

# CS 330: Network Applications & Protocols

## Network Security

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# Overview of Network Security

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- **What is Network Security?**
- **Principles of Cryptography**
- **Message Integrity, Authentication**
- **Operational Security: Firewalls and IDS**

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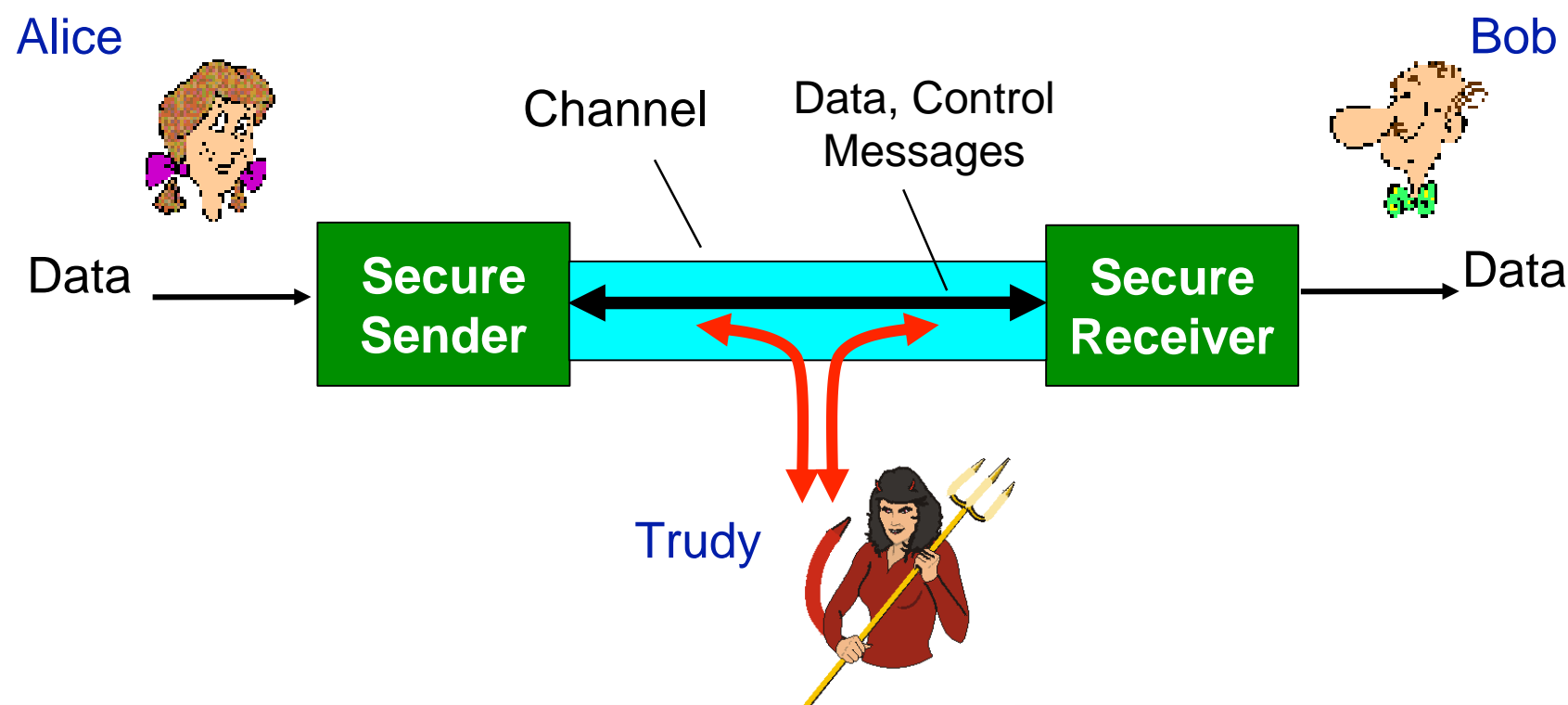
# What is Network Security?

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- **The following four items are desirable properties of secure communication:**
  - **Confidentiality** - only sender and intended receiver should “understand” message contents
    - Sender encrypts message
    - Receiver decrypts message
    - Eavesdropper should not be able to understand message
  - **End-point Authentication** - sender and receiver want to confirm identity of each other
    - Am I really talking to who I think I’m talking to?
  - **Message Integrity** - sender and receiver want to ensure message is not altered (in transit, or afterwards) without detection
  - **Operational Security** - services must be accessible and available to users
    - Protect network from downtime through redundancy
    - Protect network from attacks with firewalls, intrusion detection systems, etc.

