

Visualizing Relationships in ggplot

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2023-07-11

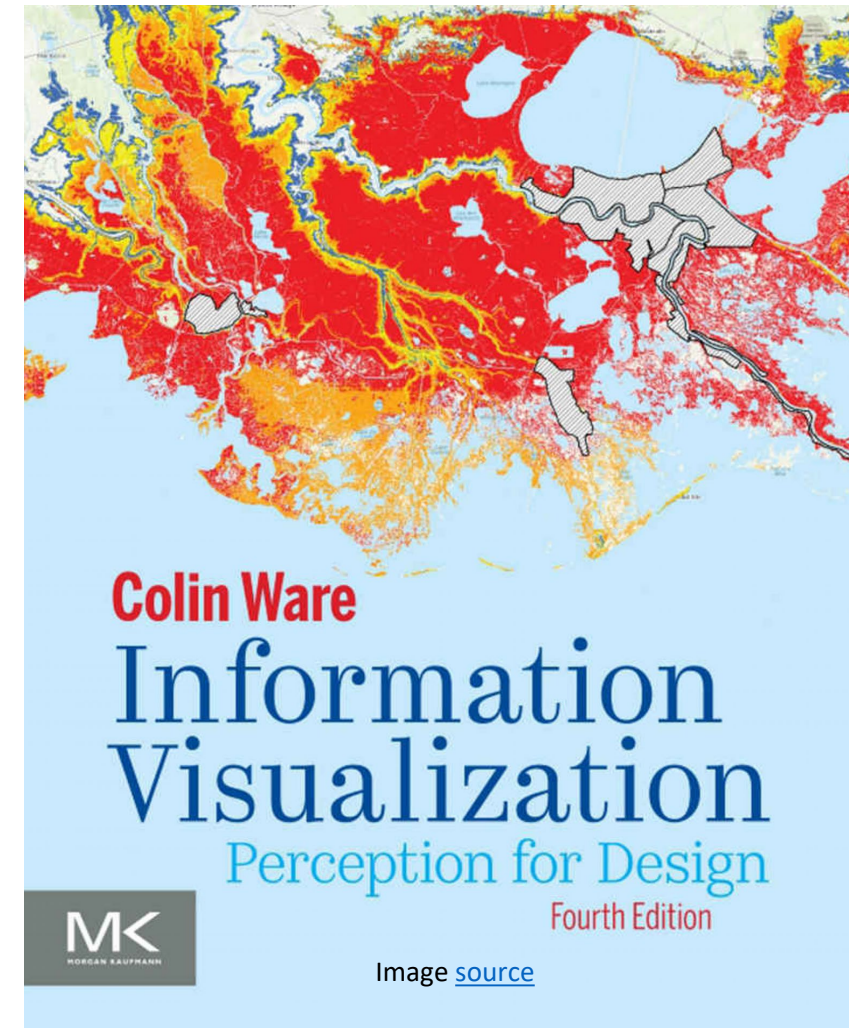
- Provides a basic overview of the methods used to visualize the association among two or more quantitative variables
- Focus on scatterplots, scatterplot matrix, and visualizing paired data
- Participants are expected to have taken the [Introduction to Data Visualization in R: ggplot](#) class

- This class makes a few assumptions about your understanding of R and RStudio:
 - You have already installed R and RStudio
 - You have experience with R
 - You have experience working in RStudio and creating scripts and/or markdown files

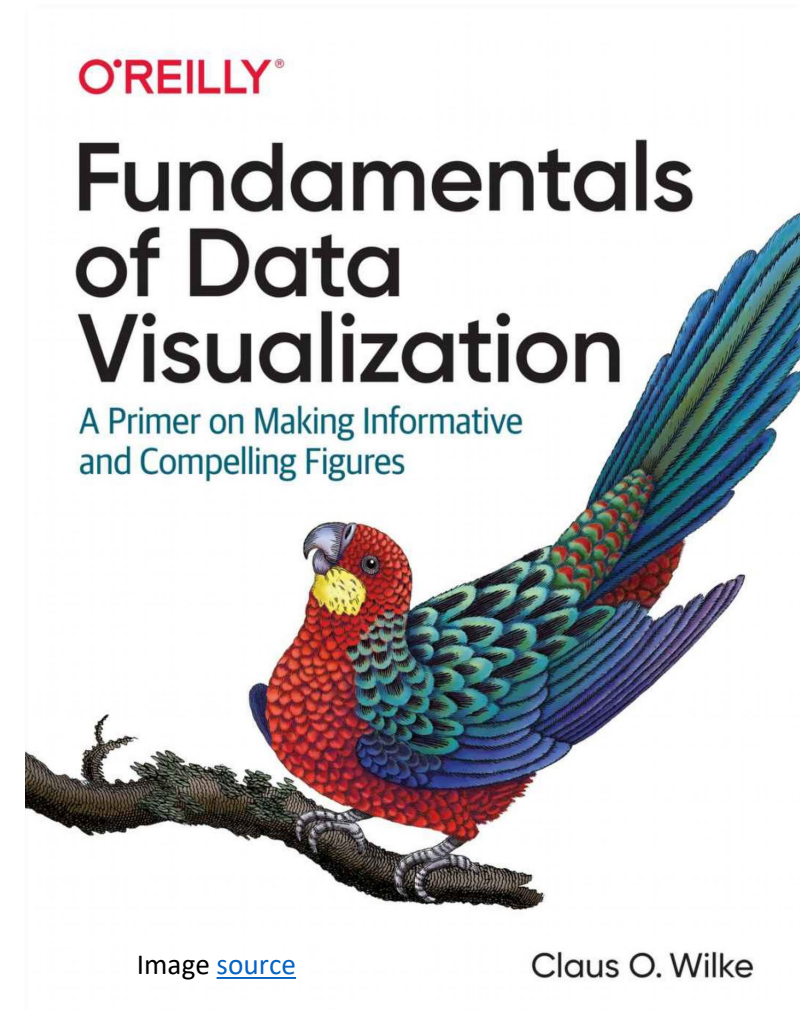
- Upon completion of this class students should be able to:
 - **Define bivariate data**
 - **Create a scatterplot using ggplot**
 - **Define linear regression**
 - **Demonstrate how to perform a simple linear regression in R**
 - Identify positive and negative associations from a scatter plot
 - Describe what Pearson's correlation measures
 - State the possible range for Pearson's correlation

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- Science-based approach:
 - Visual system
 - Cognition and perception
- 3rd edition is available electronically from the [NIH Library](#)
- Substantial changes in 4th Edition, and a completely new chapter



- Combines theory and practical application of design principles
- Code agnostics but a lot of the graphics were produced in R
- Thanks Claus, for making your book available [online](#) (for free)!!



- Work-in-progress 3rd edition is available [online](#) for free
- Primary focus is explaining the Grammar of Graphics that ggplot2 uses
- Not a cookbook
- Will help you understand the details of the underlying theory

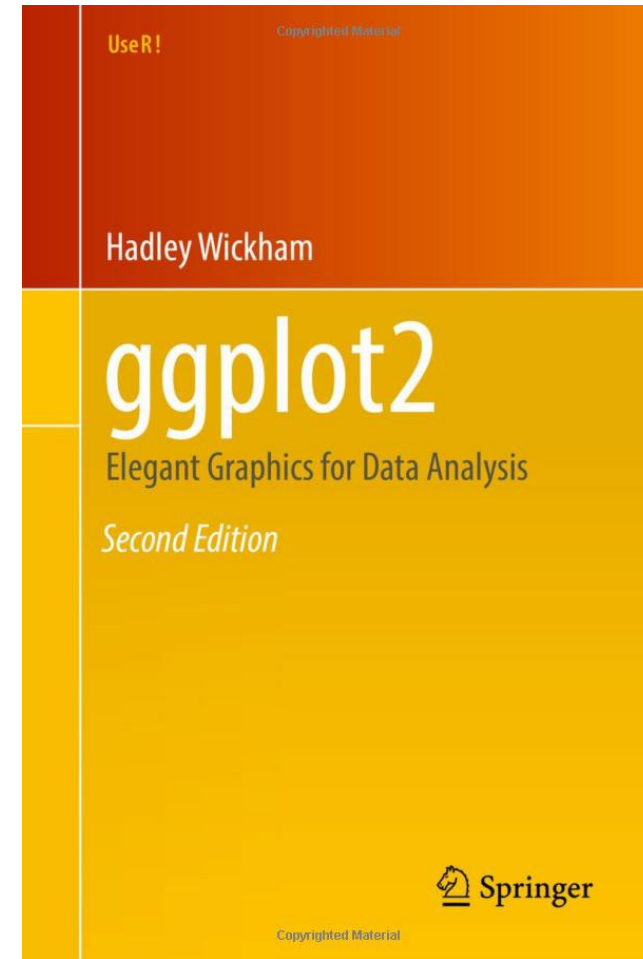


Image [source](#)

Configuration for Exercises

- R is a programming language that is especially powerful for data exploration, visualization
- RStudio is an integrated development environment (IDE) that makes using R easier
- R and RStudio are two separate pieces of software
- **Must install R before you install RStudio**

1. Download R from the [CRAN website](https://cran.r-project.org/)
2. Run the .exe file that was just downloaded



1. Go to the RStudio [download page](#)
2. Under Installers select RStudio x.yy.zzz - Windows Vista/7/8/10 (where x, y, and z represent version numbers)
3. Double click the file to install it



1. Download R from the [CRAN website](https://cran.r-project.org/)
2. Select the .pkg file for the latest R version
3. Double click on the downloaded file to install R
4. It is also a good idea to install XQuartz (needed by some packages)



1. Go to the RStudio [download page](#)
2. Under Installers select RStudio x.yy.zzz - Mac OS X 10.6+ (64-bit) (where x, y, and z represent version numbers)
3. Double click the file to install RStudio



- [GGally](#) adds several functions to reduce the complexity of combining geoms with transformed data
- [OpenIntro](#) package includes supplemental functions and data for open-source textbooks and resources for introductory statistics

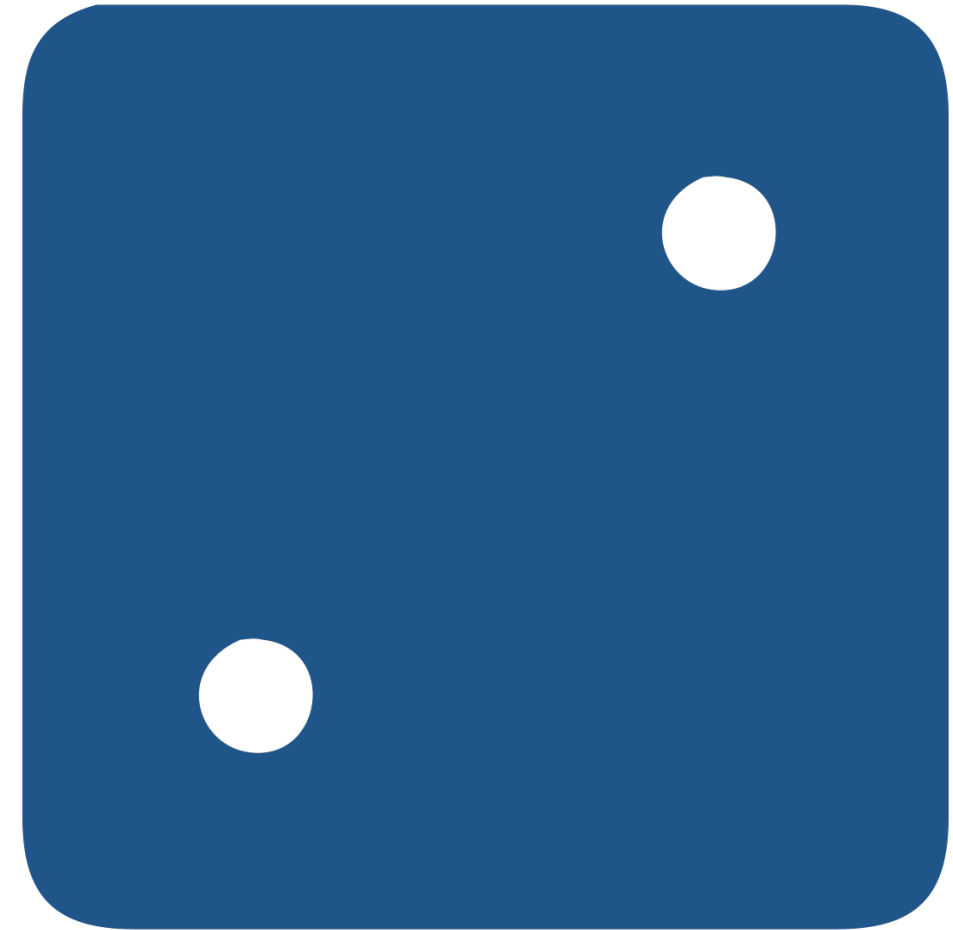


- Tidyverse: [collection of R packages](#) designed for data science



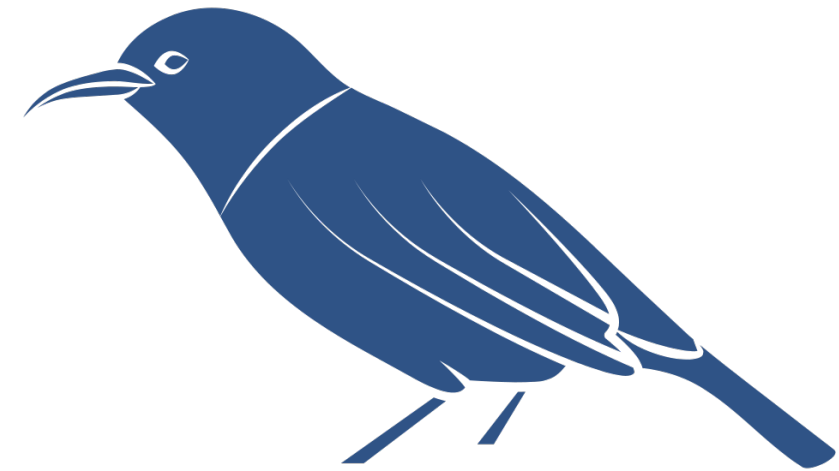
Scatterplots and Correlation

- Measures of central tendency, variability, and spread summarize a single variable
- Often, more than one variable is collected on each individual in a study
- Two quantitative variables for each individual
- Example: relationship between the height and weight



