

# Typst Math for Undergrads

This is a Typst port of *ℳ<sub>T</sub>X Math for Undergrads* by Jim Hefferon. The original version is available at <https://gitlab.com/jim.hefferon/undergradmath>.

## Meaning of annotations

2023-03-31 ✗ This is unavailable. Last check date is 2023-03-31.

🌀 Get this in a tricky way. Need a simpler method.

No idea 😞 Don't know how to get this.

**Rule One** Any mathematics at all, even a single character, gets a mathematical setting. Thus, for “the value of  $x$  is 7” enter the value of  $\$x\$$  is  $\$7\$$ .

**Template** Your document should contain at least this.

```
-- document body here --
```

## Common constructs

$x^2$  `x^2`       $\sqrt{2}$ ,  $\sqrt[3]{3}$  `sqrt(2)`, `root(n, 3)`  
 $x_{i,j}$  `x_(i, j)`       $\frac{2}{3}$ ,  $2/3$  `2 / 3`,  $2 \setminus 3$  or  $2 \text{ slash } 3$

**Calligraphic letters** Use as in `\cal(A)`.

*A B C D E F G H I J K L M N O P Q R S T U V W X Y Z*

Getting script letters is 2023-03-31 ✗.

## Greek

$\alpha$ alpha	$\xi$ , $\Xi$ xi, Xi
$\beta$ beta	$\omicron$ omicron
$\gamma$ , $\Gamma$ gamma, Gamma	$\pi$ , $\Pi$ pi, Pi
$\delta$ , $\Delta$ delta, Delta	$\varpi$ pi.alt
$\epsilon$ epsilon.alt	$\rho$ rho
$\varepsilon$ epsilon	$\varrho$ rho.alt
$\zeta$ zeta	$\sigma$ , $\Sigma$ sigma, Sigma
$\eta$ eta	$\varsigma$ \u{03C2} 🌀
$\theta$ , $\Theta$ theta, Theta	$\tau$ tau
$\vartheta$ theta.alt	$\upsilon$ , $\Upsilon$ upsilon, Upsilon
$\iota$ iota	$\phi$ , $\Phi$ phi.alt, Phi
$\kappa$ K	$\varphi$ phi
$\lambda$ , $\Lambda$ lambda, Lambda	$\chi$ chi
$\mu$ mu	$\psi$ , $\Psi$ psi, Psi
$\nu$ nu	$\omega$ , $\Omega$ omega, Omega

## Sets and logic

$\cup$ union	$\mathbb{R}$ RR, bb(R)	$\forall$ forall
$\cap$ sect	$\mathbb{Z}$ ZZ, bb(Z)	$\exists$ exists
$\subset$ subset	$\mathbb{Q}$ QQ, bb(Q)	$\neg$ not
$\subseteq$ subset.eq	$\mathbb{N}$ NN, bb(N)	$\vee$ or
$\supset$ supset	$\mathbb{C}$ CC, bb(C)	$\wedge$ and
$\supseteq$ supset.eq	$\varnothing$ diameter	$\vdash$ tack.r
$\in$ in	$\emptyset$ nothing	$\models$ models
$\notin$ in.not	$\aleph$ alef	$\setminus$ without

Negate an operator, as in  $\not\subset$ , with `subset.not`. Get the set complement  $A^c$  with `A^(sans(c))` (or  $A^{\complement}$  with `A^(complement)`, or  $\overline{A}$  with `overline(A)`).

**Remark** Using `diameter` for `\varnothing` may cause some confusion. However,  $\mathbb{E}\mathbb{T}\mathbb{X}$  also uses  $\varnothing$  (`\u{2300}`) instead of  $\emptyset$  (`\u{2205}`), see [newcm §13.3](#). Another solution is to use `text(font: "Fira Sans", nothing)`, but the

resultant glyph  $\varnothing$  is subtly different from the widely used one. Ultimately, The choice is always **your decision**.

## Decorations

$f'$ <code>f'</code> , <code>f prime</code>	$\dot{a}$ <code>dot(a)</code>	$\tilde{a}$ <code>tilde(a)</code>
$f''$ <code>f prime.double</code>	$\ddot{a}$ <code>diaer(a)</code>	$\bar{a}$ <code>macron(a)</code>
$\Sigma^*$ <code>Sigma^*</code>	$\hat{a}$ <code>hat(a)</code>	$\vec{a}$ <code>arrow(a)</code>

If the decorated letter is  $i$  or  $j$  then some decorations need `\u{1D6A4}` 🌀 and `\u{1D6A5}` 🌀, as in  $\vec{i}$  with `arrow(\u{1D6A4})`. Some authors use boldface for vectors: `bold(x)`.

Entering `overline(x + y)` produces  $\overline{x + y}$ , and `hat(x + y)` gives  $\widehat{x + y}$ . Comment on an expression as here (there is also `overbrace(...)`).

