

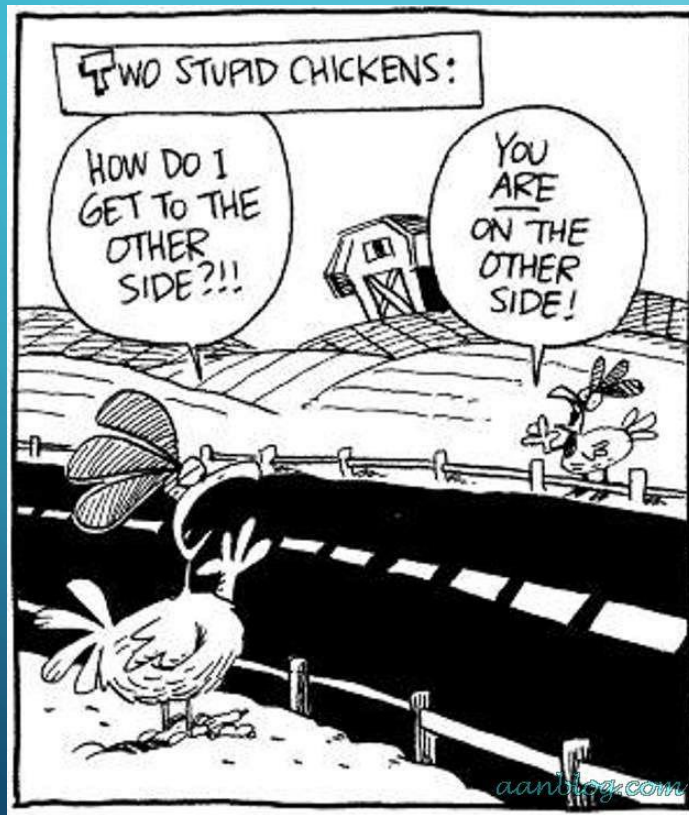
PARC

WHAT'S ALL THIS ABOUT IMPEDANCE MATCHING?



DAVE VE3OOI

DANGER WILL ROBINSON...



POWER TRANSFER & SIGNAL REFLECTION

Wikipedia

- Impedance matching is the practice of designing the input impedance of an electrical load or the output impedance of its corresponding signal source to **maximize the power transfer** or minimize signal reflection from the load

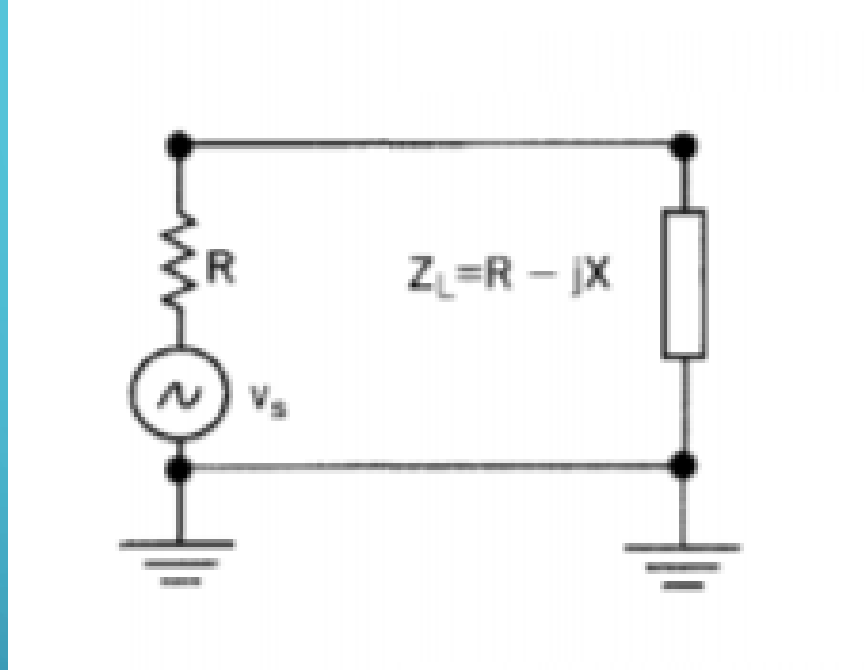
Maximum Power Transfer

- DC: Source Resistance is equal to Load Resistance
- AC: Source Impedance is equal to conjugate Load Impedance at a frequency
 - For two impedances to be complex conjugates their resistances must be equal, and their reactances must be equal in magnitude but of opposite signs (i.e. capacitive = inductive or resonance)