Lane, D. (2007)

- Blue jay [data](#)
 - 123 rows of data
 - Head length
 - Skull size
 - Body mass of each bird
- Import data into an object called `blue_jays`



- Create a histogram of `body_mass_g`
- What can we say about this distribution?
- Add your thoughts to the Google Doc



Blue Jay Data: Histogram (Body Mass)

```
bj_body_mass_hist <- blue_jays %>%  
  ggplot(mapping = aes(x = body_mass_g)) +  
  geom_histogram(color = "black", fill = "white") +  
  geom_vline(mapping = aes(xintercept = mean(body_mass_g,  
na.rm = TRUE))), color = "red", linetype = "dashed", size =  
1)
```

```
bj_body_mass_hist
```

Blue Jay Data: Histogram (Head Length)

- Create a histogram of head_length_mm
- What can we say about this distribution?
- Add your thoughts to the Google Doc

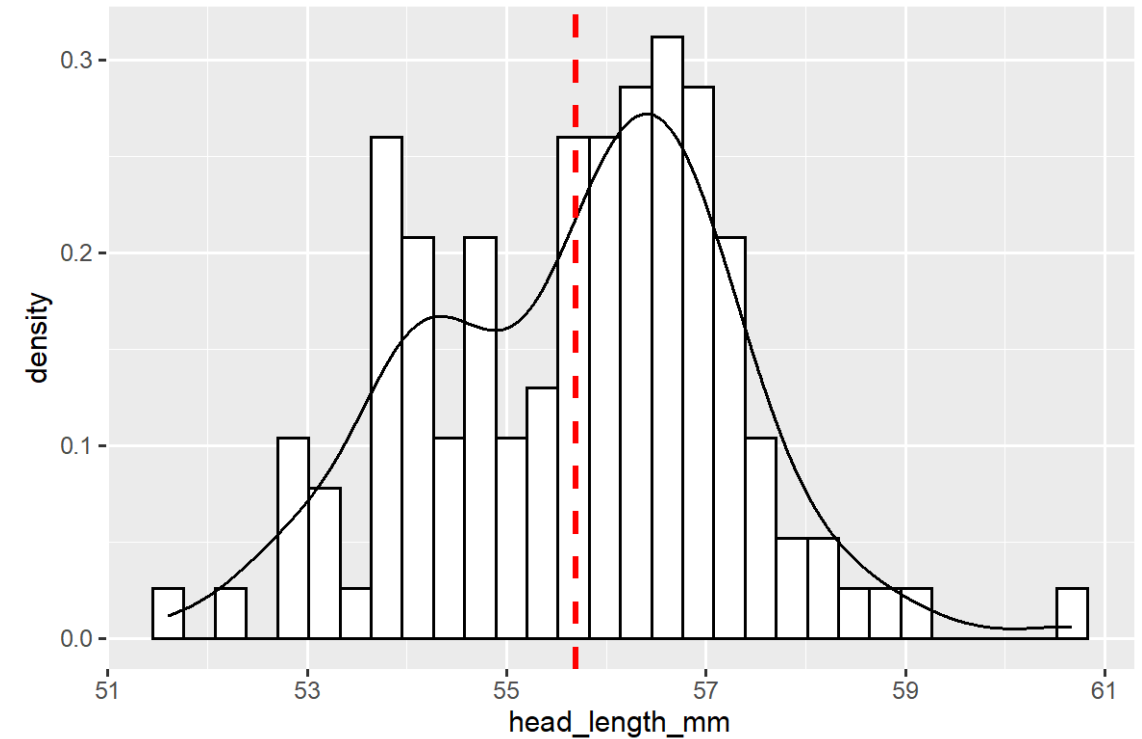
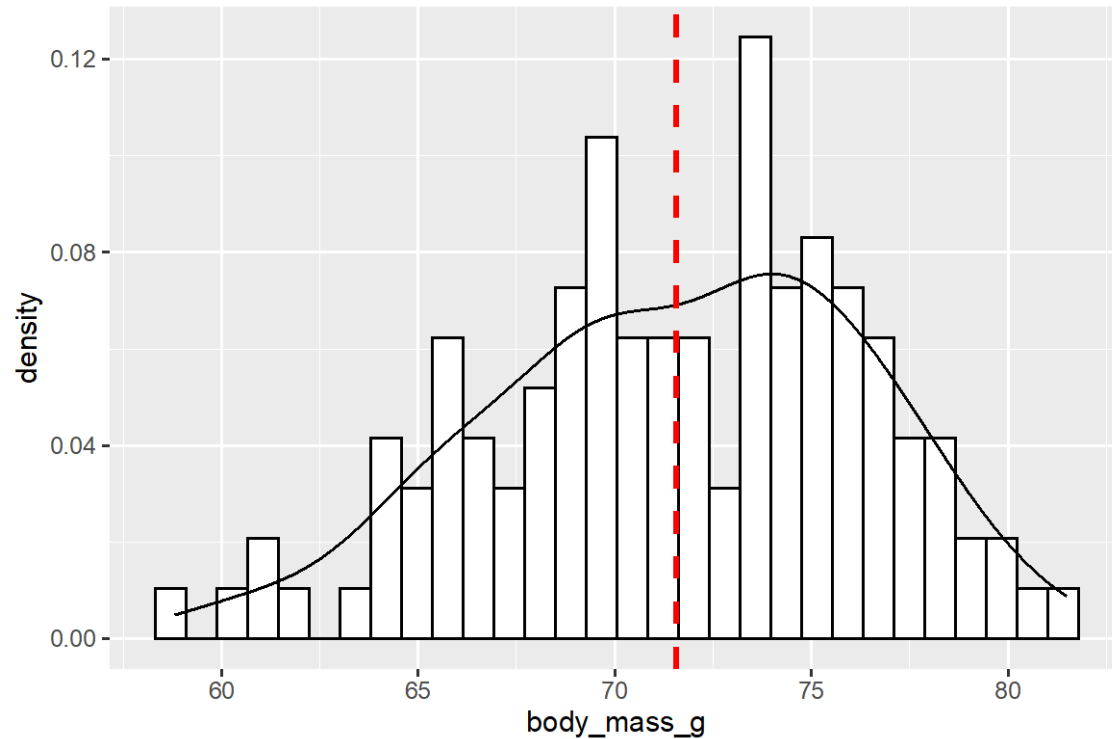


Blue Jay Data: Histogram (Head Length)

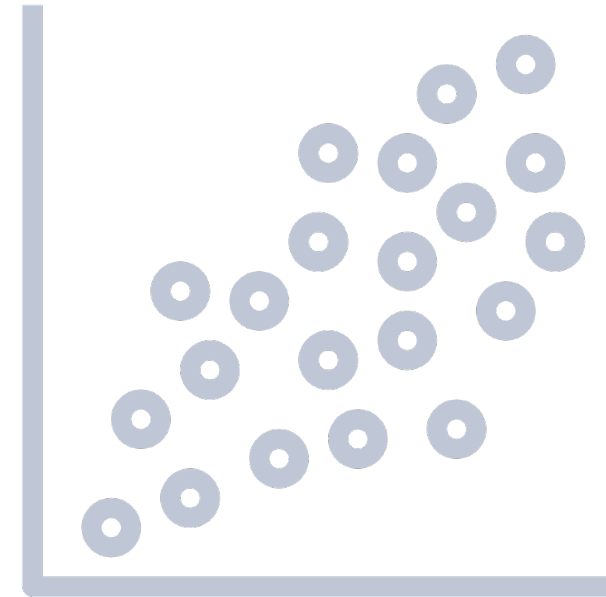
```
bj_head_length_hist <- blue_jays %>%  
  ggplot(mapping = aes(x = head_length_mm)) +  
  geom_histogram(color = "black", fill = "white") +  
  geom_vline(mapping = aes(xintercept = mean(head_length_mm,  
na.rm = TRUE))), color = "red", linetype = "dashed", size = 1)
```

```
bj_head_length_hist
```

What if We Wanted to Compare the Data?

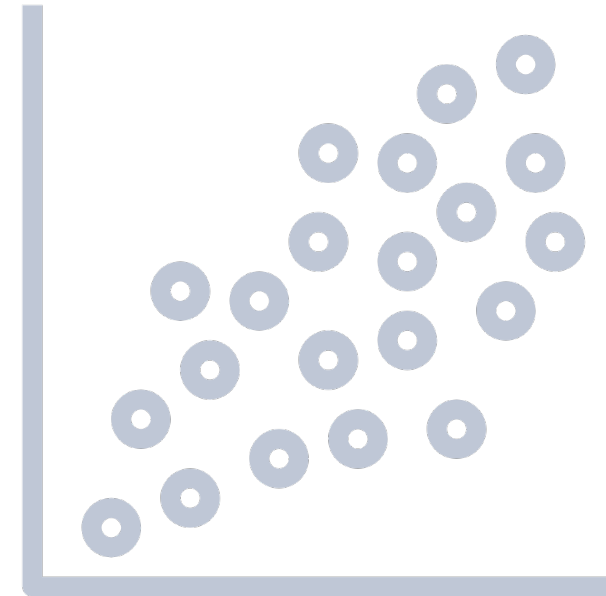


- Plot of paired (x, y) quantitative data
- Horizontal axis is used for the first variable (x)
- Vertical axis is used for the second variable (y)
- Implemented in ggplot using the `geom_point()`



Triola & Lossi, (2018)

- Designed to emphasize the spatial distribution of data plotted in two-dimensions:
 - Marks or points designed with preattentive features
 - Designed with the detection of individual objects
 - Distances between objects represent a notion of similarity



Cleveland, W. S., & McGill, R. (1984)

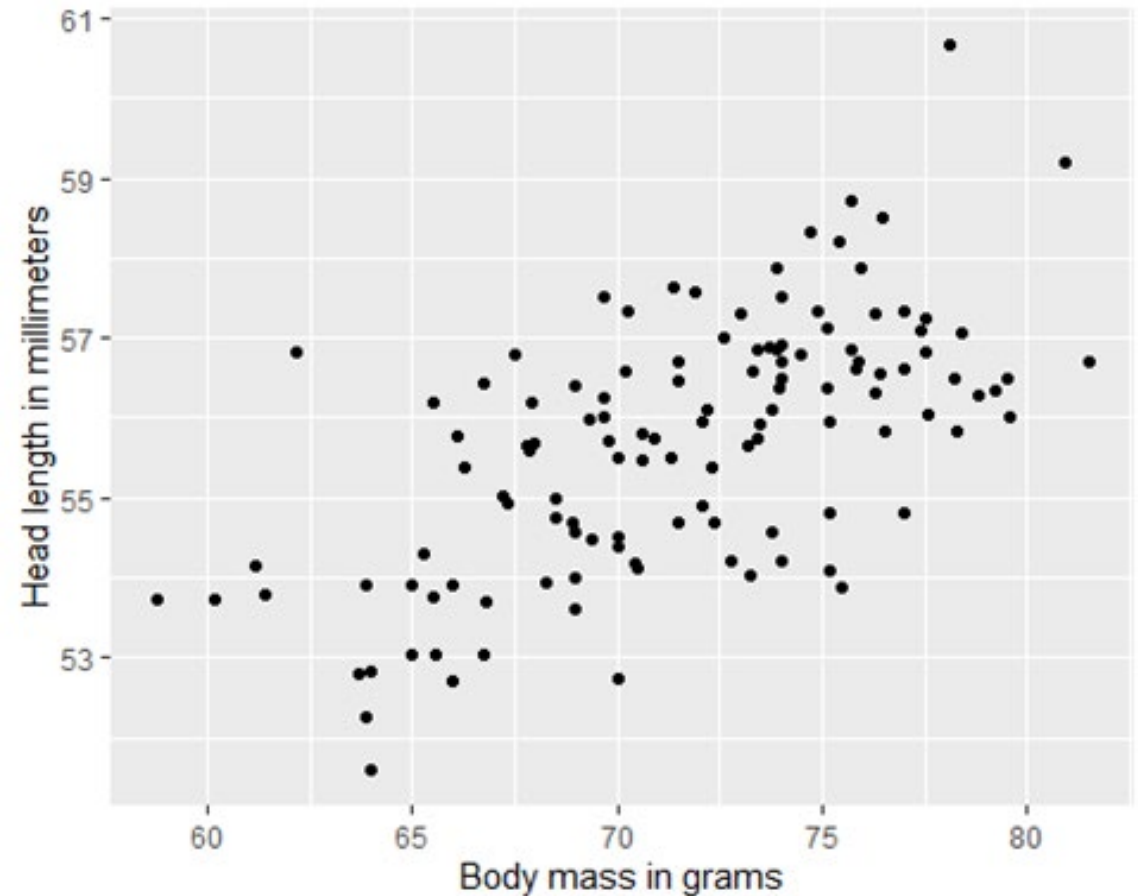
- Abstracted analysis tasks that are performed with scatterplots

