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Project 1

CS 2223

For our initial lab, we were asked to test out three algorithms and compare them. These algorithms were the Euclid method, Consecutive Integer Checking method, and the Middle school procedure method. Using python 3.7.0a2 and the text editor IDLE, the algorithms were implemented and tested. For both the Euclid and CIC method, the algorithms were able to run themselves without any helper functions. When it came to the MSP, which requires first finding the prime factors of each input, a helper function which calculates the prime factors was used to reduce the clutter in the definition of MSP. After testing the algorithms ten times with different values, their GCD and time to execute were recorded. With this project I learned (never used python, mostly just arduino, c# and java) that python is an interpretive language, meaning that when you run code, it does not need to be compiled for it to function. Another thing I learned is that python gets affected easily if you use spaces or tabs, better not to mix these up. When it came to time and space efficiency, the Euclid algorithm would be the best at space and time ( $O(\log(m/(m \bmod n))(m*n)))$ ). When it came to CIC and MSP, these would fluctuate. A pattern I saw when running these is that with larger numbers, MSP would be faster than CIC and vice versa. In space efficiency, CIC had ( $O(N)$ ) while MSP had ( $O(M+N+P+T)$ ) due to the loops of the helper function and the function itself, making it the least space efficient.

```
def Euclid(m, n): #input
    while(n != 0):
        r = m % n
        m = n
        n = r
    return m
```

```
# Find GCD with Consecutive Integer Checking
def CIC(m,n):
    t=min(m,n)#step1
    run=1
    step=2
    while run==1:
        if step==2:#step2
            if m % t==0:#step2
                step=3
            else:
                step=4 #go to step4
        if step==3:
            if n % t==0:
                run=0
            else:
                step=4 #go to step4
        if step==4:#step4
            t-=1
            step=2#step2
    return t
```

```
# Prime factorization for Middle School Procedure
```

```
def primeFactors(val):
```

```
    factors = []
```

```
    unit = 2
```

```
    while(unit != val and val != 1):
```

```
        if(val % unit == 0):
```

```
            val = val / unit
```

```
            factors.append(unit)
```

```
        else:
```

```
            unit += 1
```

```
    factors.append(int(val))
```

```
    return factors
```

```
# Find GCD with Middle School Procedure
```

```
def MSP(m,n):
```

```
    primeofm=primeFactors(m)#call prime factorization
```

```
    primeofn=primeFactors(n)#call prime factorization
```

```
    primeofmn=[]
```

```
    for i in primeofm:
```

```
        if i in (primeofm and primeofn):
```

```
            primeofmn.append(i)
```

```
    final=1
```

```
    for f in primeofmn:
```

```
        final=f*final
```

```
    return final
```

M Val	N Val	EUC Time	CIC Time	MSP Time	G C D	Time total
31415	14142	4.000000000004 e-06	0.00307699999 99999964	0.000558999 999999762	1	0.00920599999 9999992
52665	955	5.000000000032 756e-06	0.00022299999 999997322	0.000840999 999999807	5	0.00690999999 9999972
63243	16316	4.999999999810 711e-06	0.00354999999 999972	0.002495999 9999998317	1	0.01151500000 0000164
2815	10785	3.999999999670 9334e-06	0.00069799999 99998654	0.000284000 000000173	5	0.00629800000 0000137
4935	3191	4.999999999810 711e-06	0.00068999999 99996353	0.000529999 9999999194	1	0.00660900000 0000087
38	9093	4.000000000115 023e-06	1.30000000000 40757e-05	0.000112000 0000001120 1	1	0.00553600000 0000207
122	988	1.999999999835 4667e-06	3.00000000001 96536e-05	3.000000000 0196536e-05	2	0.00544100000 0000251
340	43	4.999999999810 711e-06	1.500000000003 20313e-05	2.300000000 0550358e-05	1	0.00549399999 9999666
27	26	4.000000000559 112e-06	1.10000000006 4938e-05	1.500000000 0320313e-05	1	0.00545699999 9999823
41	28	2.000000000279 556e-06	1.00000000005 09601e-05	2.000000000 0131024e-05	1	0.00527800000 000056