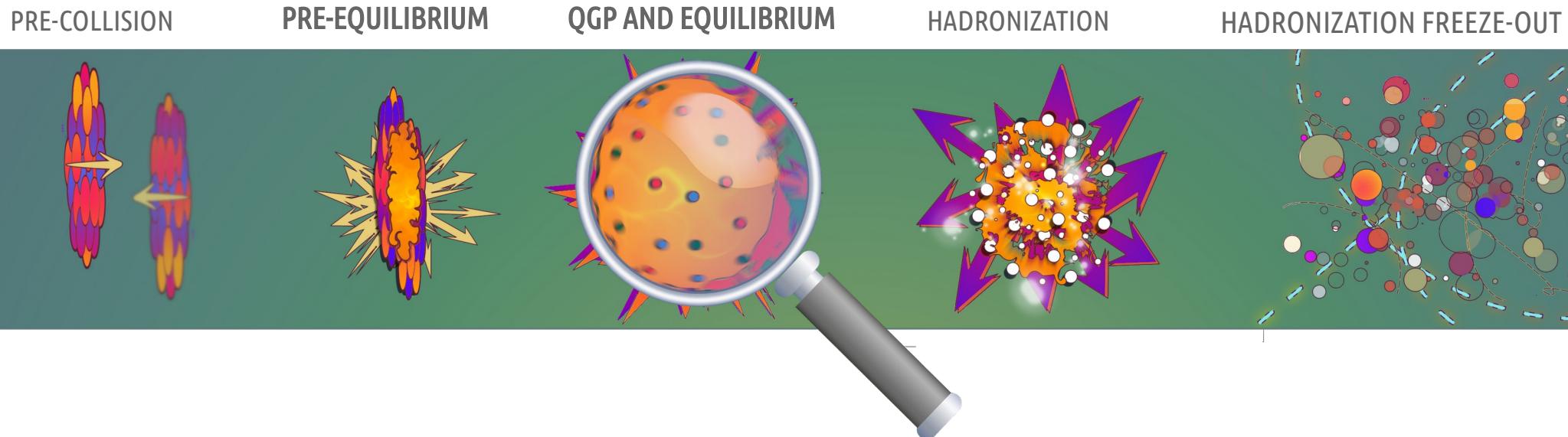
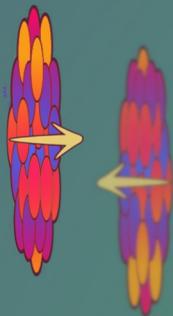


Heavy-ion collisions

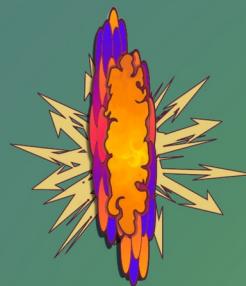


Heavy-ion collisions

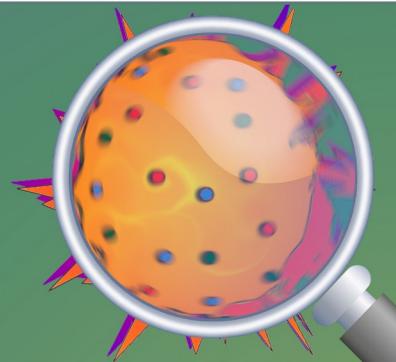
PRE-COLLISION



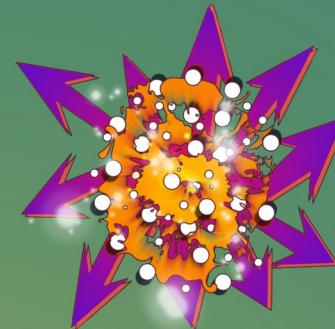
PRE-EQUILIBRIUM



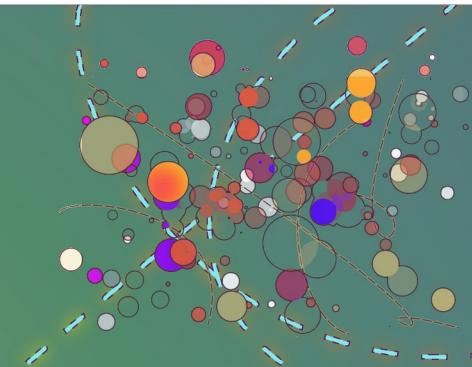
QGP AND EQUILIBRIUM



HADRONIZATION



HADRONIZATION FREEZE-OUT



What we want to know...



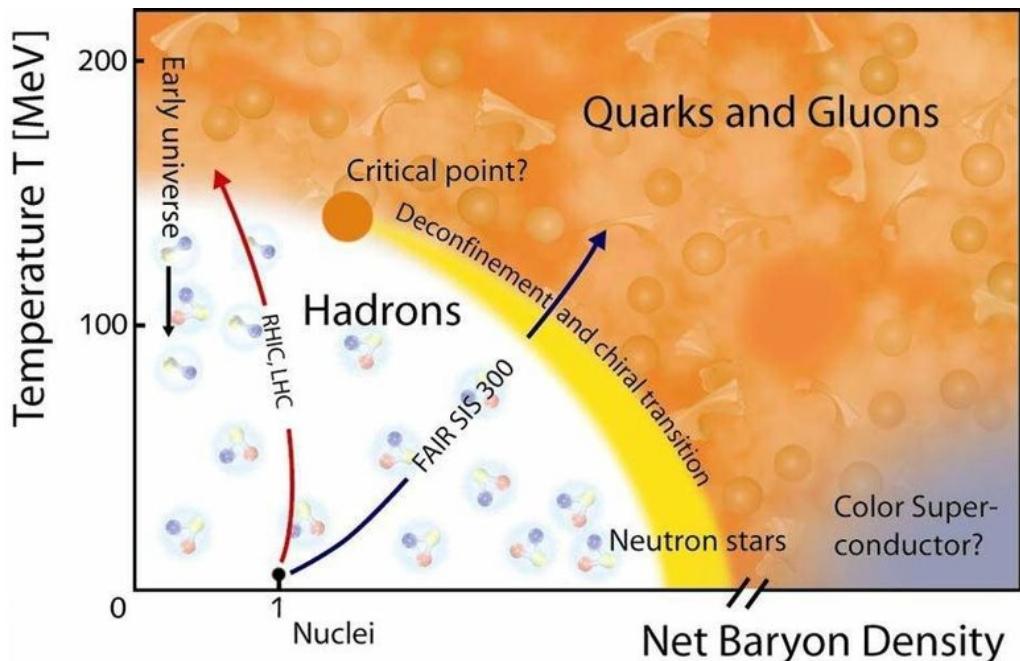
What we measure
in the detector...

Analysis of correlations and fluctuations can provide information about **the early stages of heavy-ion collisions.**

Motivation: Why do we study correlations and fluctuations?



- Analysis of correlation and fluctuation can provide information about **early stages of collisions**.
- Provide information about **properties of quark-gluon plasma**.
- Sensitive to **phase transition**:
 - insights into phase transitions between hadronic and partonic matter.
- Provide insights to understanding the **initial conditions and geometry** of the colliding nuclei.
- Validation of **theoretical models of particle production**.

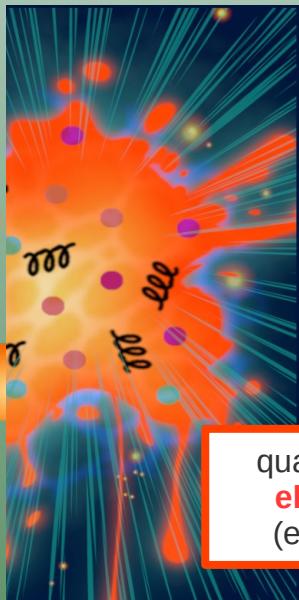


Motivation: Why do we study correlations and fluctuations?



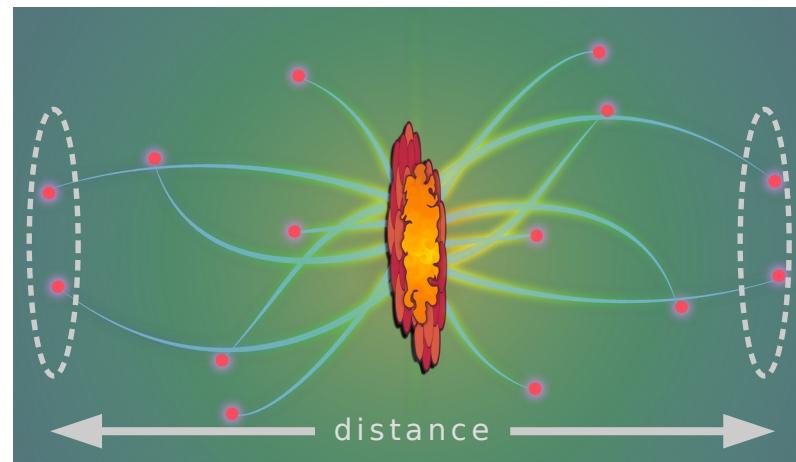
Net-charge fluctuations

hadron gas → **integer charges** (e.g., +1 or -1)



quarks → **fractional electric charges**
(e.g., +2/3 or -1/3)

Long-Range Correlations (LRC):



- Charge fluctuations are sensitive to the square of the charges of particles in the medium.

