





1. IDLE - If $G = '1'$, move to MUL1 state, else remain idle.
2. Set signals $C = '1'$, $A = '0'$, $P = n-1$ where:
 - a. C = Carry
 - b. A = Answer
 - c. n = number of steps left?
3. MUL0 - If least significant bit of $Q = '1'$, $A = A + B$ and $C = C_{out}$ where:
 - a. Q = Multiplier
 - b. A = Answer
 - c. B = Multiplicand
4. $C = '0'$, Shift $C||A||Q$ right, $P--$ where:
 - a. P = counter
5. If $p = '0'$, go to MUL0, else IDLE.

n = 6

0) 100011 -B Initial State
x 011001 -Q
000000 -A

1) 100011 -B p=6 $\Rightarrow Q(0) = 1$, addition occurs $\Rightarrow A=A+B$
x 011001 -Q
100011 -A

100011 -B p--;
x 101100 -Q Q = A(0) || Q>>1
010001 -A A = C || A>>1 C=0

2) 100011 -B p=5 $\Rightarrow Q(0) = 0$, no addition
x 101100 -Q
010001 -A

100011 -B p--;
x 110110 -Q Q = A(0) || Q>>1
001000 -A A = C || A>>1

3) 100011 -B p=4 $\Rightarrow Q(0) = 0$, no addition
x 110110 -Q
001000 -A

100011 -B p--;
x 011011 -Q Q = A(0) || Q>>1
000100 -A A = C || A>>1

4) 100011 -B p=3; $\Rightarrow Q(0) = 1$, addition $\Rightarrow A=A+B$, C=0
x 011011 -Q Q = A(0) || Q>>1
100111 -A

100011 -B p--;
x 101101 -Q Q = A(0) || Q>>1
010011 -A A = C || A>>1

5) 100011 -B p=2 $\Rightarrow Q(0) = 1$, addition $\Rightarrow A=A+B$, C=0
x 101101 -Q
110110 -A

100011 -B p--;
x 010110 -Q Q = A(0) || Q>>1
011011 -A A = C || A>>1

6) **100011** -B $p=1 \Rightarrow Q(0) = 0$, no addition
x 010110 -Q
 011011 -A

100011 -B $p--;$
x 101011 -Q $Q = A(0) \quad || \quad Q > 1$
 001101 -A $A = C \quad || \quad A > 1$

$p=0$, finished answer = $A || Q = 001101 || 101011 = 001101101011$