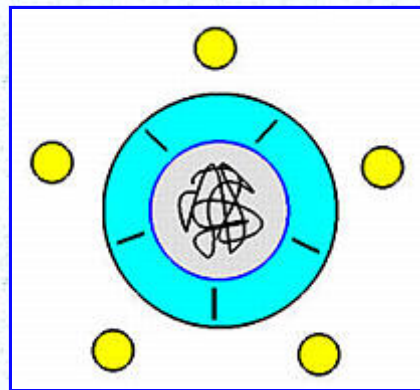


ThreadMentor: The Dining Philosophers

Problem: The Lefty-Righty Version

Problem

The *dining philosophers problem* is invented by E. W. Dijkstra. Imagine that five philosophers who spend their lives just thinking and eating. In the middle of the dining room is a circular table with five chairs. The table has a big plate of spaghetti. However, there are only five chopsticks available, as shown in the following figure. Each philosopher thinks. When he gets hungry, he sits down and picks up the two chopsticks that are closest to him. If a philosopher can pick up **both** chopsticks, he eats for a while. After a philosopher finishes eating, he puts down the chopsticks and starts to think.



On the [previous](#) page we saw a solution in which each philosopher picks his left chopstick followed by his right chopstick. We pointed out there that that solution could cause deadlock and have the starvation problem. Here, we shall present a solution that still uses mutex locks but has no deadlock.

Analysis

It turns out that eliminating deadlock is not very difficult. In our previous solution, the deadlock is caused by having every philosopher to pick up his left chopstick. This produces a circular waiting. If this circular waiting can be broken, deadlocks will go away. To this end, we can force one of the philosophers to act *differently*. More precisely, we can force a philosopher to pick up his right chopstick first followed by his left chopstick. A philosopher who picks up his left chopstick followed by his right chopstick is referred to as a *lefty*; otherwise, he is a *righty*. Note that the sum of lefty and righty philosophers must be equal to the number of philosophers and both cannot be zero. Intuitively, the existence of a righty philosopher can break the circular waiting, we saw in the previous example. But, is it really the case?

Recall that a deadlock occurs if some or all of the threads are involved in a circular waiting. As long as we can show that such circular waiting will not occur, the system will have no deadlock. In the following, we assume there is only one righty philosopher. It is not difficult to extend the following discussion to the case of multiple righty philosophers. We shall pick an arbitrary philosopher and show that he has a chance to pick up both chopsticks and eat. This chosen philosopher, say **P**, can be a lefty or a righty. The following analysis is certainly not the shortest one, but, we believe it is easy to understand.

- **Philosopher P is a righty**

If philosopher **P** cannot eat for this moment, either he has no chopsticks or only has his right chopstick.

- **Philosopher P has his right chopstick**

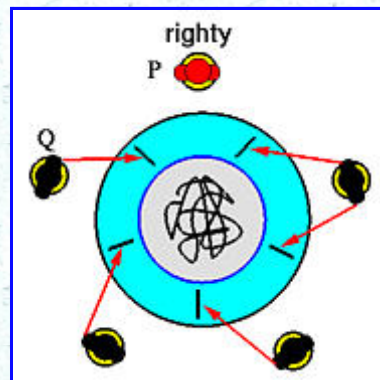
If philosopher **P** has his right chopstick, he can eat once his left chopstick is available. If **P**'s left chopstick is currently not available, it is being held by **P**'s left neighbor, say **Q**. Because we have only one righty, **Q** is a lefty and holds both chopsticks. Therefore, **Q** is eating and will put down both chopsticks. At this moment, **P** has a chance to pick up his left chopstick and eat. Note that

P may not be able to get his left chopstick right after **Q** puts it down. However, **P** does have a chance to get his left chopstick, and, as a result, **P** is not involved in a deadlock situation. If **P** cannot eat, it is because his neighbor always preempts him, in which case, it is a starvation rather than a deadlock.

- **Philosopher P has no chopstick**

In this case, **P**'s left (*resp.*, right) chopstick is owned by **P**'s left (*resp.*, right) neighbor. If **P**'s right neighbor is eating, eventually **P**'s right neighbor will finish eating and put down both chopsticks. At this moment, **P** has a chance to pick up his right chopstick.