	# Task	Description
object-centric	1 Identify object	Identify the referent from the representation
	2 Locate object	Find a particular object in its new spatialization
	3 Verify object	Reconcile attribute of an object with its spatialization (or other encoding)
	4 Object comparison	Do objects have similar attributes? Are these objects similar in some way?
browsing	5 Explore neighborhood	Explore the properties of objects in a neighborhood
	6 Search for known motif	Find a particular known pattern (cluster, correlation)
	7 Explore data	Look for things that look unusual, global trends
aggregate-level	8 Characterize distribution	Do objects cluster? Part of a manifold? Range of values?
	9 Identify anomalies	Find objects that do not match the 'modal' distribution
	10 Identify correlation	Determine level of correlation
	11 Numerosity comparison	Compare the numerosity/density in different regions of the graph
	12 Understand distances	Understanding a given spatialization (e.g. relative distances)

Sarikaya, A., & Gleicher, M. (2018)

Scatterplots Example: Blue Jay Data 1

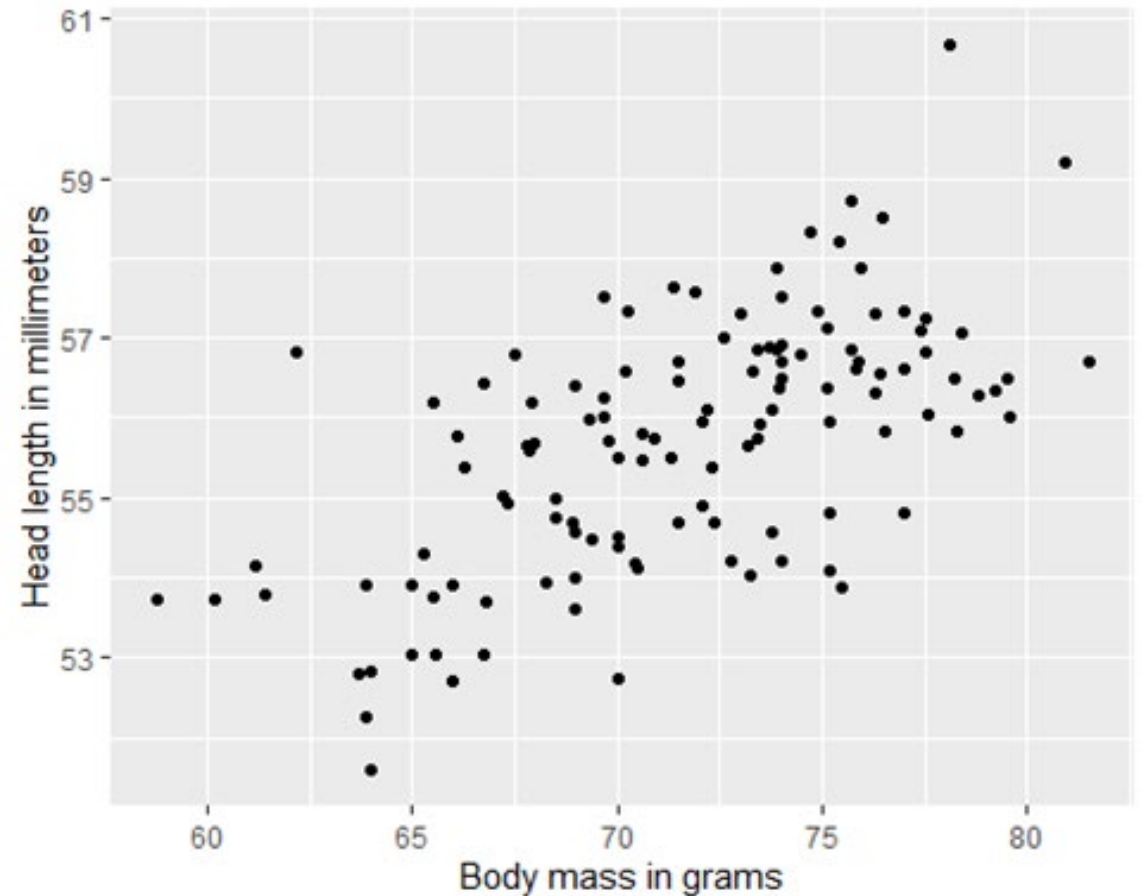
- Head length on y-axis and body mass on x axis
- We “say” that we plot the variable shown along the y-axis against the variable shown along the x-axis.
- So, what does this tell us?



```
blue_jays %>%  
  ggplot(mapping = aes(x = body_mass_g, y = head_length_mm)) +  
  geom_point(size = 1.5) +  
  labs(y = "Head length in millimeters",  
       x = "Body mass in grams")
```

Scatterplots Example: Blue Jay Data 1

- Moderate tendency for heavier birds to have longer heads
- How can we also look at the “sex” of each bird?

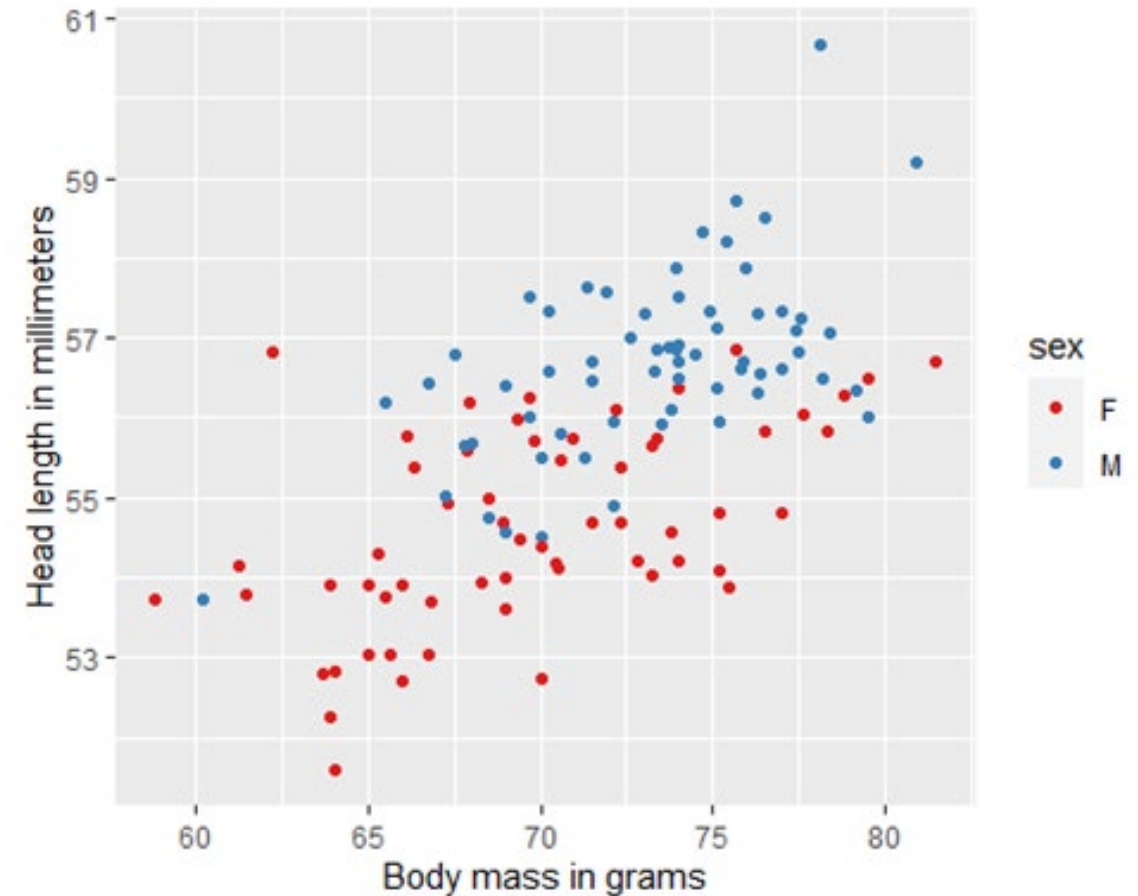


- `geom_point()` aesthetics:
 - x
 - y
 - alpha
 - color
 - fill
 - group
 - shape
 - size
 - stroke



Blue Jay Data 2: Interpretation

- Birds' sex is indicated by color
- Overall trend in head length and body mass is at least in part driven by the sex of the birds
- Meaning that at the same body mass, male birds tend to have longer heads than female birds.




```
blue_jays %>%  
  ggplot(mapping = aes(x = body_mass_g, y = head_length_mm,  
color = sex)) +  
  geom_point(size = 1.5) +  
  scale_color_brewer(palette="Set1") +  
  labs(y = "Head length in millimeters",  
x = "Body mass in grams")
```

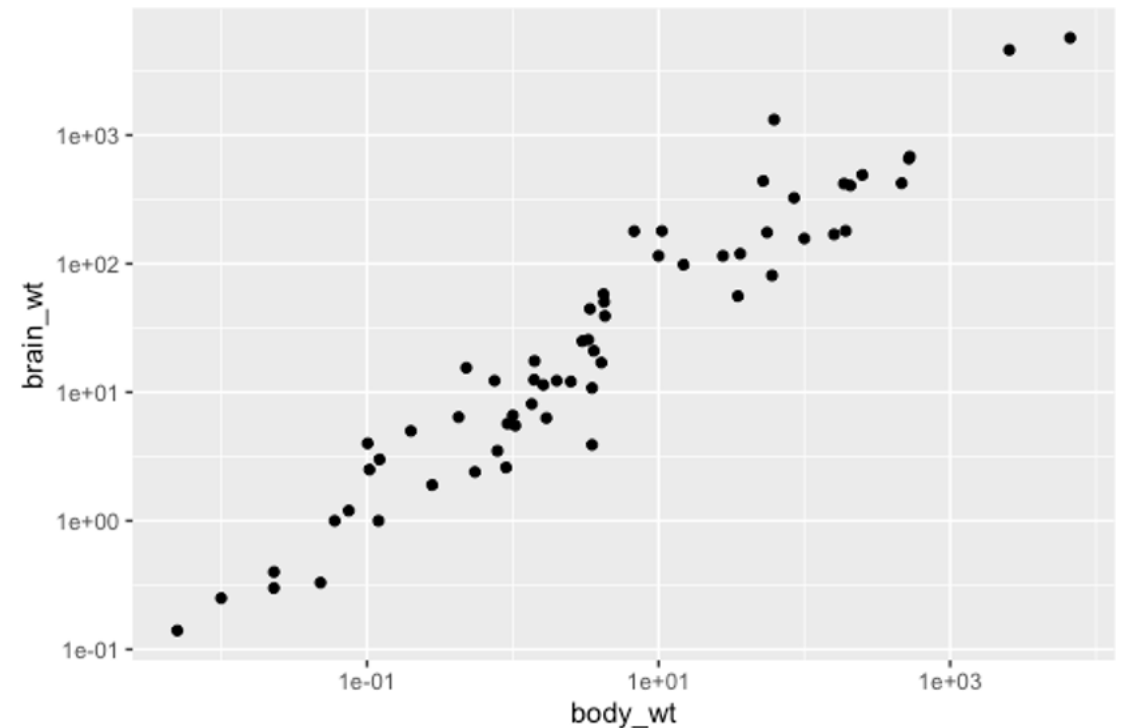
- Sometimes transformation is necessary
- Relationship between two variables may not be linear
- Sometimes there is no meaningful relationship between the two variables



Wilke, C. (2019)

