1. The value of a fund grows according to the accumulation function $a(t) = 1 + 0.03t^2$. A deposit of *P* is made into the fund at time t = 0. The value of the fund at time t = 4 is 3000. Find P.

A) 2027.03

B) 1802.03

C) 1877.03

D) 1952.03

E) 2102.03

Pa(4) = 3000

P(1.48) = 3000

P = 2027.03

^{2.} The value of a fund grows according to the accumulation function $a(t) = (1 + 0.01t)^2$. A deposit of *P* is made into the fund at time t = 0. The fund is worth 3200 at time t = 3. Find the value of the fund at time t = 1

(A) 3389.12

B) 3104.44

C) 3199.33

D) 3294.23

E) 3484.02

Pa(3) = 3200

P (1.0609) = 3200

P = 3016.3069

3016.3069 a(6) = 3016.3069 (1.1236) = 3389.12

3. The value of a fund grows according to the accumulation function $a(t) = (1 + 0.15t)^2$. A deposit of *P* is made into the fund at time t = 0. The fund is worth 2800 at time t = 8 and worth 5600 at time t = n. Find n.

 $Pa(8) = 2800 \rightarrow P(4.84) = 2800 \rightarrow 578.5124$

A) 14.08

B) 13.29 C) 14.86

D) 15.65

E) 16.44

578.5124 a(n) = 5600

a(n) = 9.68

1+0150 = 3.1113

n = 114.08 1

4. Roger borrows *P* from Sandra. He agrees to repay the loan with a single payment of *Q* at the end of 13 years. The loan accumulates compound interest at an annual effective interest rate of 6.6%. Roger owes an amount of 1267.21 at the end of year 5. Find Q.

B) 2011.61

C) 2062.32 D) 2163.75 E) 2214.46

$$Q = 1267.21 (1.066)^8 = 2113.03$$

5. Using the accumulation function $a(t) = 1 + 0.03t^2$, find the present value at time t = 3 of a payment of 3800 occurring at time t = 7.

A) 1953.8

B) 1844.4 C) 2063.3

D) 2172.7

E) 2282.1

$$3800 \, \alpha \left(7 \rightarrow 3\right) = 3800 \, \frac{\alpha(3)}{\alpha(7)} = 3800 \, \frac{1.27}{2.47} = \boxed{1953.85}$$