

Reliability of Instructor Evaluations

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Author Note

TBA

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Abstract

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## Reliability of Instructor Evaluations

## Exploratory Research Questions:

- 1) What is the reliability of instructor evaluations?
- 2) Are instructor evaluations reliable across time?
- 3) Is the perceived fairness of the grading in the course a moderator of reliability in instructor evaluations?
- 4) Does the variability in instructor fairness rating predict reliability of instructor evaluations?

**Method****Data Source**

The archival study was conducted using data from the psychology department at a large Midwestern public university. We used data from 975 undergraduate, 108 mixed-level undergraduate, and 15 graduate psychology classes taught from 1987 to 2018 that were evaluated by students using the same 15-item instrument. Faculty followed set procedures in distributing scan forms no more than two weeks before the conclusion of the semester. A student was assigned to collect the forms and deliver them to the departmental secretary. The instructor was required to leave the room while students completed the forms. In the last several years of evaluations, online versions of these forms were used with faculty encouraged to give students time to complete them in class while they were outside the classroom.

The questionnaire given to students can be found at <https://osf.io/4sphx>. These items were presented with a five-point scale from 1 (*strongly disagree*) to 5 (*strongly agree*). For this study, the overall instructor evaluation question was “The overall quality of this course was among the top 20% of those I have taken.”. For fairness, we used the question of

“The instructor used fair and appropriate methods in the determination of grades.”. The ratings were averaged for each course, and the sample size for each rating was included.

### Planned Analyses

The evaluations will be filtered for those with at least ten student ratings for the course (Rantanen, 2012). We will perform a robustness check for the first research question on the data when the sample size is at least  $n = 10$  up to  $n = 14$  (i.e., on all evaluations with at least 10 ratings, then at least 11 ratings, etc.) to determine if the reliability estimates are stable at lower sample sizes. We will first screen the dataset (two evaluation questions, sample size for course) for accuracy errors, linearity, normality, and homoscedasticity. The data is assumed to not have traditional “outliers”, as these evaluations represent true averages from student evaluations. If the linearity assumption fails, we will consider potential nonparametric models to address non-linearity. Deviations from normality will be noted as the large sample size should provide robustness for any violations of normality. If data appears to be heteroscedastic, we will use bootstrapping to provide estimates and confidence intervals.

This data was considered structured by instructor; therefore, all analyses below were coded in *R* using the *nlme* package (Pinheiro, Bates, Debroy, Sarkar, & Team, 2017) to control for correlated error of instructor as a random intercept in a multilevel model. Multilevel models allow for analysis of repeated measures data without collapsing by participant [i.e., each instructor/semester/course combination can be kept separate without averaging over these measurements; Gelman (2006)]. Random intercept models are regression models on repeated data that structure the data by a specified variable, which was instructor in this analysis. Therefore, each instructor’s average rating score was allowed to vary within the analysis, as ratings would be expected to be different from instructor to instructor. In each of the analyses described below, the number of students providing ratings for the course was included as a control variable to even out differences in

course size as an influence in the results. However, this variable will be excluded if the models do not converge. The dependent variable and predictors varied based on the research question, and these are described with each analysis below.

**RQ 1.** In this research question, we will examine the reliability of instructor evaluations on the overall rating and separately on the fairness rating. We will calculate eight types of reliability using course (same or different) by instructor (same or different) by semester (same or different). The dependent variable will be the first question average with a predictor of the comparison question average, and both sample sizes (first sample size, comparison sample size). Instructor code will be used as the random intercept for both ratings (i.e., two instructor random intercepts, first and comparison). The value of interest is the standardized regression coefficient for the fixed effect of question from this model. Given that the large sample size will likely produce “significant”  $p$ -values, we will use the 95% CI to determine which reliability values are larger than zero and to compare reliability estimates to each other.

**RQ 2.** We will use the reliability for the same instructor and course calculated as described in RQ1 at each time point difference between semesters. For example, the same semester would create a time difference of 0. The next semester (Spring to Summer, Summer to Fall, Fall to Spring) would create a time difference of 1. We will use the time difference as a fixed effect to predict reliability for the overall question only with a random intercept of instructor. We will use the coefficient of time difference and its confidence interval to determine if there is a linear change over time. Finally, we will plot the changes over time to examine if this effect is non-linear in nature and discuss implications of the graph.

