COSC 3337 : Data Science I



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What is data exploration?

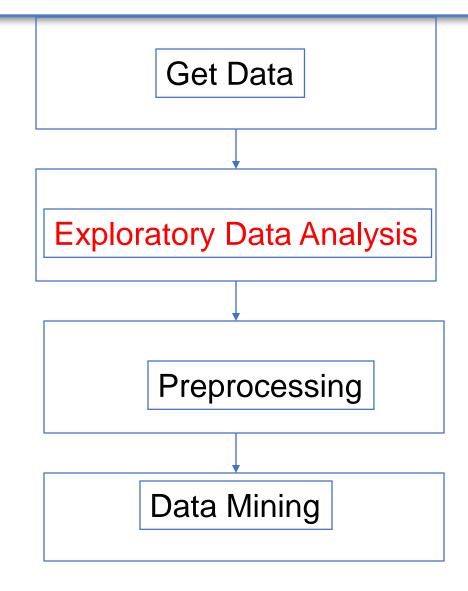


A preliminary exploration of the data to better understand its characteristics.

- Key motivations of data exploration include
 - Helping to select the right tool for preprocessing or analysis
 - Making use of humans' abilities to recognize patterns
 - People can recognize patterns not captured by data analysis tools
- Related to the area of Exploratory Data Analysis (EDA)
 - Created by statistician John Tukey
 - Seminal book is Exploratory Data Analysis by Tukey
 - A nice online introduction can be found in Chapter 1 of the *NIST/SEMATECH e-Handbook of Statistical Methods* http://www.itl.nist.gov/div898/handbook/index.htm

Exploratory Data Analysis





Techniques Used In Data Exploration



- In EDA, as originally defined by Tukey
 - The focus was on visualization
 - Clustering and anomaly detection were viewed as exploratory techniques
 - In data mining, clustering and anomaly detection are major areas of interest, and not thought of as just exploratory
- In our discussion of data exploration, we focus on
 - Summary statistics
 - Visualization
 - Online Analytical Processing (OLAP)

Iris Sample Data Set



- Many of the exploratory data techniques are illustrated with the Iris Plant data set.
 - Can be obtained from the UCI Machine Learning Repository <u>http://www.ics.uci.edu/~mlearn/MLRepository.html</u>
 - From the statistician Douglas Fisher
 - Three flower types (classes):
 - Setosa
 - Virginica
 - Versicolour
 - Four (non-class) attributes
 - Sepal width and length
 - Petal width and length



Virginica. Robert H. Mohlenbrock.
USDA NRCS. 1995. Northeast
wetland flora: Field office guide to
plant species. Northeast National
Technical Center, Chester, PA

Iris Flower





Virginica. Robert H. Mohlenbrock. USDA NRCS. 1995. Northeast wetland flora: Field office guide to plant species. Northeast National Technical Center, Chester, PA. Courtesy of USDA NRCS Wetland Science Institute.

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Summary Statistics



- Summary statistics are numbers that summarize properties of the data
 - Summarized properties include frequency, location and spread
 - Examples: location mean spread - standard deviation
 - Most summary statistics can be calculated in a single pass through the data

Frequency and Mode



- The frequency of an attribute value is the percentage of time the value occurs in the data set
 - For example, given the attribute 'gender' and a representative population of people, the gender 'female' occurs about 50% of the time.
- The mode of an attribute is the most frequent attribute value
- The notions of frequency and mode are typically used with categorical data

Percentiles



 For continuous data, the notion of a percentile is more useful.

Given an ordinal or continuous attribute x and a number p between 0 and 100, the pth percentile is a value x_p of p such that p% of the observed values of p0 are less than p1.

• For instance, the 50th percentile is the value $x_{50\%}$ such that 50% of all values of x are less than $x_{50\%}$.

