Power Outages

This project uses major power outage data in the continental U.S. from January 2000 to July 2016. Here, a major power outage is defined as a power outage that impacted at least 50,000 customers or caused an unplanned firm load loss of atleast 300MW. Interesting questions to consider include:

- Where and when do major power outages tend to occur?
- What are the characteristics of major power outages with higher severity? Variables to consider include location, time, climate, land-use characteristics, electricity consumption patterns, economic characteristics, etc. What risk factors may an energy company want to look into when predicting the location and severity of its next major power outage?
- What characteristics are associated with each category of cause?
- How have characteristics of major power outages changed over time? Is there a clear trend?

Getting the Data

The data is downloadable <u>here (https://engineering.purdue.edu/LASCI/research-data/outages/outagerisks)</u>.

A data dictionary is available at this <u>article</u> (https://www.sciencedirect.com/science/article/pii/S2352340918307182) under *Table 1. Variable descriptions*.

Cleaning and EDA

- Note that the data is given as an Excel file rather than a CSV. Open the data in Excel or another spreadsheet application and determine which rows and columns of the Excel spreadsheet should be ignored when loading the data in pandas.
- · Clean the data.
 - The power outage start date and time is given by OUTAGE.START.DATE and OUTAGE.START.TIME. It would be preferable if these two columns were combined into one datetime column. Combine OUTAGE.START.DATE and OUTAGE.START.TIME into a new datetime column called OUTAGE.START.Similarly, combine OUTAGE.RESTORATION.DATE and OUTAGE.RESTORATION.TIME into a new datetime column called OUTAGE.RESTORATION.
- Understand the data in ways relevant to your question using univariate and bivariate analysis of the data as well as aggregations.

Hint 1: pandas can load multiple filetypes: pd.read_csv, pd.read_excel, pd.read_html, pd.read_json, etc.

Hint 2: pd.to datetime and pd.to timedelta will be useful here.

Tip: To visualize geospatial data, consider <u>Folium (https://python-visualization.github.io/folium/)</u> or another geospatial plotting library.

Assessment of Missingness

Assess the missingness of a column that is not missing by design.

Hypothesis Test

Find a hypothesis test to perform. You can use the questions at the top of the notebook for inspiration.

Summary of Findings

Introduction

Have you ever wondered if there was a reason why massive power outages in your community happen? Is it related to the weather? Too many people using the electricity? Maybe your region has poor electricity maintenance! In this project my partner and I attempt to tackle these questions. We utilize the dataset on these power outage events that dates back from January 2000 to July 2016.

The dataset presents a multitude of variables and other valuable information that can help in future research on power outages, and possiblities on how they can be prevented. The dataset has 1540 rows, pertaining to a power outage and 57 columns of variables pertaining to that specific power outage. If you didn't know the prevalence of this issue, this number should astonish you, as this dataset includes hundreds of outages that involve a power outage that impacted over 50,000 customers and deprived a demand of 300 megawatts of electricity. The amount of people who are affected by these outages are even higher. We narrowed down the relevant columns to the following:

YEAR: The year of the specific power outage

MONTH: The month of the specific power outage

U.S. STATE: The state where the power outage took place in

POSTAL.CODE: Represents the postal code of the U.S. states

NERC.REGION: The North American Electric Reliability Corporation (NERC) regions involved in the outage event

CLIMATE.REGION: U.S. Climate regions as specified by National Cent ers for Environmental Information (nine climatically consistent regions in continental U.S.A.)

ANOMALY.LEVEL: This represents the oceanic El Niño/La Niña (ONI) i ndex referring to the cold and warm episodes by season. It is estim ated as a 3-month running mean of ERSST.v4 SST anomalies in the Niñ o 3.4 region (5°N to 5°S, 120-170°W)

CLIMATE.CATEGORY: This represents the climate episodes corresponding to the years. The categories—"Warm", "Cold" or "Normal" episodes of the climate are based on a threshold of \pm 0.5 °C for the Oceanic Niño Index (ONI)

OUTAGE.START.DATE: This variable indicates the day of the year whe n the outage event started (as reported by the corresponding Utility in the region)

OUTAGE.START.TIME: This variable indicates the time of the day whe n the outage event started (as reported by the corresponding Utilit y in the region)

OUTAGE.RESTORATION.DATE: This variable indicates the day of the ye ar when power was restored to all the customers (as reported by the corresponding Utility in the region)

OUTAGE.RESTORATION.TIME: This variable indicates the time of the d ay when power was restored to all the customers (as reported by the corresponding Utility in the region)

CAUSE.CATEGORY: Categories of all the events causing the major pow er outages

CAUSE.CATEGORY.DETAIL: Detailed description of the event categories causing the major power outage

HURRICANE.NAMES: If the outage is due to a hurricane, then the hur ricane name is given by this variable

```
OUTAGE.DURATION: Duration of outage events (in minutes)
```

DEMAND.LOSS.MW : Amount of peak demand lost during an outage event (in Megawatt) [but in many cases, total demand is reported]

CUSTOMERS.AFFECTED: Number of customers affected by the power outage event

The main questions that we hope to answer through an analyses of this dataset are:

```
What are the characteristics of major power outages of higher sever ity?
```

Does the climate category affect whether an outage is classified as major?

