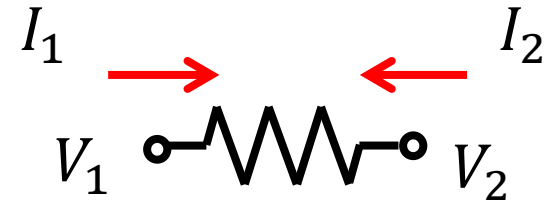

Lecture3: Diode

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Two-terminal element

- Terminal quantities
 - Two terminal voltages
 - Two terminal currents
- Number of independent quantities
 - Note that $I_1 + I_2 = 0$.
 - Note that a common change in V_1 and V_2 does not make a difference.
 - Therefore, I_1 and $V_1 - V_2$ can be regarded as independent variables.
- Each two-terminal element has its own relation between I_1 and $V_1 - V_2$.



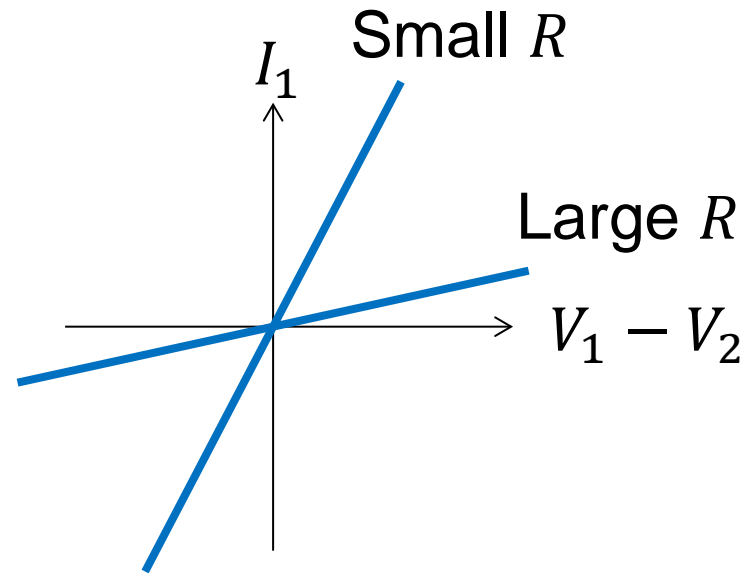
Current vs. voltage

- Sources

- Voltage source: $V_1 - V_2 = \mathbf{V_{source}}$
- Current source: $I_1 = -I_2 = \mathbf{I_{source}}$

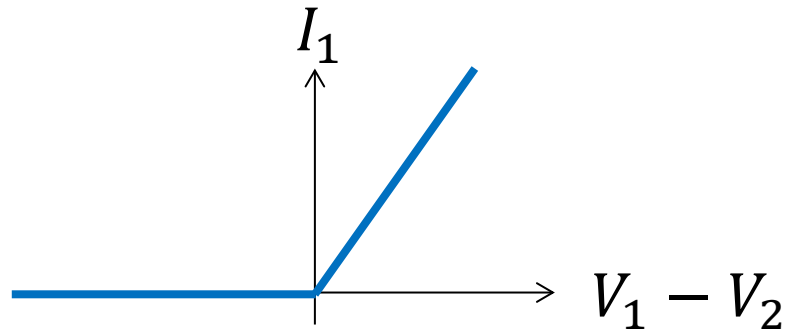
- R, L, C

- Resistor: $I_1 = \frac{V_1 - V_2}{\mathbf{R}}$
- Capacitor: $I_1 = \mathbf{C} \frac{d(V_1 - V_2)}{dt}$
- Inductor: $V_1 - V_2 = \mathbf{L} \frac{dI_1}{dt}$
- They are linear. (When you scale the voltage, the current is scaled with the same factor.)



Nonlinearity?