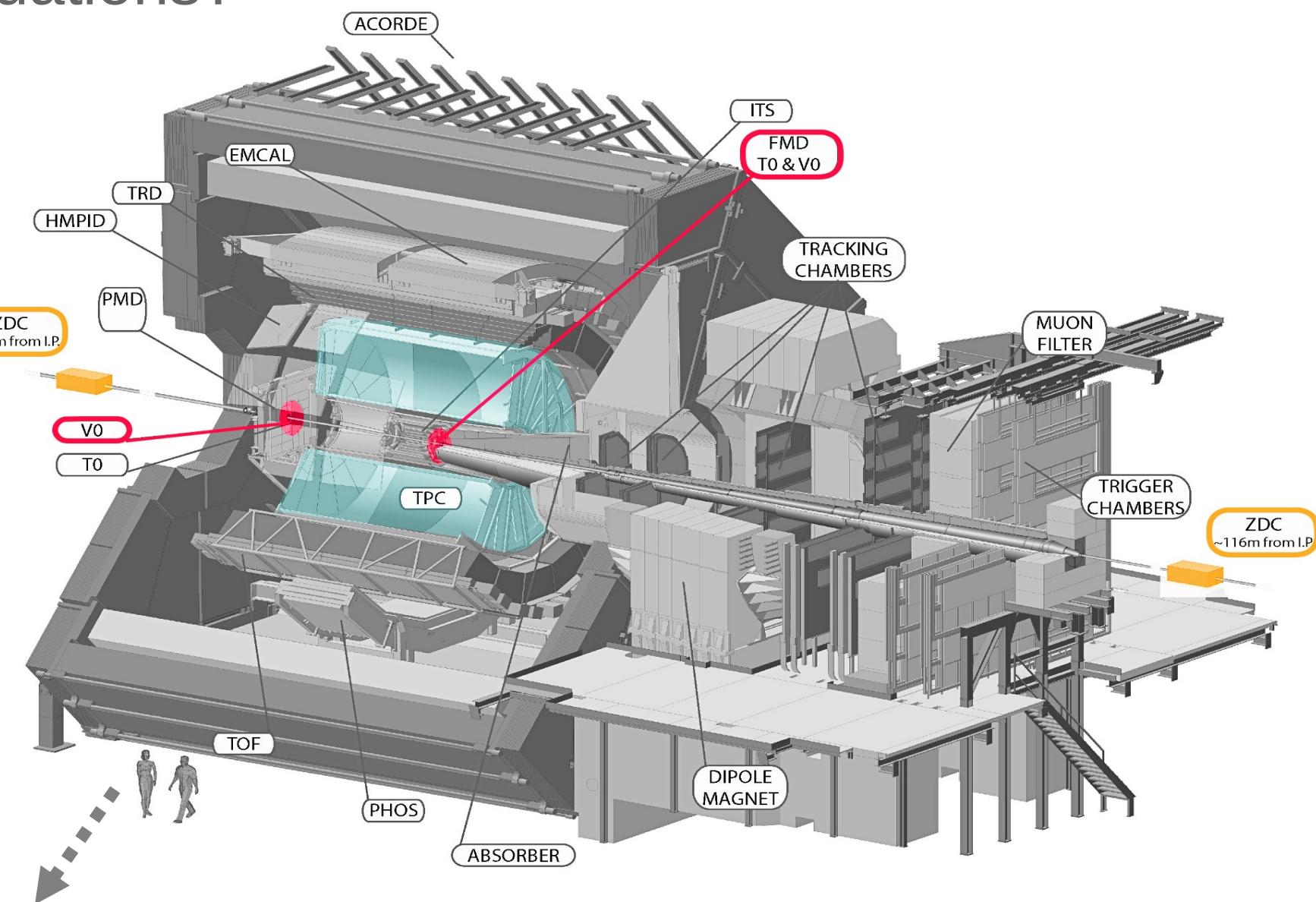
- LRC carry **information on the early dynamics** of the nuclear collision

hadron gas > QGP

The Analysis: How do we study correlations and fluctuations?



ALICE



You!

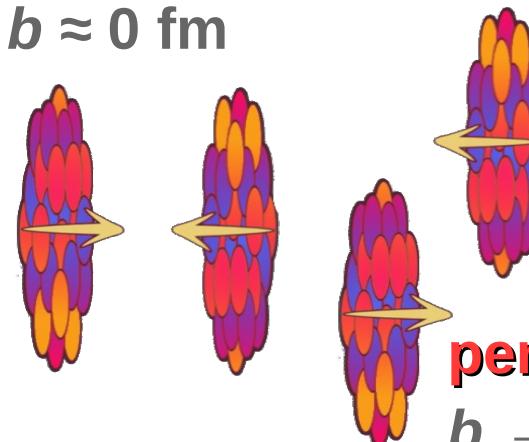
Geometry of collision & the concept of centrality



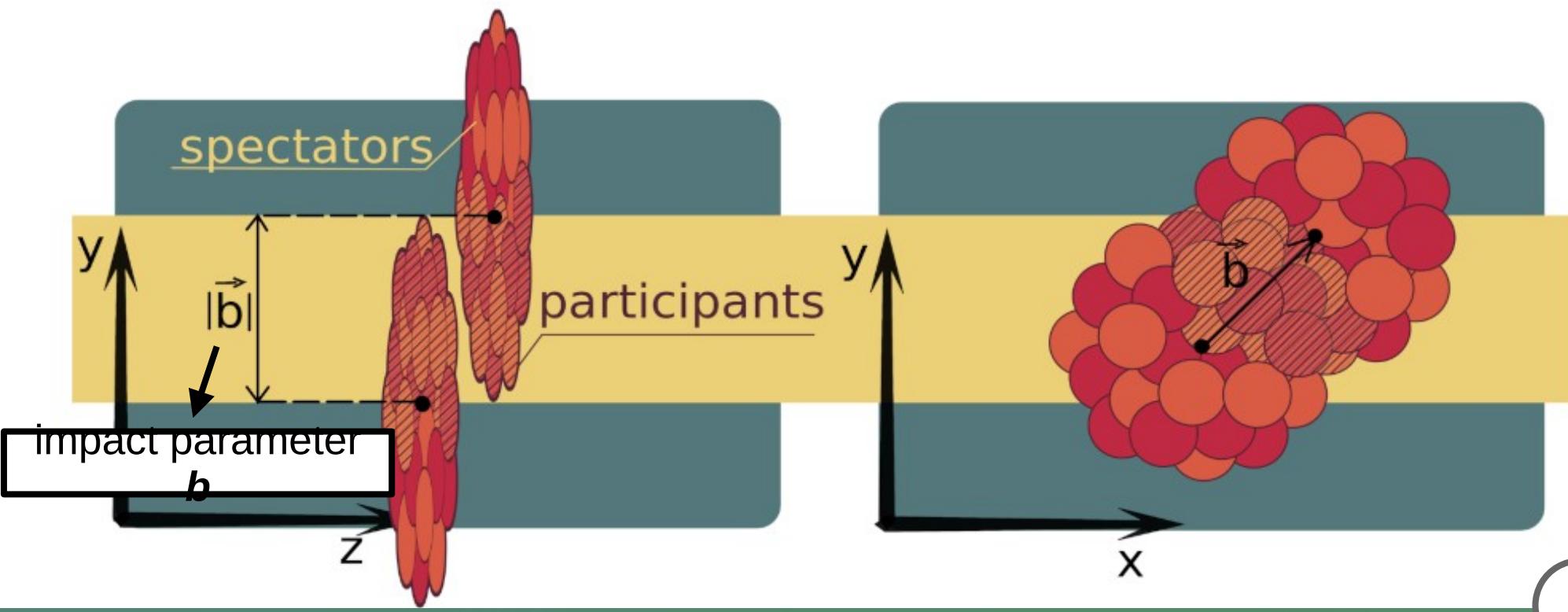
- Heavy-ions are **extended objects**;
- Systems created in **central head-on collisions** are different from those in **peripheral collisions**;
- Geometry of the collision = initial **overlap region** of the colliding nuclei → defined by **the impact parameter, b** ;
- Impact parameter challenges: not directly measurable in experiments...neither **number of participants**.

central:

$$b \approx 0 \text{ fm}$$



peripheral:
 $b \rightarrow \text{large}$



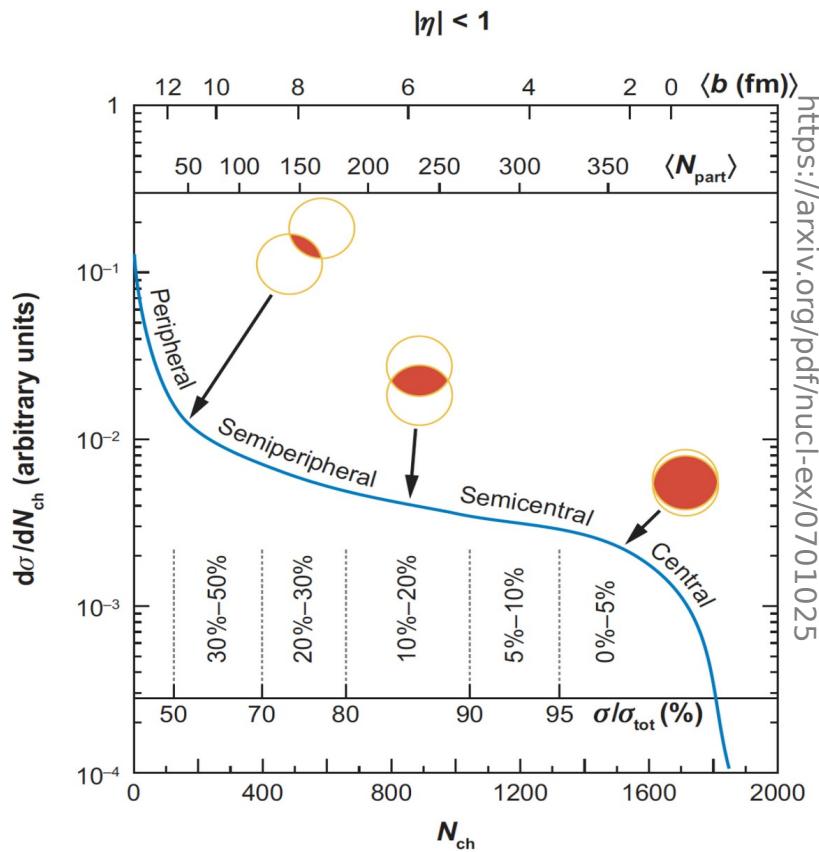
Geometry of collision & the concept of centrality



