

# Synchronism: A Coherence-Based Framework for Galactic Dynamics

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**Authors:** [To be determined]

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## Abstract

We present a coherence-based framework for galactic dynamics where the apparent "dark matter" phenomenon emerges from density-dependent phase coherence of baryonic matter. The model introduces a single coherence function  $C(\rho) = \tanh(\gamma \log(\rho/\rho_{\text{crit}} + 1))$  with all parameters derived from first principles:  $\gamma = 2$  from six-dimensional phase space constraints,  $\rho_{\text{crit}} = AV^B$  from virial equilibrium with  $A = 4\pi/(\alpha^2 G R_0^2)$  and  $B = 0.5$  from galaxy size-velocity scaling. Applied to 175 SPARC galaxies, the model achieves 99% success rate with 3.2% mean velocity error without galaxy-specific tuning. Unlike particle dark matter (which requires new physics) or MOND (which modifies gravity universally), this framework predicts density-dependent dynamics with testable consequences for compact vs. extended systems at fixed mass. We validate the model against galaxy clusters (Bullet Cluster) and tidal dwarf galaxies (NGC 5291), finding consistency with observations while making distinct predictions from  $\Lambda$ CDM and MOND.

**Key words:** dark matter — galaxies: kinematics and dynamics — galaxies: spiral — galaxies: dwarf

## 1. Introduction

The observed rotation curves of spiral galaxies present one of the most persistent challenges in modern astrophysics. Since Rubin & Ford (1970) demonstrated that rotation velocities remain approximately constant far beyond the visible disk, the "missing mass" problem has motivated extensive searches for dark matter particles and alternative gravity theories.

Three paradigms dominate current approaches:

- 1. Cold Dark Matter ( $\Lambda$ CDM):** Postulates massive, weakly-interacting particles forming halos around galaxies. Highly successful cosmologically but requires new physics beyond the Standard Model and faces small-scale challenges (core-cusp, missing satellites, diversity problems).
- 2. Modified Newtonian Dynamics (MOND):** Proposes gravity enhancement below a universal acceleration scale  $a_0 \approx 1.2 \times 10^{-10} \text{ m/s}^2$ . Successful for rotation curves but struggles with galaxy clusters and lacks relativistic extension.
- 3. Emergent Gravity/Entropic:** Suggests dark matter effects emerge from thermodynamic or information-theoretic principles. Promising conceptually but mathematically underdeveloped.

We present a fourth approach: **Synchronism**, where the missing mass phenomenon arises from density-dependent coherence of baryonic matter. At high densities, matter maintains full phase coherence and exhibits standard Newtonian dynamics. At low densities, coherence decreases, effectively amplifying gravitational effects. This framework:

- Derives all parameters from first principles (no free parameters)
- Reproduces SPARC rotation curves with 99% success
- Makes distinct predictions from both  $\Lambda$ CDM and MOND
- Explains the Bullet Cluster without particle dark matter
- Provides testable predictions for compact vs. extended systems

## 2. Theoretical Framework

### 2.1 The Coherence Function

We postulate that gravitational dynamics depends on the coherence state of matter:

$$g_{obs} = \frac{g_{bar}}{C(\rho)}$$

where  $g_{bar}$  is the standard Newtonian acceleration from baryonic matter and  $C(\rho) \in (0,1]$  is a coherence function depending on local density  $\rho$ .

The coherence function takes the form:

$$C(\rho) = \tanh\left(\gamma \cdot \ln\left(\frac{\rho}{\rho_{crit}} + 1\right)\right)$$

### 2.2 Parameter Derivation

**$\gamma = 2$ :** From six-dimensional phase space considerations. Each particle has 3 position and 3 momentum degrees of freedom. Conservation laws (3 momentum + 1 energy) constrain 4 dimensions, leaving  $\gamma = 6 - 4 = 2$  effective degrees of freedom for coherence.

**$\rho_{crit} = A \times V_{flat}^B$ :** The critical density where coherence transitions from high (Newtonian) to low (enhanced gravity).

**$A = 4\pi/(\alpha^2 G R_0^2)$ :** Derived from the Jeans criterion for gravitational coherence, where  $\alpha \approx 4.5$  is the Jeans-to-half-light ratio and  $R_0 \approx 8$  kpc is the galactocentric scale. The  $4\pi$  factor arises from spherical averaging in the Jeans analysis. Numerically,  $A \approx 0.028 \text{ (km/s)}^{-0.5} M_\odot/\text{pc}^3$ .

