

CSSE 230 Day 7

More BinaryTree methods Tree Traversals

After today, you should be able to...
... traverse trees on paper & in code

Announcements

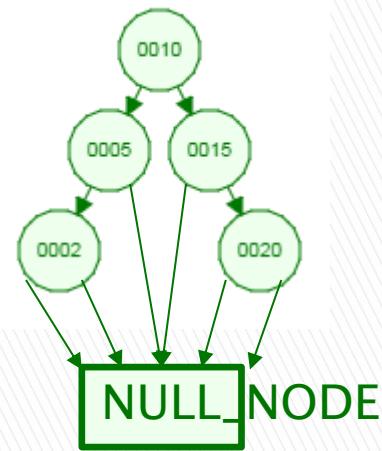
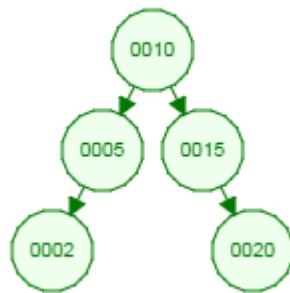
- ▶ Please complete the Stacks&Queues partner evaluation in Moodle after you submit your final code.
Due soon after you submit the project (or by Thursday night).
- ▶ Doublets is next assignment.
- ▶ Also with a partner – teams have been posted

Questions?

Quiz question: What became clear to you as a result of class?

CSSE230 student: I was treated to some good knowledge by the time I left.

A dummy NULL_NODE lets you recurse to a simpler base case while avoiding null pointer exceptions



4 possibilities for children (leaf, Left only, Right only, Both)

1 possibility for children: Both
(which could be NULL_NODE)

A dummy NULL_NODE lets you recurse to a simpler base case while avoiding null pointer exceptions

```
public class BinarySearchTree<T> {  
    private BinaryNode root;  
  
    public BinarySearchTree() {  
        root = null;  
    }  
  
    public int size() {  
        if (root == null) {  
            return 0;  
        }  
        return root.size();  
    }  
  
    class BinaryNode {  
        private T data;  
        private BinaryNode left;  
        private BinaryNode right;  
  
        public int size() {  
            if (left == null && right == null) {  
                return 1;  
            } else if (left == null) {  
                return right.size() + 1;  
            } else if (right == null) {  
                return left.size() + 1;  
            } else {  
                return left.size() + right.size() + 1;  
            }  
        }  
    }  
}
```

```
1  public class BinarySearchTree<T> {  
2      private BinaryNode root;  
3  
4      private final BinaryNode NULL_NODE = new BinaryNode();  
5  
6      public BinarySearchTree() {  
7          root = NULL_NODE;  
8      }  
9  
10     public int size() {  
11         return root.size();  
12     }  
13  
14     class BinaryNode {  
15         private T data;  
16         private BinaryNode left;  
17         private BinaryNode right;  
18  
19         public BinaryNode(T element) {  
20             this.data = element;  
21             this.left = NULL_NODE;  
22             this.right = NULL_NODE;  
23         }  
24  
25         public int size() {  
26             if (this == NULL_NODE) {  
27                 return 0;  
28             }  
29             return left.size() + right.size() + 1;  
30         }  
31     }  
32 }
```

Simpler

Simpler

More Trees

Comment out unused tests and
uncomment as you go

Write `containsNonBST(T item)` now.

Notice the pattern: contains

- ▶ If (node is null)
 - Return something simple
- ▶ Recurse to the left
- ▶ Recurse to the right
- ▶ Combine results with this node

```
1  public class BinarySearchTree<T> {  
2      private BinaryNode root;  
3  
4      private final BinaryNode NULL_NODE = new BinaryNode();  
5  
6      public BinarySearchTree() {  
7          root = NULL_NODE;  
8      }  
9  
10     public boolean containsNonBST(T item) {  
11         return root.containsNonBST(item);  
12     }  
13  
14     class BinaryNode {  
15         private T data;  
16         private BinaryNode left;  
17         private BinaryNode right;  
18  
19         public BinaryNode() {  
20             this.data = null;  
21             this.left = null;  
22             this.right = null;  
23         }  
24  
25         public boolean containsNonBST(T item) {  
26             if (this == NULL_NODE) {  
27                 return false;  
28             }  
29             return this.data.equals(item) ||  
30                 left.containsNonBST(item) ||  
31                 right.containsNonBST(item);  
32         }  
33     }  
34 }
```

