## HW5

## Youzhe Dou

1.

$$A: V_{Sg} = |VJJ - V_{LT}| \quad V_{LT} = V_{LT}, \quad V_{LT} = 2$$

$$B: V_{Lg} = |VJJ - V_{LT}| \quad V_{LT} = V_{LT}, \quad V_{LT} = 2$$

$$B: V_{Lg} = |VJJ - V_{LT}| \quad V_{LT} - |V_{LT}| = 2$$

$$Sacuration$$

$$I_{D} = \frac{\beta_{P}}{2} \left[ (VJJ - V_{LT} - V_{LP}) V_{JL} - V_{JL}^{2} \right]$$

$$= \frac{\beta_{P}}{2} \left[ (VJJ - V_{LT} - V_{LP}) V_{JL} - V_{JL}^{2} \right]$$

$$= \frac{\beta_{P}}{4} \left[ (VJJ - V_{LT} - V_{LT} - V_{LP}) \right]^{2}$$

$$V_{LT} = \frac{\beta_{P}}{4} \left[ (VJJ - V_{LT} - V_{LT} - V_{LP}) \right]^{2}$$

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$$V_{LT} - V_{LT} = \frac{\beta_{P}}{4} \left[ (VJJ - |V_{LT}| -$$

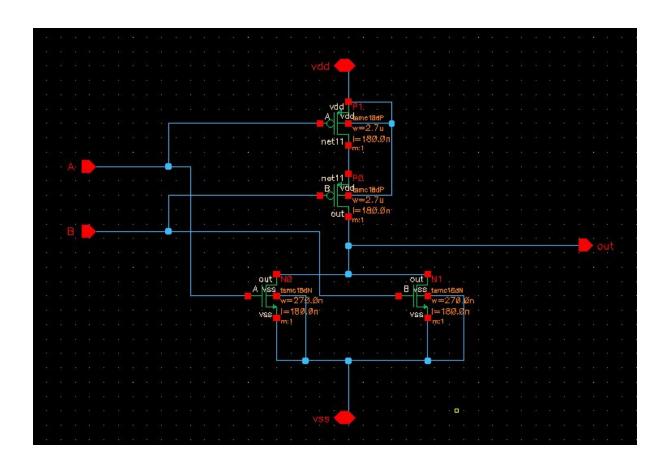
00->11 tf'= 2tf= 0.0206/15

## 2.

## (a)

For a 2-inputs NOR gate, the worst case rising time should be the transition (11-00) and the worst case falling time should be the transition (00-01). After some adjustment to equalize the worst rise and fall time, I came to the following W/L ratio for each gate:

PMOS: 30/2 (2700 nm / 180 nm) NMOS: 3/2 (270 nm / 180 nm)



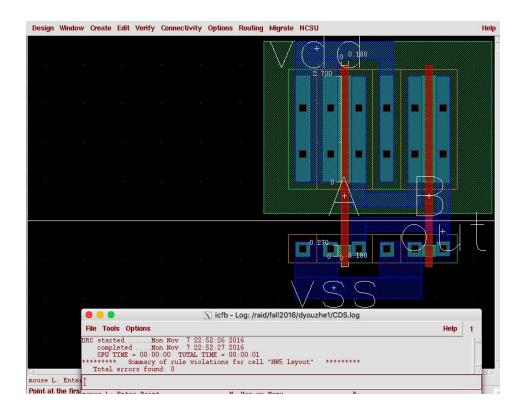
(b)

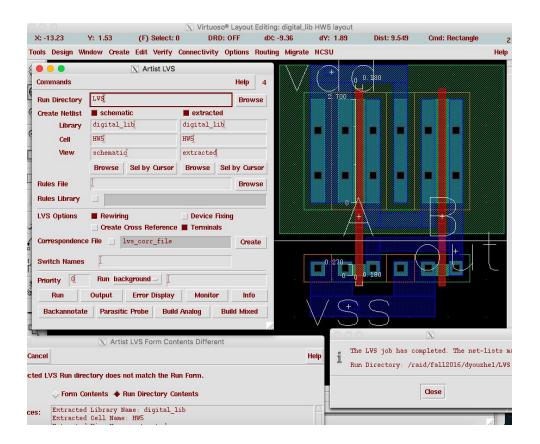
```
module HW5 (A, B, out, vdd, vss );
inout vdd,vss,A,B,out;
nor #0.03 net1(out,A,B);
endmodule

// Verilog stimulus file.
// Please do not create a module in this file.
// Default verilog stimulus.
```

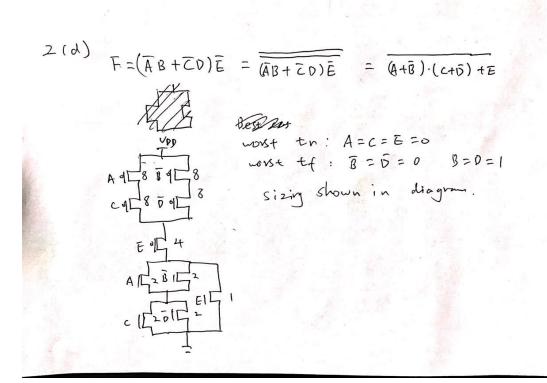
```
initial
begin
  io_A = 1'bz;
  io_B = 1'bz;
  io_out = 1'bz;
  io_vdd = 1'bz;
  io_vss = 1'bz;
#5
  io_A = 1'b1;
  io_B = 1'b1;
#5
   io_A = 1'b0;
   io_B = 1'b0;
#5
  io_A = 1'b0;
  io_B = 1'b1;
#20 $finish;
end
```

