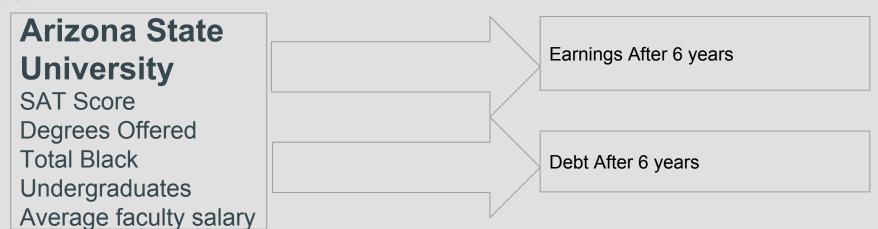
Predicting post Collegiate Earnings and Debt

November 4, 2016

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Project objective:

Predicting post collegiate earnings and debt of students based on factors that reflect the current status of each institute such as majors offered, SAT scores, selection rates, student demographics etc.



About The Dataset

Dataset Information

The U.S. Department of Education launched College Scorecard in September 2015, a data set which describes around 1800 features such as earnings, debts, passing rates, admission rates, demographics etc, for most of the colleges in America.

Source: https://collegescorecard.ed.gov/data/



DataSet Information

- There are about 1700 features for some 7600 colleges.
- Some feature values are absent for some of the colleges.
- Some features that are not available are marked with 'NaN'
- If data was prepared from less than 30 students, it was labelled as "Privacy Suppressed"
- We have data from years 1996 to 2013. We choose data of year
 2011 because it is least sparse.

331 Certificate of less than one academic year in Agriculture, Agriculture Operations, And Related Sciences. 332 Certificate of at least one but less than two academic years in Agriculture, Agriculture Operations, And Related Sciences. 333 Associate degree in Agriculture, Agriculture Operations, And Related Sciences. 334 Awards of at least two but less than four academic years in Agriculture, Agriculture Operations, And Related Sciences. 335 Bachelor's degree in Agriculture, Agriculture Operations, And Related Sciences. Certificate of less than one academic year in Natural Resources And Conservation. 336 337 Certificate of at least one but less than two academic years in Natural Resources And Conservation. 338 Associate degree in Natural Resources And Conservation. 339 Award of at least two but less than four academic years in Natural Resources And Conservation. 340 Bachelor's degree in Natural Resources And Conservation. Certificate of less than one academic year in Architecture And Related Services. 341 342 Certificate of at least one but less than two academic years in Architecture And Related Services. 343 Associate degree in Architecture And Related Services. 344 Award of more than two but less than four academic years in Architecture And Related Services. 345 Bachelor's degree in Architecture And Related Services. 346 Certificate of less than one academic year in Area, Ethnic, Cultural, Gender, And Group Studies. Certificate of at least one but less than two academic years in Area, Ethnic, Cultural, Gender, And Group Studies. 347 348 Associate degree in Area, Ethnic, Cultural, Gender, And Group Studies. 349 Award of more than two but less than four academic years in Area, Ethnic, Cultural, Gender, And Group Studies. 350 Bachelor's degree in Area, Ethnic, Cultural, Gender, And Group Studies. 351 Certificate of less than one academic year in Communication, Journalism, And Related Programs. Certificate of at least one but less than two academic years in Communication, Journalism, And Related Programs. 352 353 Associate degree in Communication, Journalism, And Related Programs. 354 Award of more than two but less than four academic years in Communication, Journalism, And Related Programs. 355 Bachelor's degree in Communication, Journalism, And Related Programs. 356 Certificate of less than one academic year in Communications Technologies/Technicians And Support Services. 357 Certificate of at least one but less than two academic years in Communications Technologies/Technicians And Support Services. 358 Associate degree in Communications Technologies/Technicians And Support Services. 359 Award of more than two but less than four academic years in Communications Technologies/Technicians And Support Services.

360 Bachelor's degree in Communications Technologies/Technicians And Support Services.

Problem Challenges:

- Handling NaN values in the data
- Handling 'Privacy Suppressed' tag in data
- Handling of categorical values, unrelated features.
- Handling of those features in which same value repeats many times
- Remove features which are strongly correlated to our Prediction Variable
- Building different prediction models and comparing their accuracies

PART 1

Data Preprocessing & Feature Extraction

PART 1: DATA PREPROCESSING

Handle NaN and Categorical:

NaN was replaced with 0

Categorical values were removed

Removal of Non Informative Features:

Non informative features like 'College Name', 'ZIP code' were simply removed as they offered no predictive power to our models.

PART 1: DATA PREPROCESSING

Handle Privacy Suppressed:

Methods Tried:

- Replace with 0, mean
- Replace Numeric with median and Categorical with Max Frequency Item
- Interpolation of Data

Last method worked best

PART 1 : Feature Extraction

Feature Selection (Manual Feature Removal): Features related to Debt, Earnings and Repayment.

