

CS480

Translators

What is Bottom Up Parsing?

Chap. 4

Quiz #6 (Answers)

$S \Rightarrow OS1 \Rightarrow 00S11 \Rightarrow 000111$

- $S \rightarrow OS1 \mid 01$ Indicate the handle for:

– 000111

– 00S11

right
sentential
form

- $S \rightarrow SS+ \mid SS^* \mid a$ Indicate the handle for:

– $SSS+a^{*}+$

– $SS+a^{*}a+$

– $aaa^{*}a++$

$S \Rightarrow SS+ \Rightarrow SSS^{*}+ \Rightarrow SSa^{*}+$
 $\Rightarrow SSS+a^{*}+$

- Give a bottom up parse for 000111 and $aaa^{*}a++$

LR(0) Conditions

on all symbols

1. For any configuring set containing the item $A \rightarrow \underline{u} \bullet x v$ there is no complete item $B \rightarrow \underline{w} \bullet$ in that set. In the tables, this translates to no shift-reduce conflict on any state. This means the successor function from that set either shifts to a new state or reduces, but not both.
2. There is at most one complete item $A \rightarrow \underline{u} \bullet$ in each configuring set. This translates to no reduce-reduce conflict on any state. The successor function has at most one reduction.

$E \rightarrow E + T$
 $E \rightarrow T$
 $T \rightarrow (E)$
 $T \rightarrow id$

Create a LR(0) Parse Table

State on Stack	id	+	()	\$	E	T
0	s4		s3			1	2
1		s5			accept		
2	r2	r2	r2	r2	r2		
3	s4		s3			6	2
4	r4	r4	r4	r4	r4		
5	s4		s3				8
6		s5		s7			
7	r3	r3	r3	r3	r3		
8	r1	r1	r1	r1	r1		

- Let's parse: id + (id)

What if we change the grammar?

$E' \rightarrow E$

① $E \rightarrow E+T$

② $E \rightarrow T$

③ $T \rightarrow (E)$

④ $T \rightarrow \text{id}$

⑤ $T \rightarrow \text{id}[E]$

$LR(0)$
grammar

Why not
 $LR(0)$?

I_0 $E' \rightarrow \cdot E$ I_1
 $E \rightarrow \cdot E+T$ I_1
 $E \rightarrow \cdot T$ I_2
 $T \rightarrow \cdot (E)$ I_3
 $T \rightarrow \cdot \text{id}$ I_4
 $T \rightarrow \cdot \text{id}[E]$ I_5

added a production $T \rightarrow \text{id}[E]$

I_1 $E' \rightarrow E \cdot$ Accept
 $E \rightarrow E \cdot +T$ I_5

I_2 $E \rightarrow T \cdot$ R2

Collection of Configuring Sets

Configuring set Successor

I0: $E' \rightarrow \bullet E$	I1
① $E \rightarrow \bullet E+T$	I1
② $E \rightarrow \bullet T$	I2
③ $T \rightarrow \bullet (E)$	I3
④ $T \rightarrow \bullet id$	I4
⑤ $T \rightarrow \bullet id[E]$	I4
I1: $E' \rightarrow E \bullet$	Accept
$E \rightarrow E \bullet +T$	I5
I2: $E \rightarrow T \bullet$	Reduce 2
I3: $T \rightarrow (\bullet E)$	I6
$E \rightarrow \bullet E+T$	I6
$E \rightarrow \bullet T$	I2
$T \rightarrow \bullet (E)$	I3
$T \rightarrow \bullet id$	I4
$T \rightarrow \bullet id[E]$	I4
I4: $T \rightarrow id \bullet$	Reduce 4
$T \rightarrow id \bullet [E]$	I9

Configuring set Successor

I5: $E \rightarrow E+ \bullet T$	I8
$T \rightarrow \bullet (E)$	I3
$T \rightarrow \bullet id$	I4
$T \rightarrow \bullet id[E]$	I4
I6: $T \rightarrow (E \bullet)$	I7
$E \rightarrow E \bullet +T$	I5
I7: $T \rightarrow (E) \bullet$	Reduce 3
I8: $E \rightarrow E+T \bullet$	Reduce 1
I9: $T \rightarrow id[\bullet E]$	I10
$E \rightarrow \bullet E+T$	I10
$E \rightarrow \bullet T$	I2
$T \rightarrow \bullet (E)$	I3
$T \rightarrow \bullet id$	I4
$T \rightarrow \bullet id[E]$	I4
I10: $T \rightarrow id[E \bullet]$	I11
$E \rightarrow E \bullet +T$	I5
I11: $T \rightarrow id[E] \bullet$	Reduce 5

Construct SLR(1) Table

1. Construct $F = \{I_0, I_1, \dots, I_n\}$, the collection of configuring sets for G' .
2. State i is determined from I_i . The parsing actions for the state are determined as follows:
 - a) If $A \rightarrow \underline{u} \bullet$ is in I_i then set $\text{Action}[i, a]$ to reduce $A \rightarrow \underline{u}$ for all a in $\text{Follow}(A)$ (A not equal to S').
 - b) If $S' \rightarrow S \bullet$ is in I_i then set $\text{Action}[i, \$]$ to accept.
 - c) If $A \rightarrow \underline{u} \bullet a \underline{v}$ is in I_i and $\text{successor}(I_i, a) = I_j$, then set $\text{Action}[i, a]$ to shift j (a is a terminal).
3. The goto transitions for state i are constructed for all nonterminals A using the rule: If $\text{successor}(I_i, A) = I_j$, then $\text{Goto}[i, A] = j$.
4. All entries not defined by rules 2 and 3 are errors.
5. The initial state is the one constructed from the configuring set containing $S' \rightarrow S$.

