ChEn 3603 Homework #11

You can load the *Txy* data into python easily with the following:

```
# Load the csv data using Pandas then grab numpy arrays for the Txy data
import pandas as pd
data = pd.read_csv('Txy.csv')
Teq = data['T'].values
xeq = data['x'].values
yeq = data['y'].values
```

Problem 1 (16 pts)

A mixture of 10 kmol of 70 mol% benzene in toluene is distilled at atmospheric pressure using differential distillation with constant boilup rate of 10 mol/min. The tabulated equilibrium data are given in the csv file provided.

- 1. (1 pts) From the data, determine average values of K and α . Plot K(T) and $\alpha(T)$ as well as the averages on the same plot.
- 2. When 50% (by mole) has been vaporized, report the residue composition, the average vapor composition, the temperature of the still, and how long the process takes using:
 - (a) (2 pts) Constant *K* assumption, using the average you calculated in part 1.
 - (b) (3 pts) Constant α assumption, using the average you calculated in part 1.
 - (c) (6 pts) The *Txy* data directly

xlovals = np.asarray(xlovals)

Comment on your findings.

3. (4 pts) Plot W/W_0 , x and y^{avg} as functions of time for the constant K and constant α approximations for 95 mole% vaporized. Comment on the difference between the two methods in predicting x(t) and $y^{avg}(t)$.

In part 2c, you'll find that you need to solve a nonlinear equation. This can be a bit tricky with some of the python hoops. Here is a template of what I did:

```
def resfun(xlovals):
    # Given an array of lower bounds on the integral (xlovals),
    # this returns an array of residual values.
    # Alternatively, given a scalar for the lower bound, it returns a scalar residual value.
    scalar_input = False

# make this function work for scalar or array inputs.
# For scalars, we detect that and then convert them to arrays
```

```
if xlovals.ndim==0:
    scalar_input = True
    xlovals = xlovals[None] # make into a 1D array

results = np.zeros_like(xlovals)

for i in range(len(xlovals)):
    x = ??? # create an appropriate range of x values to carry the integration out
    # 'integrand_fun' calculates the integrand value
    results[i] = np.log(?) - np.trapz(integrand_fun(x), x)

if scalar_input:
    return np.squeeze(results) # turn back into a scalar

return results
```

Problem 2 (16 pts)

Revisit the system from problem 1 for a batch system with a rectifying section that has a *constant reflux ratio*, the same boilup rate as problem 1 (this is V) and three equilibrium stages. Given that L/V = 0.9, do the following:

- 1. (8 pts) Determine the residue composition and average distillate composition when 50% of the original moles remain in the still.
- 2. (2 pts) Show the McCabe-Thiele diagrams for the original mixture and the final mixture for the conditions of part 1.
- 3. (4 pts) Plot $\frac{W}{W_0}(t)$, $x_W(t)$ and $x_D^{\text{avg}}(t)$.
- 4. (2 pts) Compare the results from problem 1 part 2 with problem 2 and comment on them. Specifically, create a table like the following:

Method	<i>x</i> (residue)	y ^{avg} (average distillate)	Time required (hours)
Simple batch			
Batch with rectifying section			

The batch_constant_r.py file I provided will be a *lot* of help to you.