Cleaning and EDA

To explain our data cleaning and EDA process, we will break it down into steps:

- 1. We first loaded the excel file and narrowed down the columns to only the relevant ones to our analyses and questions.
- 2. After taking a look at the data types for the columns, we wanted to add certain columns and clean some of the existing ones up. We accomplish this with our data_cleaning function.
- 3. Once we finished the data cleaning process we moved onto the univariate, bivariate, and aggregate analyses.
- 4. Univariate Analysis: We first wrote a function to compute the following univariate statistics in table form:

Min year

Max year

Unique states

Unique states

Unique climate regions

Unique climate categories

Most common outage start date/time

Most common outage restoration date/time

Max outage duration

Min outage duration

Average outage duration

Min customers affected

Average customers affected

There weren't that many meaningful insights that we could get from this table, but we noticed that there were cases where 0 customers were affected, which is odd given that these major outages mean a minimum of 50000 customers were affected. How could only 0 customers be affected? We addres this issue later on in our missingness section. We were interested in determining the proportion of these major outages grouped by climate category, climate region, and season. We noticed that there was a higher proportion of normal outages, with

nearly half of them being normal. However, we want to note that these numbers could just be because more of the US consists of normal climates. When grouped by Climate Region we noticed that the Northeast region had a large proportion of outages, followed by the South, West, and Central regions. We surmise that the population and urban density in these areas possibly had an effect on this. Finally, we noticed that in the summer and winter there is a higher proportion of outages. This is interesting to us because our hypothesis ties into if climate has an effect on the severity of an outage. From this number it is possible that the more extreme weather conditions in the summer and winter affect the outage severity.

5. Bivariate Analysis

To help us answer the question of how a climate can affect the severity we make scatter plots of the Season vs (Outage Duration and Demand Loss). In Season vs Outage Duration, the spread of these numbers across the seasons were relatively similar and hard to determine any major differences, albeit there were a few outliers. In Season vs Demand we could see that there was larger spread of Demand Loss in the summer. Finally, we plotted the metrics of severity with each other and calculated the correlation coefficient to determine if there was a relationship between the severities. We notice here that there is somewhat of a positive association between the demand loss and the customers affected, and between outage duration and customers affected. However, these correlation coefficients are all relatively small, so when determining severity of an outage it might be a better alternative to develop a model that places weights using all three of these metrics, as there isn't really one metric between the three that is best.

6. Aggregate Analysis

In the aggregate analysis we wanted to determine if there were large differences between the averages of the three main measures of severity when aggregated across State, Climate, Year, and Cause Category. We made groupbys for each of the following aggregations and solved for the mean, min and max of each of the aggregations. We then generated bar plots to help us visualize these differences. There weren't many meaningful insights to be drawn from the state, cause category, and year aggregations, since there wasn't a clear trend for us to see. However, we noticed that warm climates tend to be very high in the severity metrics. It was the highest for average duration of outage, second highest for average customers affected, and highest for demand loss. From here, we wanted to see if the climate category would have a meaningful effect on the severity of a power outage.

Assessment of Missingness

For our data set we decided to assess the missingness of the "CUSTOMERS.AFFECTED" column. We did not believe that this column was 'Not Missing at Random', thinking that the column could potentially be MAR dependent on "OUTAGE.DURATION" and "DEMAND.LOSS.MW" and not MAR dependent on "ANOMALY.LEVEL". Our thought process behind the missing of the customers affected being MAR dependent on demand loss and outage duration resulted from observation. We noticed that the customers affected column often was missing for power outages with a low duration and low demand loss. We thought that this might potentially mean that the customers affected were not reported for power outages that did last long and did not affect demand by much. We also figured that anomaly level and the customers affected were most likely not related in any way in regards to missingness.

In our order to test our theories we ran three permutation tests using the ks statistic. In our first test we tested if the missingness of customers affected was MAR dependent on outage duration. After running 500 repetitions of the test we calculated a pval of 0. In our second test we tested if the missingness of customers affected was MAR dependent on demand loss and similarly got a pval of 0. These results give us reason to believe that the distributions in the two tests were not the same, supporting our theory that the missingness of customers affected was in fact MAR dependent on outage duration and demand loss. In our last we tested if the missingness of customers affected was MAR dependent on anomaly level. After running 500 repetitions of the test we calculated a pval of 0.432. This result differed from our previous two - we failed to reject the null hypothesis that the distributions were the same, leading us to conclude that the missingness of customers affected is most likely not affected by anomaly level.

Hypothesis Test

For our hypothesis test we wanted to look deeper into the relationship between climate category and the severity of power outages. One might believe that the type of climate has an affect on how 'severe' a power outage is. For instance, snow storms ('cold' climate) might foster longer power outages or tropical storms ('warm' climate) might also lead to long power outages. In order to define severity we tried to look at whether a particular power outage was defined as 'Major' or not. Here, a major power outage is defined as a power outage that impacted at least 50,000 customers or caused an unplanned firm load loss of at least 300MW. We performed a permutation test to see if in our cleaned data set, the distribution of climate category among those power outages that were classified as 'major' is the same as among those that were not classified as 'major'. Our null and alternative hypotheses were defined as the following:

Null: In the US power outages data set, the distribution of climate category among those power outages that were classified as 'major' is the same as among those that were not classified as 'major'. The difference between the two samples is due to chance.

Alternative: In the US power outages data set, the distribution of climate category among the two groups of power outages is different.

To do this we first looked at our observed distribution of power outages in each climate category conditional on whether the power outage was defined as 'major' or not major. We noticed there was a slight difference in the number of major vs non major power outages in each climate. We ran our simulation to see if this difference was just due to noise. For our test statistic we used the TVD and set a significance level of 5%.

After running our simulation 1000 times we computed a pval of 0.206. We failed to reject our null hypothesis at the 5% significance level. We could not conclude that there was a significant difference in the classification of 'major' power outages vs. non 'major' power outages in different climate categories. The results of this test tell us that climate might not be the best factor to consider when determining where the next major power outages will occur for a power company.