**RQ 3.** Using the reliability estimates from RQ 2, we will then add the average rating for the fairness question as the moderator with time to predict reliability. Fairness will be calculated as the average of the fairness question for all courses involved in the reliability calculation for that instructor and time difference. Therefore, this rating

represents the average perceived fairness of grading at the time of ratings. If this interaction effect's coefficient does not include zero, we will perform a simple slopes analysis to examine the effects of instructors who are rated at average fairness, one standard deviation below average, and one standard deviation above average (Cohen, Cohen, West, & Aiken, 2003).

**RQ 4.** Finally, we will add the standard deviation of the fairness ratings to the equation from RQ 3 as a fixed effect. The variability in fairness ratings will be calculated in the same way as the mean fairness, which is only for the instructor and semester time difference evaluations that were used to calculate the reliability estimate. This variable represents the variability in perceived fairness in grading from student evaluations, where small numbers indicate relative agreement on the rating of fairness and larger values indicate a wide range of fairness ratings.

## Results

### Data Screening

The overall dataset was screened for normality, linearity, homogeneity, and homoscedasticity using procedures from Tabachnick, Fidell, and Ullman (2019). [Data generally met assumptions with a slight skew and some heterogeneity.] The complete anonymized dataset and other information can be found online at <https://osf.io/k7zh2>. This page also includes the manuscript written inline with the statistical analysis with the *papaja* package (Aust et al., 2022) for interested researchers/reviewers who wish to recreate these analyses.

### Descriptive Statistics

1098 evaluations included at least 15 student evaluations for analysis. Table 1 portrays the descriptive statistics for each course level including the total number of

evaluations, unique instructors, unique course numbers, and average scores for the two rating items. Students additionally projected their course grade for each class ( $A = 5$ ,  $B = 4$ ,  $C = 3$ ,  $D = 2$ ,  $F = 1$ ), and the average for this item is included for reference. Overall, 69 unique instructors and 32 unique courses were included in the analyses below across 94 semesters.

## RQ 1

Each individual evaluation was compared to every other evaluation resulting in 602253 total comparisons. Eight combinations of ratings were examined using instructor (same, different), course (same, different), and semester (same, different) on both the overall and fairness evaluation ratings separately. One rating was used to predict the comparison rating (i.e., question 1 was used to predict a comparison question 1) and the number of ratings per question were used as fixed effects covariates. The instructor(s) were used as a random intercept to control for correlated error and overall average rating per instructor. The effects were then standardized using the *parameters* package (Lüdtke et al., 2023).

As shown in 1, reliability was highest when calculated on the same instructor in the same semester and within the same course. This reliability was followed by the same instructor, same semester, and different courses. Next, the reliability for same instructor, same course, and different semesters was greater than zero and usually overlapped in confidence interval with same instructor, same semester, and different courses. Most all other combinations included zero in their confidence intervals, suggesting no reliable relation. Exact values can be found in the online supplemental document.

**RQ 2**

The paired evaluations were then filtered to only examine course and instructor matches to explore the relation of reliability across time. Reliability was calculated by calculating the partial correlation between the overall rating for the course first evaluation and the overall rating for the course second evaluation, controlling for the number of ratings within those average scores. This reliability was calculated separately for each instructor and semester difference (i.e., the time between evaluations, 0 means same semester, 1 means the next semester, 2 means two semesters later, etc.). The ratings were filtered so that at least 10 pairs of ratings were present for each instructor and semester difference combination (Weaver & Koopman, 2014). Of 14970 possible matched instructor and course pairings, 13304 included at least 10 pairings, which was 360 total instructor and semester combinations.

The confidence interval for the effect of semester difference predicting reliability DID/DID NOT cross zero,  $b = 0.00$ , 95% CI  $[-0.01, 0.00]$ ,  $R^2 = .08$ . WILL INTERPRET THIS VALUE. As shown in 2, WILL INTERPRET THIS FINAL GRAPH. [A negative slope implies that reliability decreases over time, while a positive slopes implies reliability increases over time. A slope containing zero would indicate no support for change in reliability over time. The graph will be interpreted post hoc].