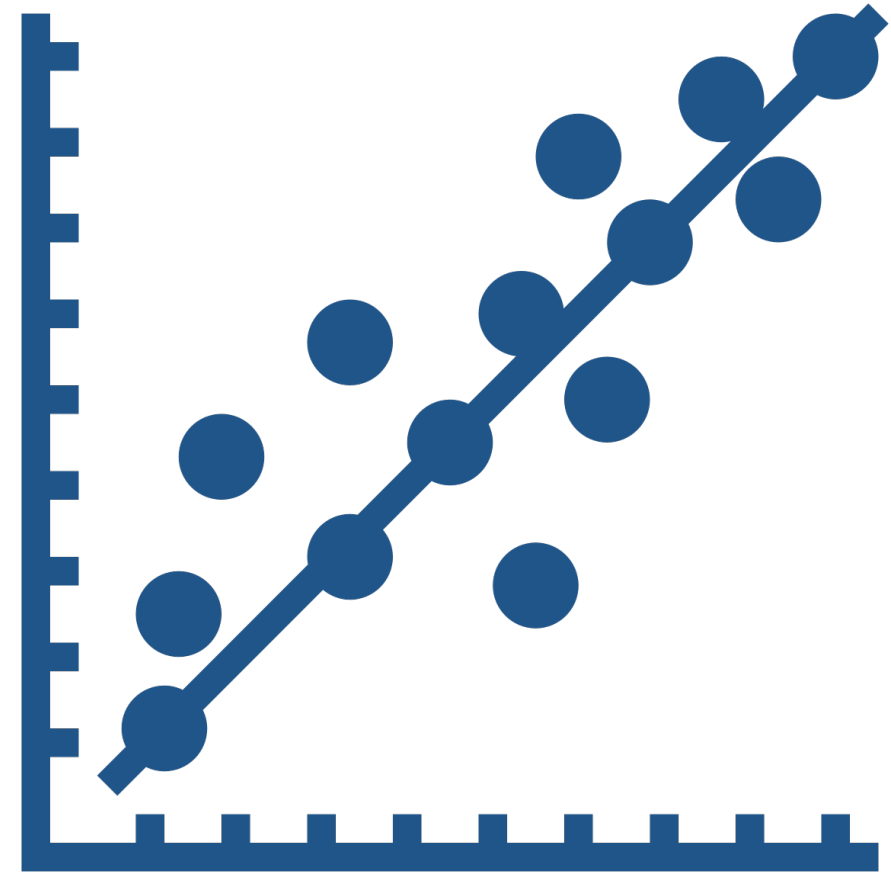
Scatterplots: Transformations Example

- ggplot has several methods for transforming a plot:
 - `coord_trans()` transforms the coordinates of the plot
- [`scale_x_log10\(\)`](#) and [`scale_y_log10\(\)`](#) perform a base-10 log transformation of each axis
- This graph uses base-10 log transformation



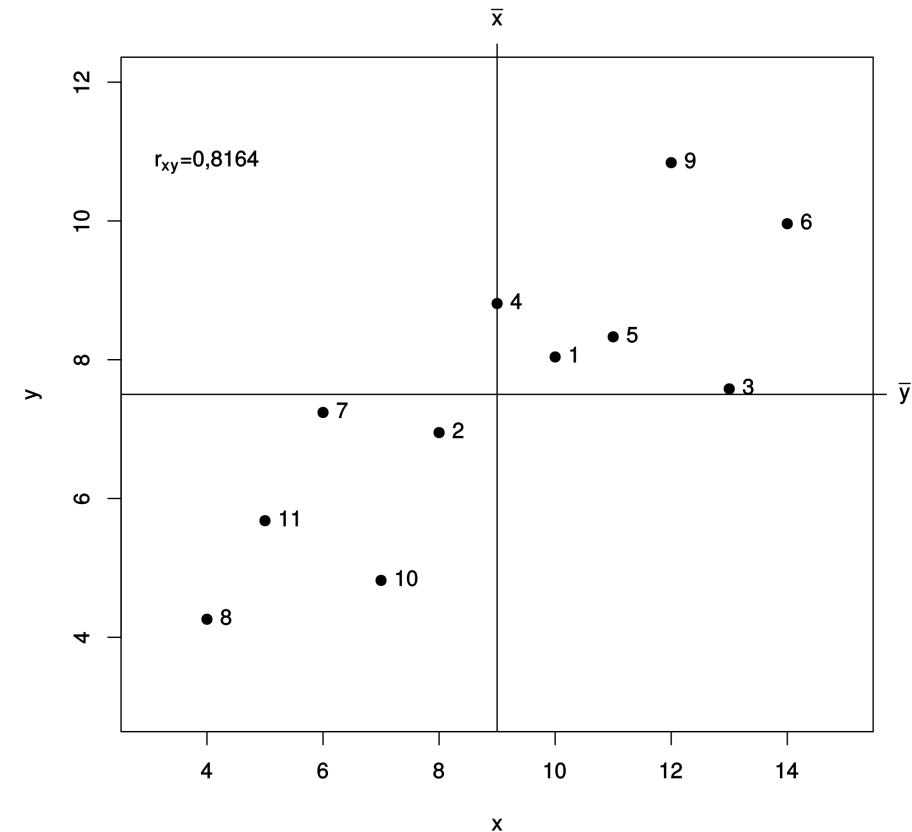
- Method for quantifying the strength of bivariate relationships
- Exists when the values of one variable are somehow associated with values of the other variable
- Correlation between two variables is not evidence that one of the variables causes the other

Triola & Lossi. (2018)



Pearson Correlation

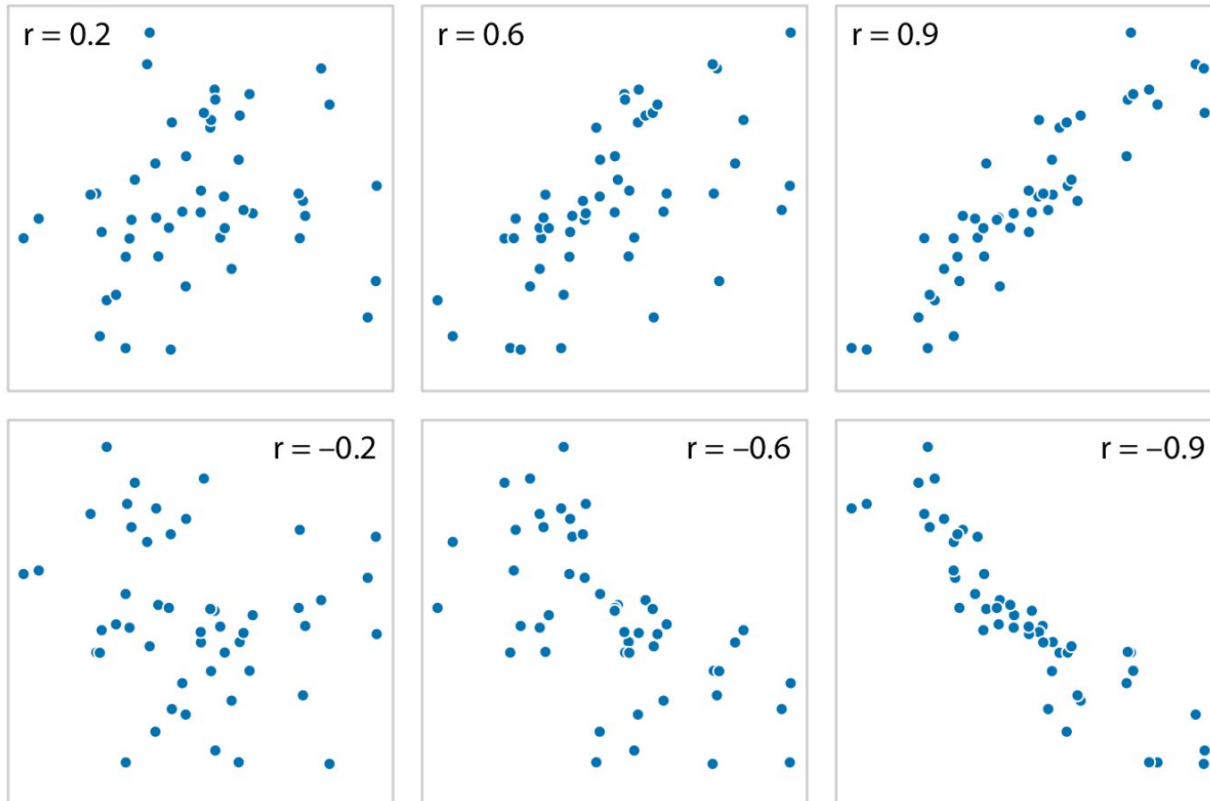
- Measure of the strength of the linear relationship between two variables
- If relationship is not linear, then the correlation coefficient does not adequately represent the strength of the relationship between the variables
- Correlation says nothing about how much Y changes when X changes



Triola & Lossi. (2018)

Correlations: Interpreting

Randomly generated sets of points to illustrate different correlations, in both rows, from left to right correlations go from weak to strong



r	Rough meaning
$\pm 0.1-0.3$	Modest
$\pm 0.3-0.5$	Moderate
$\pm 0.5-0.8$	Strong
$\pm 0.8-0.9$	Very strong

Wilke, C. (2019) & Heiss, A. (2021)

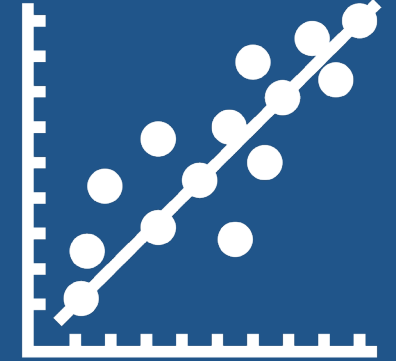
- Compute the Pearson correlation
- Very conservative when it encounters missing data (e.g., NAs)
- use argument allows you to override the default behavior of returning NA

```
cor(x = blue_jays$body_mass_g,  
y = blue_jays$head_length_mm,  
use = "pairwise.complete.obs",  
method = "pearson")  
[1] 0.6294447
```

Using the guide from Heiss, this is a strong positive correlation

- Provides access to the values returned by the correlation
- Returns:
 - p.value: the p-value of the test
 - estimate: the correlation coefficient

```
cor.test(blue_jays$body_mass_g,  
blue_jays$head_length_mm)  
Pearson's product-moment correlation  
data: blue_jays$body_mass_g and blue_jays$head_length_mm  
t = 8.9105, df = 121, p-value = 6.302e-15  
alternative hypothesis: true correlation is not equal to 0  
95 percent confidence interval:  
0.5091462, 0.7256207  
sample estimates: cor
```

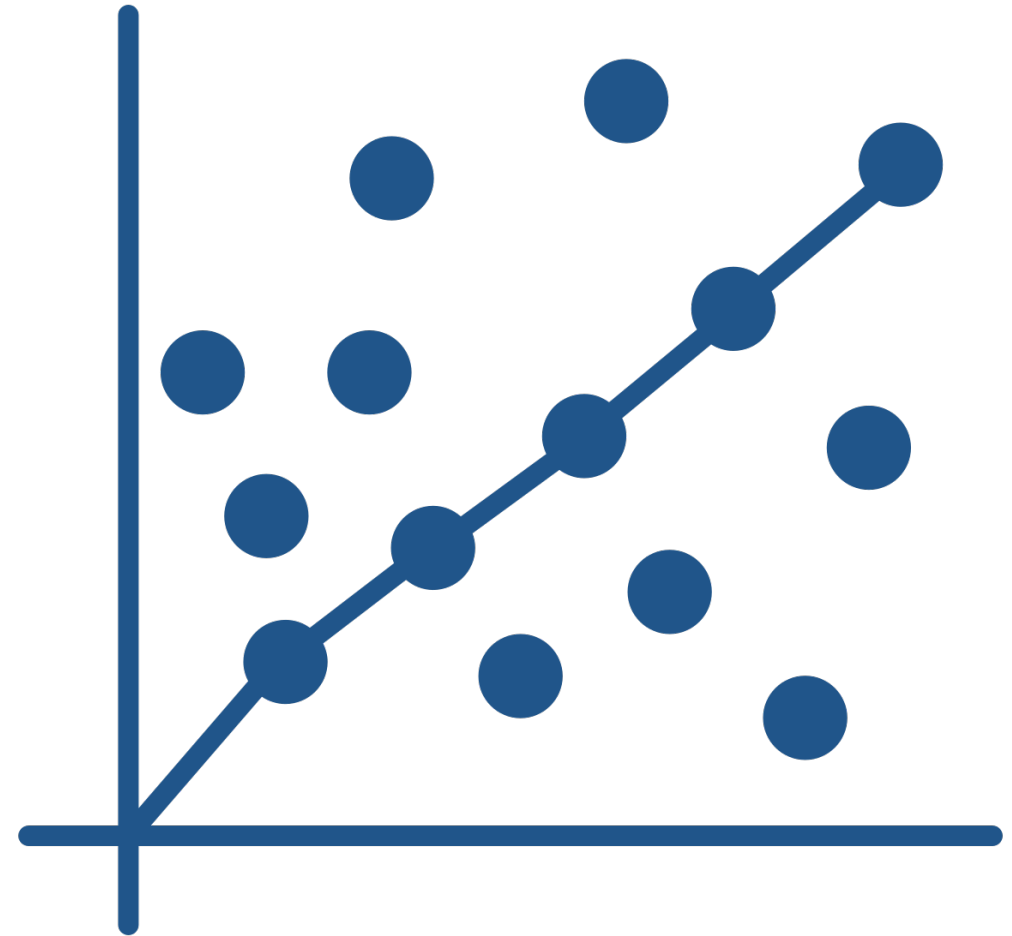



Linear Relationships and Regression

- Scatterplots are a common method for visualizing the relationship between two numeric variables
- Simple linear regression can be visualized on a scatterplot by a straight line
- “Best fit” line cuts through the data in a way that minimizes the distance between the line and the data points
- We will define “best-fitting line”