Measures of Location: Mean and Median



- The mean is the most common measure of the location of a set of points.
- However, the mean is very sensitive to outliers.
- Thus, the median or a trimmed mean is also commonly used.

$$mean(x) = \overline{x} = \frac{1}{m} \sum_{i=1}^{m} x_i$$

$$median(x) = \begin{cases} x_{(r+1)} & \text{if } m \text{ is odd, i.e., } m = 2r + 1\\ \frac{1}{2}(x_{(r)} + x_{(r+1)}) & \text{if } m \text{ is even, i.e., } m = 2r \end{cases}$$

Measures of Spread: Range and Variance



- Range is the difference between the max and min
- The variance or standard deviation s_x is the most common measure of the spread of a set of points.

variance
$$(x) = s_x^2 = \frac{1}{m-1} \sum_{i=1}^{m} (x_i - \overline{x})^2$$

• Because of outliers, other measures are often used.

$$AAD(x) = \frac{1}{m} \sum_{i=1}^{m} |x_i - \overline{x}|$$

$$MAD(x) = median \left(\{ |x_1 - \overline{x}|, \dots, |x_m - \overline{x}| \} \right)$$

interquartile range(x) =
$$x_{75\%} - x_{25\%}$$

Visualization



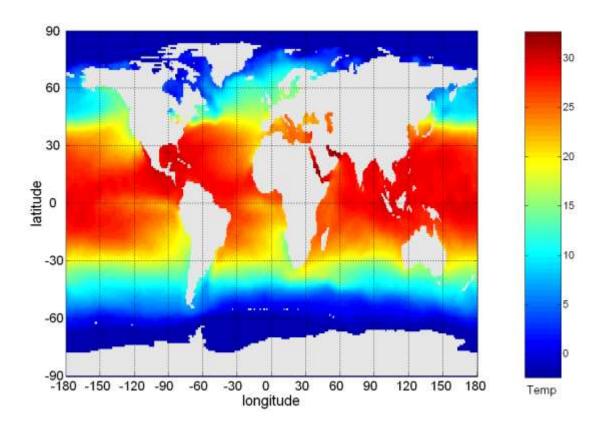
Visualization is the conversion of data into a visual or tabular format so that the characteristics of the data and the relationships among data items or attributes can be analyzed or reported.

- Visualization of data is one of the most powerful and appealing techniques for data exploration.
 - Humans have a well developed ability to analyze large amounts of information that is presented visually
 - Can detect general patterns and trends
 - Can detect outliers and unusual patterns

Example: Sea Surface Temperature



- The following shows the Sea Surface Temperature (SST) for July 1982
 - Thousands of data points are summarized in a single figure



Representation



- Is the mapping of information to a visual format
- Data objects, their attributes, and the relationships among data objects are translated into graphical elements such as points, lines, shapes, and colors.
- Example:
 - Objects are often represented as points
 - Their attribute values can be represented as the position of the points or the characteristics of the points, e.g., color, size, and shape
 - If position is used, then the relationships of points, i.e., whether they form groups or a point is an outlier, is easily perceived.

Arrangement



- Is the placement of visual elements within a display
- Can make a large difference in how easy it is to understand the data
- Example:

	1	2	3	4	5	6
1	0	1	0	1	1	0
2 3	1	0	1	0	0	1
3	0	1	0	1	1	0
4	1	0	1	0	0	1
4 5 6 7	0	1	0	1	1	0
6	1	0	1	0	0	1
	0	1	0	1	1	0
8	1	0	1	0	0	1
9	0	1	0	1	1	0

	6	1	3	2	5	4
4	1	1	1	0	0	0
2	1	1	1	0	0	0
6	1	1	1	0	0	0
8	1	1	1	0	0	0
5	0	0	0	1	1	1
3	0	0	0	1	1	1
9	0	0	0	1	1	1
1	0	0	0	1	1	1
7	0	0	0	1	1	1