# Network Security

- **Bob and Alice want to communicate “securely” to prevent others from understanding their communication**
- **Trudy, the intruder, may intercept, delete, add messages**
  - Bob and Alice want to be able to detect changes made by an intruder
  - Bob and Alice don't want the intruder to be able to understand their messages



# Network Security

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- **In previous example:**

- Bob and Alice don't necessarily have to represent 'users'
- Can represent any number of machines that need to communicate with each other

- **Other examples of machines that may want secure communication**

- Web browser/server for electronic transactions (e.g., on-line purchases)
- On-line banking client/server
- DNS servers
- Routers exchanging routing table updates

# What Can an Intruder Do?

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- **Eavesdrop** - intercept or listen to messages
- **Modification, Insertion, or Deletion** of messages or message content
- **Impersonation** - can fake (spoof) source address in packet (or any field in packet)
- **Hijacking** - “take over” ongoing connection by removing sender or receiver, inserting himself in place
- **Denial of Service** - prevent service from being used by others (e.g., by overloading resources)

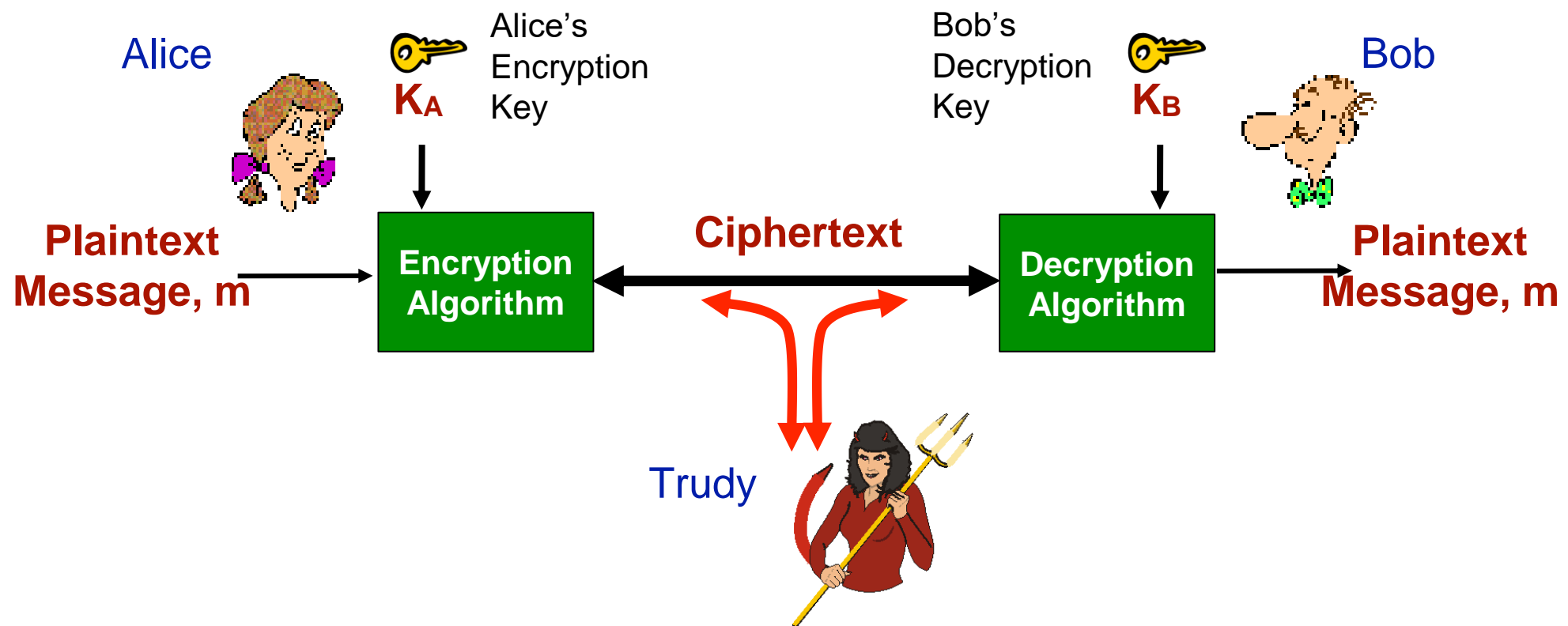
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# The Language of Cryptography



