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Beyond p-values: Utilizing Multiple Methods to Evaluate Evidence

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Abstract

Null hypothesis significance testing is frequently cited as a threat to the validity and 18 reproducibility of the social sciences. While many individuals suggest we should focus on 19 altering the p-value at which we deem an effect significant, we believe this suggestion is 20 short-sighted. Alternative procedures (i.e., Bayesian analyses and Observation Oriented 21 Modeling) can be more powerful and meaningful to our discipline. However, these 22 methodologies are less frequently utilized and are rarely discussed in combination with 23 NHST. Herein, we compare the possible interpretations of three analyses (ANOVA, Bayes 24 Factor, and an Ordinal Pattern Analysis) in various data environments using a simulation 25 study. The simulation generated 20000 unique datasets which varied sample size (Ns of 10, 30, 100, 500, 1000), and effect sizes (ds of 0.10, 0.20, 0.50, 0.80). Through this simulation, we find that changing the threshold at which p-values are considered significant has little to no effect on conclusions. Further, we find that evaluating multiple estimates as evidence of an effect can allow for a more robust and nuanced report of findings. These findings suggest the need to redefine evidentiary value and reporting practices. 31

Keywords: null hypothesis testing, p-values, Bayes Factors, Observation Oriented
Modeling, evidence

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Recent events in psychological science have prompted concerns within the discipline 35 regarding research practices and ultimately the validity and reproducibility of published 36 reports (Etz & Vandekerckhove, 2016; Lindsay, 2015; Open Science Collaboration, 2015; van 37 Elk et al., 2015). One often discussed matter is over-reliance, abuse, and potential hacking of 38 p-values produced by frequentist null hypothesis significance testing (NHST), as well 39 misinterpretations of NHST results (Gigerenzer, 2004; Ioannidis, 2005; Simmons, Nelson, & Simonsohn, 2011). We agree with these concerns and believe that many before us have 41 voiced sound, generally accepted opinions on potential remedies, such as an increased focus on effect sizes (Cumming, 2008; Lakens, 2013; Maxwell, Lau, & Howard, 2015; Nosek, Spies, & Motyl, 2012). However, other suggestions have been met with less enthusiasm, including a recent article by Benjamin et al. (2017) advocating that researchers should begin thinking only of p-values less than .005 as "statistically significant", thus changing α levels to control Type I error rates. Additionally, Pericchi and Pereira (2016) promote the use of fluctuating α levels as a function of sample size to assist with these errors. We argue it is not the p-value that needs to be rethought when seeking evidence, but rather what that p-value can tell you in relation to other indicators. While NHST and p-values may have merit, researchers have a wealth of other statistical tools available to them. We believe that 51 improvements may be made to the sciences as a whole when individuals become aware of the tools available to them and how these methods may be used in combination to strengthen 53 understanding and conclusions. These sentiments have been shared by the American Statistical Association who recently held a conference focusing on going beyond NHST, 55 expanding their previous stance on p-values (Wasserstein & Lazar, 2016). 56 Therefore, we undertook this project to begin to let researchers see the similarities and differences both within the methodological design, as well as within the interpretations of statistics as meaningful. Herein, we have chosen three methodologies to focus on: NHST, 59 Bayes Factor comparisons, and Observation Oriented Modeling. These three approaches will

be compared via simulated data using a repeated measures design with a Likert-type scale as the outcome variable. The aims of this study will be to discuss the conclusions that these three methods would make given the same data, and to compare how often these methodologies agree within different data environments (i.e. given different sample sizes and effect sizes). We hope that by discussing these methodologies in terms of a simple statistical analysis researchers will be able to easily compare and contrast methodologies. For this discussion, it is important to understand their historical background, procedural steps, and limitations, which are outlined below. After this discussion, we describe a simulation study comparing methodologies and α criteria, and end with a potential implications for researchers.

Null Hypothesis Significance Testing

$_{2}$ History

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Many attribute the frequentist NHST procedure to Ronald A. Fisher (Fisher, 1932). 73 However, Fisher's ideas are a far cry from the NHST procedure implemented today. Fisher 74 believed in creating one "null" hypothesis, which he described as a hypothesis to be 75 'nullified", or shown incorrect, not as a zero-difference hypothesis (Lehmann, 2011). He also believed that the use of any omnibus level of significance showed a "lack of statistical thinking" (Gigerenzer, Krauss, & Vitouch, 2004). He instead believed we should report the exact significance value of a test and let others make their own decision about the claims, which is more in line with the typical reporting recommendations provided by the American Psychological Association (American Psychological Association, 2010). Fisher spoke of this work to William Gosset, the man who created the Student's t-test and contributed work on the correlation coefficient (Lehmann, 2011). Gosset in turn discussed the idea of an alternative hypothesis, a piece not included in Fisher's procedure, with decision theorist Egon Pearson.

From this discussion, Egon Pearson and Jerzy Neyman created Neyman-Pearson

decision theory. This theory consists of two hypotheses (i.e., null and alternative) and a binary decision criteria (i.e., significant or not, Lehmann, 1993). However, this procedure 88 created the possibility of researcher decision errors (Dienes, 2008). A researcher may falsely 89 reject the null hypothesis (Type I error, α) or falsely fail to reject the null (Type II error, β). α levels set the binary decision criteria, which are used as the critical p-value for hypothesis 91 testing (i.e., p < .05), and are thus seen as evidence to reject the null hypothesis. β and 92 power are inherently linked, as the likelihood of finding a true effect increases when beta 93 decreases (Maxwell & Delaney, 2004). Although α values can be chosen to be quite small, and methods can decrease β values as well, a researcher can never know if they have made the correct decision, or a decision error. Thus, Neyman and Pearson clearly state that a hypothesis should not be blindly supported based solely on the estimates of one statistical test, and that replication and reproduction of results are imperative. The recent work of the Open Science Collaboration (2015) has also highlighted the need for replication studies and interpretation of results in an appropriate context. Additionally, Neyman and Pearson 100 emphasized that use of set α s and β s is illogical and sought instead for researchers to adjust 101 their analysis to the needs of the particular task at hand (Gigerenzer, 2004). 102

