



Bayesian Data Analysis for REACH

2nd Global 21cm Workshop 2019

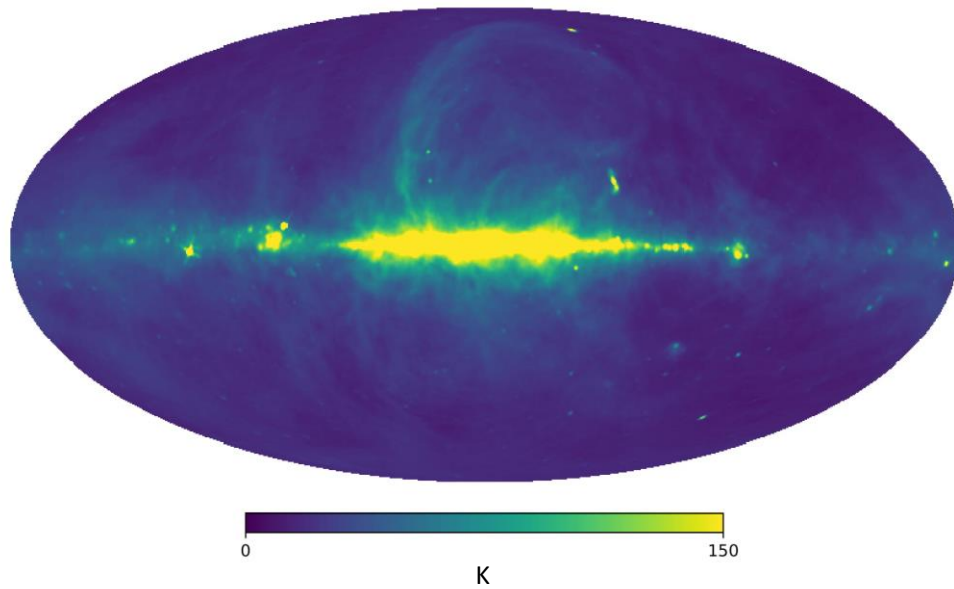
Dominic Anstey
PhD Student

Bayesian Analysis

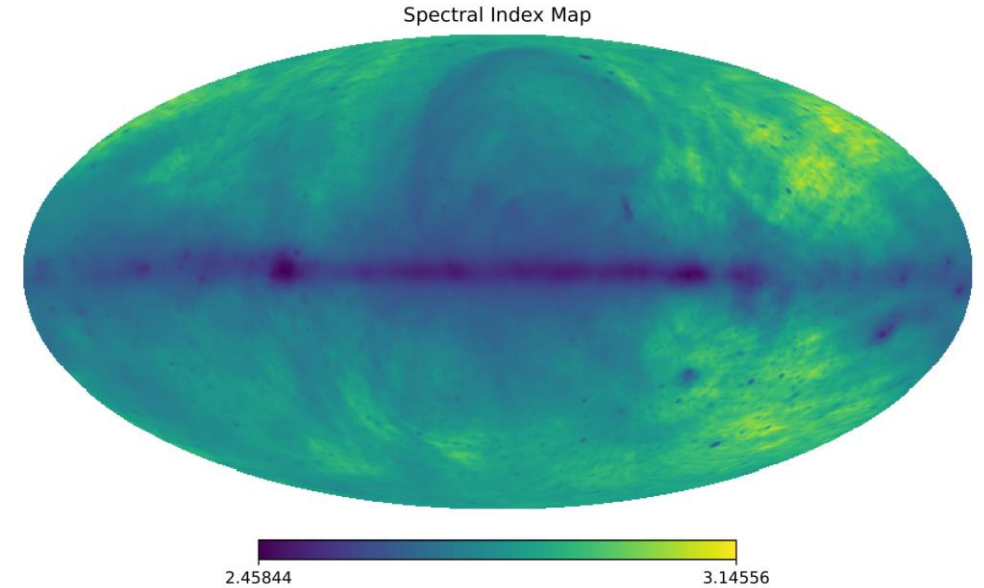
PolyChord – Bayesian Nested Sampling Algorithm (Handley, Hobson & Lasenby 2015)

- Model comparison through Bayesian Evidence
- Ranking parameter evaluation speeds