$m$  - plaintext message

$K_A(m)$  - ciphertext, encrypted with key  $K_A$

$m = K_B(K_A(m))$  - original plaintext message can be recovered with  $K_B$

In **symmetric key systems**, both keys are the same

In **public key systems**, multiple keys are used:

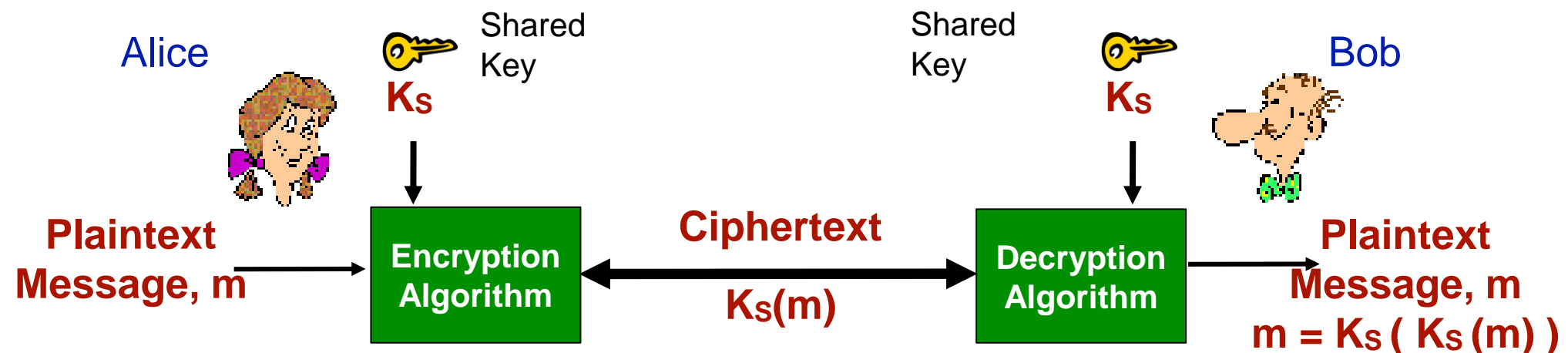
- a shared public key, and
- a private key for each user

# Breaking an encryption scheme

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- **cipher-text only attack:**  
Trudy has ciphertext she can analyze
- **known-plaintext attack:**  
Trudy has plaintext corresponding to ciphertext
  - e.g., in monoalphabetic cipher, Trudy determines pairings for a,l,i,c,e,b,o,
- **chosen-plaintext attack:**  
Trudy can get ciphertext for chosen plaintext
- **two approaches:**
  - brute force: search through all keys
  - statistical analysis

# Symmetric Key Cryptography



- **Symmetric Key Cryptograph** - Bob and Alice share the same (symmetric) key  $K_s$ 
  - Key may be a simple substitution pattern in **monoalphabetic substitution cipher**
- **How should Bob and Alice agree on a key?**
- **How should Bob and Alice exchange the shared key?**

# Simple Encryption Scheme

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- **Substitution cipher** - substituting one thing for another
  - Monoalphabetic cipher substitutes one letter for another
- **Encryption key** is the mapping from set of 26 letters to set of 26 letters

|             |                            |
|-------------|----------------------------|
| plaintext:  | abcdefghijklmnopqrstuvwxyz |
|             | ↓ ↓                        |
| ciphertext: | mnbvcxzasdfghjklpoiuytrewq |

- **Example:**

|       |       |
|-------|-------|
| hello | world |
| ↓     |       |
| acggk | rkogv |

Pretty easy to break this type of cipher; same as crypto puzzles in weekly newspapers