103 Typical NHST Procedure

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Neither Fisher's hypothesis testing, nor Neyman-Pearson decision theory quite match
the NSHT procedure as it is taught and applied today. Psychologists have largely adopted
an amalgamation of the two approaches. Here, we attempt to outline what we believe is the
most appropriate way to carry out the traditional NHST procedure, although we note that
this set of steps is not necessarily how researchers carry out the procedure in practice:

1) Create two hypotheses, one to be "nullified" and one "alternative" hypothesis. These can be operationalized in our example data as follows:

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$$H_0: \mu_1 = \mu_2 = \mu_3$$

$$H_A: \mu_1 \neq \mu_2 \neq \mu_3$$

- 2) Select an α level that is appropriate given the context of your research, your analysis plan, and your research question, and do not blindly adopt an omnibus critical p-value.
 - 3) Compute your given analysis and identify the corresponding p-value. If your p-value is less than the chosen α , reject the null hypothesis and state that there appear to be differences between your means; however, if your p-value is greater than or equal to the value selected, do not reject the null hypothesis, and state that a difference between the means could not be supported.

While the NHST procedure itself gives us the testable models, the specific analysis

used to test these models here—the repeated measures ANOVA with 3 levels—requires some 119 additional assumptions that must be met before an analysis is begun (Tabachnick & Fidell, 120 2012). Data need to have no missing values and no outlying or influential observations. Data 121 must have a normal sampling distribution, be linearly related, and have independent errors. 122 Depending on the statistical test, data must also be checked for equal variances, sphericity, 123 and additivity. These assumptions can be checked and, if necessary, corrected for; however, 124 violations of these assumptions can lead to inaccurate decisions and attenuated power. 125 While this approach is widely used, there are many limitations associated with it. 126 First, this method can be sensitive to violations of the stated assumptions if the sample size 127 is not large enough to create a normal sampling distribution. Additionally, phenomena that are not linearly related or data that violate any of the other assumptions mentioned above 129 can lead to inappropriate decisions (Tabachnick & Fidell, 2012). Even if assumptions are 130 met, or nonparametric tests are implemented, this methodology does not allow a researcher 131 to state anything about the absence of an effect (i.e., no true differences). Through 132 traditional NHST, one can only discuss evidence regarding the alternative hypothesis; one 133

can never support the null hypothesis through this procedure. Given the recent findings regarding reproducibility, showing support for the absence of an effect is even more crucial (Bakker, van Dijk, & Wicherts, 2012; Lakens, 2017).

Bayes Factors

138 History

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Thomas Bayes was a statistician and Presbyterian minister whose works are still 139 influential today (Bellhouse, 2004). Bayes' theorem solved the inverse probability problem, namely that through the frequentist approach, one can only know the probability of data existing given a hypothesis being true, never the probability of a hypothesis being true given that the data exist (Dienes, 2008). Bayes' theorem allows one to calculate the probability of 143 a hypothesis given some data (posterior belief) by using how probable one believes the hypothesis to be before data was collected (prior belief) and how probable one believes the 145 data to be given one's hypothesis (likelihood). Thus, with his theorem, researchers are able 146 to update (through the use of the likelihood) our initial beliefs (our prior) given some data 147 (Gelman, 2004). Pierre-Simon Laplace pioneered Bayesianism and advocated for a broader 148 interpretation of this theorem (De Laplace, 1774). The use of Bayesian statistics has been 149 suggested as an NHST alternative (Dienes, 2014; Wagenmakers, 2007), but this approach has 150 largely been undervalued in favor of frequentist methods as, until recently, Bayesian analysis 151 required considerable computational effort. However, today we possess the technology 152 necessary to conduct Bayesian analyses efficiently. While open source software, such as R153 and JASP, require minimal learning to be able to effectively operated (Morey & Rouder, 154 2015), researchers will need to invest more effort to understanding the focus and 155 interpretation of Bayes Factor comparisons as they differ from traditional NHST. 156 The Bayesian framework can be viewed as a continuum, with objective Bayesian 157 analyses on one end, and subjective Bayesian analyses on the other (Press, 2002). While this 158 topic could lend itself to its own manuscript, here we will simply summarize the two 159

endpoints, and discuss where our analysis may be perceived to fall on the line. Objective 160 Bayesian analysis is closest to frequentist theory, as priors are set to be as uninformative as 161 possible to allow little, if any, influence on the estimates and distribution of the posterior; 162 thus, the data is allowed to maximally effect the posterior distribution. On the other end, 163 subjective Bayes analyses include rigorously informed priors so that current knowledge can 164 play a large role in the posterior. Our current analysis splits these two; we do not utilize 165 completely uniformed (objective) priors, as we can adjust for basic knowledge of the 166 constraints of our data type. Given the usual lack of information about underlying 167 distributions, a wider band of inclusion was used for prior information. The BayesFactor 168 package (Morey & Rouder, 2015) assists greatly in the choice of prior and is especially 169 user-friendly for applied researchers, as it makes use of recommended default priors that have 170 been chosen to be safe to assume under a broad range of data and topics (Rouder, Morey, Speckman, & Province, 2012; Rouder, Speckman, Sun, Morey, & Iverson, 2009). Instead of 172 conventional F, t, and p-values, a ratio of the likelihood of the alternative model to the null 173 is report, usually BF_{10} . For instance, $BF_{10} = 20$ would indicate that the effects model is 174 favored 20 to 1 over the null model. Conversely, if the BF_{10} were 0.10, the null model is 175 favored 10 to 1 over the effects model.