Varying B sky model

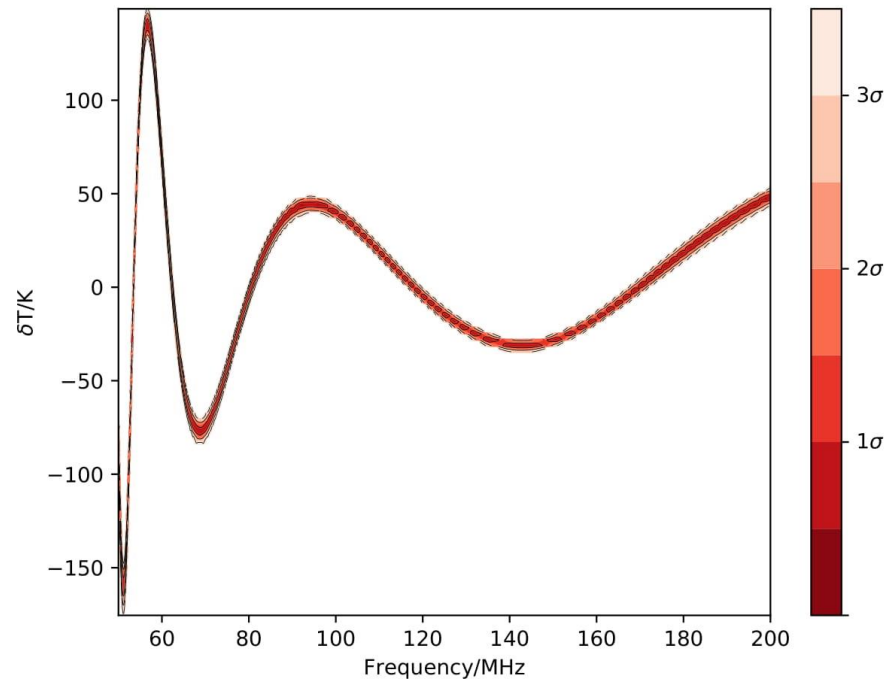


$$\ln(T_{foreground}(v)) = \sum_{i=0}^4 a_i \left(\ln \left(\frac{v}{v_0} \right) \right)^i$$

