



Practical on Zero-shot Learning

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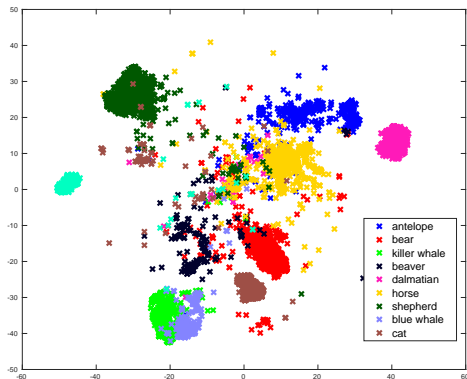
12.09.2016, GCPR

Road Map

- ▶ Visualization of Embeddings
- ▶ Zero-shot Learning
- ▶ Structural Joint Embedding
- ▶ Demos
- ▶ Latent Embedding
- ▶ Demos

Visualization of Embeddings

Figure: t-SNE visualization of GoogleNet image feature on AWA dataset



ZSL Problem

Training phase:

1. Observed data set

$$\mathcal{T} = \{(x, y) | x \in \mathcal{X}, y \in \mathcal{Y}\}$$

x : image embedding, y : class embedding

2. Using \mathcal{T} , learn function

$$f : \mathcal{X} \rightarrow \mathcal{Y}$$

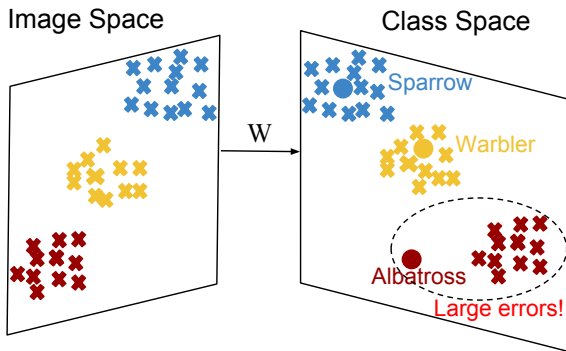
Testing phase:

1. Predict x^* of unseen classes using $f(x^*)$

Structural Joint Embedding

SJE [Akata et.al.'15]: **single bilinear** compatibility

- Not discriminative enough



$$F(x, y) = x^\top W y$$

Structural Joint Embedding

Prediction function

$$f(x; W) = \arg \max_{y \in \mathcal{Y}} x^T W y,$$

Objective function

$$\min_W \frac{1}{N} \sum_{n=1}^N \max_{y \in \mathcal{Y} \setminus \{y_n\}} \{0, \Delta(y_n, y) + x_n^T W y - x_n^T W y_n\},$$

Structural Joint Embedding

Algorithm 1 SGD optimization of SJE

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1: Given  $\mathcal{T} = \{(x, y) | x \in \mathbb{R}^{d_x}, y \in \mathbb{R}^{d_y}\}$ 
2: Initialize  $W$  randomly
3: for  $t = 1$  to  $T$  do
4:   for  $n = 1$  to  $|\mathcal{T}|$  do
5:     Draw  $(x_n, y_n) \in \mathcal{T}$ 
6:      $y^* \leftarrow \arg \max_{y \in \mathcal{Y} \setminus \{y_n\}} x_n^\top W y$ 
7:     if  $x_n^\top W y^* + 1 > x_n^\top W y_n$  then
8:        $W \leftarrow W - \eta x_n (y^* - y_n)^\top$ 
9:     end if
10:  end for
11: end for
```

Demo

Image Retrieval

$$\arg \max_i x_i^\top W y$$

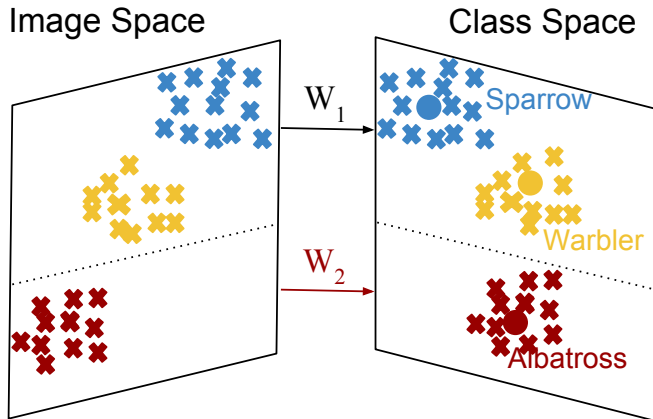
Chimpanzee



Seal



Latent Embeddings Method (LatEm)



$$F(x, y) = \max_{1 \leq i \leq K} x^\top W_i y$$

- ▶ Learn a collection of matrices
- ▶ Selection of which one to use is latent

Latent Embeddings Method (LatEm)

Loss function

$$L(x_n, y_n) = \sum_{y \in \mathcal{Y}} [\Delta(y_n, y) + F(x_n, y) - F(x_n, y_n)]_+,$$

Objective function

$$\min_{\{W_i\}_{i=1}^K} \frac{1}{N} \sum_{n=1}^N \max_{y \in \mathcal{Y} \setminus \{y_n\}} \{0, \Delta(y_n, y) + x_n^T W y - x_n^T W y_n\},$$

Demo