177 Typical Procedure

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The procedure behind Bayes Factor (BF) comparisons requires two steps.

179 1) One must design two models for the data. For our purposes, the first of these models
180 will be the null model, which states that there are no differences between means. The
181 second model for these analyses is the effects model, which states that each mean is
182 allowed to be different from the grand mean. In designing these models, one must
183 choose the prior distributions that are believed to describe the data. Reasonable
184 expectancies of where the data lie should be incorporated in this decision based on
185 previous research into the studied phenomena (Rouder et al., 2012). These can be

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operationalized as follows:

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$$H_0: X_{ij} \sim N(\mu, \sigma^2)$$

$$H_A: X_{ij} \sim N(\mu + \alpha_i, \sigma^2)$$

2) Analyze the data given the selected priors and models. Consider the BF and use the BF_{10} as evidence of how one should update their beliefs about the models.

Based on the flexibility of the analysis, the only assumption that needs to be made is that data exists such that two competing, plausible models with different constraints may be specified. While not an assumption of the method, we did additionally needed to ensure no missing data occurred in our dataset as this was a requirement of the package utilized in the simulations.

Bayesian inference improves upon the traditional frequentist point of view by allowing 194 not only a clear interpretation of the evidence provided by the data, but also the ability to 195 speak in favor of the null hypothesis. It is important to note that while previous work has 196 indicated that p-values and BF largely agree on which hypothesis should be supported, they 197 differ in the strength of that conclusion, especially when p-values were slightly lower than α 198 (i.e., .05 to .01; Wetzels et al., 2011). However, some limitations do arise in this paradigm. 199 Bayesian analyses require the researcher to take an active role in the choice of prior 200 distributions for the phenomenon they are modeling, and this decision can take some effort 201 to fully understand; however, in the meantime, there are packages such as BayesFactor that 202 allow the researcher simple default options that can readily lend themselves to many research 203 areas with little fear of being outrageous specifications. Further, unlike NHST, Bayesian analyses do not necessarily control long-run error rates, as the focus is on updating current 205 model beliefs. Another concern that many researchers have is that these analyses are 206 necessarily sensitive to prior choice. However, research has shown that the choice of priors 207 has essentially no effect on conclusions when sufficient data has been collected as the priors 208

give way to the weight of the data (Klugkist & Hoijtink, 2007; Rouder et al., 2012) and when
reasonable priors are considered, data are only mildly sensitive to these (Haaf & Rouder,
2017). Finally, many believe Bayesian analysis to be too computationally intensive to
complete. However, many simple programs, packages, and tutorials exist to help ease the
transition from frequentist to Bayesian analysis (JASP Team, 2017; Kruschke, 2014; Morey
& Rouder, 2015).

Observation Oriented Modeling

History

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James Grice argues that our problems as a science go beyond use of NHST and extend 217 into the philosophical ideas underpinning our research. Therefore, he developed a new 218 paradigm called Observation Oriented Modeling (OOM, Grice, 2011, 2014; Grice, Barrett, Schlimgen, & Abramson, 2012). He reasons that by viewing psychology through the lens of realism, instead of positivism, we should be able to properly and effectively conduct research 221 and analyze data. In contrast to positivism (i.e., which is solely concerned with finding an 222 effect, not with how the effect occurred), realism is the belief that effects conform to their 223 cause and that given the correct models of these processes we can begin to understand our 224 reality. By viewing science as knowing nature through its causes, we can use Aristotle's four 225 causes (material, efficient, formal, and final) to think in terms of structures and processes in 226 order to explain phenomena. Switching to this philosophy allows for techniques that match 227 the daily activities of social scientists in their endeavors to unravel the story of how humans 228 operate. Using OOM, a researcher does not focus on population parameters and the various 229 assumptions underlying statistical tests (e.g., random sampling, normality, homogeneity of 230 population treatment differences, etc.). Instead, the researcher alternatively focuses on 231 observations at the level of the individual. 232

Generally speaking, this approach can handle any type of data, including ordinal rankings and frequency counts, as all analyses are calculated in the same general fashion (see

Valentine & Buchanan, 2013 for an example). This simplicity occurs because OOM works on the deep structure of the data. Through observational definition, the program separates 236 these units into binary code. Deep structures can be arranged to form a matrix, which can 237 then be manipulated via matrix algebra, binary Procrustes rotation, and other operations to 238 investigate the data. The most important values from any OOM analysis are the PCC 230 (percent correct classification) values. These values represent the summation of how well an 240 individual's responses matched the stated or expected pattern or, in the case of causal 241 modeling, how many of the individual's conformed to a given cause. Complete matches are 242 the proportion of observations that match the researcher-designated pattern on all 243 dimensions. For example, in a three-level Ordinal Pattern Analysis (OPA), a person would 244 be tallied as a "complete match" if the ordinal pattern of his/her data matched the expected 245 ordinal pattern across all three levels. Imagine we have set a pattern that designates that time 1 responses should be less than time 2 which should be less than time 3. Given the data for two hypothetical individuals in Table 1, we can see that person A matched the pattern completely, and therefore would be counted in the PCC value. However, while person B matched the first part of our pattern (time 1 less than time 2), they did not match on the 250 third point of our pattern (time 2 less than time 3); thus, they would not be counted in the 251 PCC value. The PCC value replaces all of the conventional values for effect size used in 252 statistical analyses. The analysis we focus on here (OPA) does not form any type of linear or 253 nonlinear equation or regression, but simply looks for those individuals who match the 254 expected ordinal pattern (Grice, Craig, & Abramson, 2015). The main point of the analysis, 255 then, is to see how many people fit the expected pattern which is based on a causal theory. 256 If all causes are accounted for in the study and observations have been made with sufficient 257 precision and accuracy, then 100% of the persons should fit the expected pattern; otherwise, 258 a lower PCC value will be expected and it is up to the researcher to determine how high a 250 PCC must be in order to support an inference to the causal mechanism. 260