# A More Sophisticated Encryption Approach

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- **Polyalphabetic encryption** uses  $n$  monoalphabetic substitution ciphers
  - Cycles through monoalphabetic ciphers in some pattern
    - For example, if  $n=4$ :  $M_1, M_3, M_4, M_3, M_2$ ;  $M_1, M_3, M_4, M_3, M_2$ ; ...
  - For each new plaintext symbol, use subsequent substitution pattern in cyclic pattern
    - For example, dog: d from  $M_1$ , o from  $M_3$ , g from  $M_4$
    - Symbols may be substituted by ciphers throughout message
      - Much more difficult to break using crypto puzzle approach
- **Encryption key** includes the  $n$  monoalphabetic substitution ciphers and the cyclic pattern in which they are applied

# Block Ciphers

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- **Modern ciphers divide messages into  $k$  bit blocks and encrypt each of those block independently**
  - For small values of  $k$ , a simple lookup table is suitable

| input | output | input | output |
|-------|--------|-------|--------|
| 000   | 110    | 100   | 011    |
| 001   | 111    | 101   | 010    |
| 010   | 101    | 110   | 000    |
| 011   | 100    | 111   | 001    |

Simple 3-bit block cipher

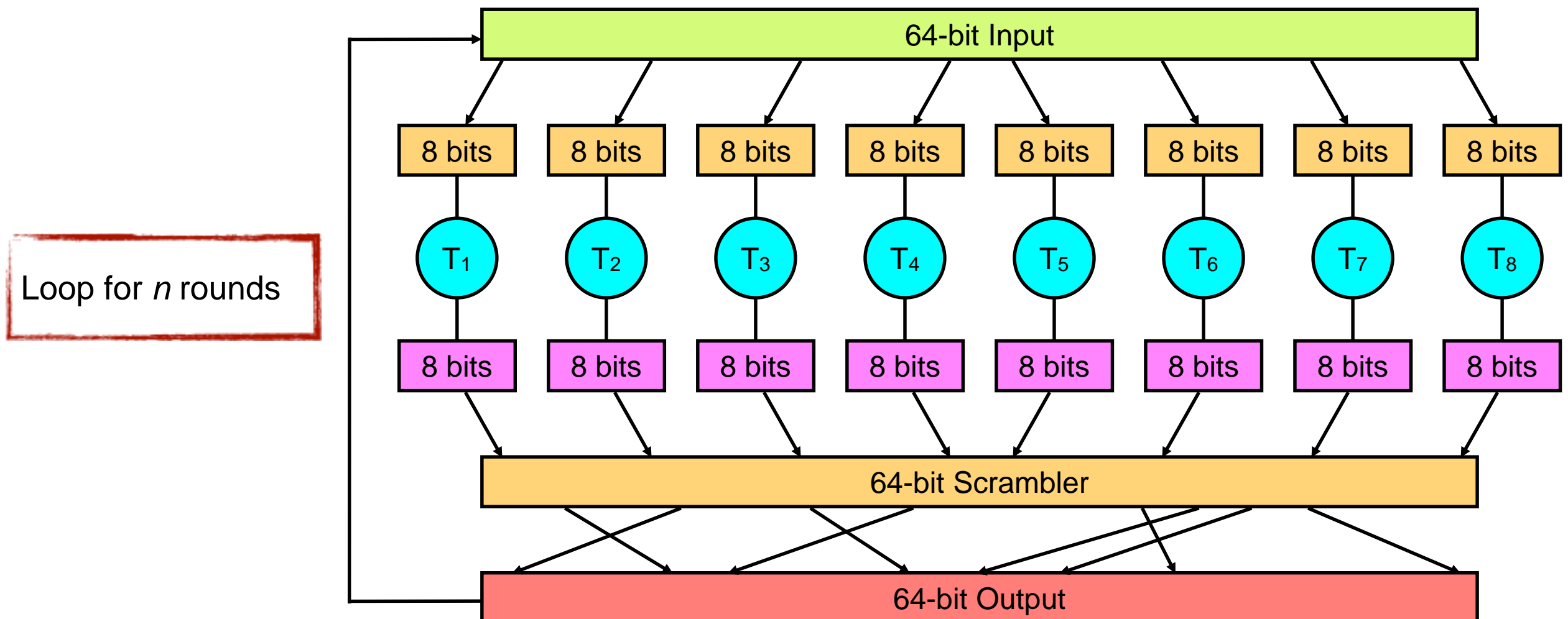
- For large values of  $k$  (i.e.  $k=64$ ,  $k=128$ , etc.), a lookup table would be too large
  - Instead, modern ciphers use mathematical functions to simulate these tables