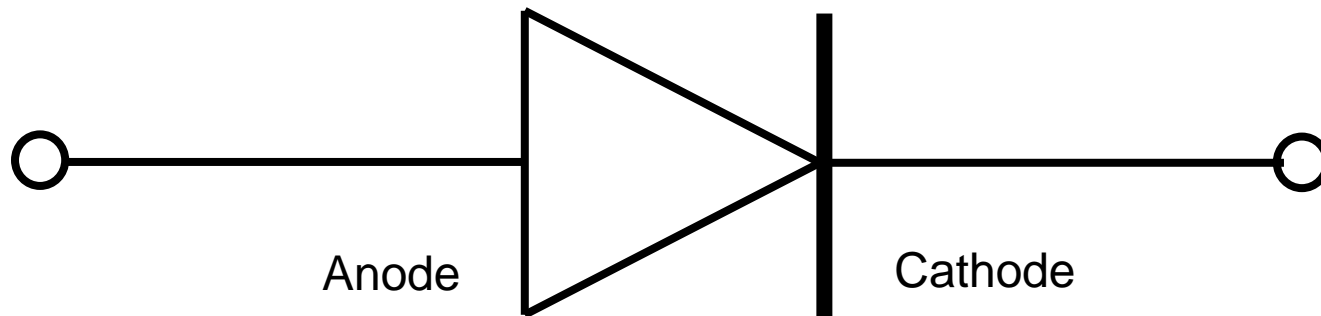
- Consider a toggle light switch.
- Assume a circuit element.



- For a negative voltage, it's electrically open.
- For a positive voltage, it's resistive.
- Is there such a circuit element? Yes!

Diode

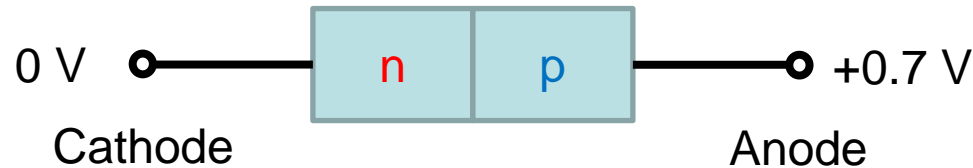
- In 1919, the term *diode* was coined from the Greek roots *di* (from $\delta\acute{\iota}$), meaning 'two', and *ode* (from $\acute{o}\delta\acute{o}\varsigma$), meaning 'path'. (Taken from Wikipedia)
 - Its symbol



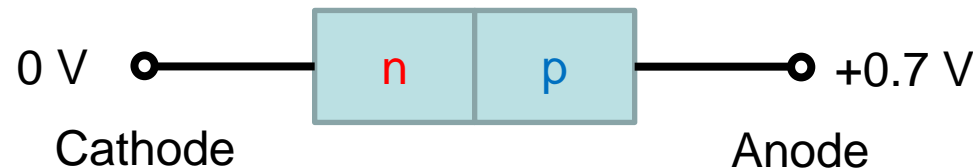
- Current → : Allowed
- Current ← : Not allowed

Forward/reverse

- Forward bias
 - The voltage at the cathode is higher than the anode voltage.