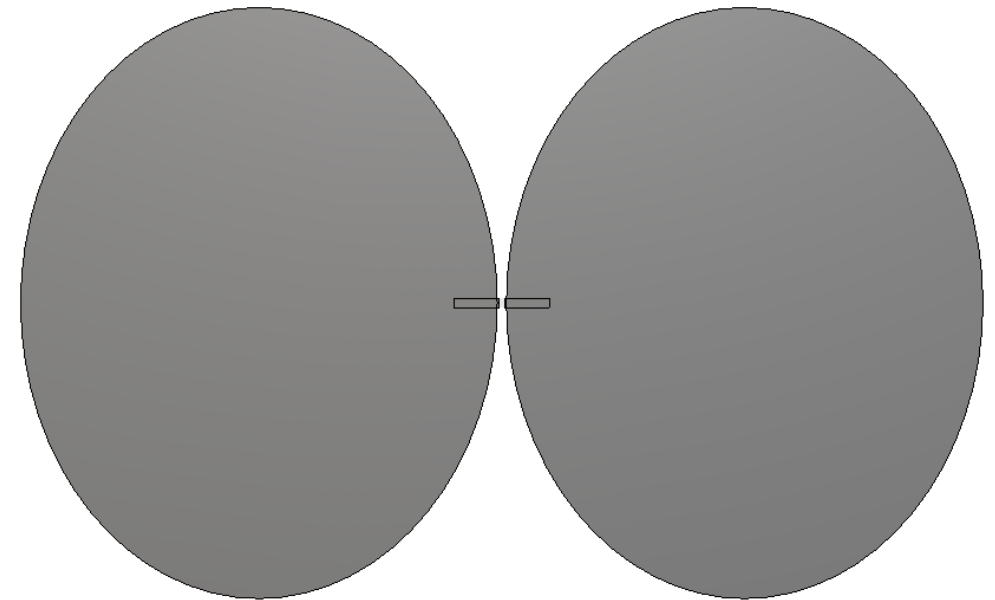


- Remazeilles et al. 2015
- de Oliveira-Costa et al 2008

Elliptical Dipole Antenna

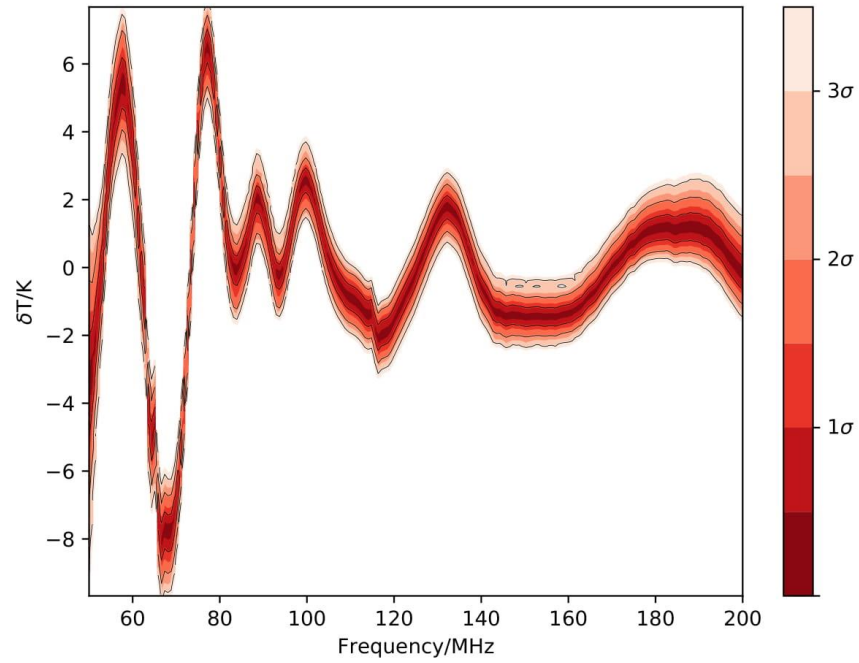


Antenna designs not finalised



Antenna patterns and images provided by
John Cumner and Quentin Gueuning

Log Spiral Antenna



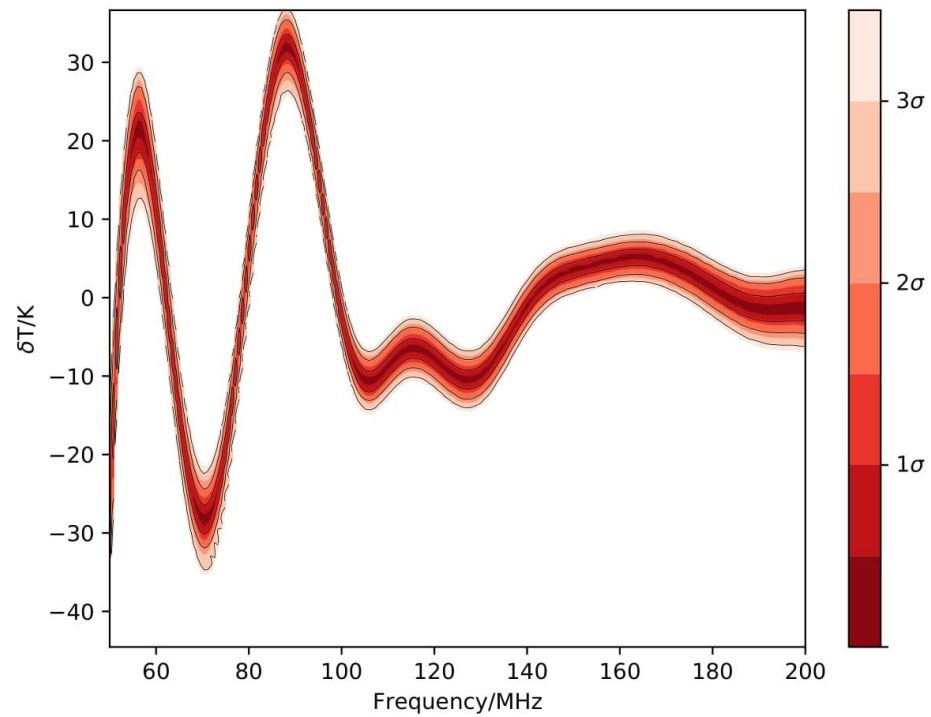
Antenna designs not finalised



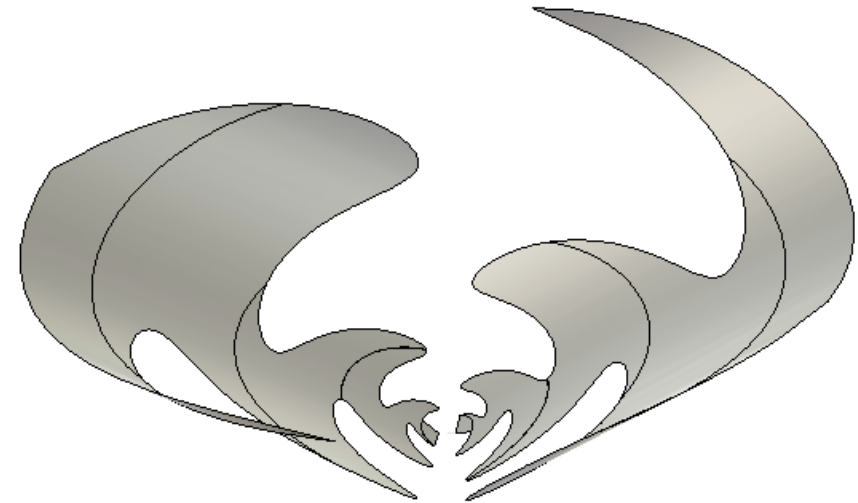
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Anstey et al. 2019, in prep.