Selection

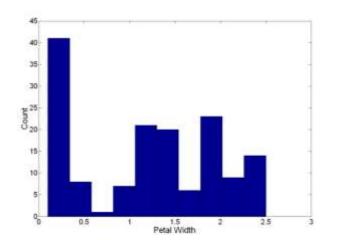


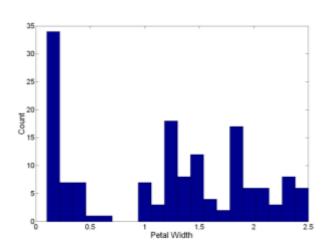
- Is the elimination or the de-emphasis of certain objects and attributes
- Selection may involve the choosing a subset of attributes
 - Dimensionality reduction is often used to reduce the number of dimensions to two or three
 - Alternatively, pairs of attributes can be considered
- Selection may also involve choosing a subset of objects
 - A region of the screen can only show so many points
 - Can sample, but want to preserve points in sparse areas

Visualization Techniques: Histograms



- Histogram
 - Usually shows the distribution of values of a single variable
 - Divide the values into bins and show a bar plot of the number of objects in each bin.
 - The height of each bar indicates the number of objects
 - Shape of histogram depends on the number of bins
- Example: Petal Width (10 and 20 bins, respectively)

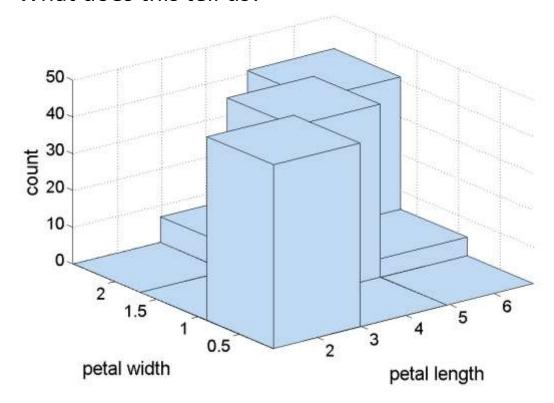




Two-Dimensional Histograms



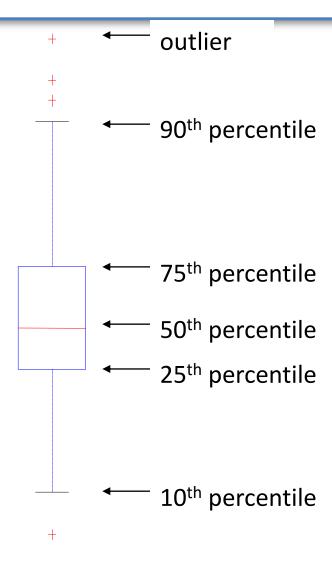
- Show the joint distribution of the values of two attributes
- Example: petal width and petal length
 - What does this tell us?



Visualization Techniques: Box Plots



- Box Plots
 - Invented by J. Tukey
 - Another way of displaying the distribution of data
 - Following figure shows the basic part of a box plot



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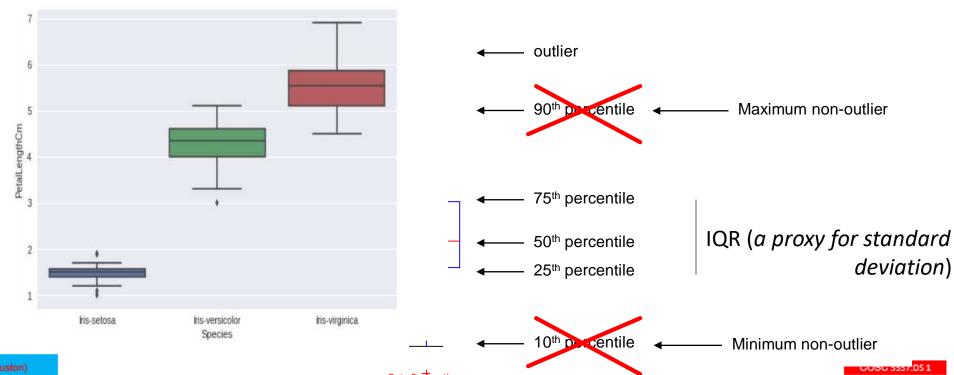
Data Exploration



