m1-autograded

January 29, 2022

0.1 Module 1 - Autograded

0.1.1 Outline:

Here are the objectives of this assignment:

- 1. Define and interpret the ANCOVA model with interaction terms.
- 2. Conduct basic hypothesis tests (full F-test, individual t-tests) to check whether there are statistically significant differences with respect to the mean of a continuous variable across groups.
- 3. Show that the one-way ANOVA (and ANCOVA) model(s) can be written as a linear regression model.
- 4. Define the one-way (single-factor) ANOVA model, and write the model in two different but equivalent ways: as a means model and effects model.
- 5. To apply your understanding of these models to a real-world datasets

Here are some general tips:

- 1. Read the questions carefully to understand what is being asked.
- 2. When you feel that your work is completed, feel free to hit the Validate button to see your results on the *visible* unit tests. If you have questions about unit testing, please refer to the "Module 0: Introduction" notebook provided as an optional resource for this course. In this assignment, there are hidden unit tests that check your code. Do not misinterpret the feedback from visible unit tests as all possible tests for a given question—write your code carefully!
- 3. Before submitting, we recommend restarting the kernel and running all the cells in order that they appear to make sure that there are no additional bugs in your code.

```
[1]: # Run this cell to import the required packages for this assignment:
    library(testthat)
    library(tidyverse)
    # remotes::install_github("allisonhorst/palmerpenguins")
    # citation("palmerpenguins")
    # library(palmerpenguins)
```

```
ggplot2 3.3.0
                     purrr
                             0.3.4
 tibble 3.0.1
                             0.8.5
                     dplyr
 tidyr
         1.0.2
                     stringr 1.4.0
 readr
         1.3.1
                     forcats 0.5.0
  Conflicts
tidyverse conflicts()
 dplyr::filter() masks stats::filter()
 purrr::is_null() masks
testthat::is_null()
 dplyr::lag()
                  masks stats::lag()
 dplyr::matches() masks
tidyr::matches(), testthat::matches()
```

0.1.2 Problem #1: Introduction to ANCOVA (20 points)

First, we import the sightsing dataset for you.

It contains two treatment groups. The main part of this question you are asked to fill in a function, my_ancova_model that returns the linear ANCOVA model from this dataset.

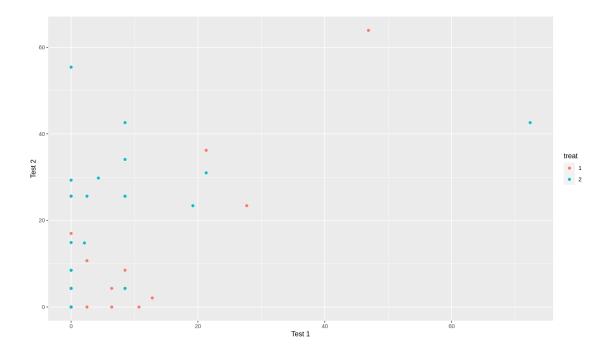
```
[2]: ### Read in the data and display means for each group.
sing = read.table('sightsing.dat', sep = ',')
names(sing) = c("treat", "test1", "test2")
sing = sing %>%
    mutate(treat = as.factor(treat))
print(head(sing,nrow(sing)))
sing %>%
    group_by(treat) %>%
    summarise(n_pre = n(), mean_test1 = mean(test1), n_post = n(), mean_test2 = u
    →mean(test2))
```

```
treat test1 test2
1
       1
           0.0
                  8.5
2
           0.0
       1
                  0.0
3
           0.0
       1
                  4.3
4
           2.5
       1
                  0.0
5
       1
           0.0
                 25.6
6
       1
          10.7
                  0.0
7
          46.9
       1
                 63.9
8
       1
           0.0
                  0.0
9
       1
           6.4
                  4.3
          27.7 23.4
10
       1
          21.3
11
       1
                 36.2
12
           0.0
                  0.0
```

```
13
             0.0
                    4.3
        1
14
        1
             0.0
                   17.0
15
             6.4
                    0.0
        1
16
        1
           12.8
                    2.1
17
        1
             0.0
                   25.6
18
        1
             8.5
                    8.5
19
        1
             8.5
                    4.3
             2.5
                   10.7
20
        1
21
        2
             0.0
                   25.6
22
        2
             0.0
                   55.4
23
        2
             0.0
                    8.5
24
        2
             0.0
                    0.0
25
        2
             8.5
                   42.6
        2
             8.5
                   25.6
26
27
        2
             0.0
                   29.3
        2
28
             0.0
                    0.0
29
        2
             2.1
                   14.8
30
        2
             0.0
                    8.5
31
        2
             0.0
                   14.9
32
        2
           19.2
                   23.4
33
        2
             8.5
                   34.1
34
        2
             4.3
                   29.8
        2
                    4.3
35
             0.0
        2
36
             8.5
                    4.3
37
        2
             8.5
                   25.6
38
        2
           21.3
                   31.0
        2
             2.5
                   25.6
39
        2
40
           72.4
                  42.6
```

