

Reasoning Table for goToTheRear

Use: $T.\text{Init}(x)$ as a predicate to state that variable x has initial value for its type T

```
void goToTheRear(QueueOfT& q);  
    /// updates q  
    /// requires |q| > 0  
    /// ensures q = #q[1,|#q|) * #q[0,1)
```

State	Code	Assume	Confirm
0		A0: $ q0 > 0$	C0: true This <i>true</i> is requires clause from Type T's constructor
	T y;	/ /	/ /
1		A1: $T.Init(y1) \wedge q1 = q0$	C1: $q1 \neq \langle \rangle$
	q.dequeue(y);	/ /	/ /
2		A2: $\langle y2 \rangle$ is prefix of $q1 \wedge q2 = q1[1, q1)$	C2: true This <i>true</i> is requires clause from enqueue
	q.enqueue(y);	/ /	/ /
3		A3: $q3 = q2 * \langle y2 \rangle \wedge T.Init(y3)$	C3: $q3 = q0[1, q0) * q0[0, 1)$

VCs written using $A0$, $A1$, $A2$, and $A3$ cell labels

VC Format: $antecedent \rightarrow consequent$

VC0: A0 \rightarrow true

$$\text{VC1: } (A0 \wedge A1) \rightarrow q1 \neq \langle \rangle$$

VC2: $(A0 \wedge A1 \wedge A2) \rightarrow \text{true}$

$$\text{VC3: } (A_0 \wedge A_1 \wedge A_2 \wedge A_3) \rightarrow q_3 = q_0[1, |q_0|) * q_0[0, 1)$$

Where:

$$A_0 = |q_0| > 0$$
$$A1 = T.\text{Init}(y1) \quad \wedge \quad q1 = q0$$
$$A2 = \langle y2 \rangle \text{ is prefix of } q1 \wedge q2 = q1[1, |q1|)$$

```
A3 = q3 = q2 * <y2> ^ T.Init(y3)
```