In OOM, p-values are no longer utilized (Grice, 2011). As a secondary form of

reference value, a chance value (c-value) is obtained, which is a type of randomization test in 262 which the researcher determines the number of randomized trials for the test (e.g. 1000 or 263 5000 randomized versions of actual observations). This procedure is akin to permutation 264 tests, where the original data is shuffled a number of times to create comparable data sets. 265 These randomized data sets are then compared to the designated pattern. If the randomized 266 data sets fit the pattern as well as or better than the actual data does, the c-value will be 267 high (close to 1). Low c-values (close to 0) indicate a pattern of observations that is 268 improbable (i.e., unlikely produced by chance) when compared to randomized versions of the 269 same data. Although low c-values, like low p-values, are desirable, c-values do not adhere to 270 a strict cut-off and should be considered a secondary form of confirmation for the researcher 271 that their results are distinct. 272

Typical Procedure

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The OPA is analogous to repeated measures ANOVA and contains two steps.

Designate the expected ranked pattern: each variable as being higher, lower, or equal to the other variables. See Figure 1 for an example of a defined pattern.

Add something else here that says that we are not talking about testing one hyp
vs. another, were interested in seeing that this pattern matches to the best of our ability,
i.e. enough people have this pattern that we can assume this is true. Not like NHST or
Bayes where we compare hypotheses or bayes where we compare model fits.

$$X_{i_1} < X_{i_2} < X_{i_3}$$

281 2) Analyze the data using the OPA. Consider the PCC and c-values in light of the data
282 and use your best judgment as to whether or not the data conform to the expected
283 pattern. This analysis only requires the assumption that the data exists such that a
284 pattern may be designed.

As with all of these methodologies, limitations do exist. This approach is largely
concerned with patterns of responses, not with magnitudes of differences, which may be an
integral piece of information to some researchers. Unlike all approaches mentioned before, we
do not discuss the probability of some data given our hypothesis here, and instead focus on
the observed responses of the individual and how it may or may not behave as expected.
Finally, similar to the Bayesian analysis, long-run error rates are not discussed in this
methodology.

A Simulation Study

Simulated Data

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In this study, we generated 20,000 datasets by manipulating sample size and effect size 294 for a repeated measures design with three levels. A repeated measures design was chosen as 295 it is widely used across many disciplines of psychology. These datasets were created using 296 the mvtnorm package in R (Genz et al., 2017), and all code for simulations can be found at 297 https://osf.io/u9hf4/. Interested readers can easily adapt the R code to incorporate different 298 research designs. Likert data, ranging from 1 to 7, was created by rounding mytnorm 290 estimates to whole numbers and truncating any data points out the appropriate range 300 (i.e. values < 1 were rounded to 1, and values > 7 were rounded to 7). We specifically chose 301 Likert-type data as this data type is one of the most common data types utilized by most 302 social scientists. Additionally we add to the literature as other simulations have chosen to 303 use completely continuous data (i.e., simulated numbers are often precise to 10+ decimals, 304 which is unlikely for normal samples). The population means for each level were set to 2.5, 3.0, and 3.5, and effect sizes were manipulated by adjusting the standard deviation to create negligible effects (SD = 3.39, d = 0.10), small effects (SD = 3.00, d = 0.20), medium effects (SD = 0.50, d = 0.50), and large effects (SD = 0.10, d = 0.80) using Cohen (1992)'s 308 traditional guidelines for d interpretation. The smallest effect size was set such that Likert 309 style data could still be retained with the smallest possible effect size. Sample size was 310

manipulated at 10, 30, 100, 500, and 1,000 data points. All combinations of the five sample sizes and four effect sizes were created, and each dataset was simulated 1,000 times, totaling 20,000 datasets.

The advantage of using mvtnorm and set SDs for each group was the ability to approximate the assumptions of normality by randomly generating from a multivariate normal distribution, and homogeneity by setting equal SDs for each group. In a repeated measures design, the assumption of sphericity was met by setting the correlations between levels in mvtnorm to zero. By maintaining the lowest level of relationship between levels, we additionally controlled for power and examined situations of significance given the lowest power scenario. During the data simulation, the standard deviation of the difference scores was examined to maintain differences greater than zero, especially for low n simulations.

322 Analyses Performed

Descriptive Statistics. Means, mean differences between levels, and the confidence intervals for each mean can be found in the complete dataset online, https://osf.io/u9hf4/. For each simulation, we also calculated d values using the standard deviation of the difference score as the denominator (d_z , Lakens, 2013). The MOTE library was used to calculate the non-central confidence interval for each d value as well (Buchanan, Valentine, & Scofield, 2017; Cumming, 2014). This data was mainly used to determine if simulations were meeting expected values overall.

Parametric NHST - Repeated Measures ANOVA. Repeated measures
ANOVA using the ezANOVA() function in the ez library was utilized with type three sum of
squares (Lawrence, 2017). This style of ANOVA is used to compare the same individuals
across multiple or all conditions in an experiment. The null hypothesis states that there are
no significant differences between population means, and the research hypothesis posts that
there are differences between population means, but does not specify which population
means may differ, just that one or more will differ as the alternative. This test uses the F

distribution focusing on p values.