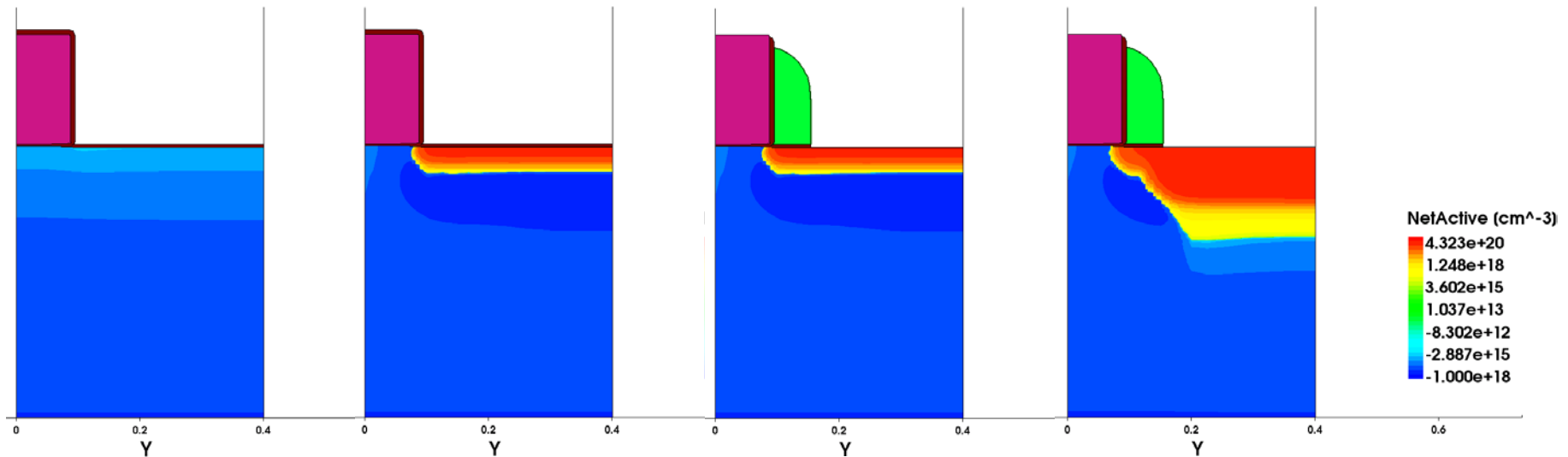


- Reverse bias
 - The voltage at the anode is lower than the cathode voltage.



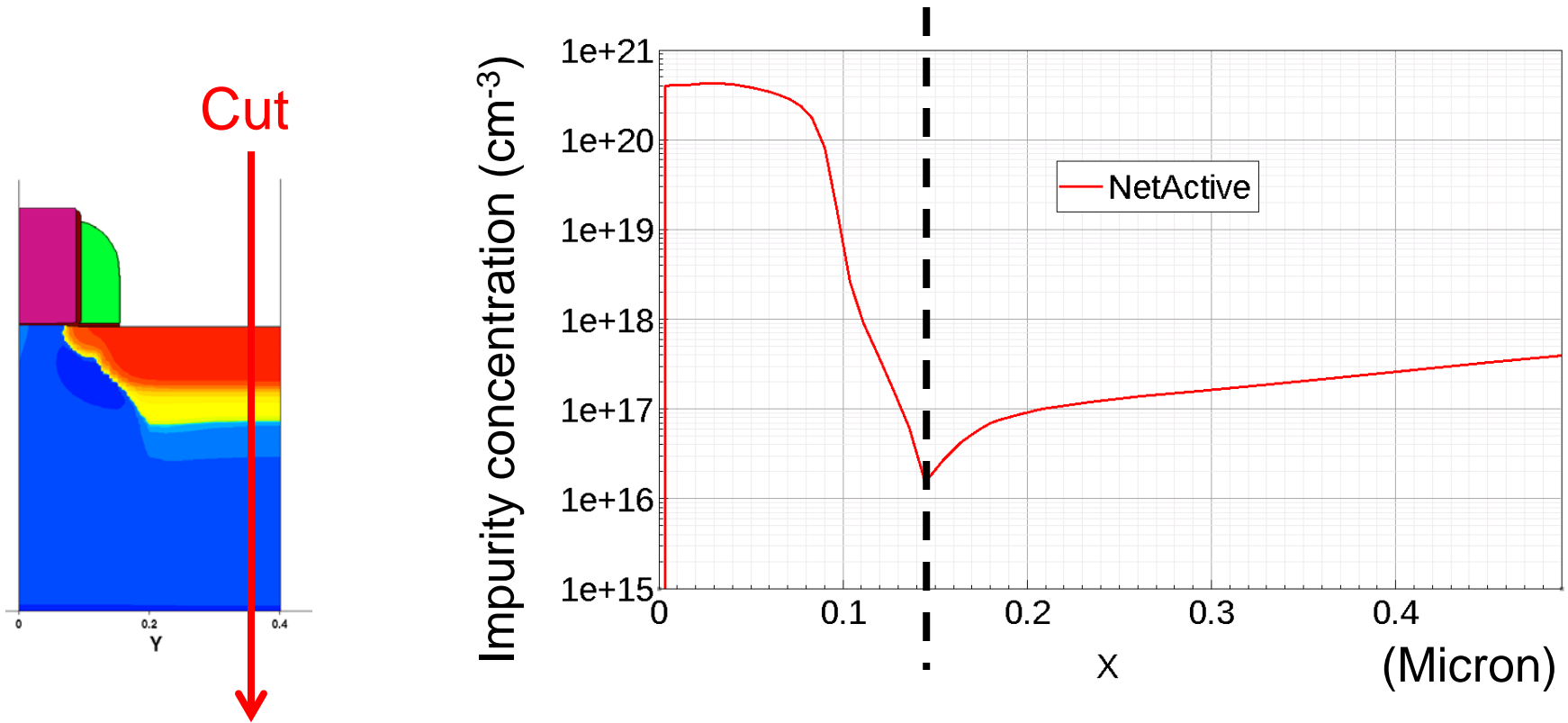
Fabrication

- PN junction
 - Results of the process simulation are shown.
 - Red: Silicon region with Arsenic ions
 - Blue: Silicon region with Boron ions