Code

```
In [3]: import matplotlib.pyplot as plt
import numpy as np
import os
import pandas as pd
import seaborn as sns
from scipy.stats import pearsonr
sns.set_theme(style= 'whitegrid')
%matplotlib inline
%config InlineBackend.figure_format = 'retina' # Higher resolution figures
```

Cleaning and EDA

```
In [4]: #We first read in the file from excel and keep the columns relevant to our
def read_data(fp):
    """
    This is a function that reads in the Excel file with outages data.
    Only the appropriate rows/columns are taken in.
    fp = os.path.join('data', 'outage.xlsx')
    """

#reads the excel file
data = pd.read_excel(fp, header = 5, usecols = "B:T")

# drop the first row with the descriptions
data = data.drop([0])

return data
```

```
In [7]: fp = os.path.join('data', 'outage.xlsx')
data = read_data(fp).head()
```

In [8]: #checking the dtata types of the relevant columns data.dtypes

Out[8]: OBS float64 YEAR float64 MONTH float64 U.S._STATE object object POSTAL.CODE NERC.REGION object CLIMATE.REGION object object ANOMALY.LEVEL object CLIMATE.CATEGORY object OUTAGE.START.DATE object OUTAGE.START.TIME OUTAGE.RESTORATION.DATE object OUTAGE.RESTORATION.TIME object object CAUSE.CATEGORY object CAUSE.CATEGORY.DETAIL object HURRICANE.NAMES object OUTAGE.DURATION DEMAND.LOSS.MW object float64 CUSTOMERS.AFFECTED dtype: object

```
In [11]: ## helper function to convert into seasons
         def season helper(obs):
             Helper functions converts month into
             respective season.
             if obs >= 3 and obs <= 5:
                 return 'Spring'
             elif obs >= 6 and obs <= 8:
                 return 'Summer'
             elif obs \geq 9 and obs \leq 11:
                 return 'Fall'
             elif pd.isnull(obs):
                 return np.NaN
             else:
                 return 'Winter'
         def data_cleaning(data):
             Takes in a table like the one produced by read data(fp) and
             does the necessary stuff to clean the data set. This includes:
             -> combining the outage time/date columns into one
             -> combining the restoration time/date columns into one
             -> type casting the values in columns to their proper types
             (year needs to be an int, month should be an int, customers affected sh
             be an int because you can't have half a customer)
             data copy = data.copy(deep = True)
             # combine outage start time/date
             data copy["OUTAGE.START.DATE"] = pd.to datetime(data copy["OUTAGE.START
             data copy["OUTAGE.START.TIME"] = pd.to timedelta(data copy["OUTAGE.STAR
             data copy["OUTAGE.START"] = data copy["OUTAGE.START.DATE"] + data copy
             data copy = data copy.drop(columns = ["OUTAGE.START.DATE", "OUTAGE.START
             # combine outage restoration time/date
             data copy["OUTAGE.RESTORATION.DATE"] = pd.to datetime(data copy["OUTAGE
             data copy["OUTAGE.RESTORATION.TIME"] = pd.to timedelta(data copy["OUTAG
             data_copy["OUTAGE.RESTORATION"] = data_copy["OUTAGE.RESTORATION.DATE"]
             data copy = data copy.drop(columns = ["OUTAGE.RESTORATION.DATE", "OUTAG
             # cast values to 'correct' types + set index
             data copy = data copy.set index('OBS')
             data_copy["YEAR"] = data_copy["YEAR"].astype(int)
             data copy["OUTAGE.DURATION"] = data copy["OUTAGE.DURATION"].astype(floa
             data copy['DEMAND.LOSS.MW'] = data copy['DEMAND.LOSS.MW'].astype(float)
             #add on a season column based on the month
             data_copy['SEASON'] = data_copy['MONTH'].apply(season_helper)
             data copy = data copy.reset index().drop(columns = ['OBS'])
             return data copy
```

```
In [12]: # now let us read in the clean data
fp = os.path.join('data', 'outage.xlsx')
data = read_data(fp)
clean_data = data_cleaning(data)
clean_data.head()
```

Out[12]:

	YEAR	MONTH	U.SSTATE	POSTAL.CODE	NERC.REGION	CLIMATE.REGION	ANOMALY.LEVEL
0	2011	7.0	Minnesota	MN	MRO	East North Central	-0.3
1	2014	5.0	Minnesota	MN	MRO	East North Central	-0.1
2	2010	10.0	Minnesota	MN	MRO	East North Central	-1.5
3	2012	6.0	Minnesota	MN	MRO	East North Central	-0.1
4	2015	7.0	Minnesota	MN	MRO	East North Central	1.2