Conical Sinuous Antenna



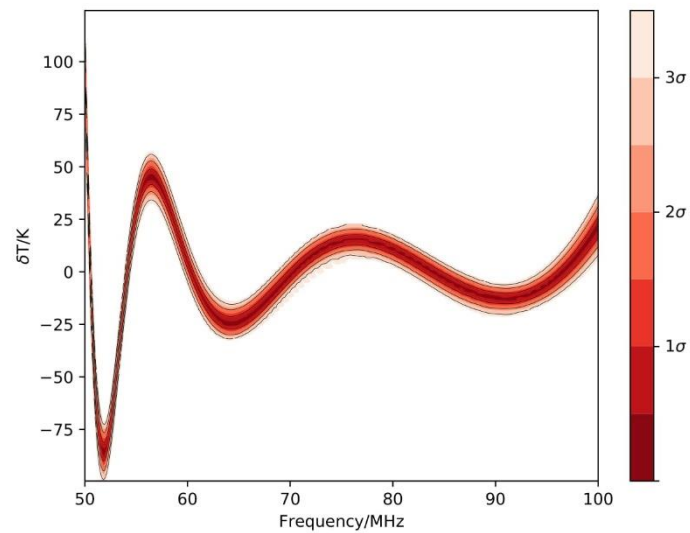
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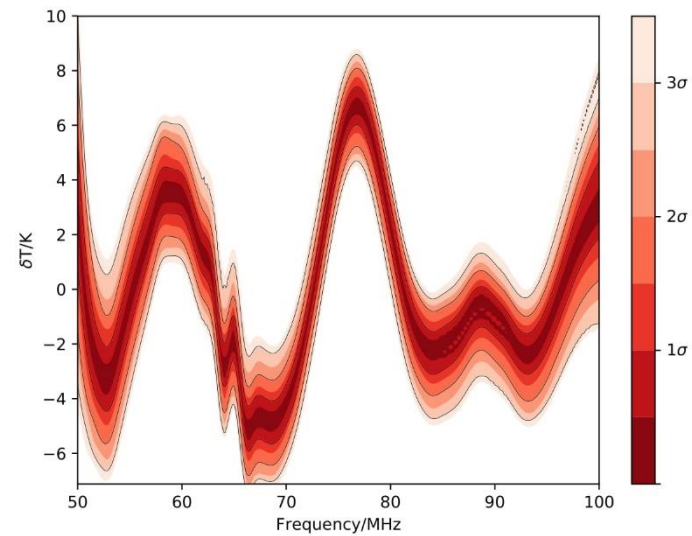
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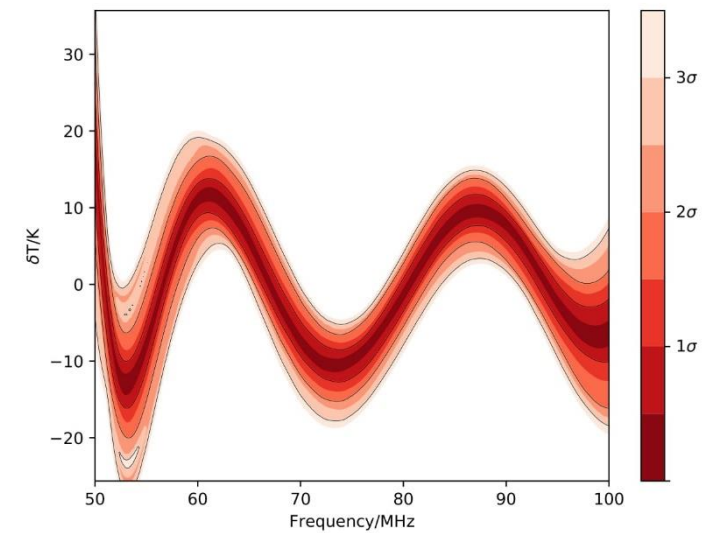
Narrow Frequency Band



Elliptical Dipole



Log Spiral

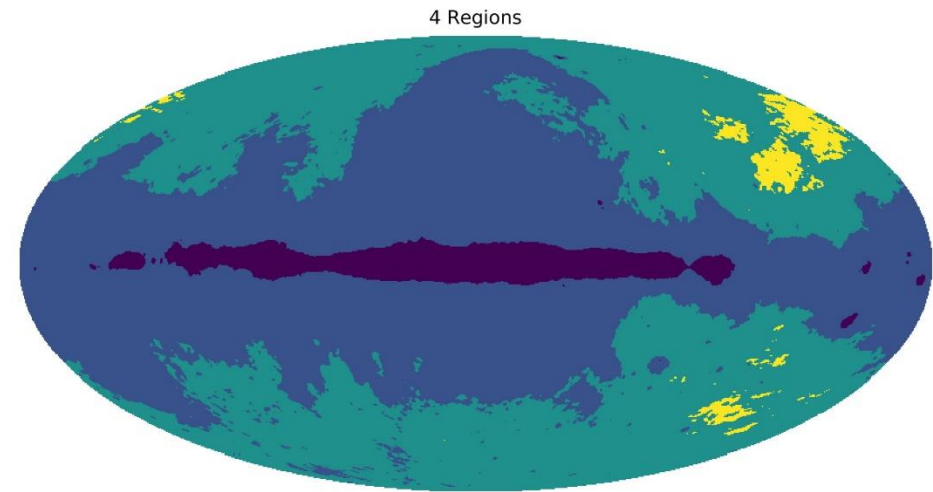
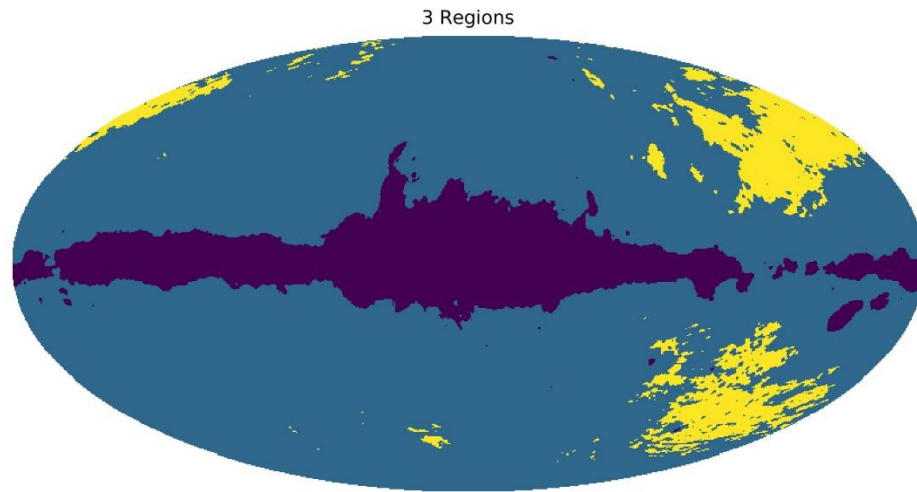


