

# Chapter 1

## Passive Sign Convention



## Chapter 2

## Resistors



## Chapter 3

# Nodal Analysis



## Chapter 4

# Mesh Analysis





## Chapter 5

# Operational Amplifiers



# Chapter 6

## Capacitors



# Chapter 7

## Inductors

Inductors are largely related to magnetic fields, as they store energy in the induced magnetic field created when current runs through them.

### 7.1 Magnetic Field Contributions From Current Carrying Wires

#### Biot-Savart Law

From a current-carrying wire, each infinitesimally small part of wire contributes to the total magnetic field at a given point. The magnetic field is referred to as  $\vec{H}$ . This small contribution is given by:

$$d\vec{H} = \frac{I * d\vec{l} \times \vec{R}}{4\pi R^2} \quad (7.1)$$

where  $I$  is the current in the wire (in amps),  $d\vec{l}$  is the "piece" of wire (in meters),  $\vec{R}$  is the direction vector from the "piece" of wire to the point of the magnetic field (unitless), and  $R$  is the distance from the wire "piece" to the point (in meters)

Equation 7.1.1: Partial Contribution to Magnetic Field From a Current-Carrying Wire

Therefore the total magnetic field at a given point from a current-carrying wire is:

$$\vec{H} = \int \frac{I * d\vec{l} \times \vec{R}}{4\pi R^2} \quad (7.2)$$

Equation 7.1.2: Total Magnetic Field at a Given Point from a Current-Carrying Wire

The units of  $\vec{H}$  is  $\frac{\text{amps}}{\text{meter}}$ , which is similar to the units of electric fields,  $\vec{E}$ , which is in  $\frac{\text{volts}}{\text{meter}}$

## Amperes Law

Ampere stated that if you integrated the magnetic field intensity about a closed path around a current-carrying wire, then it would equal the current enclosed by the wire, given by the formula:

$$\oint \vec{H} \cdot d\vec{l} = I_{\text{enclosed}} \quad (7.3)$$

Equation 7.1.3: Amperes Law

Forces between current carrying wires also occur due to the induced magnetic fields created by the electrons moving in the wire (the current): this is called the Lorentz Force.

$$\vec{F} = q(\vec{E} + \vec{v} \times \vec{B}) \quad (7.4)$$

where  $\vec{F}$  is the force (in Newtons),  $q$  is charge (in coulombs),  $\vec{E}$  is the electric field,  $\vec{v}$  is the velocity of the charge (in meters/second, and  $\vec{B}$  is the magnetic field

Equation 7.1.4: Lorentz Force

## 7.2 Magnetic Field Intensity and Magnetic Flux Density

## Chapter 8

# Transients, Steady-States and First Order Circuits





## Chapter 9

# Steady-State Sinusoidal Analysis



## Chapter 10

# Sinusoidal AC Power Analysis



# Chapter 11

## Summary