If **P**'s right neighbor, say **Q**, is not eating, **Q** has his left chopstick (*i.e.*, **P**'s right chopstick) and is waiting for his right chopstick as shown in the figure below. The worst case is that **Q**'s right chopstick is being held by **Q**'s right neighbor. This situation can spread to **P**'s left neighbor. In this case, **P**'s left neighbor has both chopsticks and can eat. As a result, once **P**'s left neighbor puts down his chopsticks, everyone except **P** has a chance to pick up his right chopstick and eat. As for **P**, he has a chance to pick up his right chopstick once his right neighbor finishes eating and puts down both chopsticks.



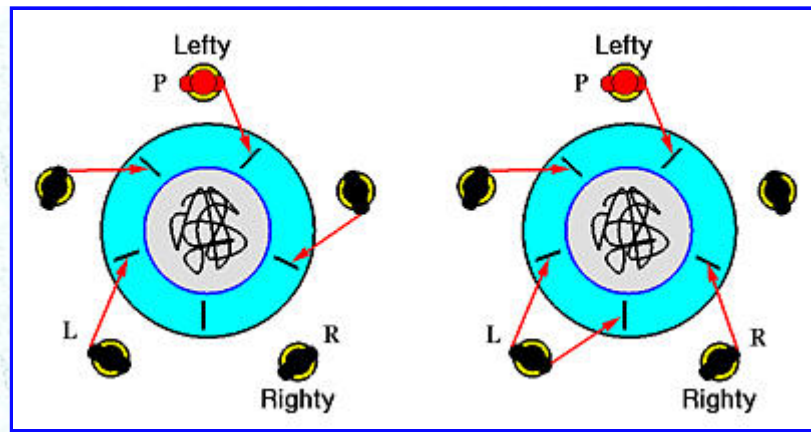
Therefore, we conclude that philosopher **P** will have a chance to pick up his right chopstick. Because of the previous case, philosopher **P** eventually can eat unless he is preempted by one of its neighbor. However, this is a starvation rather than a deadlock.

- **Philosopher P is a lefty**

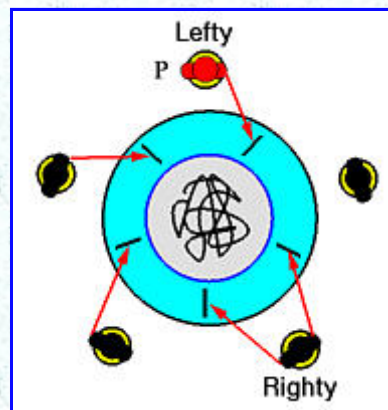
Similar to the righty case, we have two subcases to consider: **P** has no chopstick and **P** has his left chopstick.

- **Philosopher P has left chopstick**

Suppose **P** is a lefty and has his left chopstick. We want to show that **P** has a chance to eat. The key to this reasoning is in the hand of the righty philosopher **R** as shown below. If the righty philosopher **R** cannot eat, it is because he has no chopstick (left figure below) or only has his right chopstick (right figure below). If **R** has no chopstick, it is because his right neighbor, a lefty, is holding **R**'s right chopstick. In this case, we will have a number of philosophers who are holding their left chopsticks and waiting for their right chopsticks. Philosopher **P** is one of them. Since **R** has no chopstick, his left neighbor **L**, a lefty, can use **R**'s left chopstick and eat. After this, **L** puts down both chopsticks for his left neighbor to use. This starts a chain reaction, which will make **P** to have a chance to pick up his right chopstick and eat. If the righty **R** is holding his right chopstick and waiting for his left one, then **R**'s left chopstick is being held by **L**, and hence **L** has both chopsticks and can eat. Once **L** finishes eating and puts down both chopsticks, everyone to the left of the righty, **P** included, will have a chance to eat, and, hence, no deadlock will occur.



If the righty is eating, he has two chopsticks as shown below. Once the righty finishes eating, he puts down both chopsticks, his left neighbor has a chance to eat, and, as a result, everyone to the left of the righty has a chance to eat. Thus, no deadlock occurs.