To determine where differences may exist, post hoc dependent t-tests are normally 338 analyzed in the event of a significant F-ratio. We did not run all pairwise comparisons, 339 instead focusing on the linear trend simulated by comparing level one to two and level two to 340 three. This set of comparisons also controlled the effect size between comparisons, as 341 comparing level one to three would have doubled the effect size. However, we assumed that 342 the typical researchers might compare all three pairwise combinations in practice and used a 343 Bonferroni correction across all three possible pairwise combinations to calculate p values for 344 post hoc tests. Therefore, while we only discuss the two comparisons, we utilized the more 345 stringent cutoff of the Bonferroni correction as we believe this procedure would be how the 346 majority of researchers would handle the data. Interested readers can find all three 347 comparison values in the complete dataset online. A p-value of less than .05 was binned as 348 significant, whereas p-values ranging from .10 to .05 were binned as marginally significant. 349 Any p-values larger than .10 were binned as non-significant. A second set of p-value 350 comparisons was calculated given Benjamin et al. (2017)'s suggestion to change α criterion 351 to less than .005. Any p-value less than .005 was binned as significant, while data ranging 352 from .005 to .10 was marginal or suggestive, and p > .10 was non-significant.

Bayesian Analysis: Bayes Factor. We compared a null model with one grand 354 mean for all three levels to an effects model wherein means were allowed to differ using the 355 BayesFactor package (Morey & Rouder, 2015). The default in this package is a Jeffreys prior 356 with a fixed rscale (0.5) and random rscale (1.0). BF were calculated, and follow up t-test 357 BFs were computed for the same two comparisons as in the previous models using default priors from the BayesFactor package (e.g., Jeffreys prior for population variance, Cauchy prior for standardized effect size). To compare Bayesian results to other statistical methods, 360 we used recommendations from Kass and Raftery (1995) to bin results into weak evidence 361 (BFs < 3), positive evidence (e.g., akin to marginal p-values, BFs = 3-20), and strong 362 evidence (BFs > 20). BF interpretation should focus on understanding the odds of model 363

ratios, and these bins are used here as a convenient comparison to procedures that do have 364 set criteria for interpretation (Morey, 2015). 365

OOM: Ordinal Pattern Analysis. An R script of the Ordinal Pattern Analysis 366 from Grice et al. (2015)'s OOM program was provided from Sauer and Luebke (2016). We set the expected ranked pattern as level one less than level two less than level three (see Figure @ref:(fig:oom-pic)). Once this pattern is defined, we then analyzed the data to see if each individual's set of observations matched this expected ordinal pattern. PCC values were generated, and c-values were computed by randomizing the data 1,000 times. Solely for 371 purposes of comparison, we used the following significance coding schema: significant studies 372 had a high PCC value (.50 < PCC < 1.00) and a low c-value (c < .05), marginal studies 373 had a high PCC value and a moderate c-value (.05 < c < .10), and non-significant studies 374 had low PCC values (PCC < .50), regardless of their c-values. 375

Results 376

Percent of Estimates 377

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For all simulations, we first binned the estimates into significant, marginal, and 378 non-significant effect categories as described in the Analyses Performed section above. Next, 379 we calculated the percentage of these analyses that would be classified into each of these 380 categories, separated about by statistical analysis, sample size, and effect size. These 381 estimates were binned across both the overall and follow up post hoc tests, and the combined 382 data is presented for this analysis. Since all three categories of binning total to 100%, we 383 present only the significant and non-significant results. All analyses and findings can be 384 found online at https://osf.io/u9hf4/. 385 Significant critical omnibus estimates are presented in Figure 2. For negligible effects 386 at p < .05 (solid lines), we found that NSHT analyses showed a predictable Type I error bias, 387 in that they detect significant estimates with extremely small d values as sample size

increases. Binned BF values showed a similar pattern, but were more conservative with less

percent significant estimates. OOM analyses were the most conservative, essentially never 390 detecting an estimate in the negligible effect simulations. Small effect sizes showed the same 391 pattern for NHST, BF, and OOM results, with the proportion of significant estimates 392 increasing more rapidly and asymptoting at a smaller sample size than negligible effects. At 393 medium effect sizes, NHST analyses nearly always detected estimates, while BF and OOM 394 analyses would have been considered "significant" around 75% of the time. Interestingly, 395 with large effect sizes, OOM analyses mirror NHST by always detecting estimates, and BF 396 analyses were generally more conservative except at the largest sample size. Figure 2's 397 dashed lines indicate the results if values were binned at p < .005, and the differences 398 between these results was very subtle. Lowering α reduced the number of significant 399 estimates at small n values for all four effect sizes, with more pronounced differences at 400 negligible and small effect sizes. However, the graphs converged to the same conclusion that 401 large enough sample sizes can produce significant results at negligible and small effect sizes. 402 Figure 3 portrays the results for non-significant binned simulations, which were the 403 same for both α criterion. Across all effect sizes, BF and NHST showed similar results, 404 where non-significant estimates were detected at lower sample sizes for negligible and small 405 effect size simulations. At medium and large effect sizes, almost all estimates would have 406 been considered significant, therefore, detection rates for non-significant estimates were 407 around zero. OOM displayed a conservative set of findings, showing nearly 100% 408 non-significant estimates at negligible and small effect sizes (mirroring results from Figure 2). At medium effect sizes, approximately a quarter of estimates were non-significant, illustrating the conservative nature of OOM interpretations.

412 Percent Agreement

A goal of this project was to expand the toolbox of options for researchers to determine
what evidence supports their hypotheses by examining multiple methodologies. We
calculated the percent of time that all analyses agreed across overall and *post hoc* comparison

estimates. Figure 4 illustrates the pattern of 100% agreement on effects for critical omnibus 416 tests only at each sample size and effect size. Figure 5 portrays the results for post hoc tests, 417 which only uses NHST and Bayes Factor analyses, as OOM does not have a post hoc test 418 (i.e., the test is a pattern analysis that presupposes the expected direction of post hoc tests). 419 When effect size was negligible and for small effects, agreement was best across small 420 samples and decreases across sample size, as NHST was overly biased to report significant 421 estimates and OOM and BF were less likely to do so. For medium and large effect sizes, 422 50-75% agreement was found, usually regardless of sample size. Additionally, we found that 423 for negligible, small, and medium effects, agreement for post hoc tests was higher than 424 agreement for overall comparisons. The post hoc comparisons for levels 1 to 2 and levels 2 to 425 3 were less likely to be binned as significant across negligible and small effects, so the 426 agreement levels were higher for these individual comparisons due to non-significant follow 427 up tests. The critical omnibus test was more likely to be significant due to the inclusion of 428 effect of comparisons between level 1 and 3, which were double the effect size. However, 429 these post hoc comparisons do not include the conservative significant binning from OOM, 430 which decreased critical omnibus 100% agreement seen in Figure 4. Again, the differences 431 between p < .05 and p < .005 were minimal. Complete tables of percentages of binning 432 across critical omnibus and post hoc tests, along with agreement percentages broken down by 433 bins can be found at https://osf.io/u9hf4/.