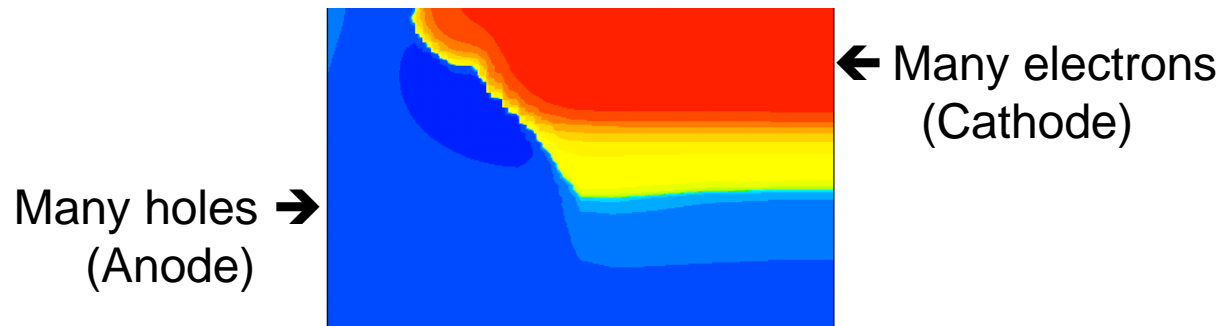
Vertical doping profile

- Active dopant



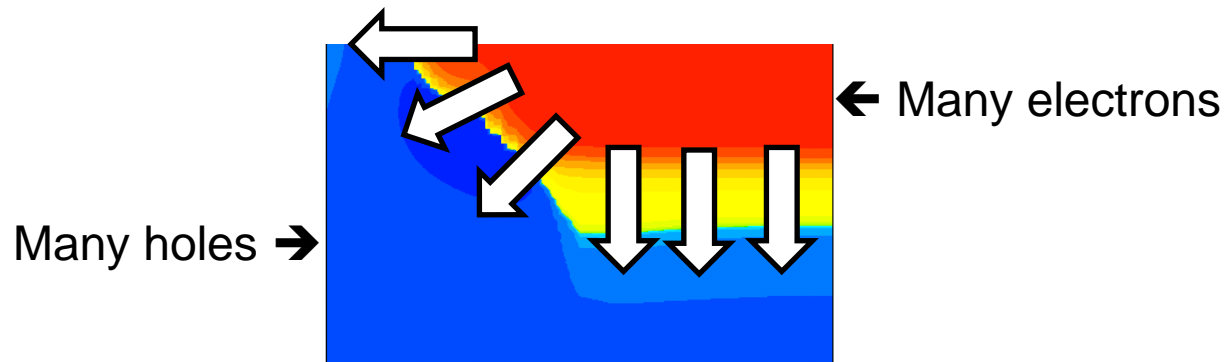
Equilibrium (1)

- When the applied voltage is zero, no current occurs.
 - Many electrons in the “red” region. (Doped with Arsenic ions. “n-type”)
 - Many holes in the “blue” region. (Doped with Boron ions. “p-type”)
 - Due to the diffusion mechanism, they tend to spread over.
 - Then, we will have the net current! (It’s not possible.)