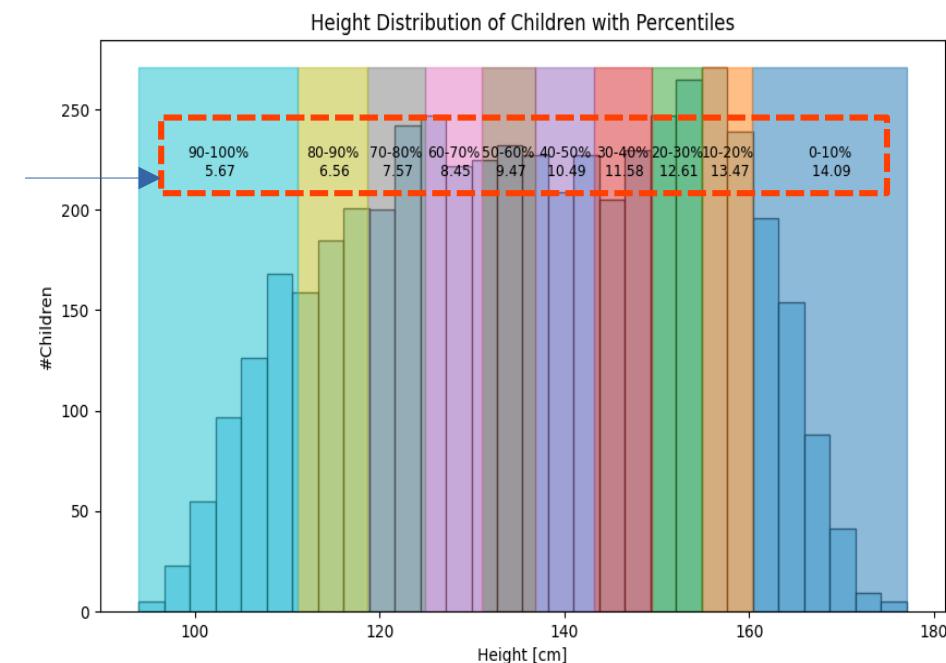
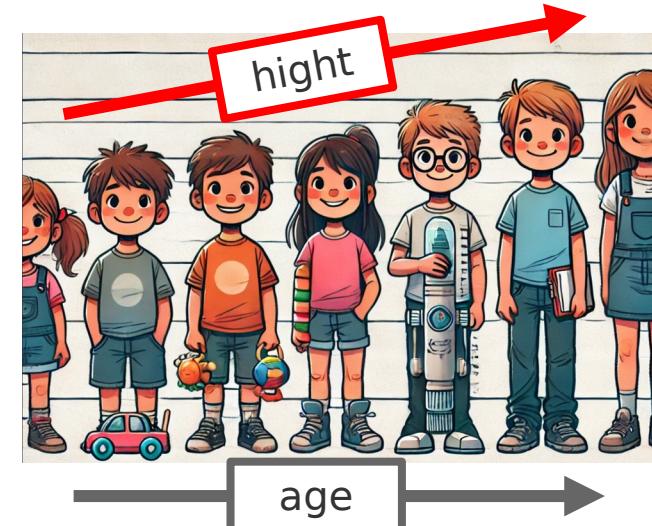
How to classify geometry in the experiment?

Use observable that **scales monotonically with impact parameter** like particles multiplicity, energy of the spectator system...

Centrality[%] → fraction of the total cross section, **percentile** of events with the highest multiplicity or with the highest number of participants.



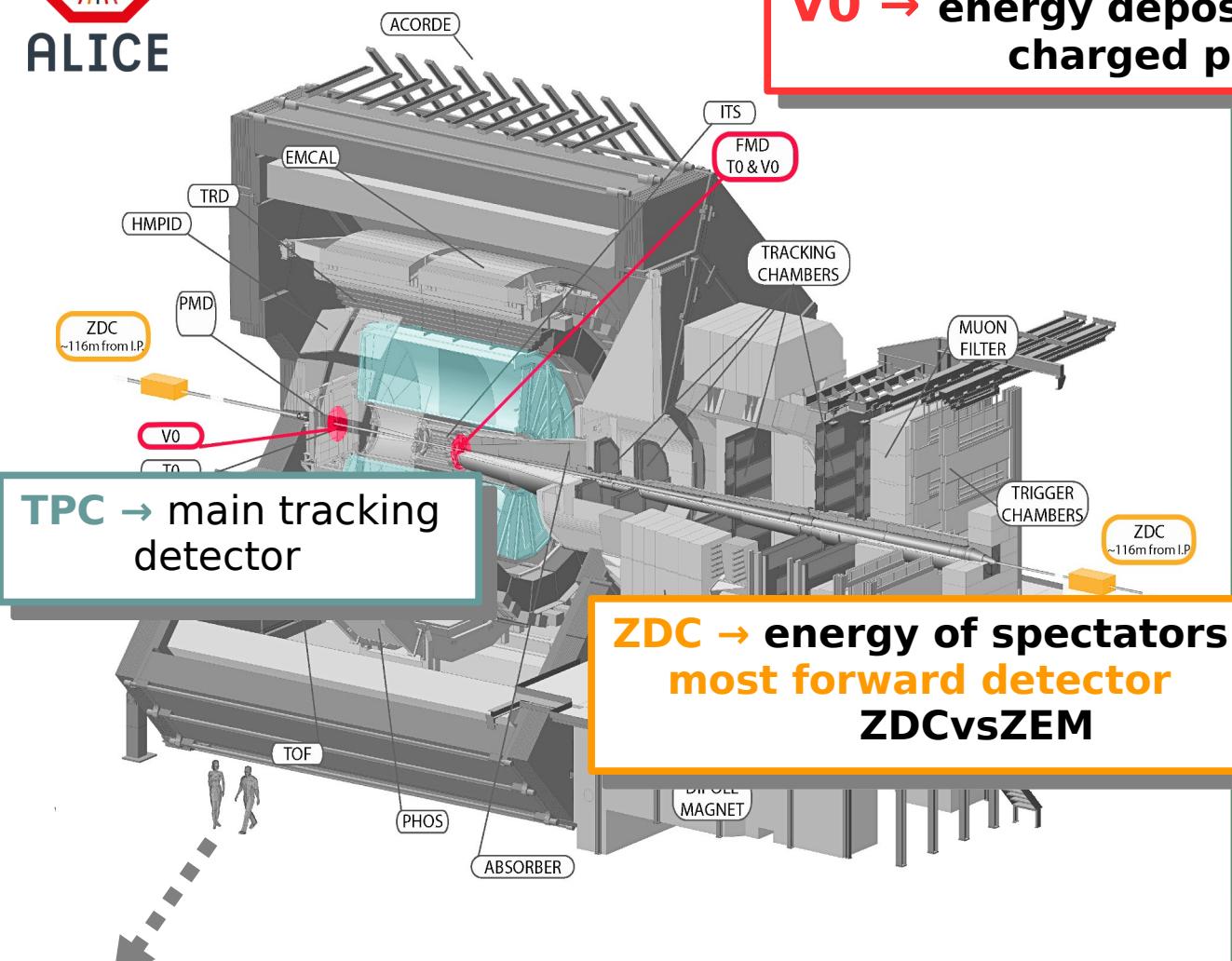
Centrality Analogy:
Classifying Children by Height Percentiles



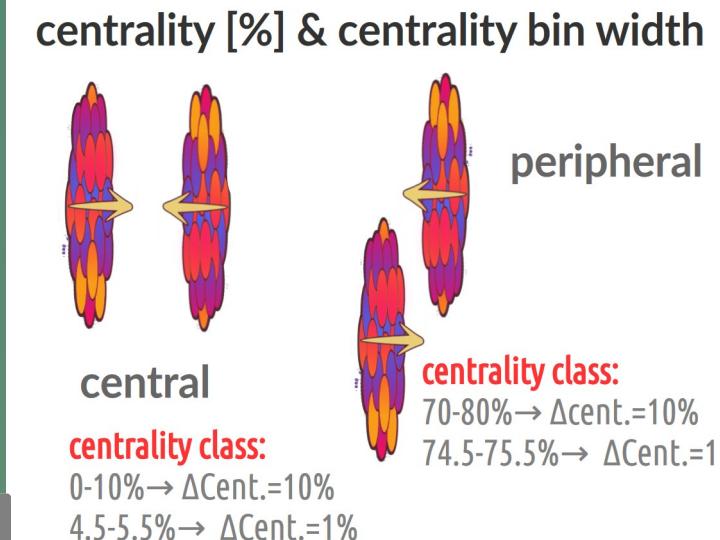
How do we study correlations and fluctuations?



ALICE



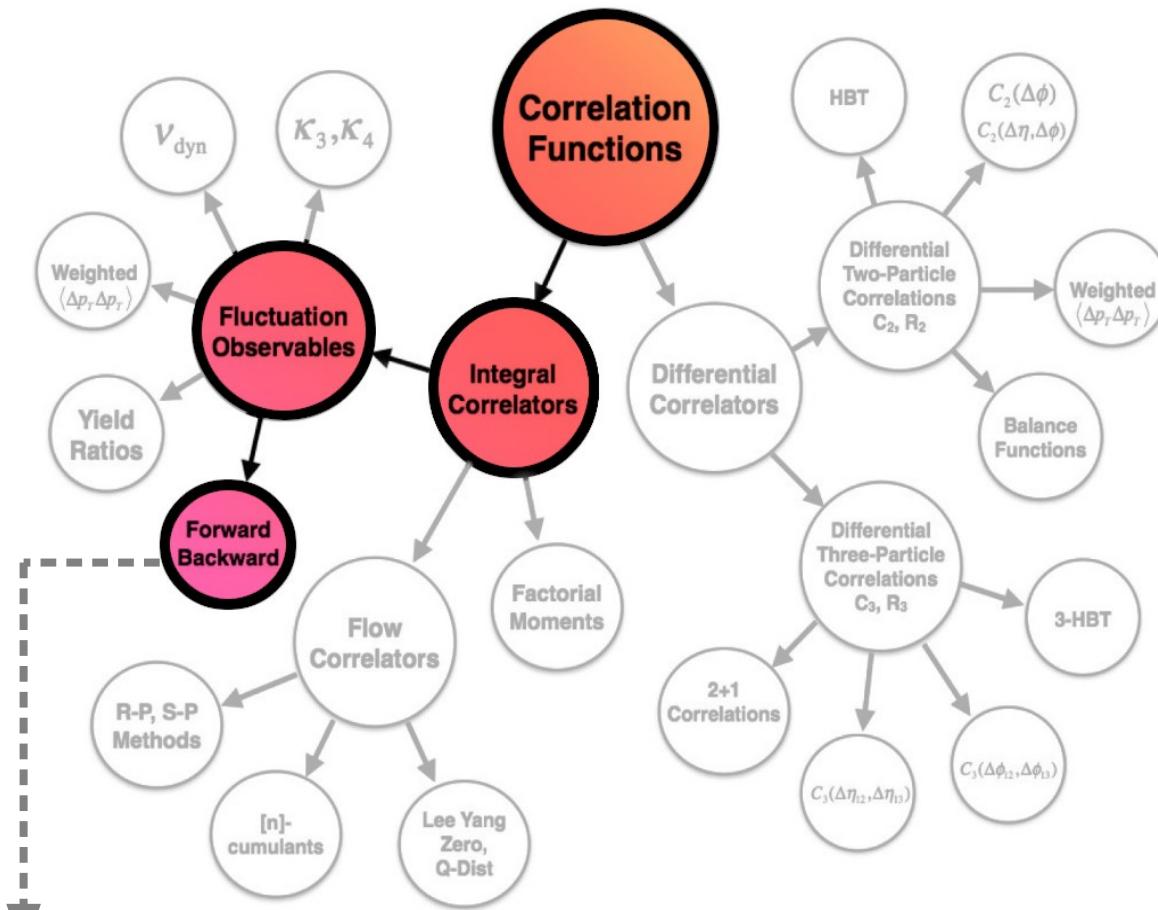
You are here!