# Block Ciphers (Cont.)

- **Example of a block cipher function**

- Divide input blocks into smaller 8-bit chunks
- Use smaller, more manageable 8-bit lookup tables
- Scramble the bits and feed them back around to the input
- Loop this  $n$  times such that each input bit can affect the output bits

This is similar to the approach used by DES and AES



# Cipher Block Chaining

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- **Since block cipher is a mathematical function, the same input will always produce the same output**
  - This is **bad** and provides an attack vector for an adversary
- **Cipher block chaining introduces randomness into the encrypted message using a randomly generated Initialization Vector (IV)**
  - IV is the same size as a block in the block cipher
  - The first block to be encrypted is XORed with the IV *before* being encrypted with the block cipher
    - The encrypted first block is XORed with second block to propagate randomness (output of second block is XORed with third, etc.)
  - IV is typically prepended as plaintext to encrypted message and sent along with message
    - Introduces a small overhead for sending encrypted messages
    - Receiver cannot decrypt the message without the IV



# Common Block Cipher Algorithms

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- **DES: Data Encryption Standard**

- 56-bit symmetric key, 64-bit plaintext input
- Block cipher with cipher block chaining

- **3DES: Triple Data Encryption Standard**

- Same as DES, but encrypt message 3 times with 3 different keys

- **AES: Advanced Encryption Standard**

- Replaced DES in most applications
- Processes data in 128 bit blocks
- 128, 192, or 256 bit keys

Nation Institute of Standards and Technology estimates that if theoretically had a machine that could crack DES in 1 second, it would take that same machine 149 trillion years to crack AES.

# Public Key Cryptography

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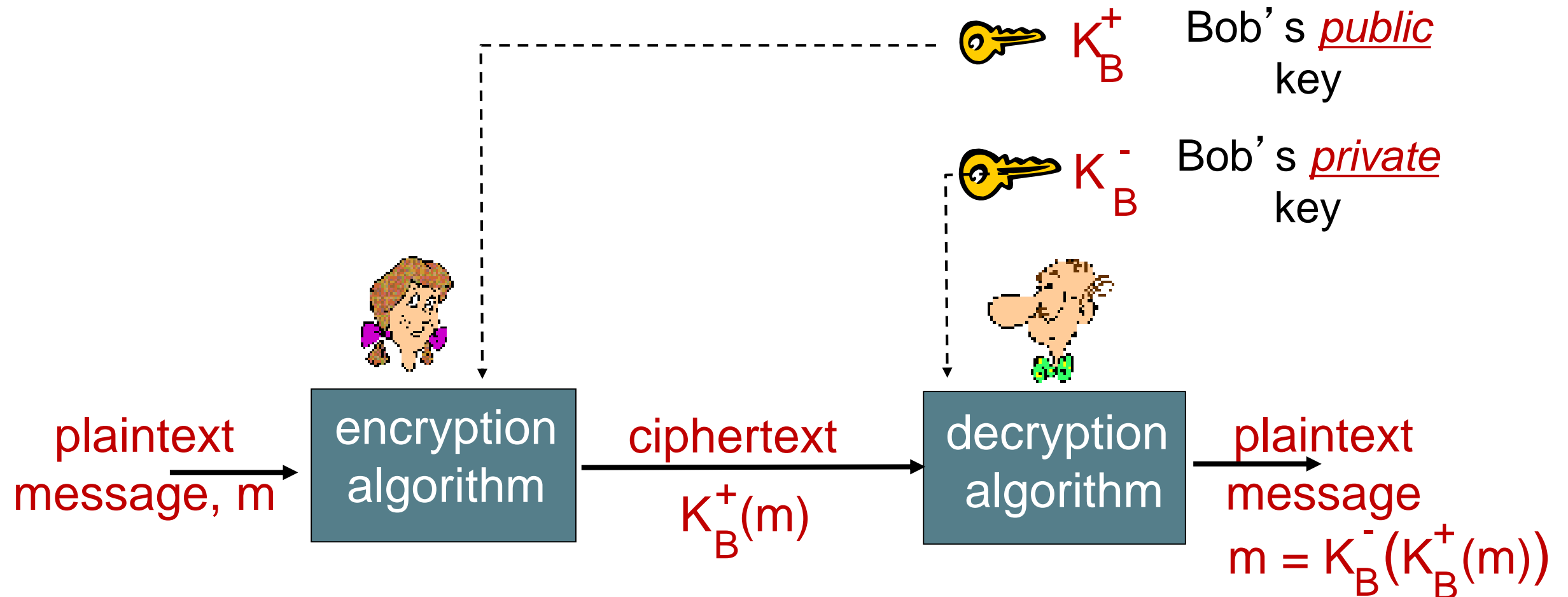
- **Symmetric Key Cryptography**