Boxplots

By default, boxplot() plots the maximum and the minimum nonoutlying values instead of the 10th and 90th percentiles as the book describes. Outliers in BPs are values that are 1.5*IQR or more away from the box, where IQR is the height of the box!

sns.boxplot(x="Species", y="PetalLengthCm", data=iris)



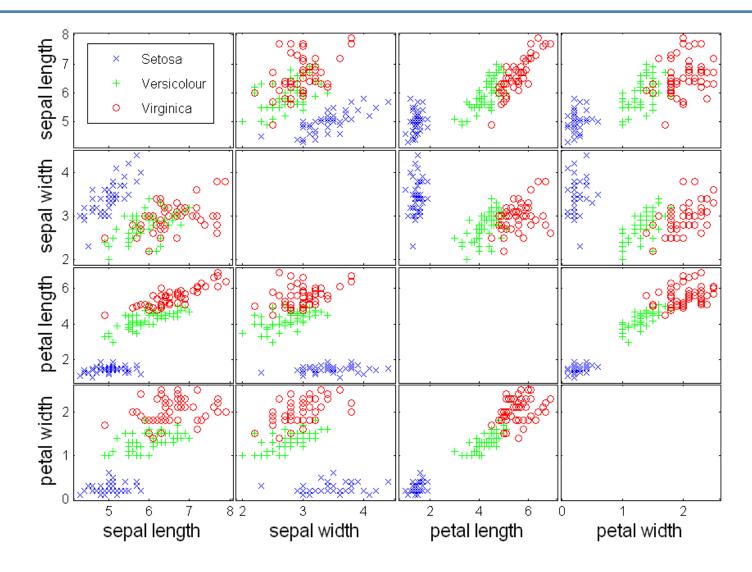
Visualization Techniques: Scatter Plots



- Scatter plots
 - Attributes values determine the position
 - Two-dimensional scatter plots most common, but can have three-dimensional scatter plots
 - Often additional attributes can be displayed by using the size, shape, and color of the markers that represent the objects
 - It is useful to have arrays of scatter plots can compactly summarize the relationships of several pairs of attributes
 - See example on the next slide

Scatter Plot Array of Iris Attributes





Visualization Techniques: Contour Plots

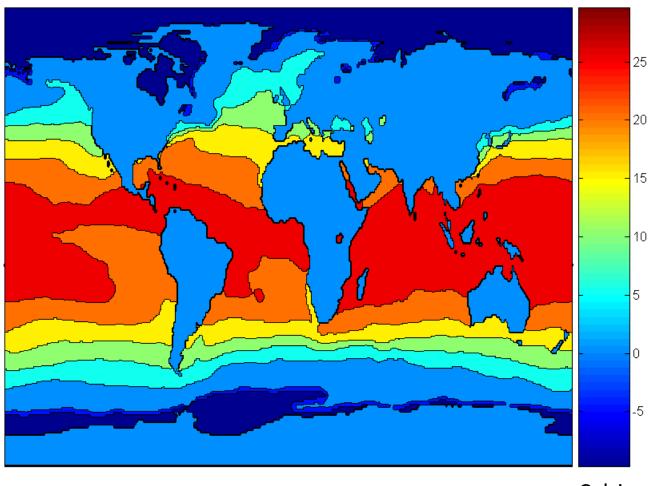


Contour plots

- Useful when a continuous attribute is measured on a spatial grid
- They partition the plane into regions of similar values
- The contour lines that form the boundaries of these regions connect points with equal values
- The most common example is contour maps of elevation
- Can also display temperature, rainfall, air pressure, etc.
 - An example for Sea Surface Temperature (SST) is provided on the next slide