Experimental data:

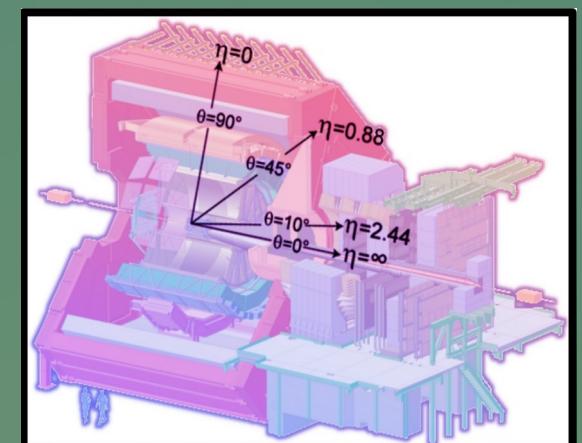
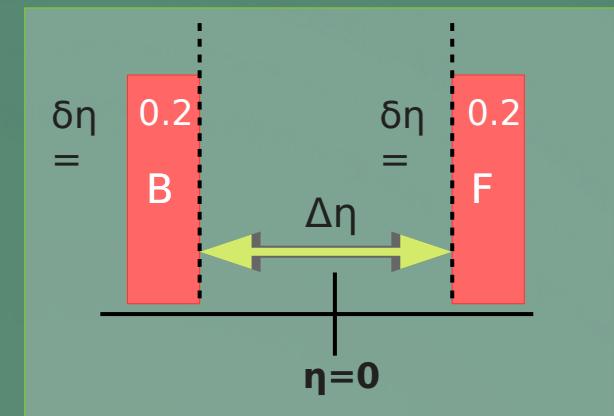
- Pb-Pb @ $\sqrt{s}_{NN} = 2.76$ and 5.02 TeV
- Xe-Xe @ $\sqrt{s}_{NN} = 5.44$ TeV

The Analysis: How do we study correlations and fluctuations?



We are here!

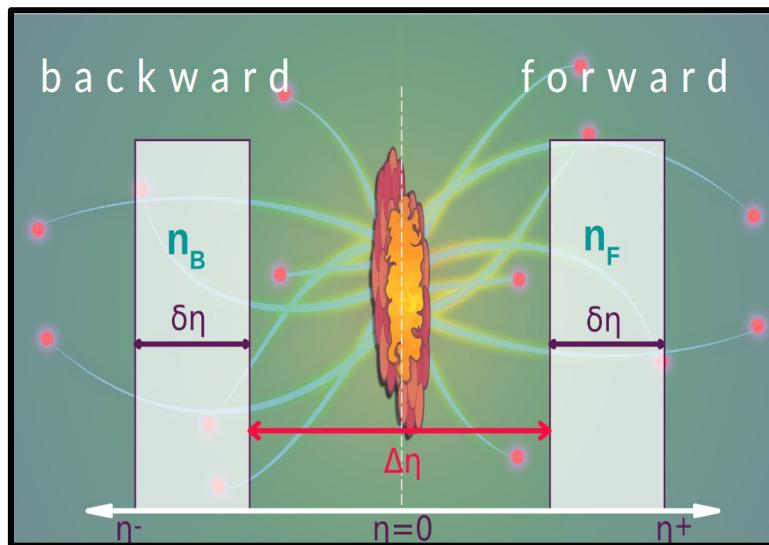
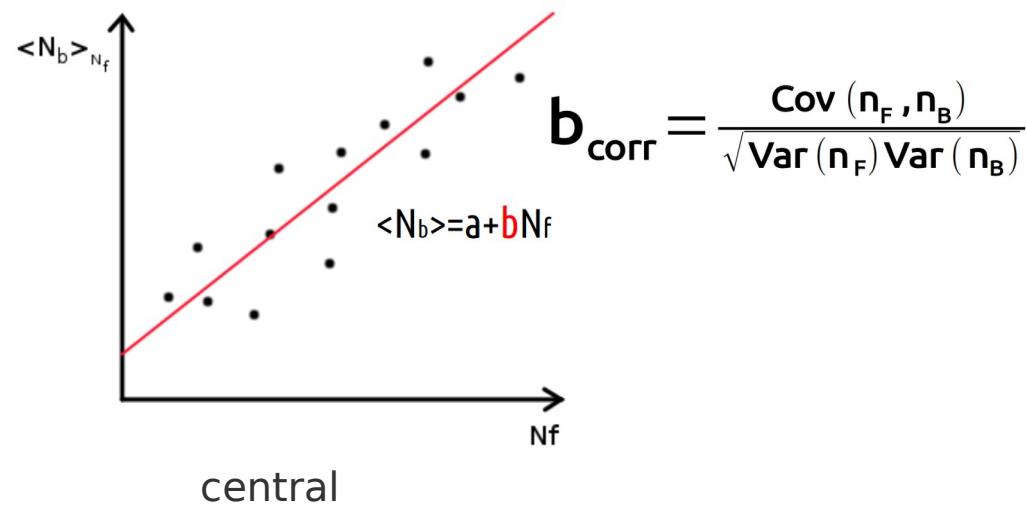
The forward-backward (FB) correlation:



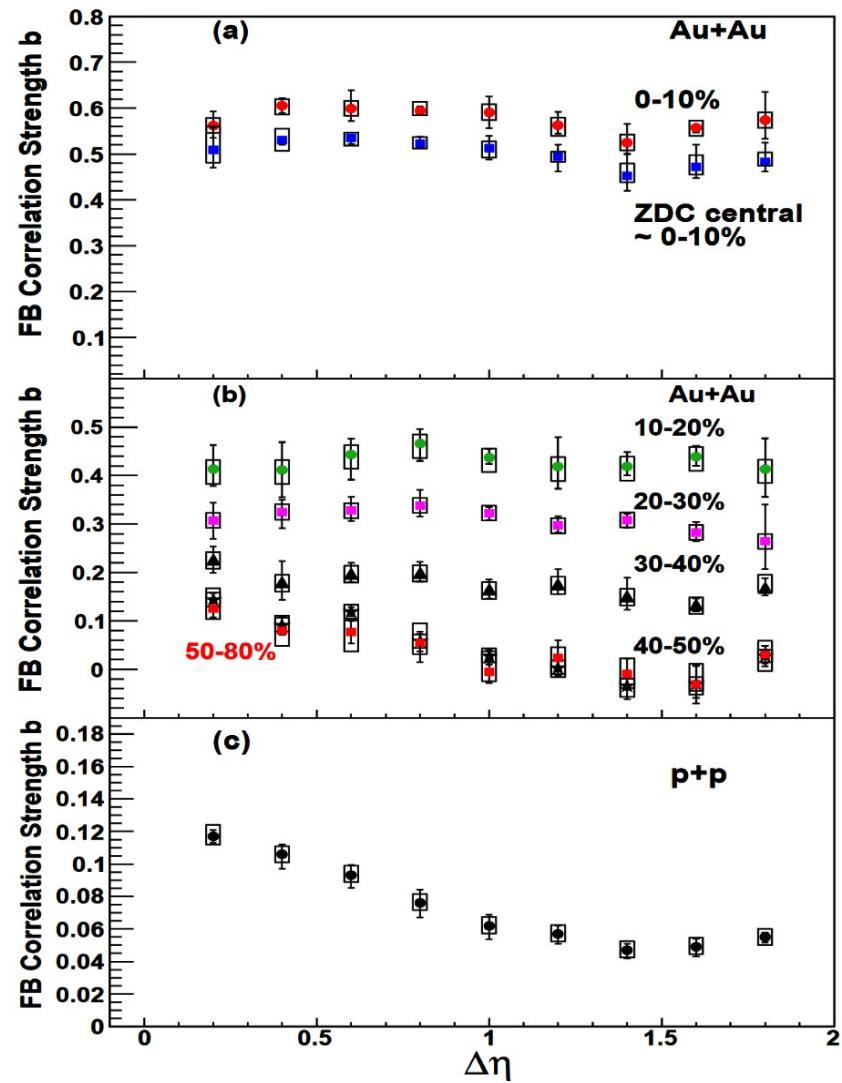
The Analysis: FB correlations



Correlation coefficient:



First results on FB correlation in ultrarelativistic heavy-ion collisions, STAR Collaboration

