Formulas

We used the following formulas to calculate effect sizes with the following notation:

- SS: Sum of squares
- df: Degrees of Freedom
- MS: Mean squared error
- N: Sample size

Subscripts:

- A: The main independent variable of interest
- B: An additional independent variable
- S: Subject variance for the A or B independent variable or the interaction
- T: Total variance

Full Eta Squared

One-way Between:

$$\eta^2 = \frac{df_A(MS_A - MS_{S/A})}{SS_T}$$

Two-way Between:

$$\eta^2 = \frac{df_A(MS_A - MS_{S/A})}{SS_T}$$

One-way Within:

$$\eta^2 = \frac{df_A(MS_A - MS_{AXS})}{SS_T}$$

Two-way Within:

$$\eta^2 = \frac{df_A(MS_A - MS_{AXS})}{SS_T}$$

Two-way Mixed:

$$\eta^2 = \frac{df_A(MS_A - MS_{AXS/B})}{SS_T}$$

Full Omega Squared

One-way Between:

$$\omega^2 = \frac{df_A(MS_A - MS_{S/A})}{SS_T + MS_{S/A}}$$

Two-way Between:

$$\omega^2 = \frac{df_A(MS_A - MS_{S/A})}{SS_T + MS_{S/A}}$$

One-way Within:

$$\omega^2 = \frac{df_A(MS_A - MS_{AXS})}{SS_T + MS_S}$$

Two-way Within:

$$\omega^2 = \frac{df_A(MS_A - MS_{AXS})}{SS_T + MS_S}$$

Two-way Mixed:

$$\omega^2 = \frac{df_A(MS_A - MS_{AXS/B})}{SS_T + MS_{S/B}}$$

Partial Eta Squared

One-way Between:

$$\eta_p^2 = \frac{SS_A}{SS_A + SS_{S/A}}$$

Two-way Between:

$$\eta_p^2 = \frac{SS_A}{SS_A + SS_{S/AB}}$$

One-way Within:

$$\eta_p^2 = \frac{SS_A}{SS_A + SS_{AXS}}$$

Two-way Within:

$$\eta_p^2 = \frac{SS_A}{SS_A + SS_{AXS}}$$

Two-way Mixed:

$$\eta_p^2 = \frac{SS_A}{SS_A + SS_{AXS/B}}$$

Partial Omega Squared

Two-way Between:

$$\omega_p^2 = \frac{df_A(MS_A - MS_{S/A})}{SS_A + (N_T - df_A)MS_{S/A}}$$

Two-way Within:

$$\omega_p^2 = \frac{df_A(MS_A - MS_{AXS})}{SS_A + SS_{AXS} + SS_S + MS_S}$$

Two-way Mixed:

$$\omega_p^2 = \frac{df_A(MS_A - MS_{AXS/B})}{SS_A + SS_{AXS/B} + SS_{S/B} + MS_{S/B}}$$

Generalized Eta Squared

One-way Between:

$$\eta_G^2 = \frac{SS_A}{SS_T}$$

Two-way Between:

$$\eta_G^2 = \frac{SS_A}{SS_A + SS_{S/AB}}$$

One-way Within:

$$\eta_G^2 = \frac{SS_A}{SS_T}$$

Two-way Within:

$$\eta_G^2 = \frac{SS_A}{SS_A + SS_S + SS_{AXS} + SS_{BXS} + SS_{AXBXS}}$$

Two-way Mixed:

$$\eta_G^2 = \frac{SS_A}{SS_A + SS_{S/B} + SS_{AXS/B}}$$