Zadanie1Lab6

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```
%typeset_mode True
A = ([1, 2, -3], [1, 8, -4], [2, -3, -7])
b = (3, 8, 9)
c = (3, 2, -7)
P=InteractiveLPProblemStandardForm(A,b,c,["x1","x2","x3"])
view (P)
D=P.initial_dictionary()
view(D)
    \max 3x_1 + 2x_2 - 7x_3
          x_1 + 2x_2 - 3x_3 \le 3
         x_1 + 8x_2 - 4x_3 \le 8
         2x_1 - 3x_2 - 7x_3 \le 9
   x_1, x_2, x_3 \ge 0
   x_4 = 3 - x_1 - 2x_2 + 3x_3
   x_5 = 8 - x_1 - 8x_2 + 4x_3
   x_6 = 9 - 2x_1 + 3x_2 + 7x_3
   z = 0 + 3x_1 + 2x_2 - 7x_3
print "D jest dopuszczalne: "+ str(D.is_feasible())
print "D jest optymalne: " + str(D.is_optimal())
D jest dopuszczalne: True
D jest optymalne: False
print D. possible_entering()
[x1, x2]
D. enter ("x1")
print D. possible_leaving()
[x4]
```

D. leave ("x4")

D. update()

view(D)

$$x_1 = 3 - x_4 - 2x_2 + 3x_3$$

$$x_5 = 5 + x_4 - 6x_2 + x_3$$

$$x_6 = 3 + 2x_4 + 7x_2 + x_3$$

$$z = 9 - 3x_4 - 4x_2 + 2x_3$$

print D. possible_entering()
[x3]

D. enter ("x3")

D. possible_leaving()
[]

P.run_simplex_method()

$$x_4 = 3 - x_1 - 2x_2 + 3x_3$$

$$x_5 = 8 - x_1 - 8x_2 + 4x_3$$

$$x_6 = 9 - 2x_1 + 3x_2 + 7x_3$$

$$z = 0 + 3x_1 + 2x_2 - 7x_3$$

Entering: x_1 . Leaving: x_4 .

$$x_1 = 3 - x_4 - 2x_2 + 3x_3$$

$$x_5 = 5 + x_4 - 6x_2 + x_3$$

$$x_6 = 3 + 2x_4 + 7x_2 + x_3$$

$$z = 9 - 3x_4 - 4x_2 + 2x_3$$

The problem is unbounded in x_3 direction.