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# Lecture23:

## Operational amplifier (2)

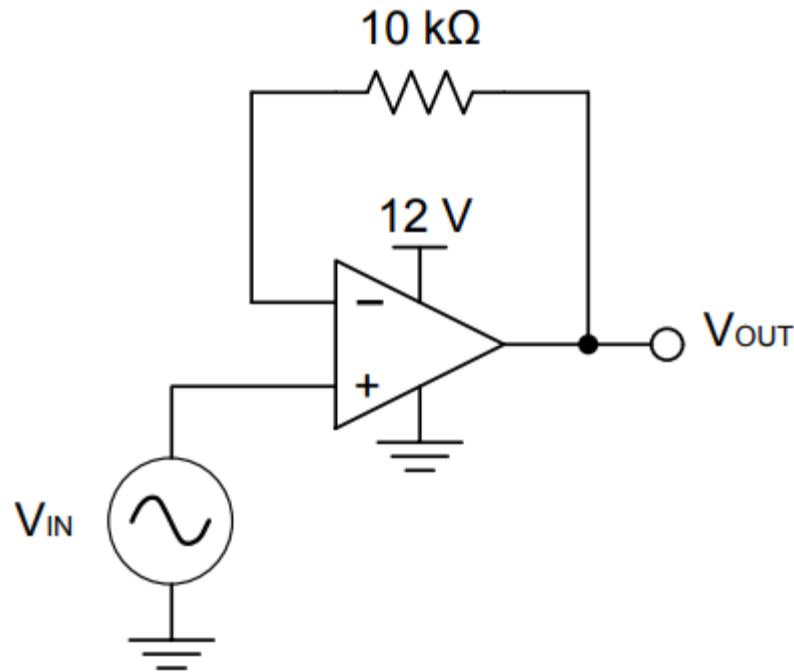
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# Unit-gain buffer

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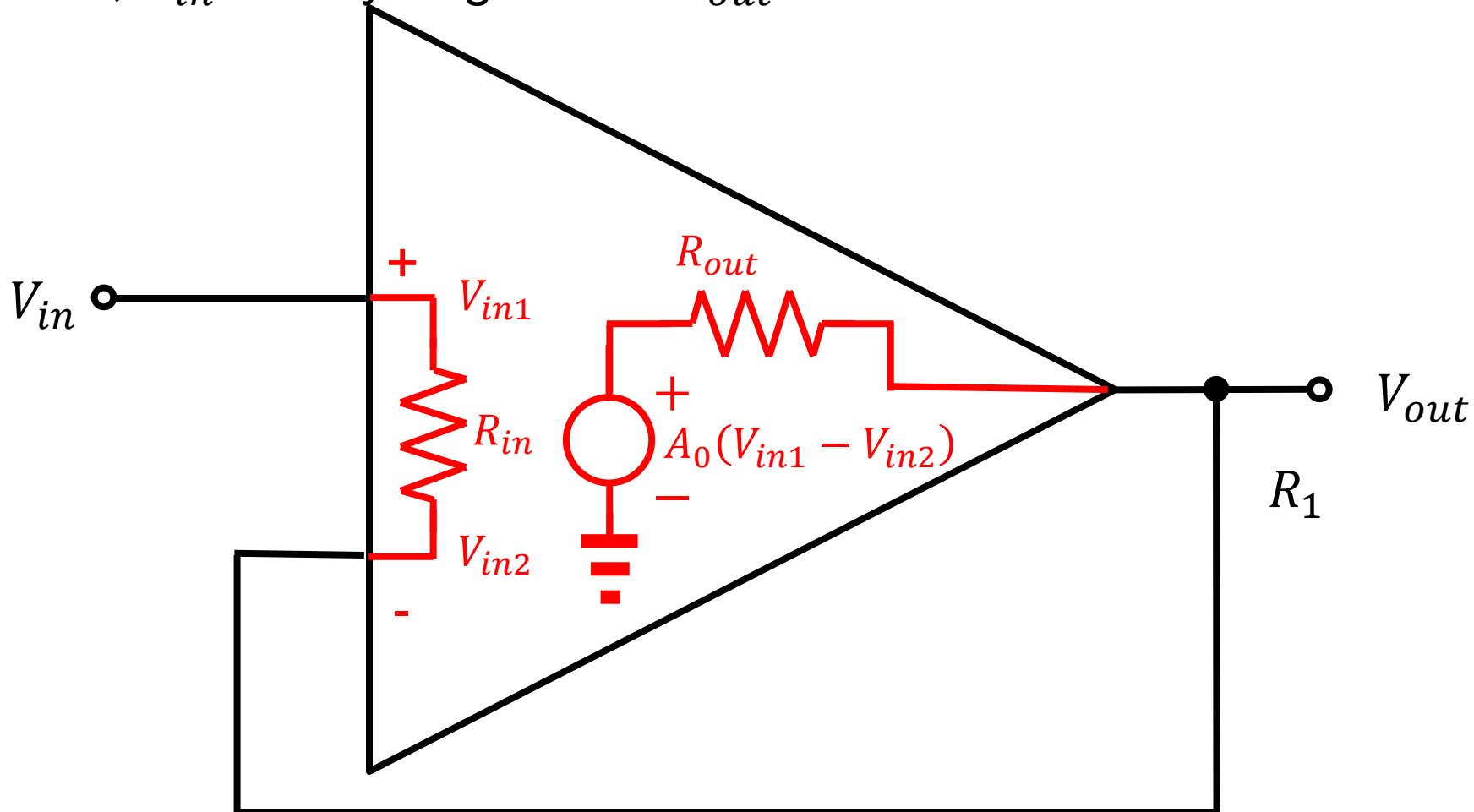
- Driving a relatively high current load
  - The output resistance of the op amp is almost negligible.
  - So, the resistance can provide as much current as necessary to the output load.



