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```
% Ali Heydari
% Math 231, hw3
% Bisection Method
```

## Interactive Interface (with user input)

% get input a = input('Please enter a value for the lower bound a: '); b = input('Please enter a value for the upper bound (b) : '); delta = input('Please enter the desired tolerance: '); f = input('Please enter f(x)?(type @(x) [then the function] ');

```
% see if any of the boundaries are a root
```

## Non Interactive (without user input)

```
retur = 0;
counter = 0;
x_k = ones(1,10);
error = zeros(1,10);
e_n = zeros(1,10);

delta = 10^-6
a = -4;
b = 0;

Method
fa = f(a);
if fa == 0
    root = a;
    retur = 1;
end;
```

 $f = 0(x) x^3 - 3*x + 2;$ 

```
fb = f(b);
if fb == 0
   root = b;
   retur = 1;
end;
% if the boundaries are not the root then do bisection
if retur ~= 1
    % check if the user hasnt lost their mind
    if sign(fa) == sign(fb)
        display('Error: f(a) and f(b) have same sign.')
        retur = 1;
    end;
    % if all is gucci
           while abs(b-a) > delta && retur ~= 1
                % As Mayya said in class, keep going until Iterate I <= 2delta
                counter = counter + 1;
                c = (a+b)/2;
                fc = f(c);
                if fc == 0
                        root = c;
                        retur = 1;
                % cehk to see which side of the interval we want
                if sign(fc) == sign(fa)
                        a = c;
                        fa = fc;
                else
                        b = c;
                        fb = fc;
```

```
end;
           end;
           \% hopefully we got want we need
           root = (a+b)/2;
end
fprintf('The found root is: %i \n',root);
fprintf('Total iterations: %i \n', counter);
Output Formatting
disp(" ");
disp(" ");
fprintf('The root of the function is at x = \%i \n', root);
fprintf('Number of iterations: %i \n', counter);
disp(" ");
disp(" ");
                            |p_{n+1} - p_n|   e_n = |p_n - p| ")
disp("
             pn
for i= 1 : counter
fprintf("%i
             %i
                 %i
                                  %i\n",i ,x_k(i),error(i),e_n(i));
end
Outputs
delta =
  1.0000e-06
The found root is: -2
Total iterations: 9
The root of the function is at x = -2
Number of iterations: 9
                      |p_{n+1} - p_n|   e_n = |p_n - p|
       pn
      -2.1
                          0.15
                                               0.1
      -1.95
                           0.075
                                               0.05
      -2.025
                                               0.025
                           0.0375
      -1.9875
                           0.01875
                                               0.0125
```

-2.0063	0.009375	0.0062499
-1.9969	0.0046875	0.0031251
-2.0016	0.0023438	0.0015624
-1.9992	0.0011719	0.00078135
-2.0004	0.00058594	0.00039053