Univariate Analysis

```
In [13]: # function to compute univariatet stats
         def compute univariate stats(data):
             Takes in the cleaned data and computes some
             univariate statistics and returns them in a dataframe.
             -> min year in data set
             -> max year in data set
             -> # unique states
             -> # unique climate regions
             -> # unique climate categories
             -> most common outage start date/time
             -> most common outage restoration date/time
             -> max outage duration
             -> min outage duration
             -> average outage duration
             -> min customers affected
             -> max customers affected
             -> average customers affected
             data copy = data.copy(deep = True)
             min_year = data_copy["YEAR"].min()
             max_year = data_copy["YEAR"].max()
             numunique states = data copy["U.S. STATE"].nunique()
             numunique_climregions = data_copy["CLIMATE.REGION"].nunique()
             numunique climcats = data copy["CLIMATE.CATEGORY"].nunique() # normal,
             most com start = data copy["OUTAGE.START"].describe()['top']
             most com restoration = data copy["OUTAGE.RESTORATION"].describe()['top'
             max outage dur = data copy["OUTAGE.DURATION"].max()/60
             min outage dur = data copy["OUTAGE.DURATION"].min()/60
             avg outage dur = data copy["OUTAGE.DURATION"].mean()/60
             max cust affected = int(data copy["CUSTOMERS.AFFECTED"].max())
             min cust affected = int(data copy["CUSTOMERS.AFFECTED"].min())
             avg cust affected = int(np.round(data copy["CUSTOMERS.AFFECTED"].mean()
             table data = [min year, max year, numunique states, numunique climregio
                          most com start, most com restoration, max outage dur, min
                          max cust affected, min cust affected, avg cust affected]
             table index = ["Min Year", "Max Year", "# Unique States", "# Unique Cli
                           "Most Common Start Date/Time", "Most Common Rest. Date/Ti
                           "Min Outage Duration (hrs)", "Avg Outage Duration (hrs)",
                           "Min # Customers Affected", "Avg # Customers Affected"]
             table = pd.DataFrame(data = table data, index = table index, columns =
             return table
```

```
In [15]: # Here we produced a table of relevant univariate statistics
    fp = os.path.join('data', 'outage.xlsx')
    data = read_data(fp)
    clean_data = data_cleaning(data)
    compute_univariate_stats(clean_data)
```

<ipython-input-13-51e2fdb76411>:29: FutureWarning: Treating datetime data
as categorical rather than numeric in `.describe` is deprecated and will
be removed in a future version of pandas. Specify `datetime_is_numeric=Tr
ue` to silence this warning and adopt the future behavior now.
 most_com_start = data_copy["OUTAGE.START"].describe()['top']
<ipython-input-13-51e2fdb76411>:30: FutureWarning: Treating datetime data
as categorical rather than numeric in `.describe` is deprecated and will
be removed in a future version of pandas. Specify `datetime_is_numeric=Tr
ue` to silence this warning and adopt the future behavior now.
 most_com_restoration = data_copy["OUTAGE.RESTORATION"].describe()['to
p']

Out[15]:

Univariate Statistics 2000 Min Year 2016 Max Year 50 # Unique States # Unique Climate Regions 9 # Unique Climate Cats. 3 **Most Common Start Date/Time** 2010-08-02 12:45:00 Most Common Rest. Date/Time 2010-08-04 11:00:00 Max Outage Duration (hrs) 1810.883333 0.0 Min Outage Duration (hrs) Avg Outage Duration (hrs) 43.75664 Max # Customers Affected 3241437 0 Min # Customers Affected Avg # Customers Affected 143456

```
In [16]: #proportions of outages by climate category
clean_data['CLIMATE.CATEGORY'].value_counts(normalize = True)
```

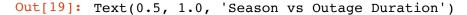
Out[16]: normal 0.487869 cold 0.310164 warm 0.201967

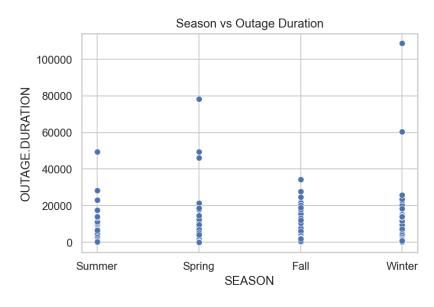
Name: CLIMATE.CATEGORY, dtype: float64

```
In [17]: #proportions of outages by climate region
         clean data['CLIMATE.REGION'].value counts(normalize = True)
Out[17]: Northeast
                                0.229058
         South
                                0.149869
         West
                                0.142016
         Central
                                0.130890
         Southeast
                                0.100131
         East North Central
                                0.090314
         Northwest
                                0.086387
         Southwest
                                0.060209
         West North Central
                                0.011126
         Name: CLIMATE.REGION, dtype: float64
         #proportions of outages by season
In [18]:
         clean_data['SEASON'].value_counts(normalize = True)
Out[18]: Summer
                    0.346885
         Winter
                    0.251148
         Spring
                    0.221639
         Fall
                    0.180328
         Name: SEASON, dtype: float64
```

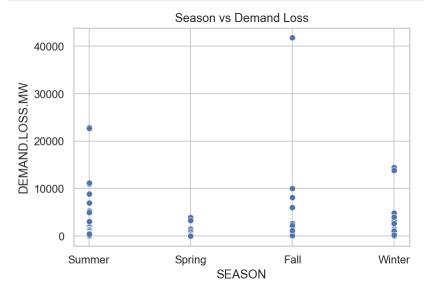
Bivariate Analysis

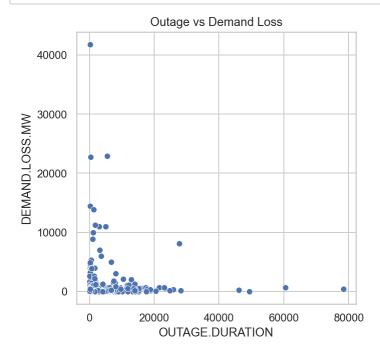
```
In [19]: # season vs outage duration scatterplot
season_duration = sns.scatterplot(x = clean_data['SEASON'], y = clean_data[
plt.title('Season vs Outage Duration')
```





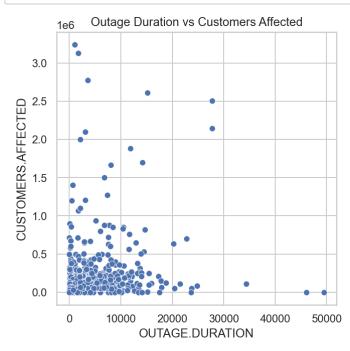
```
In [20]: #season vs demand loss plot
    season_demand = sns.scatterplot(x = clean_data['SEASON'], y = clean_data['D
    plt.title('Season vs Demand Loss')
    plt.show()
```