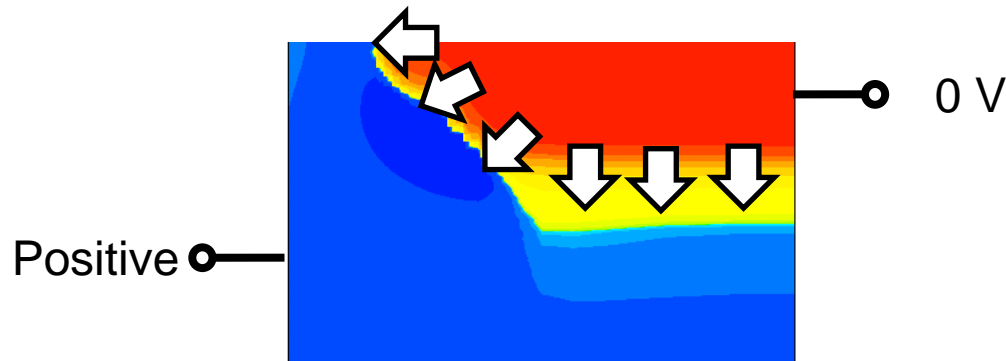
Equilibrium (2)

- An electric field is built. (Built-in field)
 - It pushes the electrons back to the n-type region.
 - It pushes the holes back to the p-type region.
 - Direction of the electric field?
 - At equilibrium, drift (due to the electric field) and diffusion (due to the density difference) are exactly matched.



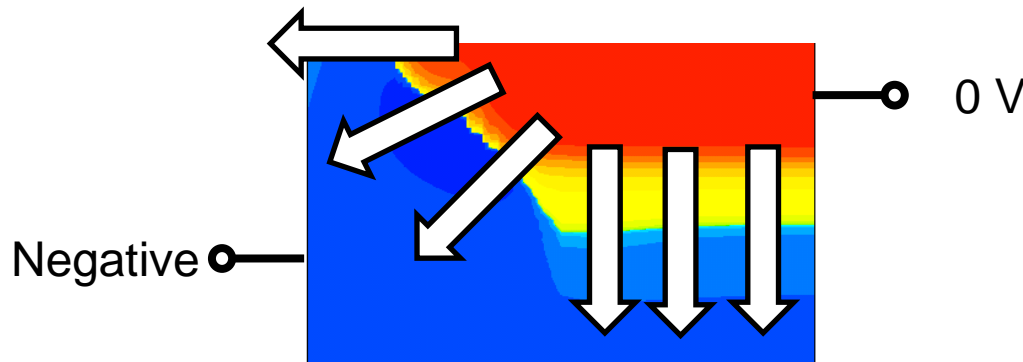
Forward bias

- We have a positive voltage at the anode.
 - Additional electric field from positive to 0 V
 - The external voltage opposes the built-in potential.
 - No sufficiently strong electric field to prevent the diffusion
 - It raises the diffusion currents substantially.



Reverse bias

- We have a negative voltage at the anode.
 - Additional electric field from 0 V to negative
 - The applied voltage enhances the field.
 - Even stronger electric field to prevent the diffusion
 - It prohibits the current flow.
- Highly nonlinear operation!



IV characteristics (1)

- Review
 - The diode current, I_D , is dependent on the diode voltage, V_D .
 - Then, what is $I_D(V_D)$?
- Compare $V_D = 0.3 \text{ V}$, 0.4 V , and 0.5 V .
 - We know that the electric field for 0.5 V is weakest.
 - Of course, for 0.3 V , it is strongest.
 - Anyway, they are different by a constant voltage, 0.1 V .
 - Then, what about $I_D(0.3)$, $I_D(0.4)$, and $I_D(0.5)$?
 - Do you expect a linear dependence?

IV characteristics (2)

- Exponential dependence on V_D
 - V_D is normalized by the thermal voltage, $V_T = \frac{k_B T}{q}$.
 - At 300 K, $V_T \approx 0.002585 \text{ V} = 25.85 \text{ mV}$.
 - Then, the diode current can be written as
$$I_D = I_S \left(\exp \frac{V_D}{V_T} - 1 \right)$$
 - Here, the “reverse saturation current” (I_S) is a given constant. It’s a small current.

IV characteristics (3)

- Some limiting cases:

$$I_D = I_S \left(\exp \frac{V_D}{V_T} - 1 \right)$$

- When V_D is close to zero, $\exp \frac{V_D}{V_T} \approx 1 + \frac{V_D}{V_T}$

$$I_D = I_S \frac{V_D}{V_T}$$

- When V_D is negative and $V_D \ll -V_T$, $\exp \frac{V_D}{V_T} \approx 0$

$$I_D = -I_S$$

- When V_D is positive and $V_D \gg V_T$, $I_D = I_S \exp \frac{V_D}{V_T}$