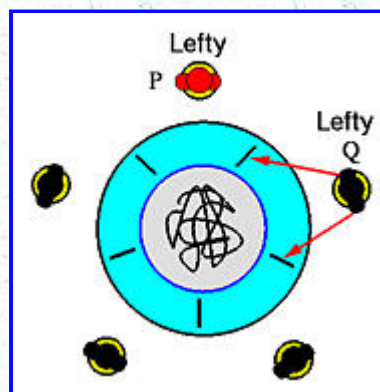


- **Philosopher P has no chopstick**

P is a lefty and must pick up his left chopstick first. Because **P** has no chopstick, his left chopstick must have been picked up by his left neighbor, say **Q**. Philosopher **Q** may be a lefty or a righty:

- **Q is a lefty**

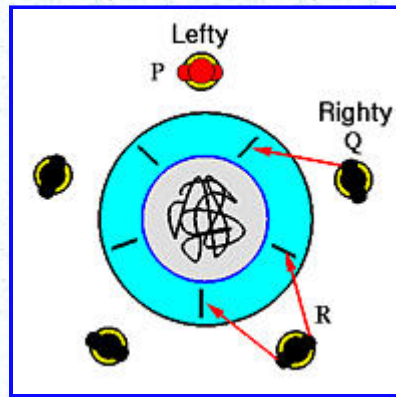
In this case, **Q** has its right chopstick (hence both chopsticks) and is eating. See the figure below. Sooner or later, **Q** will put down his chopsticks, and, at that moment, **P** has a chance to get his left chopstick.



- **Q is a righty**

In this case, the left chopstick of **P** is being held by **Q** as **Q**'s right chopstick. If **Q** also has its left chopstick, **Q** can eat and eventually puts down both chopsticks. Thus, **P** has a chance to pick up his left chopstick. Otherwise, **Q** is waiting for his left chopstick that is being held by his left neighbor **R**. See the figure below. Since **R** is a lefty (we have only one righty) and holds his right chopstick, **R** is eating. Later, **R** will put down his chopsticks, and, at this moment, **Q** has a chance to pick up his left chopstick and eat. Once

Q finishes eating and puts down his chopsticks, **P** will have a chance to pick up his left chopstick.



In both cases, **P** will have a chance to pick up his left chopstick. Hence, by the last case, **P** will have a chance to eat, and, no deadlock will occur.

Program

This program is very similar to the previous one. However, because there are lefty and righty philosophers, each of these philosophers should have an indicator. To simplify our programming task, we add two variables `FirstChopstick` and `SecondChopstick` to store the chopstick numbers. More precisely, a philosopher must pick up chopstick `FirstChopstick` followed by chopstick `SecondChopstick`. Variable `No` is the philosopher number, and char variable `Id` indicates if this philosopher is a lefty or a righty.

```
#include "ThreadClass.h"

#define PHILOSOPHERS    5

class Philosopher: public Thread
{
public:
    Philosopher(int Number, char id, int iter); // constructor
private:
    char Id;      // either "lefty" or "righty" philosopher
    int No;
    int FirstChopstick, // the 1st chopstick to pick up
        SecondChopstick; // the 2nd to pick up
    int Iteration;
    void ThreadFunc();
};
```

Click [here](#) to download this file (`lefty-righty.h`)

