

Segregate Algorithm

Task number (9)

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Segregate positive and negative integers

Given an array of positive and negative integers, segregate them without changing the relative order of elements. The output should contain all positive numbers follow negative numbers while maintaining the same relative ordering.

we have made two algorithms, recursive and non recursive:

————— the non recursive one —————

- 1-Declare variables size, number, positive, negative, i as integers
- 2-Declare arrays x and y of size 'size'
- 3-Prompt the user to enter the size of the array and read the input into 'size'
- 4-Prompt the user to enter the elements of the array and iterate from $i = 0$ to $i = \text{size}-1$:
 - a. Read the input into 'number'
 - b. If 'number' is positive, add it to the 'y' array and increment 'positive'
 - c. If 'number' is negative, add it to the 'x' array and increment 'negative'
- 5-Copy the elements of the 'y' array to the end of the 'x' array starting from $x[\text{negative}]$
- 6-Print all elements of Array x

Complexity

The time complexity of this algorithm is $O(n)$, where n is the size of the input array.

The program iterates through the input array only once (in the for loop from $i=0$ to $i=size-1$) to separate the positive and negative elements into two separate arrays. This takes $O(n)$ time.

Then, the program concatenates the two arrays by copying the elements of the $y[]$ array to the end of the $x[]$ array. This also takes $O(n)$ time, since it iterates through the $y[]$ array once (in the for loop from $i=0$ to $i=positive-1$) and copies each element to the $x[]$ array.

Finally, the program iterates through the merged array once (in the for loop from $i=0$ to $i=size-1$) to print its elements. This also takes $O(n)$ time.

Therefore, the total time complexity of the algorithm is $O(n) + O(n) + O(n) = O(n)$

—the recursive one—

1-Define a function called "SegregationPosNeg" which takes an array "arr", starting index "l", and ending index "r". 2-If $l < r$, then do the following: a. Calculate the middle index "m" using the formula $l + (r - 1) / 2$.

b. Recursively call SegregationPosNeg for the left subarray using "l" as the starting index and "m" as the ending index.

c. Recursively call SegregationPosNeg for the right subarray using "m + 1" as the starting index and "r" as the ending index.

d. Merge the left and right subarrays using a helper function "merge".

3-Define a function called "merge" which takes an array "arr", starting index "l", middle index "m", and ending index "r".

4-Calculate the sizes of the left and right subarrays using the formulas $n1 = m - l + 1$ and $n2 = r - m$.

5-Create two temporary arrays "L" and "R" with sizes n1 and n2, respectively.

6-Copy the elements from $arr[l..m]$ to $L[0..n1-1]$ and from $arr[m+1..r]$ to $R[0..n2-1]$.

7-Initialize three index variables i, j, and k to 0, representing the current index of the left subarray, right subarray, and merged subarray, respectively.

8-Merge the negative elements of the left and right subarrays by doing the following: a. While $i < n1$ and $L[i] < 0$, set $arr[k] = L[i]$, $i = i + 1$, and $k = k + 1$.

b. While $j < n2$ and $R[j] < 0$, set $arr[k]=R[j]$, $j = j + 1$, and $k = k + 1$.

9-Merge the positive elements of the left and right subarrays by doing the following: a. While $i < n1$, set $arr[k] = L[i]$, $i = i + 1$, and $k = k + 1$. b. While $j < n2$, set $arr[k] = R[j]$, $j = j + 1$, and $k = k + 1$.

10-Define a main function which does the following: a. Prompt the user to enter the size of the array.

b. Prompt the user to enter the array elements.

c. Call SegregationPosNeg to segregate the array.

d. Print the segregate array.

Complexity

The time complexity of this algorithm is $O(n \log n)$, where n is the size of the array. This is because the algorithm uses merge sort to sort the array, which has a time complexity of $O(n \log n)$, and then performs a linear scan of the array to segregate the positive and negative elements. The linear scan takes $O(n)$ time, but is dominated by the $O(n \log n)$ time complexity of the merge sort.

Therefore, the overall time complexity of the algorithm is $O(n \log n)$.

The screenshot shows the Code::Blocks IDE with a C program named `main.c` open. The program includes `<stdio.h>` and `<stdlib.h>`, and defines a function `printArray`. The main function prompts the user for the size of an array (8) and the array elements (-3, 5, -2, -8, -6, 1, 3). It then prints the given array and the segregated array (-3, -2, -8, -6, 9, 5, 1, 3). The execution time is 20.158 s. The output window shows the following text:

```
Please Enter the Size of an Array : 8
Please Enter the Array Elements : 9
-3
5
-2
-8
-6
1
3
Given array is
9 -3 5 -2 -8 -6 1 3
Segregate array is
-3 -2 -8 -6 9 5 1 3
Process returned 0 (0x0)   execution time : 20.158 s
Press any key to continue.
```

The status bar at the bottom indicates the file path `C:\Users\LENOVO\Downloads\ff\main.c`, the language `C/C++`, and the window title `Windows (CR+LF) WINDOWS-1252`. The status bar also shows the line and column numbers `Line 92, Col 2, Pos 2165`.

comparison

time complexity of the first algorithm is $O(n)$.

time complexity of the second algorithm is $O(n \log n)$.

of course because the algorithm that use recursion is less efficient and more complex than the non recursive one so the first algorithm is better.