435 Criterion Comparison

As the relationship between BF and p-values is already well documented, we will not discuss them here beyond stating that we found the expected pattern shown in previous work (citation), and that individuals who wish to view this comparison, as well as all the other comparisons discussed here should visit our interactive Shiny application at https://osf.io/u9hf4/. Of interest was the comparison of OOM indices to traditional NHST and Bayesian indices. First, in Figure 6, PCC values are plotted against log BF values and

p-values. The log of BF was taken to include all values on a viewable axis, and all infinity
 values were windsorized to the next highest point. Increasing sample size is shown by
 increasing point size and lighter colors. Additionally, since OOM values are a combination of
 PCC and c-values, c-values below .05 are shown as Xs instead of dots. Therefore, all values
 PCC >= .50 that are also denoted as Xs would be considered significant in this example.
 The provided Shiny application uses color to distinguish sample size differences, as well as
 includes options to create each combination effect size and criterion individually. Only two
 graphs are provided here to save space.

In Figure 6, the left hand column portrays the relationship between log BF values and 450 PCC values in negligible and medium effect sizes. With negligible effect sizes, we found large 451 variability in PCC values across a small span of BF values while sample sizes remain low, 452 but as N increases, we saw that the range of PCC values narrowed considerably with 453 increasing BF values. Therefore, as sample size increases, the PCC values constricted, while 454 BF values expanded. A similar pattern appeared when viewing the medium sample size 455 graph, as again PCC values became less variable with increased sample size, and BF tended to increase both in variability and in value as the sample size grew. Here, we can see a benefit of PCC, along with c-values, as increasing sample size portrayed more precision in PCC, instead of the increased variability found in BF. 459

It is also important to note that within the negligible effects graph, while many of
these PCC values reach high values, that these values do not denote patterns that would
necessarily be seen as unique. c-values were a secondary measure of evaluation that
eliminated a number of these matches from being considered meaningful. A large majority of
points with larger sample sizes on the figure included low chance values, however, the PCC
values for these simulations were lower than a meaningful percent used for cutoff criterion.
This two-step process helped to weed out effects that were negligible, especially at larger
sample sizes.

Additionally, we can compare p-values and PCC values, which are illustrated on the

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right hand side of Figure 6. Again, PCC values showed far more variability with small 469 sample sizes, and the p-values associated with these smaller sample sizes were also quite 470 variable. Importantly, even when an effect was negligible, PCC values become less variable 471 and also indicated that there was little evidence of the pattern at hand by shifting toward 472 zero. p-values lost almost all of their variability at high sample sizes and decreased to 473 minuscule values, thus, pointing toward rejecting the null hypothesis. With medium effect 474 sizes, both p-values and PCC values were variable at small sample sizes. At larger sample 475 sizes, p-values decreased towards floor effects (i.e. closer to zero), while PCC values simply 476 narrowed in range shifting slight above .50. The benefit of multiple criterion evaluation here 477 is clear, as p-values indicated significance as sample size increased, while PCC values present 478 a more stable picture of effect sizes. While multiple criterion may not completely reduce 479 false positives in the literature, the relationship between these values illustrates that multiple indices can provided a clearer picture of the evidentiary value available in a study. 481

482 Discussion

This manuscript was designed to showcase available methodologies to researchers and 483 to compare the conclusions each methodology might make in a given data environment. We 484 believe that the application of multiple methodologies might assist in strengthening our 485 conclusions and improving reproducibility by giving researchers the ability to weight various 486 forms of evidence. We found that changing the threshold at which p-values are deemed 487 "significant" had little to no effect on conclusions, especially at large sample sizes, regardless 488 of effect size. This finding is notable as the article by Benjamin et al. (2017) states that an increase in sample size is likely to decrease false positives "by factors greater than two" (p. 10), and work by Pericchi and Pereira (2016) state that an adaptive level of significance would be beneficial in these circumstances, neither of which are not supported by our 492 simulations. Our science will not grow by moving the significance line in the sand, as this 493 line has already been shown to have "no ontological basis" (Rosnow & Rosenthal, 1989, p.

begin to use a combination of approaches to qualify the strength of evidence. By comparing multiple methodologies, we can see a more nuanced version of our data. Regardless if analyses agree or disagree on the presence of an effect, a researcher can investigate the size of the effect and discuss conclusions accordingly. Each methodology behaves slightly differently in given data environments, which might begin to highlight meaningful differences when discussed together.

