

Stochastic Processes: Assignment 1

Group 1: Javier Esteban Aragonese, Mauricio Marcos Fajgenbaun, Danyu Zhang, Daniel Alonso

November 27th, 2020

Importing libraries

```
#> Package:  markovchain
#> Version:  0.8.5-2
#> Date:     2020-09-07
#> BugReport: https://github.com/spedygiorgio/markovchain/issues
```

Problem 1

Problem 2

(a)

Let $N(t)$ be the number of cars arriving at a parking lot by time t , according to the proposed scenario, we can model $N(t)$ as a non-homogenous Poisson process. Such process has almost the same process as any other Poisson process, however, its rate is a function of time.

$N(t), t \in [0, \infty)$ is the non-homogenous Poisson process with rate $\lambda(t)$ where:

- $N(0) = 0$
- $N(t)$ has independent increments

We define 8:00 as $t = 0$ with the following integrable function and each unit of t equals to 1 hour:

$$\lambda(t) = \begin{cases} 100 & 0 \leq t \leq \frac{1}{2} \\ 600t - 200 & \frac{1}{2} \leq t \leq \frac{3}{4} \\ 400t - 50 & \frac{3}{4} \leq t \leq 1 \\ -500t + 850 & 1 \leq t \leq 1.5 \end{cases}$$

So,

$$E[N(t)] = \{$$

lots of latex here

(b)

```
#> Call:
#> testnsolv(x = 0, fn = f)
#>
#> Results:
#>      Method Global termcd Fcnt Jcnt Iter Message      Fnorm
#> 1  Newton  cline      1    6    6    6  Fcrit 1.541e-31
#> 2  Newton  qline      1    6    6    6  Fcrit 1.541e-31
```

#> 3	Newton	gline	1	6	6	6	Fcrit 1.541e-31
#> 4	Newton	pwldog	1	6	6	6	Fcrit 1.541e-31
#> 5	Newton	dbldog	1	6	6	6	Fcrit 1.541e-31
#> 6	Newton	hook	1	6	6	6	Fcrit 1.541e-31
#> 7	Newton	none	1	6	6	6	Fcrit 1.541e-31
#> 8	Broyden	cline	1	7	1	7	Fcrit 2.392e-17
#> 9	Broyden	qline	1	7	1	7	Fcrit 2.392e-17
#> 10	Broyden	gline	1	7	1	7	Fcrit 2.392e-17
#> 11	Broyden	pwldog	1	7	1	7	Fcrit 2.392e-17
#> 12	Broyden	dbldog	1	7	1	7	Fcrit 2.392e-17
#> 13	Broyden	hook	1	7	1	7	Fcrit 2.392e-17
#> 14	Broyden	none	1	7	1	7	Fcrit 2.392e-17