Migrant Stock Model

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Total number foreign born

$${}_{n}\mathbf{foreign_born}_{x_{S,C}} = \beta_{0} + \beta_{1} \frac{{}_{n}\mathbf{FB}_\mathbf{expats}_{x_{S,C}}}{{}_{n}\mathbf{FB}_\mathbf{penetration}_{x_{S,C}}} + \beta_{2n}I_{x} + \beta_{3}I_{S} + {}_{n}\epsilon_{x_{S,C}}$$

Where ${}_{n}\mathbf{FB}\mathbf{_penetration}_{x_{S,C}} = \frac{{}_{n}\mathbf{FB}\mathbf{_users}_{x_{S,C}}}{{}_{n}\mathbf{Total}\mathbf{_pop}_{x_{S,C}}}, {}_{n}Y_{x}$ is the age interval [x,x+n), S is the subscript indicating sex, C is the subscript indicating country, and I is an indicator variable.

Percent foreign born

$${}_{n}\%\mathbf{foreign_born}_{x_{S,C}} = \beta_0 + \beta_1 \frac{{}_{n}\mathbf{FB} \mathbf{_expats}_{x_{S,C}}}{{}_{n}\mathbf{FB} \mathbf{_users}_{x_{S,C}}} + \beta_2 {}_{n}I_x + \beta_3 I_S + {}_{n}\epsilon_{x_{S,C}}$$

Where ${}_{n}Y_{x}$ is the age interval [x,x+n), S is the subscript indicating sex, C is the subscript indicating country, and I is an indicator variable.