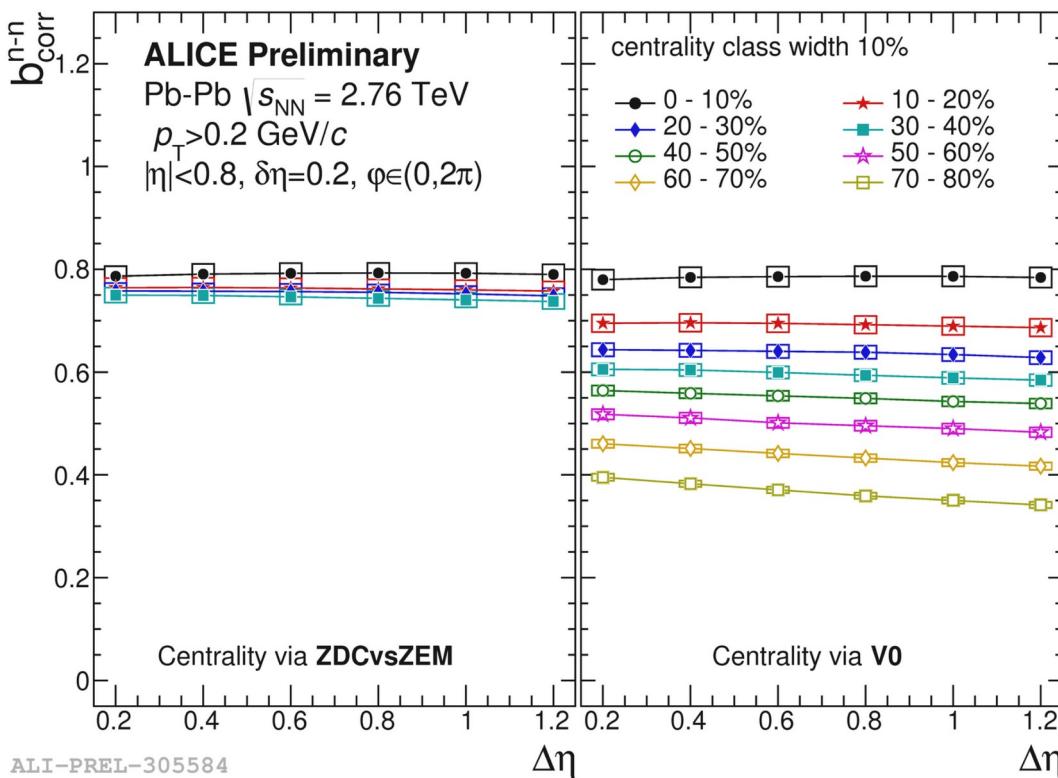


STAR Collaboration, Phys.Rev.Lett. 103 (2009) 172301

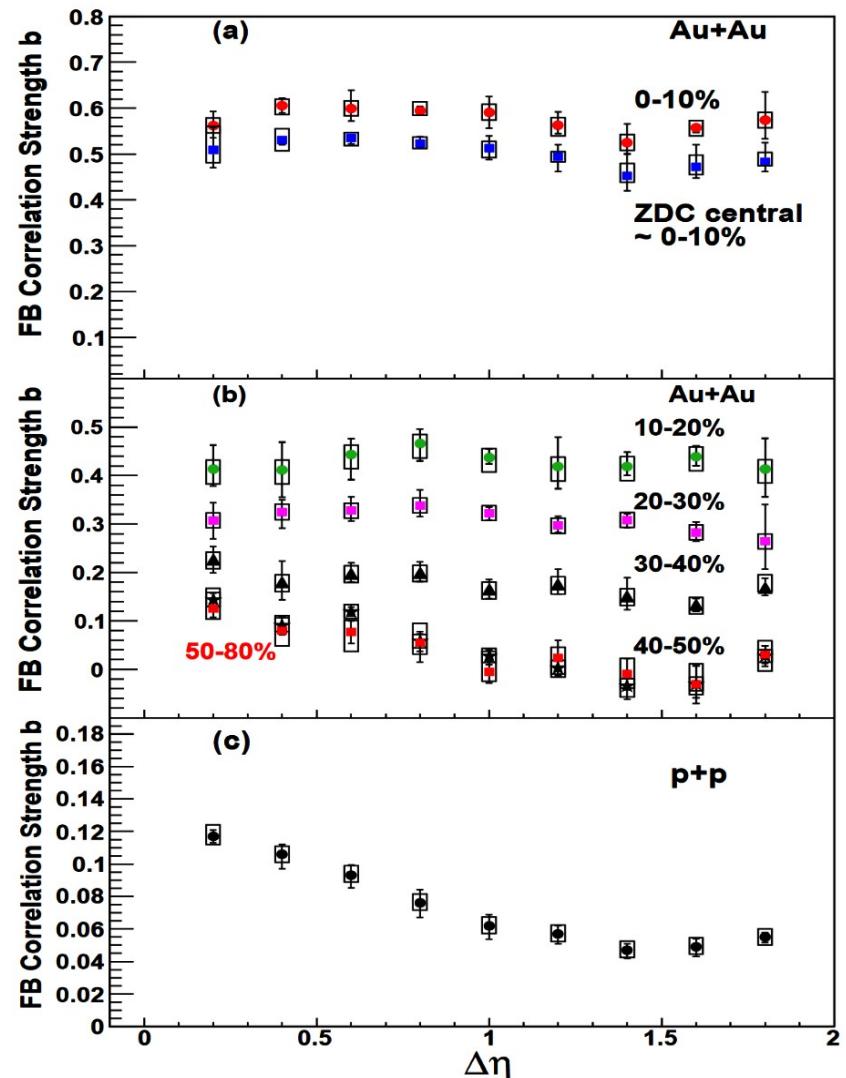
The Analysis: FB correlations



ALICE:



First results on FB correlation in ultrarelativistic heavy-ion collisions, STAR Collaboration



- Large values of b_{corr} for 10% (large) intervals of centrality classes,
- b_{cor} in central AA collisions $>$ pp
- Evident dependence on centrality estimator.

STAR Collaboration, Phys.Rev.Lett. 103 (2009) 172301

The Analysis: FB correlations



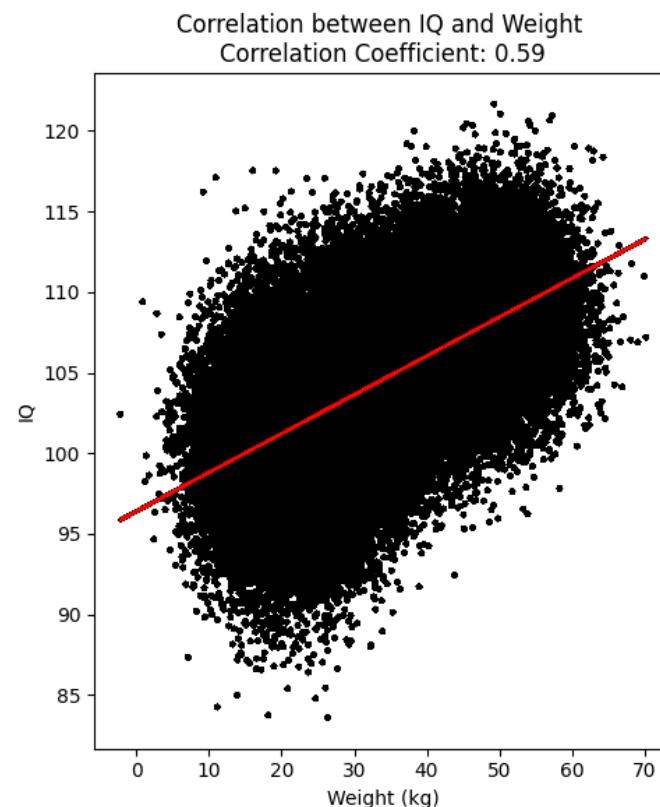
Schoolchildren

W. Krzanowski, Principles of Multivariate Analysis,
Oxford U. Press, 2000

$$b_{\text{corr}}(\text{weight}, \text{IQ}) \approx 0.6$$



Large correlations



The Analysis: FB correlations



Schoolchildren

W. Krzanowski, Principles of Multivariate Analysis,
Oxford U. Press, 2000

$$b_{\text{corr}}(\text{weight}, \text{IQ}) \approx 0.6$$

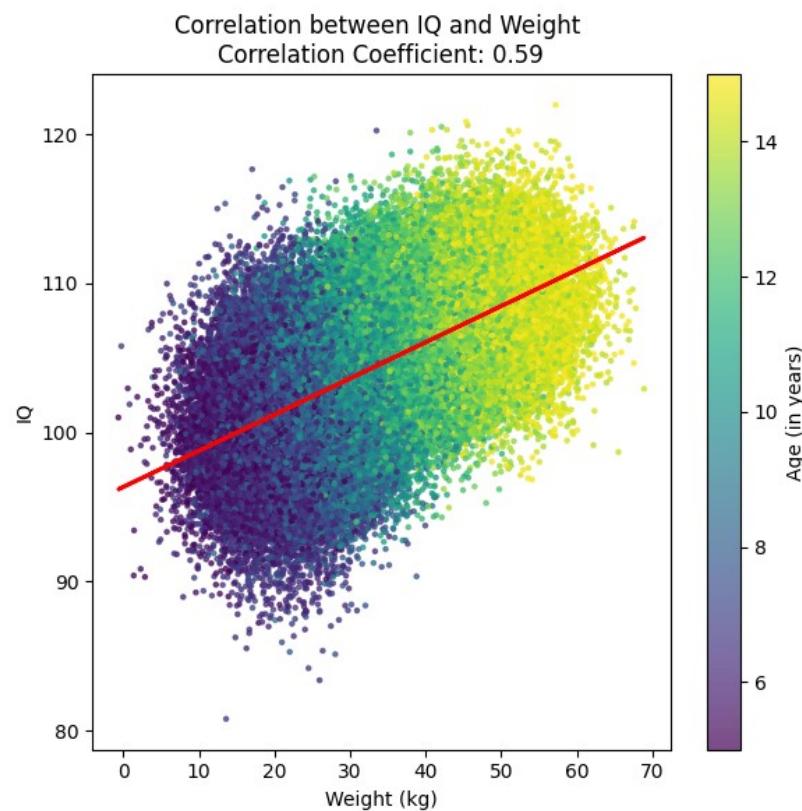


age fluctuation

Large correlations



Spurious effect of external variable
leads to absurd conclusions!



