**Esercizio 1.** The language contains only the binary relations < and e. The theory  $T_0$  says that < is a strict linear order and that e is an equivalence relation. Let  $\mathcal M$  consists of models of  $T_0$  and partial isomorphisms. Do rich models exist? Can we axiomatize their theory? If so, does it have elimination of quantifiers? Is it  $\lambda$ -categorical for some  $\lambda$ ?

**Esercizio 2.** Let  $T_0$  and  $\mathfrak{M}$  be as in Example 7.15 except that we restrict the language to the relations  $r_0, \ldots, r_n$  for a fixed n. Do  $\omega$ -rich models of  $T_0$  exist? If so, let  $T_1$  be the set of sentences that hold in all rich model. Does  $T_1$  has elimination of quantifiers? Is  $T_1$   $\omega$ -categorical? Answer the question above if we add to the language a constant 0 ? (Risponedre sinteticamente.)