Contour Plot Example: SST Dec, 1998





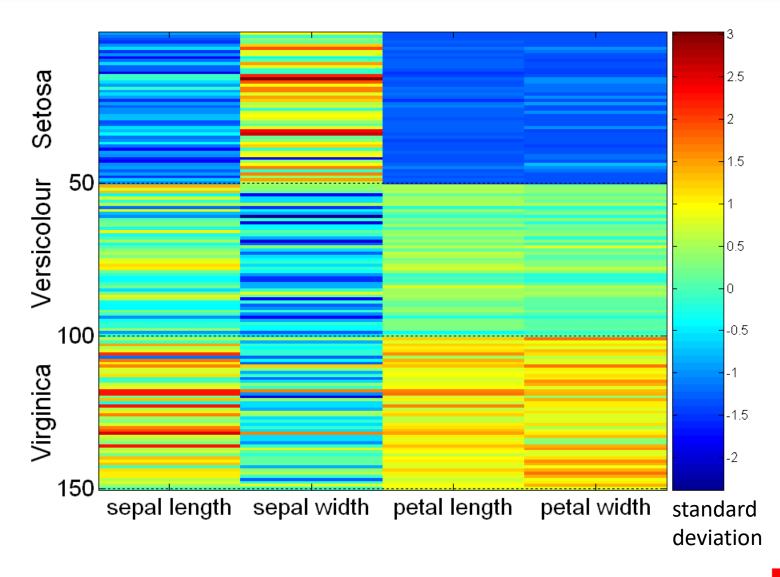
Visualization Techniques: Matrix Plots



- Matrix plots
 - Can plot the data matrix
 - This can be useful when objects are sorted according to class
 - Typically, the attributes are normalized to prevent one attribute from dominating the plot
 - Plots of similarity or distance matrices can also be useful for visualizing the relationships between objects
 - Examples of matrix plots are presented on the next two slides