Notice the pattern: size

- ▶ If (node is null)
 - Return something simple
- ▶ Recurse to the left
- ▶ Recurse to the right
- ▶ Combine results with this node

```
1 public class BinarySearchTree<T> {  
2     private BinaryNode root;  
3  
4     private final BinaryNode NULL_NODE = new BinaryNode();  
5  
6     public BinarySearchTree() {  
7         root = NULL_NODE;  
8     }  
9  
10    public int size() {  
11        return root.size();  
12    }  
13  
14    class BinaryNode {  
15        private T data;  
16        private BinaryNode left;  
17        private BinaryNode right;  
18  
19        public BinaryNode() {  
20            this.data = null;  
21            this.left = null;  
22            this.right = null;  
23        }  
24  
25        public int size() {  
26            if (this == NULL_NODE) {  
27                return 0;  
28            }  
29            return left.size() + right.size() + 1;  
30        }  
31    }  
32 }
```

Notice the pattern: height

- ▶ If (node is null)
 - Return something simple
- ▶ Recurse to the left
- ▶ Recurse to the right
- ▶ Combine results with this node

```
1 public class BinarySearchTree<T> {  
2     private BinaryNode root;  
3  
4     private final BinaryNode NULL_NODE = new BinaryNode();  
5  
6     public BinarySearchTree() {  
7         root = NULL_NODE;  
8     }  
9  
10    public int height() {  
11        return root.height();  
12    }  
13  
14    class BinaryNode {  
15        private T data;  
16        private BinaryNode left;  
17        private BinaryNode right;  
18  
19        public BinaryNode() {  
20            this.data = null;  
21            this.left = null;  
22            this.right = null;  
23        }  
24  
25        public int height() {  
26            if (this == NULL_NODE) {  
27                return -1;  
28            }  
29            return Math.max(left.height(), right.height()) + 1;  
30        }  
31    }  
32}
```

What else could you do with this recursive pattern?

- ▶ If (node is null)
 - Return something simple
- ▶ Recurse to the left
- ▶ Recurse to the right
- ▶ Combine results with this node
- ▶ Print the tree contents
- ▶ Sum the values of the nodes
- ▶ Dump the contents to an array list
- ▶ Lots more
- ▶ In what order should we print nodes?

Binary tree traversals

- ▶ InOrder (left-to-right, if tree is spread out)
 - Left, root, right
- ▶ PreOrder (top-down, depth-first)
 - root, left, right
- ▶ PostOrder (bottom-up)
 - left, right, root
- ▶ LevelOrder (breadth-first)
 - Level-by-level, left-to-right within each level

If the tree has N nodes, what's the (worst-case) big-Oh run-time of each traversal?

```
// Print tree rooted at current node using preorder
public void printPreOrder( ) {
    System.out.println( element ); // Node
    if( left != null )
        left.printPreOrder( ); // Left
    if( right != null )
        right.printPreOrder( ); // Right
}

// Print tree rooted at current node using postorder
public void printPostOrder( ) {
    if( left != null )
        left.printPostOrder( ); // Left
    if( right != null )
        right.printPostOrder( ); // Right
    System.out.println( element ); // Node
}

// Print tree rooted at current node using inorder t
public void printInOrder( ) {
    if( left != null )
        left.printInOrder( ); // Left
    System.out.println( element ); // Node
    if( right != null )
        right.printInOrder( ); // Right
}
```

Converting the tree to an ArrayList gives an elegant solution for `toString()`

- ▶ Brainstorm how to write:

```
public ArrayList<T> toArrayList()
```

- ▶ Then BST `toString()` will simply be:

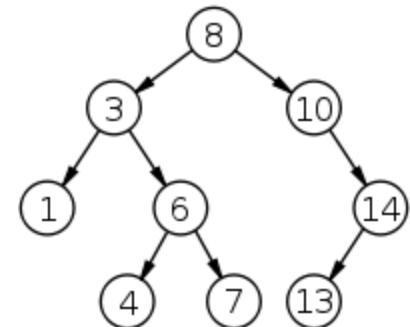
```
return toArrayList().toString();
```

Use the recursive pattern when you want to process the whole tree at once

Size(), height(), contains(), toArrayList(),
toString(), etc.

What if we want an iterator (one element at a time)?

Next class



Doubles Intro