Some may contest that all of these analyses are capable of being hacked, like p-values, 502 through researcher degrees of freedom, choice of priors, or pattern choice, among other 503 actions (Simmons et al., 2011). Transparency throughout the research process is key to 504 eliminating these issues, as α changes may only encourage bad research practices with the 505 current incentive structure on publishing. With the Internet, we can share research across 506 the globe, but research often still occurs behind closed doors. The Open Science Framework 507 grants insight into research processes, allowing researchers to share their methodologies, 508 code, design, and other important components of their projects. In addition to posting 509 materials for projects, pre-registration of hypotheses and methodology will be an important 510 facet in scientific accountability. Further, with increased transparency editors and other researchers can weigh the evidence presented according to their own beliefs. 512

Our key suggestion in this project is the redefinition of evidentiary value. The current 513 focus on p-values has shown to be problematic, as many of the studies from the Open 514 Science Collaboration (2015) do not replicate at p < .05 or p < .005 (Lakens et al., 2017). 515 With the change in transparency mentioned above, publishing research with solid research designs and statistics, regardless of p-values, will allow for a broader range of evidence to 517 become available. Publishing null findings is critical in replication and extension for 518 discovering the limits and settings necessary for phenomena. Registered replications and 519 reports will allow studies to be accepted prior to results being known, thus allowing 520 researchers to focus on experimental design and hypotheses appriori instead of p-values post 521

hoc. Reports should describe multiple indicators of evidence, such as effect sizes, confidence
 intervals, power analyses, Bayes Factors, and other descriptive statistics (Finkel, Eastwick, &
 Reis, 2015; Nosek & Lakens, 2014; Van't Veer & Giner-Sorolla, 2016).

A misunderstanding of statistical power still plagues psychological sciences (Bakker, 525 Hartgerink, Wicherts, & van der Maas, 2016), and the effect of sample size, especially small 526 ones, was shown here by comparing the criterion avaliable in these analyses. Often, 527 individual research labs may not have the means to adequately power a proposed study. 528 Multilab studies and collaboration with other scientists is fundamental to alleviating these 529 issues, while encouraging interdisciplinary science. Collaboration increases our statistical 530 abilities, as every researcher cannot be expected to be proficient in all methods and analyses, 531 but teams of researchers can be assembled to cover a wider range of statistical skills to 532 provide adequate estimates of evidence in their reports. We understand that there may be 533 resistance to the implementation of multiple methodologies as these new methodologies take 534 time and effort to learn. However, through the use of free programs (JASP, R, OOM, Shiny) 535 and tutorials (YouTube, Coursera, http://www.statstools.com), we believe all researchers are 536 capable of learning these analyses. We believe that through the expansion of our analytical 537 knowledge and application of these new methodologies, we can begin to attenuate some of 538 the strain currently placed on psychological science and to increase the strength of evidence 539 in our discipline.

Limitations Limitations

Within any study a number of limitations exist. The largest limitation of our study is
that we chose to focus on a simple three level repeated measures ANOVA design. The
benefit to this focus is the simplicity of understanding the relationship between these values,
while also using a well understood NHST procedure. However, is possible that these same
relationships may or may not exist in alternative design contexts. Additionally, our choices
for classification of "significant" effects for p-values, Bayesian factors, PCC, and c-values was

based on what we believe a reasonable researcher may designate; however, these
classifications may vary in the real world. We provide open access to our simulations and
code so that an interested party can tinker with these choices. We believe the global
conclusions would likely be similiar across changes, however, the specific percentages and
patterns would likely differ. Finally, due to the specification of our simulation we did not
violate any statistical assumptions. It is possible—and highly likely—that violation of these
assumptions may cause changes in the relationships we see here.

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 $\begin{tabular}{ll} Table 1 \\ OOM\ Ordinal\ Pattern\ Analysis\ Example \\ \end{tabular}$

1	2	3	4
Individual	Time 1	Time 2	Time 3
A	3	4	5
В	4	5	2

	Level 1	Level 2	Level 3
Highest Score	О	О	+
	О	+	О
Lowest Score	+	О	О

Figure 1. Figure of designed Ordinal Pattern Analysis for our simulation student. +s represent hypothesized squares for the given pattern and Os represent non-hypothesized squares.

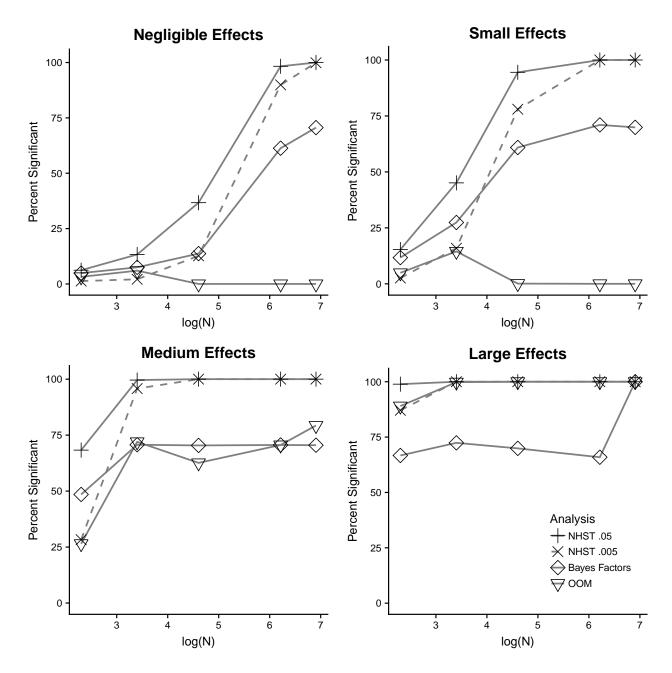


Figure 2. Percent of significant estimates at p < .05 (solid) and p < .005 (dashed) for each analysis given effect size and sample size.

