One-Way ANOVA

R Handout

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Initialization

```
> library(NCStats)
> library(multcomp) # glht()
```

Raspberry Example

Background

A researcher is interested in the effect of irrigation on fruit production by raspberry plants. The researcher has determined that he will examine the effects of 100 ml (a maintenance amount), 200, 400, and 800 ml of water per pot. The researcher had 16 identical planting pots available and much more than that number of raspberry plant seedlings. A square table for growing the plants in a greenhouse was also available. He had enough time to let the plants mature to the point of producing fruit (i.e. berries) or not. At the end of this period, the total weight (g) of mature berries was recorded.

```
> setwd("C:/aaaWork/Web/GitHub/NCMTH207/modules/Anova-1Way")
> rasp <- read.csv("Raspberry.csv")
> str(rasp)

'data.frame': 16 obs. of 2 variables:
$ water : int 100 100 100 100 200 200 200 400 400 ...
$ weight: num 8.1 10.9 11.1 13.9 12.2 11.5 11.4 6.8 6.5 5.5 ...

> rasp$water <- factor(rasp$water)
> str(rasp)

'data.frame': 16 obs. of 2 variables:
$ water : Factor w/ 4 levels "100","200","400",..: 1 1 1 1 2 2 2 2 3 3 ...
$ weight: num 8.1 10.9 11.1 13.9 12.2 11.5 11.4 6.8 6.5 5.5 ...
```

Fitting the Linear Model

```
> lm1 <- lm(weight~water,data=rasp)
> anova(lm1)
```

Analysis of Variance Table

```
Response: weight
```

Df Sum Sq Mean Sq F value Pr(>F) 3 115.043 38.348 10.793 0.001004

Residuals 12 42.635 3.553

```
> summary(lm1)
```

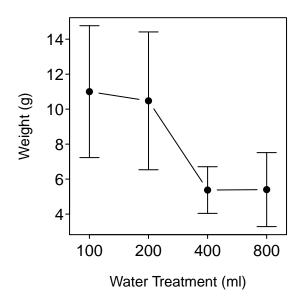
water

Coefficients:

```
Estimate Std. Error t value Pr(>|t|)
(Intercept) 11.0000 0.9425 11.672 6.58e-08
water200 -0.5250 1.3328 -0.394 0.70057
water400 -5.6250 1.3328 -4.220 0.00119
water800 -5.6000 1.3328 -4.202 0.00123
```

Residual standard error: 1.885 on 12 degrees of freedom Multiple R-squared: 0.7296, Adjusted R-squared: 0.662 F-statistic: 10.79 on 3 and 12 DF, p-value: 0.001004

```
> fitPlot(lm1,xlab="Water Treatment (ml)",ylab="Weight (g)",main="")
```



Multiple Comparison Tests

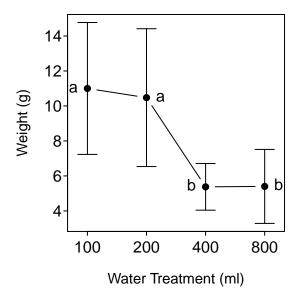
```
> rasp.mc <- glht(lm1, mcp(water = "Tukey"))
> summary(rasp.mc)
```