Schematic of a unit-gain buffer (Texas Instruments)

# Equivalent circuit

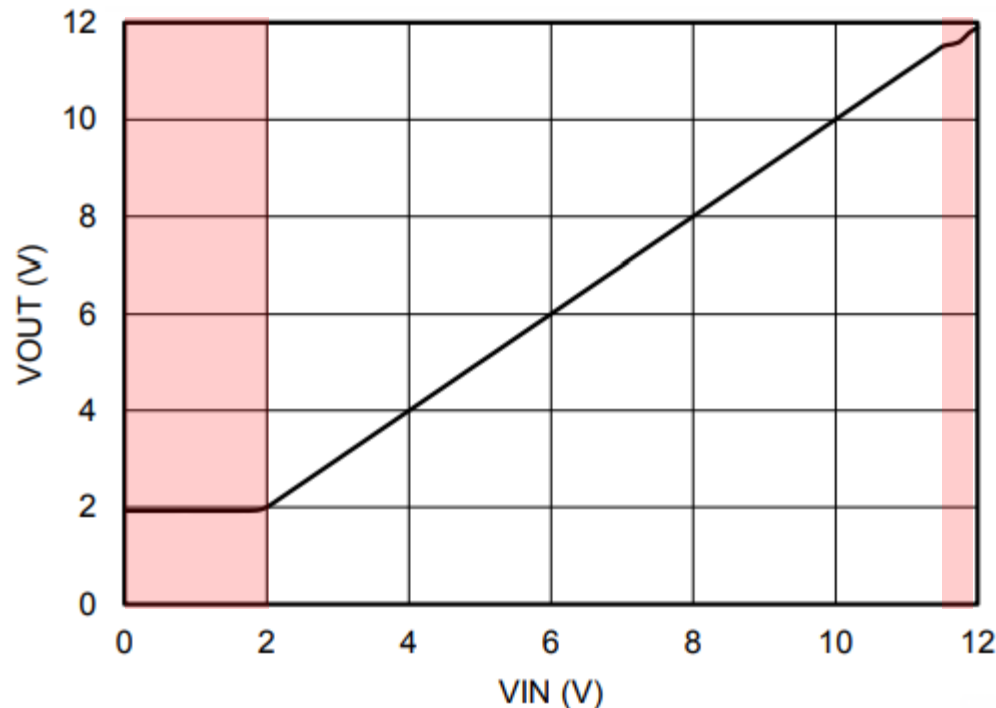
- Here,  $R_{in}$  is very large. Also  $R_{out}$  is small.



# Its output characteristics

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- Realistic curve
  - Using a negative voltage on the lower rail (rather than ground) allows the amplifier to maintain linearity for inputs below 2 V.



Output voltage versus input voltage (Texas Instruments)

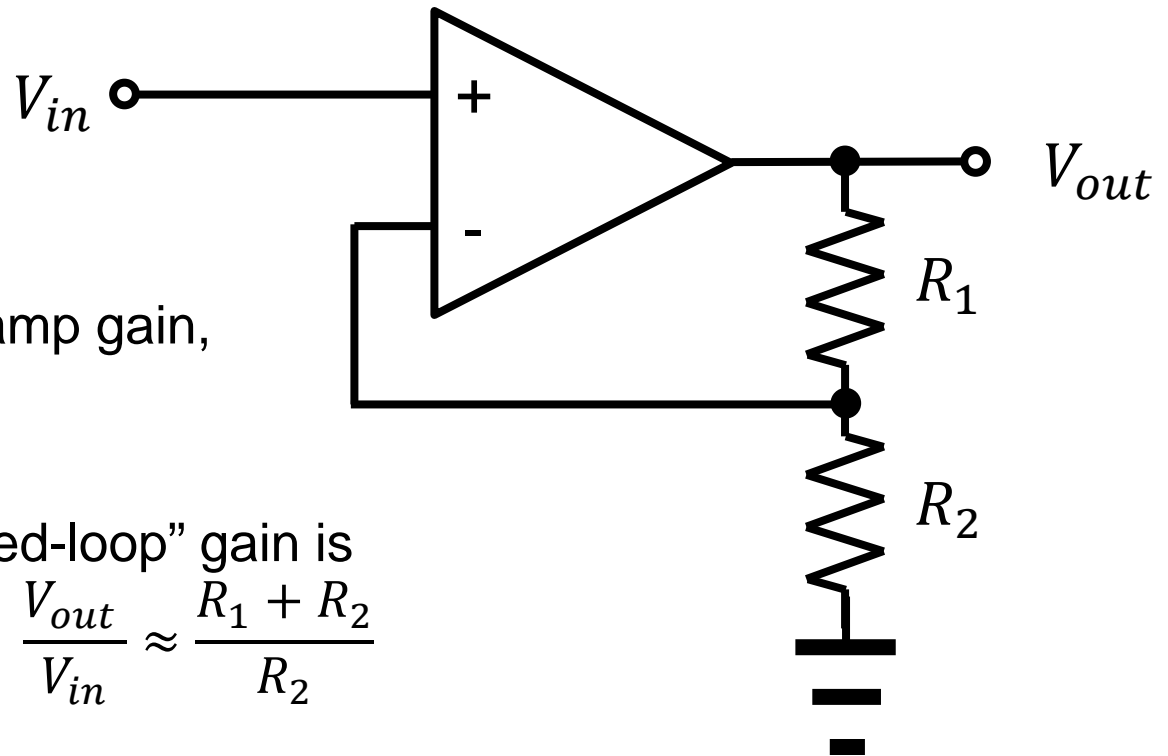
# Noninverting amplifier (1)