In some cases, low source can drive a high impedance
e.g. opamp: higher voltage delivered without high power dissipation

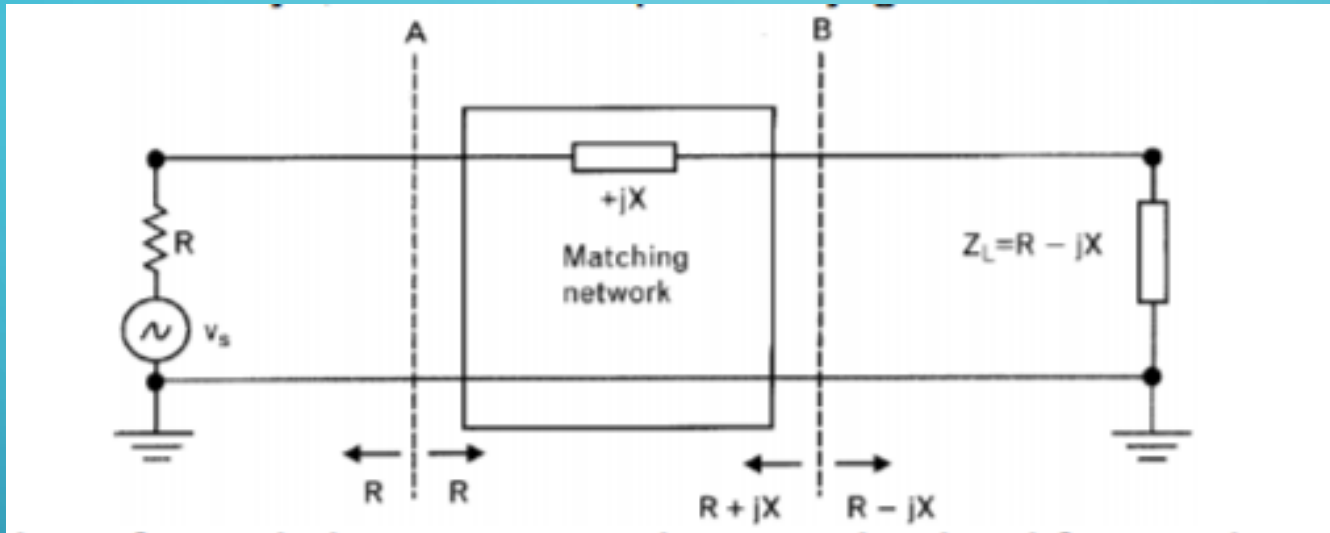
HUH? DUMB IT DOWN



Resistive Source Driving a Complex Load



HUH? DUMB IT DOWN



Note:

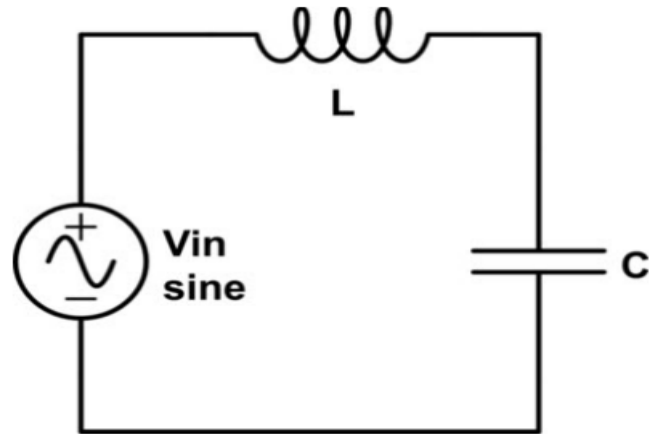
- Reactance is Capacitive
- +Reactance is Inductive

Introduce a Matching Device to Introduce the Complex Conjugate

At point A, $R = R$, $+jX$ cancels $-jX$ (Life is good)



ANTENNA RESONANCE?