In the implementation file, we still have a function `Filler()` for generating a string of spaces. Now let us turn to the constructor. It takes three arguments for the three private variables `No`, `Id` and `Iteration`. If this is a lefty (*resp.*, righty) philosopher, its thread name is `Lefty` (*resp.*, `Righty`) followed by its number. Thus, the thread names are `Lefty1`, `Lefty2`, ..., `Righty3`, `Righty4`. The actual name depends on the main program. For example, if the main program assign philosophers 0, 1, 2, and 3 to be lefty and 4 to be righty, the thread names are `Lefty1`, `Lefty2`, `Lefty3`, `Lefty4`, `Righty5`. The constructor also determine the first and second chopsticks to be picked up by a philosopher. For a lefty philosopher, he picks up his left followed by his right chopsticks. Thus, variables `FirstChopstick` and `SecondChopstick` are set to `No` and $(No + 1) \% PHILOSOPHERS$, respectively. For a righty philosopher, the order is reversed. Once this completes, the thread function `ThreadFunc()` is almost identical to the previous one. The only difference is the use of precomputed `FirstChopstick` and `SecondChopstick`.

```
#include <iostream>
#include "lefty-righty.h"

extern Mutex *Chopstick[PHILOSOPHERS];

strstream *Filler(int n)
{
    int i;
    strstream *Space;
```

```

        Space = new stringstream;
        for (i = 0; i < n; i++)
            (*Space) << ' ';
        (*Space) << '\0';
        return Space;
    }

    Philosopher::Philosopher(int Number, char id, int iter)
        : No(Number), Id(id), Iteration(iter)
    {
        ThreadName.seekp(0, ios::beg);
        if (Id == 'L') { // lefties have No followed No+1
            ThreadName << "Lefty" << Number + 1 << '\0';
            FirstChopstick = No;
            SecondChopstick = (No + 1) % PHILOSOPHERS;
        }
        else { // righties have No+1 followed by No
            ThreadName << "Righty" << Number + 1 << '\0';
            FirstChopstick = (No + 1) % PHILOSOPHERS;
            SecondChopstick = No;
        }
    }

    void Philosopher::ThreadFunc()
    {
        Thread::ThreadFunc();
        stringstream *Space;
        int i;
        Space = Filler(No*2);

        for (i = 0; i < Iteration; i++) {
            Delay();
            Chopstick[FirstChopstick]->Lock();
            Chopstick[SecondChopstick]->Lock(); // gets two chopsticks
            cout << Space->str() << ThreadName.str() << " begin eating." << endl;
            Delay();
            cout << Space->str() << ThreadName.str() << " finish eating." << endl;
            Chopstick[FirstChopstick]->Unlock(); // release 2 chopstick
            Chopstick[SecondChopstick]->Unlock();
        }
        Exit(); // thread terminates
    }
}

```

Click [here](#) to download this file (lefty-righty.cpp)

The main program requires two command line arguments. The first one gives how many lefty philosophers, and the second indicates the number thinking-eating cycles. Note that because we have 5 philosophers, the number of lefty philosophers must be less than 5 so that there will be at least one righty philosophers to break the circular waiting that causes a deadlock. As in the previous example, we first create all mutex locks for protecting the chopsticks. Then, the philosophers are created and the first few are assigned as lefty philosophers. After a philosopher is created, it is run by calling the method `Begin()`. Finally, the main thread waits for the completion of its child threads, and then exit.

```

#include <iostream>
#include <stdlib.h>

#include "lefty-righty.h"

Mutex *Chopstick[PHILOSOPHERS];

int main(int argc, char *argv[])
{
    Philosopher *philosopher[PHILOSOPHERS];
    int i;
    int n;
    stringstream name;

    if (argc != 3) {
        cout << "Usage " << argv[0] << " #-of-lefty " <<
            " #-of-iterations." << endl;
        exit(-1);
    }
    else {
        n = abs(atoi(argv[1]));
        if (n >= PHILOSOPHERS) { // make sure # of lefties are valid
            cout << "The number of lefty philosophers MUST be less than "
                << PHILOSOPHERS << endl;
            exit(-1);
        }
        Iteration = abs(atoi(argv[2]));

        // initialize chopstick mutexs
        for (i = 0; i < PHILOSOPHERS; i++) {
            name.seekp(0, ios::beg);
            name << "ChopStick" << i << '\0';
            Chopstick[i] = new Mutex(name.str());
        }
    }
}

```



```
// fire up both righty and lefty philosophers threads
for (i = 0; i < PHILOSOPHERS; i++) {
    if (i < n) // it's a lefty philosopher
        philosopher[i] = new Philosopher(i, 'L', Iteration);
    else      // it's a righty philosopher
        philosopher[i] = new Philosopher(i, 'R', Iteration);
    philosopher[i]->Begin();
}

// wait for all philosopher threads
for (i=0; i < PHILOSOPHERS; i++)
    philosopher[i]->Join();
Exit();

return 0;
}
```

Click [here](#) to download this file (lefty-righty-main.cpp)

Discussion

We showed that this solution does not have deadlock. How about starvation? It could cause starvation. We saw this possibility informally in the discussion above. However, we can easily see that the starvation example shown in the previous example also works for this deadlock-free version. Will you be able to find more subtle and more complicated starvation examples? Please try it.