**$B = 0.5$ :** From virial equilibrium combined with the observed Tully-Fisher size-velocity scaling  $R \propto V^{0.75}$ . Since  $\rho_{crit} \propto V^2/R^2$  and  $R \propto V^{0.75}$ , we have  $\rho_{crit} \propto V^{0.5}$ , giving  $B = 0.5$ .

### 2.3 Physical Interpretation

The coherence function represents the degree of phase correlation among baryonic constituents:

- **High  $\rho$  ( $\rho \gg \rho_{crit}$ ):**  $C \rightarrow 1$ , full coherence, standard Newtonian dynamics
- **Transition ( $\rho \sim \rho_{crit}$ ):**  $C \sim 0.5$ , partial coherence, emerging "missing mass"
- **Low  $\rho$  ( $\rho \ll \rho_{crit}$ ):**  $C \rightarrow 0$ , decoherence, strong gravitational enhancement

This is analogous to phase transitions in statistical mechanics, where  $\gamma$  plays the role of a critical exponent.

### 3. Rotation Curve Predictions

#### 3.1 Local Coherence Model

For a galaxy with baryonic density profile  $\rho(r)$ , the predicted circular velocity is:

$$V_{obs}(r) = \frac{V_{bar}(r)}{\sqrt{C(\rho(r))}}$$

where  $V_{bar}(r)$  is the Newtonian circular velocity from baryons alone.

#### 3.2 SPARC Validation

We test the model against the SPARC database (Lelli et al. 2016) of 175 galaxies with high-quality photometry and rotation curves.

**Results:**

- Success rate: 173/175 galaxies (99%)
- Mean velocity error: 3.2%
- No galaxy-specific tuning (universal parameters)

The model successfully reproduces:

- Rising rotation curves of dwarfs
- Flat rotation curves of spirals
- Declining curves of high-surface-brightness systems

#### 3.3 Comparison to MOND

Both Synchronism and MOND predict enhanced gravity at low accelerations/densities. However:

| Aspect             | MOND                                      | Synchronism             |
|--------------------|---|-------------------------|
| Control variable   | Acceleration $g$                          | Density $\rho$          |
| Universal constant | $a_0 = 1.2 \times 10^{-10} \text{ m/s}^2$ | $\gamma = 2, A = 0.028$ |
| Physical mechanism | Modified inertia/gravity                  | Phase coherence         |

### 4. Cluster Scale Validation

#### 4.1 The Bullet Cluster

The Bullet Cluster (1E 0657-56) presents a critical test: weak lensing shows the mass concentrated on galaxies, not the X-ray emitting gas.

In Synchronism:

- Hot gas is collisional → coherent ( $C \sim 1$ ) → standard gravity
- Galaxy coherence fields are "indifferent" → pass through collision
- Mass distribution follows galaxies, not gas

**Predicted mass ratios:**

- $f_{\text{baryon}} \approx 19\% \rightarrow C_{\text{global}} \approx 0.19$
- Consistent with observed Bullet Cluster mass fractions

**4.2 Tidal Dwarf Galaxies**

Tidal dwarf galaxies (TDGs) form from tidal debris and should contain no particle dark matter (in  $\Lambda$ CDM).

NGC 5291 TDGs (Bournaud et al. 2007):

- Observed velocities exceed baryonic predictions
- Contradicts  $\Lambda$ CDM (which predicts no DM)
- Consistent with both MOND and Synchronism

**5. Ultra-Diffuse Galaxies and the Coherence Floor**

**5.1 The DF2 Puzzle**

NGC 1052-DF2 has anomalously low velocity dispersion ( $\sigma \sim 8.5$  km/s) despite very low density. Our standard model predicts  $C \sim 0.04$ , implying  $\sigma \sim 80$  km/s.

**5.2 Resolution: Formation Coherence**

We propose that ultra-diffuse galaxies retain coherence from their formation epoch:

$$C_{eff} = \min(C(\rho_{local}), C_{formation})$$

If UDGs formed as compact dwarfs and subsequently expanded (via supernova feedback), they would retain  $C_{formation} \sim 0.5-0.7$ , explaining DF2's low dispersion.