Lane, D. (2007)

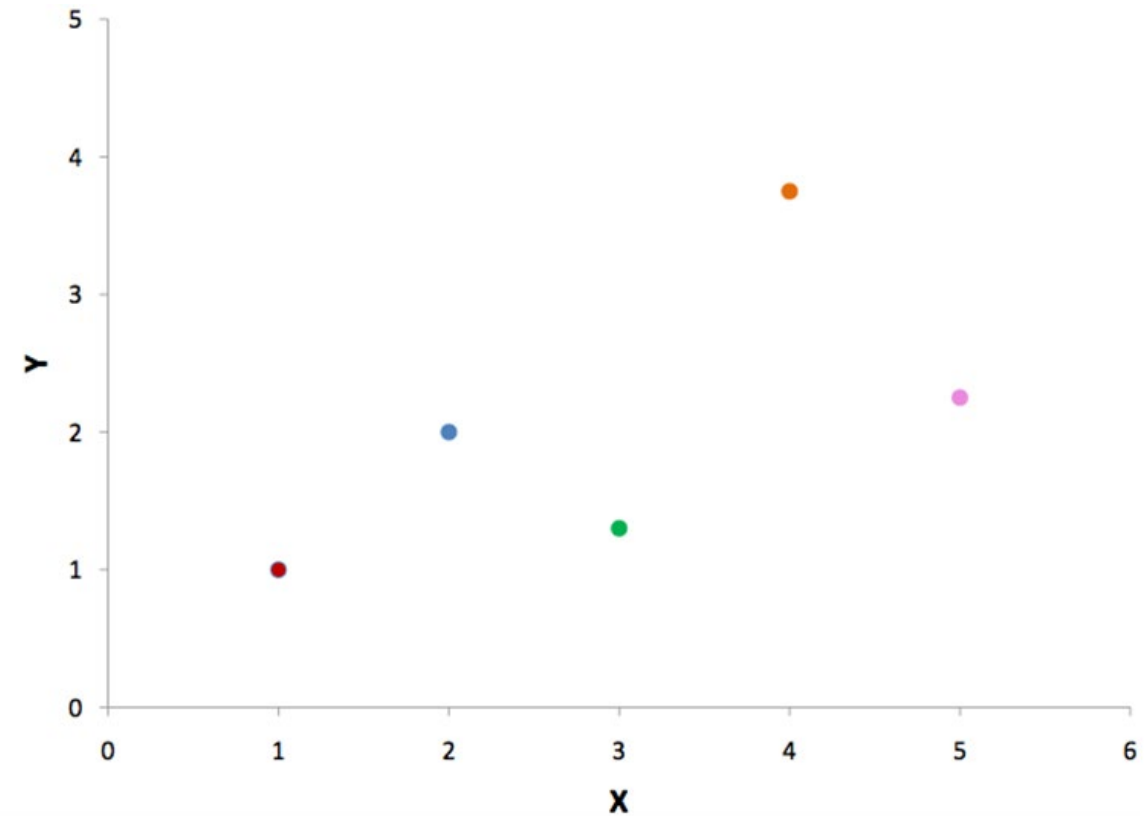
- Predict values on one variable from the values on a second variable:
 - Variable we are predicting is Y
 - Variable we are basing our predictions on is X
 - When there is only one predictor variable, the prediction method is called simple regression



Lane, D. (2007)

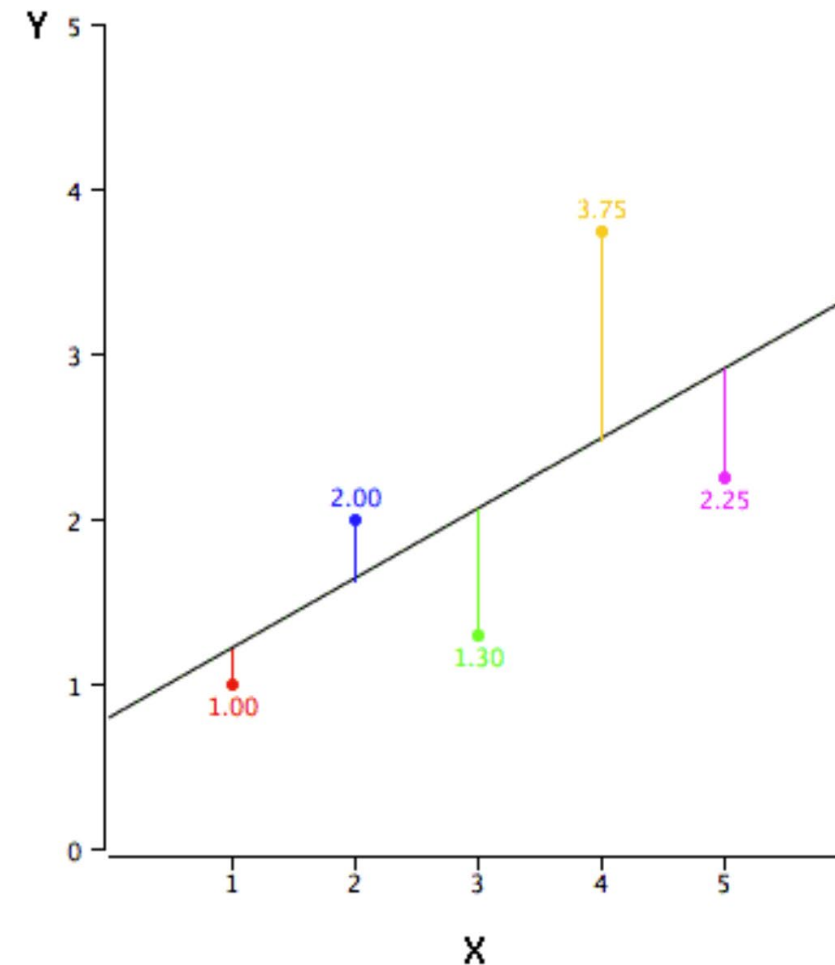
Simple Linear Regression

X	Y
1	1
2	2
3	1.3
4	3.75
5	2.25



Lane, D. (2007)

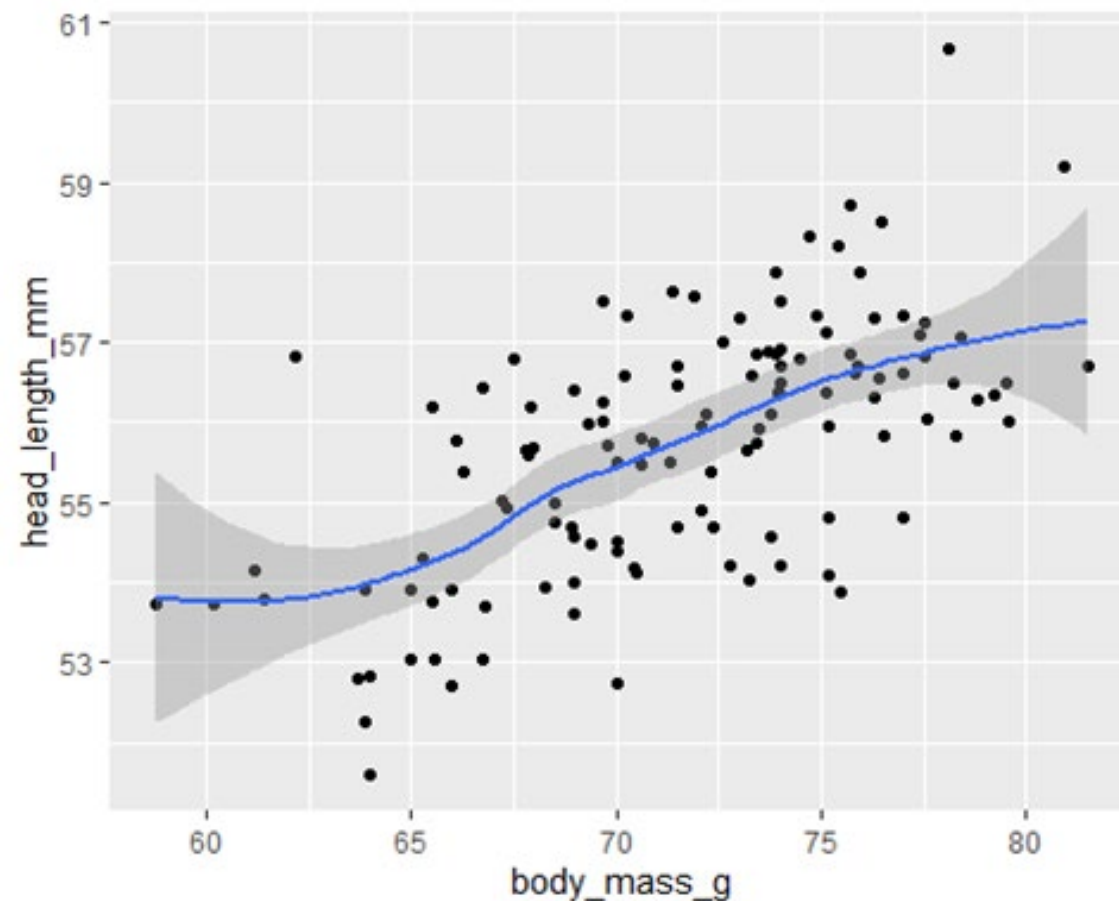
- Vertical lines from the points to the regression line represent the errors of prediction
 - Red point is very near the regression line; its error of prediction is small
 - Yellow point is much higher than the regression line and therefore its error of prediction is large.



Lane, D. (2007)

Simple Linear Regression: Example 1

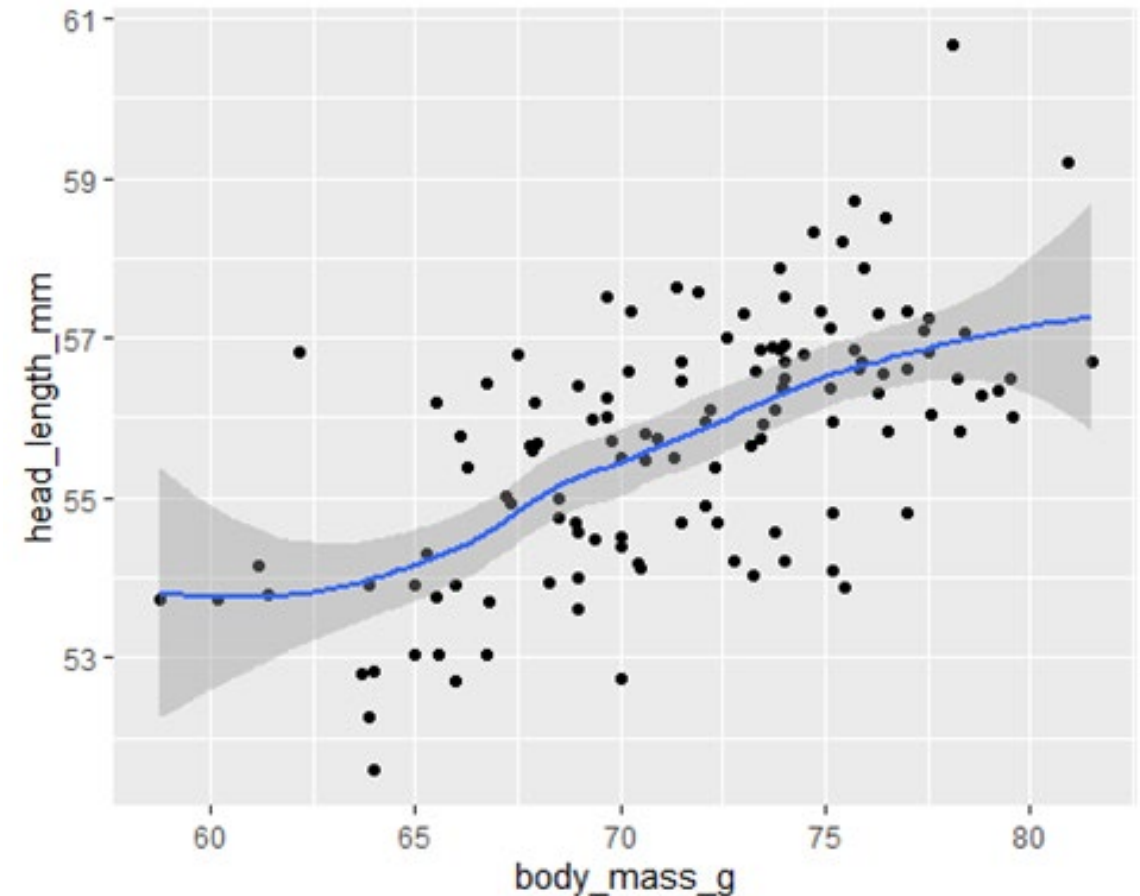
```
blue_jays %>%  
  ggplot(mapping = aes(x = body_mass_g,  
y = head_length_mm)) +  
  geom_point(size = 1.5) +  
  geom_smooth()  
  
## `geom_smooth()` using method = 'loess'  
## and formula 'y ~ x'
```