What are the Follows?

$E' \rightarrow E$

$E \rightarrow E + T$

$E \rightarrow T$

$T \rightarrow (E)$

$T \rightarrow \text{id}$

$T \rightarrow \text{id}[E]$

- Follow(E)?
- Follow(T)?

Is it LR(1)?

$\{ +,),], \$ \}$ start

SLR(1) Parse Table

State on Stack	id	+	()	[]	\$	E	T
0	s4		s3					1	2
1		s5					accept		
2		r2		r2		r2	r2		
3	s4		s3					6	2
4		<u>r4</u>		<u>r4</u>	<u>s9</u>	<u>r4</u>	<u>r4</u>		
5	s4		s3						8
6		s5		s7					
7		r3		r3		r3	r3		
8		r1		r1		r1	r1		
9	s4		s3					10	2
10		s5				s11			
11		r5		r5		r5	r5		

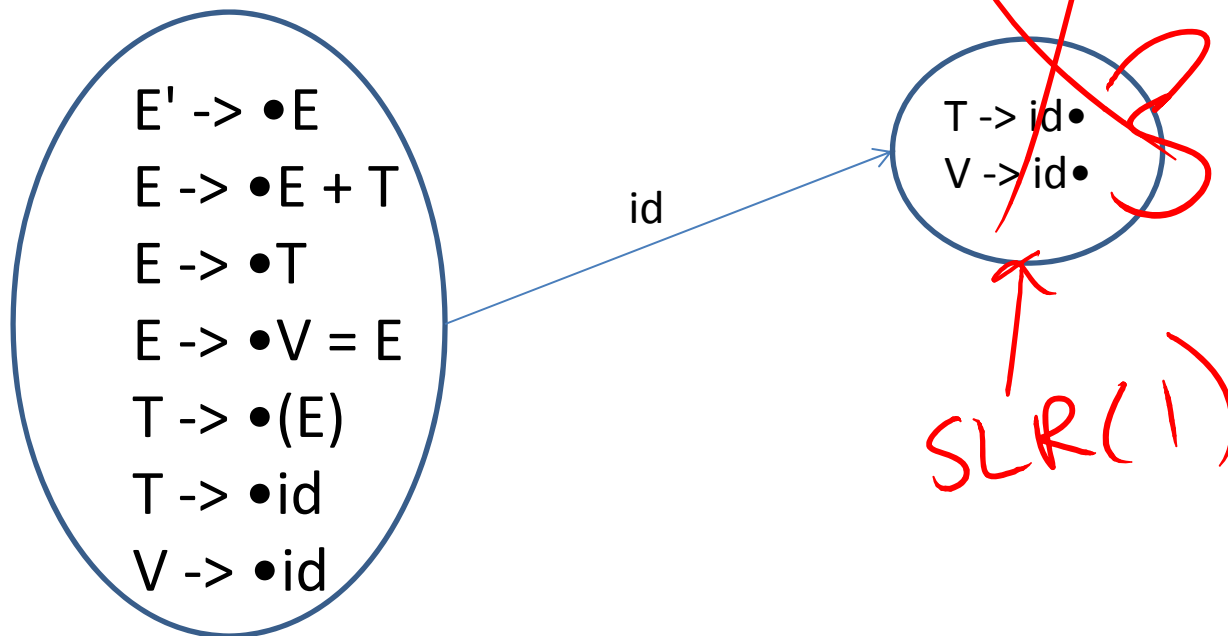
Let's consider another example

$E' \rightarrow E$

$E \rightarrow E + T \mid T \mid V = E$

$T \rightarrow (E) \mid id$

$V \rightarrow id$



SLR(1) Conditions

1. For any item $A \rightarrow \underline{u} \bullet x \underline{v}$ in the set, with terminal x , there is no complete item $B \rightarrow \underline{w} \bullet$ in that set with x in $\text{Follow}(B)$. In the tables, this translates no shift-reduce conflict on any state. This means the successor function for x from that set either shifts to a new state or reduces, but not both.
2. For any two complete items $A \rightarrow \underline{u} \bullet$ and $B \rightarrow \underline{v} \bullet$ in the set, the follow sets must be disjoint, e.g. $\text{Follow}(A) \cap \text{Follow}(B)$ is empty. This translates to no reduce-reduce conflict on any state. If more than one nonterminal could be reduced from this set, it must be possible to uniquely determine which using only one token of lookahead.

Quiz #7

Follow(S) =
{\$}

- Determine if the grammar is LR(0) or SLR(1)

- ① $S' \rightarrow S$
 $S \rightarrow \text{real IDLIST}$
- ② $IDLIST \rightarrow IDLIST, ID$
- ③ $IDLIST \rightarrow ID$
- ④ $ID \rightarrow A | B | C | D$

$I_0 S' \rightarrow \cdot S$
 $S \rightarrow \cdot \text{real IDLIST}$

 $I_1 S' \rightarrow S \cdot$ Accept
 $I_2 S \rightarrow \text{real} \cdot \text{IDLIST}$
 $IDLIST \rightarrow \cdot \text{IDLIST}, ID$
 $IDLIST \rightarrow \cdot ID$
 $ID \rightarrow \cdot A | B | C | D$

- Construct the corresponding parse table for the grammar.

- Show how you would parse **real A, B, C**

$I_3 S \rightarrow \text{real IDLIST} \cdot R$
 $IDLIST \rightarrow IDLIST \cdot , ID$