**RQ 3**

The confidence interval for the interaction of semester time difference and average fairness DID/DID NOT cross zero,  $b = 0.00$ , 95% CI  $[-0.01, 0.00]$ ,  $R^2 = .09$ . WILL INTERPRET THIS VALUE, RUN SIMPLE SLOPES IF SIGNIFICANT.



**RQ 4**

The confidence interval for the addition of the variability of fairness DID/DID NOT cross zero,  $b = 0.00$ , 95% CI  $[-0.01, 0.00]$ ,  $R^2 = .09$ . WILL INTERPRET THIS VALUE. [A positive value indicates that increasing variability in fairness indicates higher reliability over time, while a negative value indicates that reliability decreases with increasing variability in fairness over time].

**Discussion**

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Table 1

*Descriptive Statistics of Included Courses*

	1	2	3
course_level	undergraduate	mixed	masters
totaln	975	108	15
num_instruct	68	12	2
num_courses	22	8	2
avg_people	34.46	20.88	20.27
avgq1	3.94	4.12	3.18
avgsd1	0.62	0.45	0.59
avgq4	4.47	4.63	3.80
avgsd4	0.35	0.28	0.60
avgq15	4.28	4.58	4.18
avgsd15	0.33	0.22	0.25

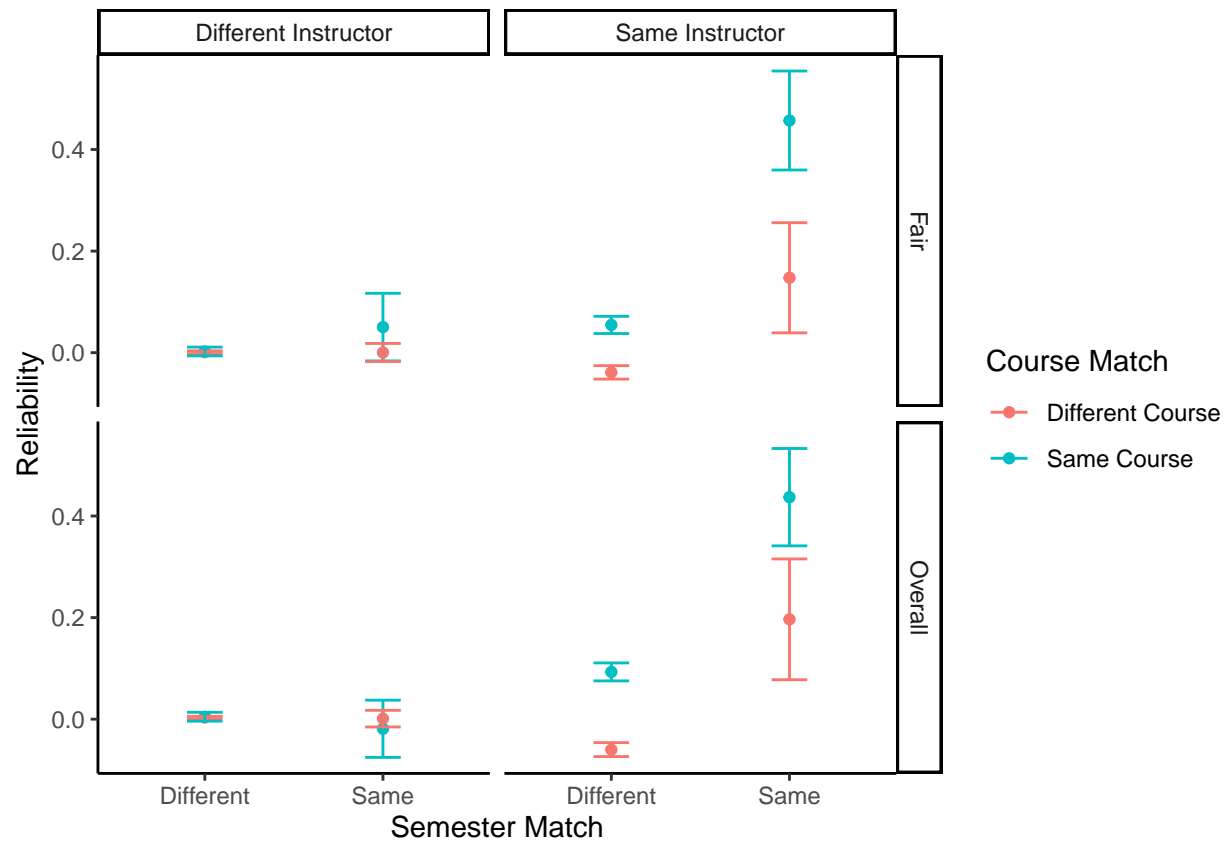


Figure 1. Reliability estimates for instructor, course, and semester combinations.