Wilke, C. (2019)

Example 1: Interpretation

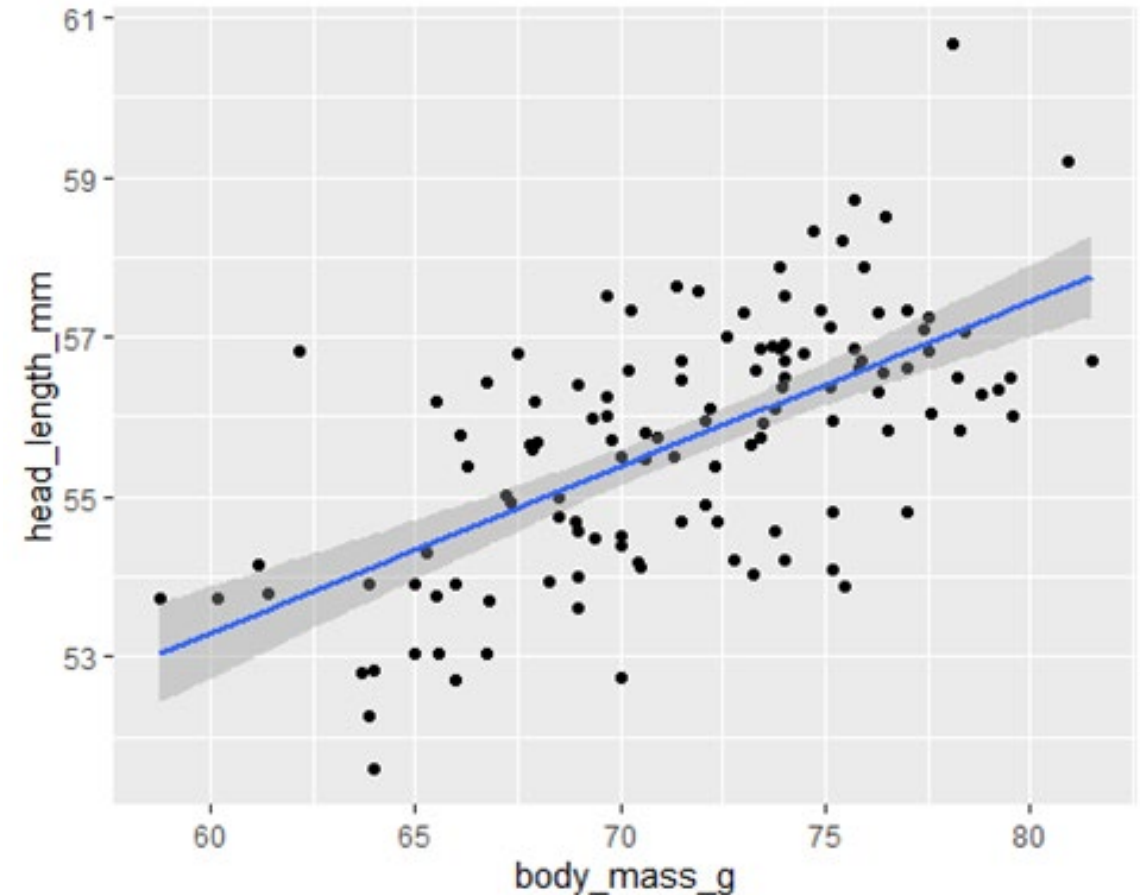
- Head length versus body mass (in grams), for 123 blue jays
- Each dot corresponds to one bird
- `geom_smooth` overlays the scatterplot with a smooth curve
- Confidence intervals (CI) shown in grey
- CI turned off: `geom_smooth(se = FALSE)`



Wilke, C. (2019); Wickham & Sievert. (2016)

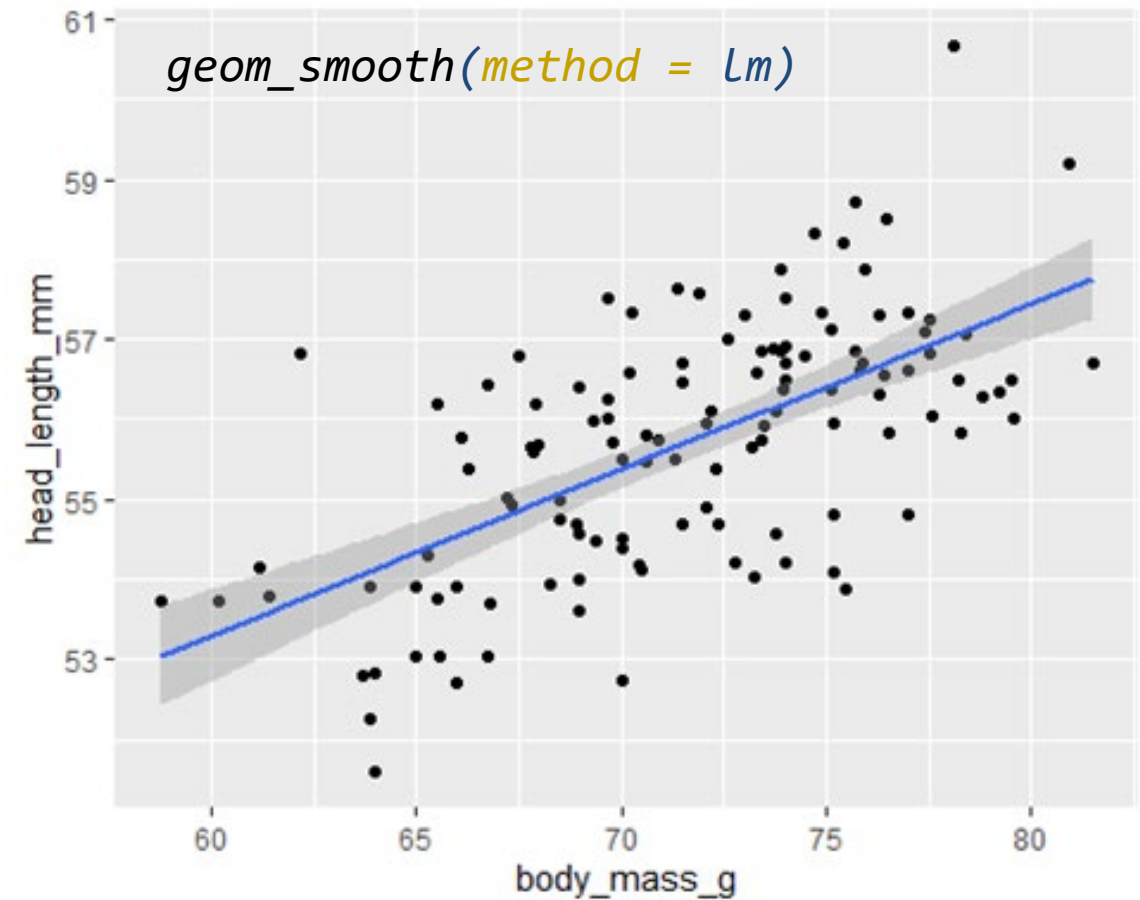
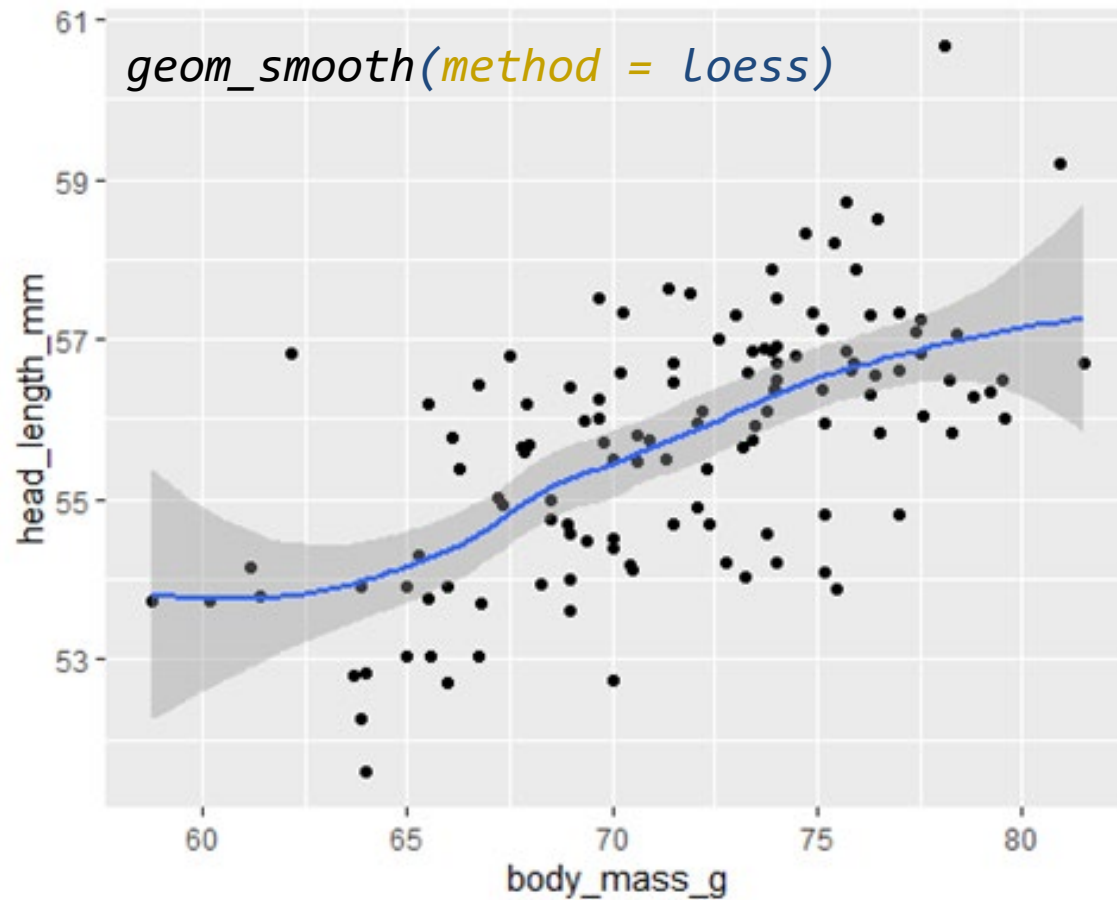
Simple Linear Regression: Modifications

- `geom_smooth(method =)` for choosing type of model:
 - `method = "loess,"` the default for small `n`
 - Loess does not work well for large datasets
 - `n` is greater than 1,000. `method = "lm"` fits a linear model, gives the line of best fit



Wilke, C. (2019); Wickham & Sievert. (2016)

Simple Linear Regression: Comparison



Wilke, C. (2019); Wickham & Sievert. (2016)

- `geom_smooth(method = "lm")` is useful for drawing linear models on a scatterplot
 - However, it does not return the characteristics of the model
- `lm()` function takes two arguments:
 - Formula that specifies the model
 - Data argument for the data frame
 - StatQuest has a great [overview](#) of performing this in R

```
fit_blue_jays <- lm(data = blue_jays, head_length_mm ~ body_mass_g)  
# Saves the output from the lm() function
```

- `summary()` function includes:
 - Standard error
 - p-value for each coefficient
 - R², and adjusted R²
 - Residual standard error
- Handout has information on interpreting these values



- Distance from the data to the fitted line
- Should be symmetrically distributed around the line (which is equal to 0)
- Want the min value and max value to be approximately the same distance from 0
- Likewise, you would like the 1Q and 3Q to be equidistant from 0

```
summary(fit_blue_jays)
```

```
Residuals:
```

Min	1Q	Median	3Q	Max
-2.6308	-0.9115	0.0271	0.7307	3.6204

- The `coef()` function displays only the values of the coefficients

```
coef(fit_blue_jays)  
(Intercept)  body_mass_g  
40.8621453    0.2072662
```

- Intercept is 40.86215
- Indicates that the head length of Blue Jays was 40.8625 millimeters when the body weight was 0 grams
- Please note that the importance or relevance of the intercept value is dependent on the nature of the biological systems which are being examined

Coefficients:

Estimate Std.