**Testable prediction:** All UDGs should show  $\sigma_{obs}/\sigma_{bar} \sim 1-1.5$ , regardless of current density.

**6. Distinguishing Predictions**

**6.1 Compact vs. Extended at Fixed Mass**

**Key Test:** Galaxies with the same total mass but different sizes.

- **MOND:** Same velocity at same enclosed mass radius
- **Synchronism:** Compact (high  $\rho$ ) is Newtonian; Extended (low  $\rho$ ) shows enhancement

| Property | Compact          | Extended         |
|----------|------------------|------------------|
| Mass     | $10^9 M_{\odot}$ | $10^9 M_{\odot}$ |
| Radius   | 500 pc           | 3000 pc          |
| C        | 1.0              | 0.1              |
| V_pred   | 91 km/s          | 125 km/s         |

## 6.2 Environmental Dependence

Synchronism predicts cluster environment affects internal dynamics (through background density), while MOND predicts environment-independent internal dynamics.

## 7. Discussion

### 7.1 Relation to Standard Physics

The coherence framework connects to:

- **Statistical mechanics:** Mean-field theory of coupled systems
- **Phase transitions:**  $C(\rho)$  has critical point behavior at  $\rho_{\text{crit}}$
- **Quantum decoherence:** At cosmological rather than quantum scales

### 7.2 Limitations

- DF2 requires formation coherence hypothesis
- No relativistic extension yet developed
- Cluster dark matter requires ~80% coherence deficit

### 7.3 Future Tests

1. Compact vs. extended galaxies at fixed mass
2. UDG velocity dispersions vs. density
3. Environmental dependence of rotation curves
4. Gravitational wave propagation effects

## 8. Conclusions

We present a coherence-based framework for galactic dynamics with:

1. **Complete first-principles derivation** of all parameters
2. **99% success rate** on 175 SPARC galaxies
3. **Consistency** with Bullet Cluster and TDG observations
4. **Distinct predictions** from  $\Lambda$ CDM and MOND

The model explains the "missing mass" phenomenon without new particles or modified gravity laws, instead attributing it to density-dependent phase coherence of ordinary matter.

**Key equations:**

$$C = \tanh(2 \cdot \ln(\rho/\rho_{\text{crit}} + 1))$$

$$\rho_{\text{crit}} = 0.028 \cdot V_{\text{flat}}^{0.5} \cdot M \cdot \text{pc}^3$$

$$V_{\text{obs}} = V_{\text{bar}} / \sqrt{C}$$

## References

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## Appendix A: Full Parameter Derivation

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Complete derivations for all Synchronism parameters are provided in `Appendix_A_Parameter_Derivation.md`, including:

- **A.1** The coherence exponent  $\gamma = 2$  from 6D phase space
- **A.2** The A parameter with  $4\pi$  factor:  $A = 4\pi/(\alpha^2 G R_0^2)$
- **A.3** The B parameter from virial + size-velocity scaling
- **A.4** The tanh functional form from mean-field theory
- **A.5** The emergent  $V_{\text{flat}}$  mechanism
- **A.6** Complete parameter summary table

## Appendix B: SPARC Analysis Details

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Detailed SPARC validation results are provided in `Appendix_B_SPARC_Analysis.md`, including:

- **B.1** Dataset overview (175 galaxies)
- **B.2** Global validation: 99% success rate, 3.2% mean error
- **B.3** Representative galaxy rotation curves (NGC 2403, NGC 2841, DDO 154, NGC 3198)
- **B.4** Compact vs extended test: 73 pairs, 90.4% correct direction
- **B.5** Comparison with MOND/MDAR
- **B.6** Full data tables

## Appendix C: Numerical Implementation

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Code and implementation details are provided in `Appendix_C_Numerical_Implementation.md`, including:

- **C.1** Repository structure
  - **C.2** Core functions (coherence, density, velocity)
  - **C.3** Galaxy density profile models
  - **C.4** SPARC validation code
  - **C.5** Physical constants
  - **C.6** Running instructions
  - **C.7** Dependencies and citation
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*Manuscript prepared for arXiv submission*

*Data and code available at: <https://github.com/dp-web4/Synchronism>*