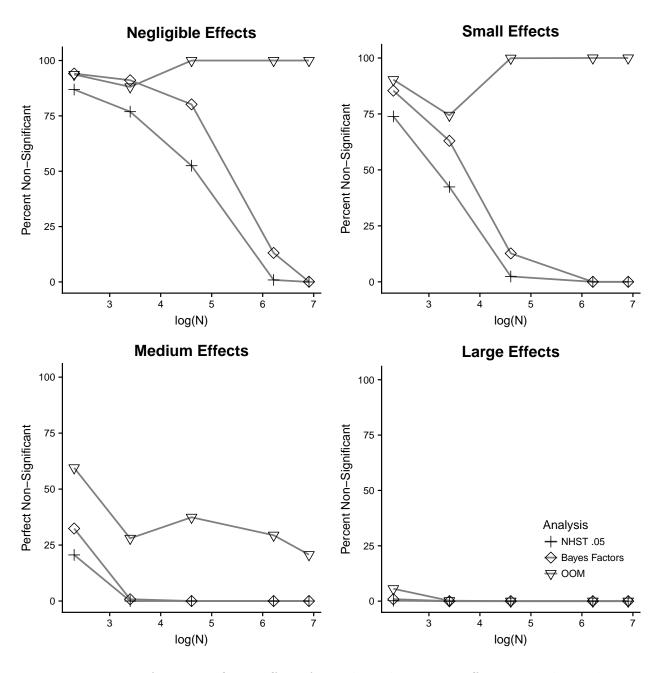


Figure 3. Percent of non-significant effects for each analysis given effect size and sample size.

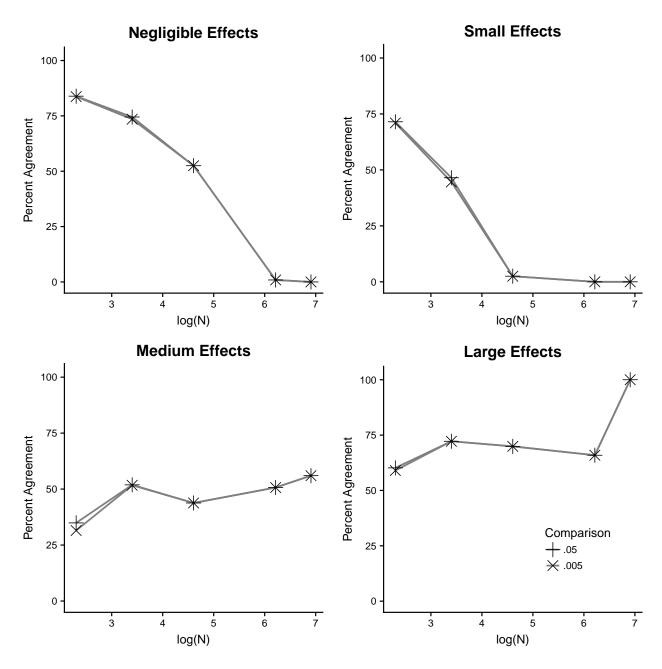


Figure 4. Percent of agreement across each analysis given effect size and sample size for omnnibus tests.

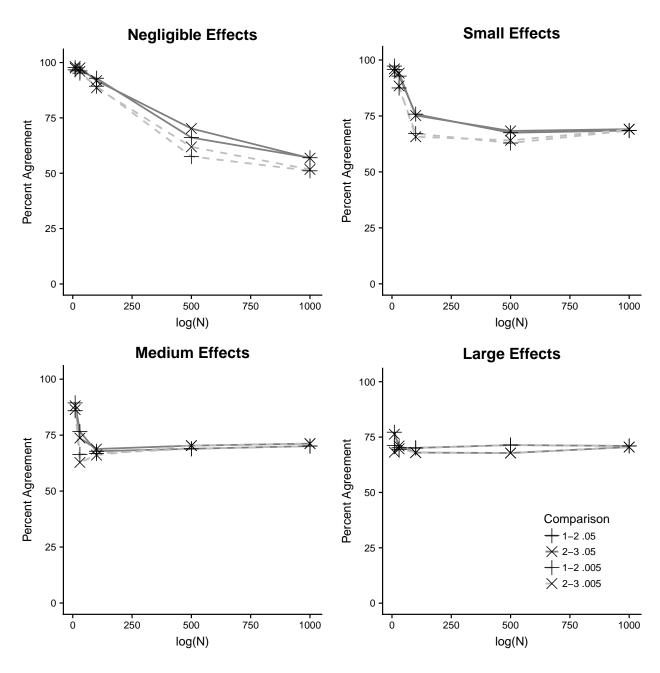


Figure 5. Percent of agreement across each analysis given effect size and sample size posthoc tests with p < .05 (solid) and p < .005 (dashed).

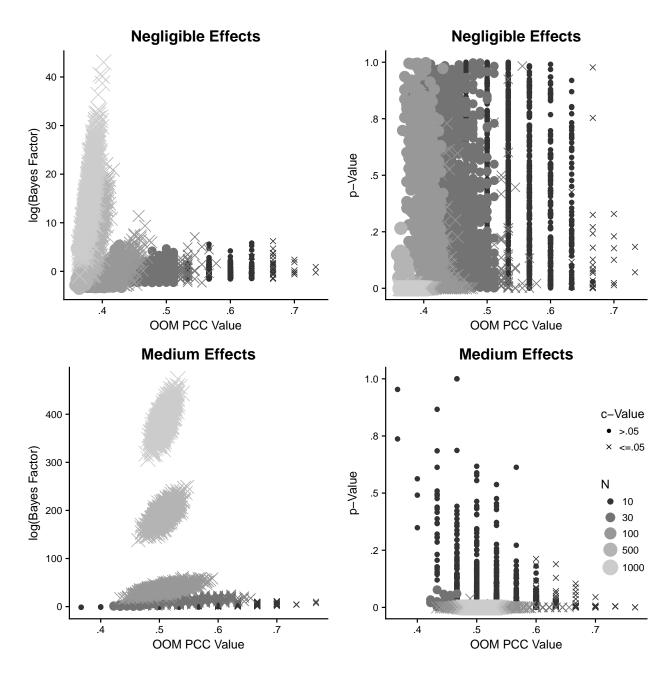


Figure 6. PCC and c-values plotted against p and BF values for negligible and medium effect size conditions. Xs indicate simulations with c-values < .05,which were binned as significant if they were found in conjunction with PCC values over .50. Point size and color indicates sample size wherein larger samples are lighter colors.