

Translating Specifications

Translating Specification

Expressing properties using either deontic logic and or ctl^* , and translating them to the other:

- **P** is a property of a given system
- A Kripke structure is implicitly defined

Translating Specification

DEONTIC \Rightarrow CTL(*)

- $O(p) \rightarrow AX\ p$ is enough
- $P(p) \rightarrow EX\ p$ is enough
- $F(p) \rightarrow AG\ \neg p$

Deontic logic is less expressive so everything is fine...

Translating Specification

CTL(*) ➡ DEONTIC LOGIC

Target logic is less expressive

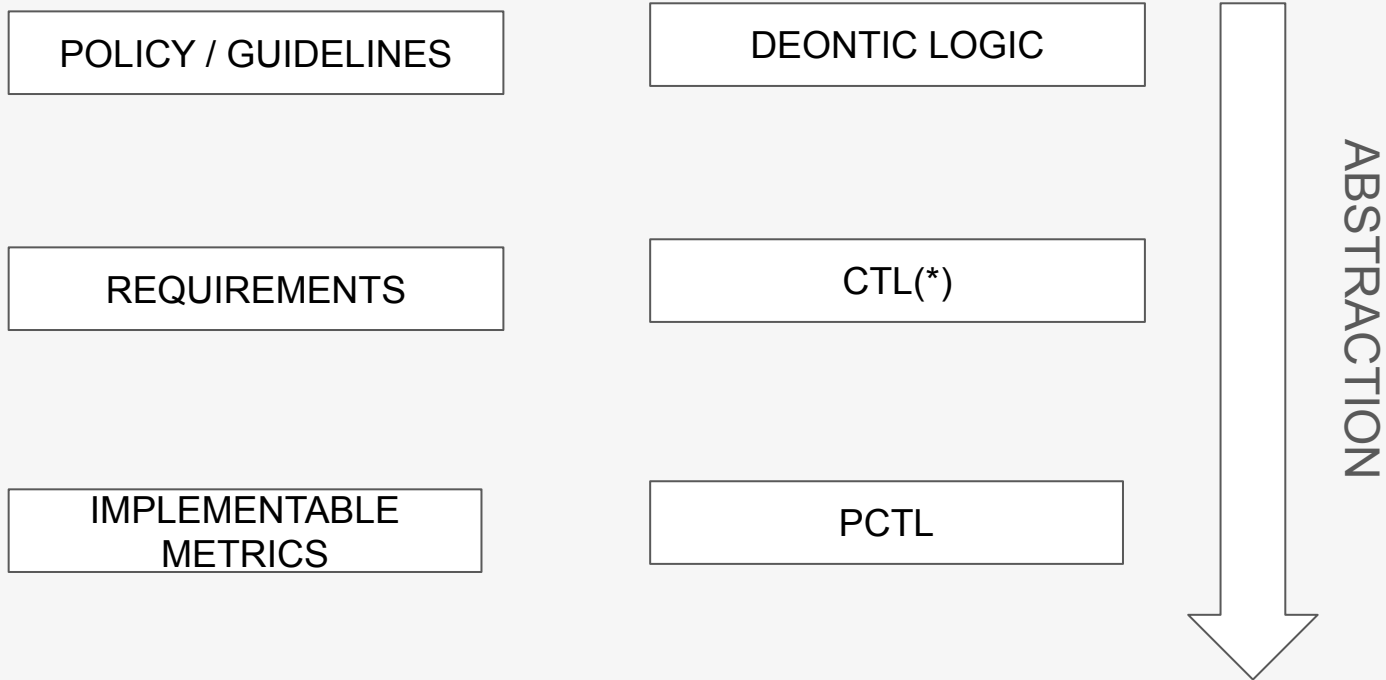
➡ INFORMATION LOSS

Defining a property p' that works well is a solution..

Abstraction pipeline

How all of this could work in a real setting.

Abstraction pipeline



Concrete example

Putting all of that to use.

Let's design a calculator :

- The calculator takes user input
- User input is a negative integer
- The calculator should not crash

- O (the calculator takes user input)
- P (user input is a negative integer)
- F (the calculator crashes)

- $A\Phi$ (user input is taken)
- $EX(\text{user input is a negative integer})$
- $AG \neg(\text{the calculator crashes})$

- $P(\text{user input is taken}) = 1$ (by design)
- $P(\text{the calculator crashes}) < 0.05$ (setting a threshold)

What's left

The end of everything

What's left

- Recap
- Big result presentation
- The end report

THANK YOU

Any questions? Remarks ?