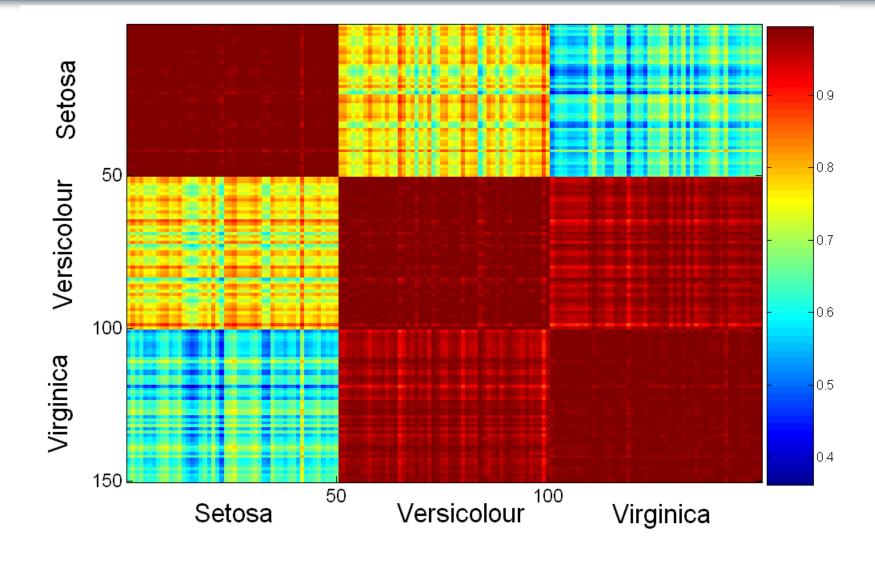
Visualization of the Iris Data Matrix





Visualization of the Iris Correlation Matrix





Visualization Techniques: Parallel Coordinates

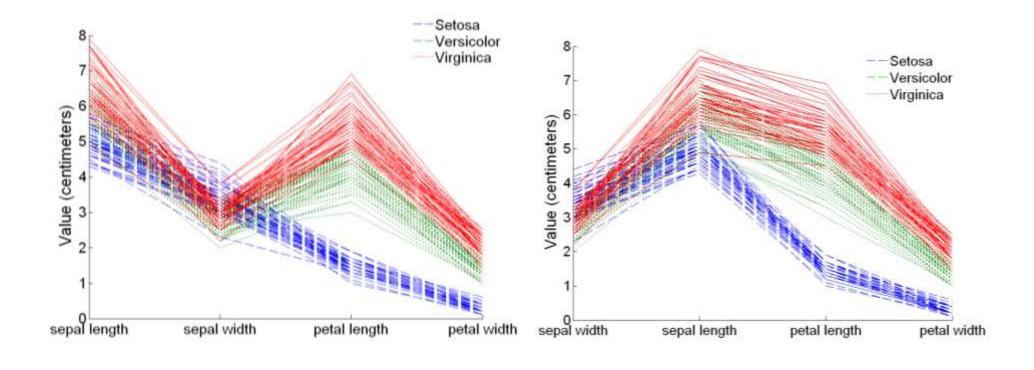


Parallel Coordinates

- Used to plot the attribute values of high-dimensional data
- Instead of using perpendicular axes, use a set of parallel axes
- The attribute values of each object are plotted as a point on each corresponding coordinate axis and the points are connected by a line
- Thus, each object is represented as a line
- Often, the lines representing a distinct class of objects group together, at least for some attributes
- Ordering of attributes is important in seeing such groupings

Parallel Coordinates Plots for Iris Data





plt.hist(mpg)
plt.plot()



```
sb.distplot(mpg)
from pandas.tools.plotting import
scatter_matrix
                                              cars.plot(kind='scatter', x='hp', y='mpg',
                                              c=['darkgray'], s=150)
import matplotlib.pyplot as plt
                                           sb.regplot(x='hp', y='mpg', data=cars, scatter=True)
from pylab import rcParams
"matrilotlib inline
import seaporn as sb
rcParams['figure.figsize'] = 5, 4
                                                        sb.pairplot(cars)
sb.set_style('whitegrid')
                                            cars df =
                                            pd.DataFrame((cars.ix[:,(1,3,4,6)].values),
   address = 'mtcars.csv'
                                             columns = ['mpg', 'disp', 'hp', 'wt'])
   cars = pd.read_csv(address)
                                             cars_target = cars.ix[:,9].values
   cars.columns =
                                            target_names = [0, 1]
   ['car_names','mpg','cyl','disp', 'hp', 'drat',
   'wt', 'qsec', 'vs', 'am', 'gear', 'carb']
                                            cars_df['group'] = pd.Series(cars_target,
   cars.index = cars.car_names
                                            dtype="category")
   mpg = cars['mpg'] cars.boxplot(colurab.paipgtob(cdaa)t)f, hue='group',
                         cars.boxplot(columalette; b)s'am')
   mpg.plot(kind='hist')
sb.boxplot(x='am', y='mpg', data=cars, palette='hls')
```

```
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
import scipy import sklearn
```



```
rel_df = pd.read_csv("Iris.csv")
 df = pd.read_csv('Iris.csv")
(col,value[-1])
                                                   del rel_df['ld'] rel = rel_df.corr()
  df.head(2)
                                                    sns.heatmap(rel,square= True)
                                                   plt.yticks(rotation=0)
  df.describe()
                                                    plt.xticks(rotation=90)
  df.info()
labels= []
value = []
for col in df.columns:
labels.append(col)
value.append(df[col].isnull().sum())
print.col,value[-1])
  # Counting the number of species in the dataset
  df['Species'].value_counts()
```

from sklearn import datasets Implementing various machine learning

iris = datasets_load iris() algorithms

General Workflow:

