Computing for Mathematics: Class test

Instructions

- You have 50 minutes to carry out the following 3 questions;
- You are allowed access to the internet and any books/notes you may have with you. However, YOU ARE
 NOT PERMITTED TO COMMUNICATE WITH ANY OTHER STUDENT. As such you are simply
 not allowed to log in to an email client, facebook etc... If you are caught using any site that an invigilator suspects
 you may be able to use to communicate with another student you will be asked to stop working on this class test and
 reported.
- Write three separate scripts for each question naming them as follows: 'ma1003-studentnumber-q1.py' (replacing student number by your actual student number). Submission details are given at the end of this sheet.

$\mathbf{Q}\mathbf{1}$

Consider the Fibonacci sequence defined by:

$$X_n = \begin{cases} 1 & n = 0 \text{ or } n = 1 \\ X_{n-1} + X_{n-2} & \text{otherwise} \end{cases}$$

Define a function fib (n) that returns X_n using a recursive approach.

Use this function to print to screen X_n for $0 \le n < 11$.

$\mathbf{Q2}$

The data file classtest data.csv contains a collections of names. Write a script that:

- Imports the data;
- Prints to screen how many total names are in the data file;
- Prints to screen the mean length of names in the file;
- Prints to screen the number of unique names in the file.

$\mathbf{Q3}$

Consider the rectangle on a grid with dimensions as shown:

On this grid, consider the graph of $f(x) = 1 - x^2$.

If we draw points of random coordinates in this rectangle, the probability P of a point landing under the graph would be:

$$P = \frac{\text{Area under the graph}}{\text{Total area of rectangle}} = \frac{\text{Area under the graph}}{2}$$

Importantly, from basic Calculus we know that:

Area under the graph =
$$\int_0^1 1 - x^2, dx$$

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Use the random library to approximate the value of $\int_0^1 1 - x^2, dx$.

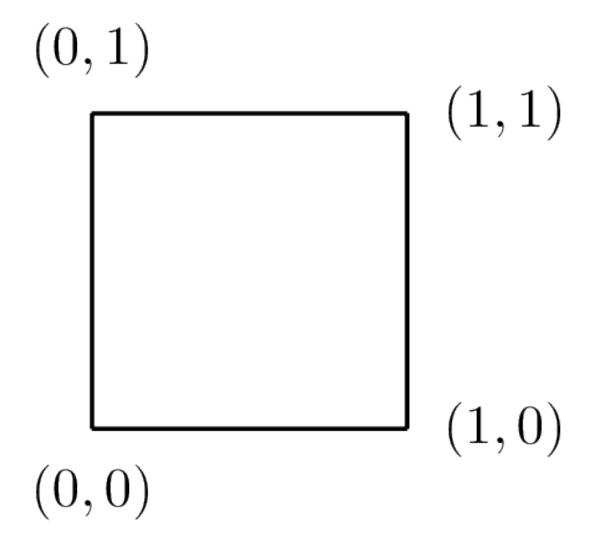


Figure 1: A grid

$$(0,1)$$

$$(1,1)$$

$$f(x) = 1 - x^{2}$$

$$(1,0)$$

Figure 2: A grid

Submission instructions

Do both of the following (if in any doubt ask an invigilator):

- Save your 3 files to the directory xyz. You will not be able to see your file when it is saved there but be sure to save it there (perhaps do this twice).
- Email your file in an attachment to me: knightva@cf.ac.uk