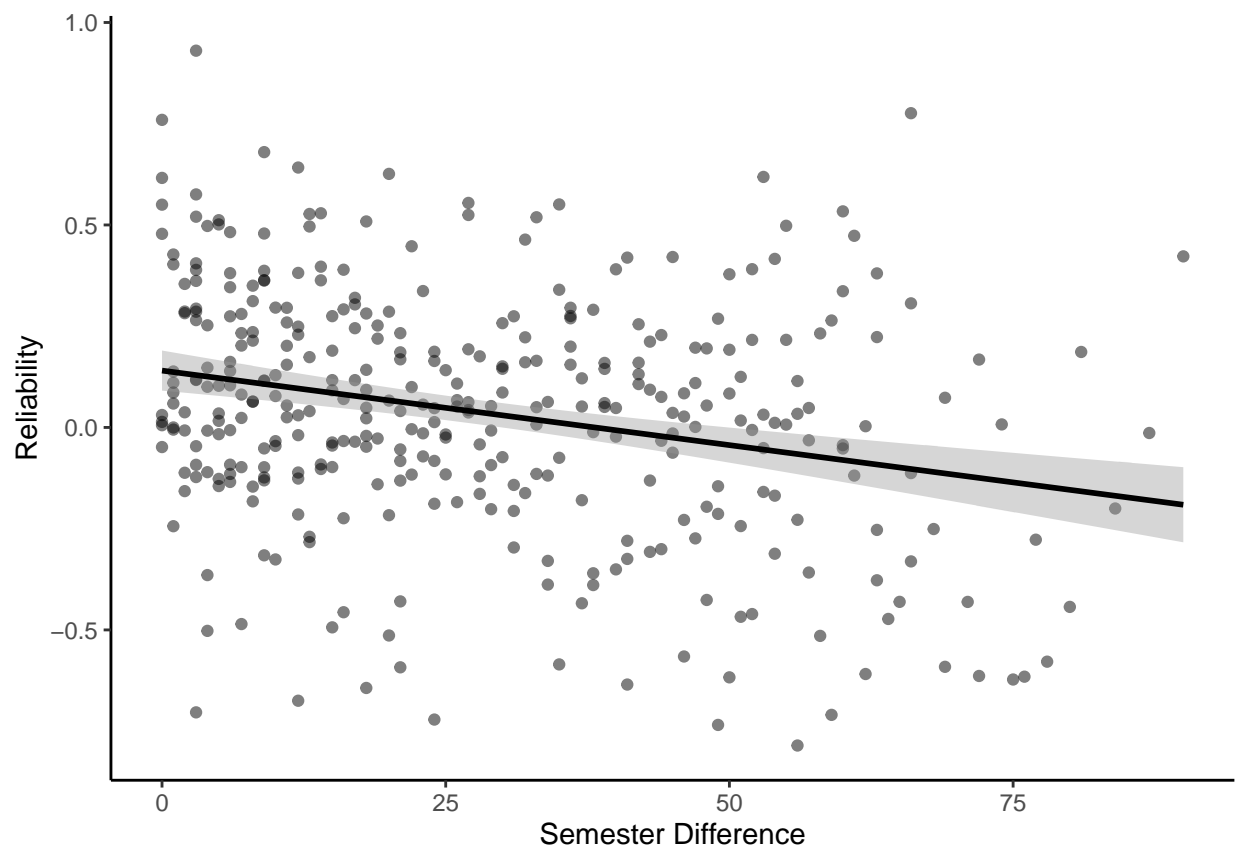


Figure 2. Reliability estimates for same instructor and course across time.