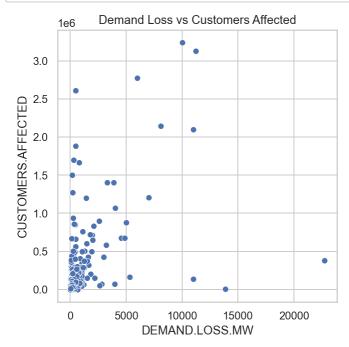
correlation coefficient: 0.01862128765201535

```
In [22]: # customers affected vs customers affected scatterplot
   plt.figure(figsize = (5,5))
   dl_duration = sns.scatterplot(x = clean_data['OUTAGE.DURATION'], y = clean_
   plt.title('Outage Duration vs Customers Affected')
   plt.show()
   corr = pearsonr(clean_data['OUTAGE.DURATION'].fillna(0), clean_data['CUSTOM print('correlation coefficient: ' + str(corr))
```



correlation coefficient: 0.1740290539994629

```
In [23]: # demand loss vs customers affected scatterplot
plt.figure(figsize = (5,5))
dl_duration = sns.scatterplot(x = clean_data['DEMAND.LOSS.MW'], y = clean_d
plt.title('Demand Loss vs Customers Affected')
plt.show()
corr = pearsonr(clean_data['DEMAND.LOSS.MW'].fillna(0), clean_data['CUSTOME
print('correlation coefficient: ' + str(corr))
```



correlation coefficient: 0.26770031980190656

Aggregate Analysis

State Level

```
In [28]: # helper function to determine if a power outage is major or not
def detect_major(row):
    if row["CUSTOMERS.AFFECTED"] > 50000:
        return True
    elif row["DEMAND.LOSS.MW"] > 300:
        return True
    else:
        return False
```

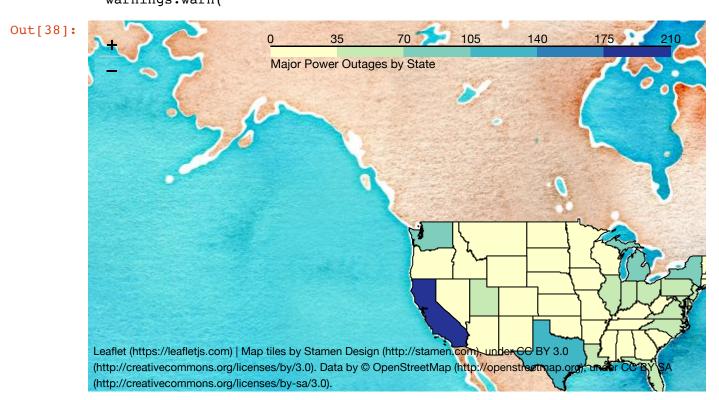
```
In [29]: fp = os.path.join('data', 'outage.xlsx')
    data = read_data(fp)
    clean_data = data_cleaning(data)
```

```
In [30]: # map building process
         clean data["Major Outage"] = clean data.apply(detect major, axis = 1)
         grouped = clean_data.groupby("U.S._STATE").count()
         grouped = grouped.drop(columns = ["YEAR", "MONTH", "POSTAL.CODE", "NERC.REG
                                           "ANOMALY.LEVEL", "CLIMATE.CATEGORY", "CAUS
                                           "CAUSE.CATEGORY.DETAIL", "HURRICANE.NAMES"
                                           "DEMAND.LOSS.MW", "CUSTOMERS.AFFECTED", "O
                                           "SEASON"])
         rhode_island = pd.DataFrame(data = {"Major_Outage": 0}, index = ["Rhode Isl
         state_data = pd.concat([grouped, rhode_island])
         state_data = state_data.drop(index = 'Alaska')
         state_data = state_data.drop(index = 'Hawaii')
         state_data = state_data.sort_index()
In [31]: # map building process
         import json
         states_geo = 'data/united-states.geojson'
         with open(states_geo) as states_file:
             states_json = json.load(states_file)
         denominations_json = []
         for index in range(len(states_json['features'])):
             denominations_json.append(states_json['features'][index]['properties'][
         #denominations json
In [32]: # map bulding process
         df names = state data.index.tolist()
         geojson names = denominations json
         state data.replace(dict(zip(df names, geojson names)), inplace = True)
```

In [33]: state data = state data.reset index()

```
In [38]: # plot the map ("Number of Major Power Outages by State")
         import folium
         states_geo = 'data/united-states.geojson'
         states_map = folium.Map(location=[32.949683, -117.075116], zoom_start=4, ti
         states_map.choropleth(
             geo data = states geo,
             data = state_data,
             columns = ["index", "Major_Outage"],
             key on = 'feature.properties.name',
             fill_color = 'YlGnBu',
             fill_opacity = 1,
             line_opacity = 1,
             legend_name = "Major Power Outages by State",
             smooth_factor = 0)
         # our beatiful map does not show in the PDF :(
         states map
```

/Users/devonromero/Library/Python/3.8/lib/python/site-packages/folium/folium.py:409: FutureWarning: The choropleth method has been deprecated. In stead use the new Choropleth class, which has the same arguments. See the example notebook 'GeoJSON_and_choropleth' for how to do this. warnings.warn(