Simultaneous Tests for General Linear Hypotheses

Multiple Comparisons of Means: Tukey Contrasts

```
Fit: lm(formula = weight ~ water, data = rasp)
Linear Hypotheses:
              Estimate Std. Error t value Pr(>|t|)
200 - 100 == 0 -0.525 1.333 -0.394 0.97834
400 - 100 == 0 -5.625
                           1.333 -4.220 0.00537
800 - 100 == 0
               -5.600
                           1.333 -4.202 0.00589
400 - 200 == 0 -5.100
                           1.333 -3.826 0.01104
800 - 200 == 0 -5.075
                            1.333 -3.808 0.01133
800 - 400 == 0 0.025
                            1.333
                                   0.019 1.00000
(Adjusted p values reported -- single-step method)
> confint(rasp.mc)
     Simultaneous Confidence Intervals
Multiple Comparisons of Means: Tukey Contrasts
Fit: lm(formula = weight ~ water, data = rasp)
Quantile = 2.9683
95% family-wise confidence level
Linear Hypotheses:
              Estimate lwr
200 - 100 == 0 -0.5250 -4.4813 3.4313
400 - 100 == 0 -5.6250 -9.5813 -1.6687
800 - 100 == 0 -5.6000 -9.5563 -1.6437
400 - 200 == 0 -5.1000 -9.0563 -1.1437
800 - 200 == 0 -5.0750 -9.0313 -1.1187
800 - 400 == 0 \quad 0.0250 \quad -3.9313 \quad 3.9813
> fitPlot(lm1,xlab="Water Treatment (ml)",ylab="Weight (g)",main="")
```

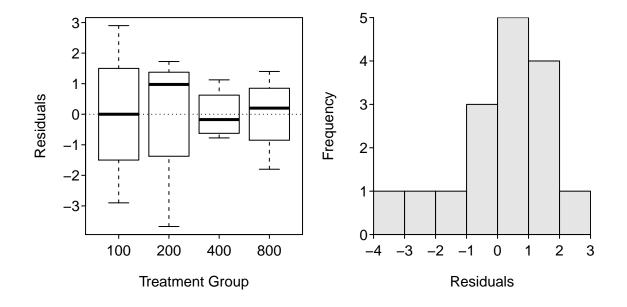
> addSigLetters(lm1,lets=c("a","a","b","b"),pos=c(2,4,2,4))



Checking the Assumptions

> levenesTest(lm1)

> residPlot(lm1)



Benthic Infaunal Example

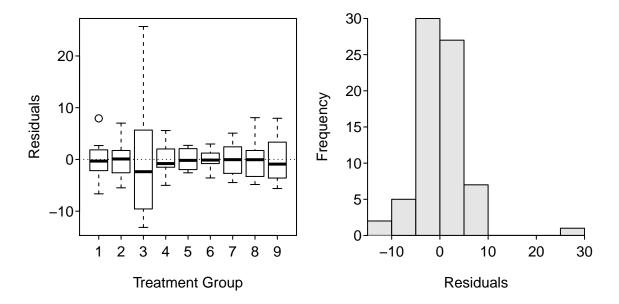
Background

Australian researchers were interested in the effect of effluent releases on benthic organisms in the release area. To examine the effect, the researchers recorded the total abundance of benthic organisms at 8 haphazardly-selected sublocations at each of 8 control locations (thought to have not been impacted by the effluent release) and 1 potentially impacted location. The results are recorded in BenthicInfaunal.csv. Use these data to determine if the mean abundance of benthic organisms differs between the locations (and, especially, if the impacted location differs from any of the control locations).

```
> ben <- read.csv("BenthicInfaunal.csv")
> ben$site <- factor(ben$site)
> str(ben)

'data.frame': 72 obs. of 2 variables:
$ site : Factor w/ 9 levels "1","2","3","4",..: 1 1 1 1 1 1 1 2 2 ...
$ abundance: num 14.4 20.4 21.2 17.6 29 ...
```

Assumption Checking with Possible Transformations



> adTest(lm2\$residuals)

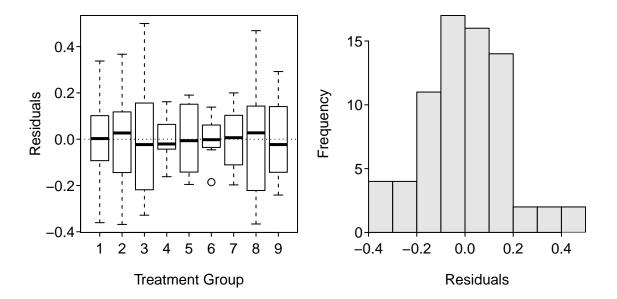
Anderson-Darling normality test with x A = 1.6389, p-value = 0.0002996