Series LC Circuit Resonance

At one specific frequency, the two reactances X_L and X_C are the same in magnitude but reverse in sign. So this frequency is called the resonant frequency which is denoted by f_0 for the LC circuit.

Therefore, at resonance

$$X_L = -X_C$$

For $f < f_0$, $X_L \ll (-X_C)$. Thus, the circuit is capacitive

For $f > f_0$, $X_L \gg (-X_C)$. Thus, the circuit is inductive

<https://www.elprocus.com/>

FOCUS ON MAXIMUM POWER TRANSFER



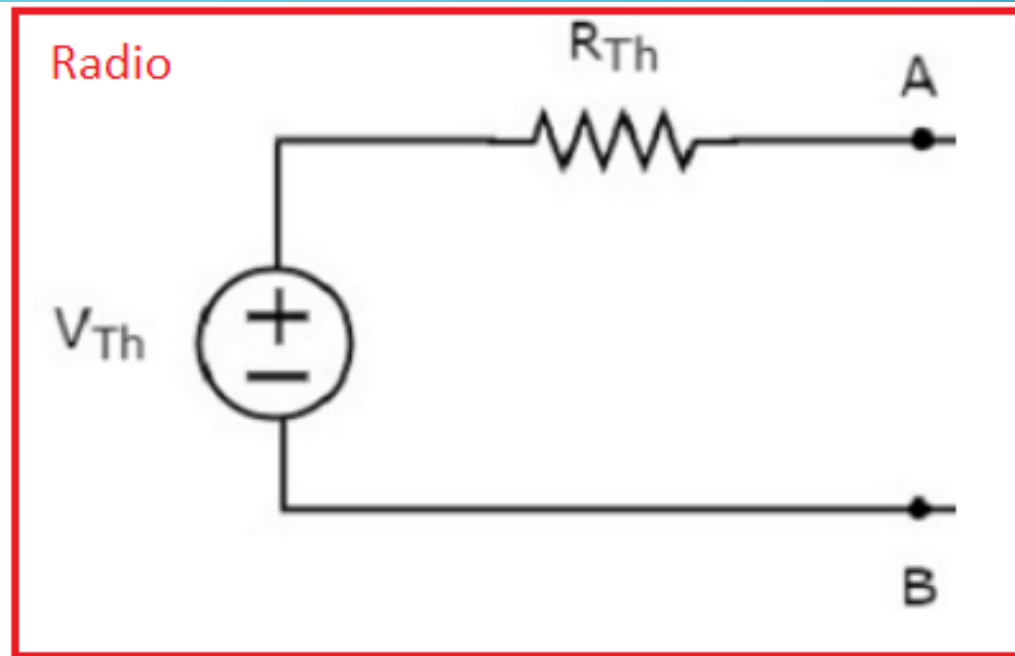
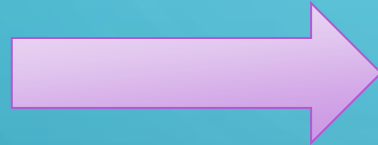
MAX POWER