Features Removed:

Median Debt After 10 years

Median Income after 8 years

Federal Loans Given

850 features were manually selected and removed.

Crap x=df.copv(deep= OPEID opeid6 main NUMBRANCH sch deg st fips region LONGITUDE HBCU PBI ANNHI TRIBAL AANAPTT HSI ADM RATE ALL NPT43 PUB NPT44 PUB

PART 1: Feature Extraction

Useless Feature Removal:

Those features that offered very low information were removed .For example if for all the instances a variable have the same value, it is of no use, so it was removed. Count of 6500 was used as cutoff.

So total 579 features were left to build model from 1729 original ones.

PART 1: Feature Extraction

Recursive Feature Extraction:

Had to reduce size because just 4000 training example and 579 features.

Trouble would increase with more complex models.

Use RFE to further reduce the size of feature set to 170

Used Linear Regression as Estimator

Why Not to Use PCA?

Exploring The Prediction Variables

The Variables to Predict :

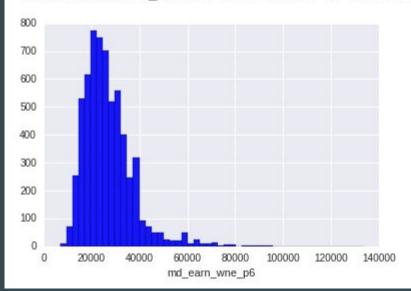
1) Median earnings of students after 6 years of graduation

Some Statistics of the Income:

| count | 6224.000000 |
|-------|---------------|
| mean | 27045.453085 |
| std | 10750.511323 |
| min | 7000.000000 |
| 25% | 20000.000000 |
| 50% | 25200.000000 |
| 75% | 31600.000000 |
| max | 133600.000000 |

Name: md earn wne p6, dtype: float64

<matplotlib.axes._subplots.AxesSubplot at 0x7fd92ec507b8>



The Variables to Predict:

 $1\)\$ Median earnings of students working and not enrolled 6 years after entry

| DAD ED DOT US | 0.407050 |
|----------------------------|-----------|
| PAR_ED_PCT_HS | -0.497050 |
| PCTPELL | -0.472607 |
| NOT1STGEN_ENRL_ORIG_YR2_RT | 0.396357 |
| PCIP12 | -0.391295 |
| ENRL_ORIG_YR2_RT | 0.390351 |
| FIRSTGEN_ENRL_ORIG_YR2_RT | 0.336683 |
| UNKN_ORIG_YR6_RT | -0.323120 |
| PAR_ED_PCT_MS | -0.313580 |
| UNKN_ORIG_YR2_RT | -0.299512 |
| PCIP14 | 0.244295 |
| COMP_4YR_TRANS_YR4_RT | 0.238807 |
| | |

- --Percent of students whose parents' highest educational level is high school
- --Percentage of undergraduates who receive a Pell Grant

The Variables to Predict :

2) Median debt of People who complete the degree.

The Data is Not Normally Distributed

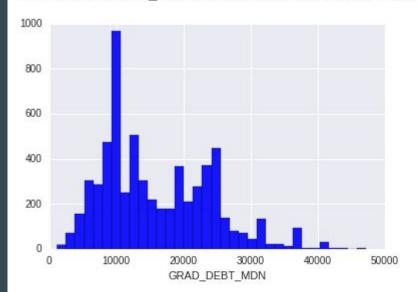
Didn't Use any Gaussian Method

Some Statistics of the Income:

| count | 6236.000000 |
|-------|--------------|
| mean | 15890.949487 |
| std | 8108.544677 |
| min | 1144.000000 |
| 25% | 9500.000000 |
| 50% | 13871.500000 |
| 75% | 22220.500000 |
| max | 47186.500000 |
| | |

Name: GRAD DEBT MDN, dtype: float64

<matplotlib.axes. subplots.AxesSubplot at 0x7f4eacec9550>



The Variables to Predict :

2) Median debt of People who complete the degree.

| 0 | WDRAW_ORIG_YR8_RT | 0.533430 |
|---|--|-----------|
| 1 | ENRL_ORIG_YR2_RT | 0.499865 |
| 2 | COMP_ORIG_YR2_RT | -0.484720 |
| 3 | ENRL_4YR_TRANS_YR2_RT | 0.458423 |
| 4 | FIRSTGEN_DEATH_YR3_RT | 0.410122 |
| 5 | WDRAW_4YR_TRANS_YR2_RT | 0.409997 |
| 6 | WDRAW_4YR_TRANS_YR6_RT | 0.400837 |
| 7 | MALE_WDRAW_ORIG_YR3_RT | 0.396100 |
| 8 | FEMALE_WDRAW_4YR_TRANS_YR2_RT | 0.392956 |
| | li de la companya de | |

- 1)Percent withdrawn from original institution within 8 years
- 3)Percent of low-income students who completed within 2 years at original institution

PART 2

Prediction Models

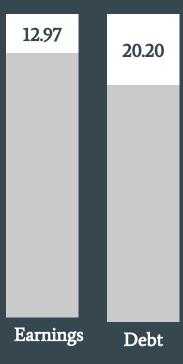
Linear Regression

Model

Given a list of features for a school, predict students median debt at graduation and median earnings 6 years after graduation

Result:

• 54.69% mean absolute error for earnings.