X=iris.data[:,[2,3]] 1.Splitting the data-set into training and test

y = *iris*.*target* data-set

splitting the dataset 2. Scaling the data-set

from sklearn.cross_validation import train_test_split

 $X_{train}, X_{test}, y_{train}, y_{test} = train_{test}$ the data to the classifier

split(X, y, test_size=_3, random_state=0)

print('There are {} samples in the training set and {} samples in the test set'**.format**(X_train.shape[0], X_test.shape[0]))
print()

scaling the dataset Ensemble Learning: Random Forests (n

from sklearn.preprocessing import StandardScaler Decision trees)

sc = StandardScaler() from sklearn.ensemble import RandomForestClassifier

sc_fit(X_train) model = RandomForestClassifier(max_depth=2)

model.fit(X_train_std,y_train)

X_train_std = sc.transform(X_train) print('Training Accuracy Sepal = {}'.format(model.score(X_train_std, y_train)))

 $X_{test_std} = sc.transform(X_{test})$ $print('Testing Accuracy Sepal = {}'.format(model.score(X_{test_std}, y_{test})))$

print('After standardizing our features, the first 5 rows of our data now look like this: \n')

X_train_print = pd.DataFrame(X_train_std)

X_train_print.head(5)

df.head(5)



Other Visualization Techniques (Optional)



Star Plots

- Similar approach to parallel coordinates, but axes radiate from a central point
- The line connecting the values of an object is a polygon

Chernoff Faces

- Approach created by Herman Chernoff
- This approach associates each attribute with a characteristic of a face
- The values of each attribute determine the appearance of the corresponding facial characteristic
- Each object becomes a separate face
- Relies on human's ability to distinguish faces

Star Plots for Iris Data



1	4	\$	4	\triangle	Setosa
1	2	3	4	5	
51	52	53	5 4	55	Versicolour
101	102	103	104	105	Virginica

Chernoff Faces for Iris Data



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Setosa









Versicolour











Virginica

OLAP



- On-Line Analytical Processing (OLAP) was proposed by E. F. Codd, the father of the relational database.
- Relational databases put data into tables, while OLAP uses a multidimensional array representation.
 - Such representations of data previously existed in statistics and other fields
- There are a number of data analysis and data exploration operations that are easier with such a data representation.

Creating a Multidimensional Array



- Converting tabular data into a multidimensional array:
 - Identify which attributes are to be the dimensions and which attribute is to be the target attribute
 - Attributes used as dimensions must have discrete values
 - Values of target variable appear as entries in the array
 - The target value is typically a count or continuous value
 - Can have no target variable at all except the count of objects that have the same set of attribute values
 - Find the value of each entry in the multidimensional array by summing the values (of the target attribute) or the count of all objects that have the attribute values corresponding to that entry.

Example: Iris data



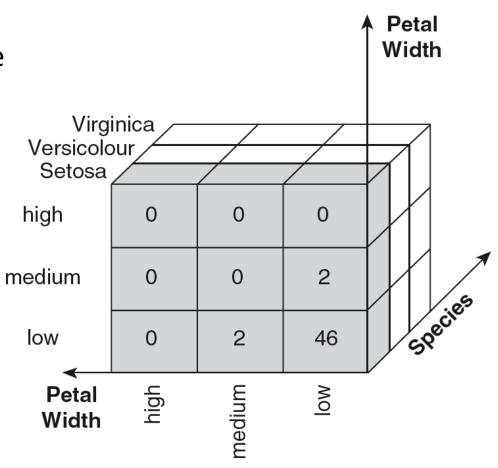
- We show how the attributes, petal length, petal width, and species type can be converted to a multidimensional array
 - First, we discretized the petal width and length to have categorical values: *low, medium,* and *high*

Petal Width	Species Type	Coun
low	Setosa	46
medium	Setosa	2
low	Setosa	2
medium	Versicolour	43
high	Versicolour	3
high	Virginica	3
medium	Versicolour	2
medium	Virginica	3
high	Versicolour	2
high	Virginica	44
	low medium low medium high high medium medium high	low Setosa medium Setosa low Setosa Versicolour high Versicolour high Virginica medium Versicolour medium Virginica high Versicolour Virginica Versicolour Virginica Versicolour

Example: Iris data (continued)



- Each unique tuple of petal width, petal length, and species type identifies one element of the array.
- This element is assigned the corresponding count value.
- The figure illustrates the result.
- All non-specified tuples are 0.