Conical Sinuous

General Modelling Protocol

- Generate a parameterised model of the entire sky across the whole frequency range
- Generate a parameterised model of the antenna pattern
- Fit a foreground model of the convolution of the pattern model with the sky model

Sky Division



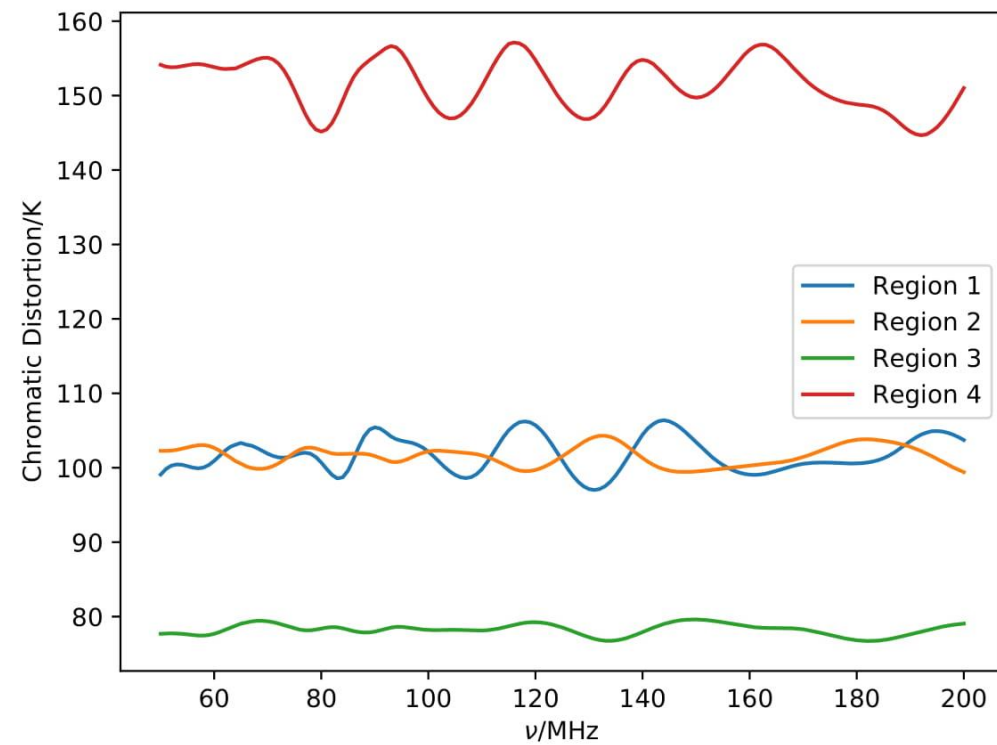
Anstey et al. 2019, in prep.

Foreground Model Function

$$K_i(\nu) = \frac{1}{4\pi} \int_{sky} G(\theta, \varphi, \nu) M_i(\theta, \varphi) \int_{time} [T_{base}(\theta, \varphi) - T_{CMB}] dt d\Omega$$

$$T_{foreground}(\nu) = A \sum_{i=1}^N K_i(\nu) \left(\frac{\nu}{\nu_{base}} \right)^{-\left(B_i + C_i \ln\left(\frac{\nu}{\nu_0} \right) \right)}$$

Chromatic Functions



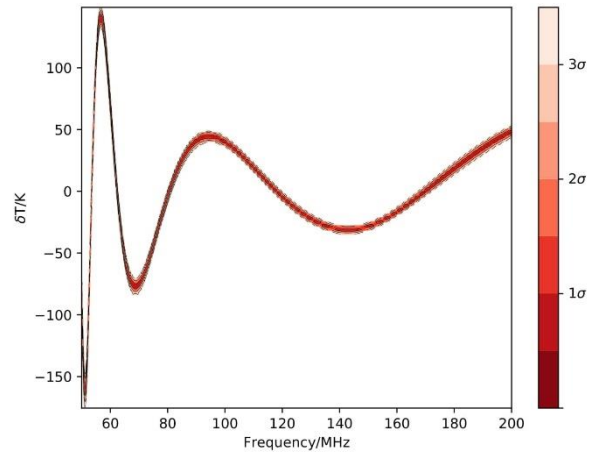
Anstey et al. 2019, in prep.