Climate Level

```
In [25]: def climate_level_eda(data):
    """

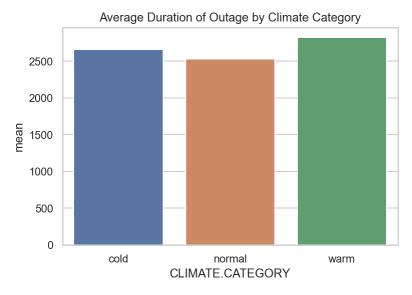
    Takes in a cleaned power outages data frame and groups by
    climate category to find the average duration of power outages in each
    Creates a bar chart by region.
    """

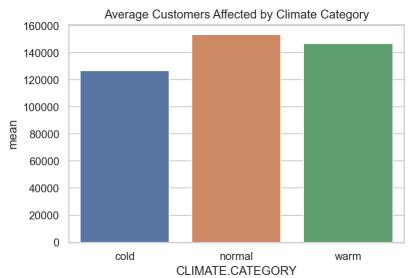
    data_copy = data.copy(deep = True)
    data_copy = data_copy.drop(columns = ["YEAR", "MONTH"])
    grouped_data = data_copy.groupby("CLIMATE.CATEGORY").agg(['mean', 'min'
    return grouped_data
```

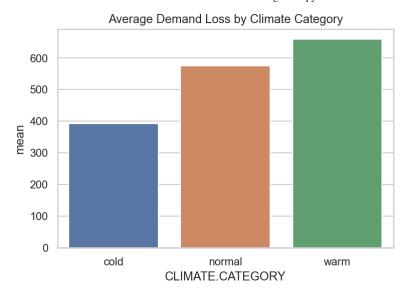
```
In [26]: by_climates = climate_level_eda(clean_data)
by_climates
```

Out[26]:

	OUTAGE.DURATION		DEMAND.LOSS.MW			CUSTOMERS.AFFECTE			
	mean	min	max	mean	min	max	mean	min	n
CLIMATE.CATEGORY									
cold	2656.956803	0.0	108653.0	391.028000	0.0	14435.0	126840.066869	0.0	2
normal	2530.980822	0.0	78377.0	574.796954	0.0	22934.0	153182.834286	0.0	3
warm	2817.318021	0.0	49427.0	657.854749	0.0	41788.0	146843.895652	0.0	2







Year Level

```
In [35]: def year_eda(data):
    """

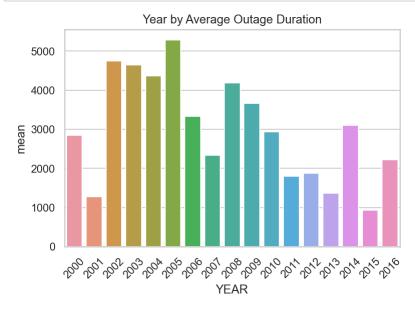
    Plots the average duration of power outages per year by year.

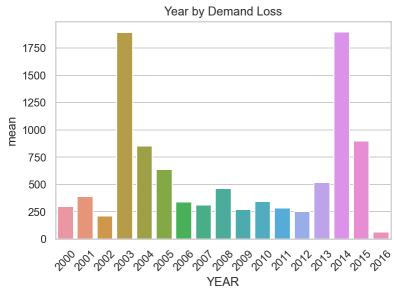
    """

    data_copy = data.copy(deep = True)
    data_copy = data_copy.drop(columns = ["MONTH"])
    grouped_data = data_copy.groupby("YEAR").agg(['mean', 'min', 'max'])

    return grouped_data
```

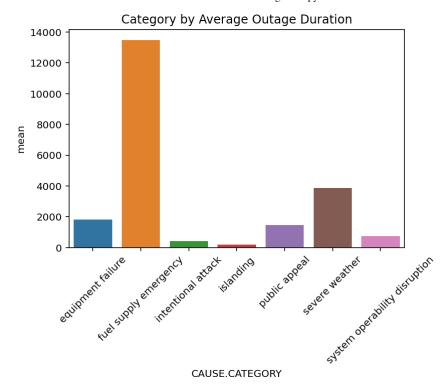
```
In [36]: # Let us aggregate by year and compute the mean min and max.
by_year = year_eda(clean_data)
```

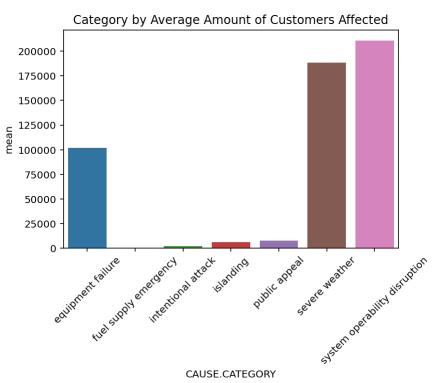


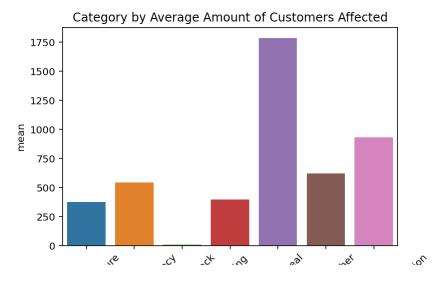


Category Level

```
In [22]: def category_eda(data):
             \Pi_{i}\Pi_{j}\Pi_{j}
             This function computes the aggregated statistics
             for each category of outage causation
             data_copy = data.copy()
             data_copy = data_copy[['OUTAGE.DURATION', 'CUSTOMERS.AFFECTED', 'DEMAND'
             data copy['DEMAND.LOSS.MW'] = data copy['DEMAND.LOSS.MW'].astype(float)
             return data_copy.groupby('CAUSE.CATEGORY').agg(['min', 'max', 'mean'])
         # make bar plots for outage by outage duration, demand loss, and customers
         by category = category eda(clean_data)
         category_duration = sns.barplot(x = by_category.index,
                                          y = by_category['OUTAGE.DURATION']['mean'])
         plt.title('Category by Average Outage Duration')
         plt.xticks(rotation = 45)
         plt.show()
         #Customers affected plot
         category_customers = sns.barplot(x = by_category.index,
                                          y = by_category['CUSTOMERS.AFFECTED']['mean
         plt.title('Category by Average Amount of Customers Affected')
         plt.xticks(rotation = 45)
         plt.show()
         #demand loss by category
         category demand = sns.barplot(x = by category.index,
                                          y = by_category['DEMAND.LOSS.MW']['mean'])
         plt.title('Category by Average Amount of Customers Affected')
         plt.xticks(rotation = 45)
         plt.show()
```