Ignore complex impedance mumbo jumbo

INTRODUCE SIMPLE RADIO

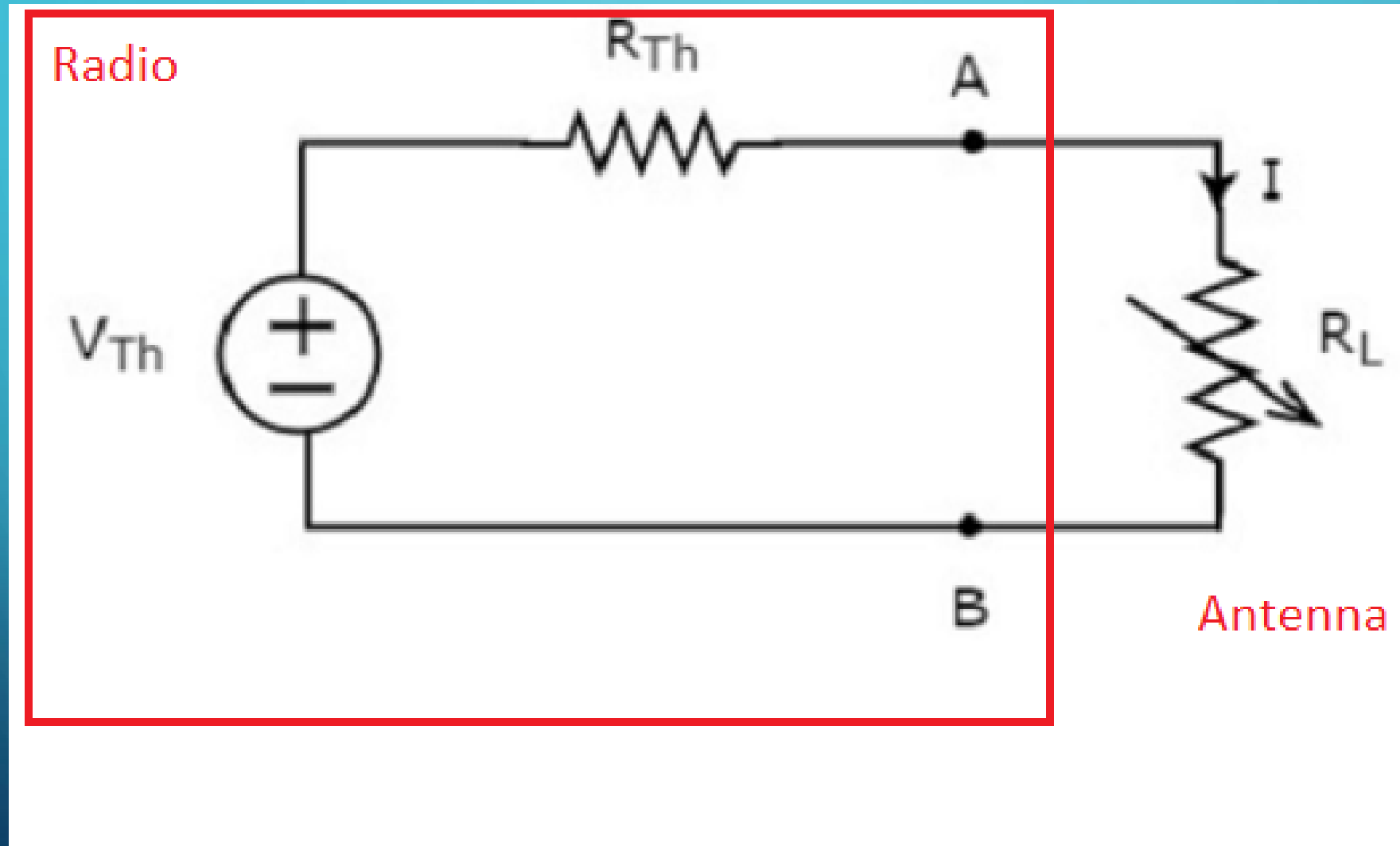
Radio output impedance is $R_{th} = 50\ \Omega$



QUESTIONS?