Foreground Model Function

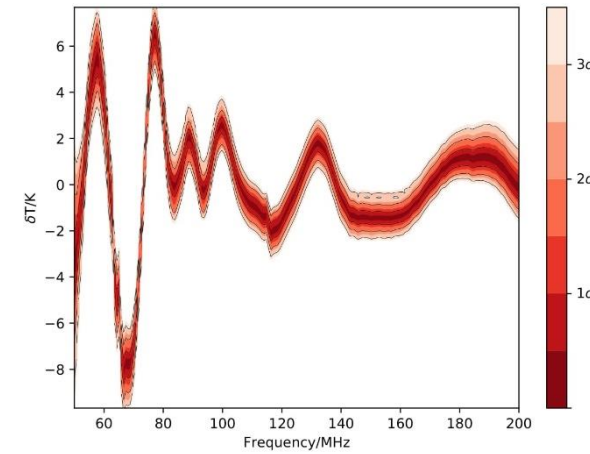
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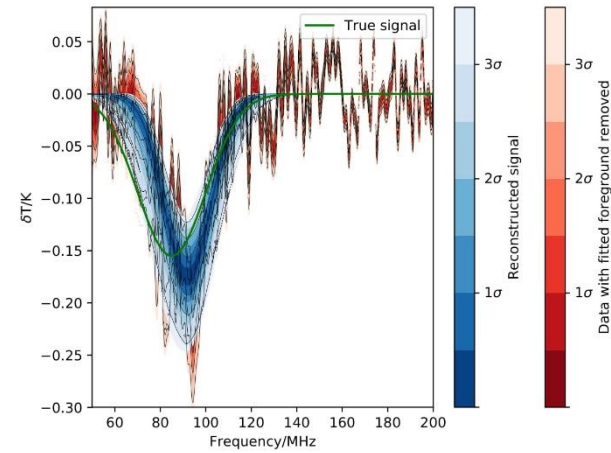
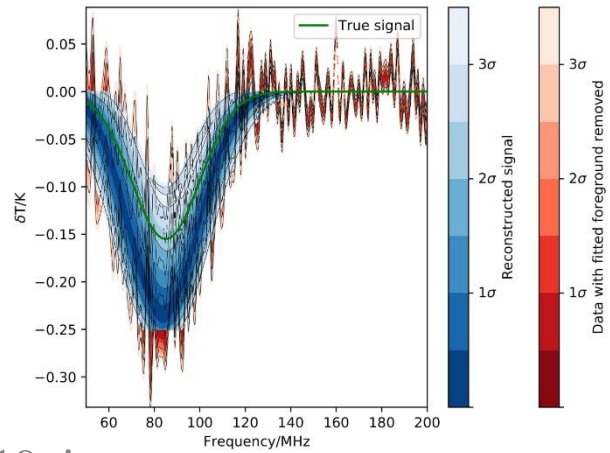
Results