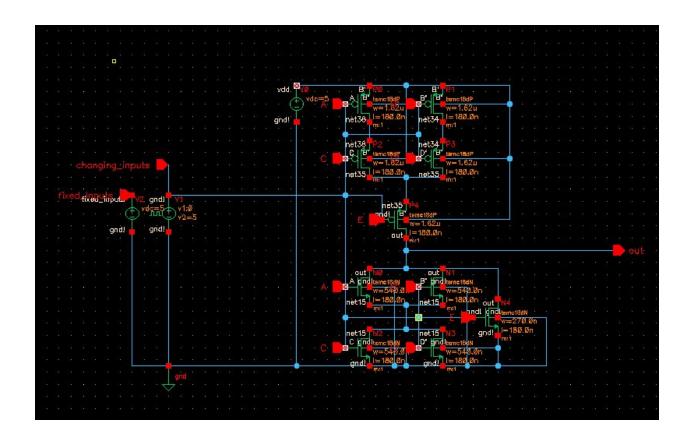


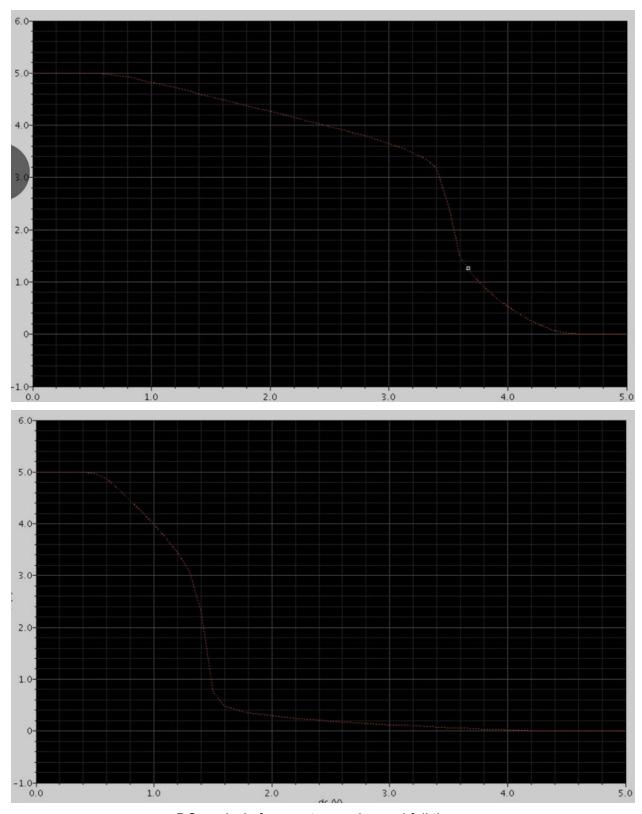




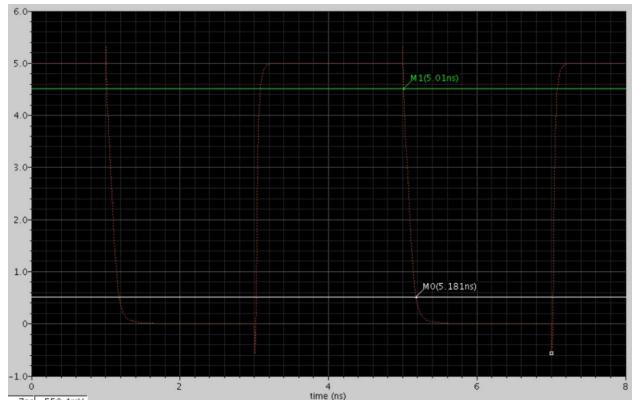
nets



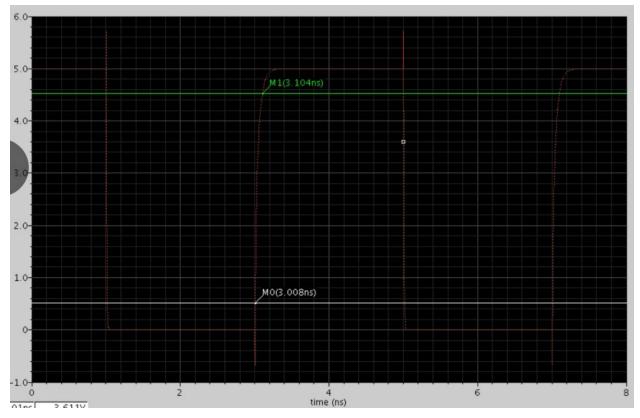




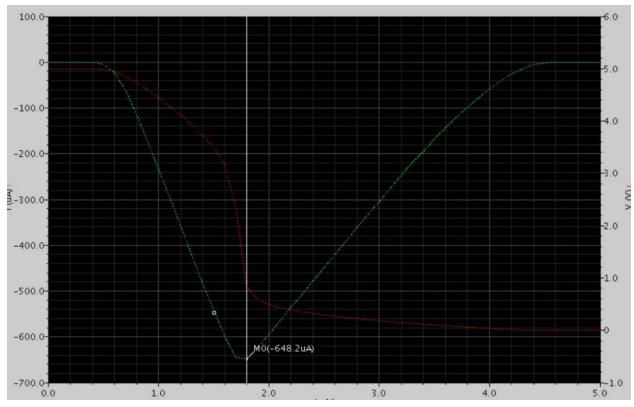
DC analysis for worst case rise and fall time.



Worst fall time=0.17 ns



Worst rise time =0.096 ns



 $peak\ power = peak\ current\ *\ voltage\ supply\ =\ 648.2*10^{-6}*5 = 3.241*10^{-3}w$