

# Verified Time Balancing of Security Protocols

Donovan Crichton

January 2019

# The Problem

- ▶ Can we formally prove that an implementation of a network security protocol is immune to timing side-channel attacks?
- ▶ In other words, can we show that a model of the protocol, along with its implementation is unable to leak any timing information to an observer.

# Rationale

- ▶ Some departments in the ASD spent a large amount of time manually verifying cryptographic processes in vendor code.
- ▶ Requires large amounts of time and expertise, resulting in a slow verification process
- ▶ Formal methods may allow the automation of these verification processes.

# Formal Methods

- ▶ A mathematical approach to the development, specification and verification of software.
- ▶ Uses "theorem proving assistants", software that formally verifies against a specification.
- ▶ We can implement a network security protocol inside a theorem prover (namely Idris).

# How do proof assistants work?

- ▶ Rely on on a relationship between proofs in mathematics and computer programs known as the Curry-Howard correspondance.
- ▶ The proof system of intuitionistic natural deduction can be directly interpreted as a model of computation known as lambda calculus.

## A quick Idris example.

A simple function in Idris

```
f : Nat -> Nat
```

```
f x = x + 2
```

The same function in familiar notation.

$$f : \mathbb{N} \mapsto \mathbb{N}$$
$$f(x) = x + 2$$

## Logic in the Idris language.

Logic Term	Logic Symbol	Idris Symbol	Idris Term
Implication	$p \Rightarrow q$	$p \rightarrow q$	Arrow
Conjunction	$p \wedge q$	$(p, q)$	Pair (Product)
Disjunction	$p \vee q$	$\text{Either } p \text{ } q$	Enum (Sum)
Negation	$\neg p$	$p \rightarrow \text{Void}$	Void Type
IFF/Eq	$p \equiv q, p \iff q$	$(p \rightarrow q, q \rightarrow p)$	Pair Arrows
Universal	$\forall x. P \ x$	$p \rightarrow \text{Type}$	$\Pi$ Type
Existential	$\exists x. P \ x$	$(x ** P \ x)$	$\Sigma$ Type
???	???	$p = q$	Type Equality