$\underbrace{x + y}_{|A|}$  `underbrace(x + y, |A|)`

**Dots** Use low dots in a list  $\{0, 1, 2, \dots\}$ , entered as `\{0, 1, 2, \dots\}`. Use centered dots in a sum or product  $1 + \dots + 100$ , entered as `1 + dots.h.c + 100`. You can also get vertical dots `dots.v`, diagonal dots `dots.down` and anti-diagonal dots `dots.up`.

**Roman names** Just type them!

$\sin$ <code>sin</code>	$\sinh$ <code>sinh</code>	$\arcsin$ <code>arcsin</code>
$\cos$ <code>cos</code>	$\cosh$ <code>cosh</code>	$\arccos$ <code>arccos</code>
$\tan$ <code>tan</code>	$\tanh$ <code>tanh</code>	$\arctan$ <code>arctan</code>
$\sec$ <code>sec</code>	$\coth$ <code>coth</code>	$\min$ <code>min</code>
$\csc$ <code>csc</code>	$\det$ <code>det</code>	$\max$ <code>max</code>
$\cot$ <code>cot</code>	$\dim$ <code>dim</code>	$\inf$ <code>inf</code>
$\exp$ <code>exp</code>	$\ker$ <code>ker</code>	$\sup$ <code>sup</code>
$\log$ <code>log</code>	$\deg$ <code>deg</code>	$\liminf$ <code>liminf</code>
$\ln$ <code>ln</code>	$\arg$ <code>arg</code>	$\limsup$ <code>limsup</code>
$\lg$ <code>lg</code>	$\gcd$ <code>gcd</code>	$\lim$ <code>lim</code>

## Other symbols

$<$ <code>&lt;</code> , <code>lt</code>	$\angle$ <code>angle</code>	$\cdot$ <code>dot.op</code>
$\leq$ <code>&lt;=</code> , <code>lt.eq</code>	$\sphericalangle$ <code>angle.arc</code>	$\pm$ <code>plus.minus</code>
$>$ <code>&gt;</code> , <code>gt</code>	$\ell$ <code>ell</code>	$\mp$ <code>minus.plus</code>
$\geq$ <code>&gt;=</code> , <code>gt.eq</code>	$\parallel$ <code>parallel</code>	$\times$ <code>times</code>
$\neq$ <code>!=</code> , <code>eq.not</code>	$45^\circ$ <code>45 degree</code>	$\div$ <code>div</code>
$\ll$ <code>&lt;&lt;</code> , <code>lt.double</code>	$\cong$ <code>tilde.eqq</code>	$*$ <code>*,ast.op</code>
$\gg$ <code>&gt;&gt;</code> , <code>gt.double</code>	$\ncong$ <code>tilde.eqq.not</code>	$ $ <code>divides</code>
$\approx$ <code>approx</code>	$\sim$ <code>tilde.op</code>	$\nmid$ <code>divides.not</code>
$\asymp$ <code>\u{224D}</code> 🌀	$\simeq$ <code>tilde.eq</code>	$n!$ <code>n!</code>
$\equiv$ <code>ident</code>	$\simeq$ <code>tilde.not</code>	$\partial$ <code>diff</code>
$\prec$ <code>prec</code>	$\oplus$ <code>plus.circle</code>	$\nabla$ <code>nabla</code>
$\preceq$ <code>prec.eq</code>	$\ominus$ <code>minus.cirle</code>	$\hbar$ <code>planck.reduce</code>
$\succ$ <code>succ</code>	$\odot$ <code>dot.circle</code>	$\circ$ <code>circle.stroked.tiny</code>
$\succeq$ <code>succ.eq</code>	$\otimes$ <code>times.circle</code>	$\star$ <code>star.op</code>
$\propto$ <code>prop</code>	$\oslash$ <code>\u{2298}</code> 🌀	$\sqrt{\quad}$ <code>sqrt("")</code>
$\doteq$ <code>\u{2250}</code> 🌀	$\harpoonright$ <code>tr</code>	$\checkmark$ <code>checkmark</code>

Use `a divides b` for the divides relation, `a | b`, and `a divides.not b` for the negation, `a \nmid b`. Use `|` to get set builder notation  $\{a \in S \mid a \text{ is odd}\}$  with `\{a in S | a "is odd"\}`.

## Arrows

$\rightarrow$ <code>-&gt;</code> , <code>arrow.r</code>	$\mapsto$ <code> -&gt;</code> , <code>arrow.r.bar</code>
$\nrightarrow$ <code>arrow.r.not</code>	$\mapsto$ <code>arrow.r.long.bar</code>
$\longrightarrow$ <code>arrow.r.long</code>	$\leftarrow$ <code>&lt;-</code> , <code>arrow.l</code>
$\Rightarrow$ <code>=&gt;</code> , <code>arrow.r.double</code>	$\longleftrightarrow$ <code>&lt;-&gt;</code> , <code>arrow.l.r</code>
$\nRightarrow$ <code>arrow.r.double.not</code>	$\downarrow$ <code>arrow.b</code>