The Analysis: FB correlations



Schoolchildren

W. Krzanowski, Principles of Multivariate Analysis,
Oxford U. Press, 2000

$$b_{\text{corr}}(\text{weight, IQ}) \approx 0.6$$

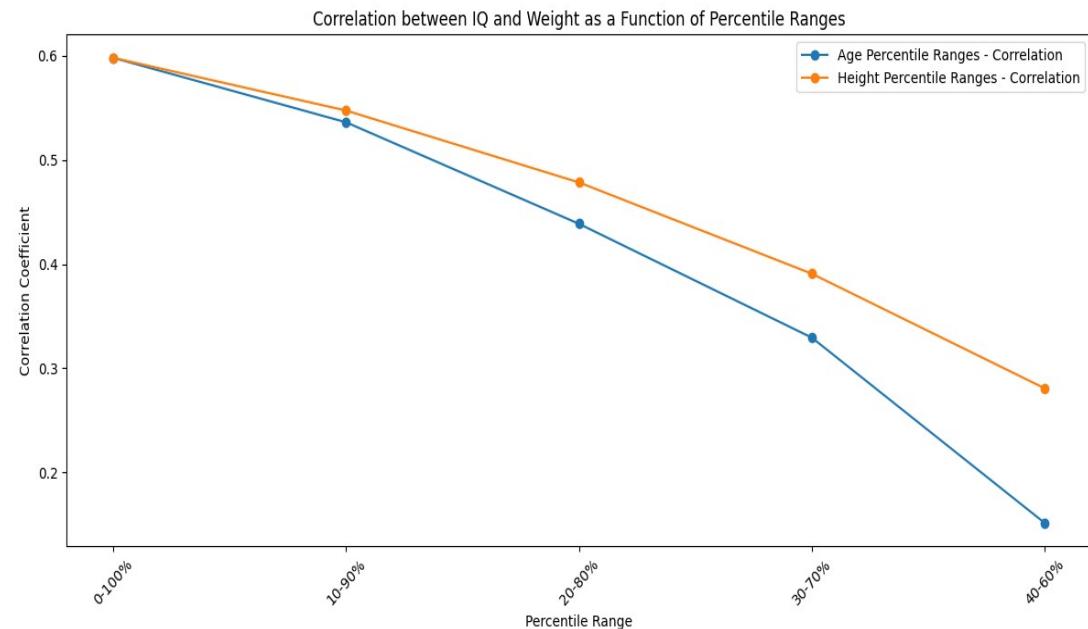


age fluctuation

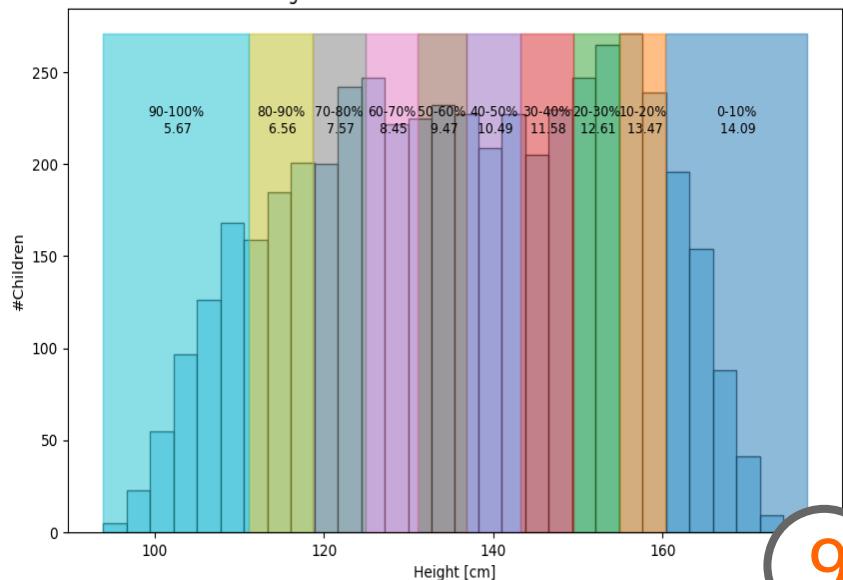
Large correlations



strict age selection



Height Distribution of Children with Percentiles



The Analysis: FB correlations



Schoolchildren

W. Krzanowski, Principles of Multivariate Analysis,
Oxford U. Press, 2000

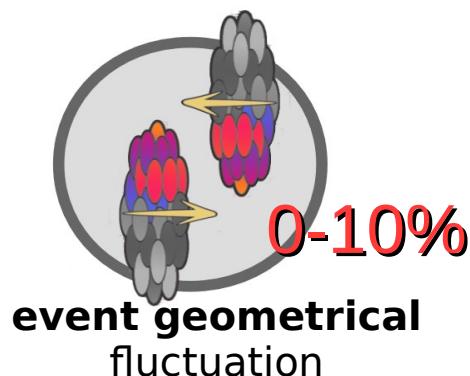
$$b_{\text{corr}}(\text{weight}, \text{IQ}) \approx 0.6$$



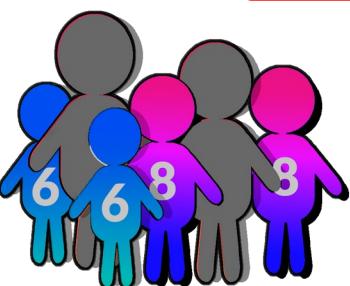
Heavy-ion collisions

sample of most central
Pb--Pb events

$$b_{\text{corr}}(nF, nB) \approx 0.8$$



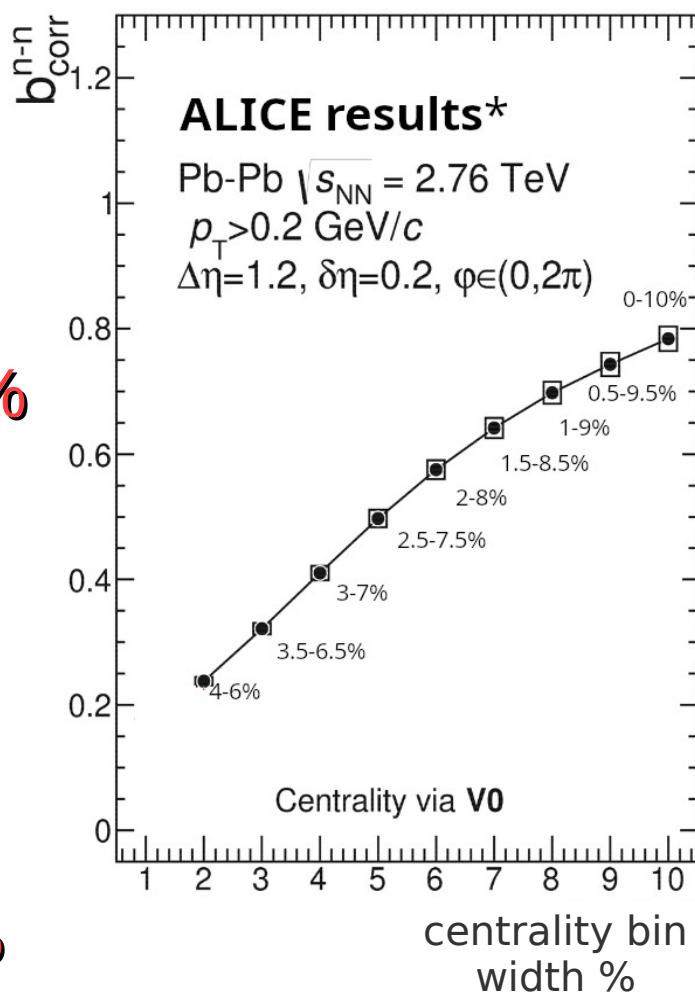
Large correlations



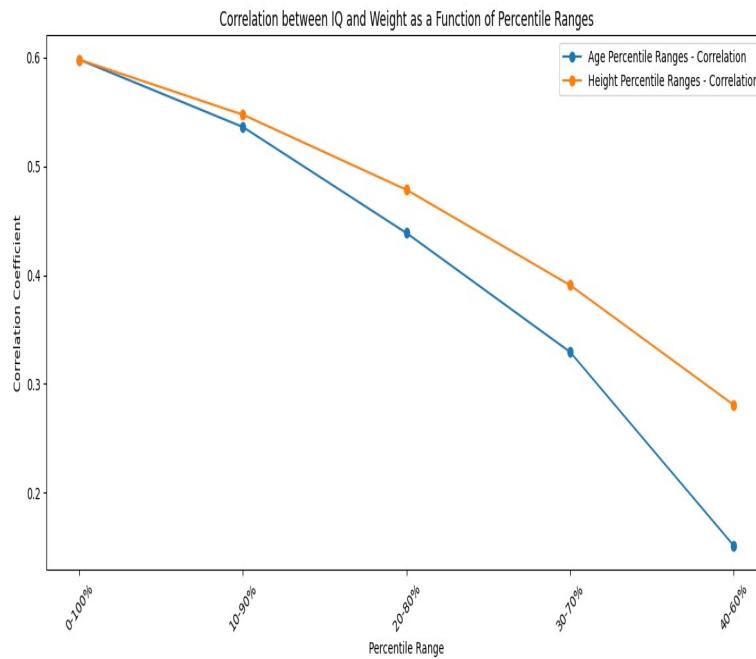
strict age selection

narrow centrality
classes

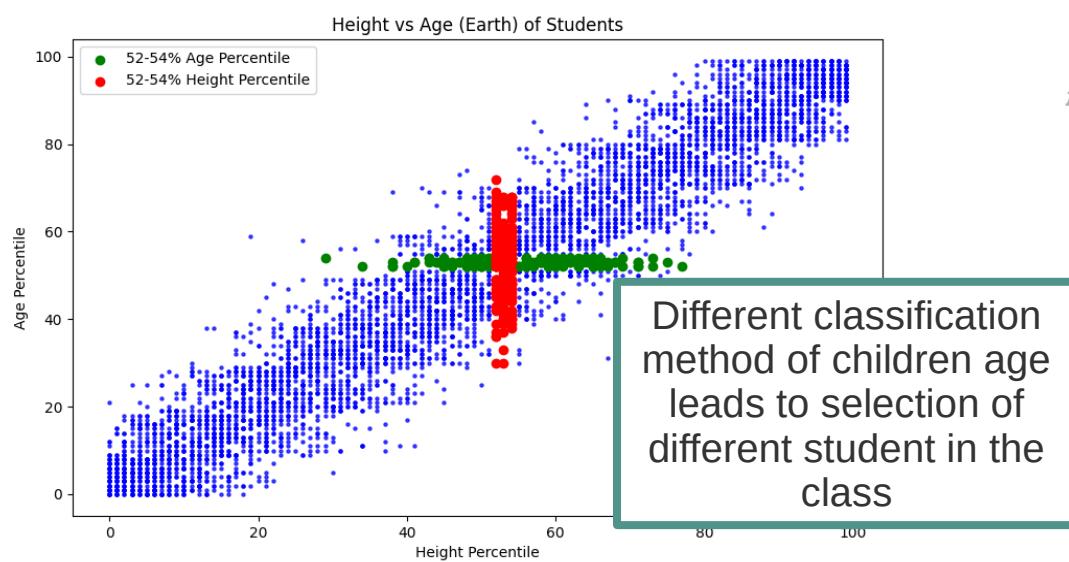
*redrawn from
I.Sputowska. [ALICE], MDPI Proc. 10 (2019) 1, 1
DOI: 10.3390/proceedings2019010014