- Requires sender and receiver to know a shared secret key
- How should they agree on key in first place (particularly if never “met”)?
- How should they share the key?

- **Public Key Cryptography**

- Radically different approach
- Sender and receiver do not share a secret key
- Sender and receiver each have two keys: a **shared public key** and a **private key**
- Public encryption key is known to all (even intruders)
- Private decryption key known only to receiver

# Public key cryptography



# Public Key Cryptography (Cont.)

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- **Sender determines a private key to use**
  - DOES NOT provide that private key to ANYONE
- **Receiver determines a private key to use**
  - DOES NOT provide that private key to ANYONE
- **Sender and receiver agree on a shared public key**
  - Does not matter if an intruder sees the shared public key
  - Public key can be exchanged over an unsecured channel
  - Great video provides general idea of how this works (Diffie Hellman key exchange)
    - [http://www.youtube.com/watch?v=YEBfamv-\\_do](http://www.youtube.com/watch?v=YEBfamv-_do)

## VIDEO:

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# Diffie-Hellman Vulnerabilities

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- **Does NOT provide authentication**
- **Vulnerable to man-in-the-middle attacks**
  - Intruder can establish one connection to Bob and another to Alice, intercept messages, re-encrypt and send
- **Another public key cryptography technique that avoids this problem is RSA**
  - Great video provides general idea of how RSA works
    - [http://www.youtube.com/watch?v=wXB-V\\_Keiu8](http://www.youtube.com/watch?v=wXB-V_Keiu8)

# Prerequisite: modular arithmetic

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- **$x \bmod n$  = remainder of  $x$  when divide by  $n$**

- **facts:**

$$[(a \bmod n) + (b \bmod n)] \bmod n = (a+b) \bmod n$$

$$[(a \bmod n) - (b \bmod n)] \bmod n = (a-b) \bmod n$$

$$[(a \bmod n) * (b \bmod n)] \bmod n = (a*b) \bmod n$$

- **thus**

$$(a \bmod n)^d \bmod n = a^d \bmod n$$

- **example:  $x=14$ ,  $n=10$ ,  $d=2$ :**

$$(x \bmod n)^d \bmod n = 4^2 \bmod 10 = 6$$

$$x^d = 14^2 = 196 \quad x^d \bmod 10 = 6$$

## VIDEO:

[http://www.youtube.com/watch?v=wXB-V\\_Keiu8](http://www.youtube.com/watch?v=wXB-V_Keiu8)



Why  $K_B^-(K_B^+(m)) = m = K_B^+(K_B^-(m))$  ?

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follows directly from modular arithmetic:

$$(m^e \bmod n)^d \bmod n = m^{ed} \bmod n$$

$$= m^{de} \bmod n$$

$$= (m^d \bmod n)^e \bmod n$$

# Why is RSA secure?

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- **suppose you know Bob's public key  $(n,e)$ . How hard is it to determine  $d$ ?**
- **essentially need to find factors of  $n$  without knowing the two factors  $p$  and  $q$** 
  - fact: factoring a big number is hard

# Session Keys

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- **Exponentiation required by RSA is time-consuming process**
- **DES and AES can encrypt messages much faster than RSA**
- **So ... don't use RSA to encrypt *entire* communication between sender and receiver**
  - Use RSA to establish a secure connection between sender/receiver
    - The only data exchanged using RSA is a **session key**
    - The session key is used as the encryption key for one of the faster symmetric key cryptography methods such as DES or AES
  - Remainder of communication between sender and receiver is encrypted using the faster symmetric key cryptography
- **Example:**
  - Bob and Alice use RSA to exchange a symmetric key  $K_s$
  - Once both have  $K_s$ , they use symmetric key cryptography