Assessment of Missingness

```
In [26]: fp = os.path.join('data', 'outage.xlsx')
    data = read_data(fp)
    clean_data = data_cleaning(data)

In [73]: # customers effected column MAR dependent on outage duration
    # idea: if the outage duration is low the # of customers effected might not
```

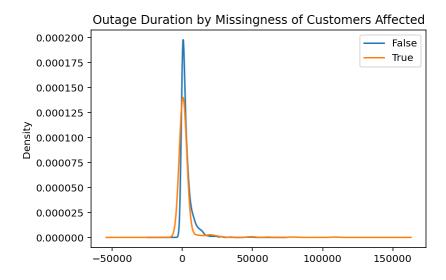
Missingness With KS Statistic

Is CUSTOMERS.AFFECTED MAR Dependent on OUTAGE.DURATION?

Out[92]: is_null

False AxesSubplot(0.125,0.125;0.775x0.755)
True AxesSubplot(0.125,0.125;0.775x0.755)

Name: OUTAGE.DURATION, dtype: object

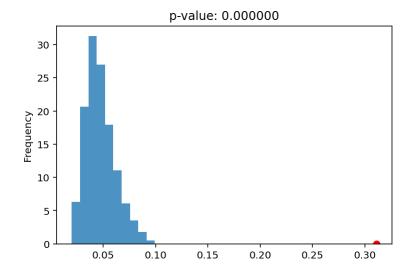


```
In [93]: # compute the observed ks statistic
    copy_clean = clean_data.copy(deep = True)
    copy_clean = copy_clean.assign(is_null = copy_clean["CUSTOMERS.AFFECTED"].i
    gpA = copy_clean.loc[copy_clean["is_null"] == True, "OUTAGE.DURATION"]
    gpB = copy_clean.loc[copy_clean["is_null"] == False, "OUTAGE.DURATION"]
    obs = ks_2samp(gpA, gpB).statistic
    obs
```

Out[93]: 0.31113998588906155

```
In [94]: # simulate the null hypothesis
         n repetitions = 500
         ks_list = []
         for _ in range(n_repetitions):
             shuffled col = (
             copy_clean["OUTAGE.DURATION"]
             .sample(replace = False, frac = 1)
             .reset_index(drop = True)
             shuffled = (
             copy_clean
             .assign(**{
                 "OUTAGE.DURATION" : shuffled_col,
             })
             )
             grps = shuffled.groupby("is_null")["OUTAGE.DURATION"]
             ks = ks_2samp(grps.get_group(True), grps.get_group(False)).statistic
             ks list.append(ks)
         # compute the pval
         pval = np.mean(np.array(ks list) > obs)
         pd.Series(ks_list).plot(kind = 'hist', density = True, alpha = 0.8, title =
         plt.scatter(obs, 0, color = 'red', s = 40)
```

Out[94]: <matplotlib.collections.PathCollection at 0x7f8979a35fa0>



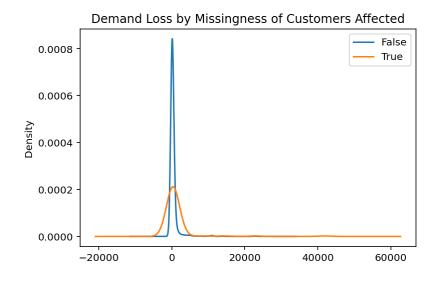
Is CUSTOMERS.AFFECTED MAR Dependent on DEMAND.LOSS.MW?

```
In [95]: fp = os.path.join('data', 'outage.xlsx')
    data = read_data(fp)
    clean_data = data_cleaning(data)
```

Out[96]: is null

False AxesSubplot(0.125,0.125;0.775x0.755)
True AxesSubplot(0.125,0.125;0.775x0.755)

Name: DEMAND.LOSS.MW, dtype: object

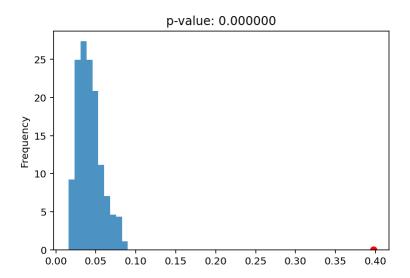


```
In [97]: # compute the observed statistic
    copy_clean = clean_data.copy(deep = True)
    copy_clean = copy_clean.assign(is_null = copy_clean["CUSTOMERS.AFFECTED"].i
    gpA = copy_clean.loc[copy_clean["is_null"] == True, "DEMAND.LOSS.MW"]
    gpB = copy_clean.loc[copy_clean["is_null"] == False, "DEMAND.LOSS.MW"]
    obs = ks_2samp(gpA, gpB).statistic
    obs
```