- Calculate the gain.
  - The input resistance of the op amp is large.

$$V_{in2} = \frac{R_2}{R_1 + R_2} V_{out}$$

- Due to the high op amp gain,  
 $V_{in2} \approx V_{in}$

- Therefore, the “closed-loop” gain is  
$$\frac{V_{out}}{V_{in}} \approx \frac{R_1 + R_2}{R_2}$$



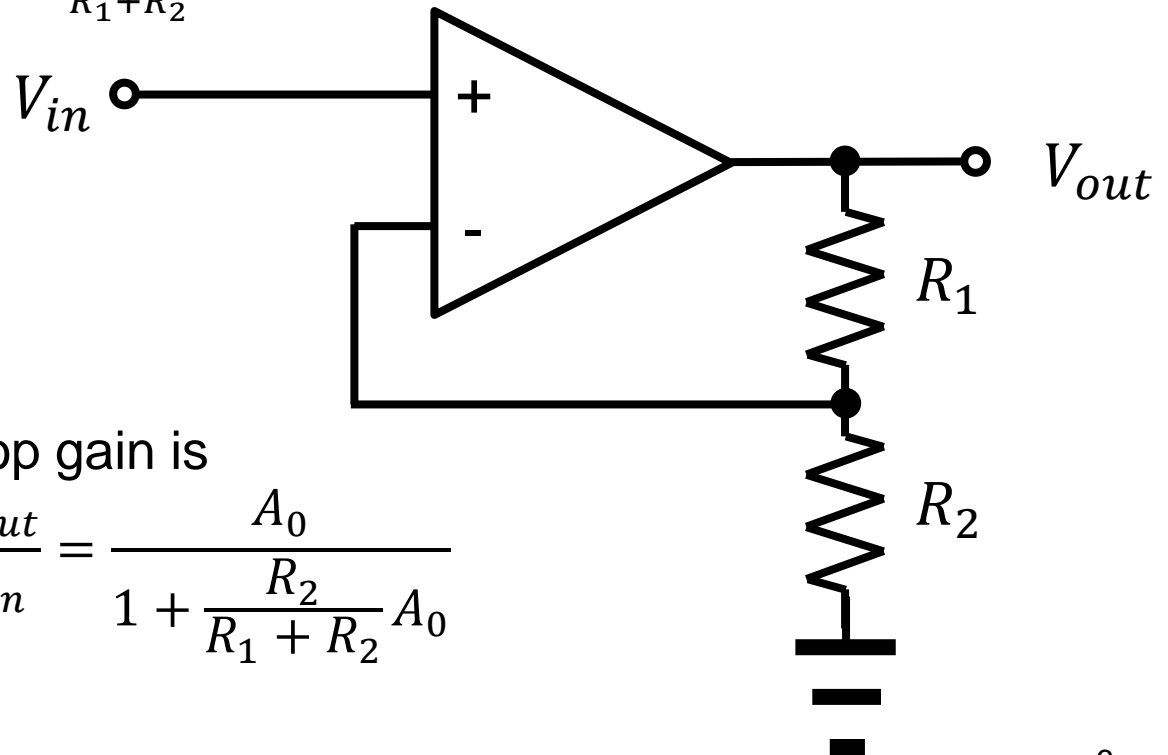
# Noninverting amplifier (2)

- Repeat it again with a finite  $A_0$ .

- Now,

$$V_{out} = A_0(V_{in} - V_{in2})$$

- Remember that  $V_{in2} = \frac{R_2}{R_1 + R_2} V_{out}$ .



- Then, the closed-loop gain is

$$\frac{V_{out}}{V_{in}} = \frac{A_0}{1 + \frac{R_2}{R_1 + R_2} A_0}$$