(Intercept)	40.86215
body_mass_g	0.20727

- Slope is 0.20727
- Slope indicates the change in Y (or dependent variable) for every one unit increase in X (or independent variable)
- Slope value (0.20727) indicates that the head length of Blue Jays increased 0.20727 millimeters per every 1 gram increase in body weight

Coefficients:

Estimate Std.

(Intercept) 40.86215

body_mass_g 0.20727

- Estimates can be used to write the following regression equation:
$$\text{head_length_mm} = (0.20727 \times \text{body_mass_g}) + 40.86215$$
- The structure of a regression equation is often times described as:
 $y = mx + b$. Such that:
 - y = response variable (body mass (grams))
 - m = slope x = independent variable (head length (mm))
 - b = intercept

- Multiple R-squared
head_length_mm can explain
40% of the variation in
body_mass_g
- Adjusted R-squared is the R-
squared scaled by the number
of parameters in the model

Multiple R-squared: 0.3962,
Adjusted R-squared: 0.3912

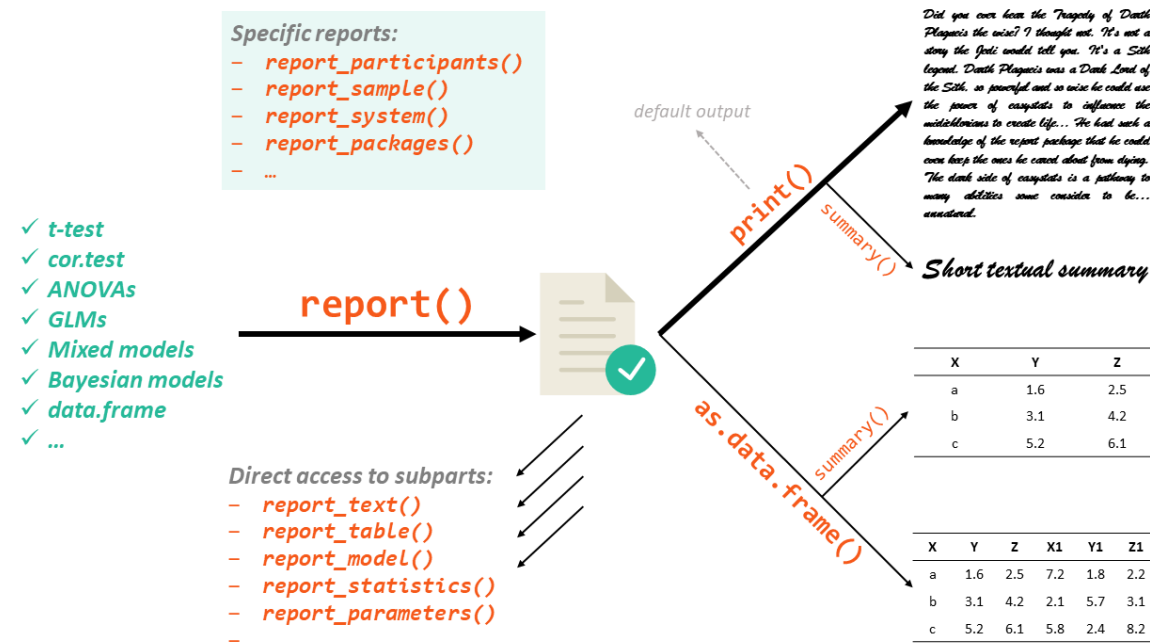
- $P = 6.302e-15$
- Based on this value and an established alpha level of 0.05, we can conclude that there is a significant effect of body mass (in grams) on the head length (in mm) of Blue Jay birds

F-statistic:
79.4 on 1 and 121 DF,
p-value: 6.302e-15



Data Reporting with Report Package

- Works in a two-step fashion:
 - Create a report object with the [report\(\)](#) function
 - Report object can be displayed either textually (the default output) or as a table, using [as.data.frame\(\)](#)
- Can also access a compact version of the report using [summary\(\)](#) on the report object



- Nice and easy way to report results of a regression analysis in R is with the `report()` function from the `{report}` package:

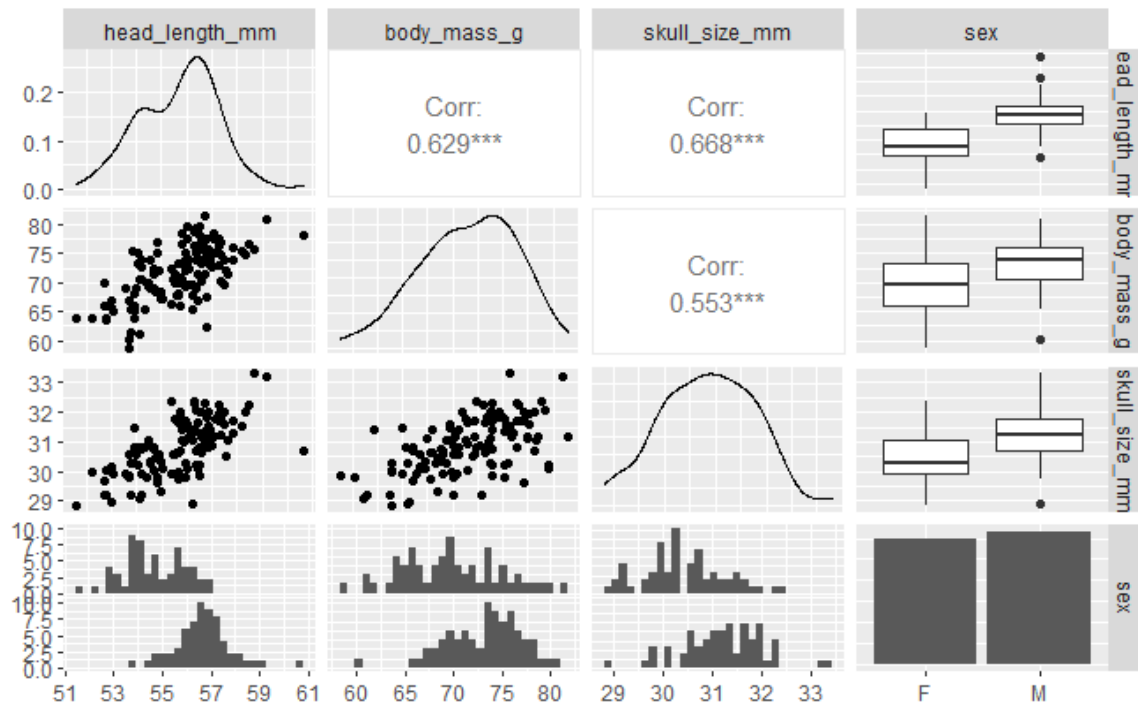
```
library(report)
report(fit_blue_jays)
```

We fitted a linear model (estimated using OLS) to predict `head_length_mm` with `body_mass_g` (formula: `head_length_mm ~ body_mass_g`)

The model explains a statistically significant and substantial proportion of variance ($R^2 = 0.40$, $F(1, 121) = 79.40$, $p < .001$, adj. $R^2 = 0.39$). The model's intercept, corresponding to `body_mass_g = 0`, is at 40.86 (95% CI [37.56, 44.16], $t(121)$)

Other Methods for Visualizing Associations

Correlation Matrix and Bubble Plot



- Used with three or more quantitative variables
- In this case, it is more useful to quantify the amount of association between pairs of variables and visualize these quantities
- Common method is using correlation coefficients



Wilke, C. (2019)

- Correlogram or correlation matrix allows to analyze the relationship between each pair of numeric variables in a dataset
- Gives a quick overview of the whole dataset. It is more used for exploratory purpose than explanatory



Wilke, C. (2019)

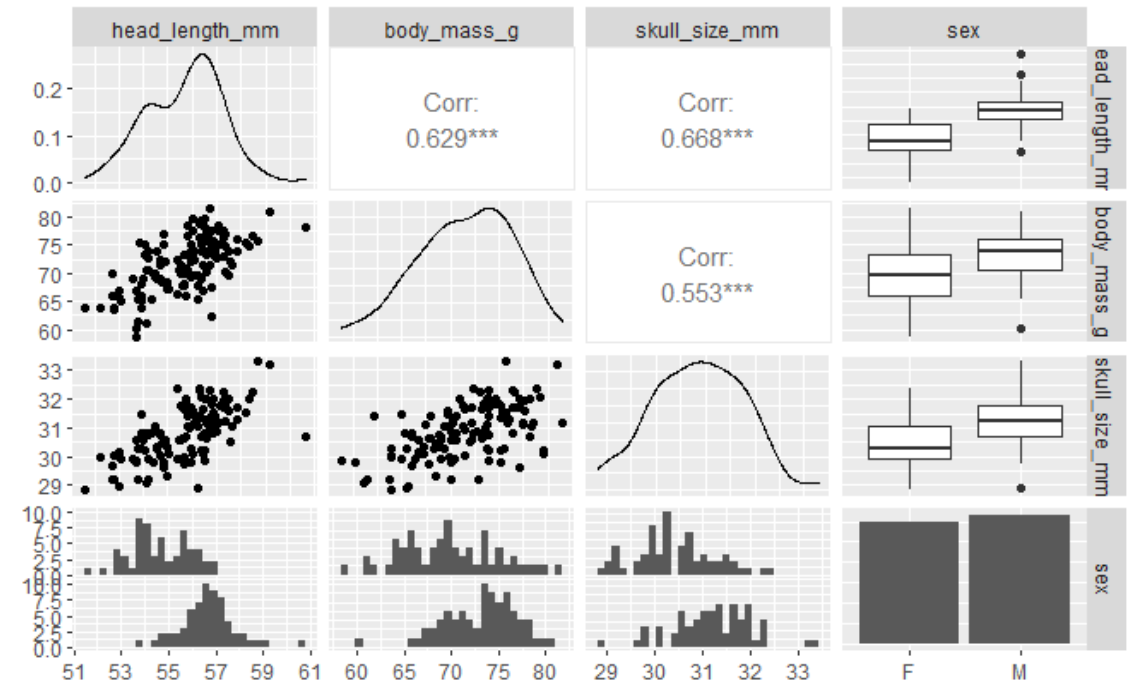
- [Ggally](#) options to build [correlograms](#):
 - pairwise plot matrix
 - scatterplot plot matrix
 - parallel coordinates plot
 - survival plot
- [ggpairs\(\)](#) function build a [classic correlogram](#) with scatterplot, correlation coefficient and variable distribution



Wilke, C. (2019)

Correlation Matrix: Example

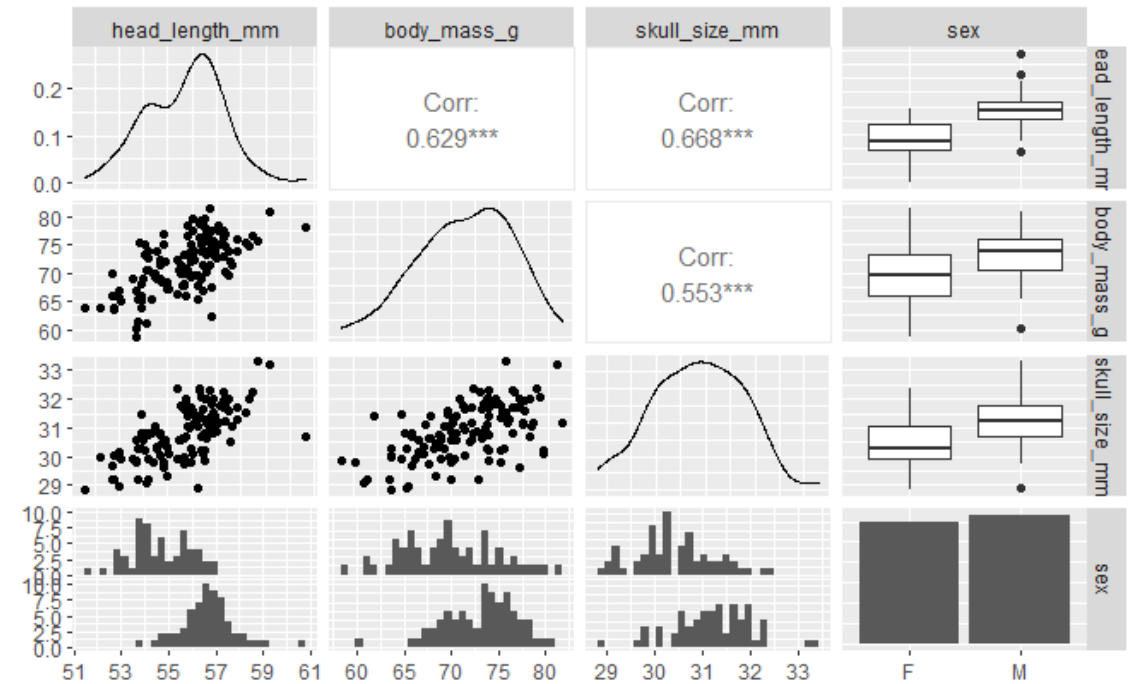
- ggpairs plots each variable against the other
- Scatterplots for quantitative, quantitative pairs
- Top half, is the correlation for each of the quantitative, quantitative pairs