Out[97]: 0.3975332755377985

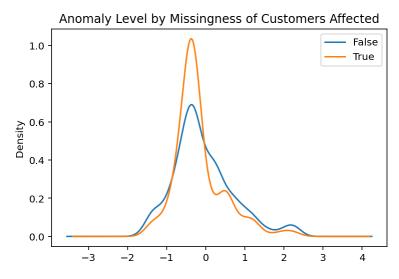
```
In [98]: # simulate the null hypothesis
         n repetitions = 500
         ks_list = []
         for _ in range(n_repetitions):
             shuffled col = (
             copy_clean["DEMAND.LOSS.MW"]
             .sample(replace = False, frac = 1)
             .reset_index(drop = True)
             shuffled = (
             copy_clean
             .assign(**{
                 "DEMAND.LOSS.MW" : shuffled_col,
             })
             )
             grps = shuffled.groupby("is_null")["DEMAND.LOSS.MW"]
             ks = ks_2samp(grps.get_group(True), grps.get_group(False)).statistic
             ks_list.append(ks)
         pval = np.mean(np.array(ks_list) > obs)
         pd.Series(ks list).plot(kind = 'hist', density = True, alpha = 0.8, title =
         plt.scatter(obs, 0, color = 'red', s = 40)
```

Out[98]: <matplotlib.collections.PathCollection at 0x7f8958a29730>



Is CUSTOMERS.AFFECTED MAR Dependent on ANOMALY LEVEL?

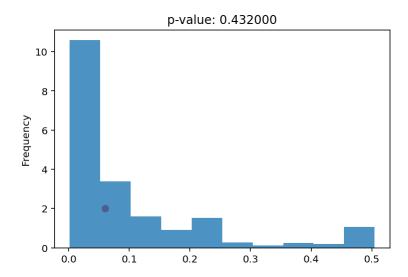
Name: ANOMALY.LEVEL, dtype: object



Out[101]: 0.06012046024005148

```
In [102]: # simulate the null hypothesis
          n_repetitions = 500
          ks_list = []
          for _ in range(n_repetitions):
              shuffled col = (
              copy_clean["ANOMALY.LEVEL"]
              .sample(replace = False, frac = 1)
              .reset_index(drop = True)
              shuffled = (
              copy_clean
              .assign(**{
                  "ANOMALY.LEVEL" : shuffled_col,
              })
              )
              grps = shuffled.groupby("is_null")["ANOMALY.LEVEL"]
              ks = ks_2samp(grps.get_group(True), grps.get_group(False)).statistic
              ks_list.append(ks)
          pval = np.mean(np.array(ks_list) > obs)
          pd.Series(ks_list).plot(kind = 'hist', density = True, alpha = 0.8, title =
          plt.scatter(obs, 2, color = 'red', s = 40)
```

Out[102]: <matplotlib.collections.PathCollection at 0x7f897996a6a0>



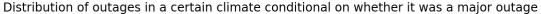
Hypothesis Test

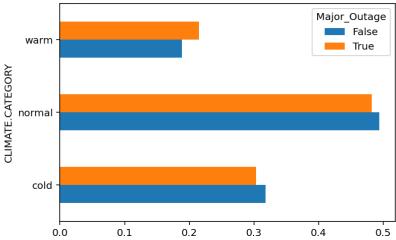
Question: (just a reminder)

Is the distribution of climate category different for those outages that were classified as 'major' than those that were not classified as 'major'?

```
In [69]: # conditional function to determine if a power outage is classified as 'maj
          def detect major(row):
               if row["CUSTOMERS.AFFECTED"] > 50000:
                   return True
               elif row["DEMAND.LOSS.MW"] > 300:
                   return True
               else:
                   return False
 In [87]: fp = os.path.join('data', 'outage.xlsx')
           data = read data(fp)
          clean_data = data_cleaning(data)
          \# compute the distribution of outages in a certain climate conditional on w
In [127]:
          clean_data["Major_Outage"] = clean_data.apply(detect_major, axis = 1)
          climate_counts = clean_data.pivot_table(index = "CLIMATE.CATEGORY", columns
           climate_counts
Out[127]:
           Major_Outage
                            False True
           CLIMATE.CATEGORY
                                  237
                              236
                        cold
                              367
                                  377
                      normal
                              140
                                  168
                       warm
 In [89]: climate counts.sum().to frame().T
          cond distr = climate counts / climate counts.sum()
           cond distr
 Out[89]:
           Major_Outage
                            False
                                    True
           CLIMATE.CATEGORY
                        cold 0.317631 0.303069
                      normal 0.493943 0.482097
                       warm 0.188425 0.214834
```

- In [90]: # plot the observed distribution
 title = "Distribution of outages in a certain climate conditional on whethe
 cond_distr.plot(kind = 'barh', title = title)





```
In [91]: # find the observed TVD
obs = cond_distr.diff(axis =1).iloc[-1].abs().sum() / 2
obs
```

Out[91]: 0.013204228382206654

```
In [93]: # ensure that the helper function works
observed = compute_tvd(clean_data)
observed
```

Out[93]: 0.013204228382206654

```
In [95]: # simulate null
N = 1000

tvds = []

for _ in range(N):

    s = clean_data["Major_Outage"].sample(frac = 1, replace = False).reset_
    shuffled = clean_data.loc[:, ["CLIMATE.CATEGORY"]].assign(Major_Outage)

    tvds.append(compute_tvd(shuffled))

tvds = pd.Series(tvds)
```

```
In [98]: # compute the pval
pval = (tvds >= obs).sum() / N
pval
```

Out[98]: 0.206

```
In [101]: # plot the simulated tvds with the observed
    tvds.plot(kind = 'hist', title = 'p-value: %f' % pval)

perc = np.percentile(tvds, 95)
    plt.axvline(x = perc, color = 'y')
```

Out[101]: <matplotlib.lines.Line2D at 0x7fd414b5ea30>