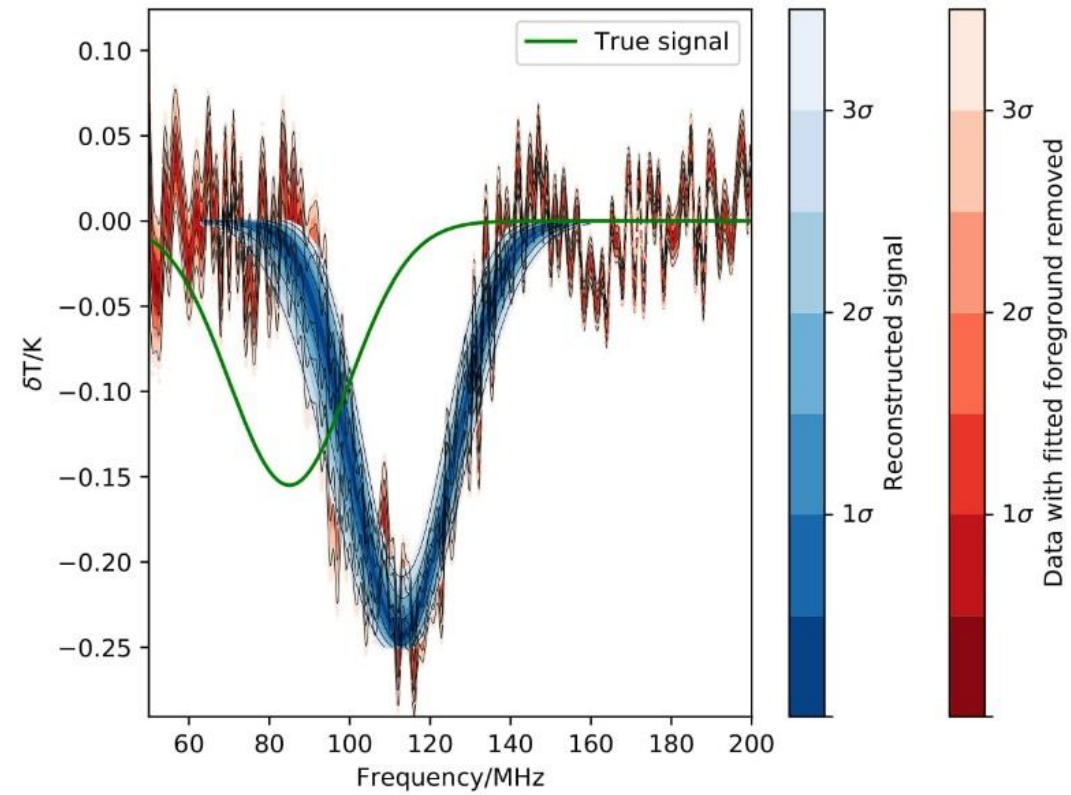
Elliptical Dipole



Log Spiral



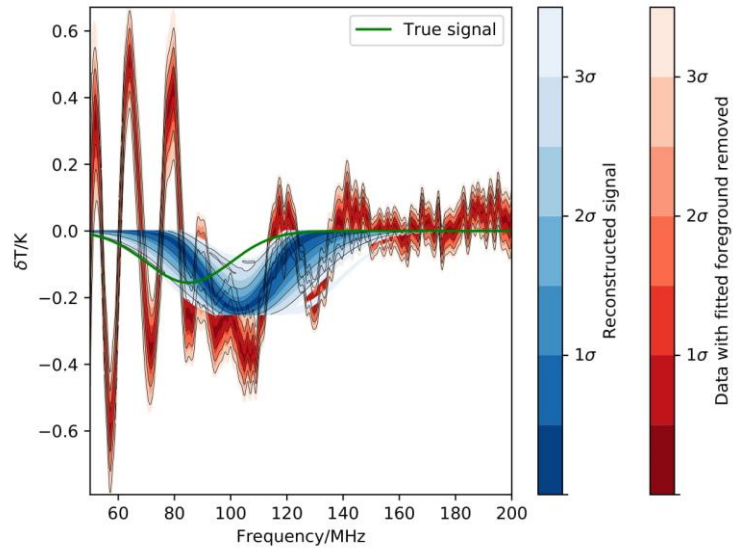
Inefficiencies



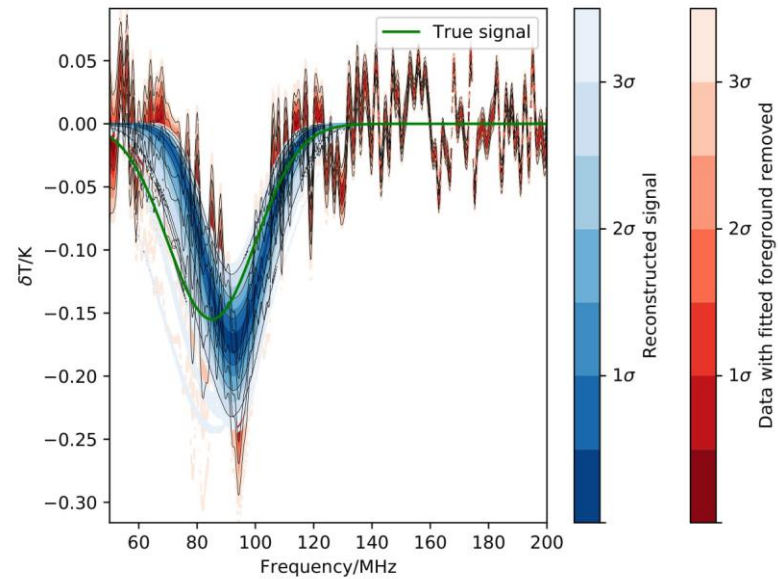
Conical Sinuous Antenna

Numbers of sky regions

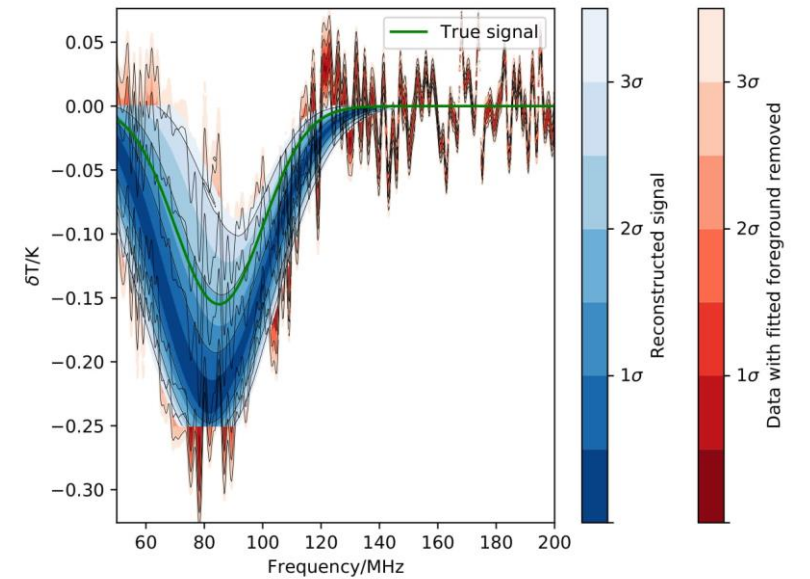
3 Regions



4 Regions



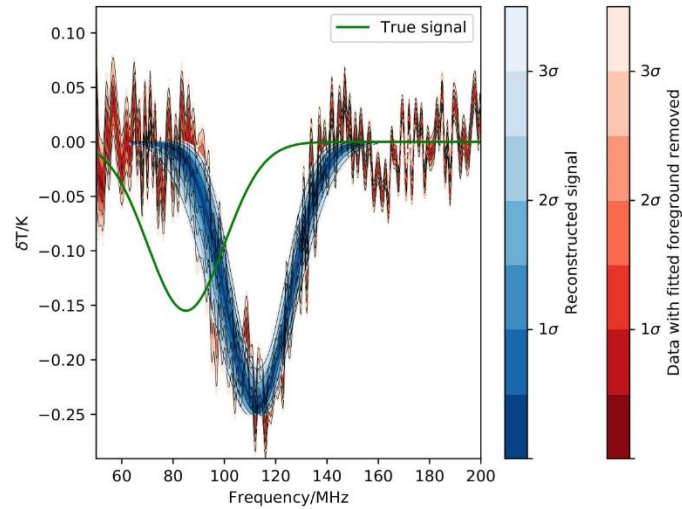
5 Regions



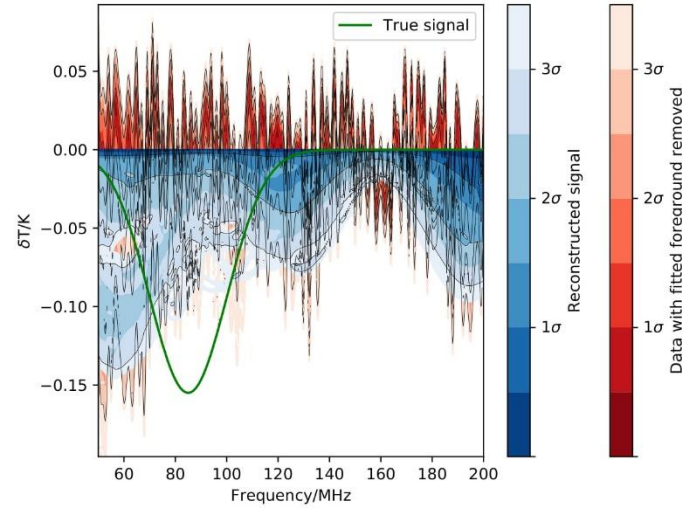
Log Spiral Antenna

Inefficiencies

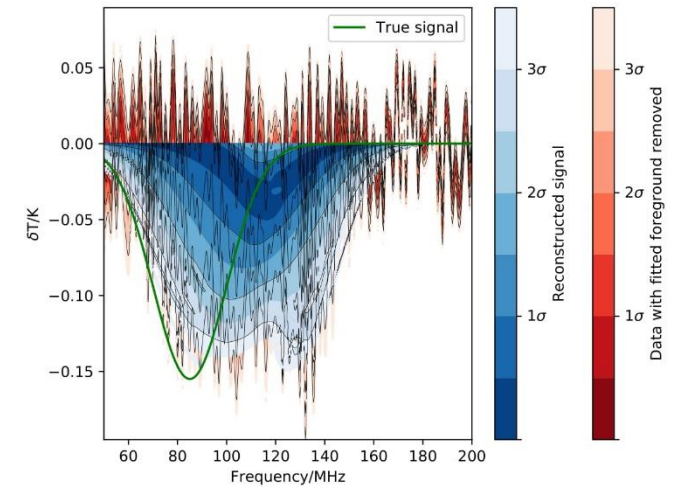
4 Regions



8 Regions



11 Regions



Conical Sinuous Antenna

Summary

- Even smooth, simple antennae produce enough chromatic distortion to conceal the 21cm signal when the spectral index varies
- The proposed method of fitting the foregrounds via modelling can correct for this distortion sufficiently for the 21cm signal to be identified, provided the antenna is quite smooth.
- Increasing the number of regions the sky model is divided into improves the quality of the chromaticity correction
- The distortion cannot be accurately modelled if too few regions are used

Acknowledgements

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Plots produced using fgivenx
tool: Handley, 2018