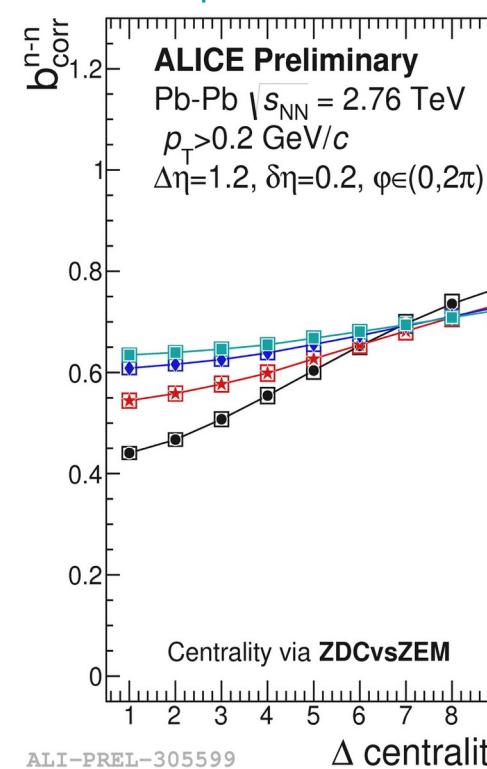
The Analysis: FB correlations



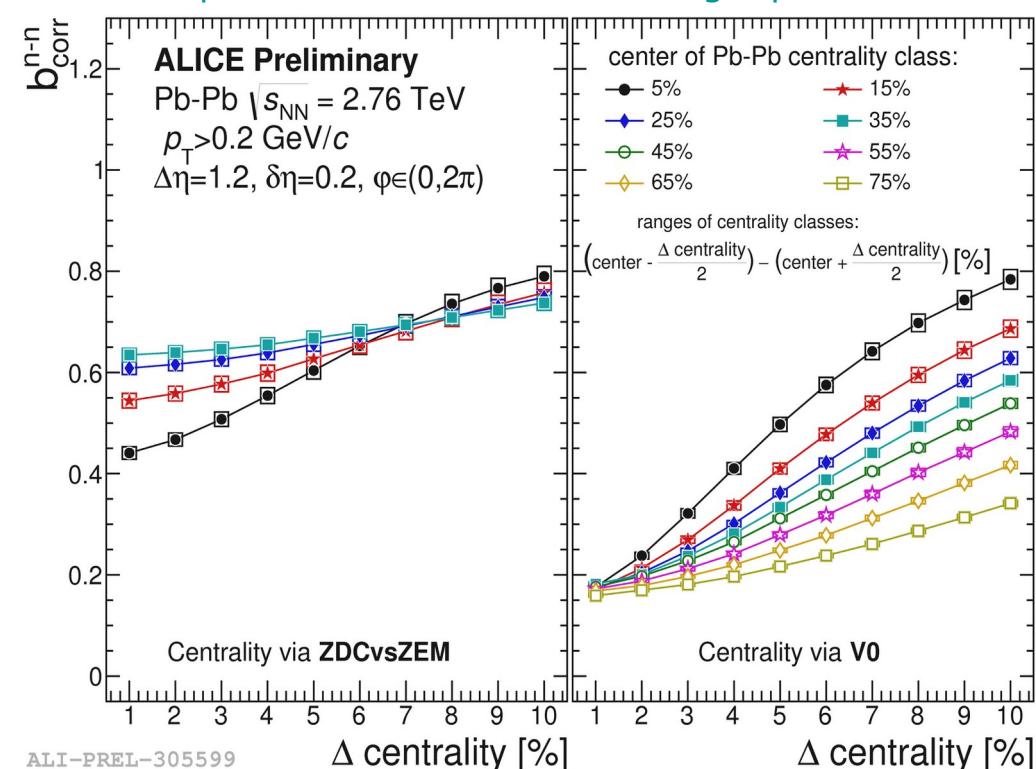
How to explain dependence on centrality estimator?



Centrality estimator:
spectators in ZDC



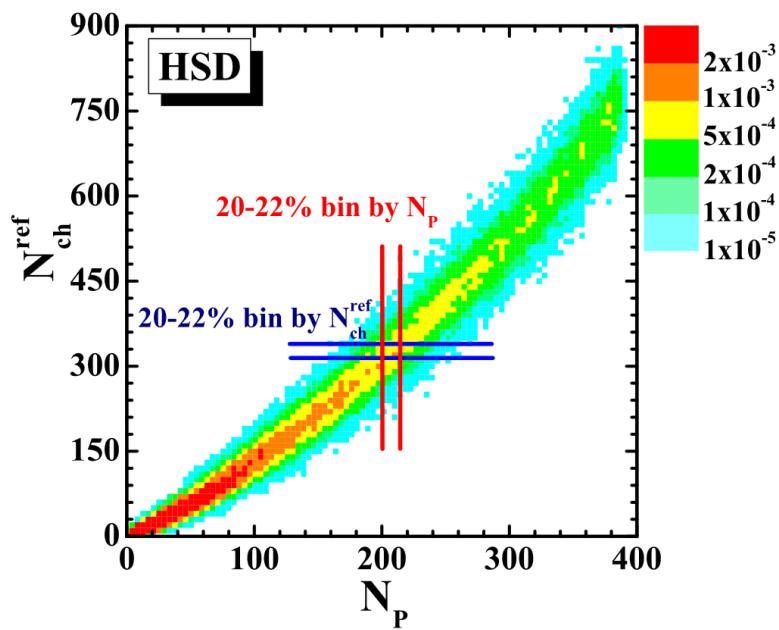
Centrality estimator:
charged particles in V0



increase of volume fluctuations

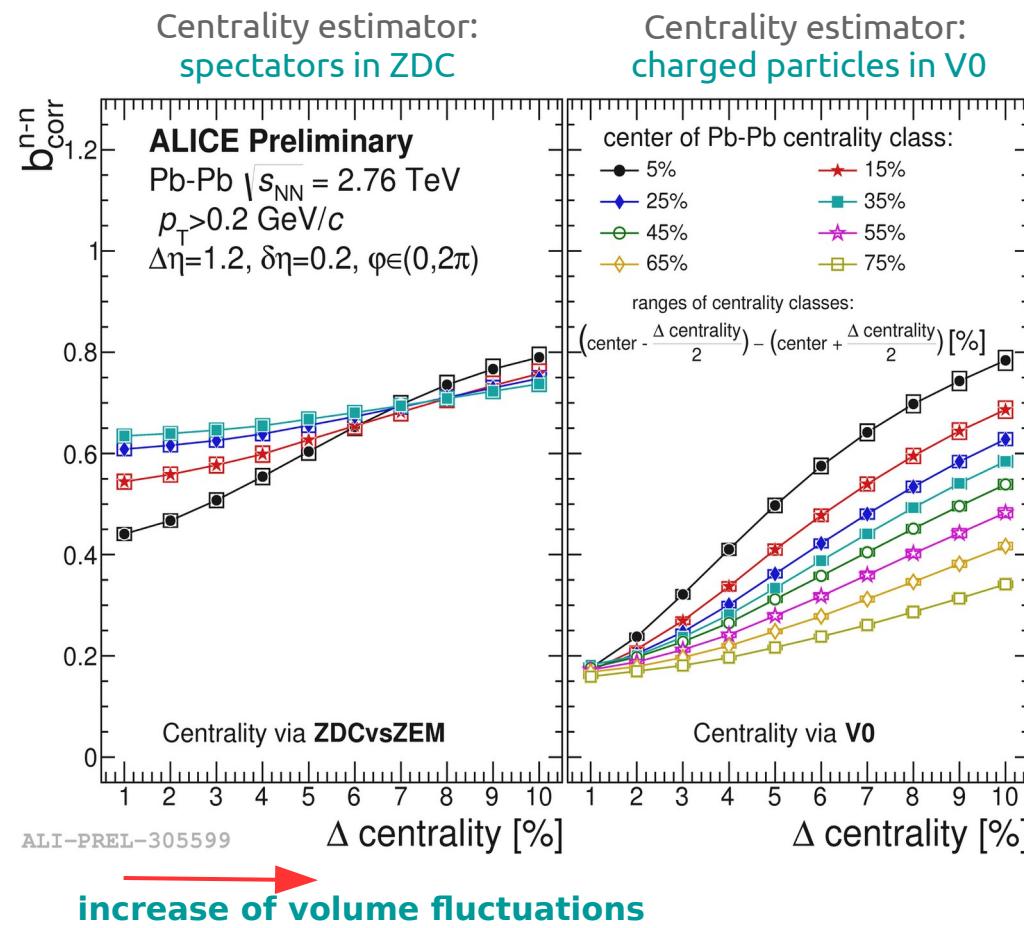
- Dependence on centrality estimator;
- Drop of the value of b_{corr} (**reduced volume fluctuations**).

The Analysis: FB correlations



How to explain dependence on centrality estimator?

- Different centrality selection methods lead to varying in events entering the data samples.
- More evident for narrow centrality class.
- Also different events in data sample → different contribution form volume fluctuations



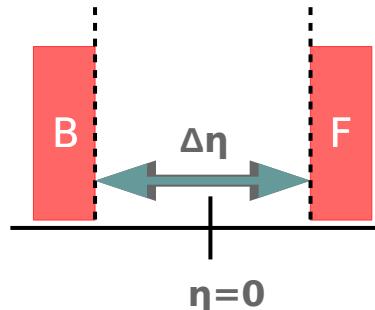
- Dependence on centrality estimator;
- Drop of the value of b_{corr} (**reduced volume fluctuations**).

Introduction: FB correlations with strongly intensive quantity Σ

- **Strongly intensive quantities** do not depend on system volume nor system volume fluctuations.

Gaździcki, Gorenstein, Phys.Rev. C84 (2011) 014904

STRONGLY INTENSIVE QUANTITY Σ :



$$\Sigma = \frac{\langle n_F \rangle \omega_B + \langle n_B \rangle \omega_F - 2\text{Cov}(n_F, n_B)}{\langle n_F \rangle + \langle n_B \rangle},$$

where ω is scaled variance:
 $\omega = \text{Var}(n)/\langle n \rangle$

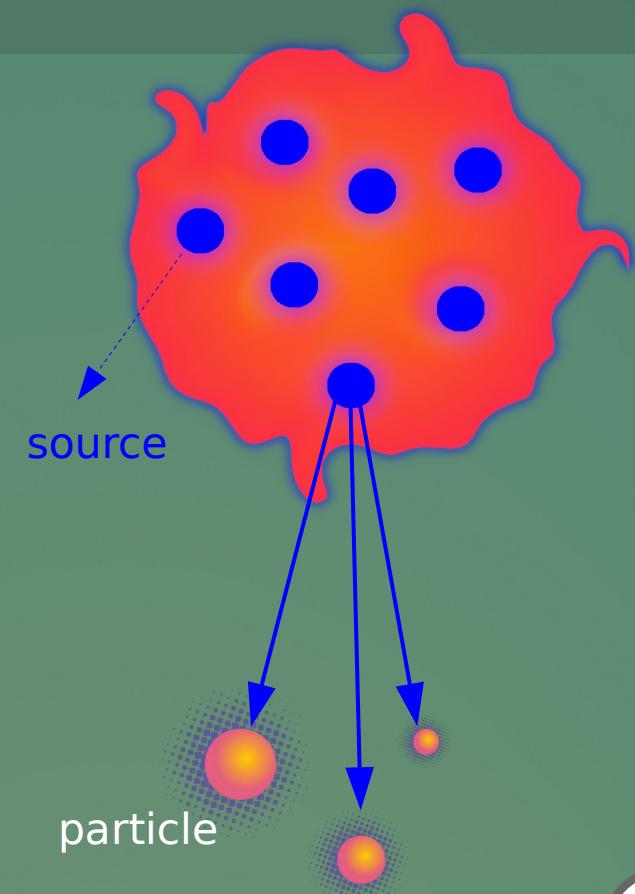
- For a symmetric collision $\omega_B = \omega_F$ and $\langle n_F \rangle = \langle n_B \rangle$,