> outlierTest(lm2)

rstudent unadjusted p-value Bonferonni p 20 6.624666 9.5554e-09 6.8799e-07

```
> ## transChooser(lm2) # interactive, result not shown
> ben$logab <- log(ben$abundance)
> lm3 <- lm(logab~site,data=ben)
> levenesTest(lm3)
```

> residPlot(lm3)



> adTest(lm3\$residuals)

Anderson-Darling normality test with x A = 0.3323, p-value = 0.5062

> outlierTest(lm3)

Model Summarization

```
> anova(lm3)
```

Analysis of Variance Table

Response: logab

Df Sum Sq Mean Sq F value Pr(>F) 8 8.6683 1.08353 29.066 < 2.2e-16

Residuals 63 2.3485 0.03728

```
> ben.mc <- glht(lm3, mcp(site = "Dunnett"))
> summary(ben.mc)
```

Simultaneous Tests for General Linear Hypotheses

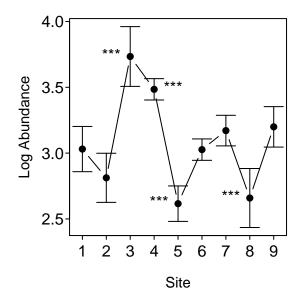
Multiple Comparisons of Means: Dunnett Contrasts

```
Fit: lm(formula = logab ~ site, data = ben)
```

Linear Hypotheses:

```
Estimate Std. Error t value Pr(>|t|)
                       0.096537 -2.263 0.14575
2 - 1 == 0 -0.218435
3 - 1 == 0 \quad 0.703189
                       0.096537
                                  7.284 < 0.001
4 - 1 == 0 \quad 0.453836
                       0.096537
                                  4.701 < 0.001
5 - 1 == 0 -0.414859
                       0.096537
                                 -4.297 < 0.001
6 - 1 == 0 -0.004238
                       0.096537
                                 -0.044 1.00000
7 - 1 == 0 \quad 0.140280
                       0.096537
                                  1.453 0.57978
8 - 1 == 0 -0.371867
                       0.096537
                                 -3.852 0.00199
9 - 1 == 0 0.168668
                       0.096537
                                  1.747 0.37998
(Adjusted p values reported -- single-step method)
```

```
> fitPlot(lm3,ylab="Log Abundance",xlab="Site",main="")
> addSigLetters(lm3,lets=c("","","***","***","***","","","***",""),pos=c(2,4,2,4,2,2,4,2,4))
```



> confint(ben.mc)

Simultaneous Confidence Intervals

Multiple Comparisons of Means: Dunnett Contrasts

Fit: lm(formula = logab ~ site, data = ben)

Quantile = 2.7282

95% family-wise confidence level

Linear Hypotheses:

```
Estimate lwr upr

2 - 1 == 0 -0.218435 -0.481812 0.044943

3 - 1 == 0 0.703189 0.439811 0.966566

4 - 1 == 0 0.453836 0.190459 0.717214

5 - 1 == 0 -0.414859 -0.678237 -0.151482

6 - 1 == 0 -0.004238 -0.267615 0.259140

7 - 1 == 0 0.140280 -0.123097 0.403658

8 - 1 == 0 -0.371867 -0.635245 -0.108490

9 - 1 == 0 0.168668 -0.094709 0.432045
```

> exp(confint(ben.mc)\$confint)

```
Estimate lwr upr
2 - 1 0.8037761 0.6176580 1.0459769
3 - 1 2.0201841 1.5524011 2.6289235
4 - 1 1.5743404 1.2097946 2.0487343
5 - 1 0.6604332 0.5075068 0.8594406
6 - 1 0.9957713 0.7651959 1.2958258
7 - 1 1.1505965 0.8841705 1.4973042
8 - 1 0.6894457 0.5298014 0.8971955
9 - 1 1.1837272 0.9096297 1.5404181
attr(,"conf.level")
[1] 0.95
attr(,"calpha")
[1] 2.728333
```