Example: Iris data (continued)



- Slices of the multidimensional array are shown by the following cross-tabulations
- What do these tables tell us?

XX7: 111

		\mathbf{Width}				
		low	medium	high		
:h	low	46	2	0		
engt	medium	2	0	0		
Гe	high	0	0	0		

		vv idtii				
		low	medium	high		
:	low	0	0	0		
engt	medium	0	43	3		
Гe	high	0	2	2		

Width

		width				
		low	medium	high		
T L	low	0	0	0		
ıgt	medium	0	0	3		
Гe	high	0	3	44		

OLAP Operations: Data Cube



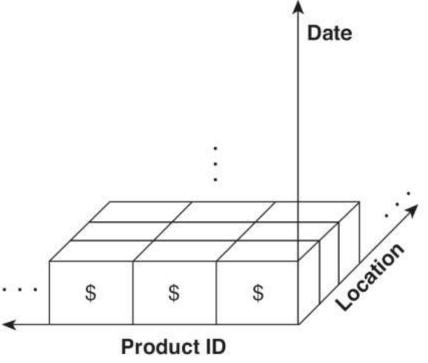
- The key operation of a OLAP is the formation of a data cube
- A data cube is a multidimensional representation of data, together with all possible aggregates.
- By all possible aggregates, we mean the aggregates that result by selecting a proper subset of the dimensions and summing over all remaining dimensions.
- For example, if we choose the species type dimension of the Iris data and sum over all other dimensions, the result will be a one-dimensional entry with three entries, each of which gives the number of flowers of each type.

Data Cube Example



- Consider a data set that records the sales of products at a number of company stores at various dates.
- This data can be represented as a 3 dimensional array
- There are 3 two-dimensional aggregates (3 choose 2),
 3 one-dimensional aggregates, and 1 zero-dimensional aggregate (the overall total)

Data Exploration



Data Cube Example (continued)



 The following figure table shows one of the two dimensional aggregates, along with two of the onedimensional aggregates, and the overall total

			date			
		Jan 1, 2004	Jan 2, 2004		Dec 31, 2004	total
_	1	\$1,001	\$987		\$891	\$370,000
ct II	•	:			į.	
odu	27	\$10,265	\$10,225	***	\$9,325	\$3,800,020
Б	:	:				
	total	\$527,362	\$532,953		\$631,221	\$227,352,127

OLAP Operations: Slicing and Dicing



- Slicing is selecting a group of cells from the entire multidimensional array by specifying a specific value for one or more dimensions.
- Dicing involves selecting a subset of cells by specifying a range of attribute values.
 - This is equivalent to defining a subarray from the complete array.
- In practice, both operations can also be accompanied by aggregation over some dimensions.

OLAP Operations: Roll-up and Drill-down



- Attribute values often have a hierarchical structure.
 - Each date is associated with a year, month, and week.
 - A location is associated with a continent, country, state (province, etc.), and city.
 - Products can be divided into various categories, such as clothing, electronics, and furniture.
- Note that these categories often nest and form a tree or lattice
 - A year contains months which contains day
 - A country contains a state which contains a city

OLAP Operations: Roll-up and Drill-down



- This hierarchical structure gives rise to the roll-up and drill-down operations.
 - For sales data, we can aggregate (roll up) the sales across all the dates in a month.
 - Conversely, given a view of the data where the time dimension is broken into months, we could split the monthly sales totals (drill down) into daily sales totals.
 - Likewise, we can drill down or roll up on the location or product ID attributes.