$$\Sigma \approx \omega(1 - b_{\text{corr}}).$$

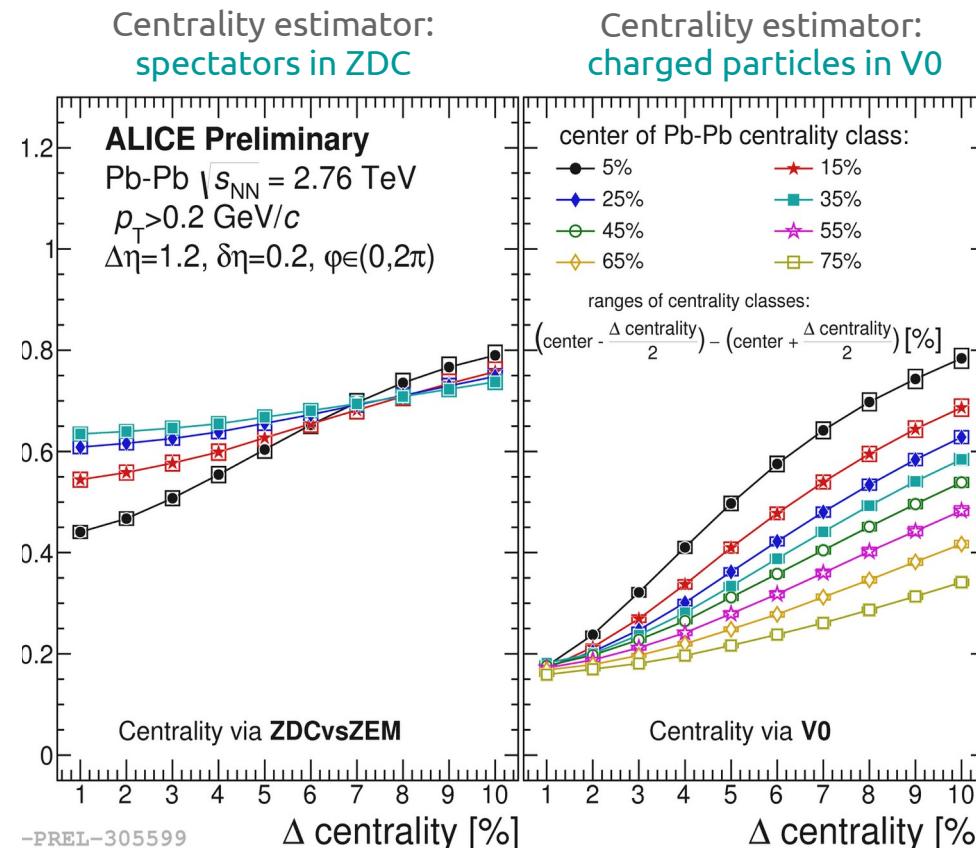
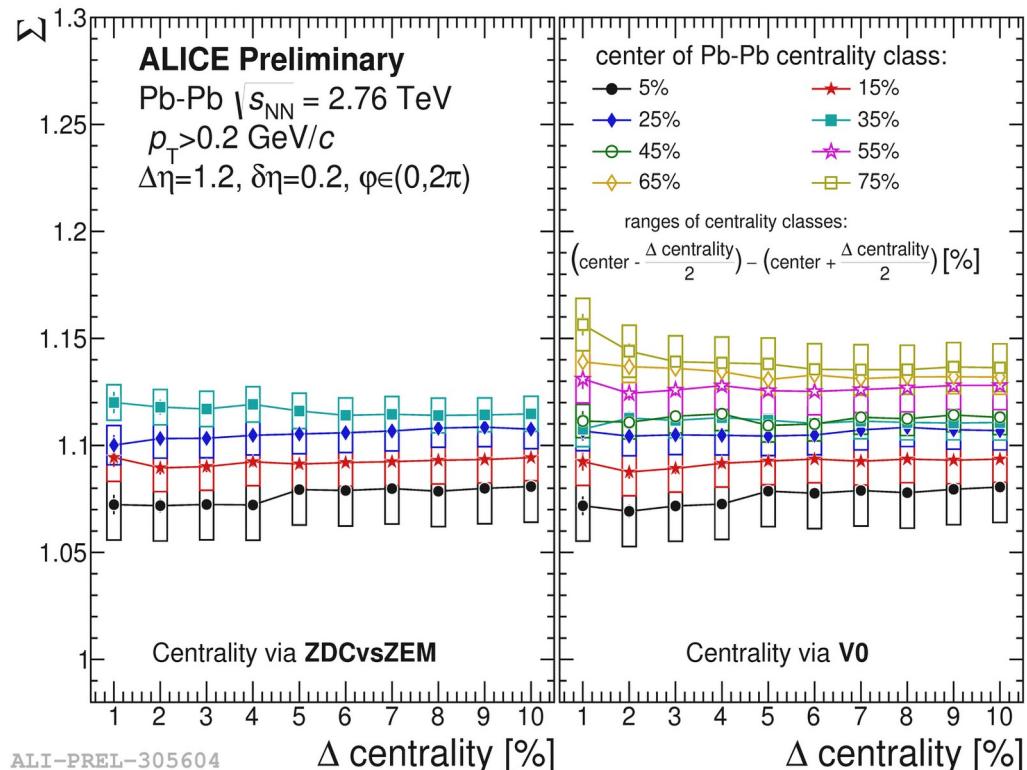
For Poisson distribution: $\omega=1$ & $b_{\text{corr}}=0 \rightarrow \Sigma=1$

Independent source model:

$\Sigma \rightarrow$ gives direct information about characteristics of **single source distribution!**



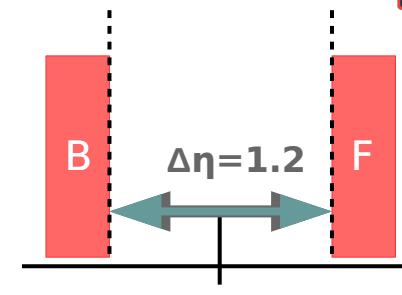
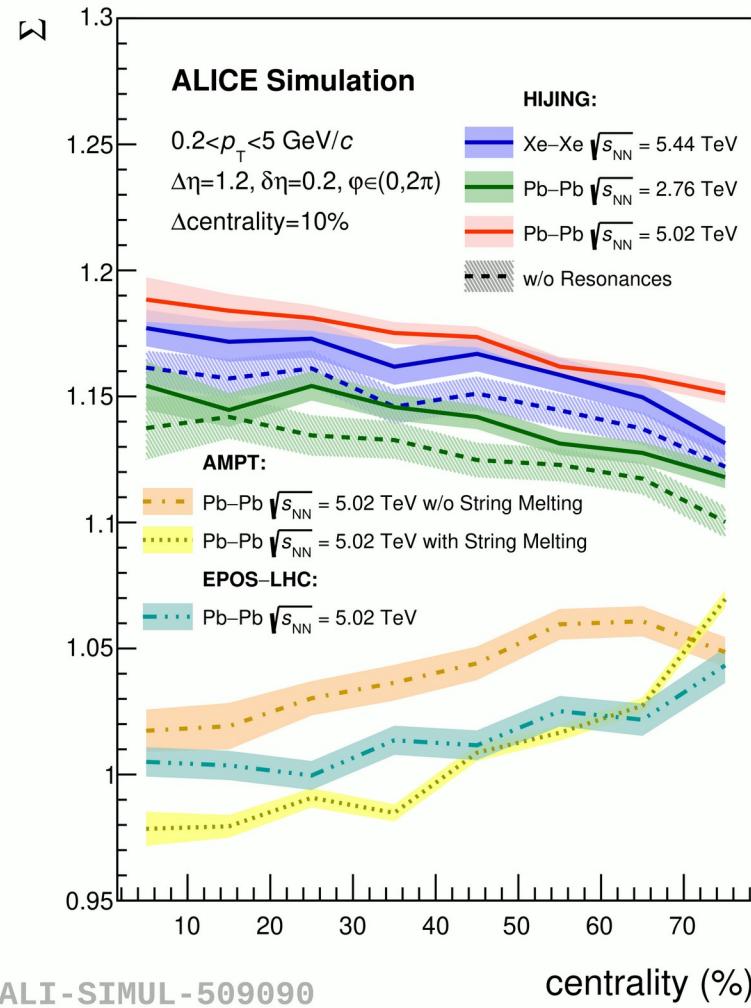
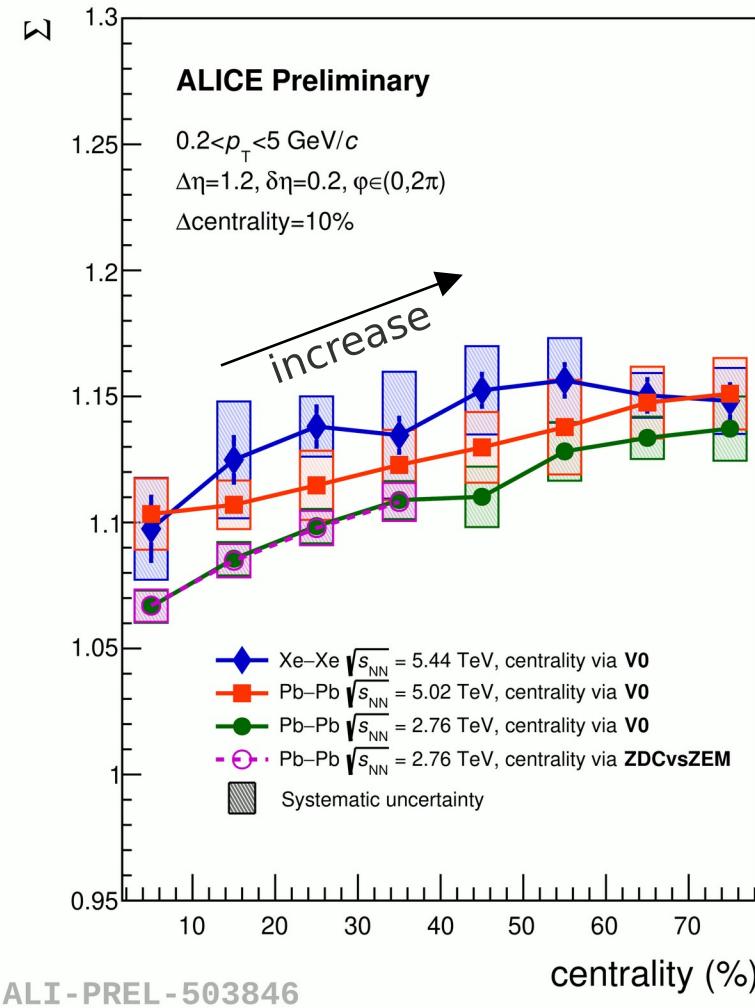
The Analysis: FB correlations



increase of volume fluctuations

- Dependence on centrality estimator;
 - Drop of the value of b_{corr} (**reduced volume fluctuations**).

Results: Σ as a function of centrality



- Σ increases with energy;
- Σ increases with decreasing centrality in experimental data

contrary behavior noted for MC HIJING results.

- MC AMPT and MC EPOS reproduce dependence on centrality qualitatively but not quantitatively.
- From results for MC AMPT it is evident that Σ is sensitive to the mechanism of particle production.