Linear Regression

Pitfalls

As we saw, the results were not satisfactory using linear regression.

How to improve:

- Tuning number of privacy suppressed features
- Pruning feature space
- Enabling model to learn non linear relationships b/w features and earnings/debt.

Locally weighted linear regression

Captures nonlinearity!

• In linear regression we find parameters which minimize,

$$\sum_{i} (y^{(i)} - \theta^{T} x^{(i)})^{2}$$
.

• In locally weighted we find parameters which minimize,

$$\sum_{i} w^{(i)} (y^{(i)} - \theta^{T} x^{(i)})^{2}$$
.

We assign weights to each of our training samples, such that the samples which are closer to the test point are allocated higher weights.

Thus while estimating the parameters, the points which are closer to the test point will have a higher contribution as compared to the farther off points.

Locally weighted linear regression

• A fairly standard choice for the weights is

$$w^{(i)} = \exp\left(-\frac{(x^{(i)} - x)^2}{2\tau^2}\right)$$

• Another thing to note, LWR requires the entire data set every time you try to make a prediction making it much more computationally expensive compared to the simple linear regression. We have to do this because every time we try to make a prediction we are constructing a regression line that's local to the data point of our interest.

Locally weighted linear regression

Data Standardization

To make the Euclidean distance (the norm in the equation above) meaningful, we standardized features to zero mean and unit variance prior to computing the weights.

46.91% error in Earnings

KNN Regression

The KNN algorithm predicts by taking K nearest neighbours average from train Dataset.

With Euclidean Distance:

Error: 17.67 for K = 10 (by trying out different K values like 7,10,15,20)

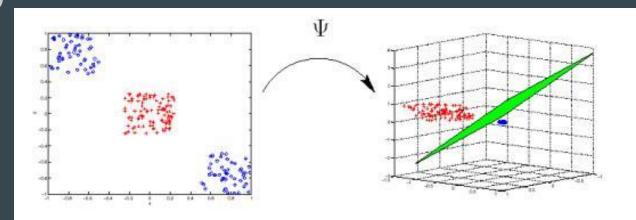
With Mahalanobis Distance:

Error: 19.72 for K = 10 (by trying out different K values like 7,10,15,20)

Support Vector Machines (Regression):

In SVM Regression, input is mapped to higher dimensional feature space, then a linear model is constructed

- 30.66 % Error
- Using RBF kernel of degree 3
- C=l (penalty)
- Epsilon= 0.1 (insensitivity)
- Gamma = 1/n_features



Neural Nets

- Trained simple neural networks with a single hidden layer, using the previous feature selection and imputation for privacy-suppressed values
- A single hidden layer was chosen because there was insufficient training data (number of schools) to fit a model with more parameters without significant overfitting
- A hidden layer with 10 nodes performed optimally for earnings with 24.19% error

• In our simple gradient descent based training of the neural net, convergence can take an extremely long time

$$W_{i+1} = W_i + \text{delta * } \forall \text{ (E)}$$

- It is because due to the rigidness of the step size which does not depend on the curvature of the error surface.
- When descending the walls of a very steep local minima we must use a small step size to avoid missing out the minima.
- When moving along a gently sloping part of the error surface we want to take large steps else it will take forever to reach the minima

Momentum alleviates many problems described previously.

Levenberg-marquardt algo is used for estimating the parameters of a model curve so that it fits a given dataset.

$$\hat{eta} = rgmin_{eta} \sum_{i=1}^m [y_i - f(x_i, oldsymbol{eta})]^2.$$

It improves basic gradient descent by estimating curvature information.

The Levenberg-Marquardt algorithm is a very simple, but robust, method for approximating a function. Basically, it consists in solving the equation at every epoch:

$$(J^{T}J + \lambda I)\delta = J^{T}E$$

$$\delta = (J^{T}J + \lambda I)^{-1}(J^{T}E)$$

$$W_{t+1} = W_{t} + \delta$$

Where J is the Jacobain matrix, E is the error vector, δ is the weight update vector and λ is the damping factor which we increase or decrease depending on our E vector.

Failure !!

- In theory this method should lead to a faster convergence but in our case it's just the reverse.
- For a case involving a few hundreds of weights, this method converges faster than the simple gradient descent with momentum but since our neural net has 4889 weights, at every epoch we are required to take the inverse of a matrix with dimensions 4889x4889 which kind of kills any cleverness exhibited by the algorithm.

- Also this method find the local minimum and not the global one and is also very susceptible to the initial weights and also cause
- Due to the slow learning as well as susceptibility to initial weights, we were not able to get an acceptable training.
- This method resulted in a mean error of 89%