Wilke, C. (2019)

Correlation Matrix: Example

- On the diagonal, we have the density functions for each of the variables
- Boxplots and histograms for the qualitative variable, sex
- All variables are correlated, with significance



Wilke, C. (2019)

Correlation Matrix: Example – ggplot

- It is also possible to inject [ggplot2](#) code into a `ggcor` statement. For example, you can add [color categories](#)

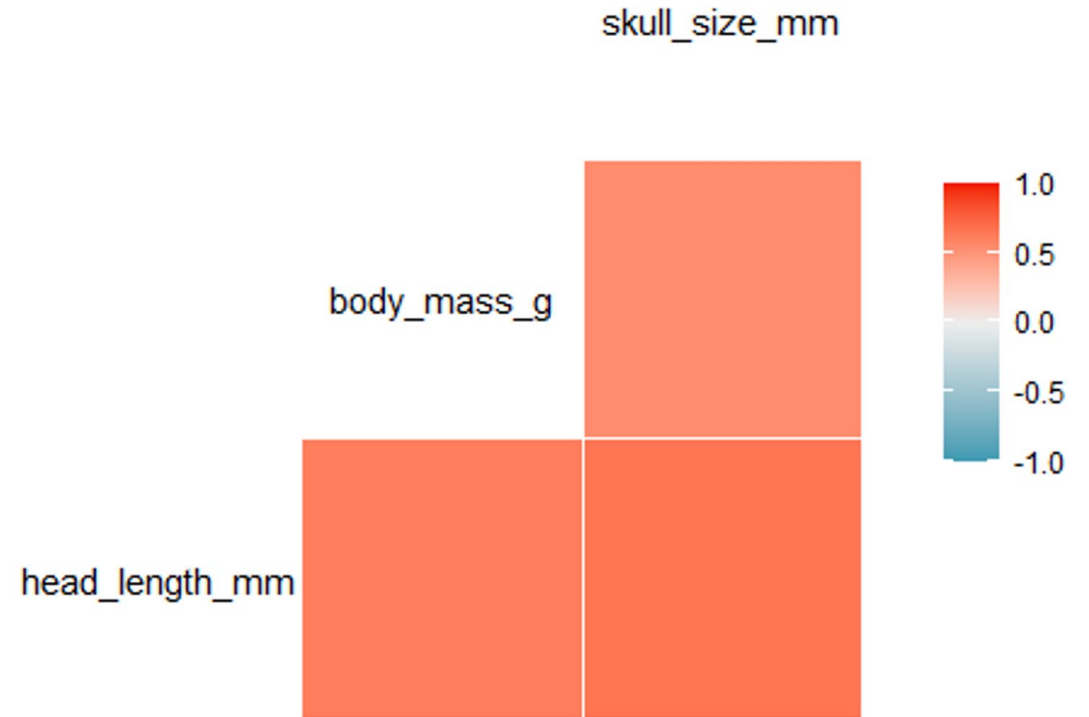
```
ggpairs(blue_jays_matrix,  
ggplot2::aes(colour=sex))
```



Correlation Matrix: Example – ggcorr()

- Another option is the ggcorr() function
- Visualize the correlation of each pair of variable as tiles
- Method sets the correlation type

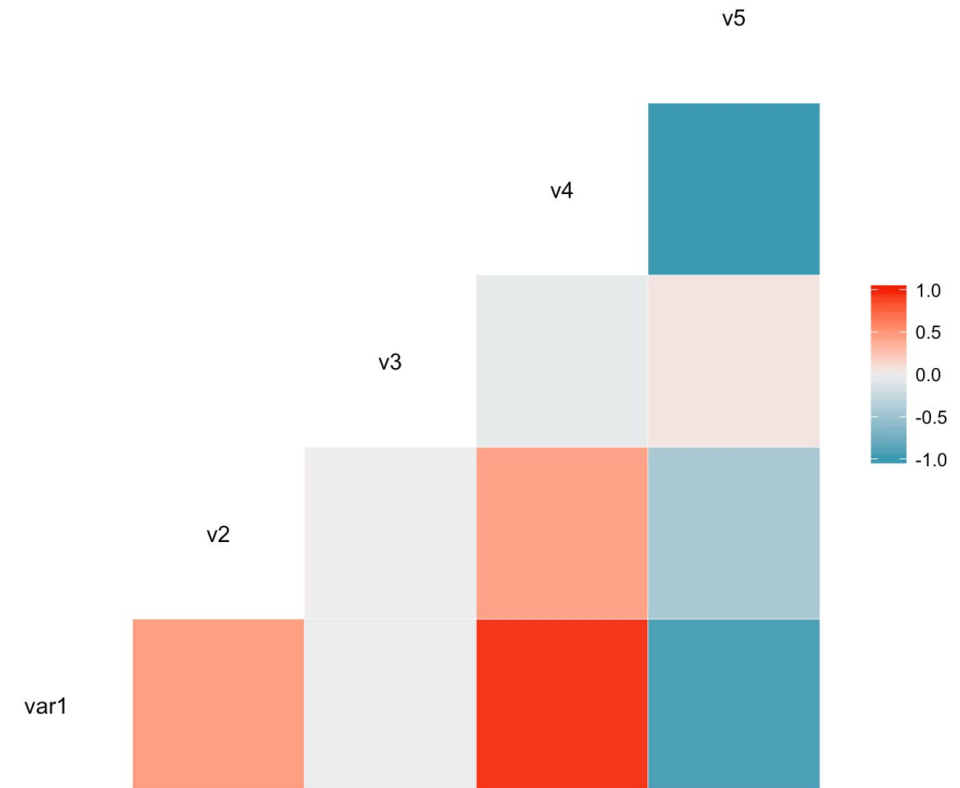
```
blue_jays_matrix %>%  
  ggcorr(method = c("everything",  
    "pearson"))
```



Wilke, C. (2019)

Correlation Matrix: Example – ggcorr()

- Blue jar data only has positive correlations
- This figure is demonstrating what this would look like if we had both positive and negative correlations between the variables

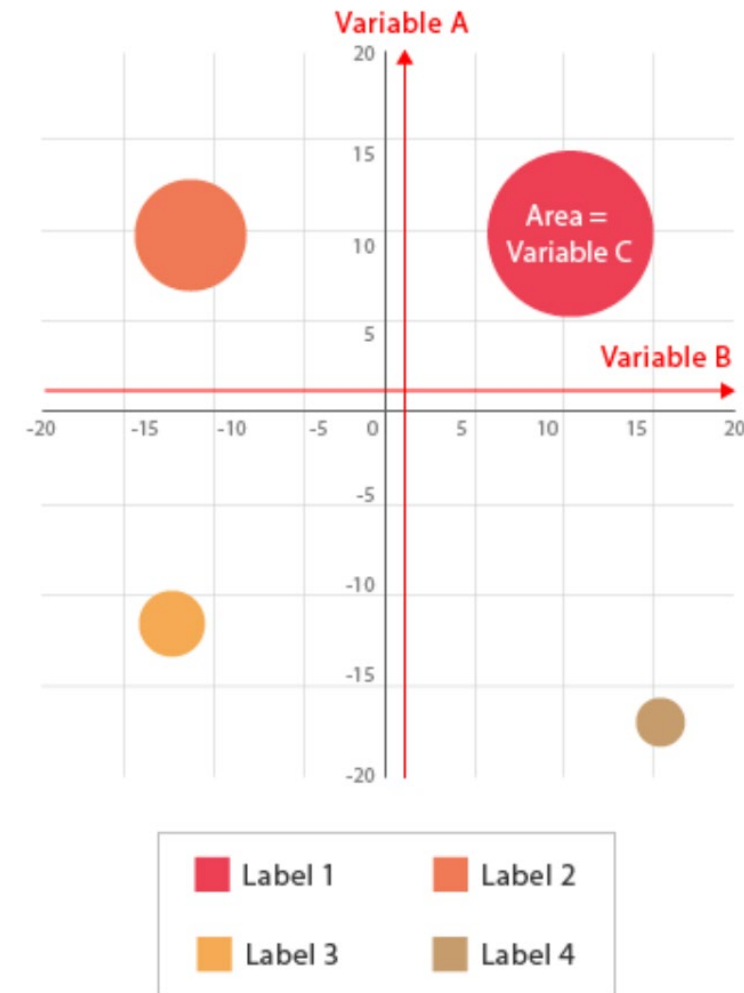


Wilke, C. (2019)

Bubble Graph

- Multi-variable graph
- Cross between a scatterplot and a proportional area chart
- Compares and show the relationships between categorized circles
- Uses positioning and proportions
- Can be used to analyze for patterns/correlations

Ribecca, S. (2019)



- If we wanted to look at head size and bill size, we can do that too
- Need another aesthetic to which we can map skull size, what could it be?



Bubble Graph: Example

- Already using the x position for body mass
- Position for head length
- Dot color for bird sex
- Birds' skull size by symbol size



Wilke, C. (2019)

Bubble Graph: Interpretation

- Head length and skull size appear to be correlated
- Some birds with unusually long or short bills given their skull size
- [Guidance](#) on how to only display certain legends
- Change the position of the legend using this [resource](#) and this [resource](#)

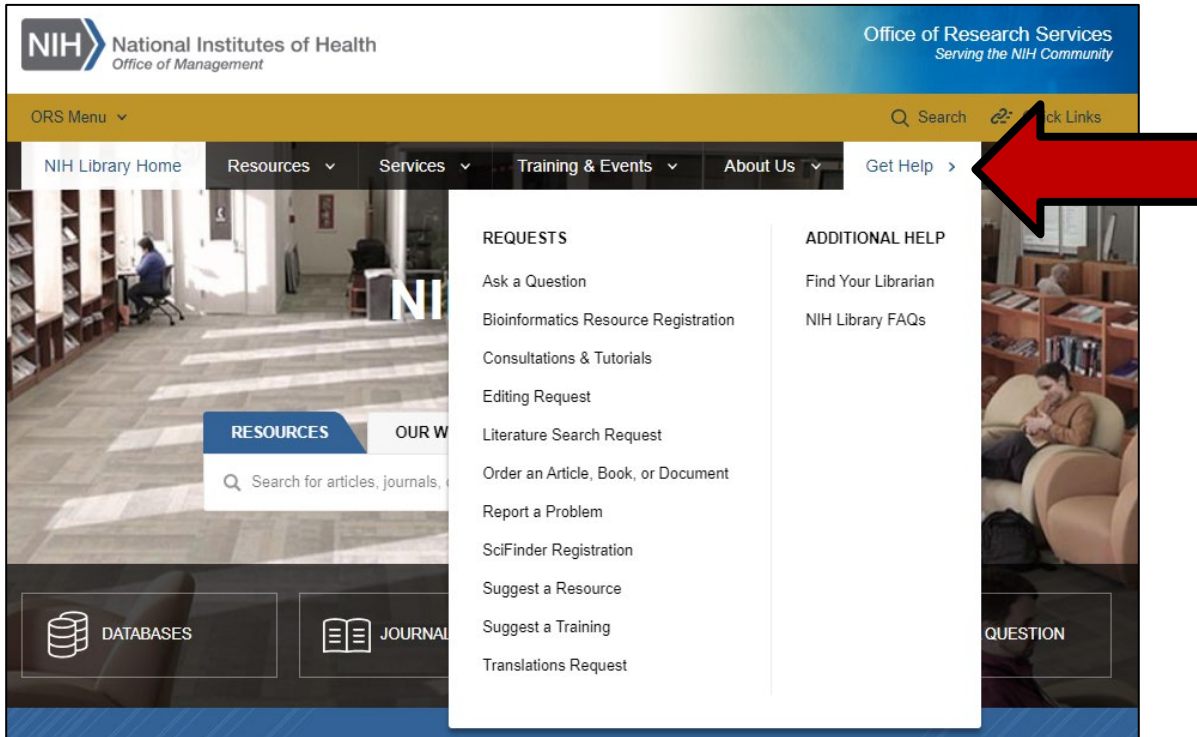


```
blue_jays %>%  
  ggplot(mapping = aes(x = body_mass_g, y = head_length_mm,  
    size = skull_size_mm, color = sex)) +  
  geom_point() +  
  scale_size(range = c(.1, 5), name= "Skull Size (mm)") +  
  facet_wrap(vars(sex)) +  
  scale_color_brewer(palette="Set1") +  
  labs(y = "Head length (mm)", x = "Body mass (g)") +  
  guides(col = FALSE) +  
  theme(legend.position="bottom")
```



- Classes on a variety of data-related topics, including:
 - Data management
 - Data visualization
 - Data analysis
 - R and RStudio
- Computers which offers a suite of tools for data analysis, processing, and visualization

Contact Us for Ongoing Support



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