1. (a) Plot this data Plot the sing data with test1 on the x-axis and test2 on the y-axis, with an attribute like color for the treat variable. This ggplot object will be stored in a variable denoted p. If you need a refresher on ggplot, check this link: https://ggplot2.tidyverse.org/

```
[3]: options(repr.plot.width = 12, repr.plot.height = 7)
p = NULL
# your code here
p = ggplot(data=sing, aes(x=test1, y=test2, color=treat))
p = p + geom_point() + xlab("Test 1") + ylab("Test 2")
print(p)
```



```
[4]: # Test Cell

# Note: There may be hidden tests for each question!

# Make sure you are confident in your solutions.
```

1. (b) Fill in the following function, which takes the dataset as an argument and returns the linear model object: This model should be of the following structure:

$$Y_i = \beta_0 + \beta_1 X + \beta_2 Z + \varepsilon_i$$

Where: - Y_i is test2 - X_i is test1 - Z is an indicator for the treat group - $\varepsilon_i \stackrel{iid}{\sim} N(0, \sigma^2)$

(tip: be sure to include a return statement)

(note: the order you input the variables into your lm() function will impact grading. Use the same order as the equation above)

```
[5]: my_ancova_model <- function(mydataset){
    # your code here
    lm_an = lm(mydataset$test2 ~ mydataset$test1 + mydataset$treat,__
    data=mydataset)

    return(lm_an)
}</pre>
```

[6]: my_ancova_model(sing)

- [1] "Checking linear model object: ... Correct"
- [1] "Tip: Make sure that your linear model object has the correct variables!"
- 1. (c) Fill in the following function which takes a linear model as an argument and returns the p-values column from the anova table:

```
[8]: my_ancova_table <- function(myancovamodel){
    # your code here
    p = anova(myancovamodel)[,5]
    return(p)
}</pre>
```

[1] "Checking p-values type: Correct"

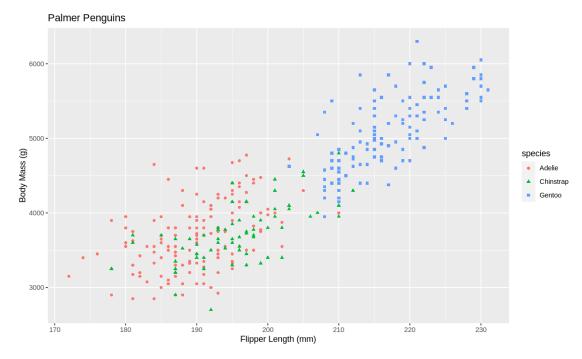
0.1.3 Problem #2. Penguins dataset analysis (15 points)

First, we import the **penguins** dataset and plot it for you. More info on this dataset can be found here:

Gorman KB, Williams TD, Fraser WR (2014) Ecological Sexual Dimorphism and Environmental Variability within a Community of Antarctic Penguins (Genus Pygoscelis). PLoS ONE 9(3): e90081. https://doi.org/10.1371/journal.pone.0090081

https://github.com/allisonhorst/palmerpenguins

In this question, we will explore linear ANCOVA models and potential interactions.



```
[13]: head(penguins)
```

		species	island	$bill_length_mm$	$bill_depth_mm$	$flipper_length_mm$	$body_{-}$
A data.frame: 6×7		<fct></fct>	<fct $>$	<dbl></dbl>	<dbl></dbl>	<int $>$	<int $>$
	1	Adelie	Torgersen	39.1	18.7	181	3750
	2	Adelie	Torgersen	39.5	17.4	186	3800
	3	Adelie	Torgersen	40.3	18.0	195	3250
	4	Adelie	Torgersen	36.7	19.3	193	3450
	5	Adelie	Torgersen	39.3	20.6	190	3650
	6	Adelie	Torgersen	38.9	17.8	181	3625

2. (a) Create two models regressing body mass on flipper length and including species (as a factor):

- one model in a variable penguins_no_interaction without interaction between flipper length and species
 - (hint: of the form $Y_i = \beta_0 + \beta_1 X + \beta_2 Z + \varepsilon_i$)
- one model in a variable penguins_with_interaction with interaction between flipper length and species
 - (hint: of the form $Y_i = \beta_0 + \beta_1 X + \beta_2 Z + \beta_3 X Z + \varepsilon_i$)

(tip: use head(penguins) to take a look at the dataset and remember to input your variables in the same order as the models above)

[1] "Checking no_interaction linear model object TYPE: ... Correct"

[1] "Checking with_interaction linear model object TYPE: ... Correct"

2. (b) Fill in the following function to compute the Mean Square Error (MSE) from a linear model object:

```
[17]: extract_mse <- function(linear_model){
    # your code here
    summ = summary(linear_model)
    return(mean(summ$residuals^2))
}</pre>
```

[1] "Checking mse_type: ... Correct"