SIMPLE RADIO CONNECTED TO SIMPLE ANTENNA

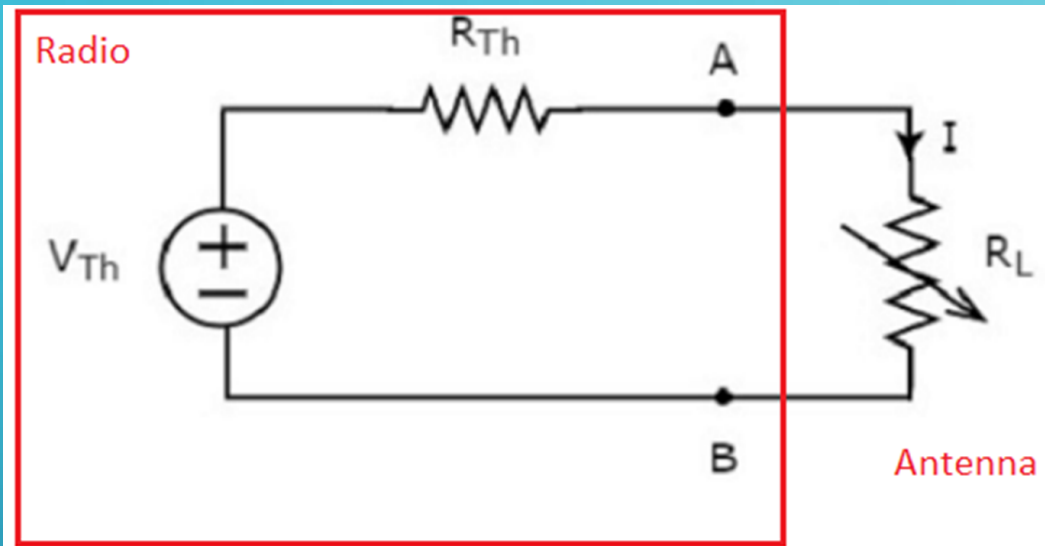


THE DREADED MATH...

$f(u) = \int_{-\infty}^{\infty} f(x) e^{-iux} dx$
 $\rho \left(\frac{\partial v}{\partial t} + v \cdot \nabla v \right) = -\nabla p + \nabla T \cdot f$
 $H = - \sum p(x) \log p(x)$
 $\frac{1}{\sigma} S' \frac{\partial^2 V}{\partial s^2} + s S \frac{\partial V}{\partial s} + \frac{\partial V}{\partial t} - v \cdot \nabla V = 0$
 $TC(Q, q, m) = \sum_{i=1}^n \left[\frac{D_i}{m q_i} S_i + c_i \cdot D_i + \frac{q_i H_i}{1} \left(\alpha (1 - \frac{D_i}{q_i}) - 1 + 2 \frac{D_i}{q_i} \right) \right]$
 $\begin{bmatrix} \frac{\Delta p(s, \phi)}{\Delta \phi} \\ \frac{\Delta M(s, \phi)}{\Delta \phi} \end{bmatrix} = \begin{bmatrix} \gamma & -\mathcal{L} \\ -\beta & 0 \end{bmatrix} \begin{bmatrix} \Delta p(s, \phi) \\ \Delta M(s, \phi) \end{bmatrix}$
 $\int_0^1 \log(\sin x) dx = \int_0^1 \log(\cos x) dx = \frac{\pi}{2} \left\{ \frac{\pi^2}{12} + (\log 2)^2 \right\}$

"Quod Erat Demonstrandum"

THE DREADED MATH...



- Same current flows through both resistors
- Current will be Voltage divided by sum of both resistances
- Power into "antenna" is $I^2 R$ (I-squared R)
- Did your brain melt?

The amount of power dissipated across the load resistor is

$$P_L = I^2 R_L$$

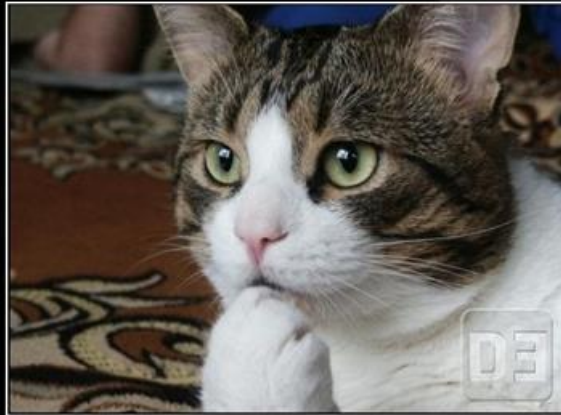
Substitute $I = \frac{V_{Th}}{R_{Th} + R_L}$ in the above equation.

$$P_L = \left(\frac{V_{Th}}{R_{Th} + R_L} \right)^2 R_L$$

PLOT THE POWER FORMULA



QUESTIONS?



HMMMM...

Use an Inductor or a Capacitor..

Demotivation.us